Module 3 Assignment 1: House Prices: Advanced Regression Techniques

Introduction

Developing a well-tuned predictive model (Ridge, Lasso, ElasticNet) can provide accurate estimates of home prices, benefiting real-estate industry stakeholders. Lasso or ElasticNet approaches may excel with many good predictors due to their cost functions. These methods offer advantages like regularization, reducing collinearities, and improving performance on unseen data. However, they might not be the best for variable selection due to the arbitrary selection in the presence of multicollinearity. This study evaluates these predictive models to identify predictors of home prices and determine the most suitable approach.

Method

Home sale prices data from Ames, Iowa, were sourced from Kaggle and analyzed using Jupyter Notebooks. Exploratory data analysis examined feature characteristics, associations, distributions, missingness, and outliers. Both bivariate (Pearson correlations, t-tests, ANOVAs, simple linear regressions) and multivariate analyses (OLS, Ridge, Lasso, and ElasticNet regression) were conducted using k-fold cross-validation. Model assumptions and metrics were examined throughout the analyses.

Results and Insights

Descriptive Statistics and Data Preparation:

• Sale prices ranged from \$34,900 to \$755,000 (M= \$180,921)

- Log transformation improved normality for subsequent analyses.
- Categorical variables were encoded into indicator, ordinal, and non-indicator variables, creating a larger dataset for analysis.

Bivariate Analyses:

- Significant predictors of Sale Price: central air (t(1458) = 17.26, p < .001), exterior quality (F(3, 1456) = 443.33, p < .001), and total square footage (r = .82, p < .001).
- Regression models (simple, piecewise, five-factor) showed R² values of .76, .82, and .84, respectively.

Model Comparisons:

- Lasso: Optimal alpha \sim .005 with R^2 = .90; validation set R^2 = .863; Kaggle test RMSE = 0.16194.
- ElasticNet: alpha: 0.013, Best performance with R² = .92; Kaggle RMSE = 0.1365.
 Optimal alphas were .015 (limited data) and .009 (full data).

Feature Importance:

- ElasticNet's optimal model indicated that square footage, overall quality and condition, and year built were significant positive predictors of Sale Price.
- Negative predictors included years since last remodel and certain zoning classifications.

Kaggle Username:

Sunnysharma03

Screenshot of Kaggle Scores for 2 models:

0	salesprice_lasso_model.csv Complete · 14h ago	0.16194
0	salesprice_elastic_model.csv Complete · 14h ago	0.13658

Appendix – Python code and outputs:

Module 3 Assignment 1: House Prices: Advanced Regression Techniques (Kaggle)

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Import Modules

```
import seaborn as sns
import matplotlib.pyplot as plt
import pandas as pd
import numpy as np
from scipy import stats
from scipy.stats import ttest ind, f oneway
import statsmodels.api as sm
from IPython.core.interactiveshell import InteractiveShell
from sklearn.model selection import train test split, KFold,
cross validate
from numpy import mean, absolute
from sklearn.linear model import Ridge, ElasticNet, LinearRegression,
Lasso, LassoCV
from sklearn.metrics import r2 score, get scorer, mean squared error
from sklearn.decomposition import PCA
from sklearn.preprocessing import scale, StandardScaler,
PolynomialFeatures, LabelEncoder
import warnings
# Ignore all FutureWarnings
warnings.filterwarnings("ignore")
InteractiveShell.ast_node_interactivity = "all"
```

Data Preparation

```
housing training data = pd.read csv('train.csv')
housing training data.shape
housing training data.head()
(1460, 81)
   Id MSSubClass MSZoning LotFrontage LotArea Street Alley LotShape
    1
               60
                         RL
                                    65.0
                                             8450
                                                     Pave
                                                            NaN
                                                                     Reg
    2
               20
                         RL
                                    80.0
                                             9600
                                                     Pave
                                                            NaN
                                                                     Reg
               60
                                    68.0
    3
                         RL
                                            11250
                                                     Pave
                                                            NaN
                                                                     IR1
3
    4
               70
                         RL
                                    60.0
                                             9550
                                                            NaN
                                                                     IR1
                                                     Pave
```

4	5	60		RL	84	.0 14	4260	Pave	NaN	IR1
		ntour	Utilities		PoolArea	PoolQC	Fence	MiscFea	ture	MiscVal
	Sold	\								_
0		Lvl	AllPub		0	NaN	NaN		NaN	0
2		1.71	411 Dub		0	NaN	NaN		NaN	0
<u> </u>		Lvl	AllPub		0	NaN	NaN		NaN	0
0 2 1 5 2		Lvl	AllPub		0	NaN	NaN		NaN	0
9			711111111		Ū				11011	J
9 3 2		Lvl	AllPub		0	NaN	NaN		NaN	0
2										
4		Lvl	AllPub		0	NaN	NaN		NaN	0
12										
,	YrSold	Sale	eType Sal	eCondi	tion Sa	lePrice				
0	2008		WD		rmal	208500				
1	2007		WD	No	rmal	181500				
2	2008		WD		rmal	223500				
3	2006		WD		norml	140000				
4	2008		WD	No	rmal	250000				
[5	[5 rows x 81 columns]									

Details on Dependent Variable

We can start analyzing the distribution of the dataset's dependent variable, sale price, by generating summary statistics.

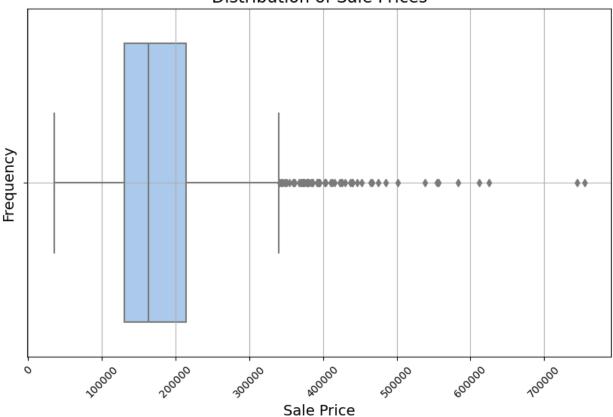
```
housing training data['SalePrice'].describe()
           1460.000000
count
        180921.195890
mean
std
         79442.502883
min
         34900.000000
25%
        129975.000000
        163000.000000
50%
75%
        214000.000000
        755000.000000
max
Name: SalePrice, dtype: float64
```

We can also construct a histogram and a boxplot to visualize the distribution of the sale price variable in this dataframe.

```
plt.figure(figsize=(10, 6))
sns.boxplot(x=housing_training_data["SalePrice"], palette="pastel")
plt.title('Distribution of Sale Prices', fontsize=16)
```

```
plt.xlabel('Sale Price', fontsize=14)
plt.ylabel('Frequency', fontsize=14)
plt.xticks(rotation=45)
plt.grid(True)
plt.show();
```

Distribution of Sale Prices



Check for Missing Data and Outliers

```
# Calculate null counts, percentage of null values, and column types
null_count = housing_training_data.isnull().sum()
null_percentage = (null_count * 100) / len(housing_training_data)
column_type = housing_training_data.dtypes

# Combine the null counts, percentage, and column types into a summary
DataFrame
null_summary = pd.concat([null_count, null_percentage, column_type],
axis=1, keys=['Missing Count', 'Percentage Missing', 'Column Type'])

# Filter the summary to show only columns with missing values, sorted
by percentage of missing values
null_summary_with_missing = null_summary[null_count >
0].sort_values('Percentage Missing', ascending=False)
```

Display the summary of columns with missing values null_summary_with_missing

	Missing Count	Percentage Missing	Column Type
PoolQC	1453	99.520548	object
MiscFeature	1406	96.301370	object
Alley	1369	93.767123	object
Fence	1179	80.753425	object
MasVnrType	872	59.726027	object
FireplaceQu	690	47.260274	object
LotFrontage	259	17.739726	float64
GarageType	81	5.547945	object
GarageYrBlt	81	5.547945	float64
GarageFinish	81	5.547945	object
GarageQual	81	5.547945	object
GarageCond	81	5.547945	object
BsmtFinType2	38	2.602740	object
BsmtExposure	38	2.602740	object
BsmtFinType1	37	2.534247	object
BsmtCond	37	2.534247	object
BsmtQual	37	2.534247	object
MasVnrArea	8	0.547945	float64
Electrical	1	0.068493	object

We will address columns containing missing values in our exploratory data analysis by leveraging the percentage of null values, column types, and other available data columns that may offer insights useful for imputation.

