Tips and Tricks

- 1. Though concepts of NGT and NGC might seem a bit "non-intutive", but when you do some examples you will get the fill of it. I advise you to do 2-3 such problem with step by step process.
- 2. Make sure to understand the case conditions for NGT and NGC. Only if problem satisfies the condition, we proceed.
- 3. Try to be an active reader and problem solver to grasp any concept of any subject. By active I mean consistency. Consistency is everything.
- 4. I have given similar types of problems in problem sections, try to solve them in timed manner. Timing your problem solving can make your study more efficient.
- 4. Solve of lots of problems from other reference books and coaching notes that are given below each video.

Numerically Greatest Coefficients (NGC):

This is easy to get: just put a=1 and b=1

$${}^nC_r \text{ is maximum at } r = \begin{cases} \frac{n}{2}, & \text{if } n \text{ is even} \\ \frac{n-1}{2}, \frac{n+1}{2}, & \text{if } n \text{ is odd.} \end{cases}$$

Note:

- 1.Depending on the question putting a=1, and b=1 can help in solving coefficient related problems.
- 2. Use of differentiation and integration to find the sum of binomial coefficients. Keep this point in mind.

Some important properties of binomial coefficients:

$${}^{n}C_{0} + {}^{n}C_{1} + {}^{n}C_{2} + \dots + {}^{n}C_{n} = 2^{n}$$

$${}^{n}C_{0} - {}^{n}C_{1} + {}^{n}C_{2} - \dots + (-1)^{n} {}^{n}C_{n} = 0$$

$${}^{n}C_{1} - 2 \cdot {}^{n}C_{2} + 3 \cdot {}^{n}C_{3} - \dots + (-1)^{n-1}n \cdot {}^{n}C_{n} = 0 \text{ (for } n > 1).$$

Numerically Greatest Term(NGT):

Consider $(1+x)^n$

Also define p such that: $p = \frac{(n+1)|x|}{|x|+1}$.

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Case-1: When p is an integer

NGT are T_n, T_{n+1}

Case-2: When p is not integer

NGT is T_{c+1}

here c is integer part of p.