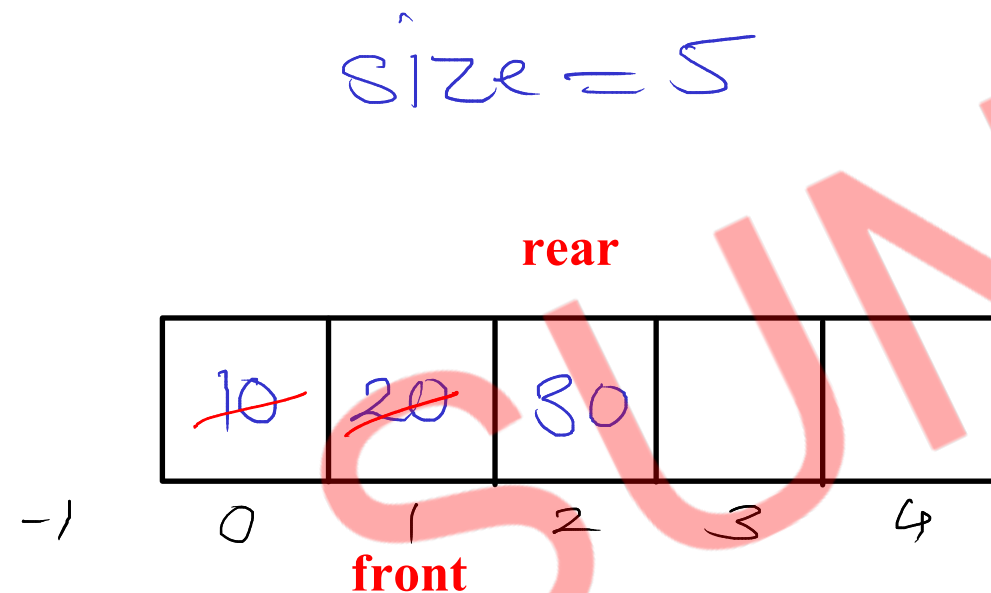


	Best case	Avg case	Worst case	Auxiliary space
Selection sort	$O(n^2)$	$O(n^2)$	$O(n^2)$	$O(1)$
Bubble sort	$O(n)$	$O(n^2)$	$O(n^2)$	$O(1)$
Insertion sort	$O(n)$	$O(n^2)$	$O(n^2)$	$O(1)$

Linear Queue

- queue is a linear data structure in which data is stored sequentially.
- every queue has two ends
- data is inserted from one end of queue (rear)
- data is removed from another end of the queue (front)
- queues can be implemented using arrays
- queue works on the principle of "First In First Out" / "FIFO"



Operations:

1. Insert/Add/Enqueue/Push:

- reposition rear (inc)
- add data/value at rear index

2. Remove/Delete/Dequeue/Pop:

- reposition front (inc)

3. Peek

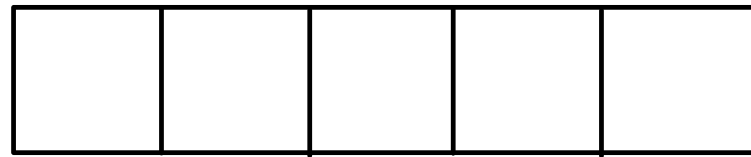
- read/return data of front + 1 index

- All operations of queue are performed into $O(1)$ time complexity.