We will remove columns with over 50% Null values.

```
# Drop columns with over 50% missing values: Alley, PoolQC, Fence,
MiscFeature
housing_training_data.drop(['Alley', 'PoolQC', 'Fence',
'MiscFeature'], axis=1, inplace=True)
housing_training_data.shape
(1460, 77)
```

We will assign null values

```
housing_training_data[columns_None] =
housing_training_data[columns_None].fillna('None')
```

We establish the optimal null-handling approach for each numeric column. Null values in the Masonry veneer area are replaced with 0, nulls in Lot Frontage with the median, and nulls in Year Garage was built with the average of the year the garage was built and the year the house was built.

```
housing_training_data['MasVnrArea'].fillna(0, inplace=True)
lot_frontage_median = housing_training_data['LotFrontage'].median()
housing_training_data['LotFrontage'].fillna(lot_frontage_median,
inplace=True)
avg_years = round((housing_training_data['GarageYrBlt'] -
housing_training_data['YearBuilt']).mean())
# fill Nulls with avg bet year garage was built and year house was
built
housing_training_data['GarageYrBlt'].fillna(housing_training_data['Yea rBuilt']+avg_years, inplace=True)
```

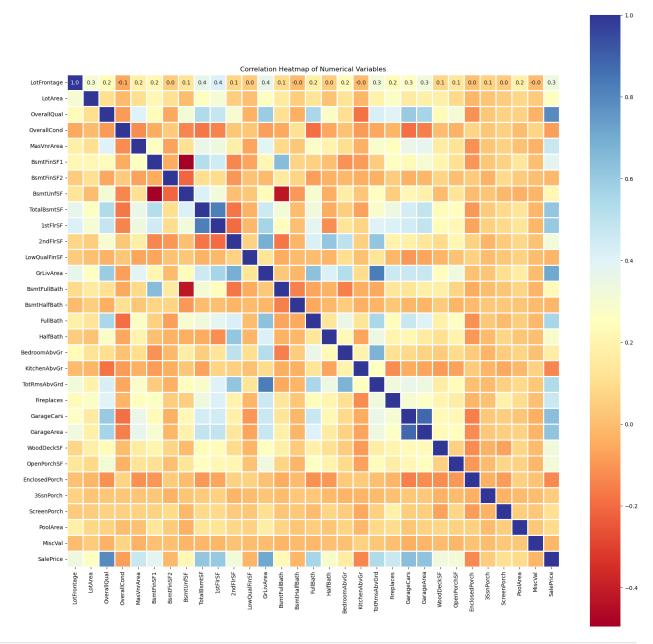
Let's check if there are any null values available

```
# check if there are no more missing values in the dataframe
null_count = housing_training_data.isnull().sum()
null_count[null_count != 0]
Series([], dtype: int64)
```

Heat Map between dependent and potential Predictor

```
# Select numerical variables
numerical vars = ['LotFrontage', 'LotArea', 'OverallQual',
'OverallCond', 'MasVnrArea',
                 'BsmtFinSF1', 'BsmtFinSF2', 'BsmtUnfSF',
'TotalBsmtSF', '1stFlrSF', '2ndFlrSF', 'LowQualFinSF',
                 'GrLivArea', 'BsmtFullBath', 'BsmtHalfBath',
'FullBath', 'HalfBath', 'BedroomAbvGr', 'KitchenAbvGr',
                 'TotRmsAbvGrd', 'Fireplaces', 'GarageCars',
'GarageArea', 'WoodDeckSF', 'OpenPorchSF',
                 'EnclosedPorch', '3SsnPorch', 'ScreenPorch',
'PoolArea', 'MiscVal', 'SalePrice']
# Create correlation matrix
df corr housing training = housing training data[numerical vars]
corrmat housing training = df corr housing training.corr()
# Plot heatmap
plt.figure(figsize=(20, 20))
sns.heatmap(corrmat housing training, vmax=1, square=True, annot=True,
cmap='RdYlBu', linewidths=0.8, fmt=".1f")
```

plt.title('Correlation Heatmap of Numerical Variables') plt.show();



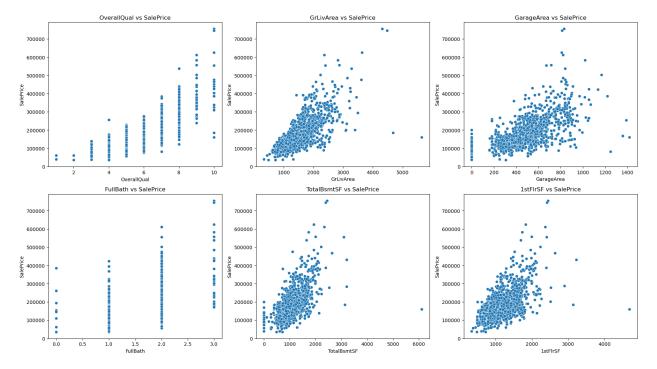
```
# Determine the correlation between each feature and SalePrice
cor_target = corrmat_housing_training["SalePrice"]
# Identify features with a correlation higher than 0.5
important_features = cor_target[cor_target > 0.5]
# Order the important features by correlation coefficient, highest
first
important_features = important_features.sort_values(ascending=False)
# Show the important features
important_features
```

```
SalePrice
                1.000000
OverallQual
                0.790982
GrLivArea
                0.708624
GarageCars
                0.640409
GarageArea
                0.623431
TotalBsmtSF
                0.613581
1stFlrSF
                0.605852
FullBath
                0.560664
TotRmsAbvGrd
                0.533723
Name: SalePrice, dtype: float64
```

Below are plots that examine the relationship between variables of interest and sale price

```
variables_of_interest = ['OverallQual', 'GrLivArea', 'GarageArea',
    'FullBath', 'TotalBsmtSF', '1stFlrSF']

# Plotting relationships with SalePrice
fig, axes = plt.subplots(nrows=2, ncols=3, figsize=(18, 10))
for ax, var in zip(axes.flatten(), variables_of_interest):
    sns.scatterplot(x=housing_training_data[var],
y=housing_training_data['SalePrice'], ax=ax)
    ax.set_title(f'{var} vs SalePrice')
plt.tight_layout()
plt.show();
```

