# **WORKSHEET 2**

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Section/Group: KRG IOT-1-A Semester: 6<sup>th</sup> Semester

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Subject Name: Computer Graphics with Lab Subject Code: 22CSH-352

<u>Aim</u>: Implement and compare the performance of Simple DDA, Symmetrical DDA, and Bresenham's algorithm for positive and negative line slope.

<u>Objective:</u> To implement and compare the performance of Simple Digital Differential Analyzer (DDA), Symmetrical DDA, and Bresenham's line-drawing algorithms for rendering lines with positive and negative slopes, analyzing their computational efficiency, accuracy, and suitability for different scenarios in computer graphics.

# Algorithm:

## **Calculate Differences:**

- dx = x2 x1
- dy = y2 y1

#### **Determine the number of steps:**

- steps = max(abs(dx), abs(dy)) Calculate the increments:
- xInc = dx / steps (For Simple DDA)
- yInc = dy / steps (For Simple DDA)

### **Set the initial points:**

- x = x1
- y = y1

#### **Error Handling** (Symmetrical DDA):

error = 0.5 (Error term to handle precision issues)

## Main Loop (Bresenham-like): □

While steps > 0:

- Plot the point (round(x), round(y)) o If abs(dx) > abs(dy) (Line has a shallower slope):
  - Increment x by xInc I Update error = error + dy
  - If error >= 0.5, increment y by yInc and reset
    error: error = error
  - Else (Line has a steeper slope):
    - □ Increment y by yInc □ Update error = error + dx
    - □ If error >= 0.5, increment x by xInc and reset

error: error = error -1 o Decrease steps

Handle Negative Slopes (Symmetrical DDA-like adjustment):

 If dy < 0, reverse the direction and handle accordingly by updating the increments (i.e., yInc = -yInc).

**Repeat** until the last point (x2, y2) is reached.

# **Implementation/Code:**

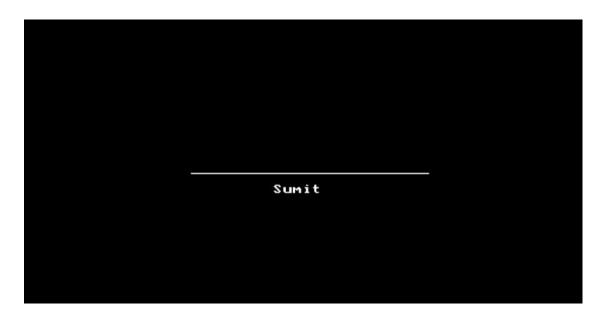
```
#include <iostream.h>
#include <graphics.h>
#include <conio.h>
#include <math.h>
#include <dos.h> // For delay()
\#define round(a) ((int)(a + 0.5))
void dda line(int x1, int y1, int x2, int y2) {
int dx = x2 - x1; int dy = y2 - y1;
  int length;
  if (abs(dy) > abs(dx))
length = abs(dy); else
    length = abs(dx);
  float xinc = dx / (float)length;
  float yinc = dy / (float)length;
float x = x1, y = y1;
  // Draw the initial pixel
  putpixel(round(x), round(y), WHITE);
  // Draw subsequent pixels using the DDA algorithm
for (int k = 1; k \le length; k++) { x += xinc;
             putpixel(round(x), round(y), WHITE);
delay(50); // Delay in milliseconds
  }
int midX = (x1 + x2) / 2; int midY =
y1;
  // Display name "Tanmaya" centered below the line setcolor(WHITE);
  outtextxy(midX - 30, midY + 10, "Tanmaya"); // Adjust text alignment for Turbo C++ }
void main() {
int x1, x2, y1, y2;
  int gd = DETECT, gm;
cout << "Enter the x-coordinate of the starting point: ";</pre>
cin >> x1;
  cout << "Enter the y-coordinate of the line: ";
cin >> y1;
```

```
cout << "Enter the x-coordinate of the ending point: ";
cin >> x2;

y2 = y1; // Keep y2 same as y1 for a horizontal line
initgraph(&gd, &gm, "C:\\TURBOC3\\BGI");
dda_line(x1, y1, x2, y2);

getch();
closegraph();
}
```

# **Output:**



# **Learning Outcomes**

- 1. **Line Drawing Concepts**: Understand the working of DDA and Bresenham's algorithms for line drawing.
- 2. **Performance Comparison**: Analyze and compare the efficiency of Simple DDA, Symmetrical DDA, and Bresenham's algorithms.
- 3. **Error Handling**: Learn how error terms are managed in graphics algorithms to minimize visual imperfections.
- 4. **Optimization**: Explore the efficiency of integer-based algorithms (like Bresenham's) vs. floating-point methods (like DDA).
- 5. **Coding and Debugging**: Improve coding and debugging skills through algorithm implementation and testing.