Assignment 2

Graduate Admission

This dataset is created for prediction of Graduate Admissions from an Indian perspective.

The dataset contains several parameters which are considered important during the application for Masters Programs. The parameters included are :

- GRE Scores (out of 340)
- TOEFL Scores (out of 120)
- University Rating (out of 5)
- Statement of Purpose and Letter of Recommendation Strength (out of 5)
- Undergraduate GPA (out of 10)
- Research Experience (either 0 or 1)
- Chance of Admit (ranging from 0 to 1)

Import the Required Libraries

```
In [1]:
import matplotlib.pyplot as plt
import numpy as np
import pandas as pd
from sklearn.model selection import train test split
In [2]:
df = np.genfromtxt('Admission Predict.csv', delimiter = ',', dtype=str);
df
Out[2]:
array([['Serial No.', 'GRE Score', 'TOEFL Score', ..., 'CGPA',
        'Research', 'Chance of Admit'],
       ['1', '337', '118', ..., '9.65', '1', '0.92'],
       ['2', '324', '107', ..., '8.87', '1', '0.76'],
       ['398', '330', '116', ..., '9.45', '1', '0.91'],
       ['399', '312', '103', ..., '8.78', '0', '0.67'],
       ['400', '333', '117', ..., '9.66', '1', '0.95']], dtype='<U17')
In [3]:
headers = df[0,1:]; # TO not take serial no
print(headers)
data = np.array(df[1:,1:], dtype=float); # This will take from the GRE Score
print(data)
['GRE Score' 'TOEFL Score' 'University Rating' 'SOP' 'LOR ' 'CGPA'
 'Research' 'Chance of Admit']
[[337. 118. 4. ...
                             9.65
                                          0.921
                           8.87 1.
       107.
                 4.
                                          0.76]
 [324.
                       . . .
       104.
                 3.
                                   1.
                            8.
 [316.
                                           0.721
                       . . .
      116.
                             9.45
 [330.
                 4.
                                   1.
                                           0.91]
                      . . .
        103.
                  3.
                             8.78
 [312.
                      . . .
                                    0 -
                                           0.67]
       117.
 [333.
                 4.
                             9.66
                                   1.
                                           0.95]]
                       . . .
```

```
In [4]:
data norm = (data-np.mean(data, axis = 0))/np.std(data, axis = 0)
In [5]:
# Extract y from data
y label = 'Chance of Admit';
y_index = np.where(headers == y_label)[0][0];
y = data_norm[:,y_index];
# Extract x from data
X = data norm[:,0:y index];
In [6]:
# Insert column of 1's for intercept column
X = np.insert(X, 0, 1, axis=1) # added the intercept
In [7]:
print(X.shape)
(400, 8)
In [8]:
print(y.shape)
(400,)
In [9]:
print(X[0])
            1.76210664 1.74697064 0.79882862 1.09386422 1.16732114
1.76481828 0.90911166]
In [10]:
m = X.shape[0]
n = X.shape[1]
In [11]:
# Partion data into training and test datasets
idx = np.arange(0, m)
random.shuffle(idx)
percent_train = .6
m_train = int(m * percent_train)
train_idx = idx[0:m_train]
test idx = idx[m train:m+1]
X train = data[train idx,1:y index];
X_test = data[test_idx,1:y_index];
y_train = data[train_idx,y_index];
y test = data[test idx,y index];
In [12]:
# Cost function normalized by number of examples
def H(theta, X, y):
    return 1 / 2 / X.shape[1] * (h(X, theta) - y).T.dot(h(X, theta) - y)
```

```
In |13|:
# Solve the normal equations
def regress(X, y):
   cov = np.dot(X.T, X)
   cov inv = np.linalg.inv(cov)
   theta = np.dot(cov inv, np.dot(X.T, y))
   return theta
regress (X, y)
Out[13]:
array([ 8.70408612e-16, 1.39783600e-01, 1.24258432e-01, 4.58476504e-02,
       -2.33355774e-02, 1.40830779e-01, 4.97342141e-01, 8.57053356e-02])
In [14]:
# Cost function normalized by number of examples
def J(theta, X, y):
    return 1 / 2 / X.shape[1] * (h(X,theta)-y).T.dot(h(X,theta)-y)
# Get design matrix for polynomial model of degree d
def x polynomial(x, d):
    a = np.ones((x.shape[0], 1))
    for i in range(d):
        a = np.concatenate((a, x**(i+1)), axis = 1)
    return a
In [15]:
# Build models of degree 1 to max degree
max_degree = 2
```

