

Bachelor Level/ Second Year/ Forth Semester/ Science
Computer Science and Information Technology (CSc. 251)
(Theory of Computation)

PM : 32

Attempt all the questions.**Group A****(8x4=32)**

1. Define Finite Automata with ϵ moves. Is ϵ NFA has more computation power than DFA?
2. Give the DFA accepting the strings over $\{a, b\}$ such that each string does not start with ab .
3. Give the regular expression for the following languages.
 - a. $L = \{SS \in \{a, b\}^* \text{ and } S \text{ starts with } aa \text{ or } b \text{ and does not contains substring } bb\}$.
 - b. $L = \{S \mid S \in \{0, 1\}^* \text{ and } 0 \text{ occurs in pairs if any and ends with } 1\}$.
4. Convert following regular grammar in to Finite Automata.
 $S \rightarrow aaB \mid aB \mid \epsilon, B \rightarrow bb \mid bS \mid aBB$
5. Convert following grammar into a equivalent PDA
 $S \rightarrow AAC, A \rightarrow aAb \mid \epsilon, C \rightarrow ac \mid b \mid ab$
6. What is a multi track Turing Machine? How it differs with single track machine?
7. Construct a Turing Machine that accepts the language of palindrome over $\{a, b\}^*$ with each string of odd length.
8. What is an algorithm? Explain on the basis of Church Hypothesis.

Group B**(6x8=48)**

9. How a ϵ - NFA can be converted into NFA and DFA? Explain with a suitable example.
10. Find the minimum state DFA equivalent to the following DFA.

State	0	1
$\rightarrow A$	B	C
B	B	D
C	E	D
D	E	D
*E	A	D

11. Show that a language L is accepted by some DFA if and only if L is accepted by s.
12. Define the language of PDA that accepts by Final State. Explain how a PDA accepting empty stack can be converted into a PDA by final state.
13. Explain about multi tape TM. Show that every language accepted by a multi-tape Turing Machine is also accepted by one tape Turing Machine.
14. Write short notes on:
 - a. Decidable Vs Un-decidable problems.
 - b. Unrestricted Grammar
 - c. NP-completeness
 - d. CNF-SAT Problem.

Tribhuvan University
Institute of Science and Technology
2067
☆

Bachelor Level/ Second Year/ Forth Semester/ Science
Computer Science and Information Technology (CSc. 251)
(Theory of Computation)

FM:80
PM:32

Attempt all the questions.

Group A

(8X4=32)

1. What is DFA? How it differ with a NFA? Explain.
2. Give the DFA for language of strings over $\{0, 1\}$ in which each strings end with 11.
3. For a regular expression $(a+b)^*baa$, construct ϵ -NFA.
4. Define the term parse tree, regular grammar, sequential form and ambiguous grammar.
5. Give the formal definition of NPDA. How it differs with DPDA? Explain.
6. Construct a Turning Machine that accepts a language of strings over (a, b) with each string of even length. Show how it accepts string **abab**.
7. Give the formal definition of Turning Machine. How it differs from PDA?
8. Explain about the Unrestricted Grammar.

Group B

(6x8=48)

9. Show that a language L is accepted by some DFA if and only if L is accepted by some NFA.
10. State and prove pumping lemma for regular language. Show by example how it can be used to prove a language is not a regular.
11. Define Context Free Grammar. Given the following CFG.

$$S \rightarrow 0AS \mid 0, A \rightarrow SIA \mid SS \mid 10$$

For the string 001001100, Give the left most and right most derivation and also construct a parse tree.

12. Define deterministic PDA. Design a PDA that accept a language $L = \{a^n b^n \mid n > 0\}$. You may accept either by empty stack or by final state.
13. Describe a Universal Turing Machine and its operations. What types of languages are accepted by Universal TM?
14. Explain about the Chomsky Hierarchy of the language.

Tribhuvan University
Institute of Science and Technology
2068
☆

Bachelor Level/ Second Year/ Forth Semester/ Science
Computer Science and Information Technology (CSc. 251)
(Theory of Computation)

FM:80
PM:32

Attempt all the questions.

