

Problem Statement:

Recently Manu visited the byteland. He was amazed with lots of different varieties of bytes he encountered there. Seeing this, he thought of a problem: Given an integer n , find out total possible bit string (either 0 or 1) of length n which don't have two contiguous zeroes in them. For example if $n = 3$, then total possible bit strings are 5 {010, 011, 101, 110, 111}. Now Manu started solving the problem but got busy with some important deployments. He asked you for the help. Please help him figure out the solution.

Input Format:

First line of test case contains an integer t denoting the number of test cases.

In next t lines, each line contains an integer n , denoting the length of bit string.

Output Format:

For t test cases, output the total number of bit string possible. Since this number can be very large, output it modulo 10^9+7 .

Constraints:

$1 \leq t \leq 10^3$

$1 \leq n \leq 10^{15}$

Input Example:

2
2
3

Output Example:

3
5

Explanation:

For first test case ($n = 2$), the total possible bit strings are {01,10,11}. So answer is 3.

Second test case is same as provided in problem statement.

Subtask 1 (40 points):

$t = 1$

$1 \leq n \leq 10^4$

Subtask 2 (60 points):

original constraints