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## 9th lab Integration (Trapzd & Simpson) 26th Sep

1. Develop your own code for composite trapezoid and composite Simpson methods.

It can have two functions each for each methods. For example,

```
>>> func(x,a1,a2):  
>>>     """  
>>>     The integrand, a1 a2 etc are coefficients.  
>>>     """  
>>>     # caluclate func  
>>>     return func
```

One way to calculate the integral is by passing the x-array to the function that estimates it based on the particular rule (trapzd or Simpson).

A better (and more standard) way is to pass the lower and upper limits and the spacing h.

```
>>> def trapzd(x,h):  
>>>     """  
>>>     X is the array where the function evaluation is done, and h is the spacing  
>>>     """  
>>>     # It is also possible to calculate the spacing inside the function.  
>>>     y = func(x)  
>>>     trp = 0.5*(y[0]+y[-1])*h + np.sum(y[1:-2])  
>>>     # Make sure the 2nd terms performs the sums as required, I haven't cross checked it
```

Similarly for Simpson's rule.

Evaluate  $\int_0^{\pi} dx \sin(x)$

Using the above methods. Use  $n=4,8,16$ , and  $1024$  and compare the accuracy of the methods.

To compare the accuracy, calculate  $\Delta_T = \frac{|T_n - I|}{I}$ , where  $T_n$  is the result for composite trapezoid with  $n$  divisions of the interval and  $I$  is the analytical result. Do the same for Simpson's rule also. Plot  $\Delta_T$  and  $\Delta_S$  vs  $n$ .