# 1st sem python (AG mam)

calculation of mean, variance, std dev

```
In [1]: import math
    import numpy as np

x = [2,3,0,1,-2,5]
y = [i**2 for i in x]
n = len(x)
mean = np.sum(x)/n
var = np.sum(y)/n-mean**2
stdev=math.sqrt(var)
print(f'mean, var, stdev = {mean}, {var}, {stdev}')
```

mean, var, stdev = 1.5, 4.91666666666667, 2.217355782608345

gcd and lcd of 2 numbers

```
m1, n1 = eval(input('enter 2 numbers: m, n = '))
mnprod = m1*n1

def gcd(m, n):
    r = m%n
    while r>0:
        m, n = n, r
        r = m%n
    return n

print(f'GCD = {gcd(m1,n1)} and LCD = {mnprod/gcd(m1,n1)}')
```

Pythagoras number generation

```
def gcd(m, n):
    r = m%n
    while r>0:
        m, n = n, r
        r = m%n
    return n

n1 = eval(input('enter a number: '))
for m in range(1,n1):
    if gcd(m, n1)==1:
        x = n**2 - m**2
        y = 2*n*m
        z = n**2 + m**2
        print(f'x = {x}, y = {y}, z = {z}')
```

```
In [ ]:
```

```
In [2]: L = [10, -2, 0, 1, 100, 15, 9-12]
        def sort ascending(L):
            n = len(L)
            for i in range(n):
                key = L[i]
                 j = i-1
                while j>=0 and L[j]>key:
                    L[j+1] = L[j]
                     j = j-1
                 L[j+1] = key
            return(L)
        print(f'''Original form: {L}
        sort by defined function: {sort_ascending(L)}
        sort by available function (sorted): {sorted(L)}''')
        L.sort()
        print(f'sort: {L}')
        L.sort(reverse=True)
        print(f'sort(reverse): {L}')
        Original form: [10, -2, 0, 1, 100, 15, -3]
        sort by defined function: [-3, -2, 0, 1, 10, 15, 100]
        sort by available function (sorted): [-3, -2, 0, 1, 10, 15, 100]
        sort: [-3, -2, 0, 1, 10, 15, 100]
        sort(reverse): [100, 15, 10, 1, 0, -2, -3]
```

### **Binary and Decimal conversions**

decimal to binary conversion

```
from math import modf
n = eval(input('enter the decimal number: '))
ndec, nint = modf(n)
nint = int(nint)
print(f'integer part = {nint}, decimal part = {ndec}')
def bin_int(n):
    b = str()
    while n>0:
        res = n%2
        b += str(res)
        n = n//2
    return b[::-1]
def bin_frac(n):
    b = str()
    i = 1
    while n>0:
        n = n*2
        frac, intg = modf(n)
        b += str(int(intg))
        n = frac
```

```
i += 1
  if i>6: # input
      break
  return b

print(f'the binary number is {bin_int(nint)}.{bin_frac(ndec)}')
```

binary to decimal conversion

```
m = eval(input('give the binary number: '))
s, i = 0, 0
while m>0:
    res = m%10
    m = m//10
    s += (2**i)*res
    i += 1
print(f'Decimal number for the given binary number is {s}.')
```

#### **Numerical methods for finding roots**

roots of a quadratic equation

```
import math as m
a, b, c = eval(input('a, b, c = '))
D = b**2 -4*a*c
D1 = m.sqrt(abs(D))
a2 = 2*a

if D>0:
    print(f'distinct real roots = {(-b+D1)/a2}, {(-b-D1)/a2}')
elif D=0:
    print(f'equal real roots = {-b/a2}, {-b/a2}')
elif D<0:
    print(f'complex roots: {complex(-b,D1)/a2}, {complex(-b,-D1)/a2}')</pre>
```

bisection method

```
def f(x):
    return x**3 -2*x -5

a, b, tol = eval(input('lower input, upper limit, tol = '))

while f(a)*f(b)>0:
    print('no root exists in this interval')
    break
while abs(b-a)>=tol:
```

```
xm = (a+b)/2
if f(xm)==0:
    print(f'root = {xm}')
    break
if f(a)*f(xm)<0:
    b = xm
else:
    a = xm
print(f'root = {(a+b)/2}')</pre>
```

Newton - Raphson method

```
def f(x):
    return x**3 -2*x -5
def h(x):
    return 3*x**2 -2

x1, tol = eval(input('initial point, tol = '))
while abs(f(x1))>=tol:
    x1 = x1 - f(x1)/h(x1)
    print(x1)
print(f'root = {x1}')
```

secant method

```
def f(x):
    return x**3 -2*x -5
x0, x1, tol = eval(input('x0, x1, tol = '))
while abs(f(x1))>=tol:
    x2 = x1 - f(x1)*(x1-x0)/(f(x1)-f(x0))
    x0, x1 = x1, x2
    print('x1={}, f(x1)={}'.format(x1, f(x1)))
print(f'root = {x1}')
```

## Interpolation

direct forward difference method

```
In [4]: x = list(range(10))
        y = [0, 0.368, 0.541, 0.448, 0.39, 0.34, 0.38, 0.31, 0.2, 0.14]
        xx = 4.7 # input value
        n = len(x)
        h = x[1]-x[0]
        p = (xx-x[0])/h
        cf = p
        k = 1
        yy = y[0]
        d = []
        for i in range(n, 1, -1):
            for j in range(i-1):
                diff = y[j+1]-y[j]
                d.append(diff)
            yy += cf*d[0]
            cf *= (p-k)/(k+1)
            k += 1
            y = d
            d = []
        print(f'for x = \{xx\}, y = \{yy\}')
```

for x = 4.7, y = 0.3468285114337938

#### **Matrices**

matrix addition

```
In [5]: A = [[1,2,3],[4,5,6]]
        B = [[15,6,4],[3,4,2]]
        C = [[0,0,0],[0,0,0]] # null matrix with the dimension of the result
        row = len(A)
        col = len(A[0])
        for i in range(row):
            for j in range(col):
                C[i][j] = A[i][j] + B[i][j]
        print(f'using defined function: {C}')
        for rows in C:
            print(rows)
        import numpy as np
        An = np.array(A)
        Bn = (B)
        Cn = An + Bn
        print(f'using numpy array: \n{Cn}')
        using defined function: [[16, 8, 7], [7, 9, 8]]
        [16, 8, 7]
        [7, 9, 8]
        using numpy array:
        [[16 8 7]
         [7 9 8]]
```

matrix product

# 2nd sem python

## Integration

integration by trapizoidal rule

```
In [7]: import numpy as np

def f(x):
    return x**2

a,b,n=0,1,400
h=(b-a)/n
sum=f(a)+f(b)
for i in range(1,n-1):
    sum=sum+2*f(a+i*h)
int=sum*0.5*h
print('value=',int)
```

value= 0.3308468593750001

integration by Simpson's rule

```
In [8]: import numpy as np

def f(x):
    return np.sin(x)

a=np.pi/3
b=np.pi
n=400
h=(b-a)/n
sum=f(a)+f(b)
sum_odd=0
sum_even=0
for i in range(1,n-1,2):
    sum_odd+4*f(a+i*h)
    sum_even+=2*f(a+(i+1)*h)
int=h/3*(sum+sum_odd+sum_even)
print('value=',int)
```

value= 1.499963446082914