

# Dominant Current Account Drivers

Lukas Boer<sup>1</sup>   Jaewoo Lee<sup>1</sup>   Mingzuo Sun<sup>2</sup>

<sup>1</sup>Research Department, International Monetary Fund

<sup>2</sup>Department of Economics, Johns Hopkins University

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# Motivation

The current account is pivotal in international economics and politics:

- ▶ Mercantilism and trade policies
- ▶ Predictor of financial crises
- ▶ Global imbalances and tensions

**What are the dominant shocks that drive current account movements?**

- ▶ Exports vs. Imports
- ▶ Savings vs. Investment
- ▶ Outflows vs. Inflows

# Our Approach

- ▶ Exploit an 'agnostic' SVAR-based approach to uncover the statistical comovements associated with surprise changes in the current account.
  - Expenditure switching not dominant in the short run.
  - Reduced expenditure in the short to medium term
  - Some country heterogeneity.
- ▶ Build a DSGE model to discern the dominant current account driver obtained from the SVAR.
  - A distinct role taken by a foreign demand shock to domestic goods.
- ▶ Compare the empirical and the model-implied results.
  - Dominant CA shocks as foreign demand shocks to domestic goods and assets.
  - High correlation between the SVAR-revealed shocks and the model-implied shocks.

# Our Contribution

- ▶ Identify the dominant CA shock (at business cycle frequency and over the long run) for three countries with a max-share SVAR identification.

Angeletos et al. 2020; Chahrour et al. 2021; Miyamoto et al. 2023

- ▶ Relate the dominant CA shocks to typical structural shocks in DSGE models via a comparison of impulse responses, forecast error variance decompositions and shock series.

Adolfson et al. 2007; Bergin 2006, Kim and Lee 2015; Itskhoki and Mukhin 2021

- ▶ Provide evidence that at business cycle frequencies the current account is not determined by a self-correcting exchange rate adjustment.

# Outline

Introduction

Empirics

Model

Estimation

Quantitative Results

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# Empirics

# Max-Share SVAR

- ▶ Identify one dominant shock that is the largest contributor to the volatility of a single variable at a particular frequency (Faust, 1998; Uhlig, 2003; Angeletos et al., 2020).
- ▶ Structural VAR  $\mathbf{B}_0 \mathbf{y}_t = \mathbf{b} + \mathbf{B}_1 \mathbf{y}_{t-1} + \dots + \mathbf{B}_p \mathbf{y}_{t-p} + \varepsilon_t$   
where the structural shocks are related to the reduced-form residuals as  $\mathbf{u}_t = \mathbf{B}_0^{-1} \varepsilon_t$
- ▶ Interest in the structural impact multiplier matrix  $\mathbf{B}_0^{-1}$
- ▶ Rewrite it as  $\mathbf{B}_0^{-1} = \boldsymbol{\Sigma}_{u,tr} \mathbf{Q}$  where  $\boldsymbol{\Sigma}_{u,tr}$  denotes the unique lower triangular Cholesky matrix with non-negative diagonal coefficients of  $\boldsymbol{\Sigma}_u$  and  $\mathbf{Q}$  an orthogonal matrix, i.e.,  $\mathbf{Q}\mathbf{Q}' = \mathbf{I}$  and  $\mathbf{Q}^{-1} = \mathbf{Q}'$
- ▶ Relation between structural shocks and reduced-form residuals  $\mathbf{u}_t = \boldsymbol{\Sigma}_{u,tr} \mathbf{Q} \varepsilon_t$

## Max-Share SVAR cont'd

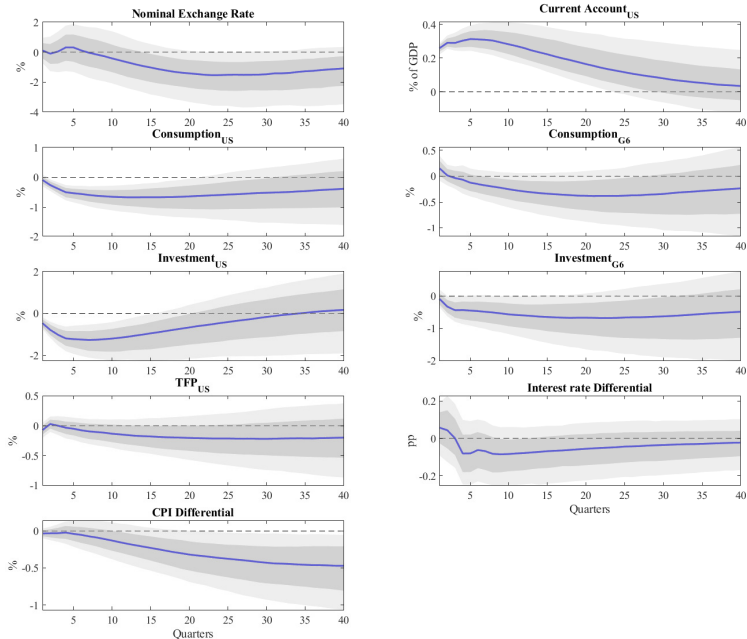
- ▶ Max-share identification: Leverage the  $\mathbf{Q}$  matrix: pick column  $\mathbf{q}$  from  $\mathbf{Q}$  which relates to the structural shock that is the dominant driver of the current account balance at the business cycle frequency (6-32 quarters) or in the long run (80- $\infty$  quarters).
- ▶ Reduced-form VAR in MA representation:  $\mathbf{y}_t = \mathbf{B}(\mathbf{L})\mathbf{u}_t$
- ▶ Insert for  $\mathbf{u}_t$ :  $\mathbf{y}_t = \mathbf{B}(\mathbf{L})\boldsymbol{\Sigma}_{u,tr}\mathbf{Q}\boldsymbol{\varepsilon}_t = \boldsymbol{\Gamma}(\mathbf{L})\boldsymbol{\varepsilon}_t$   
where  $\boldsymbol{\Gamma}(\mathbf{L})$  represents the IRFs of the variables to the structural shocks
- ▶ Maximize contribution in frequency domain, by taking the integral of the spectral density  
$$f_X(y) = \frac{1}{2\pi} \mathbf{C}(\mathbf{e}^{-i\omega})\mathbf{Q}\mathbf{Q}'\mathbf{C}(\mathbf{e}^{-i\omega})'$$
  
which gives the volatility of  $y$ , where  $\mathbf{C}(\mathbf{L}) = \mathbf{B}(\mathbf{L})\boldsymbol{\Sigma}_{u,tr}$ .
- ▶ The column vector  $\mathbf{q}$  that corresponds to the dominant shock is the eigenvector associated with the largest eigenvalue of the integral of the spectral density



