2017 年华中科技大学 ACM 程序设计竞赛 暨武汉地区高校邀请赛(决赛)

现场赛题解

A-Special Painting

SOLUTION

迭代加深搜索, 枚举刻度数量, 判断是否能包含所需求的长

度

```
1. #include <cstdio>
2. #include <cstdlib>
3. #include <cstring>
4. #include <set>
5. #include <map>
6. #include <algorithm>
7. #include <ctime>
using namespace std;
10. const int maxn = 55;
11. #define time_ (printf("%.6f\n", double(clock())/CLOCKS_PER_SEC))
12. int n;
13. int length[2*maxn];
14. int scale[maxn], ptr1;
15. int que[maxn*maxn*maxn], ptr2;
16. map<int, int> M;
17. set<int> S;
18. int res;
19.
20. bool dfs(int u, int d, int D) {
        if(d > D) return false;
21.
22.
       if(!res) return true;
23.
        bool flag = false;
        for(int i = u; !flag && i < n-1; i++) {</pre>
24.
            int len = length[i];
25.
26.
            for(int j = 0; j < ptr1; j++) {</pre>
27.
                int len2 = abs(len - scale[j]);
28.
                if(S.count(len2)) {
29.
                    if(!M.count(len2)){
30.
                        M[len2] = 1;
31.
                        res--;
32.
33.
                    else {
                        if(!M[len2]) res--;
34.
```

```
35.
                         M[len2]++;
36.
37.
                }
38.
                que[ptr2++] = len2;
39.
            }
40.
            scale[ptr1++] = len;
            flag = dfs(i+1, d+1, D);
41.
42.
            if(!flag) {
43.
                ptr1--;
44.
                for(int j = 0; j < ptr1; j++) {</pre>
45.
                     ptr2--;
                     int len2 = que[ptr2];
46.
47.
                     if(M.count(len2)) {
48.
                         M[len2]--;
49.
                         if(!M[len2]) res++;
50.
51.
                }
52.
            }
53.
        }
54.
        return flag;
55.}
56.
57. int solve() {
        int i;
58.
        for(i = 2; i <= 7; i++) {</pre>
59.
60.
            ptr1 = 2;
61.
            ptr2 = 1;
62.
            M.clear();
63.
            M[que[ptr2-1]] = 1;
64.
            res = S.size()-1;
65.
            if(dfs(0, 2, i)) break;
66.
67.
        return i;
68.}
69.
70. int main() {
71.
72.
        while(scanf("%d", &n) == 1 && n) {
            for(int i = 0; i < n; i++) scanf("%d", &length[i]);</pre>
73.
74.
            sort(length, length+n);
75.
            n = unique(length, length+n) - length;
76.
            ptr1 = ptr2 = 0;
77.
            S.clear();
            for(int i = 0; i < n; i++)</pre>
78.
```

```
79.
                S.insert(length[i]);
80.
            scale[ptr1++] = 0;
81.
            scale[ptr1++] = length[n-1];
            que[ptr2++] = length[n-1];
82.
            int k = 0;
83.
84.
            for(int i = 0; i < n-1; i++, k++)</pre>
                length[n+k] = length[n-1] - length[i];
85.
            sort(length, length+n+k);
86.
            n = unique(length, length+n+k) - length;
87.
88.
            int ans = solve();
89.
            printf("%d\n", ans);
90.
91.
        //time_;
92.
        return 0;
93.}
```

B-Prefix and Suffix

SOLUTION

后缀自动机:

如果一个子串出现 2 次以上,那么取最左出现的位置 p 和最右的位置 q,而且子串长度 x 在 L 到 R 之间,那么子串 s[p,q+x-1]符合条件,所以建好自动机,遍历每个节点记录 right 集合最大最小值

和节点的长度,复杂度 O(n)

后缀数组:

后缀数组思路比较麻烦,对于 lcp(p,q)=k,如果 k>=l,那 么子串 s[p,q+min(k,r)+1]符合条件,而根据性质, lcp(p,q)=min(height[x],height[y]),所以转而枚举 t,令 height[t]为 height[x]~height[y]的最小值,求出 x 集合的最大

最小值和 y 集合的最大最小值,这个可以用单调栈实现,复杂度 O(n),所以为了保持 O(n)的复杂度,后缀数组应使用 dc3 算法

```
1. #include <bits/stdc++.h>
2. const int MAXN = 5e6;
using namespace std;
4.
5. #define ll long long
6. #define up(i,j,n) for(int i=j;i<=n;i++)</pre>
7. #define down(i,j,n) for(int i=j;i>=n;i--)
8. #define cmax(a,b) a=max(a,b)
9. #define cmin(a,b)
                       a=min(a,b)
10. #define clr(m) memset(m, 0, sizeof(m))
12. namespace SAM{
13.
       int p,np,q,nq,now=1,cnt=1,n;
       int pre[MAXN], son[MAXN][26], step[MAXN], pos[MAXN], pos2[MAXN];
14.
15.
       int mark[MAXN], rnk[MAXN];
       bool isr[MAXN];
16.
17.
       void reset() {
18.
            now=1;cnt=1;
19.
            clr(son);clr(isr);
20.
            clr(mark);
21.
       }
       void extend(int poss,int nxt){
22.
23.
            p=now;np=++cnt;now=np;
24.
            step[np]=step[p]+1;pos[np]=pos2[np]=poss;
25.
            isr[np]=true;
26.
            for(;!son[p][nxt]&&p;p=pre[p])son[p][nxt]=np;
27.
            if(!p)pre[np]=1;
28.
            else{
29.
                q=son[p][nxt];
30.
                if(step[q]==step[p]+1)pre[np]=q;
31.
                else{
                    nq=++cnt;
32.
33.
                    step[nq]=step[p]+1;
34.
                    pos[nq]=pos2[nq]=pos[q];
35.
                    memcpy(son[nq],son[q],sizeof(son[q]));
36.
                    pre[nq]=pre[q];
                    pre[np]=pre[q]=nq;
37.
```

```
38.
                    for(;son[p][nxt]==q;p=pre[p])son[p][nxt]=nq;
39.
                }
            }
40.
       }
41.
42.
        void topsort(){
43.
            up(i,1,cnt)mark[step[i]]++;
44.
            up(i,1,n)mark[i]+=mark[i-1];
45.
            down(i,cnt,1)rnk[mark[step[i]]--]=i;
46.
47. }
48.
49. namespace Solution {
50.
        using namespace SAM;
51.
        int 1,r;
52.
        char s[MAXN];
53.
        void init(){
54.
            scanf("%d%d%s",&l,&r,s+1);
55.
            //reset();
            n=strlen(s+1);
56.
57.
            up(i,1,n)extend(i,s[i]-'a');
58.
            topsort();
59.
       }
60.
        void solve() {
61.
            int ans=0;
62.
            down(i,cnt,2){
63.
                int p=rnk[i],q=pre[p];
64.
                cmin(pos[q], pos[p]);
                cmax(pos2[q], pos2[p]);
65.
66.
                if (l<=step[p] && step[q]+1<=r && pos2[p]!=pos[p])</pre>
                    cmax(ans,pos2[p]-pos[p]+min(r,step[p]));
67.
68.
            printf("%d\n",ans);
69.
70.
71.}
72.
73. int main(){
       Solution::init();
74.
75.
        Solution::solve();
        return 0;
76.
77.}
78. #include <bits/stdc++.h>
79. const int N = 5e6;
80. using namespace std;
81.
```

```
82. #define 11 long long
83. #define up(i,j,n) for(int i=j;i<=n;i++)
84. #define down(i,j,n) for(int i=j;i>=n;i--)
85. #define cmax(a,b)
                         a=max(a,b)
86. #define cmin(a,b)
                         a=min(a,b)
87. #define clr(m) memset(m, 0, sizeof(m))
88.
89. namespace SA{
90.
        int wa[N*3],wb[N*3],wv[N*3],ws[N*3];
91.
        int r[N],sa[N];
92.
        char s[N];
93.
        int n;
94.
        #define c0(r,a,b) r[a]==r[b]&&r[a+1]==r[b+1]&&r[a+2]==r[b+2]
95.
        int c12(int k,int *r,int a,int b)
96.
97.
98.
            if(k==2) return r[a]<r[b]||r[a]==r[b]&&c12(1,r,a+1,b+1);</pre>
            else return r[a]<r[b]||r[a]==r[b]&&wv[a+1]<wv[b+1];</pre>
99.
         }
100.
101.
         void sort(int *r,int *a,int *b,int n,int m)
102.
103.
104.
             for(int i=0;i<n;i++) wv[i]=r[a[i]];</pre>
105.
             for(int i=0;i<m;i++) ws[i]=0;</pre>
106.
             for(int i=0;i<n;i++) ws[wv[i]]++;</pre>
             for(int i=1;i<m;i++) ws[i]+=ws[i-1];</pre>
107.
             for(int i=n-1;i>=0;i--) b[--ws[wv[i]]]=a[i];
108.
109.
110.
111.
         void dc3(int *r,int *sa,int n,int m)
112.
             #define F(x) ((x)/3+((x)%3==1?0:tb))
113.
             #define G(x) ((x)<tb?(x)*3+1:((x)-tb)*3+2)
114.
115.
116.
             int *rn=r+n,*san=sa+n,ta=0,tb=(n+1)/3,tbc=0,p;
117.
             r[n]=r[n+1]=0;
             for(int i=0;i<n;i++) if(i%3!=0) wa[tbc++]=i;</pre>
118.
119.
120.
             sort(r+2,wa,wb,tbc,m);
             sort(r+1,wb,wa,tbc,m);
121.
122.
             sort(r,wa,wb,tbc,m);
123.
124.
             rn[F(wb[0])]=0; p=1;
             for(int i=1;i<tbc;i++) rn[F(wb[i])]=c0(r,wb[i-1],wb[i])?p-1:p++;</pre>
125.
```

```
126.
127.
             if(p<tbc) dc3(rn,san,tbc,p);</pre>
128.
             else for(int i=0;i<tbc;i++) san[rn[i]]=i;</pre>
129.
             /**以上是第一部分计算完毕*/
130.
131.
             for(int i=0;i<tbc;i++) if(san[i]<tb) wb[ta++]=san[i]*3;</pre>
132.
             if(n%3==1) wb[ta++]=n-1;
133.
             sort(r,wb,wa,ta,m);
134.
             /**以上是第二部分计算完毕*/
135.
136.
             /**合并*/
             for(int i=0;i<tbc;i++) wv[wb[i]=G(san[i])]=i;</pre>
137.
138.
             int i=0,j=0;
139.
             for(p=0;i<ta&&j<tbc;p++)</pre>
140.
             {
141.
                 sa[p]=c12(wb[j]%3,r,wa[i],wb[j])?wa[i++]:wb[j++];
142.
             }
143.
             while(i<ta) sa[p++]=wa[i++];</pre>
144.
             while(j<tbc) sa[p++]=wb[j++];</pre>
145.
         int ra[N],h[N];
146.
         void getheight()
147.
148.
             for(int i=0;i<n;i++) r[i]=s[i]-'a'+1;</pre>
149.
150.
             r[n+1]=0;
             dc3(r,sa,n+1,27);
151.
             up(i,1,n)ra[sa[i]]=i;
152.
             up(i,0,n-1) if (ra[i]>1) {
153.
154.
                 int &p=h[ra[i]] ; p=max(0,i>0?h[ra[i-1]]-1:0) ;
155.
                 for (int x=sa[ra[i]-
   1];x+p<n && i+p<n && s[x+p]==s[i+p];) ++p ;
156.
             }
157.
             //up(i,1,n)
158.
                    printf("%d %s %d %d\n",i, s+sa[i], sa[i], h[i]);
159.
160. };
161. namespace Solution {
162.
         using namespace SA;
163.
         int 1,r;
         int top,stk[N],mi[N],ma[N];
164.
165.
         int p[N],q[N];
166.
         void init(){
167.
             scanf("%d%d%s",&1,&r,s);
168.
             n=strlen(s);
```

```
169.
             getheight();
170.
         }
         void solve() {
171.
172.
             int ans=0,top=-1;
173.
             top=-1;
174.
             up(i,2,n){
175.
                 p[i]=q[i]=sa[i-1];
                 while(top>=0&&h[stk[top]]>=h[i]) {
176.
177.
                      cmin(p[i],mi[top]);
178.
                      cmax(q[i],ma[top]);
179.
                      --top;
180.
                 }
181.
                 stk[++top]=i;
182.
                 mi[top]=p[i];
183.
                 ma[top]=q[i];
184.
             }
185.
             top=-1;
186.
             int pp,qq;
187.
             down(i,n,2){
188.
                 pp=qq=sa[i];
                 while(top>=0&&h[stk[top]]>=h[i]) {
189.
190.
                      cmin(pp,mi[top]);
191.
                      cmax(qq,ma[top]);
192.
                      --top;
193.
                 }
194.
                 stk[++top]=i;
195.
                 mi[top]=pp;
196.
                 ma[top]=qq;
197.
                 if (h[i]>=1) {
198.
                      cmax(ans,abs(pp-q[i])+min(r,h[i]));
199.
                      cmax(ans,abs(p[i]-qq)+min(r,h[i]));
200.
                 }
201.
202.
             printf("%d\n",ans);
203.
204. }
205.
206. int main(){
207.
         Solution::init();
208.
         Solution::solve();
209.
         return 0;
210. }
```

