

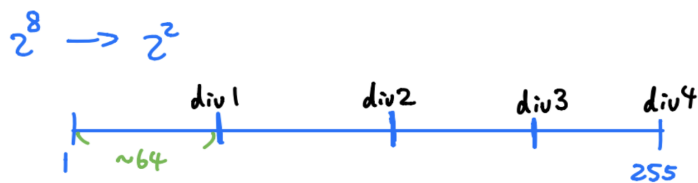
DIP Lab 1

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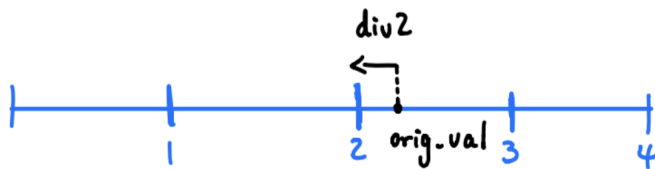
1. Proj02-02 - Reducing the Number of Intensity Levels in an Image (30%)

- **Explanation:**

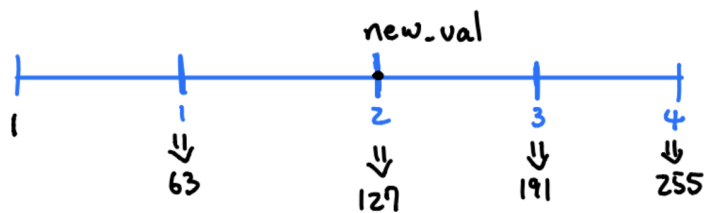
Divide number 1~255 into given number of divisions, such as 2^7 , 2^6 , ..., 2^0 , to get the range of each division.



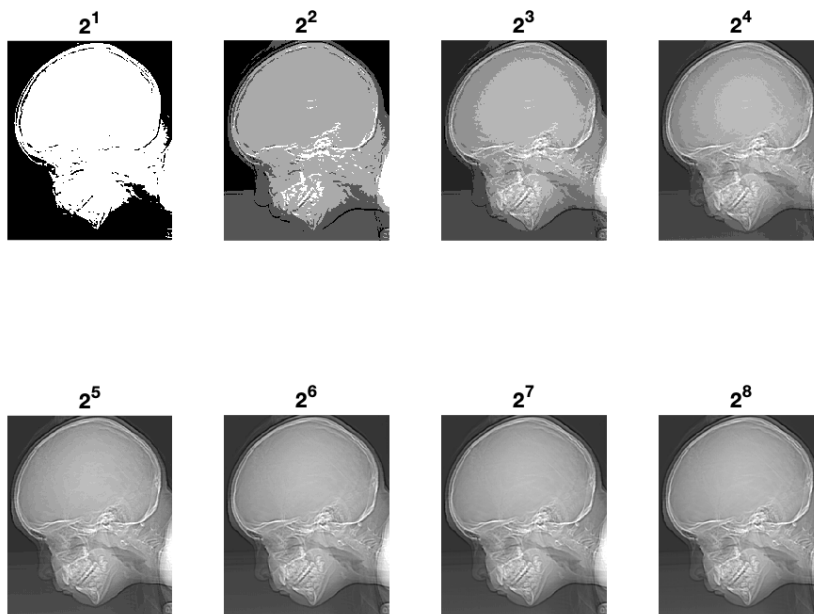
Let original intensity divided by range of a division. Pick the nearest floor integer to determine the scaled-down value.



Map the scaled-down value to 1~255 to get the new value.



- **Result:**



- **Comparison:**

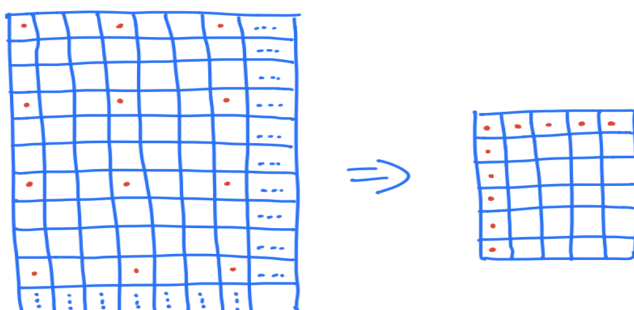
Images with higher quantization results in a more authentic and blur image, while images with lower quantization appears more sharp and distinct.

