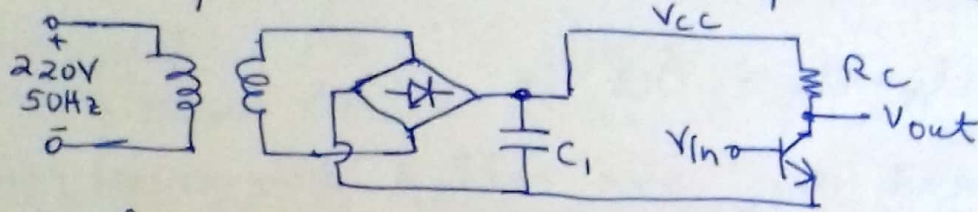


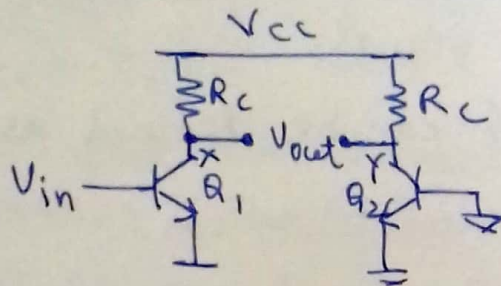
DIFFERENTIAL AMPLIFIER

(1)

* Recall the rectifier circuit studied in "Introduction to Electronics". If that circuit powers a CE amplifier as shown below, then the 50Hz power-supply hum would show up in the output.



* What if we do the following:-



$$V_x = A_v V_{in} + V_y$$

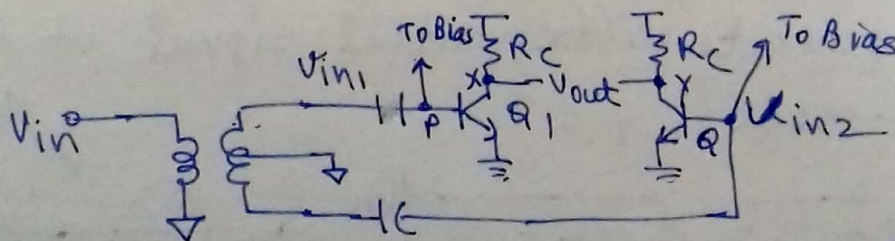
$$V_y = V_y$$

where, V_y is the power supply ripple.

The noise on V_{cc} , which is the power supply hum would get cancelled out, giving us a clean output voltage.

Thus, $V_x - V_y = V_{out} = A_v V_{in}$.

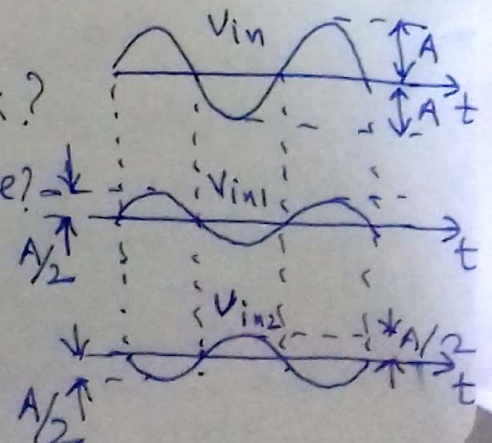
* Instead of grounding the base of Q_2 above (Keep in mind AC ground) can we do something different. What if we do the following,



How do V_{in1} and V_{in2} look?

$\Rightarrow V_{in1}$ and V_{in2} are out-of-phase?

\Rightarrow Amplitude of V_{in1} and V_{in2} are same but half of amplitude of V_{in} .



②

Thus, $u_{in} = -u_{in2}$ and

$$u_x = A_u u_{in1} + u_r$$

$$u_y = -A_u u_{in2} + u_r$$

$$\Rightarrow u_x - u_y = A_u u_{in} \quad \therefore |u_{in1}| = |u_{in2}| = \left| \frac{u_{in}}{2} \right|$$

* u_{in1} and u_{in2} are called differential signal and the transformer generates differential signal from single-ended signal.

