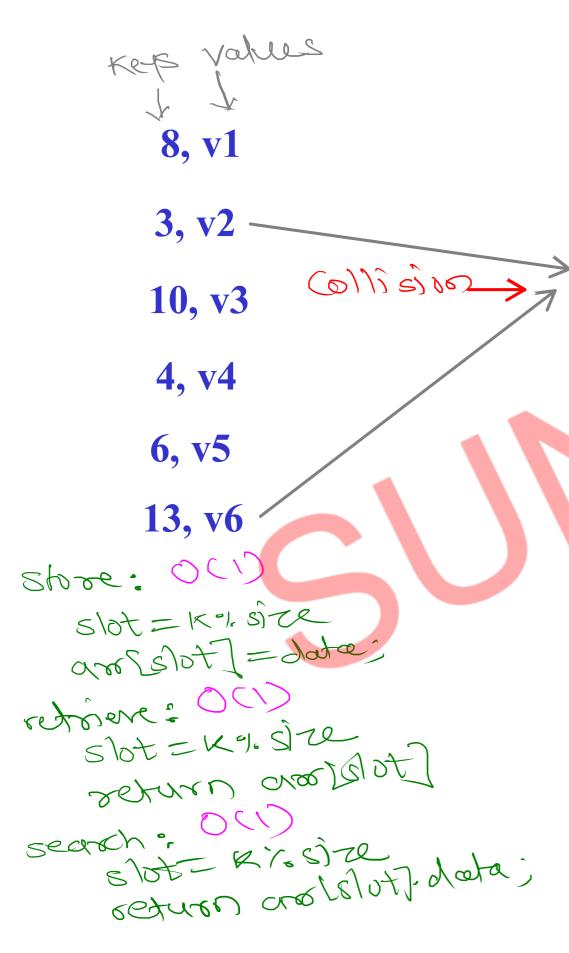
## Hashing



size = 10			
	10, v3	0	
		1	
		2	
	3, v2	2	
	4, v4	4	
	1	5	
	6, v5	6	
		7	
	8, v1	8	
		9	
	Hash Table		

$$h(k) = k \% SIZE$$

h(8) = 8% 10 = 8 h(3) = 3% 10 = 3 h(10) = 10% 10 = 0 h(3) = 4% 10 = 4 h(6) = 6% 10 = 6 h(13) = 13% 10 = 8(Collision)

Collision:

