

WELCOME!

(download slides and .py files from Stellar to follow along)

6.0001 LECTURE 1

John Guttag

TODAY

- Course info
- What is computation
- Python basics
 - mathematical operations
 - python variables and types
- Flow of control
- NOTE: **slides and code files up before each lecture**
 - highly encourage you to download them before lecture
 - take notes and run code files when I do
 - bring computers to answer **in-class practice exercises!**

COURSE INFO

- Stellar course site
 - <https://stellar.mit.edu/S/course/6/fa17/6.0001>
 - <https://stellar.mit.edu/S/course/6/fa17/6.00>
 - links to Piazza, MITx, Calendar, Grades, details on course policies
- Email staff asap if have problems with schedule
- Course uses **Python 3** (do not use Python 2)
- Prerequisites
 - High school math
 - MIT-caliber brain
 - Little or no programming experience



COURSE POLICIES

- Collaboration
 - Okay
 - Helping others debug
 - Discussing general attack on problem
 - Not okay
 - Copying code (from others in class or previous years)
 - Side-by-side coding
 - Provide names of all “collaborators” on submission
 - We will be running a code similarity program on all psets
- Extensions
 - **No extensions**
 - **Late days**, see course website for details
 - **Drop and roll** (next slide)

Grading, Problem Sets and Finger Exercises

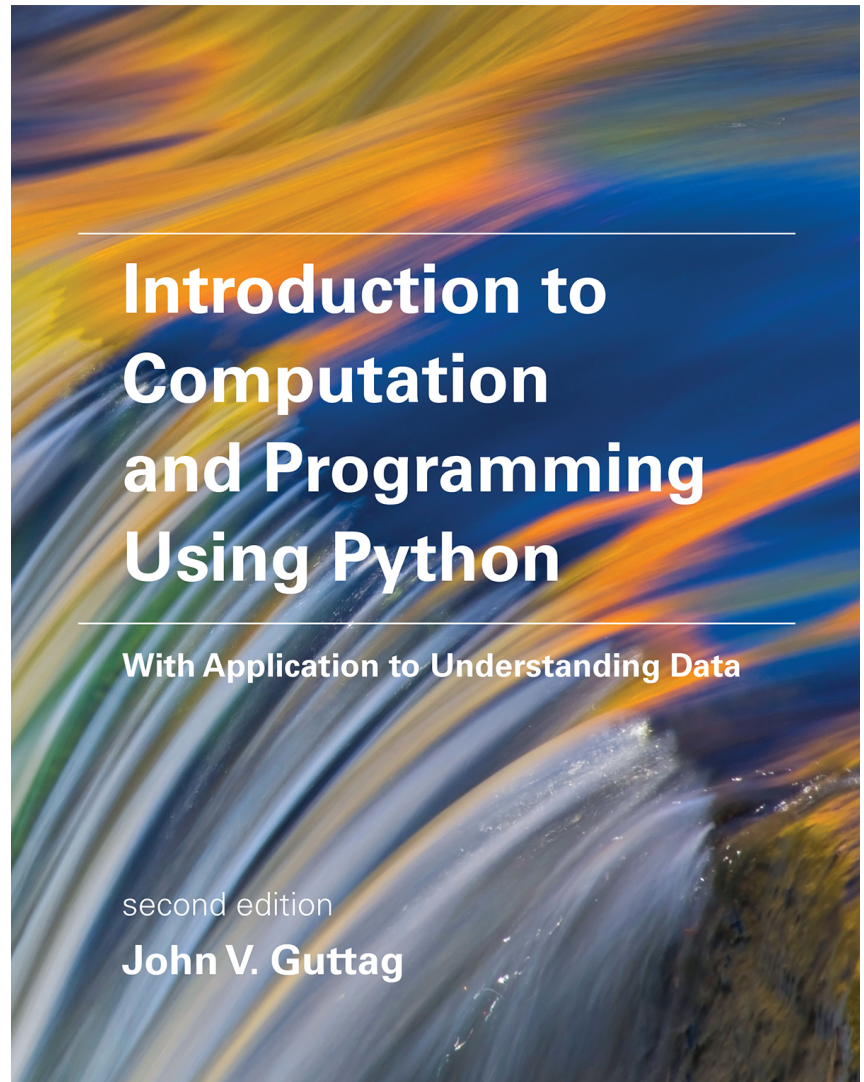
- Problem sets
 - 30% of final grade
 - 6.0001
 - 5 problem sets
 - If it would benefit you we will drop up to two PS grades and roll the points into the final
 - 6.00
 - 10 problem sets
 - If it would benefit you we will drop up to two PS grades *from each half* of the subject and roll the points into the final
- Finger exercises
 - 10% of final grade for mandatory finger exercises

