

# PRESENTATION TITLE

---

Author

Date

Paper available at <https://github.com/pmichailat/latex-presentation>

## A BASIC TEXT SLIDE

- lorem ipsum dolor sit amet
- consectetur adipiscing elit
- sed do eiusmod tempor incididunt
  - ut labore et dolore magna aliqua
  - ut enim ad minim veniam
- quis nostrud exercitation ullamco laboris nisi ut aliquip ex ea commodo consequat
- duis aute irure dolor in reprehenderit in voluptate velit esse cillum dolore eu fugiat nulla pariatur

## A TEXT SLIDE WITH ALERTS

1. sed do eiusmod tempor incididunt
  - ut labore et dolore magna aliqua
  - ut enim ad minim veniam
2. ut enim **ad minim veniam**
3. quis nostrud exercitation ullamco laboris nisi ut aliquip ex ea commodo consequat

## A TEXT SLIDE WITH ALERTS

1. sed do eiusmod tempor incididunt
  - ut labore et dolore magna aliqua
  - ut enim ad minim veniam
2. ut enim ad minim veniam
3. quis nostrud exercitation ullamco laboris nisi ut aliquip ex ea commodo consequat

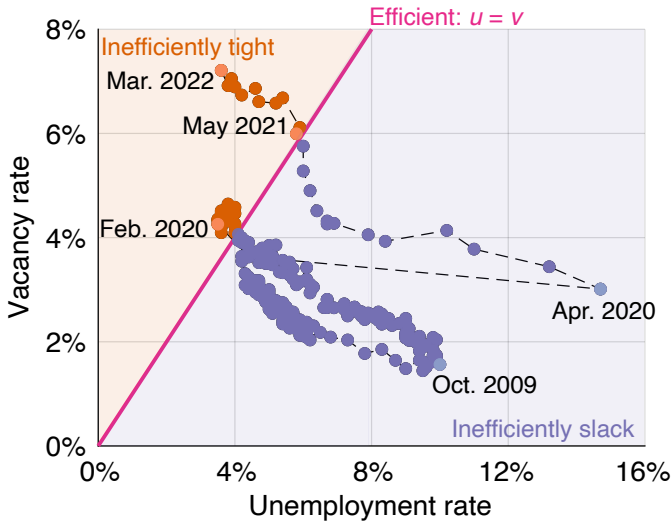
## A TEXT SLIDE WITH SYMBOLS

1. sed do eiusmod tempor  $\Rightarrow$  incididunt
2. ut labore et dolore  $\rightsquigarrow$  magna aliqua
3. ut enim ad minim veniam when prices  $\uparrow$
4. ut enim ad minim veniam when prices  $\downarrow$
5. now prices  $\rightarrow$
6. quis nostrud exercitation laboris nisi ut aliquip  $\rightsquigarrow$  ex ea  
commodo consequat
7. URL appear as follows:  
<https://github.com/pmichaillat/latex-presentation>

