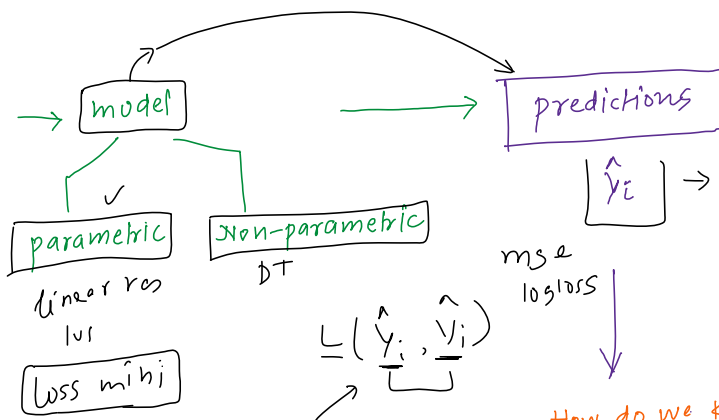


x_i	y_i
cgpa	iq
7.2	80
8.1	110
5.6	90
7.3	95
package	
	3
	4
	12
	19

Xgboost → 2 ideas (1st idea)



Problems with just keeping the loss function

overfitting

How do we know the predictions are any good?

(Loss function)
 $L(\theta)$

Objective function

$$obj(\theta) = L(\theta) + \Omega(\theta)$$

Training Loss
(measures how well the model fits on training data)

bias

(Regularization)
(measures complexity of the model)

variance

• Ridge regression: $\sum_{i=1}^n (y_i - w^T x_i)^2 + \lambda \|w\|^2$
▪ Linear model, square loss, L2 regularization

• Lasso: $\sum_{i=1}^n (y_i - w^T x_i)^2 + \lambda \|w\|_1$
▪ Linear model, square loss, L1 regularization

• Logistic regression:
 $\sum_{i=1}^n [y_i \ln(1 + e^{-w^T x_i}) + (1 - y_i) \ln(1 + e^{w^T x_i})] + \lambda \|w\|^2$
logloss

Helps in Bias Variance Tradeoff

$$L(\theta) + \Omega(\theta)$$

Regularization

↳ parametric models

↳ linear
neural networks

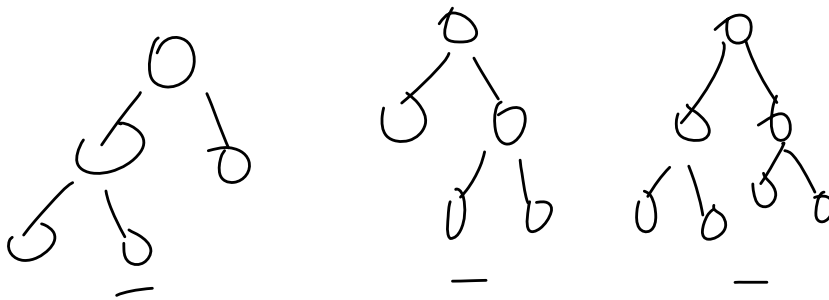
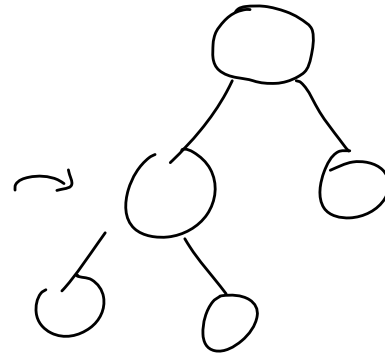
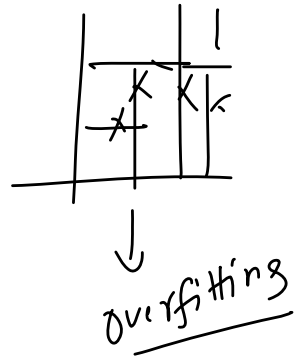
tree based models

cgpa | iq | package

Random forest

2nd interim

Decision tree



→ random forest

5 kpa

Stage wise additive modelling

cgpa iq package	pred	p r	pred
-	5	-2	-1.5
-	5	8	6
-	5	-1	0
-	5	-3	-4

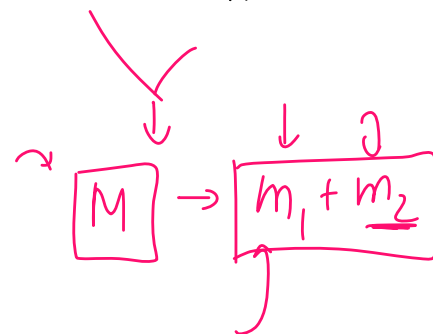
m_2

gradient

boosting

xgboost

$$m_1 + m_2$$



$$5 + (-1.5) \rightarrow 3.5$$

$$5 + 6 \rightarrow 11$$



math / objective Object
↳ regularization

$\langle \psi | \hat{H} | \psi \rangle = \sum_{j=1}^M \left[\left(\sum_{i \in I_j} g_{ij} \right) w_j + \frac{1}{2} \left(\sum_{i \in I_j} h_{ij} + \lambda \right) w_j^2 \right] + \gamma T$

$$\hat{y}_i^{<t>} = \hat{y}_i^{<t-1>} + f_t(x_i)$$

for classification

$$g = (\hat{y} - y) \quad h = g(1 - \hat{y})$$


where \hat{y} is the predicted prob of last stage

$\mathcal{J}(f; x_i) \rightarrow$ regularization

\downarrow

simplify model

pruning
reduce
weights \rightarrow smaller

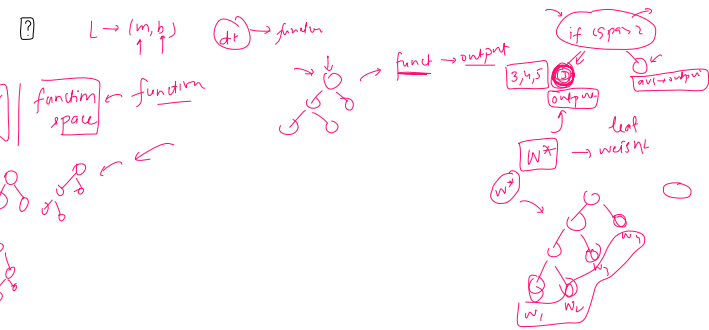


parameter space

$$\tilde{L}^{(+)}(q) = -\frac{1}{2} \sum_{j=1}^T \frac{\left(\sum_{i \in I_j} g_i \right)^2}{\sum_{i \in I_j} h_i + \lambda} + \gamma T$$

→ Similarity score for a true structure (q)

$$\rightarrow \mathcal{L}_{split} = \frac{1}{2} \left[\frac{(\sum_{i \in \mathcal{I}_L} g_i)^2}{\sum_{i \in \mathcal{I}_L} h_i + \lambda} + \frac{(\sum_{i \in \mathcal{I}_K} g_i)^2}{\sum_{i \in \mathcal{I}_K} h_i + \lambda} - \frac{(\sum_{i \in \mathcal{I}_P} g_i)^2}{\sum_{i \in \mathcal{I}_P} h_i + \lambda} \right] - \gamma$$



XGBoost High Level Overview

24 March 2024 07:18

1. Lambda (& Alpha)

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2. Gamma

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3. Shrinkage

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4. Max Depth

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5. Max Leaves

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6. Min Child Weight

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7. Subsample

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8. Col Subsample(ByTree/ByLevel/ByNode)

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