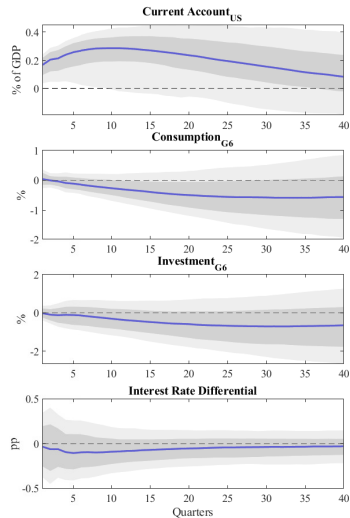
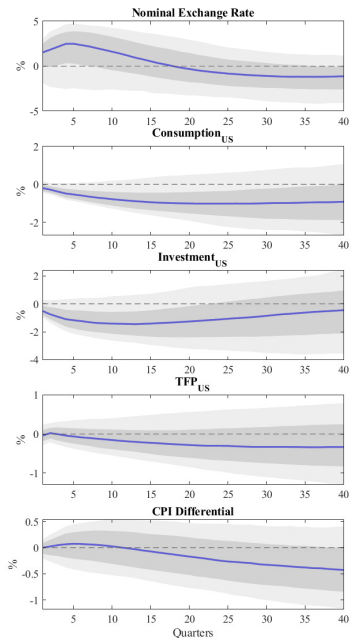
# Data

- ▶ Country of Interest:
  - US, Germany, or the UK
  - A trade-weighted aggregate of G6 economies (Engel 2016).
- ▶ Quarterly macroeconomic data:
  - Current account to GDP ratio.
  - Nominal exchange rate (increase indicates domestic currency depreciation).
  - Domestic real consumption and investment.
  - Foreign real consumption and investment.
  - Consumer price index differential.
  - Interest rate differential (1-year deposit rate).
  - Domestic total factor productivity (TFP).
- ▶ Sample Period:
  - Main: 1975:Q1 - 2022:Q3.
  - With TFP for Germany & UK: 1991:Q1 - 2019:Q4.

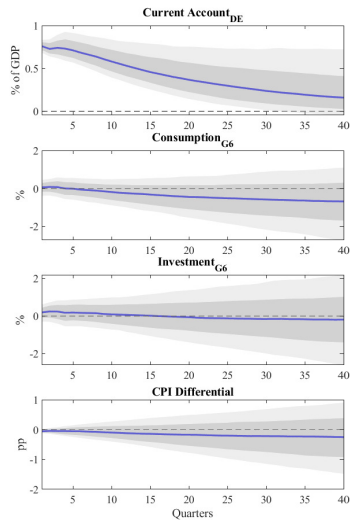
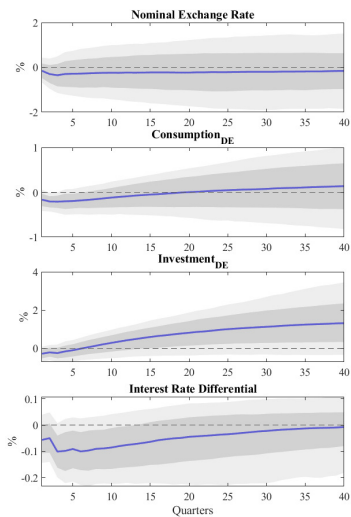
# US dominant CA shock at business cycle frequency



# US dominant long-run CA shock



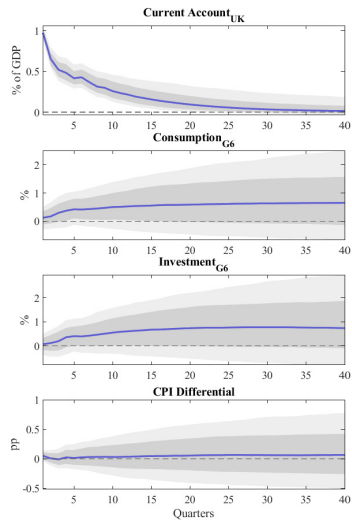
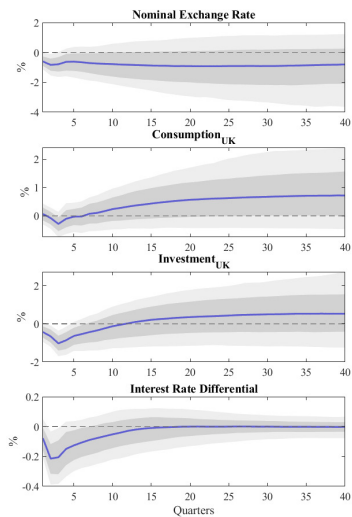
# Germany: dominant CA shock at business cycle frequency



► w/ TFP

► FEVD

# UK: dominant CA shock at business cycle frequency



► w/ TFP

► FEVD

# Model

# Overview

- ▶ A New Keynesian model (Itskhoki and Mukhin 2021)
  - $\infty$  period representative agent model
  - Open economy with two goods: home (H) and foreign (F)
  - Segmented international bond markets
  - Production function with working capital and intermediaries
  - Calvo sticky prices
- ▶ Shocks
  - Productivity shock
  - Monetary policy shock
  - Capital flow shock
  - Domestic demand shock
  - Foreign demand shock
  - Import price shock

# Households

- ▶ Period utility:  $\left( \frac{C_t^{1-\sigma} - 1}{1-\sigma} - \frac{N_t^{1+\varphi}}{1+\varphi} \right) \Omega_t$
- ▶ Borrow and save in local currency bonds
- ▶ Invest in work capital
- ▶ The domestic demand shifter  $\Omega_t$ :

$$\log(\Omega_t) = \rho_\Omega \log(\Omega_{t-1}) + \epsilon_{\Omega,t}$$
$$\epsilon_{\Omega,t} \sim iid(0, \sigma_\Omega^2)$$



- Foreign demand for Home goods:

$$Y_{Ht}^* \equiv C_{Ht}^* + Z_{Ht}^* + X_{Ft} = \gamma (\mathcal{P}_{Ht}^*)^{-\epsilon} AD_t^*$$

$\gamma$ : the weight of Home goods in Foreign final goods.

$\mathcal{P}_{Ht}^* = \frac{P_{Ht}^*}{P_t^*}$ : the relative price of Home goods to Foreign final goods.

- The aggregate foreign demand  $AD_t^*$ , :

$$\log(AD_t^*) - \log(AD_{SS}^*) = \rho_{AD^*} (\log(AD_{t-1}^*) - \log(AD_{SS}^*)) + \epsilon_{AD^*,t}$$
$$\epsilon_{AD^*,t} \sim \text{iid}(0, \sigma_{AD^*}^2)$$

# Import Price

- ▶  $\mathcal{P}_{Ft} \equiv \frac{P_{Ft}}{P_t}$ : the relative price of foreign goods relative to Home final goods
- ▶ For the US,

$$\mathcal{P}_{Ft} = \alpha \xi_t + (1 - \alpha) Q_t$$

- $\xi_t$ : The exogenous component of the import price

$$\begin{aligned} \log(\xi_t) &= \rho_\xi \log(\xi_{t-1}) + \epsilon_{\xi,t} \\ \epsilon_{\xi,t} &\sim iid(0, \sigma_\xi^2) \end{aligned}$$

- $Q_t \equiv \frac{P_t^* \mathcal{E}_t}{P_t}$ : the real exchange rate
- ▶  $\alpha = 0$  for the UK and Germany.

