



The Forward-Forward Algorithm: Some Preliminary Investigations

<https://www.cs.toronto.edu/~hinton/FFA13.pdf>

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References:

- <https://towardsdatascience.com/perturbation-theory-in-deep-neural-network-dnn-training-adb4c20cab1b#:~:text=Typically%2C perturbation theory is the,object interacting with the system.>

original paper pdf:

https://s3-us-west-2.amazonaws.com/secure.notion-static.com/1d0e146a-82f9-4bd1-872a-e6a308477607/Weight_perturbation__an_optimal_architecture_and_learning_technique_for_analog_VLSI_feedforward_and_recurrent_multilayer_networks.pdf

Related Works

Paper name: **Weight perturbation: An optimal architecture and learning technique for analog vlsi feedforward and recurrent multilayer networks.**

link: <https://ieeexplore.ieee.org/stamp/stamp.jsp?arnumber=105429>

TL;DR

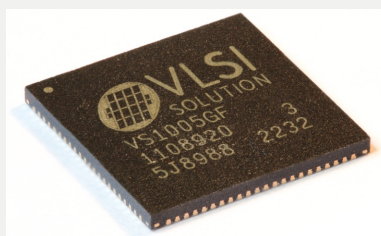
- Using gradient descent with the direct approximation of the gradient instead of back-propagation (=weight perturbation) is more economical for parallel analog implementations.

Prerequisites



What is **VLSI**?

VLSI (Very Large Scale Integration): 하나의 칩에 들어가 있는 소자의 수가 10만개 ~ 100만개인 경우.



What is **perturbation in DL or ML**?

A small perturbation or nudge in various parameters/components associated with training such as gradients, weights, inputs etc. can affect DNN training in overcoming some of the issues one might bump into, for example, *vanishing gradient* problem, *saddle point* trap, or creating a robust model to avoid malicious attacks through *adversarial training* etc.

ex)

$$\nabla_{w_t} J \leftarrow \nabla_{w_t} J + \mathcal{N}(0, \sigma_t^2),$$

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Main Concept

Weight perturbation, where the gradient is approximated to a finite difference, this paper shows that gradient evaluation using weight perturbation is a cheaper solution with respect to hardware and can be used equally well to train recurrent networks.

Algorithm

```
for each pattern  $p$  {  
     $E = \text{ForwardPass}()$   
     $\text{ClearDeltaWeights}()$   
    for each weight  $w_{ij}$  do {  
         $E_{\text{pert}} = \text{ApplyPerturbate}(w_{ij})$   
         $\text{DeltaError} = E_{\text{pert}} - E$   
         $\text{DeltaW}[i][j] = -\eta * \text{DeltaError} / \text{Perturbation}$   
         $\text{RemovePerturbation}(w_{ij})$   
    }  
}
```

Weight perturbation algorithm in its simplest form.

Gradient Evaluation using Weight Perturbation:

$$\frac{\delta E}{\delta w_{ij}} \approx \frac{(E_{\text{pert}} - E)}{\Delta_{\text{pert}} w_{ij}}$$

- E : total mean-square-error produced at the output of the network for a given pair of input and training patterns and a given value of the weights.
- $\Delta_{\text{pert}} w_{ij}$: perturbation applied at weight w_{ij}

→ As the gradient is approximated, no backward propagation pass is needed and only forward path is required.