Conditions

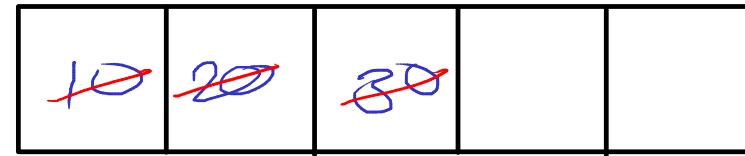
1. Empty

rear



front

rear

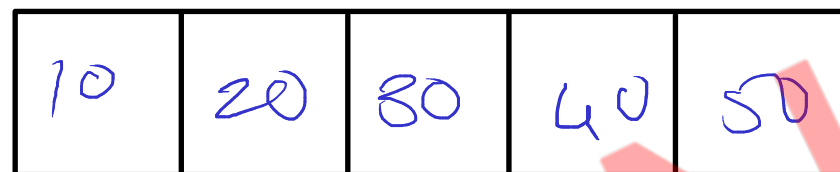


front

$front == rear$

2. Full

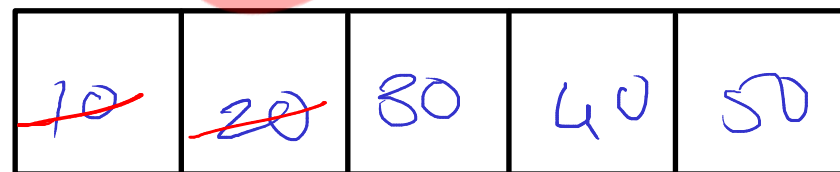
rear



front

$rear == size - 1$

rear



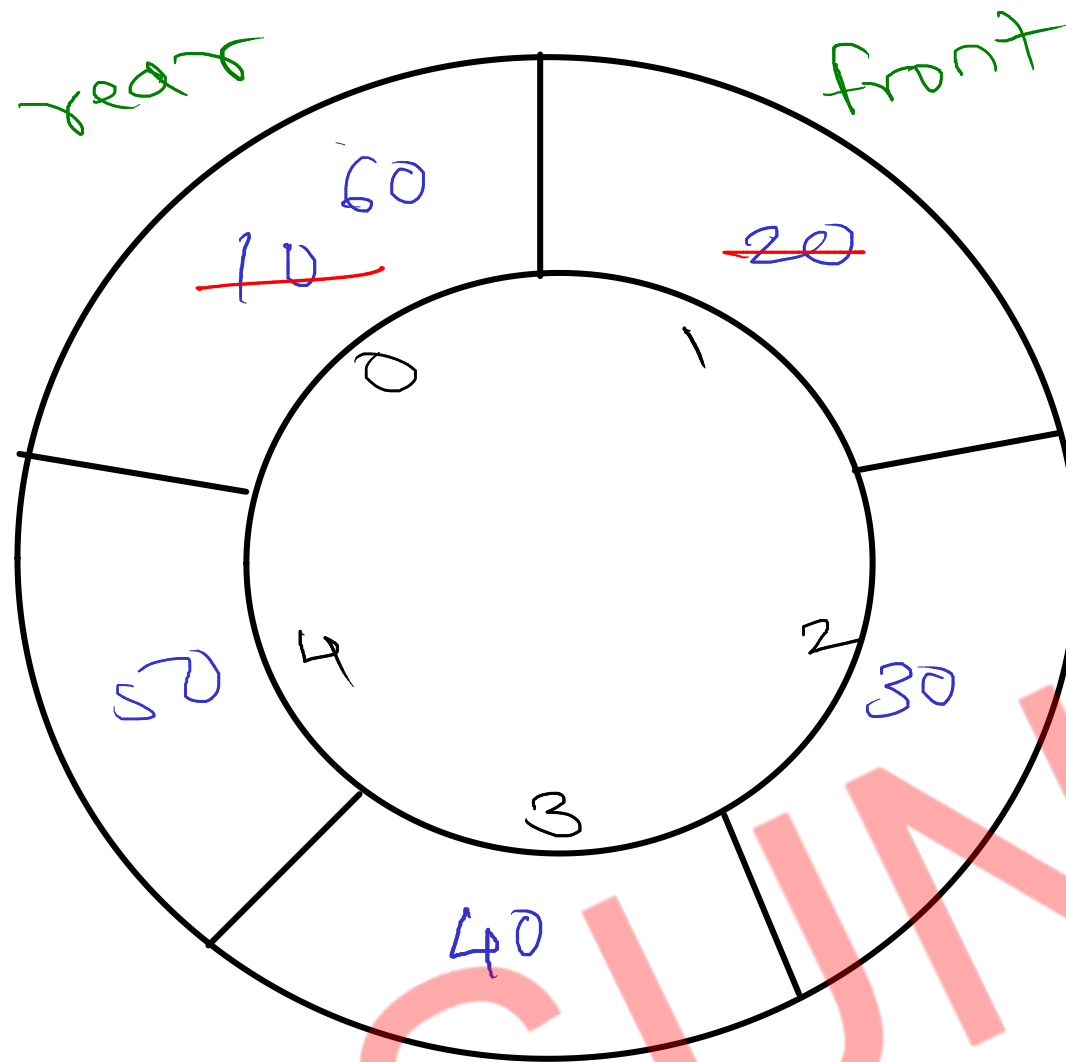
front

- once rear is reached to last index of array and initial few locations are empty, still we are not able to use those location.

- This lead to poor memory utilization.