## Other Blocks

- ▶ The production function is  $Y_t = (e^{a_t} K_t^\vartheta L_t^{1-\vartheta})^{1-\phi} X_t^\phi$ , with the TFP  $a_t$ :

$$a_t = \rho_a a_{t-1} + \epsilon_{a,t}, \quad \epsilon_{a,t} \sim iid(0, \sigma_a^2)$$

- ▶ The modified UIP condition is  $i_t - i_t^* - E_t \Delta e_{t+1} = \psi_t - \chi b_t$ , with the noise trader's demand  $\psi_t$ :

$$\psi_t = \rho_\psi \psi_{t-1} + \epsilon_{\psi,t}, \quad \epsilon_{\psi,t} \sim iid(0, \sigma_\psi^2)$$

- ▶ The monetary policy rule is  $i_t = \rho_m i_{t-1} + (1 - \rho_m) \phi_\pi \pi_t + v_t$ , with the nominal interest rate innovation  $v_t$ :

$$v_t = \rho_v v_{t-1} + \epsilon_{v,t}, \quad \epsilon_{v,t} \sim iid(0, \sigma_v^2)$$

# Intricate Current Account Determination

The current account surplus, or the net export, is given by

$$nx_t = \gamma(y_{Ht}^* - y_{Ft} - s_t) \quad (1)$$

where  $s_t$  is the log-deviation of the **terms of trade**  $\frac{P_{Ft}}{P_{Ht}^* \xi_t}$ .

(1) can translate into

$$nx_t = \gamma \left( \underbrace{-(\epsilon - 1)p_{Ht}^* + \alpha(\epsilon - 1)\log(\xi_t) + (\epsilon(1 - \alpha) + \alpha)q_t}_{\text{expenditure switching}} + \underbrace{\log\left(\frac{AD_t^*}{AD_t}\right)}_{\text{expenditure changing}} \right)$$

$AD_t$  ( $AD_t^*$ ) is the sum of consumption, working capital investment, and intermediate good input for Home (Foreign).

# Estimation

# Calibration

Parameter	Meaning	Value	Source
$\beta$	Subjective discount factor	0.99	Conventional value
$\epsilon$	Demand elasticity between Home and Foreign goods	1.5	Conventional value
$\frac{1}{\varphi}$	Macro Frisch elasticity	1	Conventional value
$\phi$	Share of intermediate goods	0.5	Conventional value
$\theta$	Capital share in the effective labor-capital combination	0.3	Conventional value
$\delta$	Depreciation rate	0.02	Conventional value
$\kappa$	Parameter in the adjustment cost function	6.8	Conventional value
$\lambda$	Probability that firms cannot adjust their prices	0.75	Conventional value
$\chi$	Stationarity parameter in the modified UIP condition	0.001	Itskhoki and Mukhin 2021

Note: These parameters are calibrated based on micro and macro data and align with values widely accepted in the international macroeconomics literature.

# Bayesian Estimation

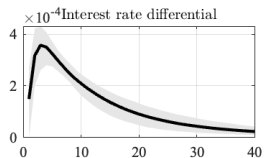
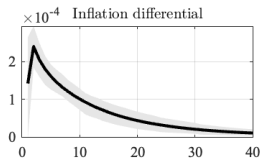
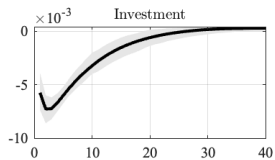
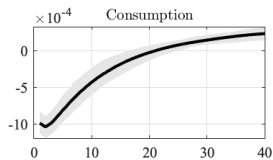
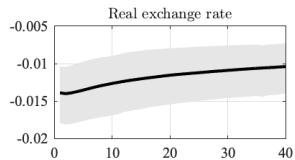
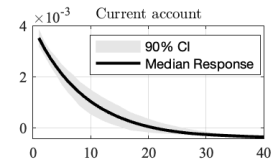
Parameters	Prior Mean	Post. Mean	Mode	90% HPD Interval	Prior	Prior stdev
$\alpha$	0.500	0.4633	0.4723	[0.3152, 0.5975]	Beta	0.1000
$\gamma$	0.070	0.0228	0.0240	[0.0165, 0.0290]	Beta	0.0200
$\phi_\pi$	2.150	1.8935	1.8767	[1.7304, 2.0523]	Norm	0.1000
$\rho_a$	0.600	0.9406	0.9426	[0.9242, 0.9579]	Beta	0.1000
$\rho_\psi$	0.600	0.8992	0.9049	[0.8686, 0.9300]	Beta	0.1000
$\rho_{AD^*}$	0.600	0.8935	0.9085	[0.8472, 0.9384]	Beta	0.1000
$\rho_m$	0.600	0.4448	0.4448	[0.3774, 0.5105]	Beta	0.1000
$\rho_v$	0.600	0.1754	0.1724	[0.1268, 0.2187]	Beta	0.1000
$\rho_\Omega$	0.600	0.5346	0.5348	[0.4530, 0.6134]	Beta	0.1000
$\rho_\xi$	0.600	0.7236	0.7255	[0.6898, 0.7587]	Beta	0.1000
$std(\epsilon_a)$	0.010	0.0114	0.0111	[0.0100, 0.0127]	Invga	Inf
$std(\epsilon_\psi)$	0.005	0.0049	0.0046	[0.0034, 0.0062]	Invga	Inf
$std(\epsilon_{AD^*})$	0.100	0.1851	0.1718	[0.1382, 0.2261]	Invga	Inf
$std(\epsilon_v)$	0.010	0.0045	0.0044	[0.0040, 0.0050]	Invga	Inf
$std(\epsilon_\Omega)$	0.010	0.0183	0.0182	[0.0168, 0.0199]	Invga	Inf
$std(\epsilon_\xi)$	0.100	0.3291	0.2833	[0.1908, 0.4658]	Invga	Inf

Note: The posterior distribution is obtained using the Metropolis-Hastings algorithm.

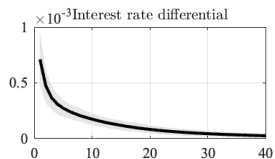
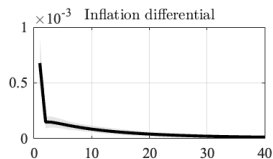
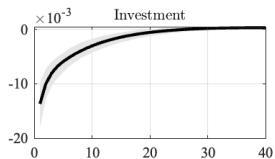
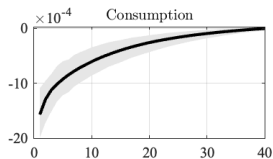
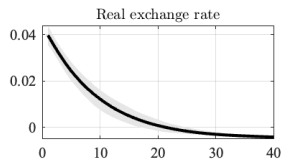
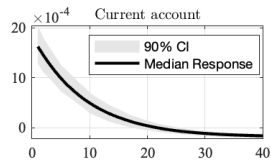
# Quantitative Results



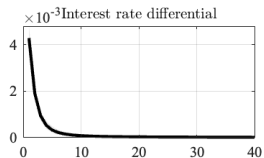
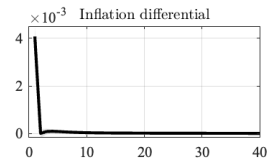
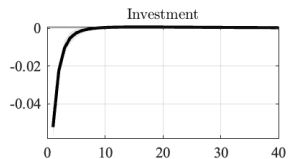
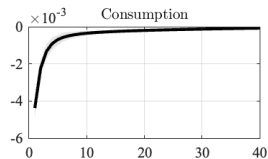
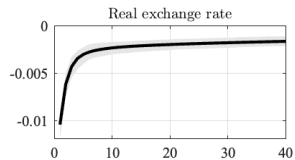
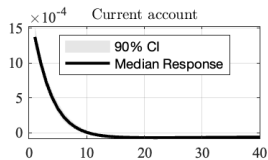
# Impulse-Responses: Foreign Demand Shock