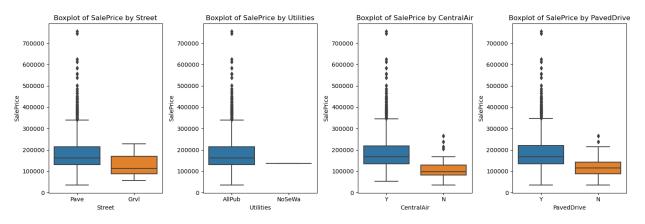


To identify the most predictive binary categorical variables for a regression model, we will utilize boxplots and conduct t-tests to assess which binary indicators exhibit the strongest correlation with home sale prices.

```
categorical variables = ['MSZoning', 'Street', 'LotShape',
'LandContour', 'Utilities', 'LotConfig', 'LandSlope', 'Neighborhood', 'Condition1', 'Condition2',
'BldgType', 'HouseStyle', 'RoofStyle', 'RoofMatl', 'Exterior1st', 'Exterior2nd', 'MasVnrType',
'ExterQual', 'ExterCond', 'Foundation',
                         'BsmtQual', 'BsmtCond', 'BsmtExposure',
'BsmtFinType1', 'BsmtFinType2', 'Heating', 'HeatingQC',
                         'CentralAir', 'Electrical', 'KitchenQual',
'Functional', 'FireplaceQu', 'GarageType',
                         'GarageQual', 'GarageCond', 'PavedDrive',
'SaleType', 'SaleCondition','YearBuilt','GarageYrBlt',
                          'YrSold', 'MoSold']
# Calculate number of unique categories for each variable
category counts = [len(housing_training_data[var].unique()) for var in
categorical variables]
# Create a DataFrame to summarize categorical variables and their
category counts
categorical variable dictionary = {'Categorical Predictor':
categorical variables, 'Number of Categories': category counts}
categorical var df = pd.DataFrame(categorical variable dictionary)
# Identify indicator variables (binary categorical variables)
indicator variables df = categorical var df[categorical var df['Number
of Categories'] == 2]
# Identify non-indicator categorical variables (more than two
categories)
non indicator categorial vars df =
categorical var df[categorical var df['Number of Categories'] > 2]
# Display the results
print("Summary of Categorical Variables:")
print(", ".join(f"('{var}':
{len(housing_training_data[var].unique())})" for var in
categorical variables))
print("\nIndicator Variables (Binary):")
print(", ".join(f"('{var}': {num}))" for var, num in
zip(indicator variables df['Categorical Predictor'],
indicator_variables_df['Number of Categories'])))
# Print results for non indicator categorial vars df
print("\nNon-Indicator Categorical Variables (More than Two
Categories):")
print(", ".join(f"('{var}': {num}))" for var, num in
zip(non indicator categorial vars df['Categorical Predictor'],
non indicator categorial vars df['Number of Categories'])))
```

```
Summary of Categorical Variables:
('MSZoning': 5), ('Street': 2), ('LotShape': 4), ('LandContour': 4),
('Utilities': 2), ('LotConfig': 5), ('LandSlope': 3), ('Neighborhood':
25), ('Condition1': 9), ('Condition2': 8), ('BldgType': 5),
('HouseStyle': 8), ('RoofStyle': 6), ('RoofMatl': 8), ('Exterior1st':
15), ('Exterior2nd': 16), ('MasVnrType': 4), ('ExterQual': 4),
('ExterCond': 5), ('Foundation': 6), ('BsmtQual': 5), ('BsmtCond': 5),
('BsmtExposure': 5), ('BsmtFinType1': 7), ('BsmtFinType2': 7),
('Heating': 6), ('HeatingQC': 5), ('CentralAir': 2), ('Electrical':
6), ('KitchenQual': 4), ('Functional': 7), ('FireplaceQu': 6),
('GarageType': 7), ('GarageQual': 6), ('GarageCond': 6),
('PavedDrive': 3), ('SaleType': 9), ('SaleCondition': 6),
('YearBuilt': 112), ('GarageYrBlt': 102), ('YrSold': 5), ('MoSold':
12)
Indicator Variables (Binary):
('Street': 2), ('Utilities': 2), ('CentralAir': 2)
Non-Indicator Categorical Variables (More than Two Categories):
('MSZoning': 5), ('LotShape': 4), ('LandContour': 4), ('LotConfig':
5), ('LandSlope': 3), ('Neighborhood': 25), ('Condition1': 9),
('Condition2': 8), ('BldgType': 5), ('HouseStyle': 8), ('RoofStyle':
6), ('RoofMatl': 8), ('Exterior1st': 15), ('Exterior2nd': 16),
('MasVnrType': 4), ('ExterQual': 4), ('ExterCond': 5), ('Foundation':
6), ('BsmtQual': 5), ('BsmtCond': 5), ('BsmtExposure': 5),
('BsmtFinType1': 7), ('BsmtFinType2': 7), ('Heating': 6),
('HeatingQC': 5), ('Electrical': 6), ('KitchenQual': 4),
('Functional': 7), ('FireplaceQu': 6), ('GarageType': 7),
('GarageQual': 6), ('GarageCond': 6), ('PavedDrive': 3), ('SaleType':
9), ('SaleCondition': 6), ('YearBuilt': 112), ('GarageYrBlt': 102),
('YrSold': 5), ('MoSold': 12)
# convert Paved Drive to dichotomous, indicator variable
housing training data['PavedDrive'] =
np.where(housing training data['PavedDrive'] == 'Y', 'Y', 'N')
housing training data['PavedDrive'].value counts()
# view indicator variables
indicator vars = ['Street', 'Utilities', 'CentralAir', 'PavedDrive']
# Create subplots for each indicator variable
fig, ax = plt.subplots(1, 4, figsize=(15, 5))
# Iterate through each indicator variable and create boxplots
for var, subplot in zip(indicator vars, ax.flatten()):
    sns.boxplot(x=var, y='SalePrice', data=housing training data,
ax=subplot)
    subplot.set title(f'Boxplot of SalePrice by {var}')
    subplot.set xlabel(var)
    subplot.set ylabel('SalePrice')
```

```
# Adjust layout and display the plots
fig.tight_layout()
plt.show();
```



```
# Run T-tests for each indicator variable
Street t test = ttest ind(
    housing_training_data['SalePrice'][housing training data['Street']
== 'Pave'l,
    housing training data['SalePrice'][housing training data['Street']
== 'Grvl'], equal var=False
Utilities_t_test = ttest_ind(
    housing training data['SalePrice']
[housing training data['Utilities'] == 'AllPub'],
    housing training data['SalePrice']
[housing training data['Utilities'] == 'NoSeWa'], equal var=False
Central_Air_t_test = ttest_ind(
    housing training data['SalePrice']
[housing training data['CentralAir'] == 'Y'],
    housing training data['SalePrice']
[housing training data['CentralAir'] == 'N'], equal var=<mark>False</mark>
Paved Drive t test = ttest ind(
    housing training data['SalePrice']
[housing training data['PavedDrive'] == 'Y'],
    housing training data['SalePrice']
[housing training data['PavedDrive'] == 'N'], equal var=False
# Compile T-test statistics and p-values into lists
Indicator Variable t test statistics = [Street t test[0],
```

```
Utilities_t_test[0], Central_Air_t_test[0], Paved_Drive_t_test[0]]
Indicator Variable t test p values = [Street t test[1],
Utilities_t_test[1], Central_Air_t_test[1], Paved_Drive_t_test[1]]
indicator var t tests = {
    'Indicator Variable':indicator vars,
    'T-Test Statistic': Indicator Variable t test statistics,
    'P-Values':Indicator Variable t test p values
}
# Create a DataFrame from the dictionary
Indicator var t test df = pd.DataFrame(indicator var t tests)
# Apply background gradient to highlight values in the DataFrame
styled df =
Indicator var t test df.style.background gradient(cmap='Greens')
# Display the styled DataFrame
styled df
<pandas.io.formats.style.Styler at 0x155c0d650>
```

Correlation with SalePrice: Calculate correlation coefficients (such as Pearson correlation) between encoded categorical variables and SalePrice. Higher absolute correlation coefficients suggest stronger relationships, which will guide our selection for ANOVA testing.

```
# dummy encode the Street, Central Air, Paved Drive indicator
variables, we will exclude Utilities from encoding since there is only
housing_training_data = pd.get_dummies(housing_training_data,
columns=['Street','CentralAir','PavedDrive'], drop_first=True)
```

To determine which categorical variables might be most useful for inclusion in a regression model (in the form of a dichotomous variable), we can create boxplots and run analyses of variance (ANOVA) to determine which non-binary categorical variables may have the strongest relationship with home sale prices.

We can create boxplots to visually display the distribution of sale prices disaggregated by the categories associated with each of the non-indicator categorical variables as well.

```
# Remove specified items from categorical_variables
categorical_variables_refine = [var for var in categorical_variables
if var not in ['Street', 'CentralAir', 'PavedDrive']]

# Encode the categorical variables
encoded_categorical_vars =
housing_training_data[categorical_variables_refine].apply(LabelEncoder
().fit_transform)
```

```
# Calculate correlation with SalePrice
corr_with_saleprice =
encoded_categorical_vars.corrwith(housing_training_data['SalePrice'])

# Identify variables with high correlation (absolute value)
relevant_categorical_vars =
corr_with_saleprice[abs(corr_with_saleprice) > 0.4].index.tolist()

print("Categorical variables with high correlation with SalePrice:")
print(relevant_categorical_vars)

Categorical variables with high correlation with SalePrice:
['ExterQual', 'BsmtQual', 'HeatingQC', 'KitchenQual', 'GarageType',
'YearBuilt', 'GarageYrBlt']
```