C-Portal

SOLUTION

主算法是BFS,搜索从X结点到Y结点的最短路。因为原先 关闭的通道需要钥匙才能开启,注意处理不同位置的结点时 各个通道的状态可能不同,因此在将某一结点加入队列的同 时也要记录此刻各个通道的状态。处理方法为给每个结点设 置一个十位二进制数 state,每一位表示相应通道的状态(0 表示关闭,1表示开启),然后将 state 与结点的行号 r 和列 号 c 编码,即 v = state*n*m + r*m + c 细节详见标程。

```
    #include <stdio.h>

2. #include <string.h>
3. #define MAXP 15000000
4. #define MAXK 12
5. #define MAXN 33
int queue[MAXP], qs, qe;
8. int visit[MAXP];
9. int msk[MAXK];
10. char mat[MAXN][MAXN];
11. int portal[MAXK][2][2];
12. int n, m, k;
14. int go[4][2] =
15. {
16. \{1, 0\},\
17.
       {0, 1},
18. {-1, 0},
19.
       \{0, -1\}
20. };
21.
```

```
22. void Get(int v, int &r, int &c, int &st)
23. {
24.
      st = v / (n * m);
       v \% = (n * m);
25.
26.
       r = v / m;
27.
       v %= m;
28.
       c = v;
29. }
31. int Set(int r, int c, int st)
32. {
       return st * n * m + r * m + c;
33.
34.}
35.
36. bool CanGo(int r, int c)
37. {
38.
       if (r < 0 || r >= n || c < 0 || c >= m)
39.
           return false;
       return mat[r][c] != '#';
40.
41.}
42.
43. bool PortalCanUse(int idx, int st)
44. {
45.
       return (((st>>idx) & 1) == 1);
46.}
47.
48. void FindPortal(int r, int c, int idx, int &nr, int &nc)
49. {
50.
     if (r == portal[idx][0][0] && c == portal[idx][0][1])
51.
52.
        nr = portal[idx][1][0];
           nc = portal[idx][1][1];
53.
54.
       }
55.
       else
       {
56.
57.
           nr = portal[idx][0][0];
58.
         nc = portal[idx][0][1];
59.
       }
60.}
61.
62. int bfs(int xr, int xc, int yr, int yc, int state)
63. {
64.
      int v, r, c, st, nr, nc, nst, i, idx, tmp;
       qs = qe = 0;
65.
```

```
66.
        memset (visit, 0x0a, sizeof visit);
67.
        v = Set(xr, xc, state);
        visit[v] = 0;
68.
69.
        queue[qe++] = v;
        while (qs < qe)</pre>
70.
71.
72.
            v = queue[qs++];
73.
            Get(v, r, c, st);
            // printf("%d: %d %d %d, %d\n", v, r, c, st, visit[v]);
74.
75.
            if (r == yr && c == yc)
76.
                return visit[v];
            for (i = 0; i < 4; i++)</pre>
77.
78.
79.
                nr = r + go[i][0];
80.
                nc = c + go[i][1];
81.
                nst = st;
                tmp = Set(nr, nc, nst);
82.
83.
                if (CanGo(nr, nc) && visit[tmp] > visit[v] + 1)
84.
85.
                    // printf(" %d --> %d\n", v, tmp);
                    visit[tmp] = visit[v] + 1;
86.
87.
                    queue[qe++] = tmp;
88.
89.
            }
90.
            idx = mat[r][c] - 'A';
91.
            if (idx >= 0 && idx < k && PortalCanUse(idx, st))</pre>
92.
93.
                FindPortal(r, c, idx, nr, nc);
94.
                nst = (st | msk[idx]);
95.
                tmp = Set(nr, nc, nst);
96.
                if (CanGo(nr, nc) && visit[tmp] > visit[v] + 1)
97.
                {
98.
                    // printf(" %d ---> %d\n", v, tmp);
99.
                    visit[tmp] = visit[v] + 1;
100.
                      queue[qe++] = tmp;
101.
                 }
102.
103.
         }
         return -1;
104.
105. }
106.
107. void Solve()
108. {
         char str[10];
109.
```

```
int i, j, t, state, idx, cnt, res;
110.
111.
         int xr, xc, yr, yc;
         memset (portal, -1, sizeof portal);
112.
         memset (msk, 0, sizeof msk);
113.
         scanf("%d%d%d", &n, &m, &k);
114.
115.
         for (i = 0; i < n; i++)</pre>
116.
             scanf("%s", mat[i]);
117.
118.
             for (j = 0; j < m; j++)</pre>
119.
120.
                  if (mat[i][j] == 'X') {
121.
                      xr = i; xc = j;
122.
                  } else if (mat[i][j] == 'Y') {
123.
                      yr = i; yc = j;
124.
                  } else if (mat[i][j] - 'A' >= 0 && mat[i][j] - 'A' < k) {</pre>
125.
                      idx = mat[i][j] - 'A';
126.
                      if (portal[idx][0][0] == -1) {
127.
                           portal[idx][0][0] = i;
128.
                           portal[idx][0][1] = j;
129.
                      } else {
                           portal[idx][1][0] = i;
130.
131.
                           portal[idx][1][1] = j;
132.
                  }
133.
134.
135.
         }
136.
         scanf("%d", &cnt);
         for (i = state = 0; i < cnt; i++)</pre>
137.
138.
             scanf("%s", str);
139.
140.
             idx = str[0] - 'A';
              state = (state | (1<<idx));</pre>
141.
142.
143.
         for (i = 0; i < k; i++)</pre>
144.
145.
             scanf("%d", &cnt);
             for (j = 0; j < cnt; j++)</pre>
146.
147.
             {
                  scanf("%s", str);
148.
                  idx = str[0] - 'A';
149.
150.
                  msk[i] = (1 << idx);
151.
             }
152.
         // printf("%d %d %d %d %d \n", xr, xc, yr, yc, state);
153.
```

```
154. // for (i = 0; i < k; i++)
             // printf("(%d, %d) -
   - (%d, %d) %d\n", portal[i][0][0], portal[i][0][1],
156.
                 // portal[i][1][0], portal[i][1][1], msk[i]);
157.
         res = bfs(xr, xc, yr, yc, state);
158.
       if (res >= 0)
             printf("%d\n", res);
159.
         else
160.
             printf("Unreachable\n");
161.
162. }
163.
164. int main()
165. {
         int cas, i;
166.
167.
         scanf("%d", &cas);
         for (i = 1; i <= cas; i++)</pre>
168.
169.
170.
             printf("Case #%d: ", i);
171.
             Solve();
172.
173.
         return 0;
174. }
```