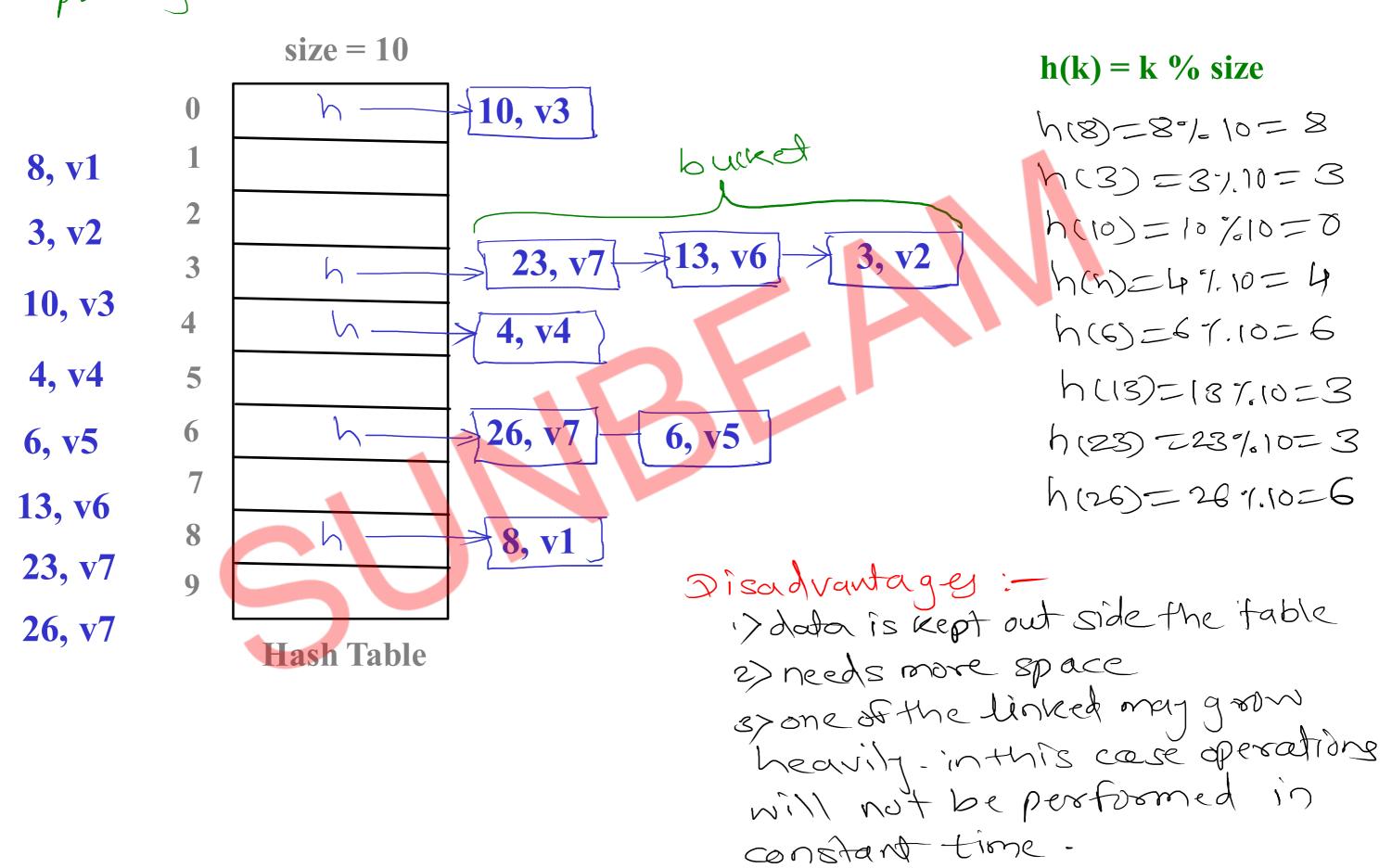
When two different keys

yield same slot, it is

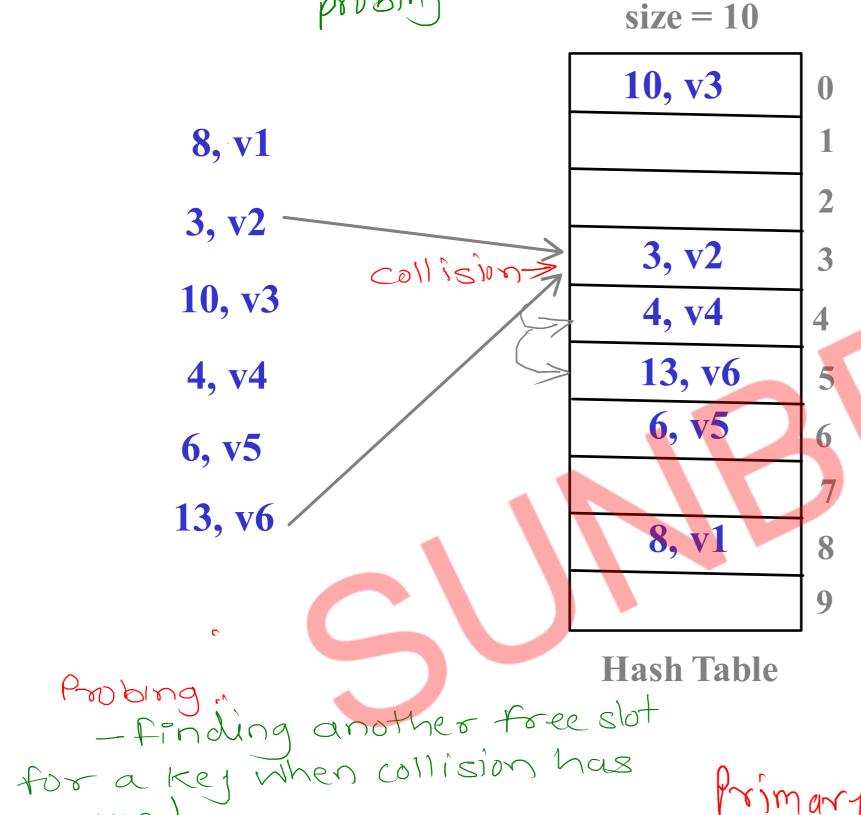
coaled as collision

-whenever collision will occur, next free slot will be find out by any one of the collision handling technique.

# $\sim Closed Addressing/ Seperate Chaining / Chaining$



# Open Addressing - Linear Probing



occured

h(k,i) = [h(k) + f(i)] % size

f(i) = i

where i = 1, 2, 3,...

L probenumber

h(8) = 
$$\frac{3}{10} = 8$$

h(8) =  $\frac{3}{10} = 8$ 

h(9) =  $\frac{3}{10} = 8$ 

h(4) =  $\frac{4}{10} = 6$ 

h(4) =  $\frac{4}{10} = 6$ 

h(13) =  $\frac{3}{10} = 3$  (collisor)