It looks like we've identified ExterQual, BsmtQual, HeatingQC, KitchenQual, GarageType, YearBuilt, and GarageYrBlt as categorical variables that show high correlation with SalePrice. These variables are likely to be significant predictors in your analysis. If you need further assistance with analyzing these variables or any other aspect of your project, feel free to ask!

```
# Define variables for ANOVA analysis
ANOVA_vars = ['ExterQual', 'BsmtQual', 'FireplaceQu', 'KitchenQual',
'GarageQual', 'GarageCond', 'HeatingQC']
# Perform ANOVA for ExterOual
exter_qual_groups = [housing_training_data['SalePrice']
[housing_training_data['ExterQual'] == level] for level in ['Gd',
'TA', 'Ex', 'Fa']]
anova exter qual = f oneway(*exter qual groups)
# Perform ANOVA for BsmtOual
bsmt qual groups = [housing training data['SalePrice']
[housing training data['BsmtQual'] == level] for level in ['Gd', 'TA',
'Ex', 'None', 'Fa']]
anova bsmt qual = f oneway(*bsmt qual groups)
# Perform ANOVA for FireplaceQu
fireplace gu groups = [housing training data['SalePrice']
[housing_training_data['FireplaceQu'] == level] for level in ['None',
'TA', 'Gd', 'Fa', 'Ex', 'Po']]
anova fireplace gu = f oneway(*fireplace gu groups)
# Perform ANOVA for KitchenOual
kitchen qual groups = [housing training data['SalePrice']
[housing training data['KitchenQual'] == level] for level in ['Gd',
'TA', 'Ex', 'Fa']]
anova kitchen qual = f oneway(*kitchen qual groups)
# Perform ANOVA for GarageQual
```

```
garage qual groups = [housing training data['SalePrice']
[housing training data['GarageQual'] == level] for level in ['None',
'TA', 'Gd', 'Fa', 'Ex', 'Po']]
anova garage qual = f oneway(*garage qual groups)
# Perform ANOVA for GarageCond
garage_cond_groups = [housing_training_data['SalePrice']
[housing training data['GarageCond'] == level] for level in ['None',
'TA', 'Gd', 'Fa', 'Ex', 'Po']]
anova_garage_cond = f_oneway(*garage_cond_groups)
# Perform ANOVA for HeatingOC
heating qc groups = [housing training data['SalePrice']
[housing_training_data['HeatingQC'] == level] for level in ['TA',
'Gd', 'Fa', 'Ex', 'Po']]
anova heating qc = f oneway(*heating qc groups)
# Collect ANOVA results
anova stats = [anova exter qual.statistic, anova bsmt qual.statistic,
anova fireplace qu.statistic, anova kitchen qual.statistic,
               anova garage qual.statistic,
anova garage cond.statistic, anova heating qc.statistic]
anova pvals = [anova exter qual.pvalue, anova bsmt qual.pvalue,
anova fireplace qu.pvalue, anova kitchen qual.pvalue,
               anova garage qual.pvalue, anova garage cond.pvalue,
anova heating qc.pvalue]
anova results = {'Categorical Variable': ANOVA vars, 'Test Statistic':
anova stats, 'P-Values': anova pvals}
anova df = pd.DataFrame(anova results)
# Style the DataFrame
anova df.style.background gradient(cmap='Greens')
<pandas.io.formats.style.Styler at 0x155ea4a90>
# for heatingQC excellent is the only value that is statistically
significant from the others, so we will encode this to be a binary
variable.
housing training data['HeatingEx'] =
np.where(housing training data['HeatingQC'] == 'Ex', 1, 0)
housing training data.drop(columns=['HeatingQC'],inplace=True)
```

Encode important categorical variables

```
# List of important categorical features
important_cats = ['ExterQual', 'BsmtQual', 'FireplaceQu',
'KitchenQual', 'GarageQual', 'GarageCond']
```

```
# Ordinal mapping for categorical features
ordinal_map = {'Ex': 4, 'Gd': 3, 'TA': 2, 'Fa': 1, 'None': 1, 'Po':
0 }

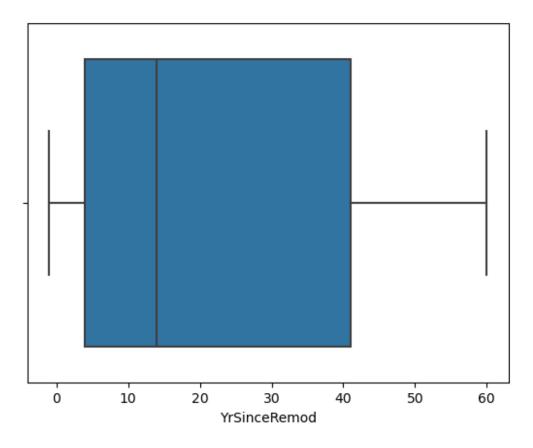
# Replace categorical values with ordinal rankings
for feature in important_cats:
    housing_training_data[feature] =
housing_training_data[feature].replace(ordinal_map)

# Display the shape of the data
print(f'Shape all_data: {housing_training_data.shape}')
Shape all_data: (1460, 77)
```

Feature Creation

We will create a new feature to represent the number of years since a home was last remodeled, which may enhance the accuracy of our home sale price prediction models.

```
# Create a new variable: years since the house was remodeled from
selling date (use construction date if no remodeling or additions)
housing training data['YrSinceRemod'] =
housing training data['YrSold'] -
housing_training_data['YearRemodAdd'];
# Create a boxplot for YrSinceRemod
sns.boxplot(x='YrSinceRemod', data=housing training data);
# Compute Pearson correlation coefficient and p-value for SalePrice
and YrSinceRemod
correlation coefficient, p value =
stats.pearsonr(housing training data['YrSinceRemod'],
housing training data['SalePrice']);
print("Pearson correlation coefficient and p-value for SalePrice and
Years since House was remodeled/built:");
print("Correlation coefficient:", correlation coefficient);
print("P-value:", p_value);
Pearson correlation coefficient and p-value for SalePrice and Years
since House was remodeled/built:
Correlation coefficient: -0.5090787380156276
P-value: 4.374855446379975e-97
```

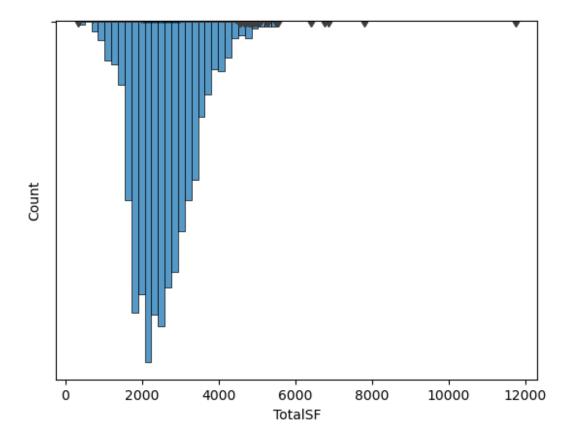


Additionally, we'll create a feature to represent the total square footage of the home, which can further contribute to our home sale price prediction models.

```
# Create a new variable: Total square feet (TotalSF)
housing training data['TotalSF'] =
housing training data['TotalBsmtSF'] +
housing training data['GrLivArea']
# Create a boxplot for TotalSF
sns.boxplot(x='TotalSF', data=housing training data);
# Drop large outliers from the dataframe
housing training data.drop(housing_training_data[housing_training_data
['TotalSF'] > 6000].index, inplace=True)
# Visualize distribution without extreme outliers
sns.histplot(data=housing training data, x="TotalSF");
# Compute Pearson correlation coefficient and p-value for SalePrice
and TotalSF
correlation coefficient, p_value =
stats.pearsonr(housing training data['TotalSF'],
housing training data['SalePrice']);
print("Pearson correlation coefficient and p-value for SalePrice and
TotalSF (Total square feet - includes basement):");
```

```
print("Correlation coefficient:", correlation_coefficient);
print("P-value:", p_value);

Pearson correlation coefficient and p-value for SalePrice and TotalSF
(Total square feet - includes basement):
    Correlation coefficient: 0.8199962912972798
P-value: 0.0
```



Dummy Encoding

Let's dummy encode the remaining categorical variables and create a new dataframe with these encoded columns and the original numeric columns.

```
# create new df with current numeric columns
housing_training_numeric_df =
pd.DataFrame(housing_training_data.select_dtypes(exclude=['object']))
housing_training_object_df =
pd.DataFrame(housing_training_data.select_dtypes(exclude=['uint8','int
','float']))
orig_object_cols = housing_training_object_df.columns
housing_training_data_dummy =
pd.get_dummies(housing_training_object_df, columns=orig_object_cols)
housing_training_data_large = pd.concat([housing_training_numeric_df,
housing_training_data_dummy], axis=1)
```

	ng_training ng_training									
Id YearBu	MSSubClas	ss Lo	tFronta	age	LotArea	0ve	rallQual	0vera	allCond	
0 1 2003	•	60	65	5.0	8450		7		5	
1 2 1976	2	20	80	0.0	9600		6		8	
2 3	6	60	68	3.0	11250		7		5	
2001	7	70	60	0.0	9550		7		5	
1915 4 5	6	60	84	1.0	14260		8		5	
2000				_						
Yea 0 1 2 3 4	erRemodAdd 2003 1976 2002 1970 2000	MasV	nrArea 196.0 0.0 162.0 0.0 350.0	Ex	terQual 3 2 3 2 2 3		SaleCond	dition_	Alloca False False False False False	\
	.eConditior			LeCo	ndition_N	Normal	L			
SaleCo 0	ondition_Pa	artial Fal:				True	9		Fal	se
1		Fal	se			True	9		Fal	se
2		Fal	se			True	9		Fal	se
3		Fal	se			False	9		Fal	se
4		Fal	se			True	9		Fal	se
	reet_Pave_F alAir Y Tru		Street	t_Pa	ve_True	Cent	ralAir_Y	_False		
0 True		alse			True			False		
1 True	F	alse			True			False		
2 True	F	alse			True			False		
3	F	alse			True			False		
True 4 True	F	alse			True			False		
Pav	/edDrive_Y_	_False	Paveo	dDri	ve_Y_True	e				

```
0
                False
                                     True
1
                False
                                     True
2
                False
                                     True
3
                False
                                     True
4
                False
                                     True
[5 rows x 262 columns]
(1455, 262)
# Calculate the correlation matrix
corrmat housing training = housing training data large.corr()
cor_target = abs(corrmat_housing_training["SalePrice"])
relevant features = cor target[cor target > 0.25]
feature list = relevant features.index
housing_training_data_large_subset =
housing_training data large[feature list]
housing training data large subset.shape
(1455, 53)
```

We may use this dataframe later on in the analysis. For the start, we will investigate the relationship between SalePrice and a select number of features, like Total Square Feet.