2. Proj02-03 – Zooming and Shrinking Images by Pixel Replication (30%)

- **Explanation:**

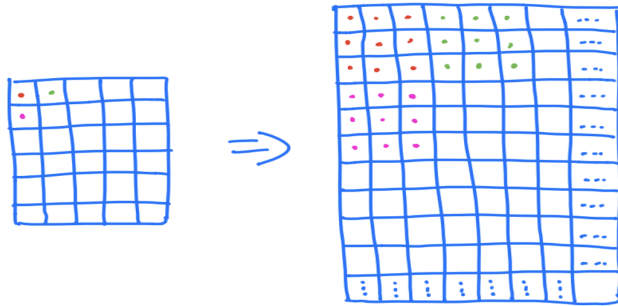
To shrink image with nearest-neighbor algorithm, each **point(i, j)** of output image maps to **point((i-1)*fac+1, (j-1)*fac+1)** of input image.

- `new_img(1,1) >> orig_img(1,1)`
- `new_img(1,2) >> orig_img(1,11)`
- ...
- `new_img(2,2) >> orig_img(11,11)`



To zoom image, for each $p(i,j)$ of output image, divide its coordinates by fac and round to the nearest integer, then plus 1 for matlab's indexing rule.

If exceeds boundary, given the closest boundary's value.



- **Result:**

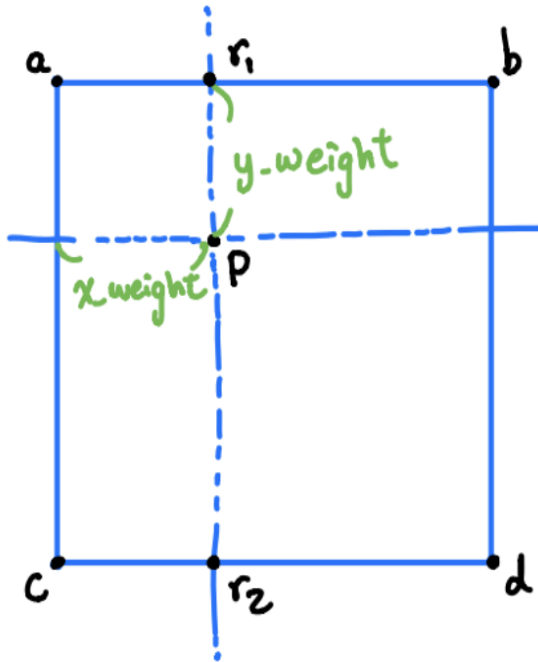


- **Comparison:**

Image after shrinking and zooming appears more sharp and distinct. Some data are lost during shrinking, and nearest-neighbor method merely repeats the existing values, so no new values are created during the zooming process.

3. Proj02-04 – Zooming and Shrinking Images by Bilinear Interpolation (40%)

- **Explanation:**



P is the desired point to interpolate.

To implement bilinear interpolation, first find the ratio between input size and output size for both x and y dimension.

For each pixel on the output image, determine the 4 corresponding points on the input image by multiplying the ratio we retrieved before. Mind the `fix()` and `ceil()` for each point, and plus 1 for matlab's indexing rule.

Map P on input image by multiplying the ratios. Get `x_weight` by subtracting P's x coordinate with a's coordinate. Add `abs()` to work both for shrinking and zooming. Same for calculating `y_weight`.

To determine value of r_1 , let $a \cdot (1 - x_weight) + b \cdot x_weight$.

To determine value of r_2 , let $c \cdot (1 - x_weight) + d \cdot x_weight$.

To determine value of P, let $r_1 \cdot (1 - y_weight) + r_2 \cdot y_weight$.

- **Result:**



- **Comparison:**

Image after shrinking and bilinear interpolation zooming appears more blur than the original image. Comparing to replication method, result of bilinear interpolation seems more natural, less sharp.