



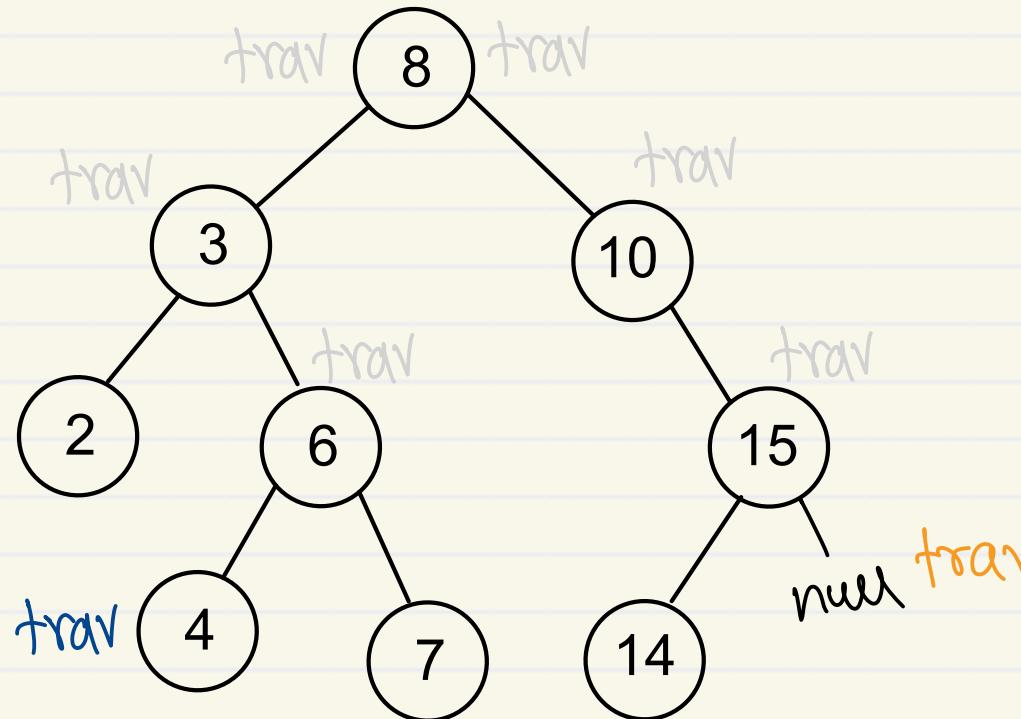
**Sunbeam Institute of Information Technology
Pune and Karad**

Data structures and Algorithms

Trainer - Devendra Dhande
Email – devendra.dhande@sunbeaminfo.com



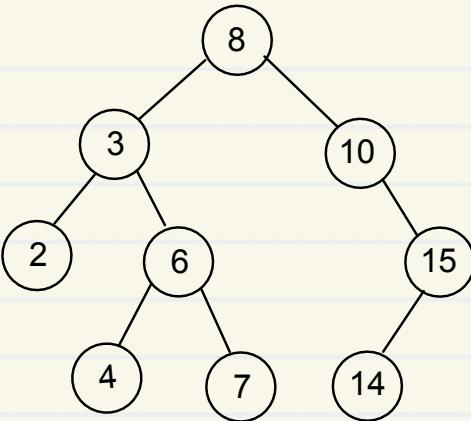
Binary Search Tree - Binary Search



1. Start from root
2. If key is equal to current node data return current node
3. If key is less than current node data search key into left sub tree of current node
4. If key is greater than current node data search key into right sub tree of current node
5. Repeat step 2 to 4 till leaf node