Prepare Test Data

```
# load test data
housing_testing_data = pd.read_csv('test.csv')
```

Handle Null values, matches how we dealt with Nulls in the training dataset

```
# Set Nulls in non-numeric columns to 'None'
housing testing data[columns None] =
housing testing data[columns None].fillna('None')
columns_zero = ['MasVnrArea', 'GarageArea', 'GarageCars',
'TotalBsmtSF', 'BsmtUnfSF', 'BsmtFinSF2',
                                  'BsmtFinSF1', 'BsmtHalfBath', 'BsmtFullBath',
'BsmtQual', 'KitchenQual']
housing testing data[columns zero] =
housing_testing_data[columns_zero].fillna(0)
housing_testing_data['LotFrontage'].fillna(housing_testing_data['LotFr
ontage'].median(), inplace=True)
housing testing data['GarageYrBlt'].fillna(housing testing data['Gar
eYrBlt'].median(), inplace=True)
# Convert Paved Drive to dichotomous, indicator variable
housing testing data['PavedDrive'] =
np.where(housing testing data['PavedDrive'] == 'Y', 'Y', 'N')
housing_testing_data['PavedDrive'].value counts()
housing testing data = pd.get dummies(housing testing data,
columns=['Street', 'CentralAir', 'PavedDrive'], drop first=True)
PavedDrive
          1301
             158
Name: count, dtype: int64
# for heatingOC encode this to be a binary variable to match how we
encoded this column in training data
housing testing data['HeatingEx'] =
np.where(housing testing data['HeatingQC'] == 'Ex', 1, 0)
housing testing data.drop(columns=['HeatingQC'],inplace=True)
# encode categorical columns with ordinal values
important categorical = ['ExterQual', 'BsmtQual', 'FireplaceQu',
'KitchenQual', 'GarageQual', 'GarageCond']
ordinal mapping = { 'Ex': 4, 'Gd': 3, 'TA': 2, 'Fa': 1, 'None': 1,
'Po': 0 }
# process columns, replace to categorical features with ordinal
ranking
for i in important categorical:
        housing testing data[i] =
housing testing data[i].replace(ordinal mapping)
# shape
print('Shape all data: {}'.format(housing testing data.shape))
Shape all data: (1459, 76)
```

```
# create new variable TotalSF
housing_testing_data['TotalSF'] = housing_testing_data['TotalBsmtSF']
+ housing_testing_data['GrLivArea']
housing_testing_data['YrSinceRemod'] = housing_testing_data['YrSold']
- housing_testing_data['YearRemodAdd']
```

Dummy Encoding

```
# create new df with current numeric columns
housing testing numeric data =
pd.DataFrame(housing_testing_data.select_dtypes(exclude=['object']))
# create new df with current categorical columns
housing testing object data =
pd.DataFrame(housing testing data.select dtypes(exclude=['uint8','int'
,'float']))
orig object cols = housing testing object data.columns
# dummy encode the categorical columns
housing testing data dummy =
pd.get dummies(housing testing object data, columns=orig object cols)
# create new df with original numeric and new dummy encoded columns
housing testing data large = pd.concat([housing testing numeric data,
housing testing data dummy], axis=1)
housing testing data large.shape
(1459, 252)
# create new dataframe with correlated variables with SalePrice
observed in the training data
feature list = feature list.drop('SalePrice')
housing testing data large subset =
housing testing data large[feature list]
housing testing data large subset.shape
(1459, 52)
# Find the common columns
common columns =
housing testing data large.columns.intersection(housing training data
large.columns)
housing testing data large common =
housing testing data large[common columns]
housing training data large common =
housing training data large[common columns]
```

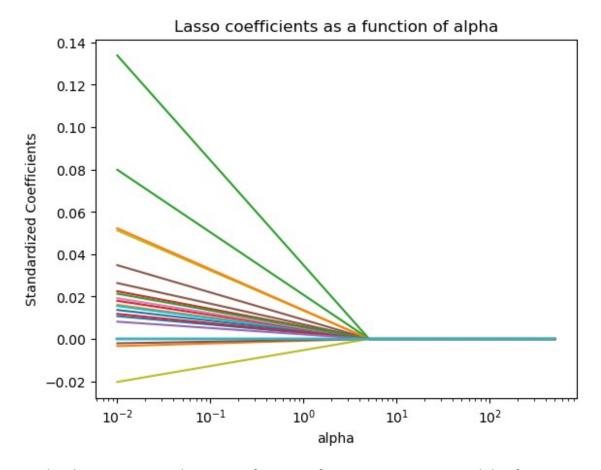
Constructing Models to Predict Home Prices

Lasso Regression

We will now try to fit a Lasso Regression to the housing sales dataframe.

```
# Create dataframe that can be used for lasso. Only keep variables
that aren't causing error messages
lasso_sandbox = housing_training_data[ ['LotFrontage', 'LotArea',
'OverallQual', 'OverallCond', 'MasVnrArea',
                 'BsmtFinSF1', 'BsmtFinSF2', 'BsmtUnfSF',
'TotalBsmtSF', '1stFlrSF', '2ndFlrSF', 'LowQualFinSF',
                 'GrLivArea', 'BsmtFullBath', 'BsmtHalfBath',
'FullBath', 'HalfBath', 'BedroomAbvGr', 'KitchenAbvGr',
                 'TotRmsAbvGrd', 'Fireplaces', 'GarageCars',
'GarageArea', 'WoodDeckSF', 'OpenPorchSF',
                 'EnclosedPorch', '3SsnPorch', 'ScreenPorch',
'PoolArea', 'MiscVal', 'SalePrice']]
# Perform a Log Transformation on the outcome variable SalePrice and
drop the original variable
lasso sandbox log saleprice =
np.log(housing_training_data['SalePrice'])
lasso sandbox x = lasso sandbox.drop(columns=['SalePrice'])
# Split the dataset into training and testing dataframes
lasso X train, lasso X validation, lasso y train, lasso y validation =
train test split(lasso sandbox x,
lasso sandbox log saleprice, test size=0.3, random state=1)
# Standardize the numeric predictors - which can help strengthen the
model fit
numerical predictors = ['LotFrontage', 'LotArea', 'OverallQual',
'OverallCond', 'MasVnrArea',
                 'BsmtFinSF1', 'BsmtFinSF2', 'BsmtUnfSF',
'TotalBsmtSF', '1stFlrSF', '2ndFlrSF', 'LowQualFinSF',
                 'GrLivArea', 'BsmtFullBath', 'BsmtHalfBath',
'FullBath', 'HalfBath', 'BedroomAbvGr', 'KitchenAbvGr',
                 'TotRmsAbvGrd', 'Fireplaces', 'GarageCars',
'GarageArea', 'WoodDeckSF', 'OpenPorchSF',
                 'EnclosedPorch', '3SsnPorch', 'ScreenPorch',
'PoolArea', 'MiscVal']
lasso scaler =
StandardScaler().fit(lasso X train[numerical predictors])
lasso_X_train[numerical predictors] =
lasso scaler.transform(lasso X train[numerical predictors])
lasso X validation[numerical predictors] =
```

```
lasso scaler.transform(lasso X validation[numerical predictors])
alphas = np.linspace(0.01,500,100)
lasso = Lasso(max iter=10000)
coefs = []
for a in alphas:
    lasso.set params(alpha=a)
    lasso.fit(lasso X train, lasso y train)
    coefs.append(lasso.coef )
ax = plt.gca();
ax.plot(alphas, coefs);
ax.set_xscale('log');
plt.axis('tight');
plt.xlabel('alpha');
plt.ylabel('Standardized Coefficients');
plt.title('Lasso coefficients as a function of alpha');
# Fit a Lasso Regression Model with ten-fold cross-validation
lasso model = LassoCV(cv=5, random state=1, max iter = 10000)
lasso_model.fit(lasso_X_train, lasso_y_train);
# lasso model.coef
```