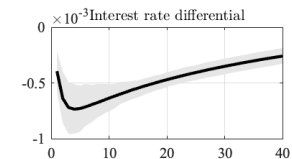
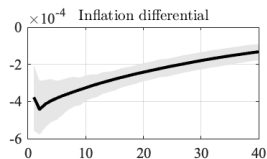
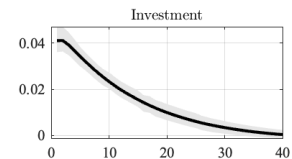
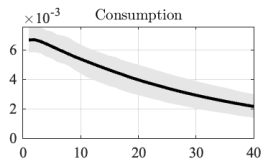
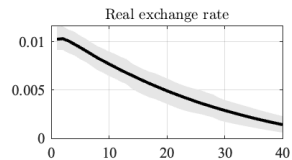
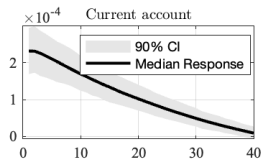
# Impulse-Responses: Capital Flow Shock



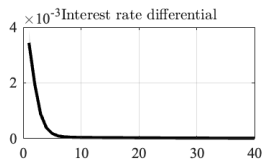
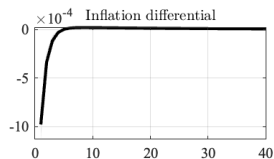
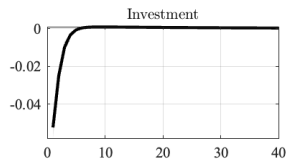
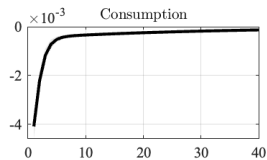
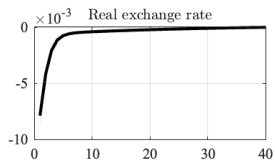
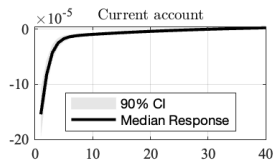
# Impulse-Responses: Import Price Shock



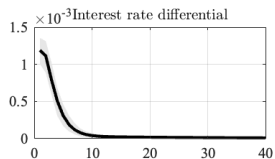
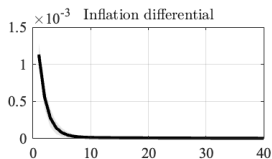
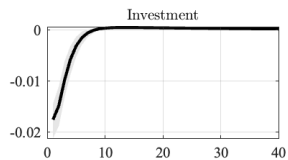
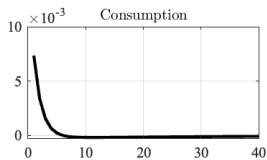
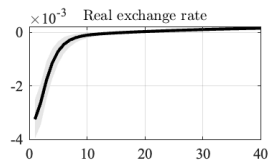
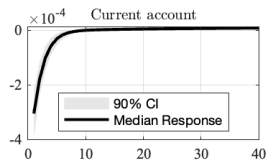
# Impulse-Responses: TFP Shock



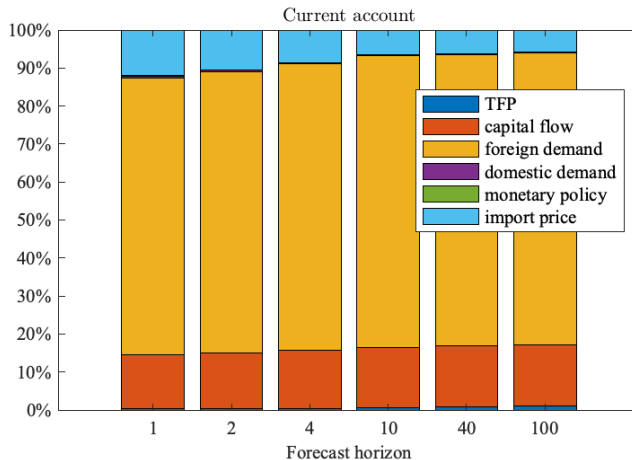
# Impulse-Responses: Monetary Policy Shock



# Impulse-Responses: Domestic Demand Shock



# Forecast Error Variance Decomposition



# Dominant CA Shock and Model Shocks

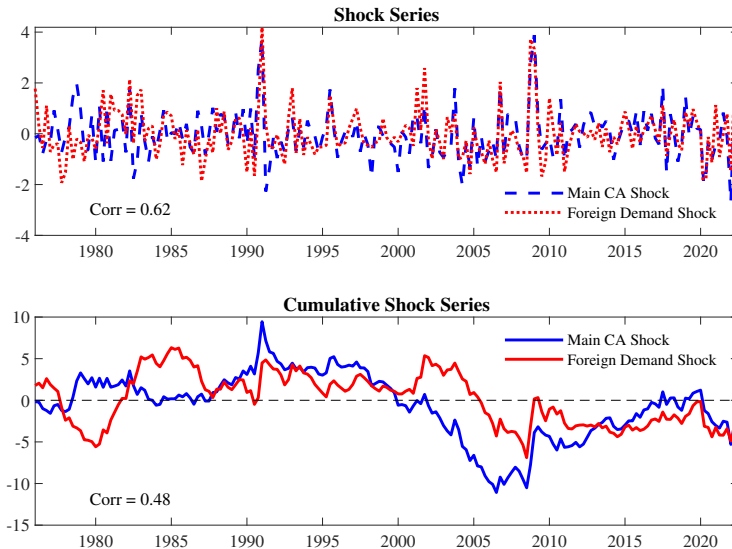
Loadings of Various Shocks onto the Dominant CA Shock

VARIABLES	US	DE	UK
	Dominant CA	Dominant CA	Dominant CA
TFP	0.0792 (0.0658)	-0.0551 (0.0430)	-0.0110 (0.0649)
capital flow	0.477*** (0.0610)	0.343*** (0.0340)	0.113** (0.0542)
foreign demand	0.852*** (0.0614)	0.845*** (0.0336)	0.847*** (0.104)
domestic demand	-0.0547 (0.0664)	-0.230*** (0.0461)	-0.0464 (0.0654)
monetary policy	0.0861 (0.118)	-0.0544 (0.0454)	-0.00855 (0.0776)
import price	0.407*** (0.111)		
Observations	187	187	187
R-squared	0.642	0.826	0.711

Robust standard errors in parentheses. \*\*\*  $p < 0.01$ , \*\*  $p < 0.05$ , \*  $p < 0.1$



# Empirical to Model Shock Series Comparison: US



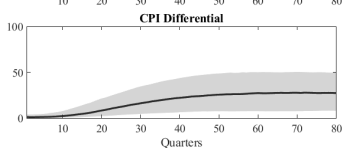
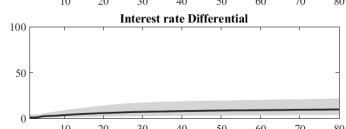
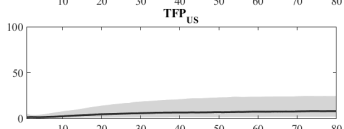
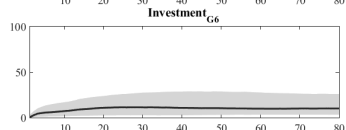
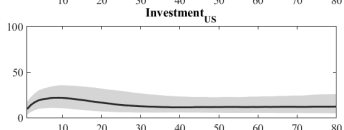
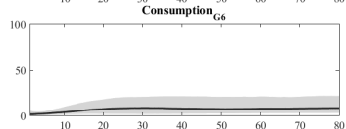
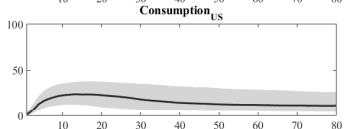
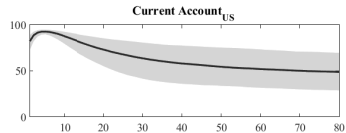
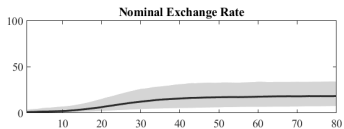
# Conclusion

