Problem 1: K-Maans > The distance function of Euclidean distance is given by :d(p1/P2) = \((x_2-x_1)^2 + (y_2-y_1)^2

> Here, A, B, and G is initially assigned the center of each cluster. (centroid)

Distance to (B) (C2) Data (A) Cluster 4 Points (0) 5 A1 ð 0 2-23 10 3-61 2 4.24 4-47 AZ 5

A3 6.40 8.49 8 4 BI

5 8 1-41 3-61 2 2 7-21 7-61 8.06 0 9 3 4 2.23 1.41

G Calculating the euclidean distance of each point to the initially Ossigned centroids, $d(A_1,A_1) = \sqrt{(z-z)^2 + (10-10)^2} = 0$

CI

d(A31A) =

 $d(A_2,A) = \sqrt{(2-2)^2 + (5-10)^2} = 5$ $\sqrt{(8-2)^2 + (4-10)^2} = 8.49$

$$d(R_{1},A) = \sqrt{(S-2)^{2} + (8-10)^{2}} = 3.61$$

$$d(C_{1},A) = \sqrt{(1-2)^{2} + (2-10)^{2}} = 2.23$$

$$d(C_{2},A) = \sqrt{(4-2)^{2} + (4-10)^{2}} = 2.23$$

$$d(A_{1},B_{1}) = \sqrt{(2-5)^{2} + (10-8)^{2}} = 3.61$$

$$d(A_{2},B_{1}) = \sqrt{(2-5)^{2} + (5-8)^{2}} = 4.24$$

$$d(A_{3},B_{1}) = \sqrt{(8-5)^{2} + (4-8)^{2}} = 5$$

$$d(A_{1},B_{1}) = \sqrt{(5-5)^{2} + (8-8)^{2}} = 0$$

$$d(C_{1},B_{1}) = \sqrt{(1-5)^{2} + (2-8)^{2}} = 7.21$$

$$d(C_{2},B_{1}) = \sqrt{(4-5)^{2} + (4-6)^{2}} = 2.23$$

$$d(A_{2},C_{2}) = \sqrt{(2-4)^{2} + (10-6)^{2}} = 2.23$$

$$d(A_{3},C_{2}) = \sqrt{(2-4)^{2} + (10-6)^{2}} = 6.40$$

$$d(A_{3},C_{2}) = \sqrt{(5-4)^{2} + (2-6)^{2}} = 1.41$$

$$d(C_{1},C_{2}) = \sqrt{(5-4)^{2} + (2-6)^{2}} = 1.41$$

$$d(A_{3},C_{3}) = \sqrt{(A-A)^{2}+(A-A)^{2}} = 6.46$$

$$d(C_{3},C_{3}) = \sqrt{(A-A)^{2}+(A-A)^{2}} = 7.61$$

$$d(C_{3},C_{3}) = \sqrt{(A-A)^{2}+(A-A)^{2}} = 7.61$$

$$d(C_{3},C_{3}) = \sqrt{(A-A)^{2}+(A-A)^{2}} = 0$$

iteration is-

 \Rightarrow A1=(2,10) belongs to cluster 1 with the centroid A1, \Rightarrow A=(2,5), A=(8,4), B=(5,8) and C=(1,2) belongs to cluster 2

cutto the centroid as B

> G=(4,9) belongs to chusten 3 with the certified G.

2) The certained after the first iteration,

A = (2, 10)

• For B_{i} , $x = \frac{2+8+5+1}{4} = \frac{4}{4}$

y= 5+4+8+2 = 4.75

It is Bi = (4,4.75)

 $C_2 = (4,9)$