REPORT COMPUTATIONAL INTELLIGENCE

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PROBLEM

Given a dataset ("train cancer.h5") containing:

- a training set of 380 records containing diagnostic cancer information labeled as benign (y=1) or malignant (y=0)
- a test set of 189 records labeled as benign or malignant

The problem is to build a simple text recognition algorithm that can correctly classify records as benign or malignant.

DATASET

Breast Cancer Dataset

Files used : cancer train.h5, cancer test.h5

Total instances : 569
Training instances: 380
Testing instances : 189

About train set x and test set x:

Ten real-valued features are computed for each cell nucleus:

- a) radius (mean of distances from center to points on the perimeter)
- b) texture (standard deviation of gray-scale values)
- c) perimeter
- d) area
- e) smoothness (local variation in radius lengths)
- f) compactness (perimeter^2 / area 1.0)
- g) concavity (severity of concave portions of the contour)
- h) concave points (number of concave portions of the contour)
- i) symmetry
- j) fractal dimension ("coastline approximation" 1)

The mean, standard error, and "worst" or largest (mean of the three largest values) of these features were computed for each image, resulting in 30 features. For instance, field 1 is Mean Radius, field 11 is Radius SE, field 21 is Worst Radius.

All feature values are recoded with four significant digits.

About train_set_y and test_set_y:

Classes used:

1. Malignant: 0
2. Benign : 1

ALGORITHM

Build a Logistic Regression, using a Neural Network mindset. Steps for building a Neural Network are:

- 1. Define the model structure (such as number of input features)
- 2. Initialize the model's parameters
- 3. Loop:
 - Calculate current loss (forward propagation)
 - Calculate current gradient (backward propagation)
 - Update parameters (gradient descent)

LOGISTIC REGRESSION

To train the parameters w and b, we need to define a cost function. $y^{\hat{}}(i) = \sigma(wTx(i) + b)$, where $\sigma(z(i)) = 1$ 1+ e-z(i)

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Given \{(x(1), y(1)), \cdots, (x(m), y(m))\}, we want y^{\hat{}}(i) \approx y(i)
```

Loss (error) function:

The loss function measures the discrepancy between the prediction $(y^{\hat{}}(i))$ and the desired output (y(i)). In other words, the loss function computes the error for a single training example.

$$L(y^{\hat{}}(i), y(i)) = 12 (y^{\hat{}}(i) - y(i))2$$

 $L(y^{\hat{}}(i), y(i)) = -(y(i) \log(y^{\hat{}}(i)) + (1 - y(i)) \log(1 - y^{\hat{}}(i))$

- If y(i) = 1: $L(y^{\hat{}}(i), y(i)) = -\log(y^{\hat{}}(i))$ where $\log(y^{\hat{}}(i))$ and $y^{\hat{}}(i)$ should be close to 1
- If y(i) = 0: $L(y^{\hat{}}(i), y(i)) = -\log(1 y^{\hat{}}(i))$ where $\log(1 y^{\hat{}}(i))$ and $y^{\hat{}}(i)$ should be close to 0

Cost function:

The cost function is the average of the loss function of the entire training set. We are going to find the parameters w and b that minimize the overall cost function. J(w, b) = 1 $m \Sigma L(y^{\hat{}}(i), y(i))$ m i=1 = -1 m $\Sigma[(y(i) \log(y^{\hat{}}(i)) + (1 - y(i))\log(1 - y^{\hat{}}(i))]$

OPERATING ENVIRONMENT

Operating System : Windows 10 Machine Architecture: 64-bit

Language : Python 2.7

Packages : numpy, scipy, matplotlib, h5py, PIL

CODE