Grading, Exams and Quizzes

- Final exam 40% (assuming no roll over)
- 6.00: Midterm for 20% of grade
- 6.0001: 3 micro quizzes for 20% of grade
 - Count only best 2 of 3
 - 15-20 minutes long and given at end of lecture
 - Must have computer with wireless connection
 - No conflict micro quizzes given
 - If it would benefit you we will drop one or both of the micro quizzes and roll the points into the final
- Exams will cover material from lectures, problem sets, and assigned readings

Assigned Reading

- Chapter 1
- Sections 2.1 – 2.3



https://mitpress.mit.edu/sites/default/files/Guttag_errata_revised_083117.pdf

Review Sessions

- Most Fridays
- Not mandatory

PROBLEM SETS

- Up on Stellar weekly, hand in online
- Score based on 2 components
 - how many **test cases you pass** (calculated automatically)
 - **checkoff for code style and explanation of code**
- Checkoffs starting with pset 1
 - Monday-Wednesday during office hours for the 10 days following the initial due date

Fast-paced Subject

- Position yourself to succeed!
 - **Read psets when they come out**
 - Save late days for emergency situations
 - Don't rely on rolling things over
- Learning to program
 - Can't passively absorb programming as a skill
 - Download code before lecture and follow along
 - Do MITx finger exercises
 - **Get help early**
 - Piazza, office hours, HKN tutoring:
<https://hkn.scripts.mit.edu/tutoring/>
- Have fun

TOPICS

■ 6.0001

- Solving problems using **computation**
- **Python** programming language
- **Organizing modular programs**
- Some simple but important **algorithms**
- Algorithmic **complexity**

■ 6.0002

- Using computation to **model** the world
- **Simulation** models
- Understanding **data**

TYPES OF KNOWLEDGE

- **Declarative knowledge** is **statements of fact**
 - Someone will eat a candy during class
- **Imperative knowledge** is a **recipe** or “how-to”
 - (1) Walk to front of class
 - (2) Pick up candy
 - (3) Walk back to seat
 - (4) Unwrap candy
 - (5) Place candy in mouth
 - etc.
- Programming is about writing recipes to generate facts

A NUMERICAL EXAMPLE

- Square root of a number x is y such that $y * y = x$
- Start with a **guess**, g
 - 1) If $g * g$ is **close enough** to x , stop and say g is the answer
 - 2) Otherwise make a **new guess** by averaging g and x / g
 - 3) Using the new guess, **repeat** process until close enough
- Let's try it for $x = 16$ and an initial guess of 3

| g | $g * g$ | x / g | $(g + x / g) / 2$ |
|-----|---------|----------|-------------------|
| 3 | 9 | $16 / 3$ | 4.17 |



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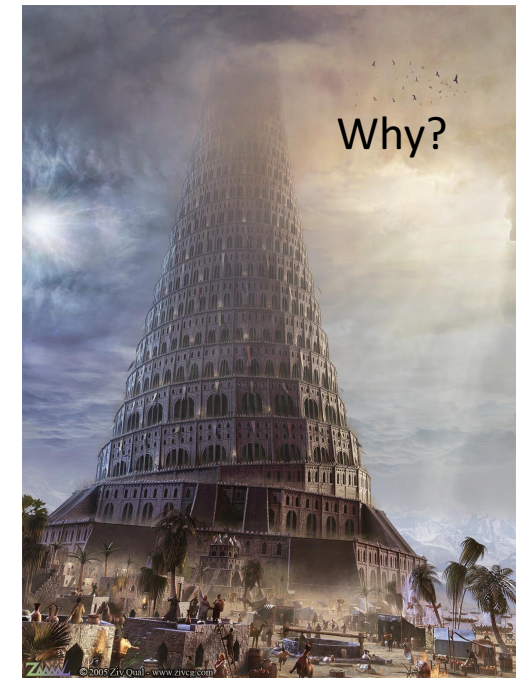
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|------|---------|----------|-------------------|
| 3 | 9 | $16 / 3$ | 4.17 |
| 4.17 | 17.36 | 3.837 | 4.0035 |



A NUMERICAL EXAMPLE

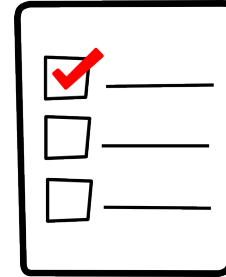
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| 4.17 | 17.36 | 3.837 | 4.0035 |
| 4.0035 | 16.0277 | 3.997 | 4.000002 |



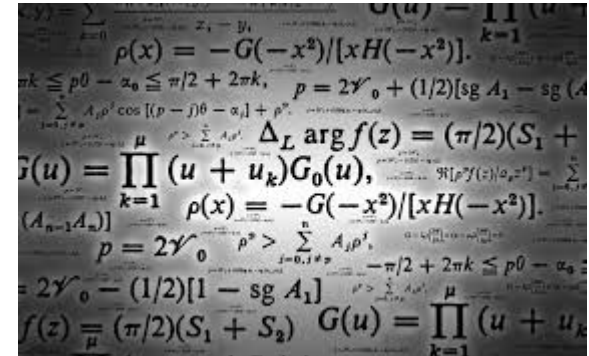
What We Have Here is an Algorithm

- 1) Sequence of simple **steps**
- 2) **Flow of control** process that specifies when each step is executed
- 3) A means of determining **when to stop**