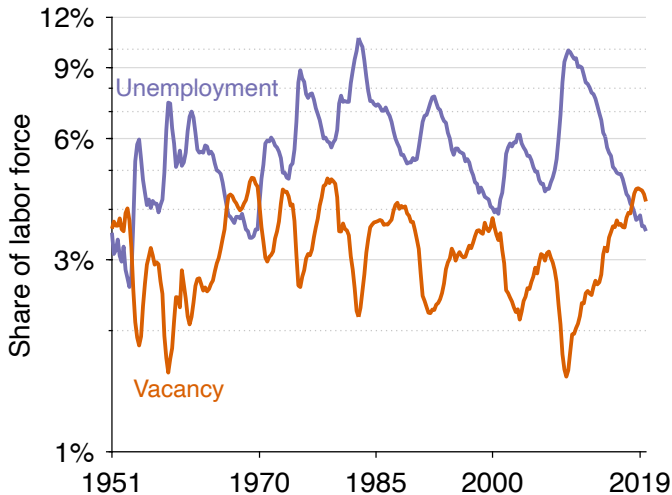
## A NEW SECTION

---

## A SLIDE WITH A GRAPH

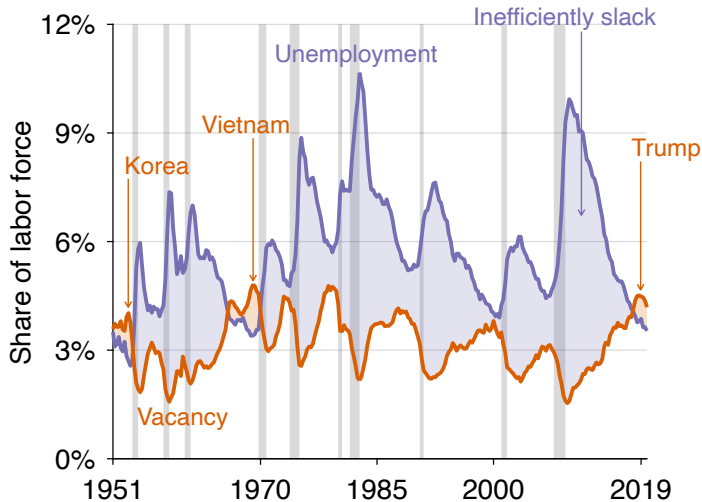


# SEVERAL GRAPHS (USE TITLE AS CAPTION)

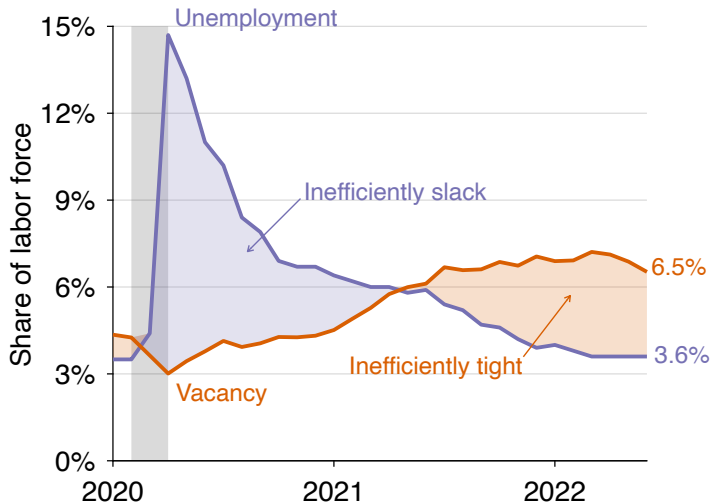




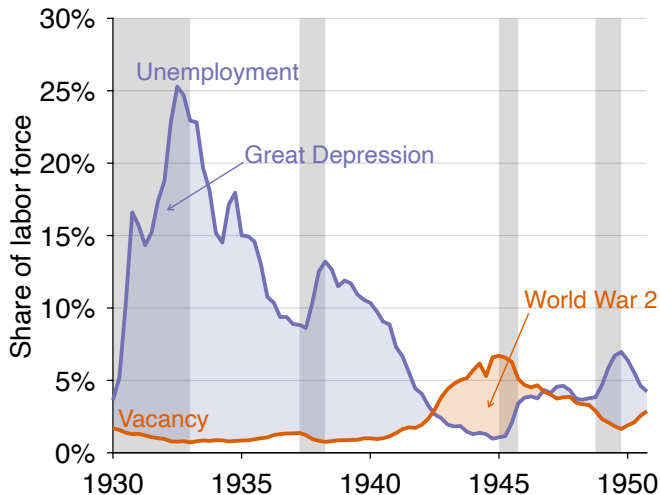
# SEVERAL GRAPHS



# SEVERAL GRAPHS



# SEVERAL GRAPHS



## A SLIDE WITH MATH

- self-employed household  $j \in \mathbb{R}$  maximizes utility

$$\int_0^{\infty} e^{-\delta t} \ln(c_j(t)) + \mathcal{U}(b_j(t) - \mathcal{B}(t)) - \frac{\zeta}{2} h_j(t) - \frac{\gamma}{2} \pi_j(t)^2 dt$$

- consumption index:  $c_j(t) = \int_0^1 c_{jk}(t)^{(\epsilon-1)/\epsilon} dk$
  - aggregate wealth:  $\mathcal{B}(t) = \int_0^1 [b_j(t)]^\sigma dj$
  - inflation:  $\pi_j(t) = \dot{p}_j(t) / p_j(t)$
- subject to budget constraint:

$$\dot{b}_j(t) = i(t)b_j(t) + p_j(t)y_j(t) - \int_0^1 p_k(t)c_{jk}(t) dk$$

## ANOTHER SECTION

---

# A SLIDE WITH A TABLE AND ALERTS AND A LONG TITLE (USE TITLE AS CAPTION)

|                  | $m < 0$            | $m = 0$           | $m > 0$                      |
|------------------|--------------------|-------------------|------------------------------|
| $u > u^*$        | $g/c < (g/c)^*$    | $g/c = (g/c)^*$   | $g/c > (g/c)^*$              |
| $u = u^*$        | $g/c = (g/c)^*$    | $g/c = (g/c)^*$   | $g/c = (g/c)^*$              |
| $u < u^*$        | $g/c > (g/c)^*$    | $g/c = (g/c)^*$   | $g/c < (g/c)^*$              |
| $\alpha = \beta$ | $\phi \approx \mu$ | $\omega < \theta$ | $\mathbb{Q}$ or $\mathbb{N}$ |

# A SLIDE WITH A TABLE AND ALERTS AND A LONG TITLE (USE TITLE AS CAPTION)

|                  | $m < 0$            | $m = 0$           | $m > 0$                      |
|------------------|--------------------|-------------------|------------------------------|
| $u > u^*$        | $g/c < (g/c)^*$    | $g/c = (g/c)^*$   | $g/c > (g/c)^*$              |
| $u = u^*$        | $g/c = (g/c)^*$    | $g/c = (g/c)^*$   | $g/c = (g/c)^*$              |
| $u < u^*$        | $g/c > (g/c)^*$    | $g/c = (g/c)^*$   | $g/c < (g/c)^*$              |
| $\alpha = \beta$ | $\phi \approx \mu$ | $\omega < \theta$ | $\mathbb{Q}$ or $\mathbb{N}$ |

# A SLIDE WITH A TABLE AND ALERTS AND A LONG TITLE (USE TITLE AS CAPTION)

|                  | $m < 0$            | $m = 0$           | $m > 0$                      |
|------------------|--------------------|-------------------|------------------------------|
| $u > u^*$        | $g/c < (g/c)^*$    | $g/c = (g/c)^*$   | $g/c > (g/c)^*$              |
| $u = u^*$        | $g/c = (g/c)^*$    | $g/c = (g/c)^*$   | $g/c = (g/c)^*$              |
| $u < u^*$        | $g/c > (g/c)^*$    | $g/c = (g/c)^*$   | $g/c < (g/c)^*$              |
| $\alpha = \beta$ | $\phi \approx \mu$ | $\omega < \theta$ | $\mathbb{Q}$ or $\mathbb{N}$ |