# Conclusion

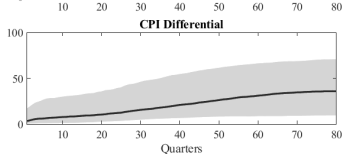
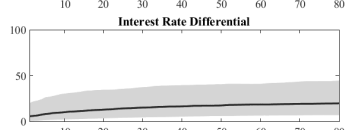
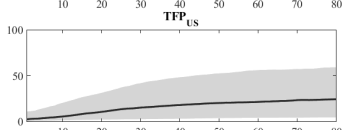
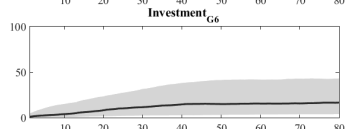
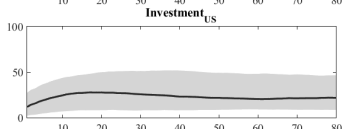
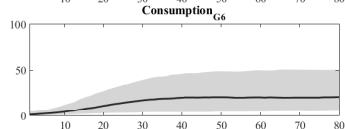
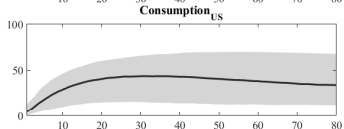
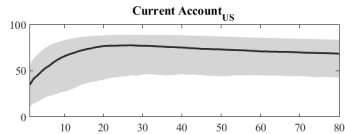
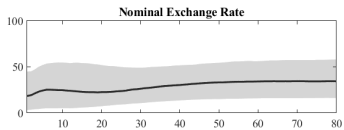
- ▶ We document the statistical properties of the dominant drivers of the current account at business cycle frequency and over the long run for 3 countries
- ▶ We interpret the empirical evidence using an open-economy DSGE model with financial frictions
- ▶ At business cycle frequencies the current account is mainly driven by foreign demand with some role for capital flow shocks
- ▶ Over the long run we observe expenditure switching where the current account improves while the exchange rate depreciates

# Appendix

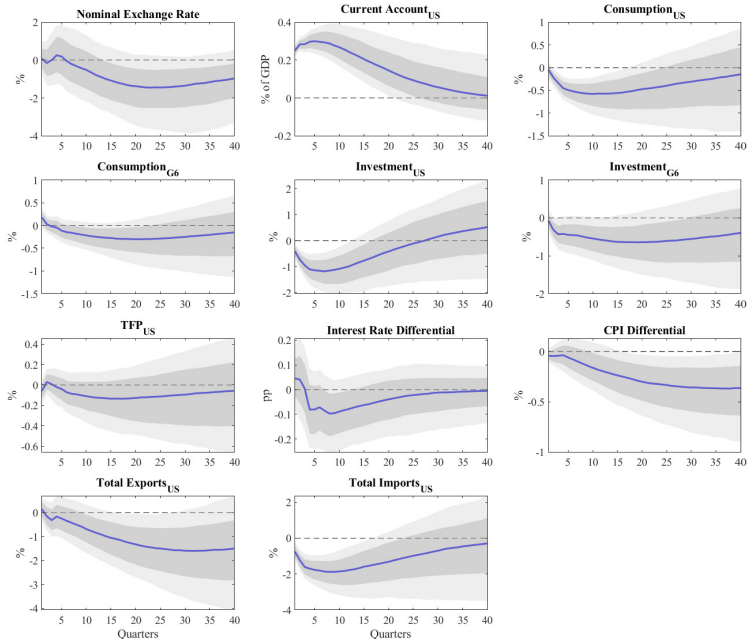
# US dominant CA shock at business cycle frequency: FEVD



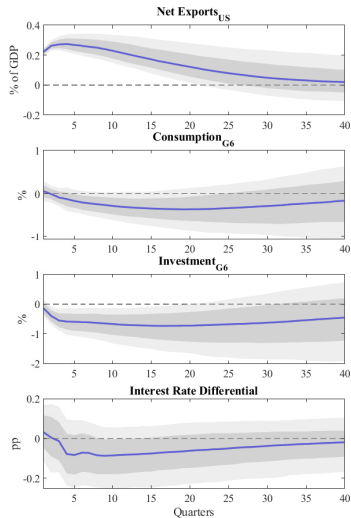
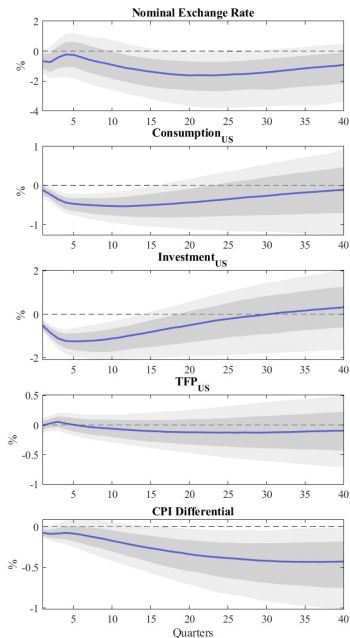
# US dominant CA shock in the long run: FEVD



# US dominant CA shock at business cycle frequency: Exports and Imports

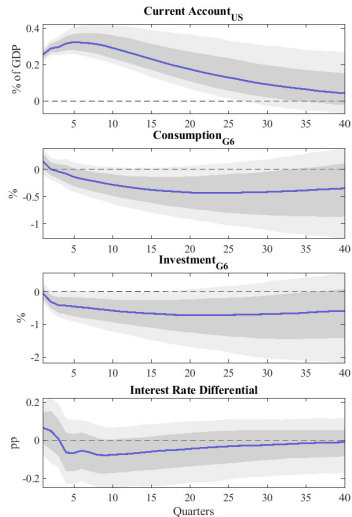
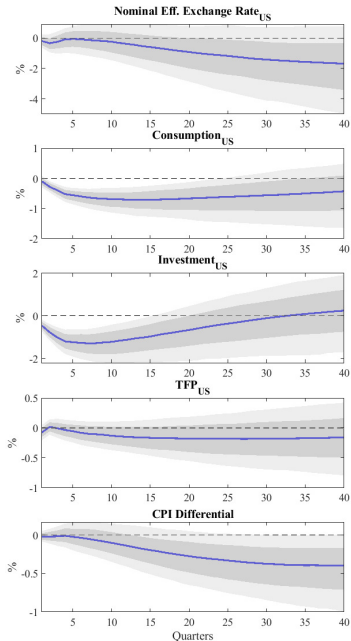