Key = 4 \leftarrow Key is found

Key = 20 \leftarrow Key is not found



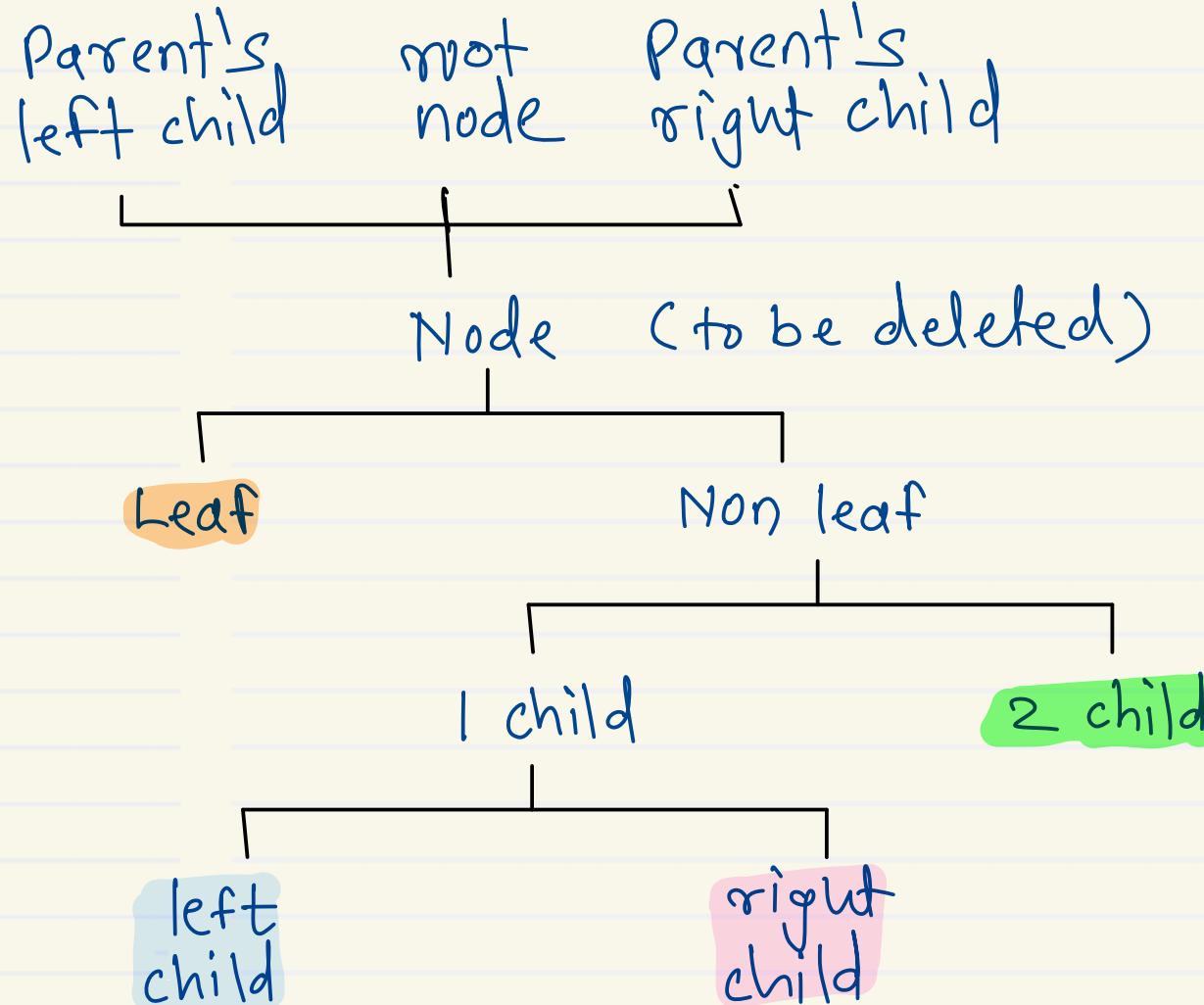
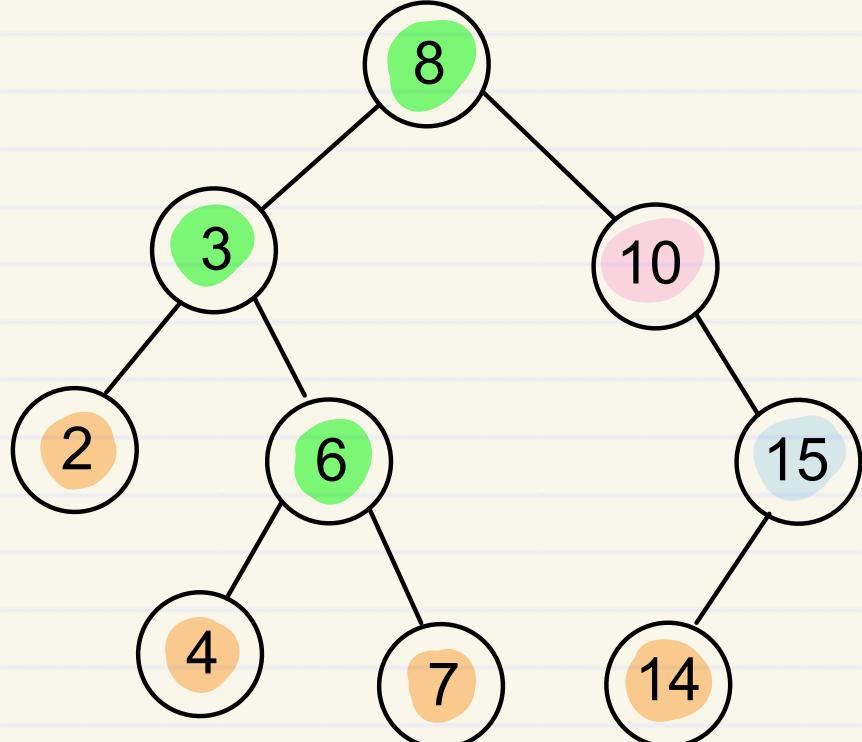
binarySearchRec(&8, 4)
binarySearchRec(&3, 4)
binarySearchRec(&6, 4)
binarySearchRec(&4, 4)

