

# Computer Science and Engineering

## Course work portal

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## Principles of

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**Started on** Wednesday, 23 February 2022, 8:19 AM

**State** Finished

**Completed on** Wednesday, 23 February 2022, 9:20 AM

**Time taken** 1 hour

**Grade** 14.00 out of 15.00 (93%)

### Question 1

Correct

Mark 2.00 out of  
2.00

Flag question

Consider the below code segment.

```
struct S { void fun(int); };

void S::fun(int i) {
    [&, i] {};           //LINE-1
    [&, &i] {};          //LINE-2
    [=, this] {};        //LINE-3
    [i, i] {};           //LINE-4
}
```

Which line(s) will be compiled successfully without any error/warning in the C++11 compiler?

Select one or more:

- ☐ LINE-2
- ☐ LINE-4
- ☒ LINE-1 ✓
- ☐ LINE-3

Your answer is correct.

The correct answer is: LINE-1

## Question 2

Correct

Mark 1.00 out of  
1.00

🚩 Flag question

Consider the following main function.

```
int main()
{
    int m = 0;
    int n = 0;
    [&, n] (int a) mutable { m = ++n + a; }(4);
    cout << m << " " << n << endl;
}
```

What will be the output/error?

Select one:

- ☒ 5 0 ✓
- ☐ Error in lambda expression.
- ☐ 5 4
- ☐ 0 5

Your answer is correct.

The correct answer is: 5 0

**Question 3**

Correct

Mark 1.00 out of  
1.00

🚩 Flag question

Reduce the following lambda expression using  $\alpha$  and  $\beta$  reduction rules.

$((\lambda x. (\lambda y. (x\ y)) (\lambda y. y))\ w)$

What will be the reduced expression?

Select one:

☐

$(\lambda y. y)\ x$

☒

$(\lambda y. y)\ w$

☐

$(\lambda x. x)\ w$

☐

$(\lambda w. w)\ y$

Your answer is correct.

The correct answer is:

$(\lambda y. y) w$

**Question 4**

Correct

Mark 2.00 out of  
2.00

Flag question

Evaluate  $(Y E)$ , where  $E$  is an expression and  $Y$  is defined as follows:

$(\lambda f. (\lambda x. f(x x))(\lambda x. f(x x)))$

What will be the evaluated/reduced expression?

Select one:



$(E (Y E))$



$(E)$



$(Y E)(E)$



$(Y (Y E))$

Your answer is correct.

The correct answer is:

(E (Y E))

### Question 5

Correct

Mark 2.00 out of 2.00

Flag question

Consider the below lambda expression. Evaluate it using the normal order strategy.

$(\lambda a. \lambda b. (* b ((\lambda c. (+ a c)) 3))) 0 5$

What will be the normal form after the evaluation?

Select one:

- ☐ 3
- ☒ 15 ✓
- ☐ 5
- ☐ 0

Your answer is correct.

The correct answer is: 15

### Question 6

Correct

Mark 1.00 out of 1.00

Flag question

Given the type of  $\phi$  and  $\Phi$  is  $\xi \rightarrow \xi$

$((\lambda(z : \xi \rightarrow \xi). \lambda(+ : \xi \rightarrow \xi). \lambda(\eta : \xi \rightarrow \xi). \lambda(\mu : \xi). z (+ (\eta (\eta \mu)))) \phi) \Phi$

What is the type of the above expression? Do not assume any types

Select one:

☐

$(\xi \rightarrow \xi \rightarrow \xi)$

☒

$(\xi \rightarrow \xi) \rightarrow (\xi \rightarrow \xi)$

☐

$(\xi \rightarrow \xi)$

☐ cannot be determined

Your answer is correct.

The correct answer is:

$(\xi \rightarrow \xi) \rightarrow (\xi \rightarrow \xi)$

### Question 7

Correct

Mark 1.00 out of 1.00

Flag question

$\lambda(x : S \rightarrow Int). (\underline{f} x)$

$\underline{f}$  is a constant of type  $S \rightarrow Int \rightarrow S \rightarrow Int$

What is the type of the above expression? Do not assume any types

Select one:

☐

$S \rightarrow \text{Int} \rightarrow S \rightarrow \text{Int} \rightarrow S \rightarrow \text{Int}$

☒

$S \rightarrow \text{Int} \rightarrow S \rightarrow \text{Int}$

☐

cannot be determined

☐

$S$

Your answer is correct.