D-Bipartite Graph

SOLUTION

签到题。二分图并查集。

```
1. #include <stdio.h>
2. #include <stack>
3. #include <list>
4. #include <map>
5. #include <set>
6. #include <iostream>
7.

8. using namespace std;
9.

10. const double eps = 1e-8;
11. const int MAXN = 300007;
```

```
12.
13. int u[MAXN], v[MAXN];
14. int fa[MAXN * 2];
15.
16. int my_get(int u)
17. {
18.
     if (fa[u] == u)
19.
           return u;
       return fa[u] = my_get(fa[u]);
20.
21. }
22.
23. bool same(int u, int v)
24. {
25.
       return my_get(u) == my_get(v);
26.}
27.
28. void my_uni(int u, int v)
29. {
       fa[my_get(u)] = my_get(v);
30.
31. }
32.
33. char buffer[200];
34.
35. int main()
36. {
37.
       int n, m;
38.
       while(scanf("%d%d", &n, &m) != EOF) printf("%d\n", n + m);
       return 0;
39.
40.}
```

E-Stations

SOLUTION

以车站和用户群建点,由用户群向车站连边,问题转化为最 大权闭合子图。用网络流求解。

```
    #include <iostream>
    #include <cstdio>
    #include <algorithm>
    #include <cstring>
```

```
5. #include <queue>
6. #include <cmath>
7. #define rep(i,l,r) for(int i=l; i<=r; i++)</pre>
8. #define clr(x,y) memset(x,y,sizeof(x))
9. #define travel(x) for(int i=last[x]; i!=-1; i=edge[i].pre)
10. const int INF = 0x7fffffff;
11. const int maxn = 55010;
12. using namespace std;
13. struct Edge{
       int pre,to,cost;
15. }edge[350000];
16. int n,m,x,y,z,s,t,now,tot=-1,ans=0,total=0,last[maxn],cur[maxn],d[maxn];
17. queue <int> q;
18. inline int read(){
       int ans = 0, f = 1;
19.
20.
       char c = getchar();
21.
       while (!isdigit(c)){
22.
            if (c == '-') f = -1;
23.
            c = getchar();
24.
       while (isdigit(c)){
25.
            ans = ans * 10 + c - '0';
26.
27.
            c = getchar();
28.
       }
29.
        return ans * f;
30.}
31. inline void addedge(int x,int y,int z){
32.
       edge[++tot].pre = last[x];
33.
       edge[tot].to = y;
34.
       edge[tot].cost = z;
       last[x] = tot;
35.
36.}
37. bool bfs(){
       while (!q.empty()) q.pop();
38.
39.
       clr(d,-1); d[s] = 0; q.push(s);
40.
       while (!q.empty()){
            now = q.front(); q.pop();
41.
42.
            travel(now){
                if (d[edge[i].to] == -1 && edge[i].cost > 0){
43.
                    d[edge[i].to] = d[now] + 1;
44.
45.
                    q.push(edge[i].to);
                    if (edge[i].to == t) return 1;
46.
47.
                }
48.
```

```
49.
       }
50.
       return 0;
51.}
52. int dfs(int x,int flow){
       if (x == t || (!flow)) return flow; int w = 0;
53.
54.
       for (int i=cur[x]; i!=-1 && w<flow; i=edge[i].pre){</pre>
            if (d[edge[i].to] == d[x] + 1 && edge[i].cost > 0){
55.
56.
                int delta = dfs(edge[i].to,min(flow-w,edge[i].cost));
57.
                edge[i].cost -= delta;
58.
                edge[i^1].cost += delta;
59.
                w += delta;
60.
                if (edge[i].cost) cur[x] = i;
61.
            }
62.
       }
       if (w < flow) d[x] = -1;
63.
64.
       return w;
65.}
66. int main(){
       int T = read();
67.
       while (T--) {
68.
       memset(edge, 0, sizeof(edge));
69.
       memset(last, 0, sizeof(last));
70.
71.
       memset(cur, 0, sizeof(cur));
       memset(d, 0, sizeof(d));
72.
73.
       tot=-1;ans=0;total=0;
74.
        n = read(); m = read(); clr(last,-1);
75.
       s = 0; t = n + m + 1;
76.
        rep(i,1,n){
77.
            x = read();
78.
            addedge(s,i,x); addedge(i,s,0);
79.
       }
80.
        rep(i,1,m){
81.
            x = read(); y = read(); z = read();
82.
            total += z;
            addedge(i+n,t,z); addedge(t,i+n,0);
83.
84.
            addedge(x,i+n,INF); addedge(i+n,x,0);
85.
            addedge(y,i+n,INF); addedge(i+n,y,0);
86.
       }
       while (bfs()){
87.
            rep(i,0,n+m+1) cur[i] = last[i];
88.
89.
            int tans = dfs(s,INF);
90.
            ans += tans;
91.
       printf("%d\n",total-ans);
92.
```

```
93. }
94. return 0;
95. }
```

F-Fighting and fighting

SOLUTION

这个题显然是要求找一天从左到右的路径, 使这条路径上的 最小的过道最大

最小值最大,于是可以二分。

其次我们发现,如果能找到这么一条路径,则表示可以将上下边界分成两个不同的集合,于是我们将上边界看作一个点,下边界看作一个点,每条线段看作一个点,于是得到n+2个点。

