Concepts and Formulas

Conic Section

Vertical and Horizontal Hyperbola Difference

Horizontal Hyperbola

(x^2 comes first)

 $(y^2 \text{ comes first})$

At
$$(0,0)$$
: $\frac{x^2}{a^2} - \frac{y^2}{b^2} = 1$

General:
$$\frac{(x-h)^2}{a^2} - \frac{(y-k)^2}{b^2} = 1$$

 $a^2 + b^2 = c^2$

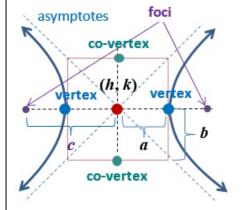
Center:
$$(h, k)$$
 Foci: $(h \pm c, k)$

Vertices:
$$(h \pm a, k)$$
 Co-Vertices: $(h, k \pm b)$

Length of Transverse Axis: 2a

Length of Conjugate Axis: 2b

Asymptotes:
$$y - k = \pm \frac{b}{a}(x - h)$$



At
$$(0,0)$$
: $\frac{y^2}{a^2} - \frac{x^2}{b^2} = 1$:

General:
$$\frac{(y-k)^2}{a^2} - \frac{(x-h)^2}{b^2} = 1$$

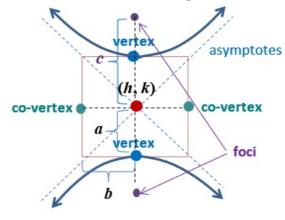
 $a^2 + b^2 = c^2$

Vertices:
$$(h, k \pm a)$$
 Co-Vertices: $(h \pm b, k)$

Length of Transverse Axis: 2*a*

Length of Conjugate Axis: 2b

Asymptotes:
$$y - k = \pm \frac{a}{b}(x - h)$$



Notes:
$$b^2$$
 is always after the minus sign; $a^2+b^2=c^2$; Tranverse Axis Length: $=2a$; Conjugate Axis Length $=2b$; Asymptotes are $y-k=\pm\frac{\sqrt{\text{number under the }y}}{\sqrt{\text{number under the }x}}(-x-h)$

=
$$2b$$
 ; Asymptotes are $y - k = \pm \frac{\sqrt{\text{number under the } x}}{\sqrt{\text{number under the } x}} (x - h)$