

Final__Take__Home

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1.

Null Hypothesis, H_0 : Number of misprints follow Poisson distribution. Alternate Hypothesis, H_1 : Number of misprints does not follow Poisson distribution.

```
observed=c(9,23,40,30,31,26,19,10,5,4,3)
#plot(0:10, observed, type="h")
```

```
num_obs=sum(observed)
total_misprints=sum((0:10)*observed)
ave=total_misprints/num_obs
expected=num_obs*dpois(0:20,ave)
data.frame(total_misprints=0:20,expected=round(expected,1))
```

##	total_misprints	expected
## 1	0	5.0
## 2	1	18.5
## 3	2	34.1
## 4	3	41.9
## 5	4	38.6
## 6	5	28.4
## 7	6	17.5
## 8	7	9.2
## 9	8	4.2
## 10	9	1.7
## 11	10	0.6
## 12	11	0.2
## 13	12	0.1
## 14	13	0.0
## 15	14	0.0
## 16	15	0.0
## 17	16	0.0
## 18	17	0.0
## 19	18	0.0
## 20	19	0.0
## 21	20	0.0

Since the expected count for 8 misprints is less than 5. Hence, we combine expected count for 8 and above.

```
#observed=c(9,23,40,30,31,26,19,10,5,7)
#expected=rep(NA,10)
#expected[1:9] = num_obs * dpois(0:8, ave)
#expected[10] = num_obs * (1 - ppois(8, ave))
#data.frame(total_misprints=0:9,expected=round(expected,1))
```

```
observed=c(9,23,40,30,31,26,19,10,12)
expected=rep(NA,9)
expected[1:8] = num_obs * dpois(0:7, ave)
expected[9] = num_obs * (1 - ppois(7, ave))
#data.frame(total_misprints=0:8,expected=round(expected,1))
```

```
G2 = 2 * sum(observed * log(observed/expected))
print(paste("Test Statistics of the likelihood test is",round(G2, 3)))
```

```
## [1] "Test Statistics of the likelihood test is 13.347"
```

```
lh_p=1 - pchisq(G2, df=7)
print(paste("pvalue of the likelihood test is",round(lh_p, 3)))
```

```
## [1] "pvalue of the likelihood test is 0.064"
```

Since pvalue from Likelihood test is greater than $\alpha = 0.05$, we fail to reject null hypothesis because we have insufficient evidence to conclude that the number of misprints does not follow Poisson distribution.

```
X2 = sum((observed - expected)^2/expected)
p_p=1 - pchisq(X2, df=7)

print(paste("Test Statistics of the Pearson test is",round(X2, 3)))
```

```
## [1] "Test Statistics of the Pearson test is 14.292"
```

```
print(paste("pvalue of the Pearson test is",round(p_p, 3)))
```

```
## [1] "pvalue of the Pearson test is 0.046"
```

Since pvalue from Pearson test is less than $\alpha = 0.05$, we reject null hypothesis because we have sufficient evidence to conclude that the number of misprints does not follow Poisson distribution.

2.

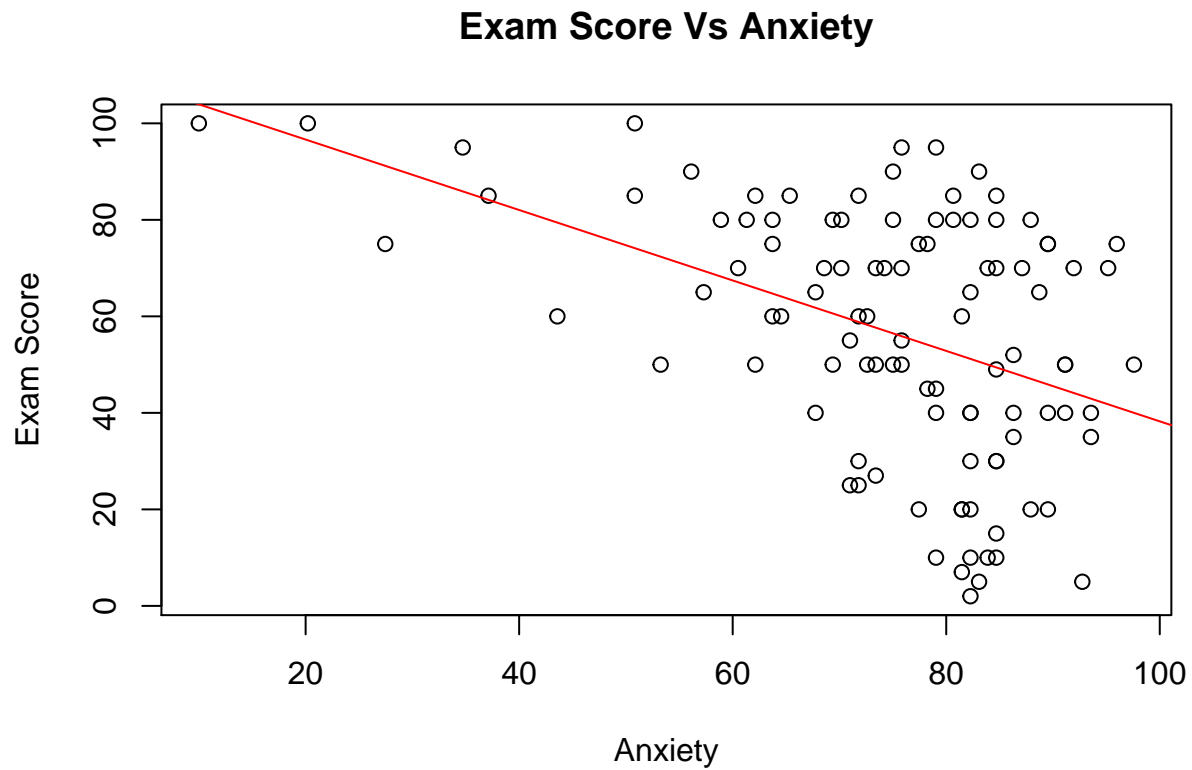
```
examanxiety=read.table("examanxiety.txt",header=T)
#View(examanxiety)
```

a)

```
x=examanxiety$Anxiety
y=examanxiety$Exam
r = cor(x, y)
b = r * sd(y) / sd(x)
a = mean(y) - b * mean(x)
#print(c(a,b))
yhat = a + b*(x)
print(paste("The regression line is given by, yhat =",round(a,3),"+", "(",round(b,3),")", "* x", " which is in the form y_hat= in
```

```
## [1] "The regression line is given by, yhat = 111.244 + ( -0.73 ) * x  which is in the form y_hat= in
```

```
plot(x,y,main='Exam Score Vs Anxiety',xlab='Anxiety',ylab='Exam Score')
abline(a,b,col='red')
```



b)

Interpretation of Intercept: When anxiety score is zero, then the predicted or mean exam score is 111.24.

Interpretation of Slope: When anxiety score increases by one unit, the predicted or mean exam score decreases by the factor of slope i.e, 0.73.

Interpretation of \hat{y} : \hat{y} is the regression line which represents the predicted exam score for a given anxiety score.