我们二分答案 ans,当每个点之间的距离小于等于 ans 时就合并两个集合,最后判断上边界和下边界是否在同一个集合时间复杂度为 n*n*log(1000000000).

```
1. #include <bits/stdc++.h>
2. using namespace std;
3.
4. const double pi=acos(-1.0);
5. const double eps=1e-8;
6. const int maxn = 5000 + 10;
7. const int inf = 0x3f3f3f3f;
8.
9. struct Point{
10. double x,y;
11. Point(double x=0,double y=0):x(x),y(y){}
12. };
```

```
13.
14. typedef Point Vector;
15. Vector operator + (Vector A, Vector B) { return Vector(A.x+B.x,A.y+B.y); }
16. Vector operator - (Vector A, Vector B) {return Vector(A.x-B.x,A.y-B.y);}
17. Vector operator * (Vector A, double p) { return Vector(A.x*p,A.y*p); }
18. Vector operator / (Vector A, double p) {return Vector(A.x/p,A.y/p);}
19. bool operator <(const Point &a,const Point &b){return (a.x<b.x | | (a.x==b.x
   && a.y<b.y));}
20.
21. int dcmp(double x){
       if (fabs(x)<eps) return 0;</pre>
23.
       else return x<0?-1:1;</pre>
24. }
25.
26. bool operator == (const Point &a,const Point &b){return (dcmp(a.x-
   b.x)==0 \&\& dcmp(a.y-b.y)==0);
27. double Dot(Vector A, Vector B){return A.x*B.x+A.y*B.y;}
28. double Length(Vector A){return sqrt(Dot(A,A));}
29. double Cross(Vector A, Vector B){return A.x*B.y-A.y*B.x;}
31. double DistanceToSegment(Point P,Point A,Point B)
32. {
33.
       if (A==B) return Length(P-A);
       Vector v1=B-A, v2=P-A, v3=P-B;
34.
35.
       if (dcmp(Dot(v1,v2))<0) return Length(v2);</pre>
36.
       else if (dcmp(Dot(v1,v3))>0) return Length(v3);
        else return fabs(Cross(v1,v2))/Length(v1);
37.
38. }
39.
40. bool SegmentProperIntersection(Point a1, Point a2, Point b1, Point b2)
41. {
42.
       double c1=Cross(a2-a1,b1-a1);
43.
       double c2=Cross(a2-a1,b2-b1);
       double c3=Cross(b2-b1,a1-b1);
44.
45.
       double c4=Cross(b2-b1,a2-b1);
       return (dcmp(c1)*dcmp(c2)<0 && dcmp(c3)*dcmp(c4)<0);</pre>
46.
47. }
48.
49. double distanceLineToLine(Point a, Point b, Point c, Point d)
50. {
51.
        if (SegmentProperIntersection(a,b,c,d)) return 0;
        return min(min(DistanceToSegment(a,c,d), DistanceToSegment(b,c,d)),min(D
   istanceToSegment(c,a,b), DistanceToSegment(d,a,b)));
53.}
```

```
54.
55. struct Line
56. {
        Point a,b;
57.
58. };
59.
60. Line line[maxn];
61. int p[maxn];
62. double dis[maxn][maxn];
63.
64. int f(int x) {
        return x==p[x]?x:p[x]=f(p[x]);
65.
66.}
67.
68. void getdistance(int n, double M)
69. {
70.
        dis[0][0]=dis[n+1][n+1]=0;
71.
        dis[0][n+1]=inf;
72.
        for (int i=1;i<=n;i++) {</pre>
73.
            dis[i][i]=0;
            dis[0][i] = dis[i][0] = min(line[i].a.y, line[i].b.y);
74.
            dis[i][n+1] = dis[n+1][i] = M - max(line[i].a.y, line[i].b.y);
75.
76.
            for (int j=i+1;j<=n;j++) {</pre>
                dis[i][j]=distanceLineToLine(line[i].a,line[i].b,line[j].a,line[
77.
   j].b);
78.
                dis[j][i]=dis[i][j];
79.
            }
80.
81.}
82.
83. bool ok(double x, int n)
84. {
85.
        for (int i=0;i<=n+1;i++) p[i]=i;</pre>
86.
        for (int i=0;i<=n+1;i++) {</pre>
            for (int j=i+1;j<=n+1;j++)</pre>
87.
88.
                if (dis[i][j] + eps < x) {</pre>
89.
                     int ii = f(i);
90.
                     int jj = f(j);
                     if (ii != jj) p[ii] = jj;
91.
92.
93.
        }
94.
        return f(0) != f(n+1);
95.}
96.
```

```
97. int main()
98. {
        //freopen("in.txt","r",stdin);
99.
100.
         // freopen("out.txt","w",stdout);
101.
         int n;
102.
         double M;
         while(scanf("%d",&n)!=EOF)
103.
104.
105.
             double L=0, R=0;
106.
             scanf("%lf",&M);
107.
             for (int i=1;i<=n;i++){</pre>
108.
                  scanf("%lf%lf%lf",&line[i].a.x, &line[i].a.y, &line[i].b.x,
   &line[i].b.y);
109.
                  R = max(R, max(line[i].a.y, line[i].b.y));
110.
111.
             getdistance(n, M);
112.
             while(L+eps<R) {</pre>
113.
                  double mid = (L+R)/2.0;
                  if (ok(mid, n)) L = mid;
114.
115.
                  else R=mid;
116.
             printf("%.2f\n",L);
117.
118.
         return 0;
119.
120. }
```

G-Old Printer

SOLUTION

根据题意,我们可以得到 dp 方程

 $dp[i][j]=min(dp[k][j-1]+(sum[i]-sum[k])^2)$

其中 0<=k<i, 时间复杂度为 O(n^2*m), 空间复杂度为 O(n*m)。

由于给定的数据比较大,我们需要对 dp 进行优化。

化简 dp 表达式发现 dp[i][j]=min(dp[k][j-1]+sum[i]^2+sum[k]^2-2*sum[i]*sum[k]);那么我们只需要找出前 i 个数中 dp[k][j-1]+sum[k]^2-2*sum[k]*sum[i]中最小的一个。

设 k<ok, 要 ok 比 k 优只需

dp[k][j-1]+sum[k]^2-2*sum[k]*sum[i]>dp[ok][j-1]+sum[ok]^22*sum[ok]*sum[i]

即

 $(dp[ok][j-1]+sum[ok]^2-dp[k][j-1]-sum[k]^2) /(2*sum[ok]-2*sum[k])<sum[i]$

设 y[i]=dp[i][j-1]+sum[i]^2,x[i]=2*sum[i]

则上式为

(y[ok]-y[k]) / (x[ok]-x[k]) < sum[i]

根据上式我们可以采用斜率优化 dp,我们记 g[ok][k]=(y[ok]-y[k])/(x[k]-x[ok])那么 g[ok][k]<sum[i]表示对于 i 而言,用 ok 来更新比用 k 来更新更优。

对 g[k][l]>g[ok][k]

- ① 若 g[ok][ok]<sum[i],则 ok 比 k 优
- ② 若 g[k][l]>=g[ok][k]>=sum[i],则 l 比 k 优

综上,对于 g[k][l]>g[ok][k]而言, k 总是不优的情况,所以我们可以去掉 k,那么我们相当于维护一个下凸包。因为 sum[i]

