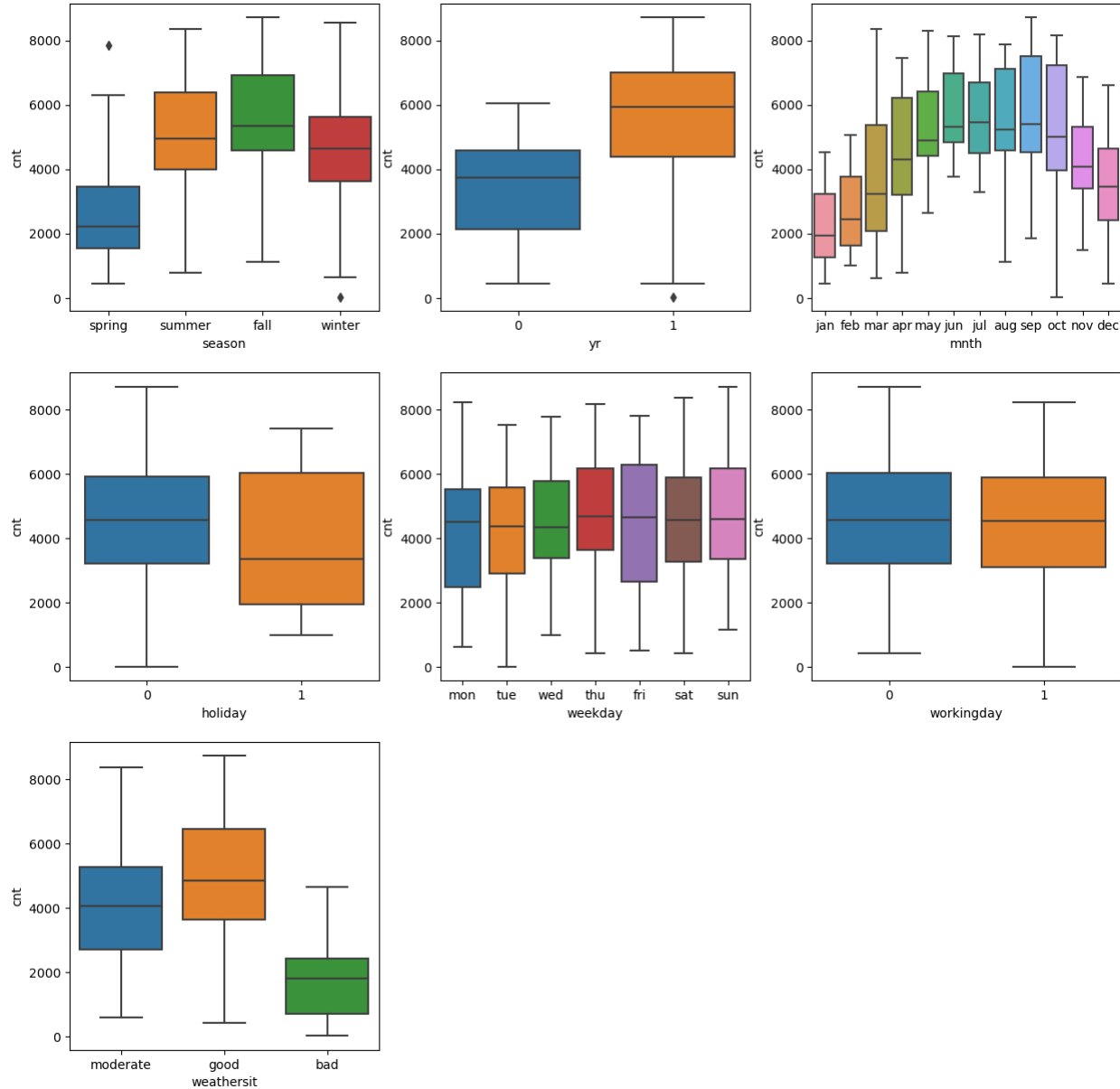


# **1. From your analysis of the categorical variables from the dataset, what could you infer about their effect on the dependent variable?**

A: The categorical variable in the dataset were season, yr, holiday, weekday ,workingday, and weathersit and mnth . These were visualized using a boxplot.



- Season - The boxplot showed that spring season had least value of cnt whereas fall had maximum value of cnt. Summer and winter had intermediate value of cnt.
- Weathersit - There are no users when there is heavy rain/ snow indicating that this weather is extremely unfavourable. Highest count was seen when the weathersit was ' Clear, Partly Cloudy'.
- Yr - The number of rentals in 2019 was more than 2018
- Holiday - rentals reduced during holiday.