```
import numpy as np
import matplotlib.pyplot as plt
import h5py
import scipy
from PIL import Image
from scipy import ndimage
from lr utils import load dataset
train set x orig, train set y, test set x orig, test set y, classes =
load dataset()
m train = train set x orig.shape[0]
m test = test set x orig.shape[0]
num px = train set x orig.shape[1]
print ("Number of training examples: m_train = " + str(m_train))
print ("Number of testing examples: m test = " + str(m test))
print ("train set x shape: " + str(train set x orig.shape))
print ("train_set_y shape: " + str(train_set_y.shape))
print ("test set x shape: " + str(test set x orig.shape))
print ("test_set_y shape: " + str(test_set_y.shape))
print ("classes: " + str(classes))
print ('\n' + "-----" +
'\n')
max val train = np.max(train set x orig, axis = 0) # (1,30)
\max val test = \min(\max(\text{test set x orig,axis = 0}) \# (1,30)
train set x norm = train set x orig/max val train
test set x norm = test set x orig/max val test
train set x = train set x norm.T
test set x = test set x norm.T
print(train set x)
def sigmoid(z):
      s = 1.0/(1.0+np.exp(-z))
     return s
def propagate(w, b, X, Y):
     m = X.shape[1]
```

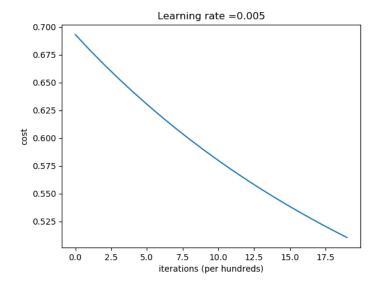
```
A = sigmoid(np.dot(w.T, X) + b)
      cost = (-1.0/m)*np.sum((Y*np.log(A) + (1-Y)*np.log(1-A)), axis = 1)
      dw = (1.0/m)*np.dot(X, (A-Y).T)
      db = (1.0/m)*np.sum(A-Y, axis = 1)
      assert(dw.shape == w.shape)
      assert(db.dtype == float)
      cost = np.squeeze(cost)
      assert(cost.shape == ())
      grads = { "dw": dw, "db": db}
      return grads, cost
def optimize(w, b, X, Y, num iterations, learning rate, print cost = False):
      costs = []
      for i in range(num iterations):
            grads, cost = propagate(w, b, X, Y)
            dw = grads["dw"]
            db = grads["db"]
            w = w - learning rate*dw
            b = b - learning rate*db
            if i % 100 == 0:
                  costs.append(cost)
            if print cost and i % 100 == 0:
                  print ("Cost after iteration %i: %f" %(i, cost))
      params = \{"w": w,
                    "b": b}
      grads = {"dw": dw,}
                   "db": db}
      return params, grads, costs
def predict(w, b, X):
     m = X.shape[1]
      Y prediction = np.zeros((1,m))
      w = w.reshape(X.shape[0], 1)
```

```
A = sigmoid(np.dot(w.T, X) + b)
     p = np.zeros(m).reshape(1,m)
      for i in range(A.shape[1]):
            if A[0,i]>0.5:
                  Y prediction[0,i] = 1
      assert(Y prediction.shape == (1, m))
      return Y prediction
def model(X train, Y train, X test, Y test, num iterations = 2000,
learning_rate = 0.5, print cost = False):
     w, b = np.zeros(X train.shape[0]).reshape(X train.shape[0],1), 0.0
     parameters, grads, costs = optimize(w, b, X train, Y train,
num iterations, learning rate, print cost)
     w = parameters["w"]
     b = parameters["b"]
      Y prediction test = predict(w, b, X test)
      Y prediction train = predict(w, b, X_train)
     print("train accuracy: {} %".format(100 -
np.mean(np.abs(Y prediction train - Y train)) * 100))
      print("test accuracy: {} %".format(100 -
np.mean(np.abs(Y prediction test - Y test)) * 100))
      d = {"costs": costs,
             "Y prediction test": Y prediction test,
             "Y prediction train" : Y prediction train,
             "w" : w,
             "b" : b,
             "learning rate" : learning_rate,
             "num iterations": num_iterations}
      return d
#end of functions
d = model(train set x, train set y, test set x, test set y, num iterations =
2000, learning rate = 0.005, print cost = True)
```

```
print('\n' + "-----" +
'\n')
costs = np.squeeze(d['costs'])
plt.plot(costs)
plt.ylabel('cost')
plt.xlabel('iterations (per hundreds)')
plt.title("Learning rate =" + str(d["learning_rate"]))
plt.show()
learning rates = [0.01, 0.001, 0.0001]
models = {}
for i in learning_rates:
     print ("learning rate is: " + str(i))
     models[str(i)] = model(train set x, train set y, test set x,
test set y, num iterations = 1500, learning rate = i, print cost = True)
     print ('\n' + "-----"
+ '\n')
for i in learning rates:
     plt.plot(np.squeeze(models[str(i)]["costs"]), label=
str(models[str(i)]["learning_rate"]))
plt.ylabel('cost')
plt.xlabel('iterations')
legend = plt.legend(loc='upper center', shadow=True)
frame = legend.get frame()
frame.set facecolor('0.90')
plt.show()
```

OUTPUT