h(13) =  $\frac{3}{10} = 3$  (collisor)

h(13,1) =  $\frac{3}{10} = 3$  (collisor)

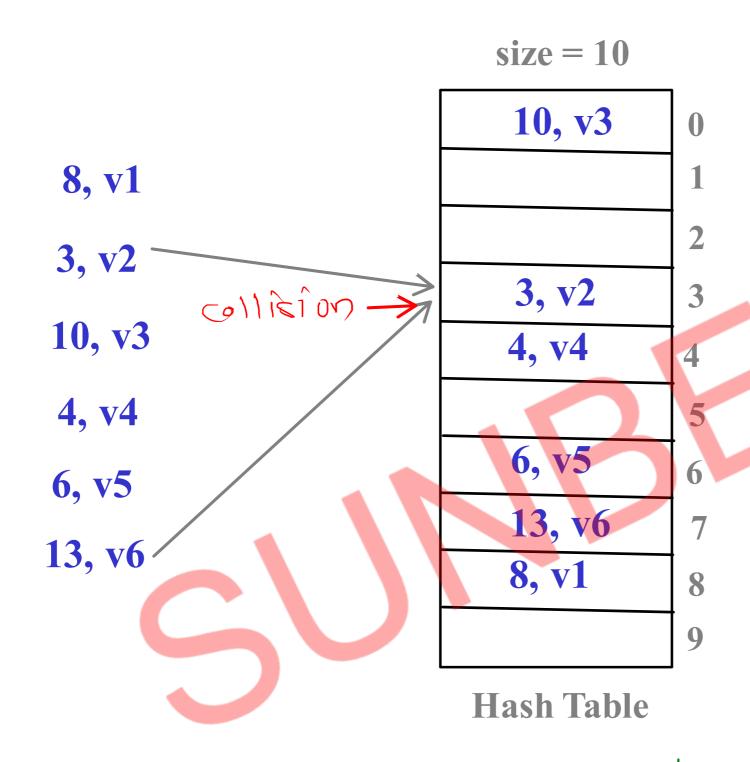
h(13,2) =  $\frac{3}{10} = 3$  (collisor)

h(13,2) =  $\frac{3}{10} = 3$  (collisor)

h(k) = k % size

remary clustering:
need long run of filled slots to
find next empty slot "near" key
positions

#### **Open Addressing - Quadratic Probing**



$$h(k) = k \% \text{ size}$$
 $h(k,i) = [h(k) + f(i)] \% \text{ size}$ 
 $f(i) = i^2$ 
where  $i = 1, 2, 3,...$ 

$$h(13) = 13 \% 10 = 3 ©$$
 $h(13,1) = [3+1]\% 10$ 
 $= 4 (4^{st}pnbe) ©$ 
 $h(13,2) = [3+4]\% 10$ 
 $= 7 (2^{rd}pnbe)$ 