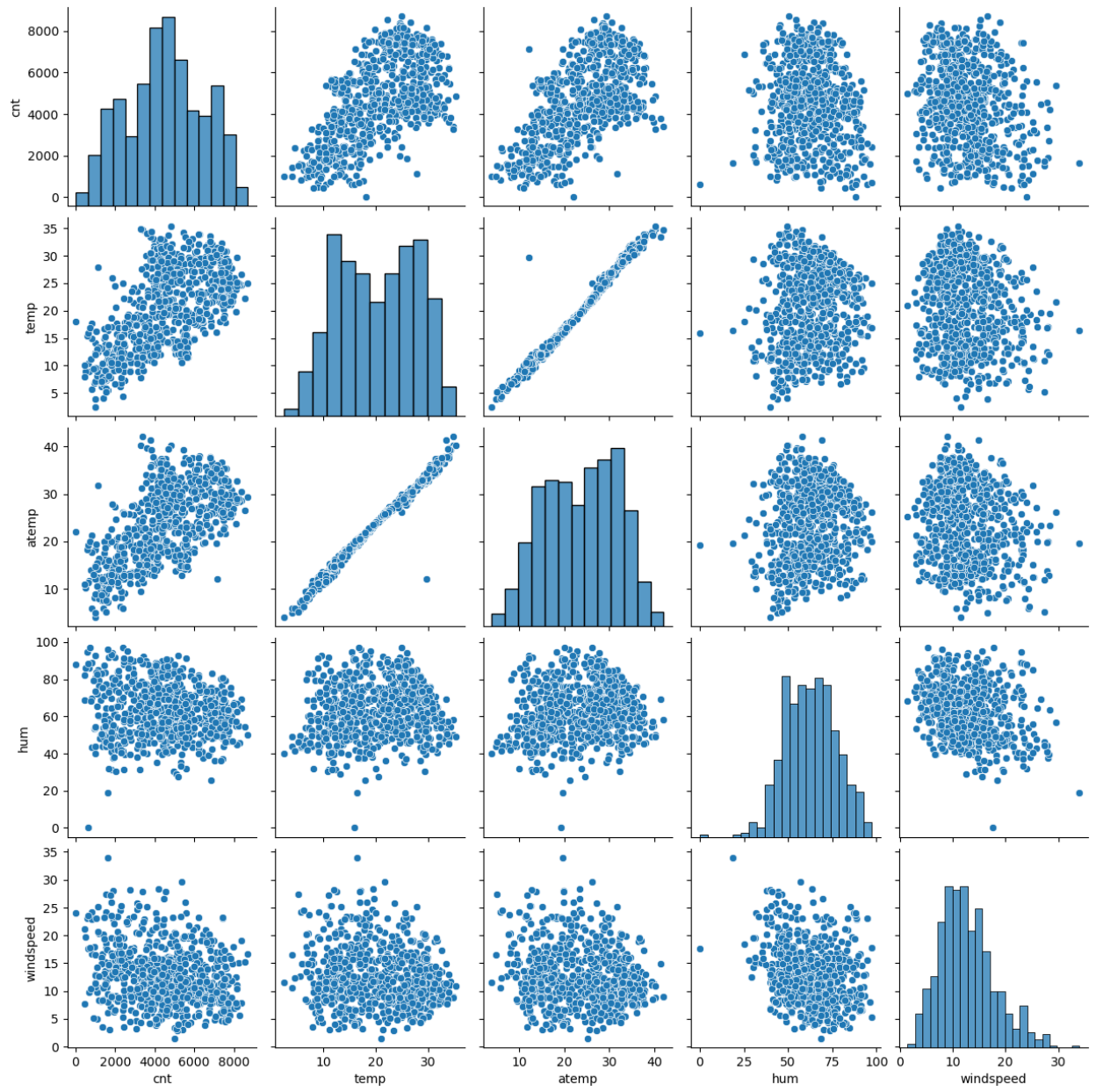
- Mnth - September saw highest no of rentals while December saw least. This observation is in accordance with the observation made in weathersit. The weather situation in December is usually heavy snow due to which the rentals might have dropped.
- Weekday - The count of rentals is almost even throughout the week
- Workingday – The median count of users is constant almost throughout the week

## **2. Why is it important to use drop\_first=True during dummy variable creation?**

A: If we don't drop the first column then the dummy variables will be correlated (redundant). This may affect some models adversely and the effect is stronger when the cardinality is smaller. For example iterative models may have trouble converging and lists of variable importance may be distorted. In the figure below, check the number of columns, instead of 13 we got 12 columns. It removes the first column of the get\_dummies dataframe. The first column for the "Body Color" column is Beige. If there is a beige car, all columns are 0. When all columns are 0, the model knows it's a beige car. More columns mean less performance and more training time. Imagine we have 20 columns that are not numerical. If we use 'drop\_first', we get 20 columns less. So it is useful to use the drop\_first = True parameter for model performance

## **3. Looking at the pair-plot among the numerical variables, which one has the highest correlation with the target variable?**

A: Using the below pairplot it can be seen that, "temp" and "atemp" are the two numerical variables which are highly correlated with the target variable (cnt).