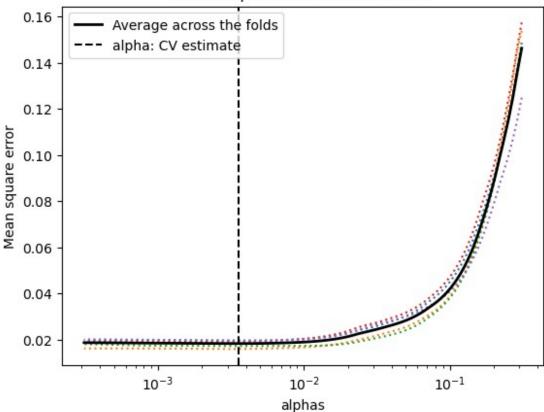


Let's plot the mean squared error as a function of our tuning parameter, alpha, from our cross-validation

```
plt.semilogx(lasso_model.alphas_, lasso_model.mse_path_, ":")
plt.plot(lasso_model.alphas_, lasso_model.mse_path_.mean(axis=-1),
    "k", label="Average across the folds", linewidth=2);
plt.axvline(lasso_model.alpha_, linestyle="--", color="k",
    label="alpha: CV estimate" );

plt.legend();
plt.xlabel("alphas");
plt.ylabel("Mean square error");
plt.title("Mean square error on each fold");
plt.axis("tight");
```

Mean square error on each fold

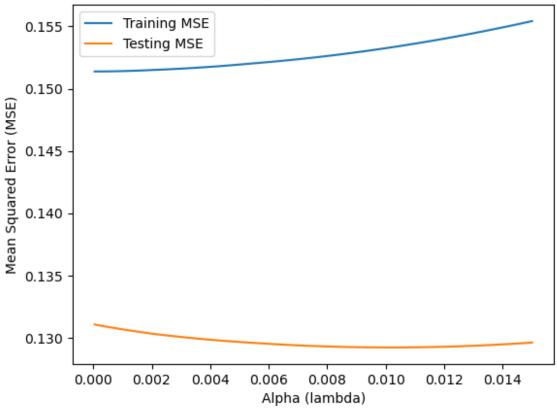


```
# Initialize Lasso model
lasso = Lasso(max iter=10000)
# Define alpha values (lambda values)
alphas = np.linspace(0.00005, 0.015, 100)
# Scale the predictors and target
scaler = StandardScaler()
lasso x = scaler.fit transform(lasso sandbox x)
lasso y =
scaler.fit transform(np.array(lasso sandbox['SalePrice']).reshape(-1,
1))
# Split the dataset into training and testing dataframes
lasso X train, lasso X validation, lasso y train, lasso y validation =
train test split(lasso x, lasso y, test size=0.3, random state=1)
# Lists to store training and testing MSE
training mse = []
testing mse = []
# Loop through each alpha value
for a in alphas:
```

```
lasso.set_params(alpha=a)
  lasso.fit(lasso_X_train, lasso_y_train)
  # Calculate MSE for training and testing sets
  training_mse.append(mean_squared_error(lasso_y_train,
lasso.predict(lasso_X_train)))
  testing_mse.append(mean_squared_error(lasso_y_validation,
lasso.predict(lasso_X_validation)))

# Plot training vs testing MSE for increasing lambda
plt.plot(alphas, training_mse, label='Training MSE')
plt.plot(alphas, testing_mse, label='Testing MSE')
plt.xlabel('Alpha (lambda)')
plt.ylabel('Mean Squared Error (MSE)')
plt.title('Training vs Testing MSE for Increasing Lambda')
plt.legend()
plt.show();
```

Training vs Testing MSE for Increasing Lambda

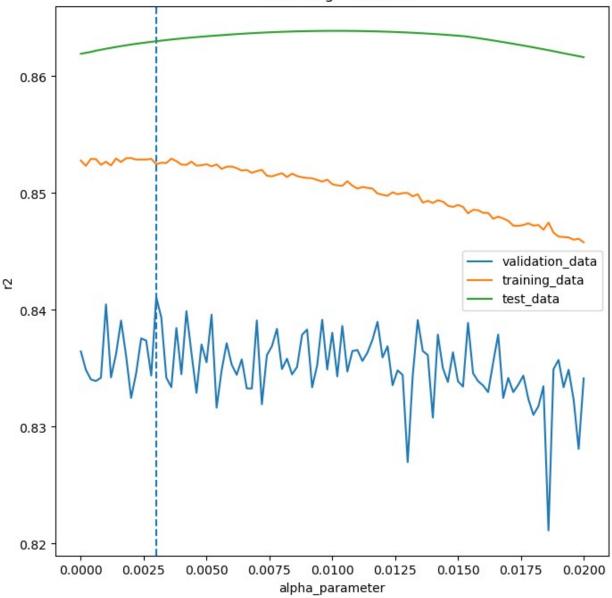


```
def regmodel_param_test(
    alphas_to_try, X, y, cv, scoring = 'r2',
    model_name = 'LASSO', X_test = None, y_test = None,
    draw_plot = False, filename = None):
```

```
validation scores = []
    train scores = []
    results list = []
    if X test is not None:
        test scores = []
        scorer = get scorer(scoring)
    else:
        test scores = None
    for curr_alpha in alphas_to_try:
        if model name == 'LASSO':
            regmodel = Lasso(alpha = curr alpha)
        elif model name == 'Ridge':
            regmodel = Ridge(alpha = curr alpha)
        elif model name == 'ElasticNet':
            regmodel = ElasticNet(alpha = curr alpha)
        else:
            return None
        results = cross_validate(
            regmodel, X, y, scoring=scoring, cv=cv,
            return train score = True)
        validation scores.append(np.mean(results['test score']))
        train scores.append(np.mean(results['train score']))
        results list.append(results)
        if X test is not None:
            regmodel.fit(X,y)
            y pred = regmodel.predict(X test)
            test scores.append(scorer(regmodel, X test, y test))
    chosen alpha id = np.argmax(validation scores)
    chosen alpha = alphas to try[chosen alpha id]
    max validation score = np.max(validation scores)
    if X test is not None:
        test score at chosen alpha = test scores[chosen alpha id]
        test score at chosen alpha = None
    if draw plot:
        regmodel param plot(
            validation scores, train scores, alphas to try,
chosen alpha,
            scoring, model name, test scores, filename)
    return chosen_alpha, max_validation score,
test score at chosen alpha
```

```
def regmodel param plot(
    validation score, train score, alphas to try, chosen alpha,
    scoring, model name, test score = None, filename = None):
    plt.figure(figsize = (8,8))
    sns.lineplot(y = validation_score, x = alphas to try, label =
'validation data')
    sns.lineplot(y = train score, x = alphas to try, label =
'training data')
    plt.axvline(x=chosen alpha, linestyle='--')
    if test score is not None:
        sns.lineplot(y = test score, x = alphas to try, label =
'test data')
    plt.xlabel('alpha parameter')
    plt.ylabel(scoring)
    plt.title(model name + ' Regularisation')
    plt.legend()
    plt.show()
cv = KFold(n splits=5, shuffle=True)
lasso alphas = np.linspace(0, 0.02, 101)
chosen alpha, max validation score, test score at chosen alpha = \
    regmodel param test( lasso alphas, lasso X train, lasso y train,
cv, scoring = 'r2', model name = 'LASSO',
        X test = lasso X validation, y test = lasso y validation,
draw plot = True, filename = 'lasso wide search')
print("Chosen alpha: %.5f" %chosen alpha)
print("Validation score: %.5f" %max validation score)
print("Test score at chosen alpha: %.5f" %test score at chosen alpha)
```

LASSO Regularisation



Chosen alpha: 0.00300 Validation score: 0.84110

Test score at chosen alpha: 0.86299

Let's evaluate the performance of the best Lasso model that we were able to construct