随i的增大而增大,所以下凸包上任意相邻两点i,j有若此时 j比i优,则以后都是j比i优。

由于空间不足,并且 dp[i][j]只与 dp[k][j-1]有关,我们可以采用滚动数组来优化空间。

```
1. #include<cstdio>
2. #include<cstring>
using namespace std;
4. #define inf 100000000000000000011
5. #define maxn 10000
6. #define maxm 5000
7. #define LL long long
8. LL dp[maxn+10][2];
9. LL sum[maxn+10];
10. LL y[maxn+10],x[maxn+10];
11. int c[maxn+10];
12. int q[maxn+10];
13. LL Min(LL v,LL u) {
14. if(v<u) return v;
15.
                        return u;
16.}
17. LL Square(LL x) {
18.
                        return x*x;
19. }
20. bool check1(int i,int l,int r) {
21.
                         if(l==r) return false;
                         \textbf{if}(dp[q[1]][0] + Square(sum[i] - sum[q[1]]) > dp[q[1+1]][0] + Square(sum[i] - sum[i]) 
            sum[q[l+1]])) return true;
                         return false;
23.
24. }
25. bool check2(int l,int r) {
26. if(l+1==r) return false;
                        if((y[q[r]]-y[q[r-1]])*(x[q[r-1]]-x[q[r-2]]) <= (y[q[r-1]]-y[q[r-1]]-y[q[r-1]]-y[q[r-1]]-y[q[r-1]]-y[q[r-1]]-y[q[r-1]]-y[q[r-1]]-y[q[r-1]]-y[q[r-1]]-y[q[r-1]]-y[q[r-1]]-y[q[r-1]]-y[q[r-1]]-y[q[r-1]]-y[q[r-1]]-y[q[r-1]]-y[q[r-1]]-y[q[r-1]]-y[q[r-1]]-y[q[r-1]]-y[q[r-1]]-y[q[r-1]]-y[q[r-1]]-y[q[r-1]]-y[q[r-1]]-y[q[r-1]]-y[q[r-1]]-y[q[r-1]]-y[q[r-1]]-y[q[r-1]]-y[q[r-1]]-y[q[r-1]]-y[q[r-1]]-y[q[r-1]]-y[q[r-1]]-y[q[r-1]]-y[q[r-1]]-y[q[r-1]]-y[q[r-1]]-y[q[r-1]]-y[q[r-1]]-y[q[r-1]]-y[q[r-1]]-y[q[r-1]]-y[q[r-1]]-y[q[r-1]]-y[q[r-1]]-y[q[r-1]]-y[q[r-1]]-y[q[r-1]]-y[q[r-1]]-y[q[r-1]]-y[q[r-1]]-y[q[r-1]]-y[q[r-1]]-y[q[r-1]]-y[q[r-1]]-y[q[r-1]]-y[q[r-1]]-y[q[r-1]]-y[q[r-1]]-y[q[r-1]]-y[q[r-1]]-y[q[r-1]]-y[q[r-1]]-y[q[r-1]]-y[q[r-1]]-y[q[r-1]]-y[q[r-1]]-y[q[r-1]]-y[q[r-1]]-y[q[r-1]]-y[q[r-1]]-y[q[r-1]]-y[q[r-1]]-y[q[r-1]]-y[q[r-1]]-y[q[r-1]]-y[q[r-1]]-y[q[r-1]]-y[q[r-1]]-y[q[r-1]]-y[q[r-1]]-y[q[r-1]]-y[q[r-1]]-y[q[r-1]]-y[q[r-1]]-y[q[r-1]]-y[q[r-1]]-y[q[r-1]]-y[q[r-1]]-y[q[r-1]]-y[q[r-1]]-y[q[r-1]]-y[q[r-1]]-y[q[r-1]]-y[q[r-1]]-y[q[r-1]]-y[q[r-1]]-y[q[r-1]]-y[q[r-1]]-y[q[r-1]]-y[q[r-1]]-y[q[r-1]]-y[q[r-1]]-y[q[r-1]]-y[q[r-1]]-y[q[r-1]]-y[q[r-1]]-y[q[r-1]]-y[q[r-1]]-y[q[r-1]]-y[q[r-1]]-y[q[r-1]]-y[q[r-1]]-y[q[r-1]]-y[q[r-1]]-y[q[r-1]]-y[q[r-1]]-y[q[r-1]]-y[q[r-1]]-y[q[r-1]]-y[q[r-1]]-y[q[r-1]]-y[q[r-1]]-y[q[r-1]]-y[q[r-1]]-y[q[r-1]]-y[q[r-1]]-y[q[r-1]]-y[q[r-1]]-y[q[r-1]]-y[q[r-1]]-y[q[r-1]]-y[q[r-1]]-y[q[r-1]]-y[q[r-1]]-y[q[r-1]]-y[q[r-1]]-y[q[r-1]]-y[q[r-1]]-y[q[r-1]]-y[q[r-1]]-y[q[r-1]]-y[q[r-1]]-y[q[r-1]]-y[q[r-1]]-y[q[r-1]]-y[q[r-1]]-y[q[r-1]]-y[q[r-1]]-y[q[r-1]]-y[q[r-1]]-y[q[r-1]]-y[q[r-1]]-y[q[r-1]]-y[q[r-1]]-y[q[r-1]]-y[q[r-1]]-y[q[r-1]]-y[q[r-1]]-y[q[r-1]]-y[q[r-1]]-y[q[r-1]]-y[q[r-1]]-y[q[r-1]]-y[q[r-1]]-y[q[r-1]]-y[q[r-1]]-y[q[r-1]]-y[q[r-1]]-y[q[r-1]]-y[q[r-1]]-y[q[r-1]]-y[q[r-1]]-y[q[r-1]]-y[q[r-1]]-y[q[r-1]]-y[q[r-1]]-y[q[r-1]]-y[q[r-1]]-y[q[r-1]]-y[q[r-1]]-y[q[r-1]]-y[q[r-1]]-y[q[r-1]]-y[q[r-1]]-y[q[r-1]]-y[q[r-1]]-y[q[r-1]]-y[q[r-1]]-y[q[r-1]]-y[q[r-1]]-y[q[r-1]]-y[q[r-1]]-y[q[r-1]]-y[q[r-1]]-y[q[r-1]]-y[q[r
            2]])*(x[q[r]]-x[q[r-1]])) return true;
28.
                        return false;
29. }
30. void Function(int n,int m) {
31.
                        sum[0]=0;
32.
                    for(int i=1;i<=n;i++)</pre>
33.
                                      scanf("%d",&c[i]),sum[i]=sum[i-1]+c[i];
```

```
34.
        for(int i=1;i<=n;i++)</pre>
35.
            dp[i][0]=inf;
36.
37.
        for(int j=1;j<=m;j++) {</pre>
            int l=1,r=1;
38.
39.
            q[1]=0;
40.
            for(int i=1;i<=n;i++) {</pre>
                while(check1(i,l,r)) l++;
41.
                 dp[i][1]=dp[q[1]][0]+Square(sum[i]-sum[q[1]]);
42.
43.
                 q[++r]=i; y[i]=dp[i][0]+Square(sum[i]); x[i]=2*sum[i];
44.
                 while(check2(1,r)) q[--r]=q[r+1];
45.
            }
46.
            for(int i=1;i<=n;i++)</pre>
47.
                 dp[i][0]=dp[i][1];
48.
49.
        printf("%11d\n",dp[n][0]);
50.
        return ;
51.}
52. int main() {
53.
        freopen("data0.in","r",stdin);
        freopen("data0.out", "w", stdout);
54.
        memset(dp,0,sizeof(dp));
55.
56.
        int n,m;
        while(scanf("%d%d",&n,&m)!=EOF) Function(n,m);
57.
        return 0;
58.
59.}
```