* A differential signal can be defined as follows:-

$$V_1 = V_0 \sin(\omega t) + V_{cm}$$

$$V_2 = -V_0 \sin(\omega t) + V_{cm}$$

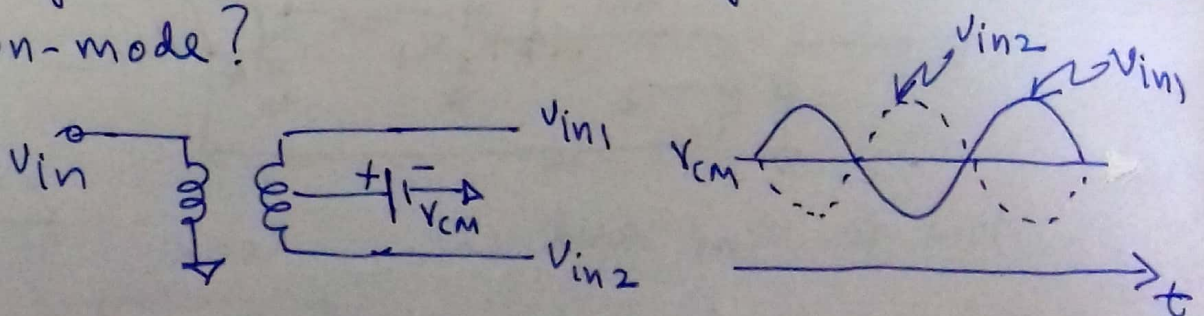
where, V_1 and V_2 are differential signal

V_0 is the amplitude of V_1 and V_2

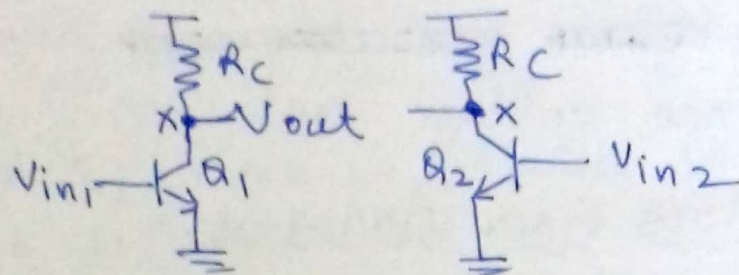
V_{cm} is the DC level over which the AC signal rides and is therefore called common-mode (CM)

* $(V_1 - V_2)$ has a total peak-to-peak differential swing of $4V_0$.

* How to generate differential signal of different common-mode?



* Pseudo-Differential Amplifier:-

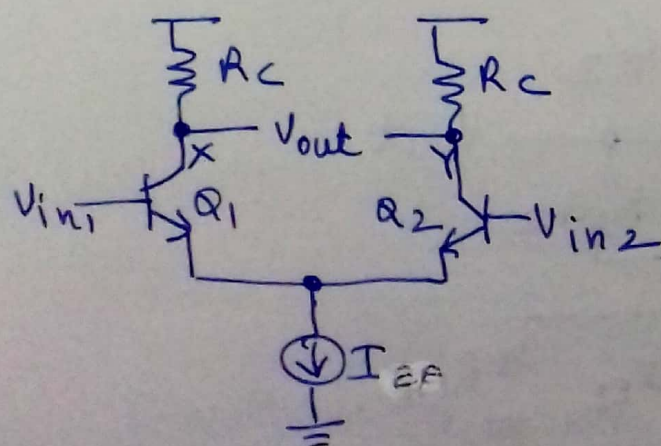
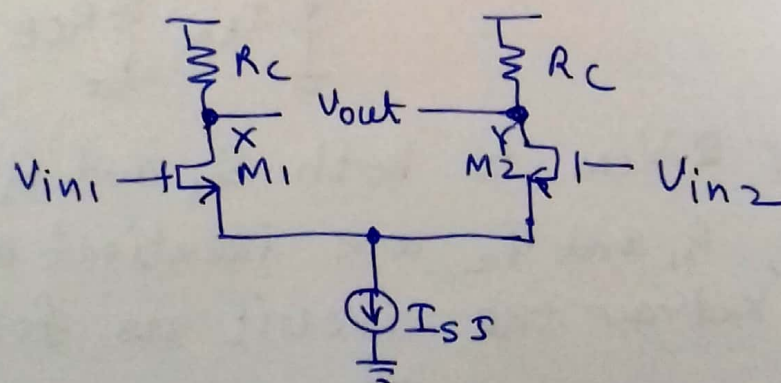


→ Here input CM is approx. $0.7V = V_{be,on}$.