- primary clustering is solved - there is no garantee to get free slot

### **Open Addressing - Quadratic Probing**

	size = 10	
	10, v3	0
		1
23, v7	23, v7	2
33, v8	3, v2	3
33, 10	4, v4	4
		5
	6, v5	6
	13, v6	7
	8, v1	8
	33, v8	9

$$h(k) = k \% \text{ size}$$
  
 $h(k,i) = [h(k) + f(i)] \% \text{ size}$   
 $f(i) = i^2$   
where  $i = 1, 2, 3,...$ 

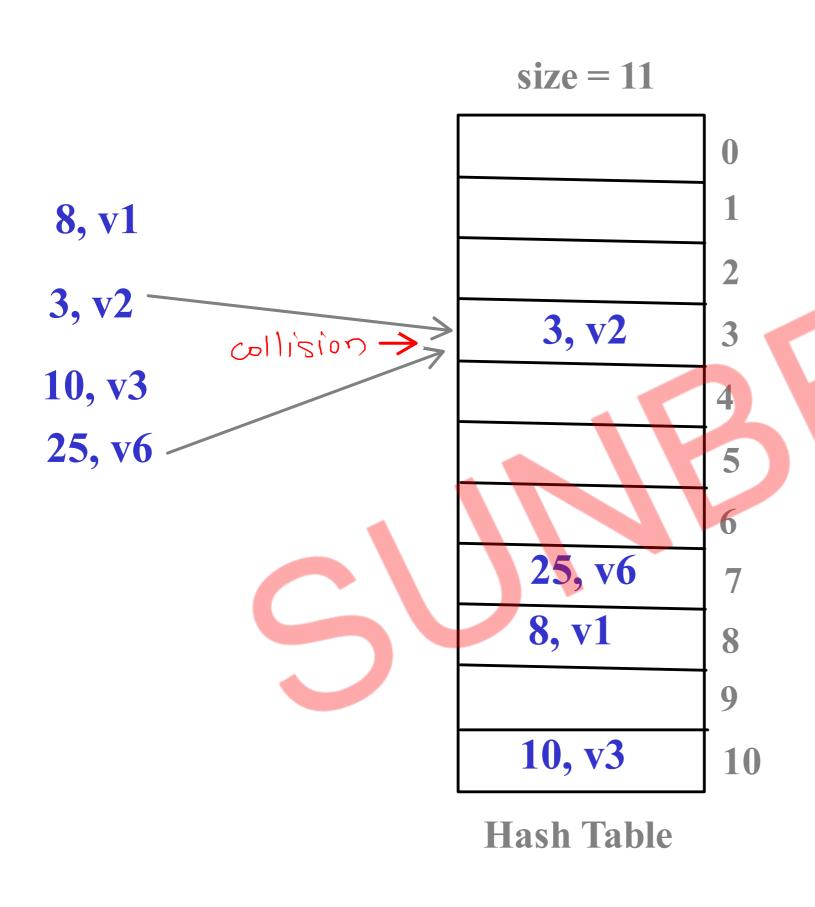
$$h(23) = 23.10 = 30$$
 $h(23,1) = [3+1]/10 = 30$ 
 $h(23,1) = [3+1]/10 = 4(1)$ 
 $h(23,2) = [3+1]/10 = 7(2)$ 
 $h(23,3) = [3+9]/10 = 2(3)$ 

$$h(33) = 337.10 = 30$$
 $h(33,1) = [3+1]/.10 = 4(1^{s+}) ©$ 
 $h(33,2) = [3+4]/.10 = 7(2^{s+}) ©$ 
 $h(33,3) = [3+9]/.10 = 2(3^{s+}) ©$ 
 $h(33,4) = [3+16]/.10 = 9(4^{s+})$ 

Secondary clustering:
-need long run of filled slots
to find empty slot "away" ket
position

