

C Programming lab Recursion quiz

Name: _____

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Concept: *verifying code*

1. Consider the problem statement: *sum the numbers from a to b (inclusive)*. Assuming *a* is less than or equal to *b*, does this recursive function compute the correct result?

```
int sum(int a,int b)
{
    if (a == b)
        return 0;
    else
        return a + sum(a + 1,b);
}
```

- (a) Yes
(b) No

2. Consider the problem statement: *sum the numbers from a to b (inclusive)*. Assuming *a* is less than or equal to *b*, does this recursive function compute the correct result?

```
int sum(int a,int b)
{
    if (a == b) return a;
    else return a + sum(a + 1,b);
}
```

- (a) No
(b) Yes

3. Consider the problem statement: *sum the numbers from a to b (inclusive)*. Assuming *a* is less than or equal to *b*, does this recursive function compute the correct result?

```
int sum(int a,int b)
{
    if (a == b) return b;
    else return b + sum(a + 1,b);
}
```

- (a) No
(b) Yes

4. Consider the problem statement: *sum the numbers from a to b (inclusive)*. Assuming *a* is less than or equal to *b*, does this recursive function compute the correct result?

```
int sum(int a,int b)
{
    if (a == b) return b;
    else return a + sum(a + 1,b);
}
```

- (a) No
- (b) Yes

5. Consider the problem statement: *sum the numbers from a to b (inclusive)*. Assuming a is less than or equal to b , does this recursive function compute the correct result?

```
int sum(int a,int b)
{
    if (a == b) return 1;
    else return a + sum(a + 1,b);
}
```

- (a) No
- (b) Yes

6. Consider the problem statement: *sum the numbers from a to b (inclusive)*. Assuming a is less than or equal to b , does this recursive function compute the correct result?

```
int sum(int a,int b)
{
    if (a > b) return 0;
    else return a + sum(a + 1,b);
}
```

- (a) Yes
- (b) No

7. Consider the problem statement: *sum the numbers from a to b (inclusive)*. Assuming a is less than or equal to b , does this recursive function compute the correct result?

```
int sum(int a,int b)
{
    if (a == b) return a;
    else return b + sum(a,b-1);
}
```

- (a) Yes
- (b) No

8. Consider the problem statement: *sum the numbers from a to b (inclusive)*. Assuming a is less than or equal to b , does this recursive function compute the correct result?

```
int sum(int a,int b)
{
    if (a == b) return a;
    else return a + sum(a,b-1);
}
```

- (a) No
- (b) Yes

9. Consider the problem statement: *sum the numbers from a to b (inclusive)*. Assuming a is less than or equal to b , does this recursive function compute the correct result?

```
def sum(int a,int b)
{
    if (a > b) return 0;
    else return b + sum(a,b-1);
}
```

- (a) No
- (b) Yes

10. Consider the problem statement: *sum the numbers from a to b (inclusive)*. Assuming a is less than or equal to b , does this recursive function compute the correct result?

```
int sum(int a,int b)
{
    if (a > b) return b;
    else return b + sum(a,b-1);
}
```

- (a) No
- (b) Yes

11. Consider the problem statement: *product the numbers from a to b (inclusive)*. Assuming a is less than or equal to b , does this recursive function compute the correct result?

```
int prod(int a,int b)
{
    if (a == b)
        return 0;
    else
        return a * prod(a + 1,b);
}
```

- (a) Yes
- (b) No

12. Consider the problem statement: *product the numbers from a to b (inclusive)*. Assuming a is less than or equal to b , does this recursive function compute the correct result?

```
int prod(int a,int b)
{
    if (a == b) return a;
    else return a * prod(a + 1,b);
}
```

- (a) No
- (b) Yes

13. Consider the problem statement: *product the numbers from a to b (inclusive)*. Assuming a is less than or equal to b , does this recursive function compute the correct result?

```
int prod(int a,int b)
{
    if (a == b) return b;
    else return b * prod(a + 1,b);
}
```

- (a) No
- (b) Yes

14. Consider the problem statement: *product the numbers from a to b (inclusive)*. Assuming a is less than or equal to b , does this recursive function compute the correct result?

```
int prod(int a,int b)
{
    if (a == b) return b;
    else return a * prod(a + 1,b);
}
```