{

Node binarySearchRec(Node trav, int key) {
 if (trav == null)
 return null;
 if (key == trav.data)
 return trav;
 if (key < trav.data)
 return binarySearchRec(trav.left, key);
 else
 return binarySearchRec(trav.right, key);

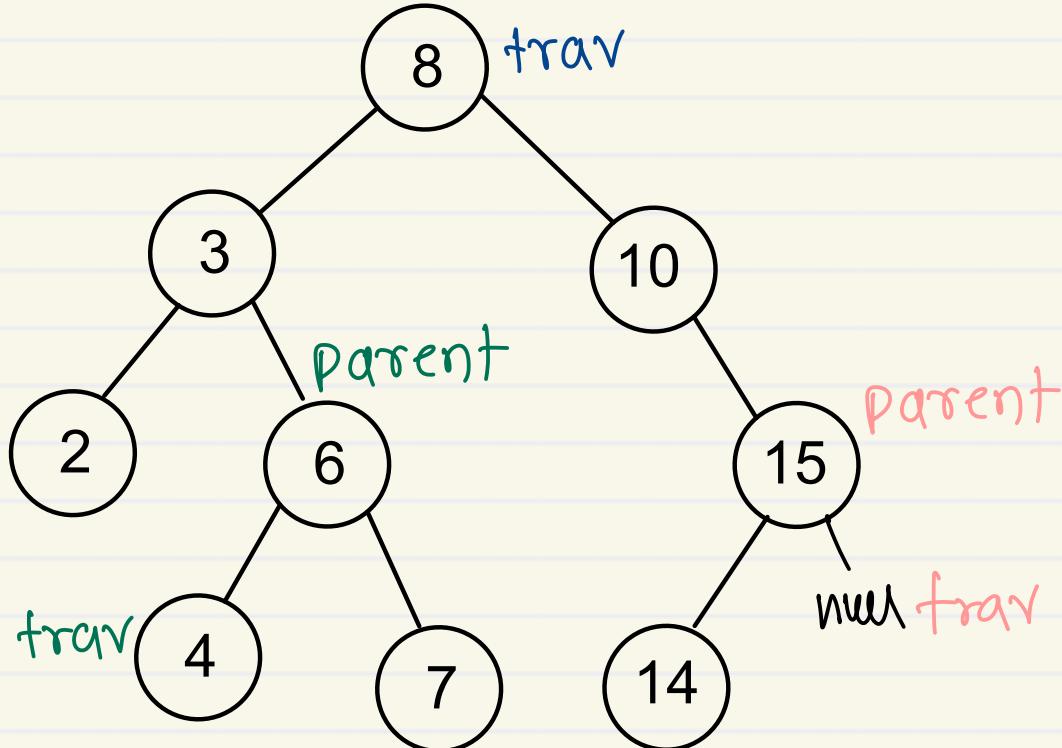


Binary Search Tree - Delete Node





Binary Search Tree - Binary Search with Parent



key = 4
trav Parent
f8 null
f3 f8
f6 f3
f4 f6

key = 8
trav Parent
f8 null

key = 20
trav Parent
f8 null
f10 f8
f15 f10
null f15



BST - Delete Single child node (Right child)