Hash Table

## **Hashing - Double Hashing**



h1(k) = k % size  
h2(k) = 7 - (key % 7)  
h(k, i) = [h1(k) + i \* h2(k)] % size  
h1(8) = 87.11 = 8  
h1(3) = 37.11 = 3  
h1(10) = 
$$10^{\circ}$$
/.11 =  $10^{\circ}$   
h1(25) =  $25^{\circ}$ /.11 =  $36^{\circ}$   
h2(25) =  $7 - (25/7) = 4$   
h(25,1) =  $3 + 1^{\circ}$ 4) % 11  
= 7 ( $1^{\circ}$ 4) % 11  
= 7 ( $1^{\circ}$ 7)  $1^{\circ}$ 7

$$h_1(14) = 14^{\circ}/.11 = 30$$
  
 $h_2(14) = 7 - (14^{\circ}/.7) = 7$   
 $h_1(14) = [3 + 1*7]/.11 = 100$   
 $h_1(14) = [3 + 2*7]/.11 = 7$ 

### Rehashing

Load factor = 
$$\frac{n}{N}$$

eig 
$$\lambda = \frac{6}{10} = 0.6 \rightarrow \text{hash table is}$$

$$\frac{60\% \text{ filled}}{60\% \text{ filled}}$$

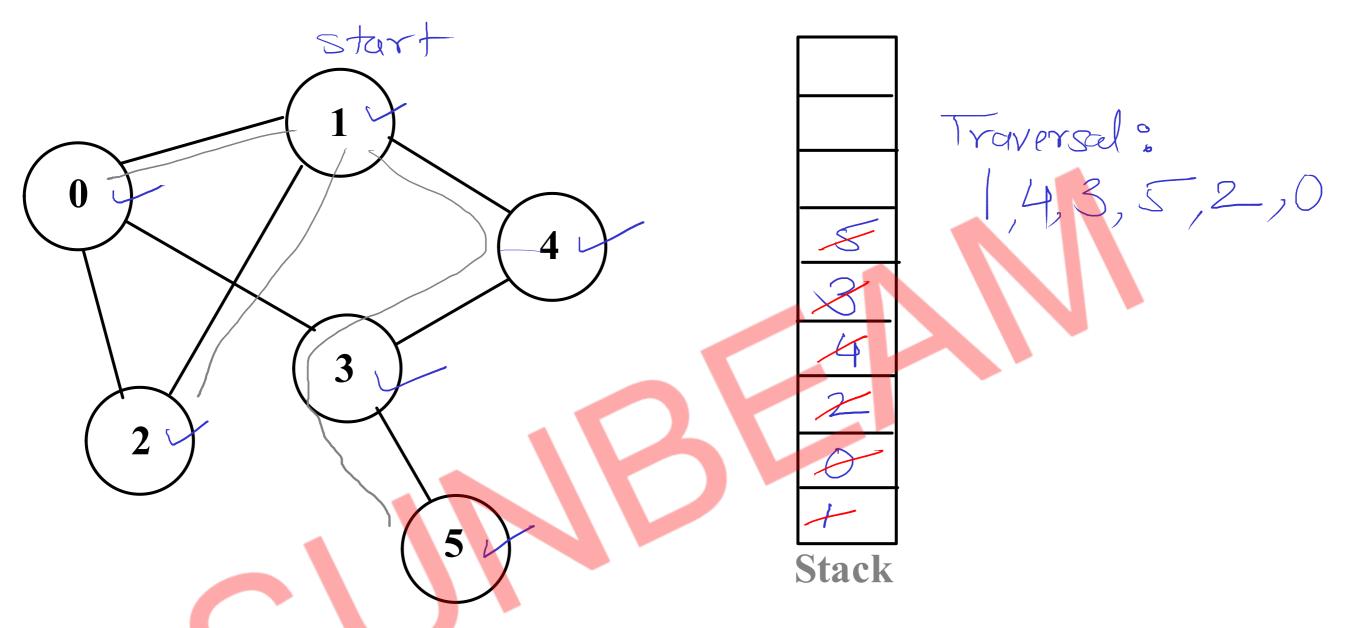
n - number of elements (key value pairs) in hash table