H-Cookies

SOLUTION

组合数学+DP

```
1. #include <iostream>
2. #include <cstdio>
3. #include <cstdlib>
4. #include <cstring>
5. #include <vector>
6. #include <queue>
7. #include <stack>
```

```
8. #include <set>
9. #include <map>
10. #include <algorithm>
11.
12. using namespace std;
13. #define MOD 1000000007
15. long long f[255][255],fsum[255][255],dp[255555],dpsum[255555],g[255][255];
16. int x[1010],q[1010],qsum[1010],b[255555];
18. int main()
19. {
20.
        //freopen("B.in","r",stdin);
21.
        //freopen("B.out","w",stdout);
22.
        int T;
23.
        scanf("%d",&T);
24.
        for (int cas=1;cas<=T;++cas)</pre>
25.
            memset(f,0,sizeof(f));
26.
27.
            memset(fsum,0,sizeof(fsum));
28.
            memset(dp,0,sizeof(dp));
29.
            memset(dpsum,0,sizeof(dpsum));
30.
            memset(g,0,sizeof(g));
31.
            memset(b,0,sizeof(b));
32.
            memset(qsum,0,sizeof(qsum));
33.
            int n,t;
34.
            long long ans=0;
            scanf("%d%d",&n,&t);
35.
            for (int i=1;i<=n;++i) scanf("%d%d",q+i,x+i);</pre>
36.
37.
            for (int i=0;i<=250;++i) f[0][i]=1,fsum[0][i]=fsum[0][i-</pre>
   1]+f[0][i];
            for (int i=1;i<=250;++i) f[1][i]=i,fsum[1][i]=fsum[1][i-</pre>
38.
   1]+f[1][i];
39.
            for (int i=2;i<=250;++i)</pre>
40.
                for (int j=i;j<=250;++j)</pre>
41.
                     if (j>=t+1)
42.
                         f[i][j]=fsum[i-1][j-t-1];
43.
                         fsum[i][j]=(fsum[i][j-1]+f[i][j])%MOD;
44.
45.
46.
            for (int i=1;i<=250;++i)</pre>
47.
                for (int j=0;j<=250;++j)</pre>
48.
                     if (j==0) g[j][i]=f[j][i];
49.
```

```
50.
                                                            else g[j][i]=(g[j-1][i]+f[j][i])%MOD;
51.
                                                }
                                    for (int i=1;i<=n;++i)</pre>
52.
53.
54.
                                                qsum[i]=qsum[i-1]+q[i];
55.
                                                for (int j=qsum[i-1]+1;j<=qsum[i];++j)</pre>
56.
                                                            b[j]=i;
57.
                                   }
                                   for (int i=1;i<=qsum[1];++i)</pre>
58.
59.
60.
                                                if (q[1]==x[1]) dp[i]=0;
61.
                                                else
62.
63.
                                                            if (q[1]==x[1]+1) dp[i]=1;
64.
                                                            else
65.
                                                            {
66.
                                                                        if (i-1-t<=0) dp[i]=1;</pre>
67.
                                                                        else dp[i]=g[q[1]-x[1]-1][i-1-t];
68.
69.
                                                }
70.
                                                dpsum[i]=(dpsum[i-1]+dp[i])%MOD;
71.
                                    }
72.
                                    for (int i=qsum[1]+1;i<=qsum[n];++i)</pre>
73.
74.
                                                if (q[b[i]]==x[b[i]])
75.
                                                            dp[i]=0;
76.
                                                else
77.
                                                {
78.
                                                            for (int j=qsum[b[i]-1];j>=0&&j>qsum[b[i]-1]-t;--j)
79.
80.
                                                                        if (i-j-1<t) continue;</pre>
                                                                        if (i-qsum[b[i]-1]-1-t-(j+t-qsum[b[i]-1])>0)
81.
82.
                                                                                    dp[i]=(dp[i]+dp[j]*g[q[b[i]]-x[b[i]]-1][i-qsum[b[i]-
           1]-1-t-(j+t-qsum[b[i]-1])])%MOD;
                                                                        else dp[i]=(dp[i]+dp[j])%MOD;
83.
84.
                                                            }
85.
                                                            if (qsum[b[i]-1]-t>0)
86.
                                                            {
                                                                        if (q[b[i]]-x[b[i]]-1==0) dp[i]=(dp[i]+dpsum[qsum[b[i]-1])
87.
           1]-t])%MOD;
88.
                                                                        else if (i-qsum[b[i]-1]-1-
            \label{eq:theorem}  \  \, \text{t>0)} \ dp[i] = (dp[i] + dpsum[qsum[b[i]-1]-t] * g[q[b[i]]-x[b[i]]-1][i-qsum[b[i]-1]-t] * g[q[b[i]]-x[b[i]]-x[b[i]]-x[b[i]]-x[b[i]]-x[b[i]]-x[b[i]]-x[b[i]]-x[b[i]]-x[b[i]]-x[b[i]]-x[b[i]]-x[b[i]]-x[b[i]]-x[b[i]]-x[b[i]]-x[b[i]]-x[b[i]]-x[b[i]]-x[b[i]]-x[b[i]]-x[b[i]]-x[b[i]]-x[b[i]]-x[b[i]]-x[b[i]]-x[b[i]]-x[b[i]]-x[b[i]]-x[b[i]]-x[b[i]]-x[b[i]]-x[b[i]]-x[b[i]]-x[b[i]]-x[b[i]]-x[b[i]]-x[b[i]]-x[b[i]]-x[b[i]]-x[b[i]]-x[b[i]]-x[b[i]]-x[b[i]]-x[b[i]]-x[b[i]]-x[b[i]]-x[b[i]]-x[b[i]]-x[b[i]]-x[b[i]]-x[b[i]]-x[b[i]]-x[b[i]]-x[b[i]]-x[b[i]]-x[b[i]]-x[b[i]]-x[b[i]]-x[b[i]]-x[b[i]]-x[b[i]]-x[b[i]]-x[b[i]]-x[b[i]]-x[b[i]]-x[b[i]]-x[b[i]]-x[b[i]]-x[b[i]]-x[b[i]]-x[b[i]]-x[b[i]]-x[b[i]]-x[b[i]]-x[b[i]]-x[b[i]]-x[b[i]]-x[b[i]]-x[b[i]]-x[b[i]]-x[b[i]]-x[b[i]]-x[b[i]]-x[b[i]]-x[b[i]]-x[b[i]]-x[b[i]]-x[b[i]]-x[b[i]]-x[b[i]]-x[b[i]]-x[b[i]]-x[b[i]]-x[b[i]]-x[b[i]]-x[b[i]]-x[b[i]]-x[b[i]]-x[b[i]]-x[b[i]]-x[b[i]]-x[b[i]]-x[b[i]]-x[b[i]]-x[b[i]]-x[b[i]]-x[b[i]]-x[b[i]]-x[b[i]]-x[b[i]]-x[b[i]]-x[b[i]]-x[b[i]]-x[b[i]]-x[b[i]]-x[b[i]]-x[b[i]]-x[b[i]]-x[b[i]]-x[b[i]]-x[b[i]]-x[b[i]]-x[b[i]]-x[b[i]]-x[b[i]]-x[b[i]]-x[b[i]]-x[b[i]]-x[b[i]]-x[b[i]]-x[b[i]]-x[b[i]]-x[b[i]]-x[b[i]]-x[b[i]]-x[b[i]]-x[b[i]]-x[b[i]]-x[b[i]]-x[b[i]]-x[b[i]]-x[b[i]]-x[b[i]]-x[b[i]]-x[b[i]]-x[b[i]]-x[b[i]]-x[b[i]]-x[b[i]]-x[b[i]]-x[b[i]]-x[b[i]]-x[b[i]]-x[b[i]]-x[b[i]]-x[b[i]]-x[b[i]]-x[b[i]]-x[b[i]]-x[b[i]]-x[b[i]]-x[b[i]]-x[b[i]]-x[b[i]]-x[b[i]]-x[b[i]]-x[b[i]]-x[b[i]]-x[b[i]]-x[b[i]]-x[b[i]]-x[b[i]]-x[b[i]]-x[b[i]]-x[b[i]]-x[b[i]]-x[b[i]]-x[b[i]]-x[b[i]]-x[b[i]]-x[b[i]]-x[b[i]]-x[b[i]]-x[b[i]]-x[b[i]]-x[b[i]]-x[b[i]]-x[b[i]]-x[b[i]]-x[b[i]]-x[b[i]]-x[b[i]]-x[b[i]]-x[b[i]]-x[b[i]]-x[b[i]]-x[b[i]]-x[b[i]]-x[b[i]]-x[b[i]]-x[b[i]]-x[b[i]]-x[b[i]]-x[b[i]]-x[b[i]]-x[b[i]]-x[b[i]]-x[b[i]]-x[b[i]]-x[b[i]]-x[b[i]]-x[b[i]]-x[b[i]]-x[b[i]]-x[b[i]]-x[b[i]]-x[b[i]]-x[b[i]]-x[b[i]]-x[b[i]]-x[b[i]]-x[b[i]]-x[b[i]]-x[b[i]]-x[b[i]]-x[b[i]]-x[b[i]]-x[b[i]]-x[b[i]]-x[b[i]]-x[b[i]]-x[b[i]]-x[b[i]]-x[b[i]]-x[b[i]]-x[b[i]]-x[b[i]]-x[b[i]]-x[b[i]]-x[b[
           1-t])%MOD;
89.
                                                                        else dp[i]=(dp[i]+dpsum[qsum[b[i]-1]-t])%MOD;
```

```
90.
91.
                     if (i-qsum[b[i]-1]-t-1<=0) dp[i]=(dp[i]+1)%MOD;</pre>
92.
                     else dp[i]=(dp[i]+g[q[b[i]]-x[b[i]]-1][i-qsum[b[i]-1]-t-
    1])%MOD;
93.
                 }
94.
                 dpsum[i]=(dpsum[i-1]+dp[i])%MOD;
95.
96.
            for (int i=1;i<=qsum[n];++i) ans=(ans+dp[i])%MOD;</pre>
97.
            ans=(ans+1)%MOD;
98.
            cout<<ans<<endl;
99.
        }
100.
         return 0;
101. }
```

I-RAID

SOLUTION

首先是位运算,奇校验所有数字加起来为奇数,偶校验所有数字加起来为偶数,偶校验中当实际数据中"1"的个数为偶数的时候,这个校验位就是"0",否则这个校验位就是"1",奇校验正好相反。4个bit 转化为一个十六进制。可以每一个十六进制位输出一次便可。

```
1. #include <bits/stdc++.h>
using namespace std;
3.
4. int d, s, b, kase = 0;
5. char type;
6. char tab[8][8000];
7.
8. bool Fix()
9. {
10.
       for(int i = 0; i < s * b; ++i){</pre>
11.
            int sum = 0, cnt = 0, x_no;
12.
            for(int j = 0; j < d; ++j){</pre>
13.
                if(tab[j][i]=='1') ++sum;
14.
                if(tab[j][i]=='x') ++cnt, x_no = j;
```

```
15.
            }
16.
            sum %= 2;
            if(cnt >= 2) return false;
17.
18.
            else if(cnt == 1){
19.
                if(sum)
20.
                    if(type == 'E') tab[x_no][i] = '1';
21.
                    else tab[x_no][i] = '0';
22.
                else
                    if(type == 'E') tab[x_no][i] = '0';
23.
24.
                    else tab[x_no][i] = '1';
25.
            }
            else if(cnt == 0){
26.
27.
                if(type == 'E' && sum == 1) return false;
28.
                if(type == '0' && sum == 0) return false;
29.
            }
30.
31.
        return true;
32. }
33.
34. void out_data()
35. {
        int sum = 0, bit_cnt = 0;
36.
37.
        for(int i = 0; i < b; ++i){</pre>
38.
            int except = i % d;
            for(int j = 0; j < d; ++j){
39.
                if(j == except) continue;
40.
41.
                for(int k = i * s; k < i * s + s; ++k){</pre>
42.
                    bit_cnt = (bit_cnt + 1) % 4;
43.
                    if(tab[j][k] == '0') sum *= 2;
44.
                    else sum = sum * 2 + 1;
45.
                    if(!bit_cnt){
                         printf("%X", sum);
46.
47.
                         sum = 0;
48.
                }
49.
50.
        }
51.
52.
        if(bit_cnt){
53.
            int over = 4 - bit_cnt;
54.
            sum = sum * (1 << over);
55.
            printf("%X", sum);
56.
        }
57.
        printf("\n");
58.}
```

```
59.
60. int main()
61. {
62.
        ios::sync_with_stdio(false);
63.
        while(memset(tab, 0, sizeof(tab)), cin >> d && d){
64.
            cin >> s >> b >> type;
            for(int i = 0; i < d; ++i)</pre>
65.
66.
                cin >> tab[i];
67.
            if(!Fix())
                printf("Disk set %d is invalid.\n", ++kase);
68.
69.
70.
                printf("Disk set %d is valid, contents are: ", ++kase);
71.
                out_data();
72.
73.
        }
74.
        return 0;
75.}
```