a. root node

root
trav

8

10

b. Parent's
left child

parent

14

8

15

10

trav

c. Parent's
right child

parent

3

2

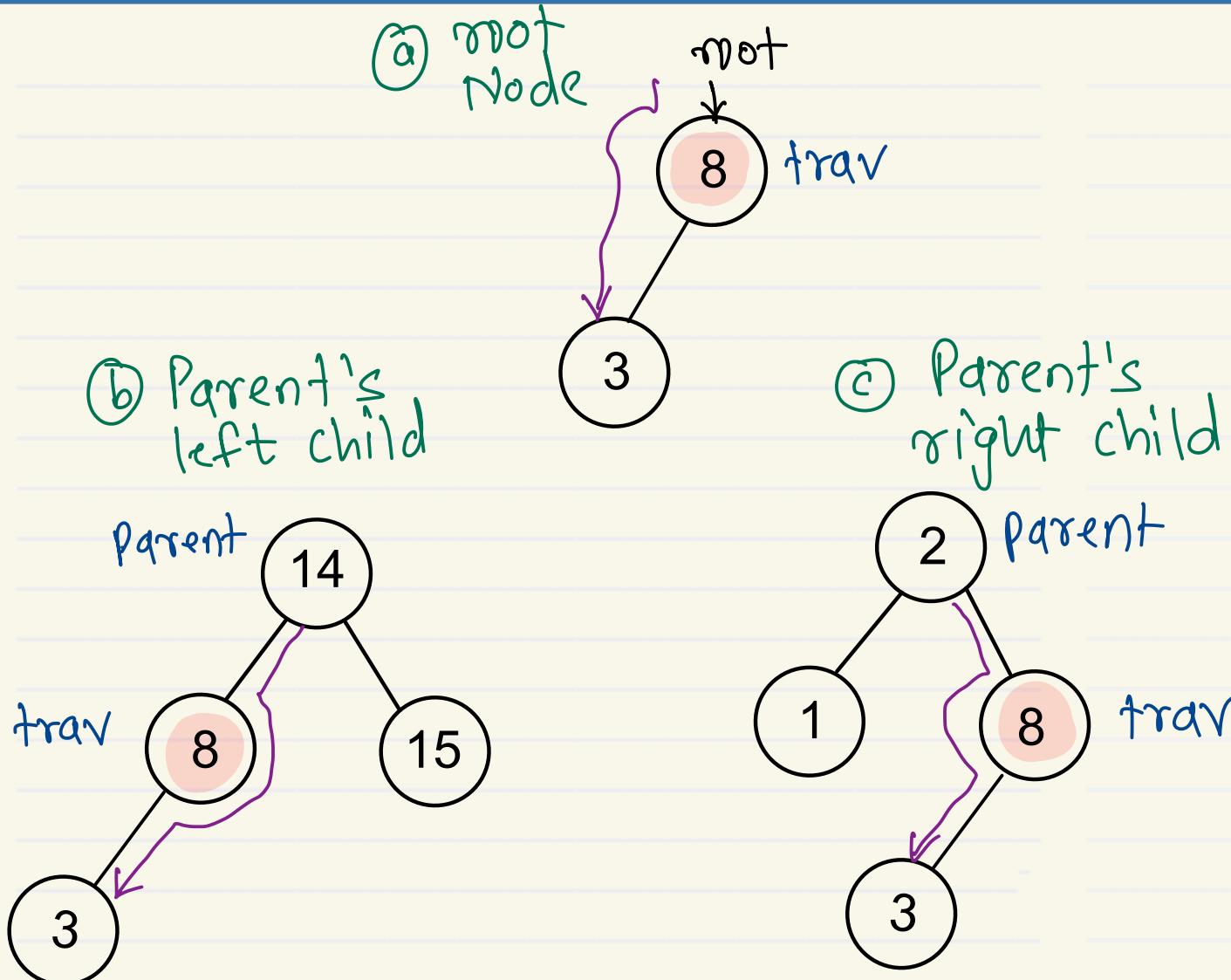
10

trav

```
if ( trav. left == null ) {  
    if ( trav == root )  
        @    root = trav. right;  
    else if ( trav == parent. left )  
        parent. left = trav. right;  
    @    else if ( trav == parent. right )  
        parent. right = trav. right;  
}  
}
```

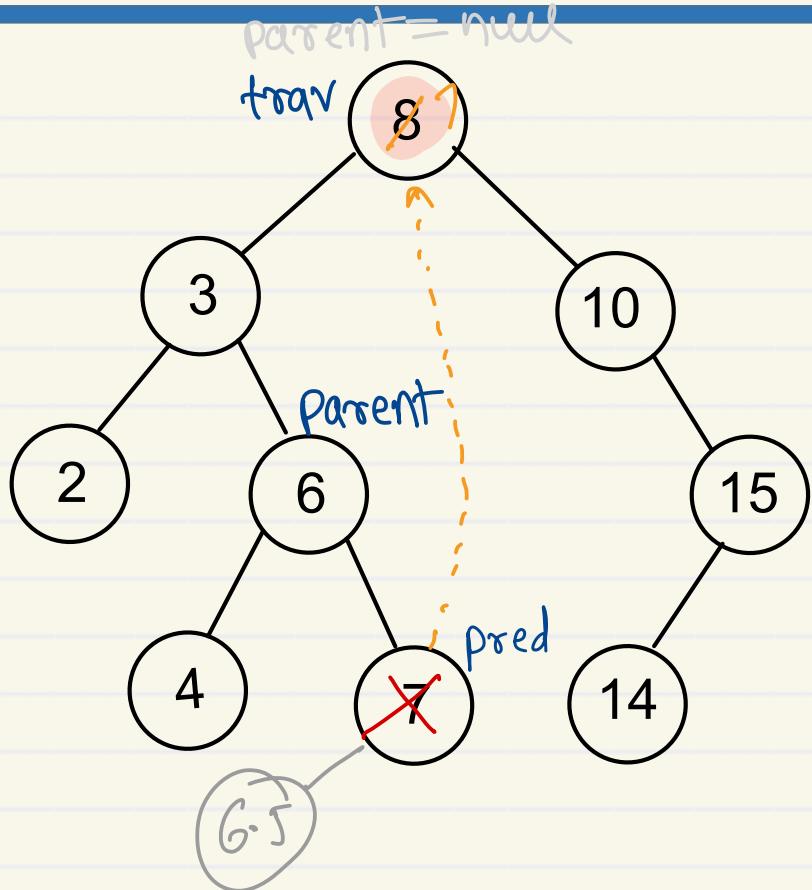


BST- Delete Single child node (Left child)



```
if ( trav.right == null ) {  
    if ( trav == mot )  
        @ root = trav.left ;  
    else if ( trav == parent.left )  
        parent.left = trav.left ;  
    else if ( trav == parent.right )  
        parent.right = trav.left ;  
}  
}
```

BST - Delete Two childs node



Inorder : 2 3 4 6 7 8 10 14 15

left sub tree
extreme right

→ inorder
predecessor

inorder
successor

← right sub tree
extreme left

- trav.left & trav.right both are not null

1. find ^{inorder} predecessor of a node (trav) ^{inorder}
2. replace node data (trav.data) by ^{inorder} predecessor data (pred.data)
3. delete ^{inorder} predecessor