→ If I_C is the bias current flowing through Q_1 and Q_2 then output CM is $V_{CC} - I_C R_C$.

→ If input CM changes by $20mV$ then bias current changes by 2.2 times and output CM changes to $(V_{CC} - 2.2 I_C R_C) \Rightarrow$ a drastic change as it would compromise the output voltage swing. Why?? Recall swing limitations in CE and CS amplifier.

* How DO YOU MAKE THE OUTPUT CM INSENSITIVE TO INPUT COMMON MODE:-



* Add a tail current source as shown here.

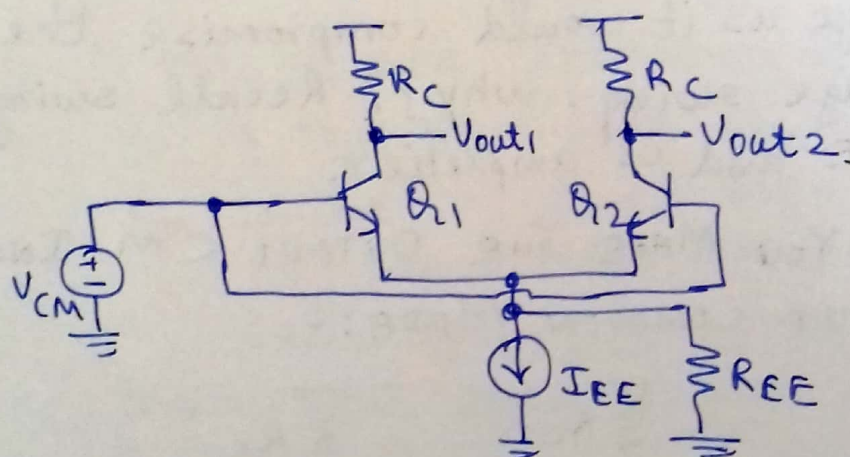
* In order to ensure that output CM is insensitive to input CM we have to make sure that M_1, M_2 are in saturation and Q_1, Q_2 are in active mode.

(4)

* Also, we have to make sure that I_{SS} and I_{EE} ~~are behave meet to the comp~~ have their compliance voltage met.

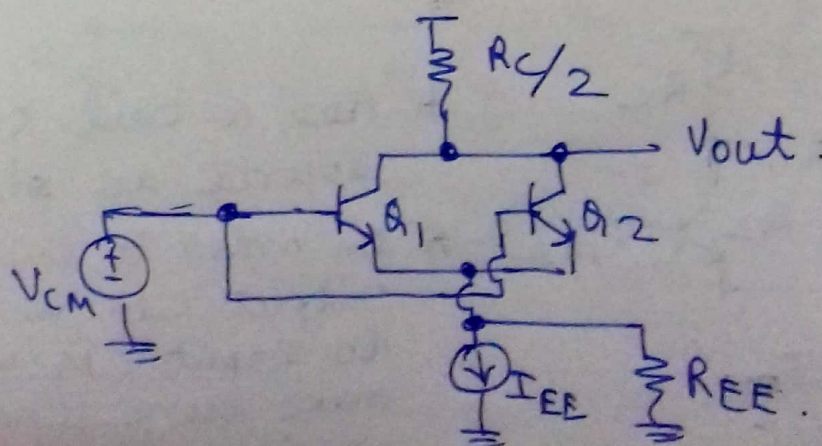
COMMON MODE GAIN ANALYSIS:-

- * Ideally the differential amplifier is insensitive to input CM variation.
- * However, if the tail current source has finite impedance then the output CM changes with variation in input CM.
- * In-order to analyze input CM response we do the following:-



⇒ Apply V_{CM} to both Q_1 and Q_2 .