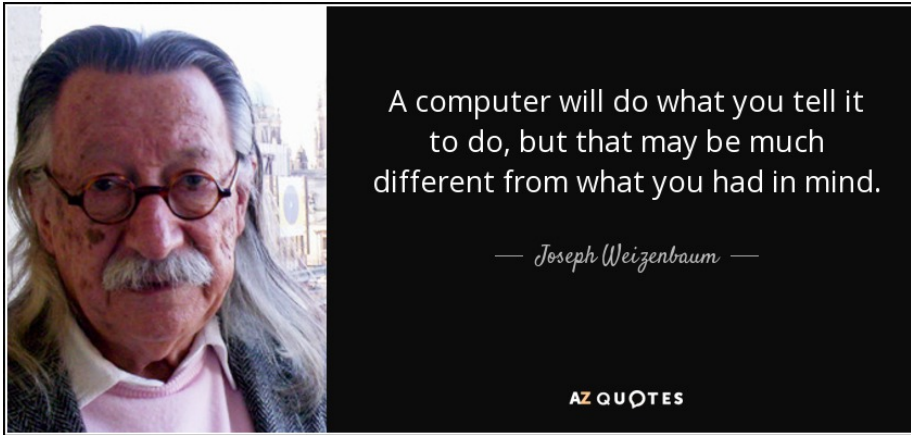


Computers are Machines that Execute Algorithms

- Two things computers do:
 - Performs simple **operations** 100s of billions per second!
 - **Remembers** results 100s of gigabytes of storage!
- What kinds of calculations?
 - **Built-in** to the machine, e.g., +
 - Ones that **you define** as the programmer
- A computer will do what **you tell** it to do



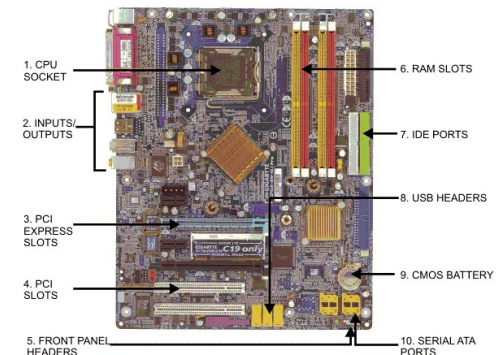
Don't Blame the Machine



"It only does what you tell it to do" #programmer

Computers Are Machines that Execute Algorithms

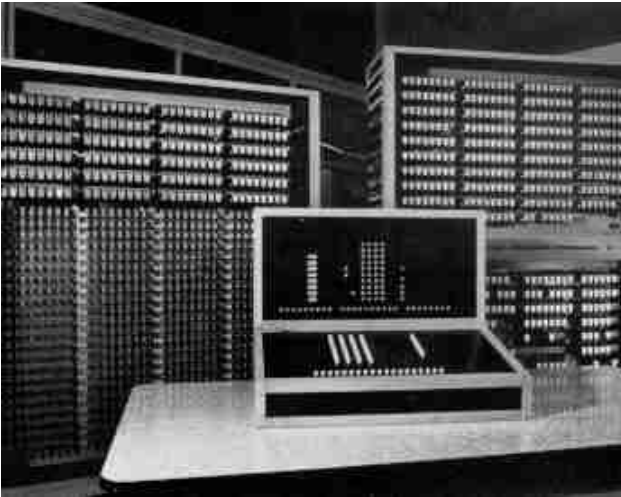
- **Fixed program** computer
 - Fixed set of algorithms
 - What we had until 1940's
- **Stored program** computer
 - Machine stores and executes instructions
- **Key insight:** Programs are no different from other kinds of data