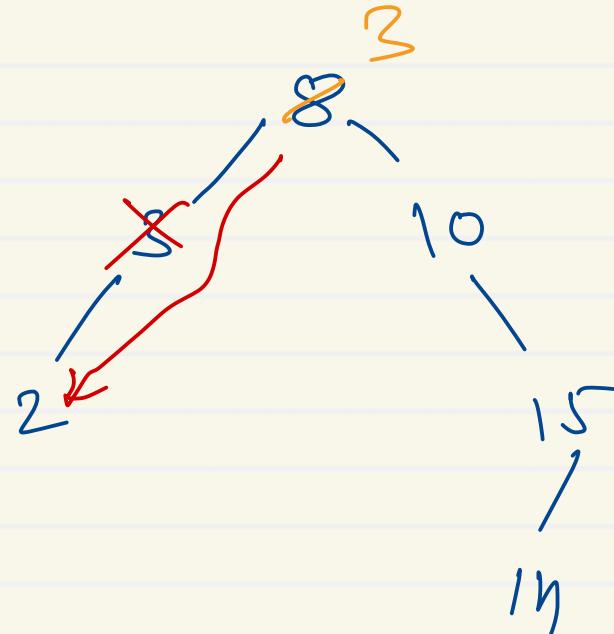
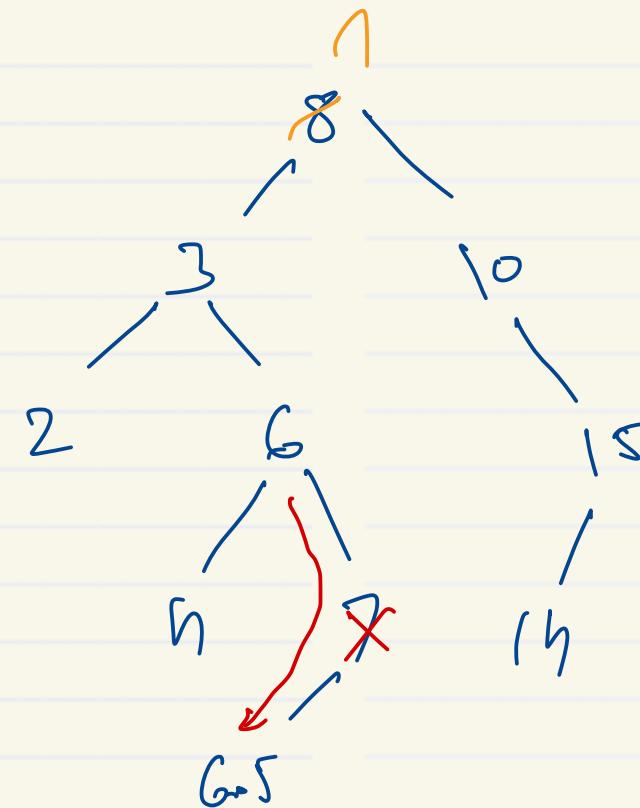
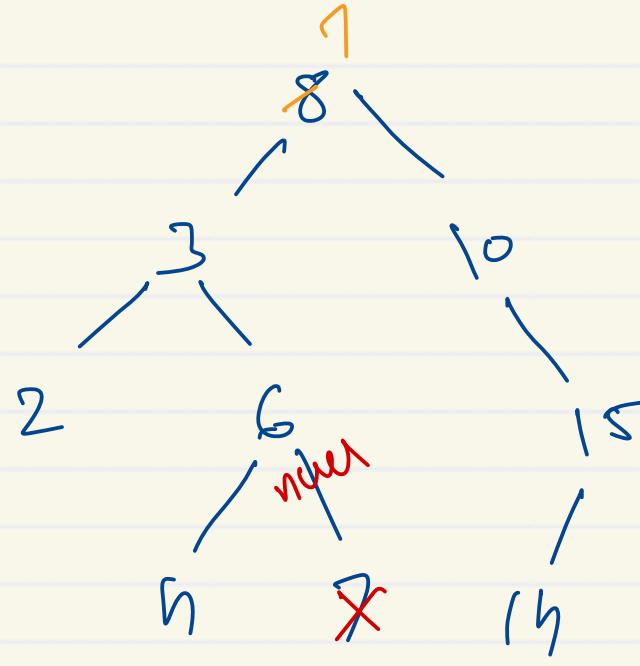
pred	parent
f3	f8
f6	f3
f7	f6

