

Traversals

- Graphs:

The graph data structure consists of nodes and edges. nodes are vertices and edges are the connecting links/arcs between pair of vertices.

- Tree:

Tree is a special type of graph, a minimally connected graph.

- Binary Tree:

Each node can have at max 2 children. The root has no parent, and the nodes having no children are called leaf nodes.

- Breadth First Search:

In BFS, we traverse the data structure level by level. i.e. breadth first manner.

In other words, all neighbours of a node u will be visited and then their respective children (children of neighbours) would be visited. we use the Queue data structure for BFS.

```

class Node {
    int val
    Node left, right
}

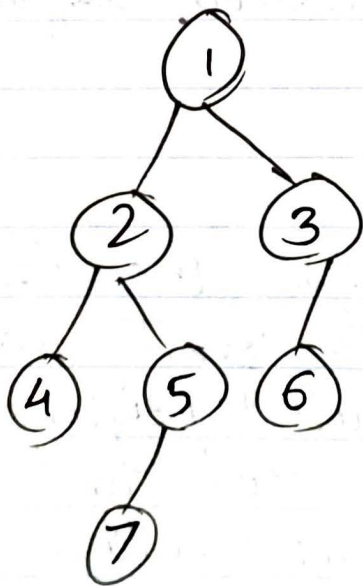
```

• Depth First Search:

As the name suggest, in DFS we traverse in depth first manner.

DFS uses stack i.e recursion. In this when we are visiting a neighbor v of node u , we would recursively invoke DFS on v , later when recursion unwinds for DFS(v), the other neighbors of u would be visited.

Tree - DFS



Algorithm

DFS(Node u)

```

if  $u == \text{null}$ 
    return
visit( $u$ )
DFS( $u$ .left)
DFS( $u$ .right)

```

Stack Trace:

DFS(1)

visit(1)

DFS(2)

visit(2)

DFS(4)

visit(4)

DFS(5)

visit(5)

DFS(7)

visit(7)

DFS(3)

visit(3)

DFS(6)

visit(6)

Output:

1

2

4

5

7

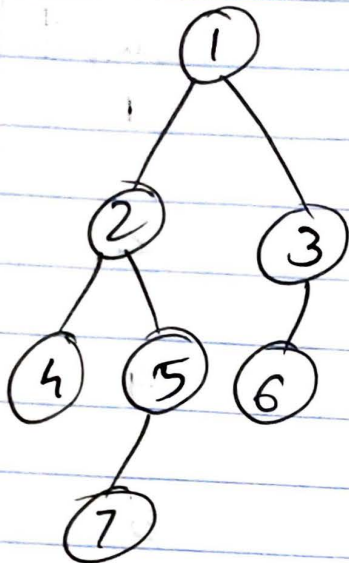
3

6

— terminate
Schematics

	4	5	7		6	
	2	2	2	3	3	
	1	1	1	1	1	
t=0	t=3	t=5	t=6	t=10	t=11	t=14
1 2 4	1 2 4 5	1 2 4 5 7	1 2 4 5 7	1 2 4 5 7	1 2 4 5 7 3 6	

Tree: BFS.



Trace

q [1]

current = 1 / op: 1

q [2 | 3]

current = 2 / op: 1 2

q [3 | 4 | 5]

current = 3 / op: 1 2 3

q [4 | 5 | 6]

current = 4 / op: 1 2 3 4

q [5 | 6]

BFS. Algo.
BFS(root)

src ← root

if src == null:
return.

q ← new Queue()

q.add(src)

while (!q.isEmpty())

u ← q.remove()

visit(u)

if u.left != null

q.add(u.left)

if u.right != null

q.add(u.right)

— terminate.

current = 5 / op: 1 2 3 4 5

q [6 | 7]

current = 6 / op: 1 2 3 4 5 6

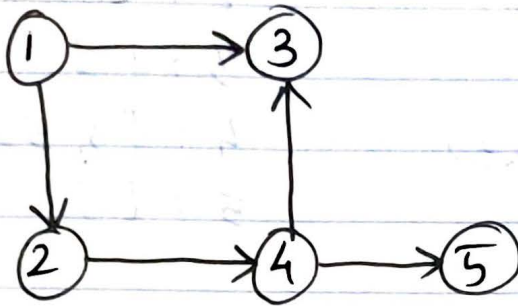
q [7]

current = 7 / op: 1 2 3 4 5 6 7

terminate

Graph Traversal:

DFS



DFS traversal.

visited = FFFFF, op: -

	visited: <u>TTTTF</u>
2: 4	op: 1 2
1: 2 3	

3: []	3 already visited
4: 3 5	visited: <u>TTTTF</u>
2: 4	op: 1 2 4 3
1: 2 3	

5: []	visited: <u>TTTTT</u>
4: 3 5	op: 1 2 4 3 5
2: 4	
1: 2 3	

1: 2 3

3 already visited
terminate

Representation:

Adjacency List

HashMap<Integer, List<Integer>>

1 : [2, 3]

2 : [4]

3 : []

4 : [3, 5]

5 : []

Algorithm:

⇒ DFS(V, E)

graph ← create(V, E)

visited ← new int[V]

for u ∈ V

if ! visited[u]

DFS-VISIT(u)

⇒ DFS-VISIT(Node u)

visited[u] ← True

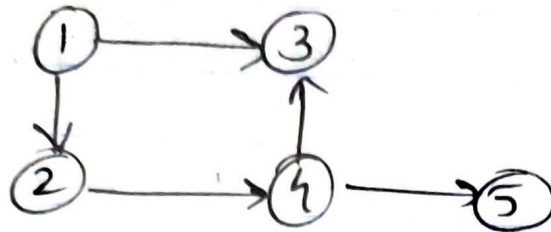
for v ∈ u.adjList():

if ! visited[v]

DFS-VISIT(v)

- terminate.

BFS:



graph

1 : [2, 3]
 2 : [4]
 3 : []
 4 : [3, 5]
 5 : []

BFS traversal:

o/p: - visited [F F F F F]

q [1]

visited: T F F F F

o/p: 1

q [2, 3]

visited: T T F F F

o/p: 1 2

q [3, 4]

visited: T T T F F

o/p: 1 2 3

q [4]

visited: T T T T F

o/p: 1 2 3 4

q [5]

visited: T T T T T

o/p: 1 2 3 4 5

terminate

BFS algorithm

BFS(V, E):

graph ← createGraph(V, E)

visited ← new int[V]

src ← getSource(V).

~~visited[src] = True~~

q ← new Queue()

q.add(src)

while (!q.isEmpty())

u ← q.remove()

~~visited[u] = True~~

if visited[u] == True
 continue

visited[u] ← True

for v ∈ u.adjList()

if !visited[v]

q.add(v)

terminate