J-Rent House

SOLUTION

这道题既可以用容斥原理做, 也是裸的莫比乌斯反演。

令 f(x)为 GCD(a, b, c, d) = x 的四元组个数,F(x) 为 GCD(a, b, c, d) = n*x(x 的倍数)的四元组个数,首先预处理对每个数分解质因子,对于每个 x,设有 k 个数是 x 的倍数,则 F(x) = C(k, 4)

所以 ans = f(1) = mob[1] * F[1] + .. +mob[m] * F[m], m = max(a1, a2, ..., an)

```
    #include <cstdio>
    #include <cmath>
    #include <cstring>
    #include <algorithm>
```

```
5.
6.
7. #define LL long long
8. #define MAXN 10005
9.
10. using namespace std;
11. int M;
12. bool prime[MAXN];
13. int mobi[MAXN], p[MAXN], cnt[MAXN], num[MAXN];
14.
15. int Mobius(){
        memset(prime, 1, sizeof(prime));
16.
17.
        int num = 0;
18.
        mobi[1] = 1;
19.
        for (int i = 2; i < MAXN; ++i){</pre>
20.
            if (prime[i]){
21.
                p[num++] = i;
22.
                mobi[i] = -1;
23.
            }
24.
            for (int j = 0; j < num && i * p[j] < MAXN; ++j){
                prime[i * p[j]] = false;
25.
                if (i % p[j] == 0){
26.
27.
                     mobi[i * p[j]] = 0;
28.
                     break;
29.
                }
                mobi[i * p[j]] = -mobi[i];
30.
31.
            }
32.
33.
        return 0;
34.}
35.
36. LL Work(){
37.
        memset(num, 0, sizeof(num));
38.
        for (int i = 1; i <= M; ++i){</pre>
            for (int j = i; j <= M; j += i){</pre>
39.
40.
                num[i] += cnt[j];
41.
            }
42.
        }
        LL ans = 0;
43.
44.
        for (int i = 1; i <= M; ++i){</pre>
45.
            int x = num[i];
46.
            if (x >= 4){
                ans += (LL)mobi[i] * x * (x - 1) * (x - 2) * (x - 3) / 24;
47.
48.
```

```
49.
        }
50.
        return ans;
51.}
52.
53. int main(){
54.
        freopen("data.in", "r", stdin);
55.
        freopen("data.out", "w", stdout);
56.
        int n, m;
57.
        Mobius();
        while (~scanf("%d%d", &n, &m)){
58.
59.
            M = 0;
60.
            memset(cnt, 0, sizeof(cnt));
61.
            for (int i = 0; i < n * m; ++i){</pre>
62.
63.
                 int x;
                 scanf("%d", &x);
65.
                ++cnt[x];
66.
                M = max(M, x);
67.
            }
68.
            if (n * m < 4){
69.
                 puts("0");
70.
                 continue;
71.
72.
            printf("%lld\n", Work());
73.
        }
74.}
```

K-Multisets

SOLUTION

使用并查集维护每个位置的数属于哪一个 Multiset。用一个 Splay 来维护一个 Multiset。 Multiset 不一定要 splay,平衡树 也可以,只要能实现合并操作即可。

```
    #include <algorithm>
    #include <cstdio>
    #include <utility>
```

```
4.
using namespace std;
6.
7. struct TNode {
        bool nul;
8.
9.
        int val;
        unsigned vsiz, vcnt, nsiz;
10.
        TNode *child[2];
11.
12.
        void Update() {
13.
            nsiz = child[0]->nsiz + 1 + child[1]->nsiz;
14.
            vsiz = child[0]->vsiz + vcnt + child[1]->vsiz;
15.
        }
16. } Buf[100000], *Stk[100000], *Root[100001], nil;
17.
18. unsigned N, M;
19. unsigned Count, StkTop;
20. unsigned Ans;
21. unsigned Ufs[100001];
22.
23. void SplGetKth(TNode *p, unsigned k) {
24.
        StkTop = 0;
        for (;;) {
25.
26.
            Stk[StkTop++] = p;
            unsigned nsiz = p->child[0]->nsiz + 1;
27.
28.
            if (k < nsiz)</pre>
29.
                p = p \rightarrow child[0];
30.
            else if (k > nsiz) {
31.
                p = p->child[1];
32.
                k -= nsiz;
33.
            }
34.
            else
                break;
35.
36.
37. }
38.
39. void SplGetVal(TNode *p, int val) {
40.
        StkTop = 0;
        while (!p->nul) {
41.
42.
            Stk[StkTop++] = p;
43.
            if (val < p->val)
44.
                p = p \rightarrow child[0];
            else if (val > p->val)
45.
46.
                p = p->child[1];
            else
47.
```

```
48.
                break;
49.
        }
50.}
51.
52. TNode *SplSplay() {
53.
        TNode *p = Stk[--StkTop];
54.
        while (StkTop) {
            if (StkTop == 1) {
55.
                TNode *o = Stk[--StkTop];
56.
57.
                int d = o->child[1] == p;
58.
                o->child[d] = p->child[d ^ 1];
59.
                p->child[d ^ 1] = o;
60.
                o->Update();
61.
                p->Update();
62.
            }
            else {
63.
64.
                TNode *o = Stk[--StkTop];
65.
                TNode *oo = Stk[--StkTop];
66.
                int d = o->child[1] == p;
67.
                int dd = oo->child[1] == o;
                if (d == dd) {
68.
                    oo->child[d] = o->child[d ^ 1];
69.
70.
                    o->child[d ^ 1] = oo;
                    o->child[d] = p->child[d ^ 1];
71.
72.
                    p \rightarrow child[d ^ 1] = o;
73.
                }
74.
                else {
75.
                    oo->child[dd] = p->child[d];
76.
                    p->child[d] = oo;
77.
                    o->child[d] = p->child[dd];
78.
                    p->child[dd] = o;
79.
                }
80.
                oo->Update();
81.
                o->Update();
82.
                p->Update();
83.
                if (StkTop) {
                    TNode *ooo = Stk[StkTop - 1];
84.
85.
                    ooo->child[ooo->child[1] == oo] = p;
86.
            }
87.
88.
89.
        return p;
90.}
91.
```

```
92. TNode *SplMerge(TNode *p1, TNode *p2) {
93.
        if (p1->nul)
94.
            return p2;
95.
       if (p2->nul)
96.
            return p1;
97.
       SplGetKth(p1, (p1->nsiz + 1) >> 1);
        p1 = SplSplay();
98.
       SplGetVal(p2, p1->val);
99.
100.
         p2 = SplSplay();
101.
         unsigned vsiz = p1->child[1]->vsiz + p1->vcnt;
102.
         if (p2->val > p1->val) {
             TNode *p3 = p2->child[0];
103.
104.
             p2->child[0] = &nil;
             p2->Update();
105.
106.
             Ans += vsiz * p3->vsiz;
107.
             p1->child[0] = SplMerge(p1->child[0], p3);
108.
             p1->child[1] = SplMerge(p1->child[1], p2);
109.
         }
         else if (p1->val > p2->val) {
110.
             TNode *p3 = p2->child[1];
111.
             p2->child[1] = &nil;
112.
113.
             p2->Update();
114.
             Ans += vsiz * p2->vsiz;
             p1->child[0] = SplMerge(p1->child[0], p2);
115.
116.
             p1->child[1] = SplMerge(p1->child[1], p3);
117.
         }
118.
         else {
             Ans += vsiz * p2->child[0]->vsiz;
119.
120.
             Ans += p1->child[1]->vsiz * p2->vcnt;
121.
             p1->vcnt += p2->vcnt;
122.
             p1->child[0] = SplMerge(p1->child[0], p2->child[0]);
             p2->child[1] = SplMerge(p1->child[1], p2->child[1]);
123.
124.
125.
         p1->Update();
126.
         return p1;
127. }
128.
129. unsigned ufs(unsigned x) {
         static unsigned u[100000];
130.
         int child = 0;
131.
132.
         while (Ufs[x] != x) {
133.
             u[child++] = x;
134.
             x = Ufs[x];
135.
        }
```

```
136.
         while (child)
137.
             Ufs[u[--child]] = x;
138.
         return x;
139. }
140.
141. int main() {
         nil.nul = true;
142.
         nil.child[0] = nil.child[1] = &nil;
143.
144.
         int nCases;
145.
         scanf("%d", &nCases);
146.
         for (int iCase = 1; iCase <= nCases; ++iCase) {</pre>
             scanf("%u%u", &N, &M);
147.
148.
             Count = 0;
             for (unsigned i = 1; i <= N; ++i) {</pre>
149.
                 Ufs[i] = i;
150.
151.
                  Root[i] = &Buf[Count++];
152.
                  scanf("%d", &(Root[i]->val));
153.
                  Root[i]->child[0] = Root[i]->child[1] = &nil;
154.
                  Root[i]->vcnt = 1;
155.
                  Root[i]->Update();
156.
             printf("Case #%d:\n", iCase);
157.
158.
             while (M--) {
159.
                  unsigned a, b;
                  scanf("%u%u", &a, &b);
160.
                  if (ufs(a) == ufs(b)) {
161.
162.
                      puts("-1");
163.
                      continue;
164.
                  }
165.
166.
                  Root[Ufs[a]] = SplMerge(Root[Ufs[a]], Root[Ufs[b]]);
                  Ufs[Ufs[b]] = Ufs[a];
167.
                  printf("%u\n", Ans);
168.
169.
             }
170.
171.
         return 0;
172. }
```