The correct answer is:

$S \rightarrow \text{Int} \rightarrow S \rightarrow \text{Int}$

### Question 8

Correct

Mark 1.00 out of  
1.00

Flag question

State whether TRUE or FALSE.

*For any two expressions  $E$  and  $F$ ,  $E \leftrightarrow_{\beta} F$  if  $E \rightarrow_{\beta} F$  AND  $F \rightarrow_{\beta} E$*

Select one:

☐

True

☒ False ✓

The correct answer is 'False'.

### Question 9

Correct

Mark 1.00 out of  
1.00

🚩 Flag question

Consider

$$((\lambda(x : \gamma).(\underline{\phi} \ x)) \ z) \ \underline{g}$$

where  $\phi$  is a constant of type  $\gamma \rightarrow \gamma \rightarrow \gamma$ ,  $\underline{g}$  is a constant of type  $\gamma \rightarrow \gamma$  and  $z$  is of type  $\gamma$ .

What is the type of the above expression? Do not assume any types

Select one:

☐

$\gamma \rightarrow \gamma \rightarrow \gamma$

☐

$\gamma \rightarrow \gamma \rightarrow (\gamma \rightarrow \gamma)$

☒ cannot be determined ✓

☐



$\gamma$

Your answer is correct.

The correct answer is: cannot be determined

### Question 10

Correct

Mark 1.00 out of  
1.00

Flag question

Let  $\phi$  be a constant of type  $\theta \rightarrow \theta \rightarrow \theta$  and true be of type  $\theta$ :

```
 $\lambda(\text{func1} : \theta \rightarrow \text{Char}). \lambda(\tau : \theta). \text{func1 } (\tau \ \phi \ \text{true})$ 
```

What is the type of the above expression? Do not assume any types.

Select one:



$\theta \rightarrow \text{Char} \rightarrow (\theta \rightarrow \text{Char})$



char



$\theta \rightarrow \text{Char} \rightarrow \text{Char}$



$\theta \rightarrow \text{Char}$

Your answer is correct.

The correct answer is:

$\theta \rightarrow \text{Char} \rightarrow (\theta \rightarrow \text{Char})$

### Question 11

Correct

Mark 1.00 out of 1.00

Flag question

Consider the following expression.

$\lambda(\omega : A \rightarrow I). \lambda(x : A). \lambda(y : A). \omega (x \underline{\div} y)$

Let  $\underline{\div}$  be a constant of type  $A \rightarrow A \rightarrow A$ .

What is the type of the above expression? Do not assume any types

Select one:



$(A \rightarrow 1) \rightarrow (A \rightarrow (A \rightarrow 1))$



$(A \rightarrow 1) \rightarrow 1$

 $(A \rightarrow 1) \rightarrow (A \rightarrow 1)$  $(A \rightarrow 1)$ 

Your answer is correct.

The correct answer is:

 $(A \rightarrow 1) \rightarrow (A \rightarrow (A \rightarrow 1))$ 

## Question 12

Incorrect

Mark 0.00 out of  
1.00

🚩 Flag question

Types of  $p$  and  $r$  are *monad* and *ord* respectively

$\lambda(k : (\text{monad} \rightarrow \text{ord}) + (\text{ord} \rightarrow \text{ord})). \text{case } k \text{ of}$

$M : \text{monad} \rightarrow \text{ord} \text{ then } ( \lambda(p : \text{monad}). M) p ) r \parallel$

$\tau : \text{ord} \rightarrow \text{ord} \text{ then } (\lambda(r : \text{ord}). \tau (\tau (\tau r))) r$

What is the type of the above expression? Do not assume any types

Select one:

- ☐  $(\text{monad} \rightarrow \text{ord}) \rightarrow (\text{ord} \rightarrow \text{ord})$
- ☒  $\text{ord}$  ✖
- ☐ Type cannot be determined for  $\tau$
- ☐ Type cannot be determined for  $M$

Your answer is incorrect.

The correct answer is: Type cannot be determined for M

Finish review

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