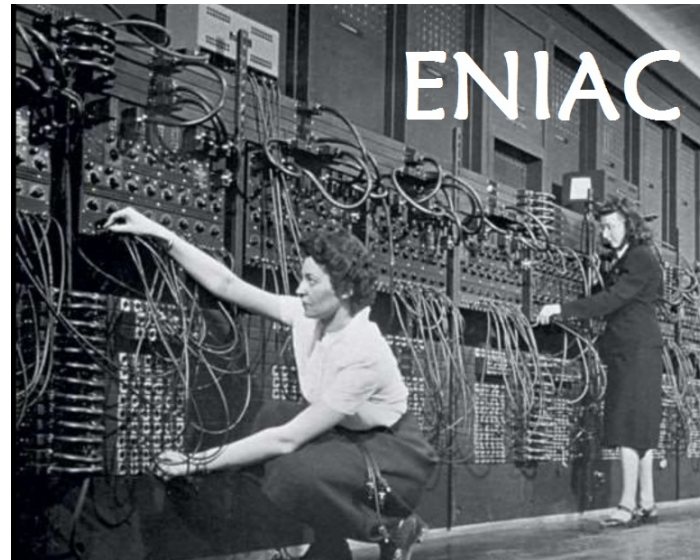
STORED PROGRAM COMPUTER

- Sequence of **instructions stored** inside computer
 - Built from predefined set of primitive instructions
 - 1) Arithmetic and logical
 - 2) Simple tests
 - 3) Moving data
- Special program (interpreter) **executes each instruction in order**
 - Use tests to change flow of control through sequence
 - Stops when it runs out of instructions or executes a halt instruction

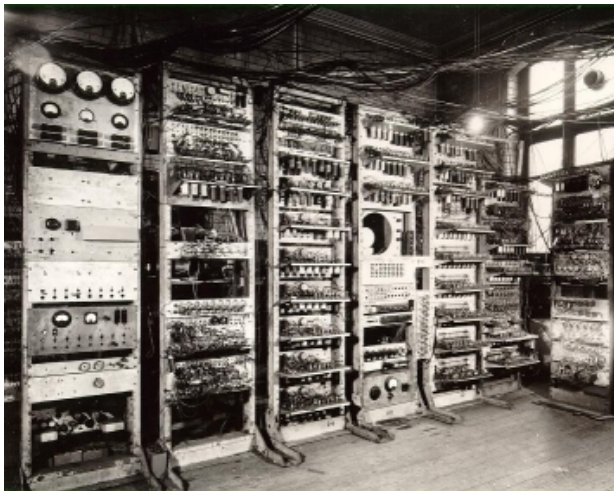
A Short History of Programmable Computers



Konrad Zuse's Z3, 1941 64 bytes



ENIAC, 1945, 200 bytes



*SSEM, 1948, 1024 bytes, 0.0011 MIPS
(first to put data and code in same memory)*

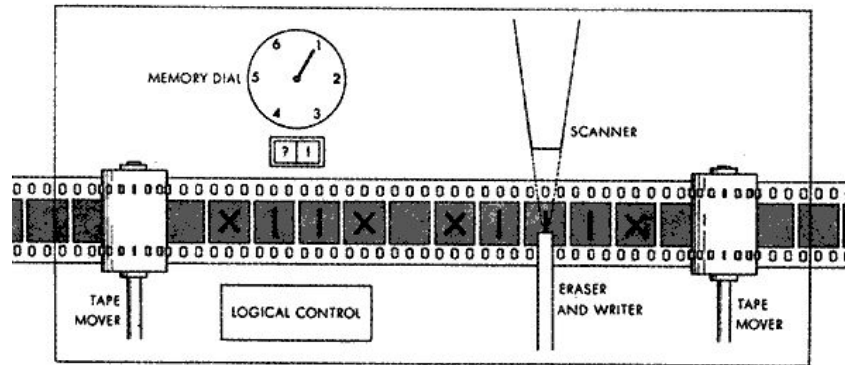


iPhone 7, 2017, 3G bytes, 3,500 MIPS



BASIC PRIMITIVES

- Turing showed that you can **compute anything** with a very simple machine with only 5 primitives