L-Morse Code Breaking

dp 题,设 dp[i]为前 i 位的不同译法,如果第 i - j 位到第 i 位可以有效翻译,则 dp[i] += dp[i-j]。

递推写法为:

```
dp[0] = 1;
for (i = 1; i <= n; i++)
  for (j = 1; j <= 4 && j <= i; j++)
  {
     if (IsValid(i, j))
     {
        dp[i] += dp[i - j];
        dp[i] %= MOD;
     }</pre>
```

```
1. #include <stdio.h>
2. #include <string.h>
3. #define MAXN 100020
4. #define MOD 1000000007
5.
char str[MAXN];
7. int dp[MAXN];
8. int msk[1000] = \{0\};
10. int ttt(int x)
11. {
12.
       // printf("%d ---> ", x);
       int res = 0, cube = 1, t;
13.
       while (x)
14.
15.
       {
16.
           t = x \% 10;
17.
           res += t * cube;
18.
           cube *= 3;
```

```
19.
           x /= 10;
20.
       }
21.
        // printf("%d\n", res);
22.
        return res;
23. }
24.
25. void PreProcess()
26. {
       msk[ttt(12)] = 1;
27.
28.
       msk[ttt(2111)] = 1;
29.
        msk[ttt(2121)] = 1;
        msk[ttt(211)] = 1;
30.
31.
       msk[ttt(1)] = 1;
32.
       msk[ttt(1121)] = 1;
33.
        msk[ttt(221)] = 1;
34.
        msk[ttt(1111)] = 1;
35.
        msk[ttt(11)] = 1;
        msk[ttt(1222)] = 1;
36.
        msk[ttt(212)] = 1;
37.
38.
       msk[ttt(1211)] = 1;
        msk[ttt(22)] = 1;
39.
        msk[ttt(21)] = 1;
40.
41.
        msk[ttt(222)] = 1;
       msk[ttt(1221)] = 1;
42.
43.
        msk[ttt(2212)] = 1;
       msk[ttt(121)] = 1;
44.
45.
        msk[ttt(111)] = 1;
        msk[ttt(2)] = 1;
46.
47.
        msk[ttt(112)] = 1;
48.
        msk[ttt(1112)] = 1;
49.
       msk[ttt(122)] = 1;
        msk[ttt(2112)] = 1;
50.
        msk[ttt(2122)] = 1;
51.
52.
        msk[ttt(2211)] = 1;
53.
54.}
55.
56. bool IsValid(int st, int len)
57. {
       int i, res, t, cube;
58.
59.
        for (i = res = 0, cube = 1; i < len; i++)</pre>
60.
            // printf("i = %d\n", i);
61.
            t = ((str[st - i - 1] == '.') ? 1 : 2);
62.
```

```
63.
            res += t * cube;
64.
            cube *= 3;
65.
        // printf("res = %d\n", res);
66.
        return msk[res] == 1;
67.
68.}
69.
70. void Solve()
71. {
72.
        int i, j, n;
73.
        scanf("%s", str);
74.
        n = strlen(str);
75.
        memset (dp, 0, sizeof dp);
76.
        dp[0] = 1;
77.
        for (i = 1; i <= n; i++)</pre>
            for (j = 1; j <= 4 && j <= i; j++)</pre>
78.
79.
80.
                 if (IsValid(i, j))
81.
82.
                     dp[i] += dp[i - j];
                     dp[i] %= MOD;
83.
84.
                 }
85.
        printf("%d\n", dp[n]);
86.
87.}
88.
89. int main()
90. {
91.
        int cas, i;
        scanf("%d", &cas);
92.
93.
        PreProcess();
        for (i = 1; i <= cas; i++)</pre>
94.
95.
96.
            printf("Case #%d: ", i);
97.
            Solve();
98.
        return 0;
99.
100.}
```

M-Play Chess in Cafe

SOLUTION

显而易见的 SG 函数问题。

利用搜索可以得出每一个状态的 mex 值,计算每一盘棋的 sg 值再异或起来。

异或值为真则先手胜,为0则后手胜。

```
1. #include<iostream>
2. #include<cstring>
3. #include<map>
using namespace std;
6. const int maxr=4, maxn=8, maxm=6;
7. const int gx[maxm][25]={
8. {3,1,1,1},
        {21,1,2,3,4,5,6,7,1,2,3,4,5,6,7,1,2,3,4,5,6,7},
       {7,1,2,3,4,5,6,7},
10.
11.
        {14,1,2,3,4,5,6,7,1,2,3,4,5,6,7},
      {4,1,2,2,1},
12.
13.
        {1,1}
14. };
15. const int gy[maxm][25]={
16. \{3,-1,0,1\},
17.
        \{21, -1, -2, -3, -4, -5, -6, -7, 0, 0, 0, 0, 0, 0, 0, 1, 2, 3, 4, 5, 6, 7\},\
     {7,0,0,0,0,0,0,0,0},
19.
        \{14, -1, -2, -3, -4, -5, -6, -7, 1, 2, 3, 4, 5, 6, 7\},\
20.
       {4,2,1,1,2},
        {1,0}
21.
22. };
23. class pos{
24. public:
25.
        int x[maxm],y[maxm];
26. };
27. pos s;
28. bool board[maxr][maxn];
29. unsigned char sg[10010];
30. int n;
31. map<long long,unsigned char> mex;
32. //int mex[1<<24];
33.
```

```
34. int encode(pos p)
35. {
36.
        int code=0;
37.
        for(int i=0;i<maxm;i++)</pre>
            code=code*maxr*maxn+p.x[i]*maxn+p.y[i];
38.
39.
        return code;
40.}
41. unsigned char dfs(pos p)
42. {
43.
        bool dsg[30]={0};
44.
        int x,y,xx,yy,nextcode;
        for(int i=0;i<maxm;i++)</pre>
45.
46.
47.
            int cnt=gx[i][0];
48.
            x=p.x[i];y=p.y[i];
49.
            for(int j=1;j<=cnt;j++)</pre>
50.
51.
                xx=x+gx[i][j];yy=y+gy[i][j];
                if(xx<0||xx>=maxr||yy<0||yy>=maxn) continue;
52.
53.
                if(board[xx][yy]) continue;
54.
                board[x][y]=0;
55.
                board[xx][yy]=1;
56.
                p.x[i]=xx;p.y[i]=yy;
                nextcode=encode(p);
57.
                if(mex.find(nextcode)==mex.end())
58.
59.
60.
                    mex[nextcode]=dfs(p);
61.
                }
62.
                dsg[mex[nextcode]]=true;
63.
                p.x[i]=x;p.y[i]=y;
64.
                board[xx][yy]=0;
                board[x][y]=1;
65.
66.
67.
       }
        for(unsigned char i=0;;i++)
68.
69.
            if(!dsg[i]) return i;
70.}
71.
72. void init()
73. {
74.
       cin >> n;
75.
       memset(sg,0,sizeof(sg));
        for(int k=0;k<n;k++)</pre>
76.
77.
```

```
78.
            memset(board,0,sizeof(board));
79.
            memset(&s,0,sizeof(s));
80.
            for(int i=0;i<maxm;i++)</pre>
81.
82.
                cin >> s.x[i] >> s.y[i];
83.
                board[s.x[i]][s.y[i]]=1;
84.
85.
            }
            sg[k]=dfs(s);
86.
87.
        }
88.}
89. void work()
90. {
91.
        int sum=0;
92.
        for(int i=0;i<n;i++)</pre>
93.
            sum^=sg[i];
94.
        if(sum)
95.
            cout << "use_nature is lucky to win." << endl ;</pre>
96.
        else cout << "Lalatina has a powerful brain." << endl;</pre>
97.}
98. int main()
99. {
100.
         ios::sync_with_stdio(false);
101.
         int T;
102.
         cin >> T;
103.
         while(T--)
104.
105.
             init();
106.
             work();
107.
108.
         return 0;
109. }
```