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Answer 2 :-

(2.1) $S_0 = 1$, $S_1 = 0$, $S_2 = 0$

first process P0 executed

wait(S_0) \rightarrow decrease value of $S_0 \Rightarrow S_0 = 0$

print '0' \rightarrow 1st time

signal(S_1) \rightarrow increase $S_1 = 1$

signal(S_2) \rightarrow increase $S_2 = 1$

now process P1, wait(S_1) \rightarrow decrease S_1 to 0
signal(S_0) \rightarrow increase S_0 to 1

now again process P0 executed

& print '0' \rightarrow 2nd time

now process P2

wait(S_2) \rightarrow decrease S_2 to 0

signal(S_0) \rightarrow increase S_0 to 1

again process P0 executed as $S_0 = 1$

so again print '0' \rightarrow 3rd times.

\therefore Process P0 print '0' \Rightarrow 3 times.

(2.2) $n = 0$
 $S = 1$

The 2 processes may land up in deadlock.
Consider a case, when consumer performs the wait(S)
first and then is waiting on wait(n) as the
buffer is empty. Now the producer process

Starts and tries wait(S), and also gets blocked.
Both the processes shall be waiting indefinitely
resulting in deadlock.

(2.3) ~~One way~~ ¹
we have to ensure no deadlock occurs. so for
that consider this situation:-
for both the processes, entry section will be

wait(SX); wait(SY); or
wait(SY); wait(SX); both in the same order.

Also for the exit section, for both the processes
will be signal(SX); and signal(SY);

in any order.

ie; for process P1:

while (true) do {

wait(SX);
wait(SY);

} entry section

X = X + 10;

Y = Y - 20;

signal(SX);

signal(SY);

} exit section.

}

same for process P2.

Ans:-
(3.2) 4 processes, 5 allocated resources :-

	Allocated	Maximum	Remaining	order of execution
Process A:	1 0 2 1 1	1 1 2 1 3	0 1 0 0 2	
Process B:	2 0 1 1 0	2 2 2 1 0	0 2 1 0 0	(iii)
Process C:	1 1 0 1 0	2 1 3 1 0	1 0 3 0 0	(ii)
Process D:	1 1 1 1 0	1 1 2 2 1	0 0 1 1 1	(i)

first we calculate remaining for all processes i.e.,
(maximum - allocated)

now available : 0 0 x 1 1

it only satisfy process D & $x \geq 1$

now process D terminate & now available resources are

1 1 (1+x) 2 1

it only satisfy process C & $1+x \geq 3$

now process C terminate & now available resources are

2 2 (1+x) 3 1

it only satisfy process B & $1+x \geq 1$ which is already satisfied as above.

now process B terminate & now available resources are

4 2 (2+x) 4 1

it will execute process A as 5th resources must be ≥ 2 but here it is only 1

So, deadlock is always there irrespective of any value of x.

\therefore for safe state, no value of x exists.

(3.3) $\therefore n$ processes &
 m resources units

$$\therefore \sum_{i=1}^n \text{Max}_i < m+n \quad \text{---(i)}$$

also, $\text{Max}_i \geq 1$ for all i --- (ii)

because, $\text{need}_i = \text{max}_i - \text{allocation}_i$

if there exist a deadlock state then.

$$\sum_{i=1}^n \text{allocation}_i = m \quad \text{---(iii)}$$

using (i) we get,

$$\sum \text{need}_i + \sum \text{allocation}_i = \sum \text{max}_i < m+n$$

now, using (iii) we get,

$$\sum \text{need}_i + m < m+n$$

$$\Rightarrow \sum \text{need}_i < n$$

this ~~that~~ means that there exists a process P_i such that $\text{need}_i = 0$. Since, $\text{max}_i \geq 1$ it follows that P_i

has atleast one resource that it can release

Hence, system cannot be in deadlock state.

Ans:-
~~(1.1)~~

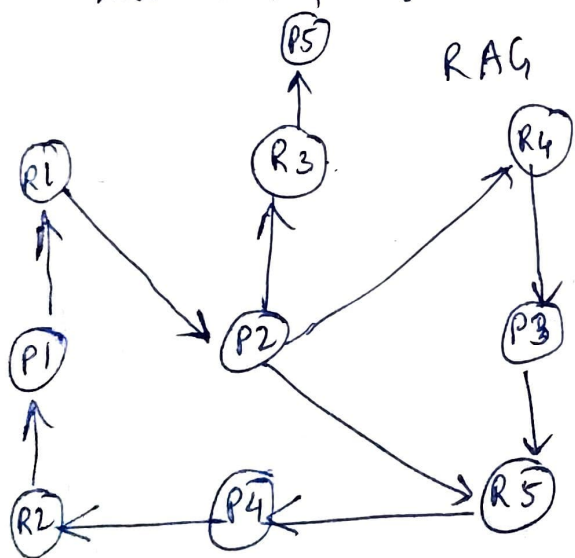
(3.1) for single instance, we use resource-allocation graph.
 we periodically run deadlock detection algorithm
 & if ~~det~~ deadlock detected, we use recovery scheme.

we maintain a wait-for graph
 where nodes are processes.