```

pred = trav.left;
parent = trav;
while (pred.right != null) {
    parent = pred;
    pred = pred.right;
}

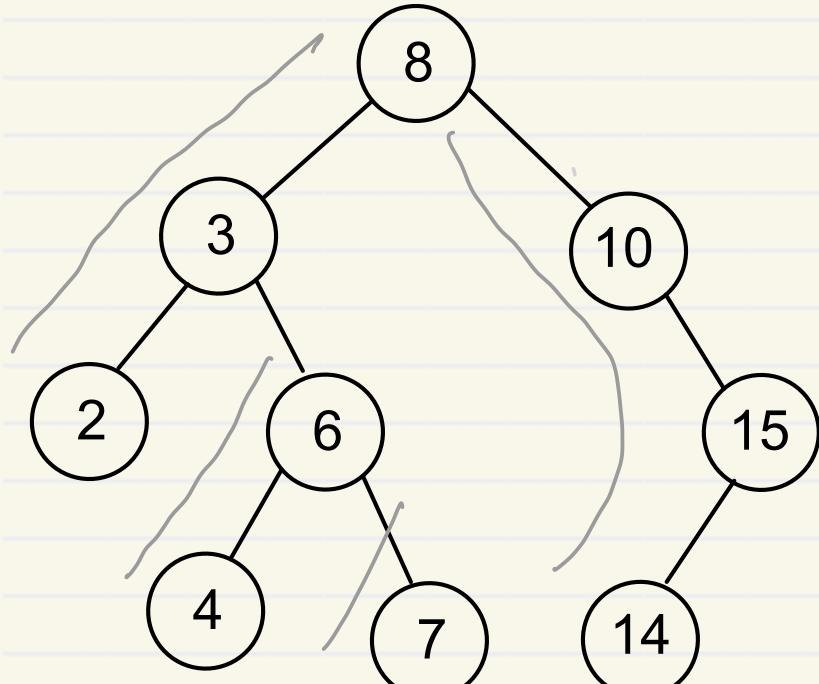
```