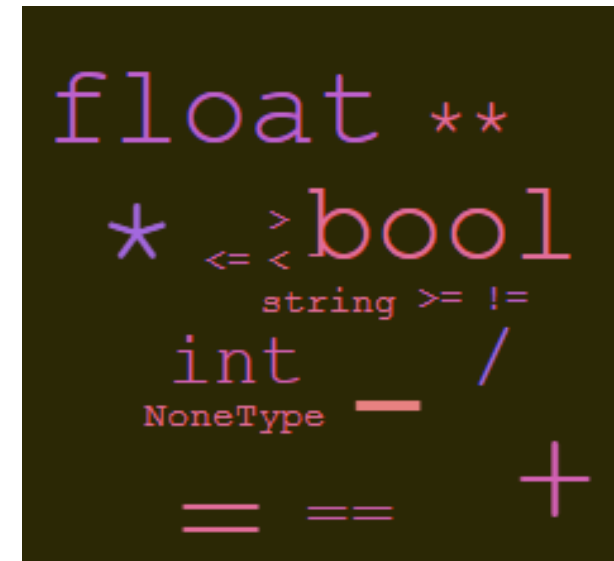
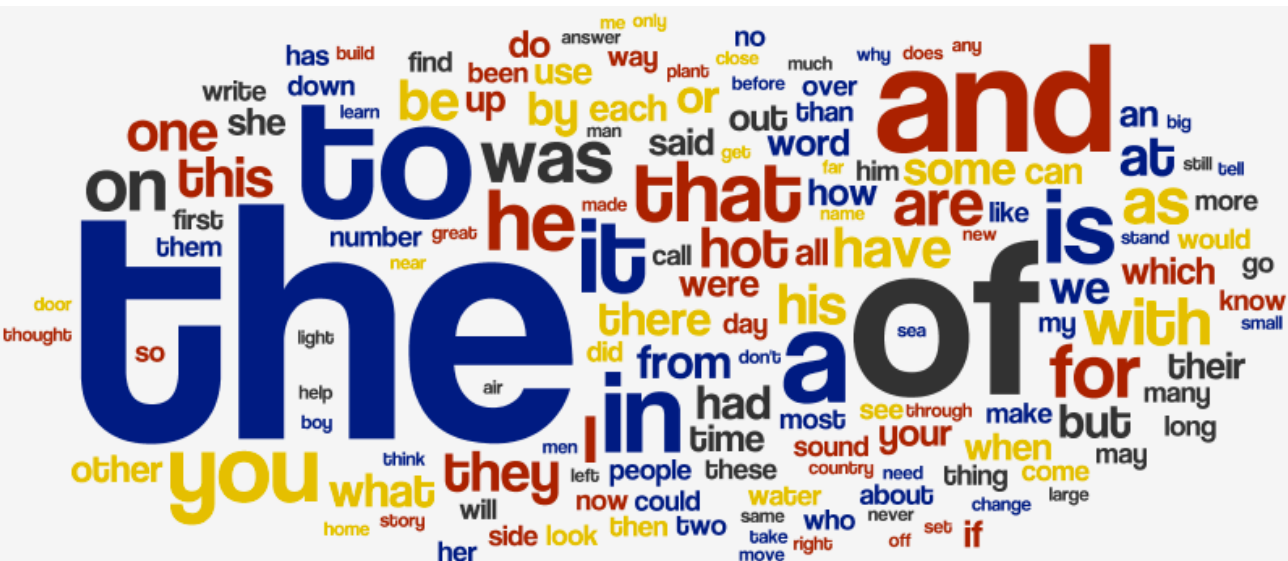


- Real programming languages have
 - More convenient set of primitives
 - Ways to combine primitives to **create new primitives**
- Anything computable in one language is computable in any other programming language
 - It's about convenience, not power

ASPECTS OF LANGUAGES

■ Primitive constructs

- English: words
- Programming language: numbers, strings, simple operators



ASPECTS OF LANGUAGES

■ **syntax**

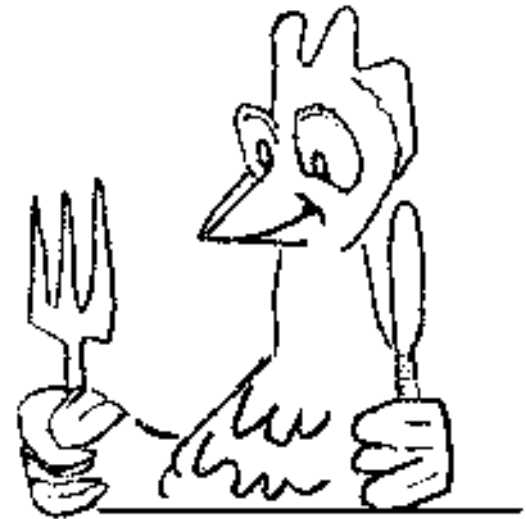
- English: "cat dog boy" → not syntactically valid
"cat hugs boy" → syntactically valid
- programming language: "hi"5 → not syntactically valid
"hi"*5 → syntactically valid

ASPECTS OF LANGUAGES

- **Static semantics**: which syntactically valid strings have meaning
 - English: "I are hungry" → syntactically valid
but static semantic error
 - PL: "hi"+5 → syntactically valid
but static semantic error

ASPECTS OF LANGUAGES

- **Semantics:** the meaning associated with a syntactically correct string of symbols with no static semantic errors
- English: can have many meanings
`"The chicken is ready to eat."`
- Programs: have only one meaning
- But may not be what programmer intended



WHERE THINGS GO WRONG

- **Syntactic errors**

- Common and easily caught

- **Static semantic errors**

- Some languages check for these before running program
- Can cause unpredictable behavior

- No linguistic errors, but **different meaning than what programmer intended**

- Program crashes, stops running
- Program runs forever
- Program gives an answer, but it's wrong!