# US dominant net exports shock at business cycle frequency

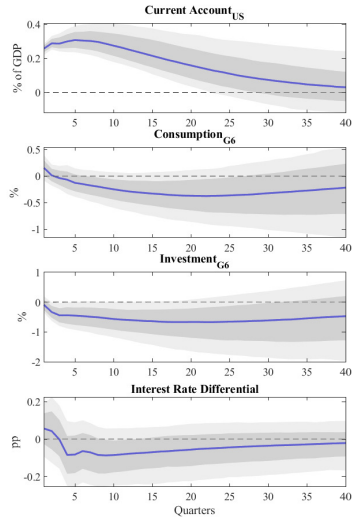
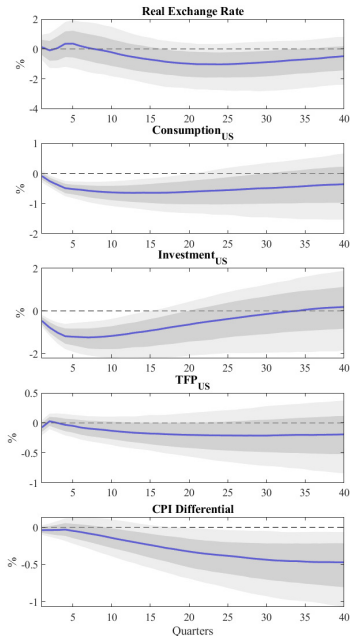




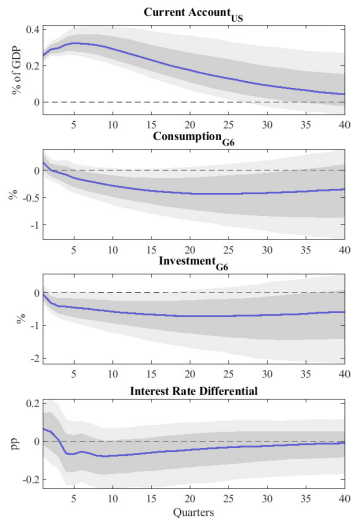
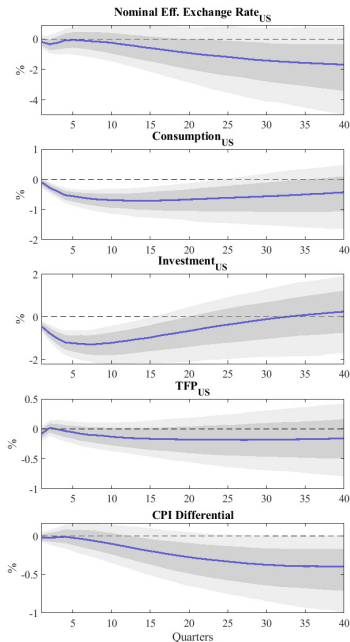
# US dominant income balance shock at business cycle frequency



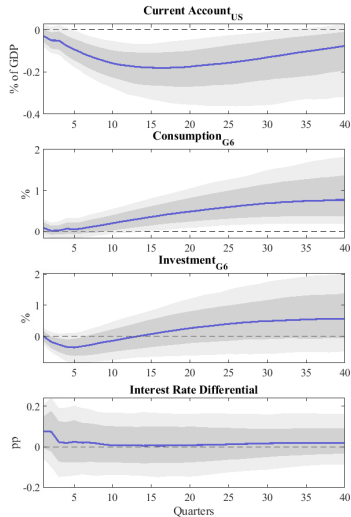
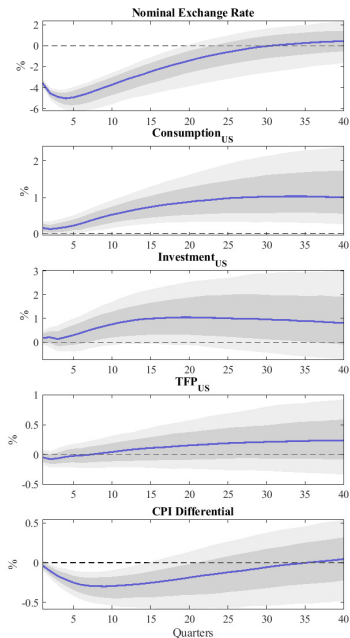
# US dominant CA shock at business cycle frequency: Real ex. rate



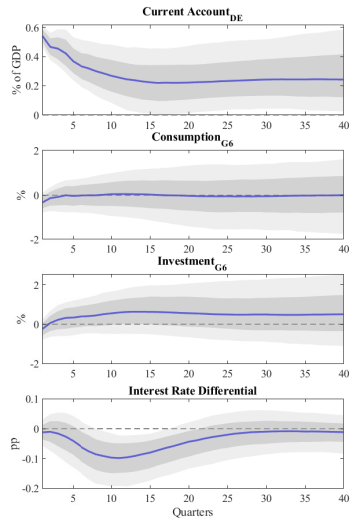
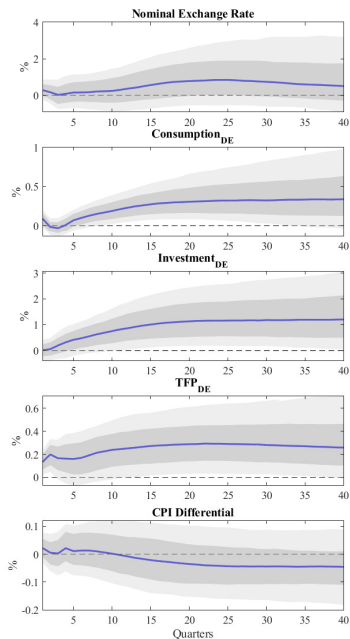
# US dominant CA shock at business cycle frequency: Nom. eff. ex. rate



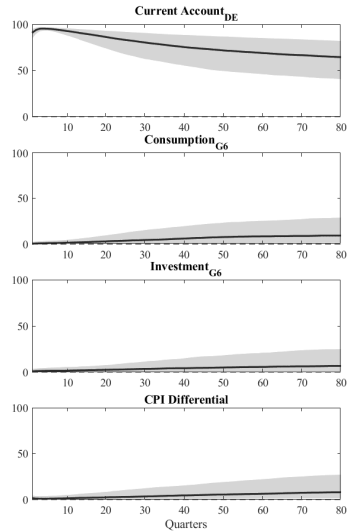
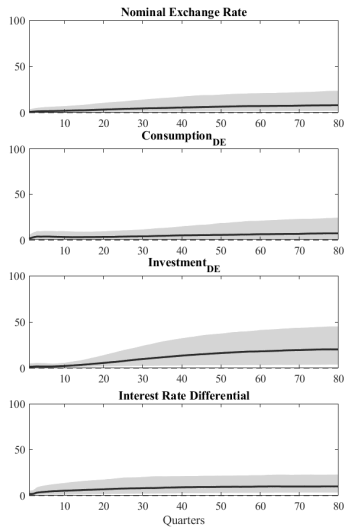
# US dominant exchange rate shock at business cycle frequency