Split the data into training and tests

J train = np.zeros(max degree) J_test = np.zeros(max_degree)

```
In [16]:
```

```
# splits the training and test data set in 80% : 20%
# assign random state to any value. This ensures consistency.
X train, X test, y train, y test = train test split(X, y, test size = 0.2, random state=
print(X train.shape)
print(X test.shape)
print(y train.shape)
print(y_test.shape)
(320, 8)
(80, 8)
(320,)
(80,)
```

Linear Regression

```
In [17]:
```

```
from sklearn.linear model import LinearRegression
from sklearn.metrics import mean_squared_error, r2_score
lin model = LinearRegression()
lin_model.fit(X_train, y_train)
```

Out[17]:

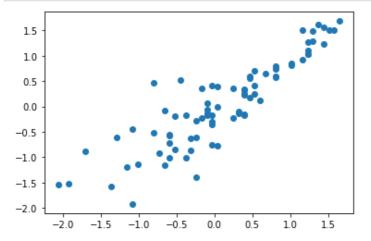
```
LinearRegression()
```

```
In [18]:
```

```
# model evaluation for training set
y train predict = lin model.predict(X train)
rmse = (np.sqrt(mean_squared_error(y_train, y_train_predict)))
r2 = r2_score(y_train, y_train_predict)
print("The model performance for training set")
print("----")
print('RMSE is {}'.format(rmse))
print('R2 score is {}'.format(r2))
print("\n")
# model evaluation for testing set
y test predict = lin model.predict(X test)
# root mean square error of the model
rmse = (np.sqrt(mean squared error(y test, y test predict)))
# r-squared score of the model
r2 = r2_score(y_test, y_test_predict)
print("The model performance for testing set")
print("-----")
print('RMSE is {}'.format(rmse))
print('R2 score is {}'.format(r2))
```

In [19]:

```
# plotting the y_test vs y_pred
# ideally should have been a straight line
plt.scatter(y_test, y_test_predict)
plt.show()
```



Polynomial Regression

Let's apply the Polynomial Regression with degree 2 and test.

To generate the higher order degrees, we use PolyniomialFeatures class from sklearn library.

```
In [22]:
```

```
from sklearn.preprocessing import PolynomialFeatures
def polynomial regression model(degree):
 "Creates a polynomial regression model for the given degree"
 poly features = PolynomialFeatures(degree=degree)
  # transform the features to higher degree features.
 X train poly = poly features.fit transform(X train)
 # fit the transformed features to Linear Regression
 poly model = LinearRegression()
 poly model.fit(X train poly, y train)
  # predicting on training data-set
 y train predicted = poly model.predict(X train poly)
 # predicting on test data-set
 y test predict = poly model.predict(poly features.fit transform(X test))
  # evaluating the model on training dataset
 rmse train = np.sqrt(mean squared error(y train, y train predicted))
 r2_train = r2_score(y_train, y_train_predicted)
 # evaluating the model on test dataset
 rmse test = np.sqrt(mean squared error(y test, y test predict))
 r2 test = r2 score(y test, y test predict)
 print("The model performance for the training set")
 print("----")
 print("RMSE of training set is {}".format(rmse train))
 print("R2 score of training set is {}".format(r2 train))
 print("\n")
 print("The model performance for the test set")
 print("----")
 print("RMSE of test set is {}".format(rmse_test))
 print("R2 score of test set is {}".format(r2 test))
```

In [23]:

```
polynomial regression model (2)
The model performance for the training set
RMSE of training set is 0.42904975210889146
R2 score of training set is 0.8272082770286167
The model performance for the test set
______
RMSE of test set is 0.4071697317313779
R2 score of test set is 0.7708564341794006
In [ ]:
```