PYTHON PROGRAMS

- A **program** is a sequence of definitions and commands
 - Definitions **evaluated**
 - Commands **executed** by Python interpreter in a shell
- **Commands** (statements) instruct interpreter to do something
- Can be typed directly in a **shell** or stored in a **file** that is read into the shell and evaluated
 - Problem Set 0 will introduce you to these in Anaconda

Five Minute Break



OBJECTS

- Programs manipulate **data objects**
- Objects have a **type** that defines the kinds of things programs can do to them
 - 30 is a number so we can add/sub/mult/div/exp/etc
 - 'John' is a string so we can look at substrings of it, but we can't divide it by a number
- Objects can be
 - Scalar (cannot be subdivided)
 - Non-scalar (have internal structure that can be accessed)

SCALAR OBJECTS

- `int` – represent **integers**, ex. 5
- `float` – represent **real numbers**, ex. 3.27
- `bool` – represent **Boolean** values `True` and `False`
- `NoneType` – **special** and has one value, `None`
- can use `type()` to see the type of an object

```
>>> type(5)
```

```
int
```

```
>>> type(3.0)
```

```
float
```

*what you write into
the Python shell*

*what shows after
hitting enter*

TYPE CONVERSIONS (CAST)

- Can **convert object of one type to another**
 - `float(3)` converts the int 3 to float 3.0
 - `int(3.9)` truncates the float 3.9 to int 3
- Some operations perform implicit casts
 - `round(3.9)` returns the int 4

EXPRESSIONS

- **Combine objects and operators** to form expressions
- An expression has a **value**, which has a type
- Syntax for a simple expression
`<object> <operator> <object>`

OPERATORS ON ints and floats

- $i + j$ → the **sum**
 - $i - j$ → the **difference**
 - $i * j$ → the **product**
 - i / j → **division**
 - $i // j$ → **floor division**
 - $i \% j$ → the **remainder** when i is divided by j
 - $i ** j$ → i to the **power** of j
- if both are ints, result is int
if either or both are floats, result is float
- result is always a float
- What does it do?
What is type of output?
-

SIMPLE OPERATIONS

- Parentheses used to tell Python to do these operations first
- **Operator precedence** without parentheses
 - ******
 - ***** / **%** executed left to right, as appear in expression
 - **+** and **–** executed left to right, as appear in expression

BINDING VARIABLES AND VALUES

- Equal sign is an **assignment** of a value to a variable name
- An assignment binds a value to a name

The diagram shows the assignment statement `pi = 355/113`. The variable `pi` is enclosed in a red box, with the word *variable* written in red above it. The expression `355/113` is enclosed in a red box, with the word *value* written in red above it. The equals sign is positioned between the two boxes.

- Compute the **right hand side** → **VALUE**
- Store it (bind it) to the **left hand side** → **VARIABLE**

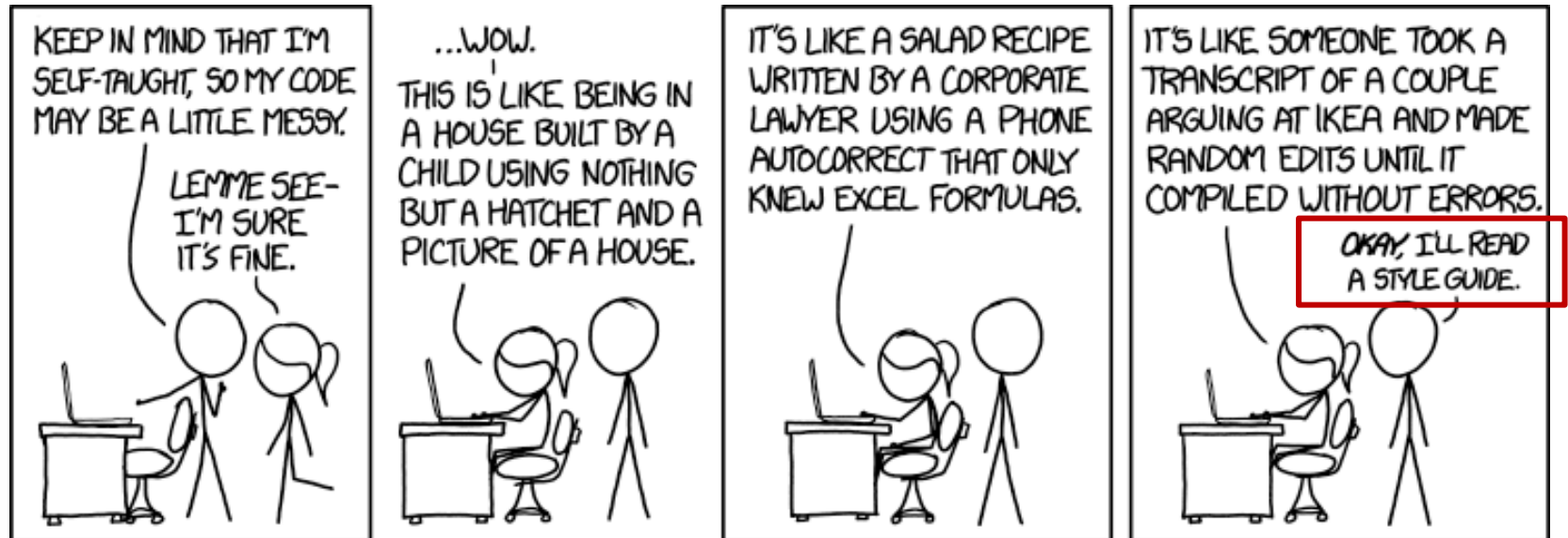
ABSTRACTING EXPRESSIONS

- Why **give names** to values of expressions?
- To **reuse names** instead of values
- Makes code easier to read and modify

```
#Compute approximate value for pi
pi = 355/113
radius = 2.2
area = pi*(radius**2)
circumference = pi*(radius*2)
```