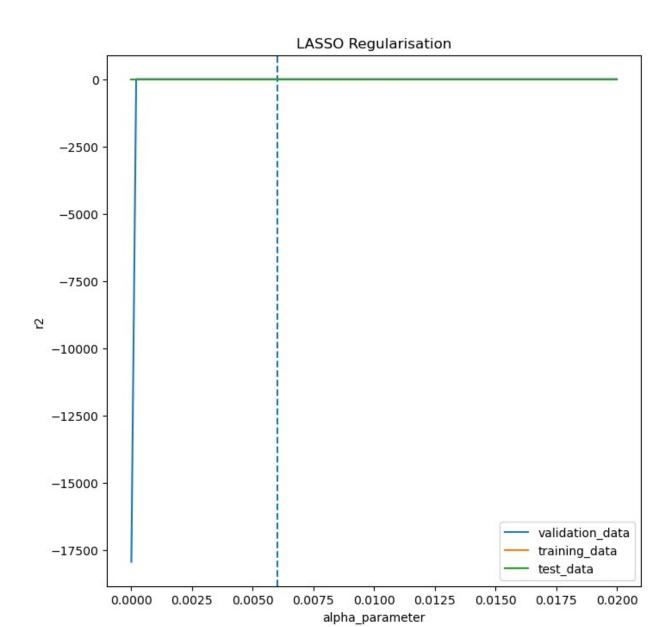
```
# Show best value of tuning parameter (alpha) chosen by cross
validation
print(f"The best value of the tuning parameter, alpha, chosen by
cross-validation is {lasso_model.alpha_}.")
lasso_best = Lasso(alpha=lasso_model.alpha_)
lasso_best.fit(lasso_X_train, lasso_y_train)
```

```
best lasso coeffs data = (list(zip(lasso X train, lasso best.coef )))
best lasso coeffs df = pd.DataFrame(best lasso coeffs data, columns =
['Predictor', 'Best Lasso Coefficient'])
The best value of the tuning parameter, alpha, chosen by cross-
validation is 0.0035778259276540757.
Lasso(alpha=0.0035778259276540757)
# Calculate the R squared for the training and validation datasets
lasso r squared train = round(lasso best.score(lasso X train,
lasso_y_train), 3)
lasso r squared validation =
round(lasso_best.score(lasso_X_validation, lasso_y_validation), 3)
print(f"The R squared for the best Lasso model for the training set
is: {lasso r squared train}.")
print(f"The R squared for the best Lasso model for the validation set
is: {lasso r squared validation}.")
lasso_y_predictions_train = lasso_model.predict(lasso_X_train)
lasso mse train = mean squared error(lasso y train,
lasso y predictions train)
print(f"The mean squared error of the Lasso Regression model's
predictions using the log home sale prices in the training dataset is
{lasso mse train}.")
lasso y predictions validation =
lasso model.predict(lasso X validation)
lasso mse validation = mean squared error(lasso y validation,
lasso_y_predictions_validation)
print(f"The mean squared error of the Lasso Regression model's
predictions using the log home sale prices in the validation dataset
is {lasso_mse_validation}.")
The R squared for the best Lasso model for the training set is: 0.851.
The R squared for the best Lasso model for the validation set is:
0.863.
The mean squared error of the Lasso Regression model's predictions
using the log home sale prices in the training dataset is
144.98172527888673.
The mean squared error of the Lasso Regression model's predictions
using the log home sale prices in the validation dataset is
146.1750136575638.
```

Rework LASSO analysis on full set of variables including encoded

```
# Split the dataset into training and testing dataframes
scaler = StandardScaler()
x_raw =
housing_training_data_large.select_dtypes(exclude=['object']).drop(col
umns = ['SalePrice'])
x_scale = scaler.fit_transform(x_raw)
```

```
y scale =
scaler.fit transform(np.array(housing training data['SalePrice']).resh
ape(-1,1)
y = housing_training_data_large['SalePrice']
new lasso X train, new lasso X validation, new lasso y train,
new_lasso_y_validation = train_test_split(x scale, y, test size=0.3,
random state=1)
cv = KFold(n splits=5, shuffle=True)
lasso alphas = np.linspace(0, 0.02, 101)
chosen alpha, max validation score, test score at chosen alpha = \
    regmodel_param_test( lasso_alphas, x_scale, y_scale, cv, scoring =
'r2', model_name = 'LASSO',
        X_test = new_lasso X validation, y test =
new_lasso_y_validation, draw_plot = True, Tilename =
'lasso wide search')
print("Chosen alpha: %.5f" % chosen_alpha)
print("Validation score: %.5f" % max_validation_score)
print("Test score at chosen alpha: %.5f" % test score at chosen alpha)
```



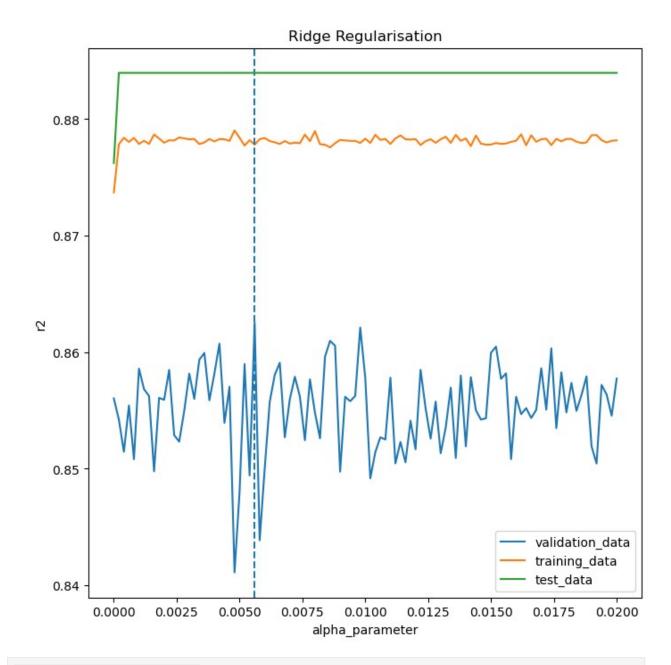
```
Chosen alpha: 0.00600
Validation score: 0.90326
Test score at chosen alpha: -5.52195

### BASED ON LASSOCV:
print(f"The best value of the tuning parameter, alpha, chosen by cross-validation is {lasso_model.alpha_}.")
lasso_best = Lasso(alpha=lasso_model.alpha_)
lasso_best.fit(x_scale, y_scale)
# lasso_best.coef_

The best value of the tuning parameter, alpha, chosen by cross-validation is 0.0035778259276540757.
```

repeat the process with RIDGE MODEL

```
# Split the dataset into training and testing dataframes
scaler = StandardScaler()
x raw =
housing training data.select dtypes(exclude=['object']).drop(columns =
['SalePrice'])
x scale = scaler.fit transform(x raw)
y scale = np.array(housing training data['SalePrice']).reshape(-1,1)
new ridge X train, new ridge X validation, new ridge y train,
new ridge y validation = train test split(x scale, y scale,
test size=0.3, random state=1)
cv = KFold(n splits=5, shuffle=True)
lasso alphas = np.linspace(0, 0.02, 101)
chosen alpha, max validation score, test score at chosen alpha = \
    regmodel param test( lasso alphas, new ridge X train,
new_ridge_y_train, cv, scoring = 'r2', model_name = 'Ridge',
        X_test = new_ridge_X_validation, y_test =
new_ridge_y_validation, draw_plot = True, Tilename =
'ridge wide search')
print("Chosen alpha: %.5f" % chosen_alpha)
print("Validation score: %.5f" % max validation score)
print("Test score at chosen alpha: %.5f" % test score at chosen alpha)
```

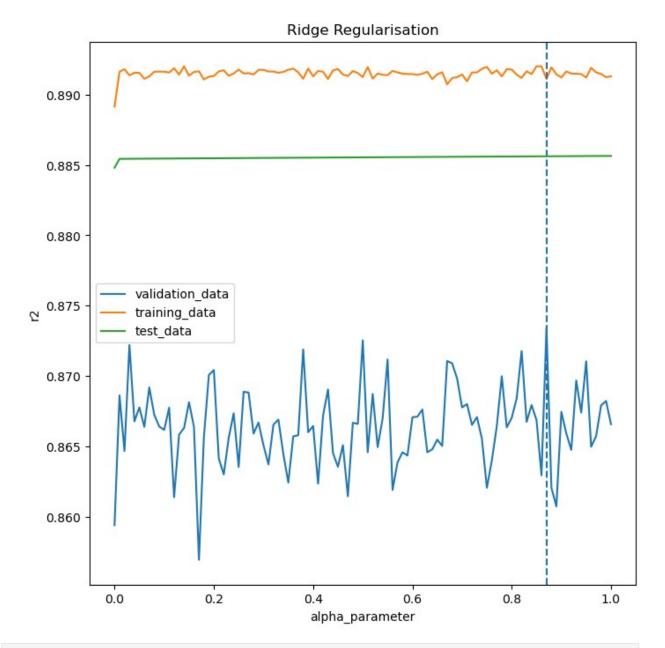


Chosen alpha: 0.00560 Validation score: 0.86254

Test score at chosen alpha: 0.88396

REPEAT WITH RIDGE USING SUBNET OF ENCODED VARIABLE SET

```
scaler = StandardScaler()
x_raw =
housing_training_data_large_subset.select_dtypes(exclude=['object']).d
rop(columns = ['SalePrice'])
x_scale = scaler.fit_transform(x_raw)
y_scale = np.array(housing_training_data['SalePrice']).reshape(-1,1)
```



