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TUNING GEORGE FREDERICK HANDEL'S WELL TEMPERAMENT IN THE THEORETICALLY CORRECT MANNER

Like Rousseau, Handel transposed the original William Holder bearing plan up one octave so that control over the many gradations of fifths would be easier. The fifths then beat twice as fast, but so did the thirds and sixths. However, the thirds and sixths were not listened to for their beats. The original Handel bearing plan was created for efficient melodic tempering. Tuning by beats in a theoretically correct manner is a very different technique, so there is no purpose in adhering to the original Handel bearing plan and high pitch. The following instructions therefore utilize a modern condensed bearing plan at a lower pitch that is most efficient for twentieth-century professional tuners who can obtain a high degree of accuracy. This is the best way to imitate the sound that Handel must have had.

Fifths can be inverted to become fourths, and that is how the bearing plan can be condensed. A lower complimentary fourth beats the same speed as an upper complimentary fifth when the octave is in just intonation. This advantage was not applied in the eighteenth century. Very few tuners tuned or tempered fourths because they were considered to be too difficult. Understanding that the beat frequencies of fourths represent the beat frequencies of the upper fifths, one can see in the following bearing plan that the beat frequencies do correspond to Handel's descriptive instructions. The major third EG-sharp beats like a "fine" third, even finer than CE. If Handel had used this bearing plan, we would have been convinced that he tempered by beats rather than by listening melodically.

The beat frequencies in the following instructions were calculated for use with a C tuning fork at standard pitch, the C equivalent of A=440 Hz. If a lower pitch is used, reduce the beat frequencies proportionately. For examples of beat frequencies, multiply the given numbers by 60 and listen to them on the metronome.

Tune the following quarter notes in the order written.

Tune C-sol-ut to pitch.

Test interval
(Figures denote
beats per second)

2.1

Tuned before

7.1

7.9

Tuned before

Flatten

Sharpen

Flatten

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Tuned before

The same beat speeds as in equal temperament

1.3 1.0 0.7 8.5 7.9 7.1

Decrescendos denote decreasing beat frequencies.

Temper A from both D and E so that the fourth A D is wide and beats exactly 33.5% faster than the narrow fifth A E.

Check for an even decrease in beat speeds.

Tuned before

2.1 1.3 1.0 0.7 2.1 1.6 1.3

Flatten

Tuned before

Equal beating

7.1 6.3 0.7 0.7 0.8 1.0

Tune just

First system of the temperament. The staff shows notes with the following beatings: 7.9, 0.0, and 1.6. The first two notes are grouped under the label "Equal beating". The third note is labeled "Tuned before". The fourth note is labeled "Flatten".

Second system of the temperament. The staff shows notes with the following beatings: 2.1, 1.6, 1.3, 7.9, 8.3, 8.5, and 1.6. The seventh note is labeled "Tuned before". The eighth note is labeled "Flatten".

Third system of the temperament. The staff shows notes with the following beatings: 0.6, 0.7, 6.2, 7.9, 6.2, 6.3, 7.1, and 7.1. The first note is labeled "The same as in equal temperament". The last two notes are grouped under the label "Equal beating".

Fourth system of the temperament. The staff shows notes with the following beatings: 0.3, 0.6, 5.2, 6.3, 6.1, and 7.9. The first note is labeled "Tuned before". The second note is labeled "Almost just". The third note is labeled "Sharpen".

Tuned before

0.4 0.3 10.0 7.5 7.1

Sharpen

Tuned before

10.1 8.5 0.6 0.5 0.4

Sharpen

Tuned before

11.3 10.0 10.5 7.9 0.0 0.0

Sharpen

Tune or equalize G# from both C# and D#. The fifth G# D# and the fourth G# C# should be just. However, if they are only reasonably pure, they should be considered acceptable.

5.2 6.2 6.3 10.0 11.2 11.3 11.8 11.3

Check the following intervals as a final test within the E to E octave.

Narrow fifths and wide fourths

Wide major thirds

Wide major sixths

Narrow minor thirds

Table 47-1: The Differences in Cents Between the Notes of the Theoretically Correct Handel Well Temperament and Equal Temperament.

Equal Temperament	Theoretical Handel	Rounded Figures
A	zero difference	0 cents
G-sharp	minus 0.54740	-1
G	plus 1.72040	+2
F-sharp	minus 2.58060	-3
F	plus 3.44080	+3
E	plus 0.07820	0
E-flat	plus 1.40760	+1
D	minus 0.07820	0
C-sharp	minus 2.50240	-3
C	plus 4.45740	+4
B	minus 0.78200	-1
B-flat	plus 2.42420	+2

Compare this table with Tables 22-1, 25-1, 27-1, 40-1, and 41-1.