Circular Queue

size = 5



$$\text{rear} = (\text{rear} + 1) \% \text{size}$$

$$\text{front} = (\text{front} + 1) \% \text{size}$$

$$\text{front} = \text{rear} = -1$$

$$= (-1 + 1) \% 5 = 0$$

$$= (0 + 1) \% 5 = 1$$

$$= (1 + 1) \% 5 = 2$$

$$= (2 + 1) \% 5 = 3$$

$$= (3 + 1) \% 5 = 4$$

$$= (4 + 1) \% 5 = 0$$

- along with array, front & rear, also maintain count of elements

init \rightarrow count = 0

push \rightarrow count++

pop \rightarrow count--

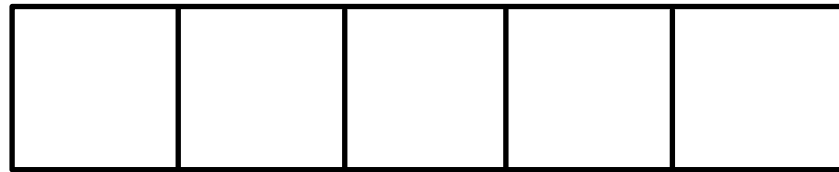
empty \rightarrow count == 0

full \rightarrow count == size

Circular Queue - Empty and Full conditions

Empty

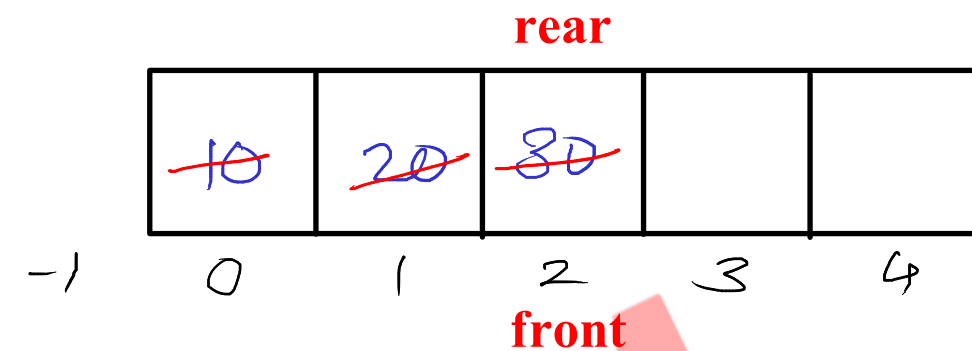
rear



-1 0 1 2 3 4

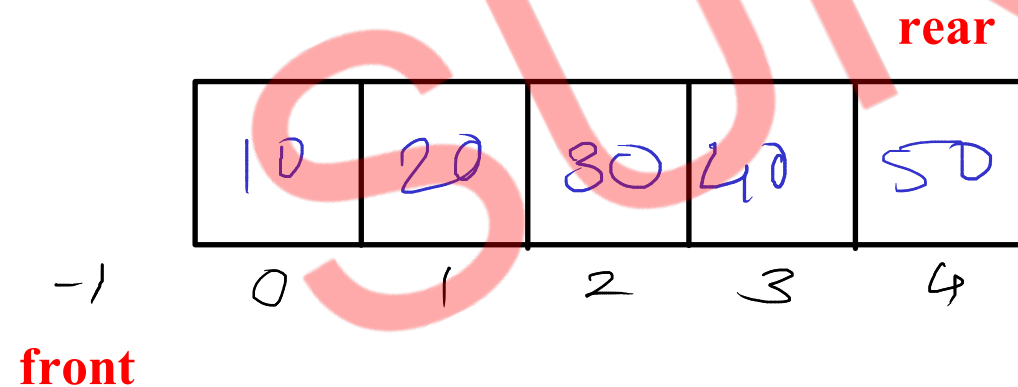
front

$\text{front} == \text{rear} \ \&\& \ \text{rear} == -1$

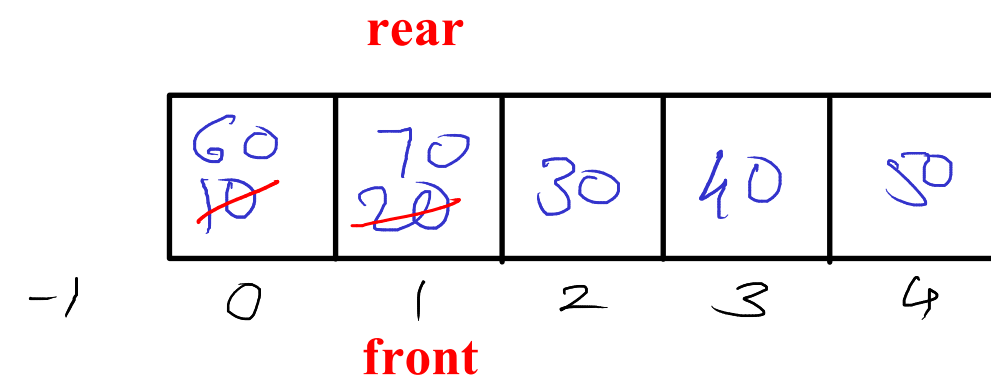


```
pop(){  
    front = (front+1)%size;  
    if(front == rear)  
        front = rear = -1;  
}
```

Full



$\text{front} == -1 \ \&\& \ \text{rear} == \text{size} - 1$



$\text{front} == \text{rear} \ \&\& \ \text{rear} != -1$

$(\text{front} == -1 \ \&\& \ \text{rear} == \text{size} - 1) \ || \ (\text{front} == \text{rear} \ \&\& \ \text{rear} != -1)$

