

# Points to Remember

- If numerator  $>$  denominator, the answer will be greater than 1.
- If numerator  $<$  denominator, the answer will be less than 1.

**Example :  $8/7$  will be greater than  $7/8$**

**This is because,**

**$8/7 > 1$  , where  $7/8 < 1$ .**

- If Column A is  $5\sqrt{25}$  and Column B is  $\sqrt{620}$

How to find this, its simple (square the values)

Column A	Column B
$(5^2)(25)$	620
625	620

Therefore, column A is greater.

- **X% of Y is equal to Y% of X**

**For example :**

**→ 20% of 5 is equal to 5% of 20**

**→ 122% of 15 = 15% of 122**

**→  $16\frac{2}{3}$  % of 40 = 40% of  $16\frac{2}{3}$**

Find the S.D for 1 ,1, 1, 1 ..... or a series of same numbers.

**S.D for a series of same numbers is “Zero”.**

This is because, there is no deviation between numbers.

- For example : If Column A is  $\frac{1}{2} + \frac{5}{3} + \frac{21}{5} + \frac{1}{8}$  and  
Column B is  $\frac{21}{5} + \frac{1}{3} + \frac{1}{8}$

Instead of taking L.C.M and solving

First look at the numbers and find whether column A and  
Column B have same numbers.

If yes eliminate those numbers.

Then, Column A	Column B
$\frac{1}{2} + \frac{5}{3}$	$\frac{1}{3}$

Now its simpler to solve

**If  $n$  is a positive integer, then**

$$\mathbf{n^{(n+1)} > (n+1)^n, \text{ for } n > 3}$$

**For Example : Column A  $\rightarrow 18^{17}/17^{18}$**

**Column B  $\rightarrow 17^{18}/18^{17}$**

column A	Column B
$18^{17}/17^{18}$	$17^{18} / 18^{17}$
Numerator < Denominator	Numerator > Denominator
Hence $18^{17}/17^{18} < 1$	Hence $17^{18} / 18^{17} > 1$

**Hence B is the choice.**



# Important Formulae

1.  $(x + y)^2 = x^2 + 2xy + y^2$

2.  $(x - y)^2 = x^2 - 2xy + y^2$

3.  $(x + y)^3 = x^3 + 3x^2y + 3xy^2 + y^3$

4.  $(x - y)^3 = x^3 - 3x^2y + 3xy^2 - y^3$

5.  $x^2 - y^2 = (x + y)(x - y)$

6.  $x^3 - y^3 = (x - y)(x^2 + xy + y^2)$

7.  $x^3 + y^3 = (x + y)(x^2 - xy + y^2)$

# Points to remember

- If a quadratic equation is given in the question,  
say  $ax^2+bx+c=0$   
and the option given is  $(px-r_1)(qx-r_2)$

Then, check if  $a = (pq)$  ,  $b = (qr_1 + pr_2)$  and  $c = (r_1r_2)$

**Note 1 : consider sign for  $r_1, r_2$  and  $r_3$**

- Likewise for a cubic equation

$$ax^3 - bx^2 + cx - d = 0 ,$$

the option given is  $(px-r_1)(qx-r_2)(sx-r_3)$

Then, check if  $a = ( pqs )$  ,  $b = ( qsr_1 + psr_2 + pqr_3 )$  ,  $d = ( r_1r_2r_3 )$

**Note 1 : consider sign for  $r_1, r_2$  and  $r_3$**

**Example 1** :  $12x^2 + 2x - 2$

Options (i)  $(4x - 2)(3x+1)$

(ii)  $(4x + 2)(3x-1)$

(iii)  $(12x - 3)(x+1)$

(iv)  $(4x - 1)(3x+1)$

**Solution :**

$a = 12$  ,  $b = 2$  ,  $c = -2$

First lets find, which options will give us the value of c, when their constants are multiplied.(  $c = -2$  )

option (i) it is  $(-2)(+1) = -2$  ; option (ii) it is  $(+2)(-1) = -2$

option (iii) it is  $(-3)(+1) = -3$  ; option (iv) it is  $(-1)(+1) = -1$

**From this we can eliminate , option (iii) and option (iv)**

Now let's find, which option satisfies the value of  $a$  ( $a = 12$ )

$$a = (pq)$$

$$\text{Option 1 : } a = (4)(3) = 12$$

$$\text{Option 2 : } a = (4)(3) = 12$$

Here, we cannot eliminate any option because both the options satisfy the condition.

Let's check, for the value of  $b$  ( $b = 2$ )

$$b = (qr_1 + pr_2)$$

$$\text{Option 1 : } b = [(3)(-2) + (4)(1)] = -6 + 4 = -2$$

$$\text{Option 2 : } b = [(3)(2) + (4)(-1)] = 6 - 4 = 2$$

Therefore option 1 is eliminated.

**Hence, answer is option 2**

**Example 2** :  $x^3 + 6x^2 + 11x + 6$

option (i)  $(x+1)(x+2)(x+3)$

(ii)  $(2x+3)(x+3)^2$

(iii)  $(x-1)(x-2)(x+3)$

(iv)  $(x-1)(x-2)(x-3)$

**Solution** : Product of the constants must be equal to +6

option (i) it is +6 ; option (ii) it is +27 ; option (iii) it is +6

option (iv) it is -6

**Hence we can eliminate option (ii) and option (iv)**

Now lets check for  $b = (qsr_1 + psr_2 + pqr_3)$

$b$  must be equal to  $+6$

Option 1 :  $b = +6$

Option 2 :  $b = 0$

**Hence, eliminating the option (iii), the answer for this question is option (i)**

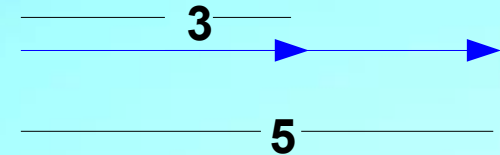
- **Given one triangle whose arms are 3 and 5. If its angles are less than 90, then find the range of other arm?**



**Solution:**

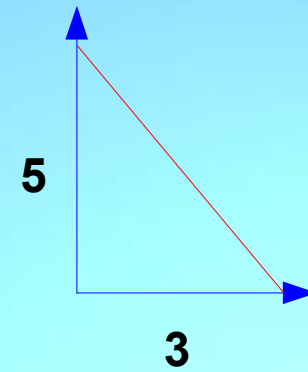
If  $\theta$  is the angle between the sides of length 3 and 5.

The range of  $\theta$  is  $0^\circ - 90^\circ$



If the angle the two arms is  $0^\circ$ , then the length of the third arm is  $(5 - 3) = 2$ .

If the angle the two arms is  $90^\circ$ ,  
then the length of the third arm  
(by hypotenuse theorem) is  $\sqrt{5^2 + 3^2} = \sqrt{34}$



If the angle is  $90^\circ$

Hence the range of third side is 2 to  $\sqrt{34}$ .