Group A

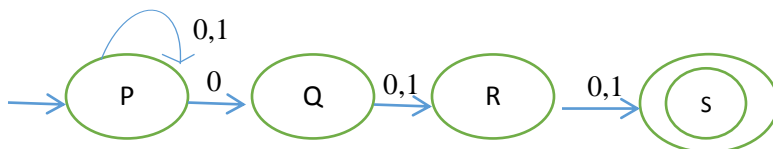
(8X4=32)

1. Define finite automata. Give the formal definition of deterministic finite automata with example.
2. Give the DFA for language of strings over {a,b} where no two consecutive a's occurred.
3. Show that language of palindrome over {a,b} is not a regular language.
4. What do you mean by a CNF grammar? Convert following grammar in CNF.
$$S \rightarrow AC|\epsilon, A \rightarrow aS|a, c \rightarrow BC|aC|b.$$
5. Define Deterministic Push Down Automata. How it differs with a Finite Automata.
6. Give formal definition of Turing Machine. Explain the roles of Turing Machine.
7. Construct a Turing machine that accepts the language of palindrome over {a,b}* with each strings of even length.
8. What is universal language? Explain.

Group B

(6X8=48)

9. Show that for any regular expression, there is a ϵ NFA that accepts the same language represented by r. Convert the regular expression $(a+b)(aa+ba)^* + ab(a+b)^* bba$ into ϵ NFA.
10. How a NFA can be converted into a DFA? Convert the following NFA into equivalent DFA.



11. Define CFG. Convert the following CFG into Chomsky Normal Form.
$$S \rightarrow |Sbb|aabb|Aa|Bb|$$
$$A \rightarrow Aa|a,$$
$$B \rightarrow Bb|b|\epsilon$$
12. Define the language of PDA that accepts by Final state. Explain, how a PDA accepting by empty stack can be converted into a PDA final state.
13. Explain about multi tape TM. Show that every language accepted by a multi-tape Turing Machine is also accepted by one tape Turing Machine.
14. Explain the following terms.
 - (a) Big Oh and Big Omega
 - (b) Class P and NP
 - (c) CNF SAT Problem
 - (d) Turing Decidable and Acceptable problems.

Tribhuvan University
Institute of Science and Technology
2069
☆

Bachelor Level/ Second Year/ Forth Semester/ Science
Computer Science and Information Technology (CSc. 251)
(Theory of Computation)

Full Marks: 80
Pass Marks: 32
Time: 3 hours

Candidates are required to give their answers in their own words as far as practicable.
The figures in the margin indicate full marks.

Attempt all the questions.

Group A

(8x4=32)

1. What do you mean by finite automata? Explain deterministic finite automata with example.
2. Explain the finite automata with Epsilon Transition.
3. Explain the closure properties of context free languages with example.
4. Differentiate between deterministic and non-deterministic PDA.
5. Explain the non-deterministic Turing machines with example.
6. Define the Turing machine. What are the roles of Turing machines?
7. What is a universal Turing machine?
8. Differentiate between class P and class NP.

Group B

(6x8=48)

9. Design a constructive method to prove that the complement of the language accepted by an NFA is accepted by a DFA.
10. What do you mean by regular expressions? Explain with example of pumping lemma for regular languages.
11. Define the non-deterministic finite automata (NFA) and write down recursive definition of for NFA and A.
12. Draw Turing machine to accept palindromes over {a, b}.
13. Give a detailed description of ambiguity in context free grammar.
14. Explain the following:
 - a) Minimization of finite state machine
 - b) Push down automata (PDA).
 - c) Halting problems
 - d) Computational complexity

Tribhuvan University
Institute of Science and Technology
2070
☆

Bachelor Level/ Second Year/ Forth Semester/ Science
Computer Science and Information Technology (CSc. 251)
(Theory of Computation)

Full Marks: 80
Pass Marks: 32
Time: 3 hours

Candidates are required to give their answers in their own words as far as practicable.
The figures in the margin indicate full marks.

Attempt all the questions.

Group A

(8x4=32)

1. Differentiate between deterministic and non-deterministic finite automata.
2. What do you mean by pumping lemma for regular languages?
3. Explain the non-deterministic PDA with example.
4. Define Turing Machines. Draw NFA - \wedge corresponding to following regular expression over $\Sigma = \{0,1\}$
 $010^* + 0(01+10)^* 11$
5. Explain about recursive enumerable and recursive language.
6. Explain the computational complexity with example.
7. Differentiate between class P and class NP.
8. Compare FA, NFA and NFA- \wedge with illustration.