- Choose variable names wisely
- Code needs to read
 - Today, tomorrow, next year
 - By author and others

Readability Matters

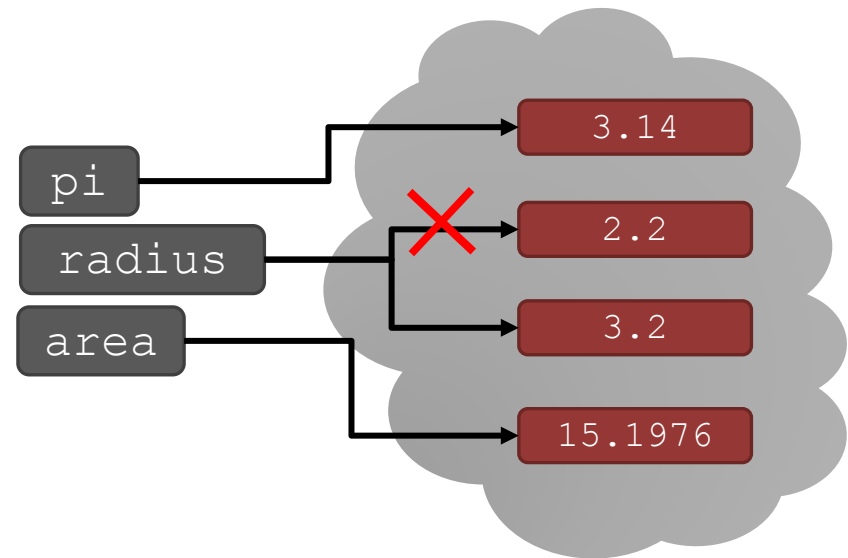


<https://xkcd.com/1513/>

CHANGING BINDINGS

- Can **re-bind** variable names using new assignment statements
- Previous value may still stored in memory but lost the handle for it

```
pi = 3.14
radius = 2.2
area = pi*(radius**2)
radius = radius+1
```



Second assignment to radius does not change value of area

BINDING EXAMPLE

- Swap values of x and y?

```
x = 1
y = 2
y = x
x = y
```

- Swap values of x and y?

```
x = 1
y = 2
temp = y
y = x
x = temp
```

How about this?

```
x = 1
y = 2
x, y = y, x
```

Right hand side of
assignment is evaluated
before any bindings are
changed

STRINGS

- Letters, special characters, spaces, digits
- Think of an `str` as a **sequence** of case sensitive characters
- Enclose in **quotation marks or single quotes**
`hi = "hello there"`
- **Concatenate** strings
`name = "John"`
`greeting = hi + " " + name`
- Many other **operations** on strings
 - Hear all about them on Monday

Printing

- Used to **output** stuff to console
- Function is `print`

Note difference:
print takes the values of
objects, comma
separated, and outputs
each, space separated;
or we can concatenate
strings together, then
print as single object

```
x = 1
```

```
print(x)
```

```
x_str = str(x)
```

```
print("my fav num is", x, ".", "x =", x)
```

```
print("my fav num is" + x_str + "." + "x =" + x_str)
```

What about?

```
print = 3
```

```
print("Hello")
```

Note how in this
case, we explicitly
put in desired spaces

Input

- `x = input(s)`
 - prints the value of the string `s`
 - user types in something and hits enter
 - that value is assigned to the variable `x`

- binds that value to a variable

```
text = input("Type anything... ")  
print(5*text)
```

- `input` always returns an **str**, must cast if working with numbers

```
num = int(input("Type a number... "))  
print(5*num)
```

An Important Algorithm: Newton's Method

- Finds roots of a polynomial
 - E.g., find g such that $f(g, x) = g^3 - x = 0$
- Algorithm uses successive approximation, like Babylonian algorithm
- $$\text{NextGuess} = \text{guess} - \frac{f(\text{guess})}{f'(\text{guess})}$$

```
#Try Newton Raphson for cube root
print('Find the cube root of x')
x = 9
g = 3
print('Current estimate cubed =', g**3)
nextGuess = g - ((g**3 - x) / (3*g**2))
print('Next guess to try =', nextGuess)
```

Comparison Operators

- `i` and `j` are variable names
- Comparisons below evaluate to a **Boolean**

`i > j`

`i >= j`

`i < j`

`i <= j`

*With strings, be careful
about case sensitivity:
'March' != 'march', for
example*