```
Number of training examples: m train = 380
Number of testing examples: m test = 189
train set x shape: (380, 30)
train set y shape: (1, 380)
test set x shape: (189, 30)
test set y shape: (1, 189)
classes: [b'maligna' b'benign']
______
[[ 0.63998574  0.73176801  0.70046246 ...,  0.47883314  0.48594806
  0.39416575]
0.479378821
 [ 0.65145892 \quad 0.70503974 \quad 0.68965518 \dots, \quad 0.45564985 \quad 0.46827585 
  0.388859421
 . . . ,
 0.867353981
[ \ 0.69313043 \quad 0.41428143 \quad 0.54429042 \quad \dots, \quad 0.40584514 \quad 0.51024407 \\
  0.625790891
[ \ 0.57301205 \ \ 0.42901206 \ \ 0.42207232 \ \dots, \ \ 0.34028918 \ \ 0.46448195
  0.6761446 ]]
Cost after iteration 0: 0.693147
Cost after iteration 100: 0.679428
Cost after iteration 200: 0.666393
Cost after iteration 300: 0.653930
Cost after iteration 400: 0.641993
Cost after iteration 500: 0.630552
Cost after iteration 600: 0.619583
Cost after iteration 700: 0.609061
Cost after iteration 800: 0.598965
Cost after iteration 900: 0.589274
Cost after iteration 1000: 0.579968
Cost after iteration 1100: 0.571027
Cost after iteration 1200: 0.562433
Cost after iteration 1300: 0.554169
Cost after iteration 1400: 0.546218
Cost after iteration 1500: 0.538564
Cost after iteration 1600: 0.531193
Cost after iteration 1700: 0.524091
Cost after iteration 1800: 0.517244
Cost after iteration 1900: 0.510640
train accuracy: 92.10526315789474 %
test accuracy: 94.17989417989418 %
```



```
learning rate is: 0.01
Cost after iteration 0: 0.693147
Cost after iteration 100: 0.666390
Cost after iteration 200: 0.641988
Cost after iteration 300: 0.619576
Cost after iteration 400: 0.598957
Cost after iteration 500: 0.579958
Cost after iteration 600: 0.562423
Cost after iteration 700: 0.546207
Cost after iteration 800: 0.531182
Cost after iteration 900: 0.517232
Cost after iteration 1000: 0.504255
Cost after iteration 1100: 0.492158
Cost after iteration 1200: 0.480859
Cost after iteration 1300: 0.470285
Cost after iteration 1400: 0.460370
train accuracy: 92.10526315789474 %
test accuracy: 95.76719576719577 %
```

```
learning rate is: 0.001

Cost after iteration 0: 0.693147

Cost after iteration 100: 0.690338

Cost after iteration 200: 0.687564

Cost after iteration 300: 0.684823

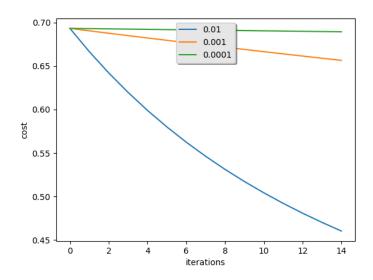
Cost after iteration 400: 0.682112

Cost after iteration 500: 0.679429

Cost after iteration 600: 0.676773
```

```
Cost after iteration 700: 0.674142
Cost after iteration 800: 0.671536
Cost after iteration 900: 0.668954
Cost after iteration 1000: 0.666395
Cost after iteration 1100: 0.663859
Cost after iteration 1200: 0.661345
Cost after iteration 1300: 0.658853
Cost after iteration 1400: 0.656383
train accuracy: 92.10526315789474 %
test accuracy: 88.35978835978835
```

```
learning rate is: 0.0001
Cost after iteration 0: 0.693147
Cost after iteration 100: 0.692865
Cost after iteration 200: 0.692582
Cost after iteration 300: 0.692300
Cost after iteration 400: 0.692019
Cost after iteration 500: 0.691738
Cost after iteration 600: 0.691457
Cost after iteration 700: 0.691177
Cost after iteration 800: 0.690897
Cost after iteration 900: 0.690617
Cost after iteration 1000: 0.690338
Cost after iteration 1100: 0.690059
Cost after iteration 1200: 0.689781
Cost after iteration 1300: 0.689502
Cost after iteration 1400: 0.689225
train accuracy: 84.21052631578948 %
test accuracy: 73.01587301587301 %
```



BIBLIOGRAPHY

- 1. Coursera Deep Leaning AI by Andrew NG
- 2. UCI Machine Learning Repository
- 3. www.google.com