N - Number of slots in hash table

if $n < N$	load factor < 1	- free slots are aviable
if $n = N$	load factor = 1	- no free slots
if $n > N$	load factor > 1	- can not insert at all

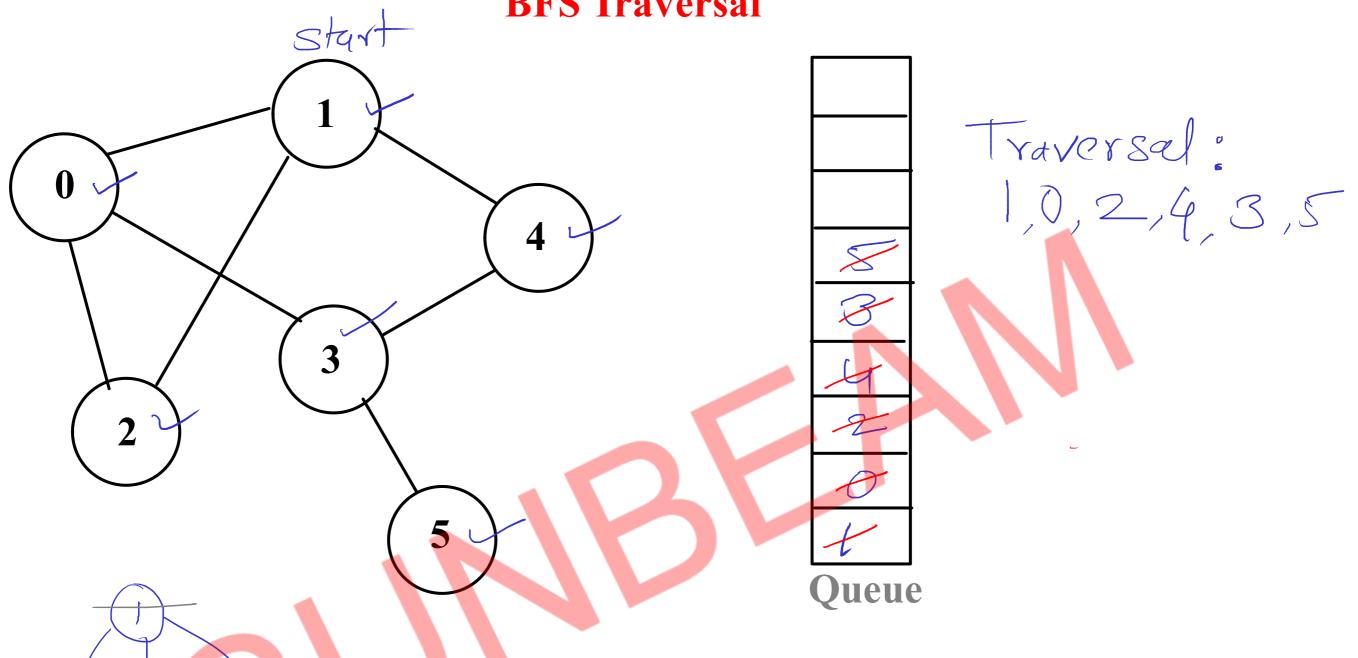
- Rehashing is making the hash table size twice of existing size if hash table is 60 to 70 % full
- In rehashing existing keys are again mapped according to new size of table

#### **DFS** Traversal



- //1. Choose a vertex as start vertex.
- //2. Push start vertex on stack & mark it.
- //3. Pop vertex from stack.
- //4. Print the vertex.
- //5. Put all non-visited neighbours of the vertex //on the stack and mark them.
- //6. Repeat 3-5 until stack is empty.

#### **BFS** Traversal



- //1. Choose a vertex as start vertex.
- //2. Push start vertex on queue & mark it
- //3. Pop vertex from queue.
- //4. Print the vertex.
- //5. Put all non-visited neighbours of the vertex //on the queue and mark them.
- //6. Repeat 3-5 until queue is empty.