**4. How did you validate the assumptions of Linear Regression after building the model on the training set?**

A: The following tests were done to validate the assumptions of linear regression

1. First, linear regression needs the relationship between the independent and dependent variables to be linear. We visualized the numeric variables using a pair plot to see if the variables are linearly related or not. Refer to the notebook for more details.
2. Secondly, Residuals distribution should follow normal distribution and centered around 0 (mean = 0). We validated this assumption about residuals by plotting a distplot of residuals and saw if residuals are following normal distribution or not. The diagram below shows that the residuals are distributed about mean = 0.

**5. Based on the final model, which are the top 3 features contributing significantly towards explaining the demand of the shared bikes?**

A: The top 3 features are:

1. temp - coefficient : 0.437655
2. yr - coefficient : 0.234287
3. weathersit\_Light Snow & Rain - coefficient : -0.292892

## **General Subjective Questions**

**1. Explain the linear regression algorithm in detail.**

A: Linear regression is a popular statistical and machine learning algorithm used for predicting continuous numerical values based on input features. It establishes a linear relationship between the dependent variable (also called the target or output) and one or more independent variables (also known as predictors or features).

$$y = mx + b$$

Where It assumes that there is a linear relationship between the dependent variable(y) and the predictor(s)/independent variable(x).

- y is the dependent variable (output/predicted value)
- x is the independent variable (input feature)
- m is the slope (coefficient) of the line, representing the change in y for a unit change in x
- b is the y-intercept, representing the value of y when x is 0

For multiple independent variables, the equation takes the form of:

$$y = b + m_1 \cdot x_1 + m_2 \cdot x_2 + \dots + m_n \cdot x_n$$

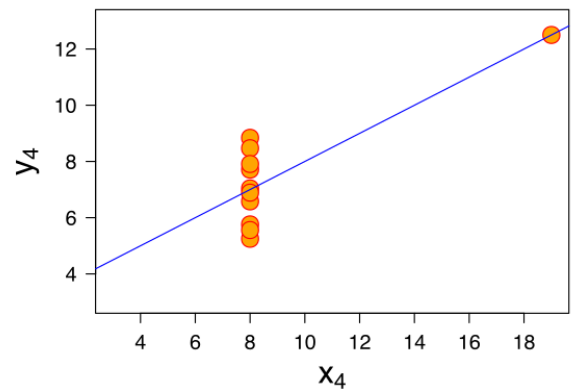
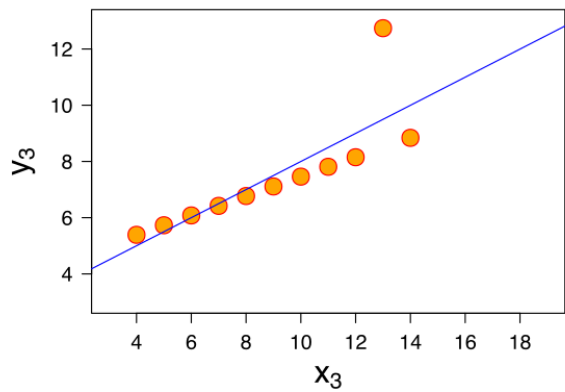
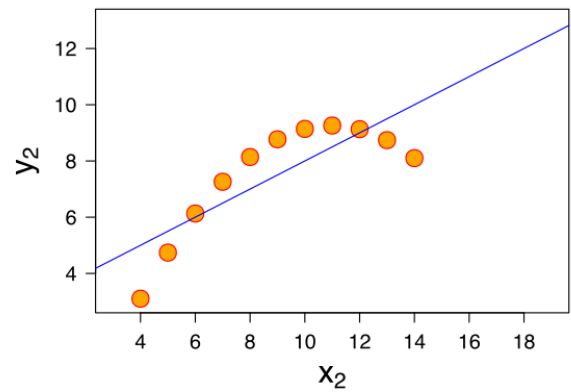
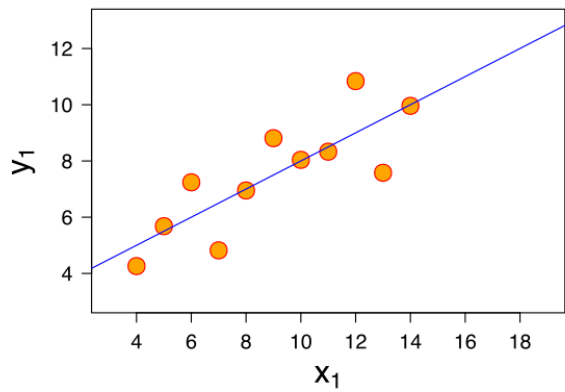
Where:

- y is still the dependent variable
- $x_1, x_2, \dots, x_n$  are the different independent variables (features)
- $m_1, m_2, \dots, m_n$  are the corresponding coefficients for each feature
- b is the y-intercept (bias)

## 2. Explain the Anscombe's quartet in detail.

**A:** Anscombe's Quartet was developed by statistician Francis Anscombe. It includes four data sets that have almost identical statistical features, but they have a very different distribution and look totally different when plotted on a graph. It was developed to emphasize both the importance of graphing data before analyzing it and the effect of outliers and other influential observations on statistical properties

- The first scatter plot (top left) appears to be a simple linear relationship.
- The second graph (top right) is not distributed normally; while there is a relation between them, it's not linear.
- In the third graph (bottom left), the distribution is linear, but should have a different regression line. The calculated regression is offset by the one outlier which exerts enough influence to lower the correlation coefficient from 1 to 0.816.



- Finally, the fourth graph (bottom right) shows an example when one high-leverage point is enough to produce a high correlation coefficient, even though the other data points do not indicate any relationship between the variables.

### 3. What is Pearson's R?

A: Pearson's  $r$  is a numerical summary of the strength of the linear association between the variables. Its value ranges between -1 to +1. It shows the linear relationship between two sets of data.

$$r = \frac{\sum (x_i - \bar{x}) (y_i - \bar{y})}{\sqrt{\sum (x_i - \bar{x})^2 \sum (y_i - \bar{y})^2}}$$

#### **4. What is scaling? Why is scaling performed? What is the difference between normalized scaling and standardized scaling?**

A: Feature scaling is a method used to normalize or standardize the range of independent variables or features of data. It is performed during the data preprocessing stage to deal with varying values in the dataset. If feature scaling is not done, then a machine learning algorithm tends to weigh greater values, higher and consider smaller values as the lower values, irrespective of the units of the values.

- Normalization is generally used when you know that the distribution of your data does not follow a Gaussian distribution. This can be useful in algorithms that do not assume any distribution of the data like K-Nearest Neighbors and Neural Networks.
- Standardization, on the other hand, can be helpful in cases where the data follows a Gaussian distribution. However, this does not have to be necessarily true. Also, unlike normalization, standardization does not have a bounding range. So, even if you have outliers in your data, they will not be affected by standardization.

#### **5. You might have observed that sometimes the value of VIF is infinite. Why does this happen?**

A: VIF - Variance Inflation Factor The VIF gives how much the variance of the coefficient estimate is being inflated by collinearity. If there is perfect correlation, then  $VIF = \text{infinity}$ . It gives a basic quantitative idea about how much the feature variables are correlated with each other. It is an extremely important parameter to test our linear model. Where  $R^2$  is the R-square value of that independent variable which we want to check how well this independent variable is explained well by other independent variables. If that independent variable can be explained perfectly by other independent variables, then it will have perfect correlation and its  $R^2$  value will be equal to 1. So,

**$VIF = 1/(1-R^2)$**  which gives  $VIF = 1/0$  which results in “infinity”

The numerical value for VIF tells you (in decimal form) what percentage the variance (i.e. the standard error squared) is inflated for each coefficient. For example, a VIF of 1.9 tells you that the variance of a particular coefficient is 90% bigger than what you would expect if there was no multicollinearity — if there was no correlation with other predictors. A rule of thumb for interpreting the variance inflation factor:

- 1 = not correlated.
- Between 1 and 5 = moderately correlated.
- Greater than 5 = highly correlated.

**6. What is a Q-Q plot? Explain the use and importance of a Q-Q plot in linear regression**

**A:** A q-q plot is a plot of the quantiles of the first data set against the quantiles of the second data set. It is used to compare the shapes of distributions. A Q-Q plot is a scatterplot created by plotting two sets of quantiles against one another. If both sets of quantiles came from the same distribution, we should see the points forming a line that's roughly straight.