# Germany: dominant CA shock at business cycle frequency w/ TFP

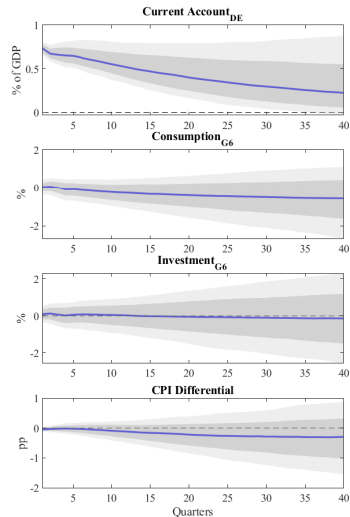
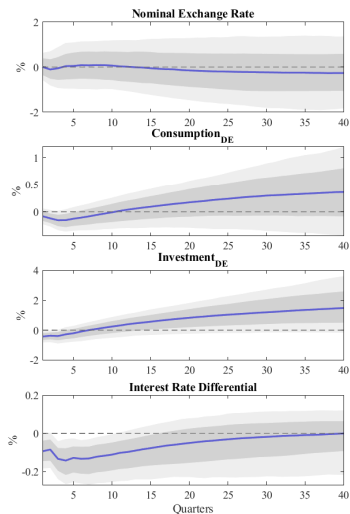


# Germany: dominant CA shock at business cycle frequency: FEVD

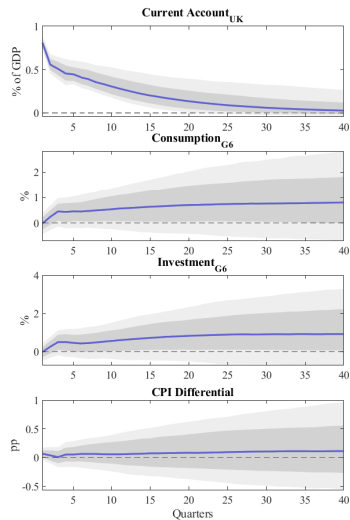
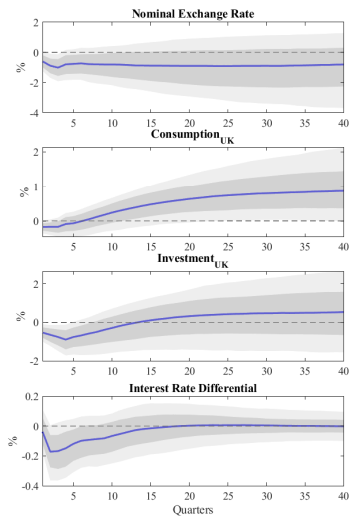


# Germany: dominant CA shock at business cycle frequency w/o TFP

## 1991-2019

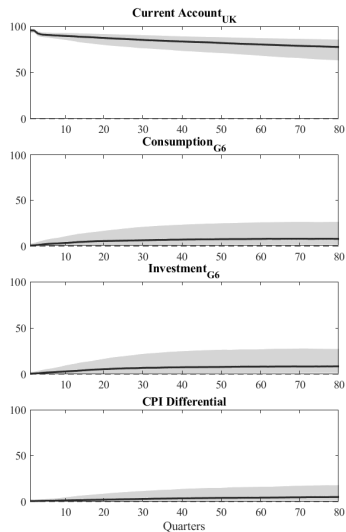
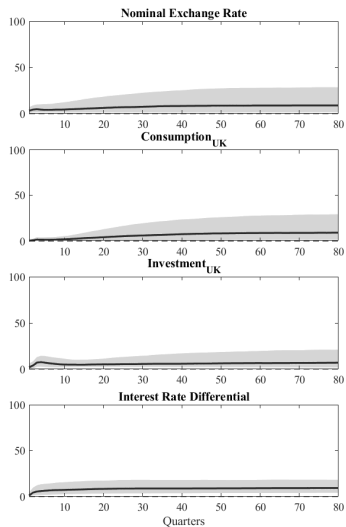


# UK: dominant CA shock at business cycle frequency w/ TFP

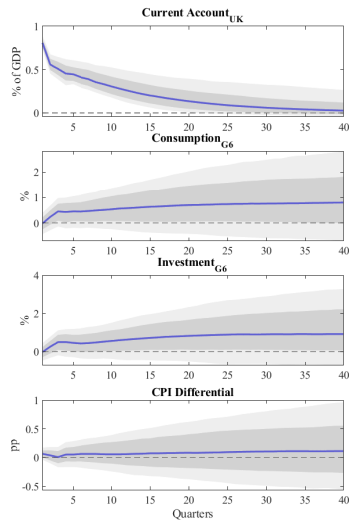
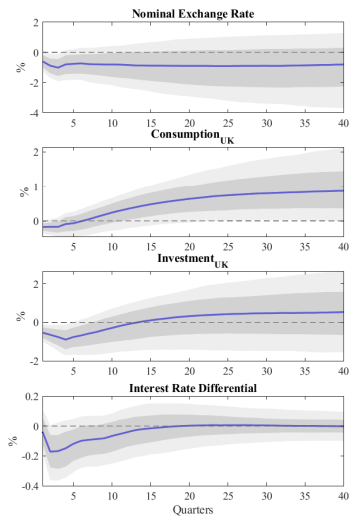




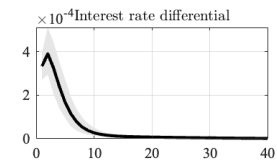
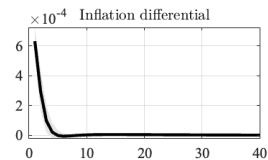
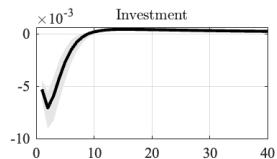
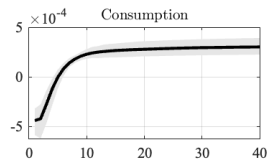
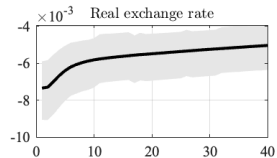
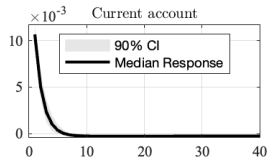
# UK: dominant CA shock at business cycle frequency: FEVD



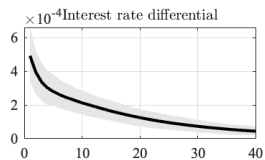
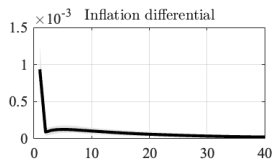
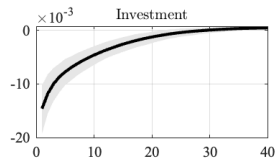
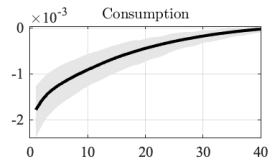
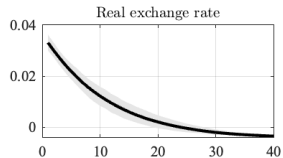
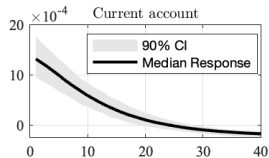
# UK: dominant CA shock at business cycle frequency w/o TFP 1991-2019



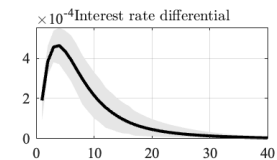
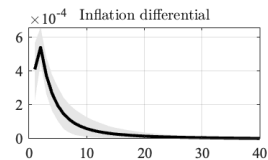
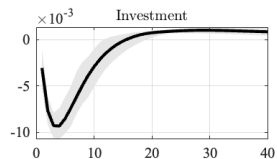
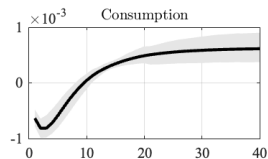
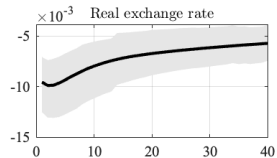
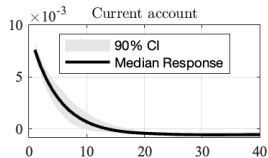
# Impulse-Responses for UK: Foreign Demand Shock