- (a) No
- (b) Yes

15. Consider the problem statement: *product the numbers from a to b (inclusive)*. Assuming a is less than or equal to b , does this recursive function compute the correct result?

```
int prod(int a,int b)
{
    if (a == b) return 1;
    else return a * prod(a + 1,b);
}
```

- (a) No
- (b) Yes

16. Consider the problem statement: *product the numbers from a to b (inclusive)*. Assuming a is less than or equal to b , does this recursive function compute the correct result?

```
int prod(int a,int b)
{
    if (a > b) return 0;
    else return a * prod(a + 1,b);
}
```

- (a) No
- (b) Yes

17. Consider the problem statement: *product the numbers from a to b (inclusive)*. Assuming a is less than or equal to b , does this recursive function compute the correct result?

```
int prod(int a,int b)
{
    if (a == b) return a;
    else return b * prod(a,b-1);
}
```

- (a) No
- (b) Yes

18. Consider the problem statement: *product the numbers from a to b (inclusive)*. Assuming a is less than or equal to b , does this recursive function compute the correct result?

```
int prod(int a,int b)
{
    if (a == b) return a;
    else return a * prod(a,b-1);
}
```

- (a) Yes
- (b) No

19. Consider the problem statement: *product the numbers from a to b (inclusive)*. Assuming a is less than or equal to b , does this recursive function compute the correct result?

```
def prod(int a,int b)
{
    if (a > b) return 0;
    else return b * prod(a,b-1);
}
```

- (a) Yes
- (b) No

20. Consider the problem statement: *product the numbers from a to b (inclusive)*. Assuming a is less than or equal to b , does this recursive function compute the correct result?

```
int prod(int a,int b)
{
    if (a > b) return b;
    else return b * prod(a,b-1);
}
```

- (a) Yes
- (b) No

Concept: *understanding recurrences*

21. Consider this recurrence:

$f(a,b)$ is 1 if b is zero
 $f(a,b)$ is $a * f(a,b - 1)$ otherwise

The recurrence is implemented with:

- (a) one function with an if and else if and else if and else
- (b) one function with an if and else
- (c) two functions, one with an if and else
- (d) two functions, one with an if and else if and else
- (e) one function with an if and else if and else

22. Consider this recurrence:

$f(t,a,b)$ is t if b is zero
 $f(t,a,b)$ is $f(a * t,a,b - 1)$ otherwise

The recurrence is implemented with:

- (a) one function with an if and else
- (b) one function with an if and else if and else if and else
- (c) one function with an if and else if and else
- (d) two functions, one with an if and else
- (e) two functions, one with an if and else if and else

23. Consider this recurrence:

$f(n)$ is 0 if n is 0
 $f(n)$ is 1 if n is 1
 $f(n)$ is $f(n - 1) + f(n - 2)$ otherwise

The recurrence is implemented with:

- (a) one function with an if and else if and else if and else
- (b) one function with an if and else if and else
- (c) one function with an if and else
- (d) two functions, one with an if and else if and else
- (e) two functions, one with an if and else

24. Consider this recurrence:

```
g(a,b,n) is a if n is 0
g(a,b,n) is g(b,a + b,n - 1) otherwise
```

The recurrence is implemented with:

- (a) one function with an if and else if and else
- (b) one function with an if and else
- (c) one function with an if and else if and else if and else
- (d) two functions, one with an if and else
- (e) two functions, one with an if and else if and else

25. Consider this recurrence:

```
f(t,a,b) is t if b is zero
f(t,a,b) is f(t,a * a,b / 2) if b is even
f(t,a,b) is f(t * a,a,b - 1) otherwise
```

The recurrence is implemented with:

- (a) two functions, one with an if and else
- (b) one function with an if and else if and else
- (c) two functions, one with an if and else if and else
- (d) one function with an if and else
- (e) one function with an if and else if and else if and else

26. Consider this recurrence:

```
f(a,b) is 1 if b is zero
f(a,b) is f(a * a,b / 2) if b is even
f(a,b) is a * f(a,b - 1) otherwise
```

The recurrence is implemented with:

- (a) one function with an if and else if and else
- (b) two functions, one with an if and else
- (c) one function with an if and else
- (d) two functions, one with an if and else if and else
- (e) one function with an if and else if and else if and else

27. Consider this recurrence:

```
g(t,a,b) is t if b is zero
g(t,a,b) is g(t,a * a,b / 2) if b is even
g(t,a,b) is g(t * a,a,b - 1) otherwise
```