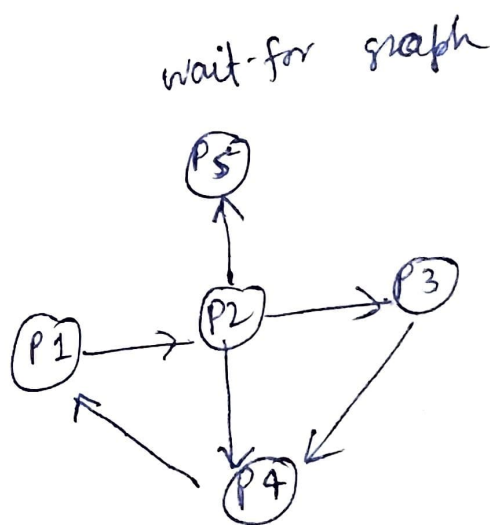
& $P_i \rightarrow P_j$ if P_i is waiting for P_j

& wait-for graph can be derived from resource allocation graph.

iii, consider eg. for converting resource allocation graph into wait-for graph



\Rightarrow



for deadlock detection:-

\rightarrow Periodically invoke an algorithm that searches for

a cycle in wait-for graph

\rightarrow if there is a cycle, there exists a deadlock.

Also, detecting a cycle in a graph requires $O(n^2)$ operations,
 where n is no. of vertices in graph i.e. processes.

④

4.1

$$P_1, P_2, P_3$$

$P_1: var = var - 15$

$p_2: \text{var} = \text{var} + 25$

P3 : var = var * 3

for maximum :-

order: P2, P3, P1

value = 390

for minimum :-

order: P1, P3, P2

value = 310

4.2

S_1, S_2, S_3

(a)

162 162 162 162 16 \rightarrow

answer

$$s_2 = 1$$
$$S_1 = 0$$
$$S_3 = 0$$

Yes, given strings
are possible.

$s_2 = 1, \uparrow$
1 6 2

$s_1 = \uparrow$ $s_3 \uparrow$

$S3 = 0$.

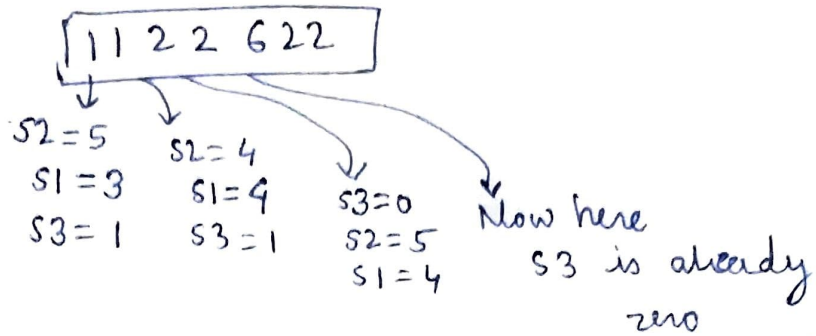
first Thread 3 implement decrease $S2$ to 0 & print 1
& increase $S1$ to 1. Now, Thread 2 here decrease
increase $S3$ to 1.

& increase S1 to 1.
S1 to 0 & print 6 and increase S3 to 1.
Now, Thread 1 here decrease S3 to 0 print 2
& increase S2 to 1.
every time print 162 162--

increase S2 to 1.
Now, same iteration every time point 162 162--

(b) $s_1 = 2$
 $s_2 = 6$

$s_3 = 1$



So this is not possible.

first thread 3 \rightarrow thread 3 \rightarrow thread 1 \rightarrow not possible
 (print 1) (print 1) (print 2) as $s_3 = 0$.

Q1.1 (1.1)

(v) ab
 (vi) ba

because preemption occurs in the process

(1.2) (v) ab
 (vi) ba

because pthread-t thread will preempt

(1.3) (v) ab
 (vi) ba

because pthread-t will preempt.

(1.4) (v) ab
 (vi) ba

because pthread will preempt.