`i == j` → **equality** test, `True` if `i` is the same as `j`

`i != j` → **inequality** test, `True` if `i` not the same as `j`

LOGICAL OPERATORS ON bools

- `a` and `b` are variable names (with Boolean values)

`not a` \rightarrow True if `a` is False
False if `a` is True

`a and b` \rightarrow True if both are True

`a or b` \rightarrow True if either or both are True

| A | B | A and B | A or B |
|-------|-------|---------|--------|
| True | True | True | True |
| True | False | False | True |
| False | True | False | True |
| False | False | False | False |

COMPARISON EXAMPLE

```
pset_time = 15  
sleep_time = 8  
print(sleep_time > pset_time)  
drive = input('Are you planning to drive?')  
drink = input('Are you sober?')  
both = drink and drive  
print(both)
```

But what good are they?

WHY booleans?

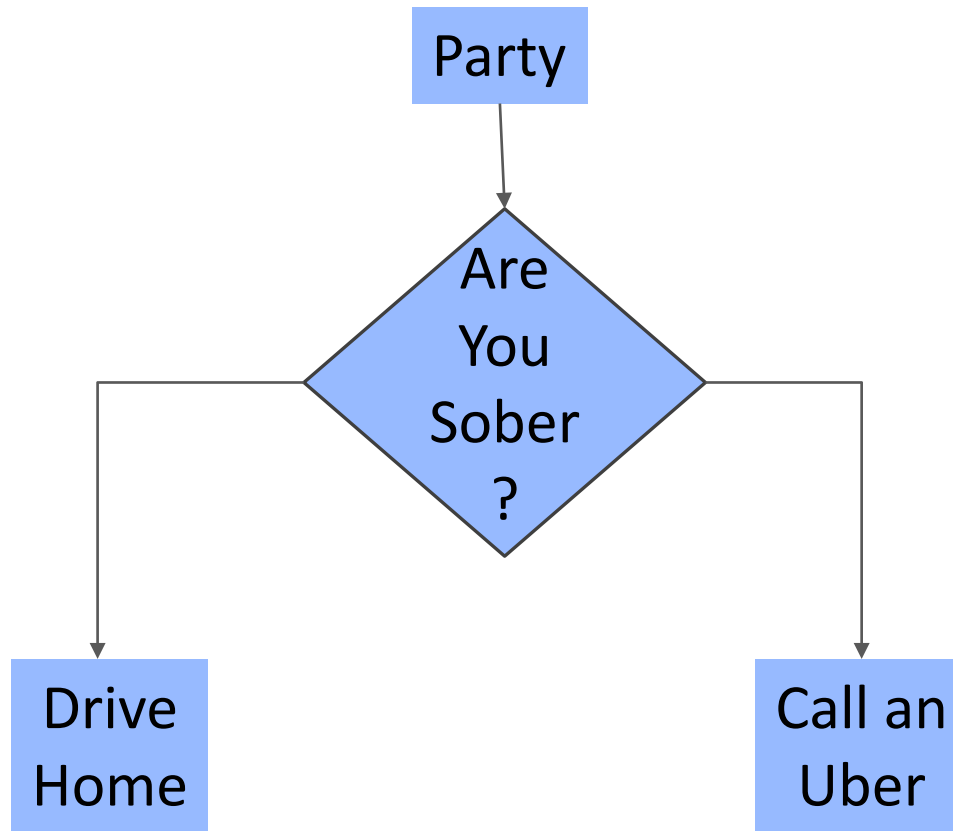
- When we get to flow of control, i.e. branching to different expressions based on values, we need a way of knowing if a condition is true
- E.g., if something is true, do this, otherwise do that

boolean

some
commands

some
commands

Because All Interesting Algorithms Involve Branching



CONTROL FLOW - BRANCHING

```
if <condition>:  
    <statement>  
    <statement>  
    ...
```

```
if <condition>:  
    <statement>  
    <statement>  
    ...  
else:  
    <statement>  
    <statement>  
    ...
```

```
if <condition>:  
    <statement>  
    <statement>  
    ...  
elif <condition>:  
    <statement>  
    <statement>  
    ...  
else:  
    <statement>  
    <statement>  
    ...
```

- <condition> has a value True or False
- evaluate statements in that block if <condition> is True

INDENTATION MATTERS

■How you denote blocks of code

```
x = int(input("Enter a number for x: "))
y = int(input("Enter a different number for y: "))
if x == y:
    print("x and y are equal.")
    y = int(input("Enter a different number for y: "))
if x < y:
    print("x is smaller")
    if x < y/10 and x > y/100:
        print('x is an order of magnitude smaller')
    elif x < y/100:
        print('x is more than an order of magnitude smaller')
else:
    print("x is not smaller")
print("thanks!")
```

Semantically meaningful
Indentation is a good thing

Semantic structure
Should match
Visual structure

Monday

- Strings
- Iteration
- Some more useful algorithmic ideas