The recurrence is implemented with:

- (a) one function with an if and else if and else
- (b) two functions, one with an if and else
- (c) one function with an if and else if and else if and else
- (d) one function with an if and else
- (e) two functions, one with an if and else if and else

Concept: *implementing recurrences*

28. Implement this recurrence:

```
f(a,b) is 1 if b is zero
f(a,b) is a * f(a,b - 1) otherwise
```

29. Implement this recurrence:

```
f(t,a,b) is t if b is zero
f(t,a,b) is f(a * t,a,b - 1) otherwise
```

30. Implement this recurrence:

```
f(n) is 0 if n is 0
f(n) is 1 if n is 1
f(n) is f(n - 1) + f(n - 2) otherwise
```

31. Implement this recurrence:

```
g(a,b,n) is a if n is 0
g(a,b,n) is g(b,a + b,n - 1) otherwise
```

32. Implement this recurrence:

```
f(t,a,b) is t if b is zero
f(t,a,b) is f(t,a * a,b / 2) if b is even
f(t,a,b) is f(t * a,a,b - 1) otherwise
```

33. Implement this recurrence:

```
f(a,b) is 1 if b is zero
f(a,b) is f(a * a,b / 2) if b is even
f(a,b) is a * f(a,b - 1) otherwise
```

34. Implement this recurrence:

```
g(t,a,b) is t if b is zero
g(t,a,b) is g(t,a * a,b / 2) if b is even
g(t,a,b) is g(t * a,a,b - 1) otherwise
```

35. Implement this recurrence: (another power function)

```
power2(b,e) is 1 if e is zero
power2(b,e) is power2(b*b,e/2) if b is even
power(b,e) is b * power2(b,e - 1) otherwise
```


36. Implement this recurrence: (countEvens function)

```
countEvens(array,size) is 0 if array is empty
countEvens(array,size) is 1 + countEvens(tail(array)) if head(array) is even.
countEvens(array,size) is countEvens(tail(array)) if otherwise
```

37. Implement this recurrence: (prime function)

```
prime(n) is nodiv(n,2)
nodiv(n,current) is 1 if current > sqrt(n)
nodiv(n,current) is 0 if current divides n with zero remainder
nodiv(n,current) is nodiv(n,current + 1) otherwise
```

38. Implement this recurrence: (fibonacci function)

```
fib(n) is 0, if n is 0,
fib(n) is 1, if n is 1,
fib(n) is fib(n-1) + fib(n-2), otherwise
```

39. Implement the following recurrences (mult function)

```
mult(a,b) is 0, if b = 0
mult(a,b) is a, if b = 1
mult(a,b) is a + mult(a,b-1), otherwise
```

Concept: *implementing recursion*

40. Implement a recursive function (`print(int array[], int size)`), which will print all elements of the array.
41. Implement a recursive function (`print(int array[], int size)`), which will print all elements of the array in reverse.
42. Implement a recursive function (`print(char array[], int size)`), which will print all character of the array in reverse.
43. Implement a recursive function (`print(char array[], int size)`), which will print all character of the array.
44. Implement a recursive function (`sum(int array[], int size)`), which returns the sum of all elements in an array.

45. Implement a recursive function (fibonacci(int n), which prints a series of n fibonacci numbers.

For example:

```
fibonacci(1) is 1
fibonacci(2) is 1
fibonacci(3) is 2
fibonacci(4) is 3
```

46. Implement a recursive function (isPalindrome(char *str, int size), which prints whether the string passed as 'str' variable is a palindrome or not.

For example:

```
isPalindrome("abba",4) is Palindrome
isPalindrome("abcba",5) is Palindrome
isPalindrome("abc",3) is Not A Palindrome
```

47. Implement a recursive function (reverse(char *str, int size), which prints the string in reverse.

For example:

```
reverse("abcde",5) results in "edcba"
reverse("happy",5) results in "yppah"
```

48. Implement a recursive function (series) which will sum the series as shown below. For example: series(n) = $1/1 + 1/2 + 1/4 + 1/8 + 1/n$

49. Implement a recursive function (series) which will sum the series as shown below. For example: $\text{series}(n) = 1/1 + 1/2 + 1/2^2 + 1/2^3 + \dots + 1/2^n$