3

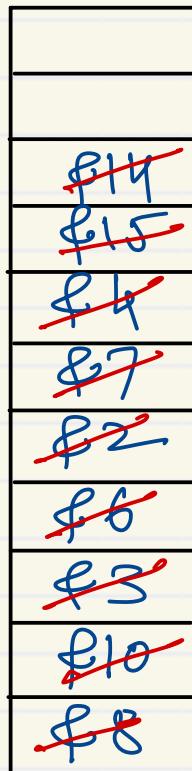




Binary Search Tree - DFS Traversal (Depth First Search)



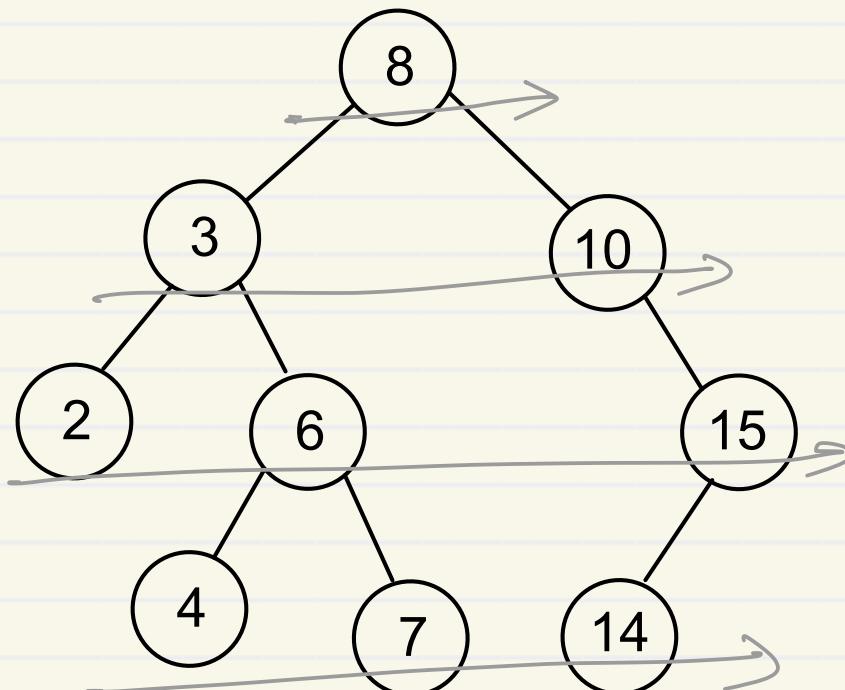
Stack



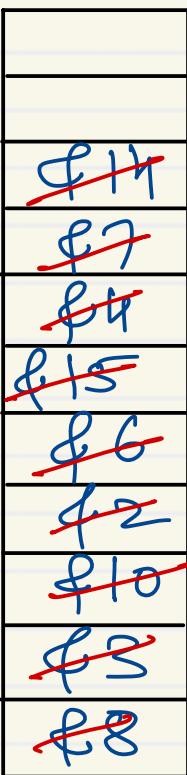
1. Push root node on stack
2. Pop one node from stack
3. Visit (print) popped node
4. If right exists, push it on stack
5. If left exists, push it on stack
6. While stack is not empty, repeat step 2 to 5

DFS Traversal : 8, 3, 2, 6, 4, 7, 10, 15, 14





Queue



1. Push root node on queue
2. Pop one node from queue
3. Visit (print) popped node
4. If left exists, push it on queue
5. If right exists, push it on queue
6. While queue is not empty, repeat step 2 to 5

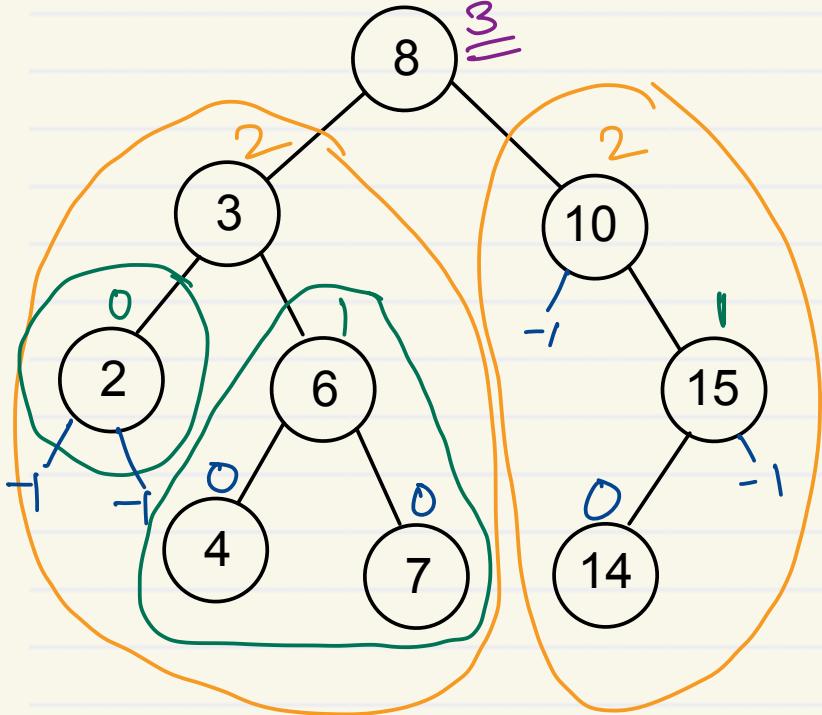
(level order traversal)

BFS Traversal : 8, 3, 10, 2, 6, 15, 4, 7, 14



Binary Search Tree - Height

Height of root = MAX (height (left sub tree), height (right sub tree)) + 1



```
int height(Node trav) {  
    if(trav == null)  
        return -1;  
    int hl = height(trav.left);  
    int hr = height(trav.right);  
    int max = hl > hr ? hl : hr;  
    return max+1;  
}
```

3

1. If left or right sub tree is absent then return -1
2. Find height of left sub tree
3. Find height of right sub tree
4. Find max height
5. Add one to max height and return