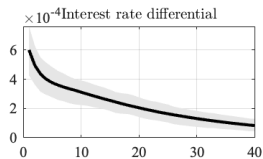
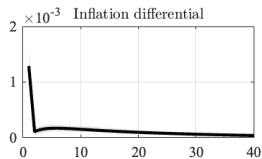
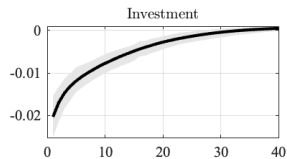
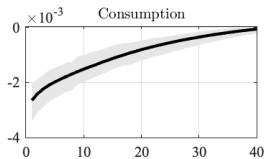
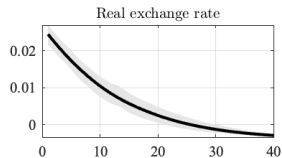
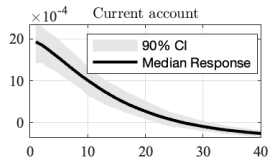
# Impulse-Responses for UK: Capital Flow Shock



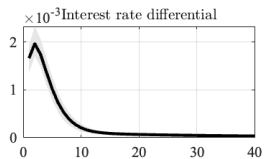
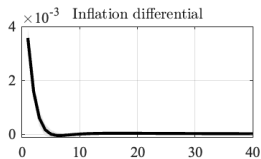
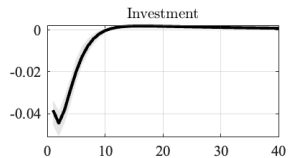
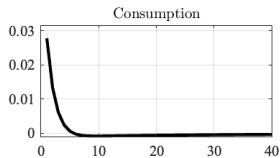
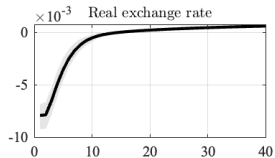
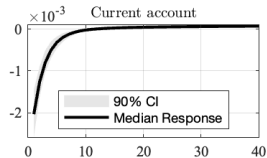
# Impulse-Responses for Germany: Foreign Demand Shock



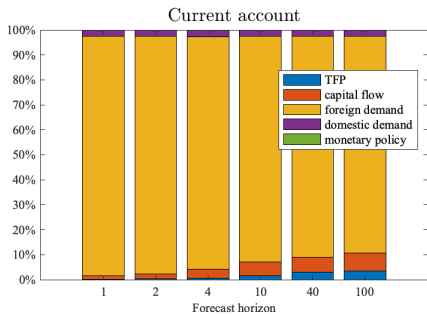
# Impulse-Responses for Germany: Capital Flow Shock



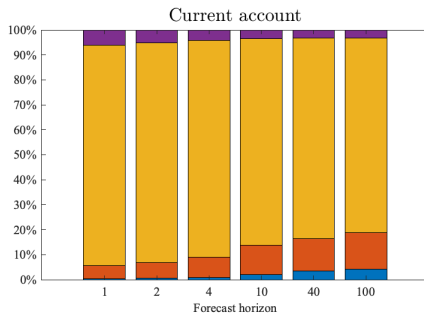
# Impulse-Responses for Germany: Domestic Demand Shock



# FEVD: UK & Germany



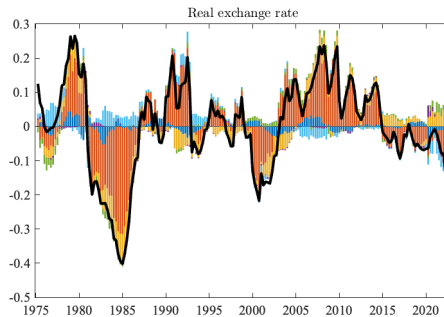
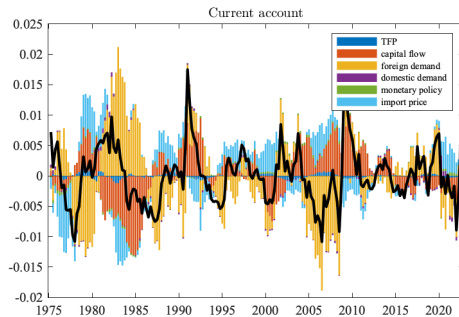
(a) UK



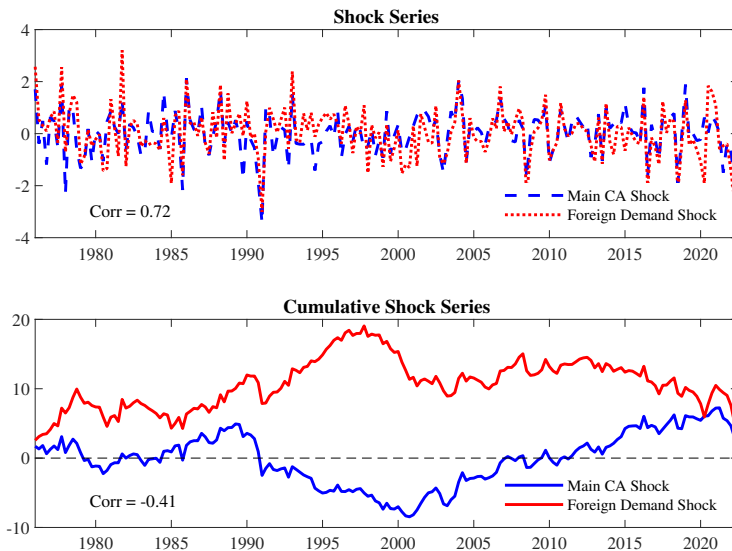
(b) Germany



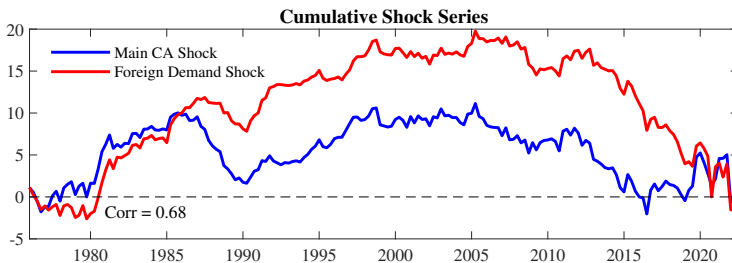
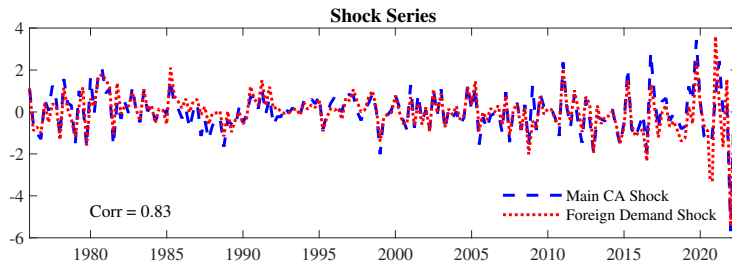
# Historical Decomposition: US



# Empirical to Model Shock Series Comparision: Germany



# Empirical to Model Shock Series Comparison: UK



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