⇒ Since, Q_1 and Q_2 are identical ~~and~~ then we can redraw the circuit as follows:-



Thus,

$$A_{CM} = \frac{V_{out}}{V_{CM}} = \frac{2g_{m1,2}}{1 + 2g_{m1,2} R_{EE}} \cdot \frac{R_C}{2}$$

as, Q_1 and Q_2 come in parallel and the combination is degenerated by R_{EE} .

* For the same amplifier, differential mode gain is,

$$A_{DM} = +g_{m1,2} R_C$$

NOTE :- Sign of the gain does not matter because of the differential nature of the input and output.

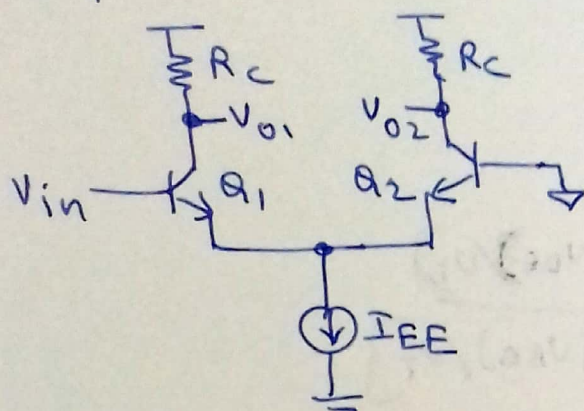
Types of Differential Amplifiers:-

* Differential - to - Differential.

* single-ended - to - Differential. \rightarrow Passive using transformer

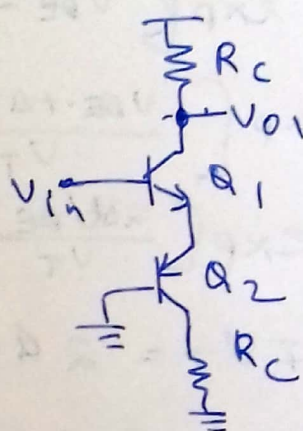
* Differential - to - Single-ended.

Analysis of single-ended to Differential.

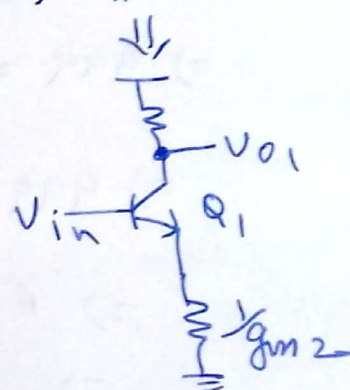


$$V_{out} = (V_{01} - V_{02})$$

For swing at $V_{01} \Rightarrow$

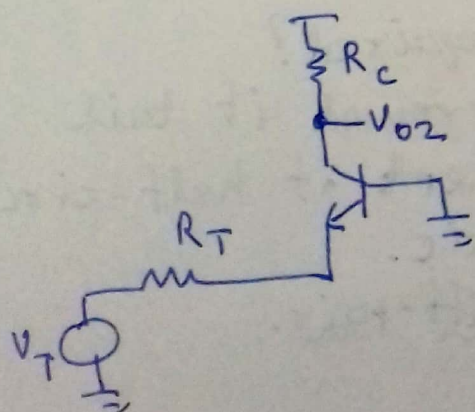


If $V_A = \infty$ then



$$\therefore \frac{V_{01}}{V_{in}} = \frac{-R_c}{\frac{1}{g_{m1}} + \frac{1}{g_{m2}}}$$

For swing at V_{02} we do this,



* $V_T = V_{in}$ as it is an emitter follower.

$$* R_T = \frac{1}{g_{m1}}$$

$$\therefore \frac{V_{02}}{V_{in}} = \frac{R_c}{\frac{1}{g_{m1}} + \frac{1}{g_{m2}}}$$

$$\therefore \frac{V_{01} - V_{02}}{V_{in}} = \frac{V_{out}}{V_{in}} = -\frac{2R_c}{\frac{1}{g_{m1}} + \frac{1}{g_{m2}}} = -g_m R_c$$