Chosen alpha: 0.87000 Validation score: 0.87345

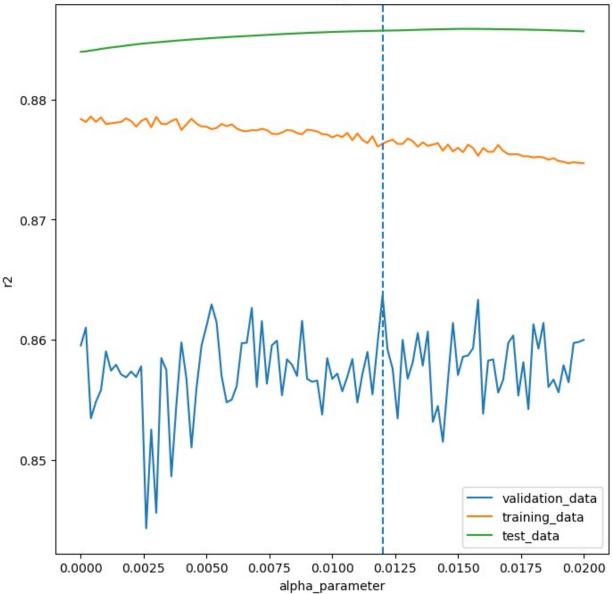
Test score at chosen alpha: 0.88562

ElasticNet Model

```
# Split the dataset into training and testing dataframes
elasticscaler = StandardScaler()
x_raw =
housing_training_data.select_dtypes(exclude=['object']).drop(columns =
['SalePrice'])
x_scale = scaler.fit_transform(x_raw)
y_scale =
```

```
elasticscaler.fit transform(np.array(housing training data['SalePrice'
]).reshape(-1,1))
new elastic X train, new elastic X validation, new elastic y train,
new elastic y validation = train test split(x scale, y scale,
test size=0.3, random state=1)
cv = KFold(n_splits=5, shuffle=True)
lasso alphas = np.linspace(0, 0.02, 101)
chosen_alpha, max_validation_score, test_score_at_chosen_alpha = \
    regmodel param test(lasso alphas, new elastic X train,
new elastic y train, cv, scoring = 'r2', model name = 'ElasticNet',
        X test = new elastic X validation, y test =
new elastic y validation, draw plot = True, filename =
'EN wide search')
print("Chosen alpha: %.5f" %chosen_alpha)
print("Validation score: %.5f" %max validation score)
print("Test score at chosen alpha: %.5f" %test score at chosen alpha)
```





Chosen alpha: 0.01200 Validation score: 0.86371

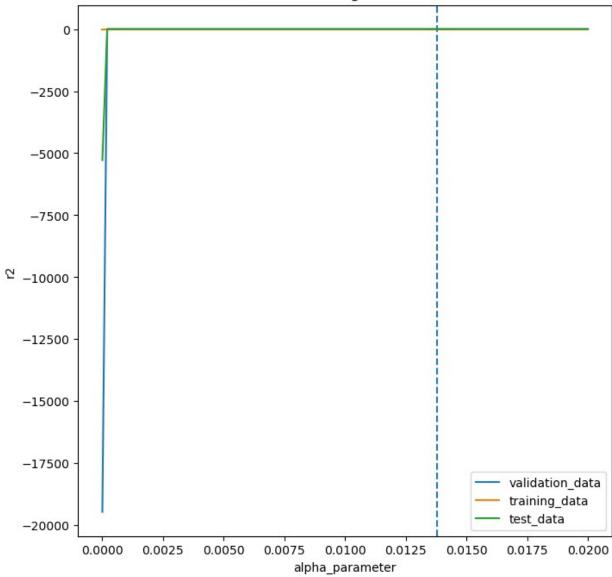
Test score at chosen alpha: 0.88572

REPEAT WITH ELASTIC NET USING FULL ENCODED VARIABLE SET with LOG TRANSFORMED SALES PRICE

```
# Split the dataset into training and testing dataframes
elasticscaler = StandardScaler()
x_raw =
housing_training_data_large_common.select_dtypes(exclude=['object'])
x_scale = scaler.fit_transform(x_raw)
```

```
y_scale =
elasticscaler.fit transform(np.array(np.log(housing training data['Sal
ePrice'])).reshape(-1,1))
new elastic X train, new elastic X validation, new elastic y train,
new_elastic_y_validation = train_test_split(x_scale, y scale,
test_size=0.3, random_state=1)
cv = KFold(n splits=5, shuffle=True)
lasso alphas = np.linspace(0, 0.02, 101)
chosen alpha, max validation score, test score at chosen alpha = \
    regmodel_param_test( lasso_alphas, new_elastic_X train,
new_elastic_y_train, cv, scoring = 'r2', model_name = 'ElasticNet',
        X test = new_elastic_X_validation, y_test =
new elastic y validation, draw plot = True, filename =
'EN wide search')
print("Chosen alpha: %.5f" %chosen alpha)
print("Validation score: %.5f" %max_validation_score)
print("Test score at chosen alpha: %.5f" %test_score_at_chosen_alpha)
```

ElasticNet Regularisation

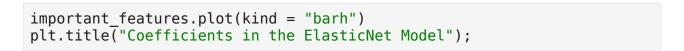


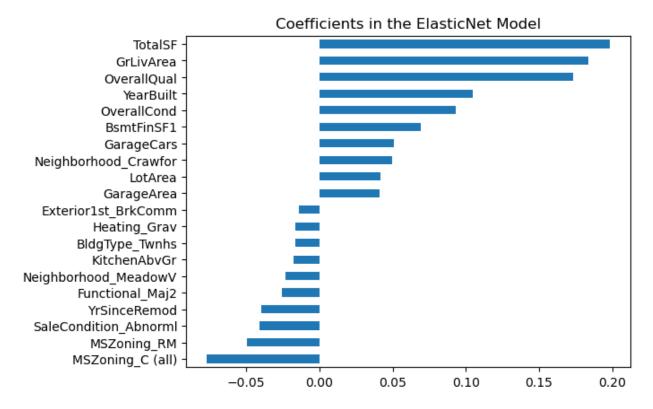
```
Chosen alpha: 0.01380
Validation score: 0.92382
Test score at chosen alpha: 0.90113
```

Let's check the coefficients to determine the important predictors in the model

```
regr = ElasticNet(alpha=chosen_alpha)
elastic_model = regr.fit(x_scale, y_scale)

coef = pd.Series(elastic_model.coef_, index = x_raw.columns)
important_features = pd.concat([coef.sort_values().head(10),
    coef.sort_values().tail(10)])
```





TotalSF, GrLivArea, and Overall Quality appear to have strong, positive effects on Sales Price.

Running Models on Test Data for Kaggle Predictions

Kaggle Results - Lasso Regression

```
# Exponential transform the predictions (since the model output log
transformed y-values)
lasso_y_predictions_test = lasso_model.predict(lasso_X_test)
y_predictions_final_lasso = np.exp(lasso_y_predictions_test)
predictiondf_lasso=pd.DataFrame(y_predictions_final_lasso,
columns=['SalePrice'])
predictiondf_lasso.insert(0, 'Id', housing_testing_data['Id'])
predictiondf_lasso.to_csv('salesprice_lasso_model.csv', index=False)
```

Kaggle Results - Elastic Regression

```
x raw =
housing testing data large common.select dtypes(exclude=['object'])
x_scale = scaler.fit transform(x raw)
y scale elastic pred = elastic model.predict(x scale)
if y_scale_elastic_pred.ndim == 1:
    y scale elastic pred = y scale elastic pred.reshape(-1, 1)
# transform the predictions (since the model output scaled y-values)
v log elastic pred =
elasticscaler.inverse transform(y scale elastic pred)
y_elastic_pred = np.exp(y_log_elastic_pred)
# Create a dataframe with the y predictions
predictiondf elastic=pd.DataFrame(y elastic pred,
columns=['SalePrice'])
predictiondf elastic.insert(0, 'Id', housing testing data['Id'])
predictiondf elastic.to csv('salesprice elastic model.csv',
index=False)
```