Stack

- stack is a linear data structure in which data is stored sequentially
- stack has only one end and it is known as "top"
- data is inserted or removed from top end only
- stack works on the principle of "Last In First Out" / "LIFO"
- top always points to last inserted data

size = 5

Operations:

1. Insert/add/push:

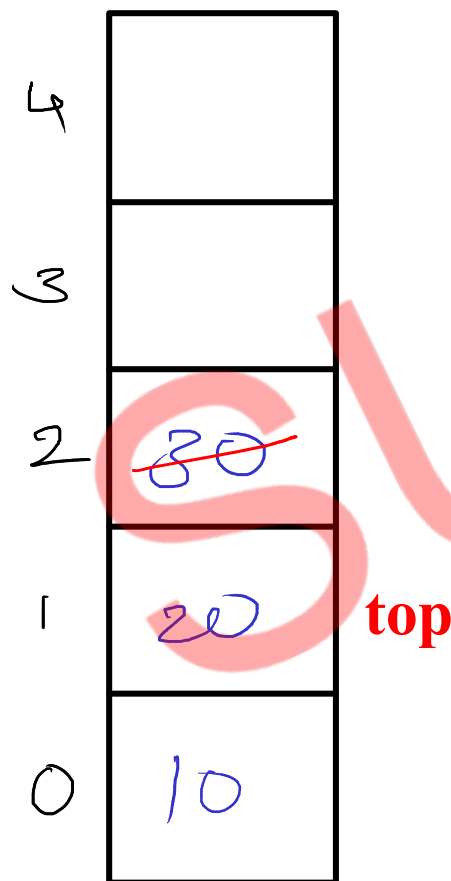
- reposition top (inc)
- add value/data at top index

2. Remove/delete/pop:

- reposition top (dec)

3. Peek:

- read/return value of top index

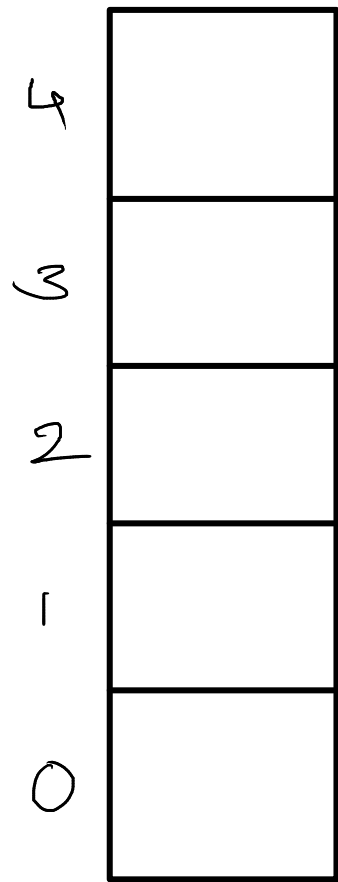


-)

- all operations of stack are performed in $O(1)$ time complexity.

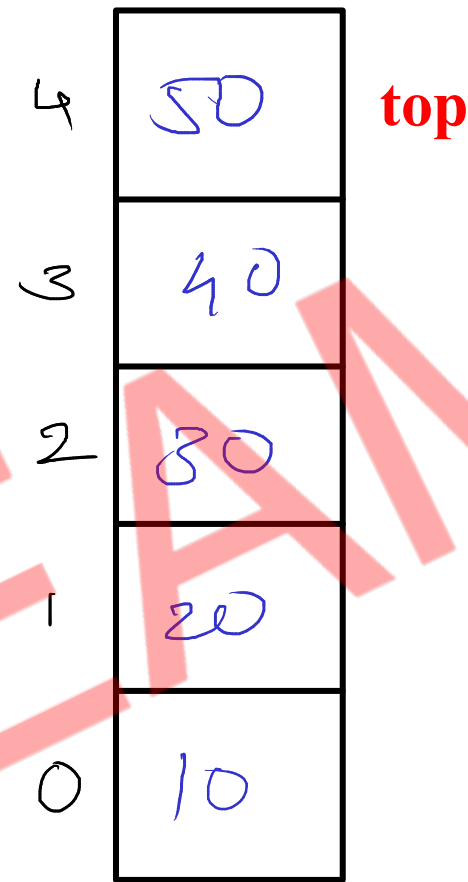
Conditions

Empty



$top == -1$

Full



$top == size - 1$

Ascending stack - fill stack from lower address to higher address
(0 \rightarrow size-1)

Descending stack - fill stack from higher address to lower address
(size-1 \rightarrow 0)

Stack & Queue Time complexity (Array implementation)

	stack	linear queue	circular queue
push	$O(1)$	$O(1)$	$O(1)$
pop	$O(1)$	$O(1)$	$O(1)$
peek	$O(1)$	$O(1)$	$O(1)$