Group B

(6x8=48)

9. Define finite automata and draw FA for the strings.
10. For the following regular expression draw an NFA - \wedge recognizing the corresponding languages.
 - i. $(00+1)^*(10)^*$
 - ii. 001^*0^*11
11. Define CFG. Prove the following CFG is ambiguous.
 $S \rightarrow S+S \mid S^*S \mid (S) \mid a$
Write the unambiguous CFG for the above grammar.
12. Draw Turing Machine (TM) to accept palindromes over $\{a, b\}$. (Even as well as odd Palindromes).
13. Prove that any regular language can be accepted by a finite automata with all details.
14. Explain the following:
 - a) Regular Grammar
 - b) Halting problem
 - c) Chomsky hierarchy
 - d) NP-complete Problem

Bachelor Level/ Second Year/ Forth Semester/ Science
Computer Science and Information Technology (CSc. 251)
(Theory of Computation)

Full Marks : 80
Pass Marks : 32
Time : 3 hours

Attempt all the questions :

Group A

(8x4=32)

- 1.) Explain the extended transition function of NFA.
- 2.) Construct a DFA that accepts all the strings of alphabet {a,b} having each strings with even number of 0's and even number of 1's.
- 3.) How can you convert an ϵ -NFA into equivalent DFA? Explain.
- 4.) What are the regular operators applied to the regular languages? Explain with example.
- 5.) Simplify the following regular expressions.
 - a.) $1^*+1^*0(\epsilon+0+1)^*\emptyset$
 - b.) $\epsilon+0+1+(\epsilon+0+1)(\epsilon+0+1)^*(\epsilon+0+1)$
- 6.) what do you mean by a CNF grammar? Convert the following grammar into CNF.
 $S \rightarrow abSb \mid aa$
- 7.) what are unrestricted grammar? How they differ with CFG? Explain.
- 8.) Define the term Class P and Class NP with example.

Group B

(6x8=48)

- 9.) What are the algebraic rules for regular expressions? Also show that if L, M, N are any regular language then show that $L(M \cup N) = L.M \cup L.N$.
- 10.) Prove that for any given NFA N accepting a language L there exists a DFA D such that $L(N) = L(D)$.
- 11.) Define regular grammar. Show with suitable example that the language described by regular grammar are accepted by a finite automata.
- 12.) What do you mean by the Chomsky Hierarchy in the formal language theory? Explain in detail.
- 13.) Construct a PDA that accepts a language of palindrome of even length from an alphabet {a,b}.
- 14.) Show that a Turing Machine with one tape and a Turing Machine with multiple tape are equivalent.

Tribhuvan University
Institute of Science and Technology
2072
☆

Bachelor Level/ Second Year/ Forth Semester/ Science
Computer Science and Information Technology (CSc. 251)
(Theory of Computation)

Full Marks: 80
Pass Marks: 32
Time: 3 hours

Candidates are required to give their answers in their own words as far as practicable.
The figures in the margin indicate full marks.

Attempt all the questions.

Group A

(8x4=32)

1. Define the term: Kleene closure, union, concatenation and power of an alphabet with example.
2. Construct a DFA that accepts only the strings **ab**, **abb** and **baa** not more from $\{a, b\}^*$.
3. Find the regular expression corresponding to the following languages over $\{0, 1\}^*$.
 - a) The language of all strings containing exactly two 0's.
 - b) The language of all strings containing **00** or **101** as substrings.
4. Construct the FA recognizing the language corresponding to the following regular expressions.
 - a) $(11 + 10)^*01$
 - b) $(111 + 100)^*10$
5. State the pumping lemma for regular language. Show by example, how can you use it to prove that a language is not regular.
6. Explain the method to convert a given CFG into equivalent PDA.
7. What do you mean by problem reduction? Also explain about NP-Completeness.
8. What is the role of a Turing machine? Explain.

Group B

(6x8=48)

9. What is finite automata? Describe its different variations with suitable examples.
10. Describe the method of subset construction to convert a given NFA into equivalent DFA with suitable example.
11. Give the formal definition of Push Down Automata. Construct a PDA accepting the language
$$L = \{0^n1^n \mid n > 0\}$$
12. Given the following grammar,
$$\begin{aligned} S &\rightarrow AAC \mid \\ A &\rightarrow aAb \mid ab \mid \epsilon \\ C &\rightarrow aC \mid a \mid \epsilon \end{aligned}$$
Simplify the grammar and convert it into equivalent grammar in CNF.
13. Define a Turing machine. Construct a Turing machine that accepts the languages
$$L = \{a^n b^n \mid n \geq 0\}$$
14. Write short notes on (**Any two**):
 - a) Unrestricted Grammar
 - b) Universal Turing Machine
 - c) CNF-SAT problem Complexity