Creating dataset:

Now, run script.

Here's the script:

Let's check our calculations:

Compare to univariate results:

We can see that our method is more powerful than both univariate and multivariate approaches:

```
lf.mash=read.table("lipid_data_signedzlfsr.txt")[,-1]
lf.bma=read.table("lipid_data_signedz_bmaonlylfsr.txt")[,-1]
lf.ash=read.table("lipids_univariateashtspec.lfsr.txt")
thresh=0.05
sum(lf.mash<thresh)</pre>
```

[1] 65080

```
sum(lf.ash<thresh)</pre>
```

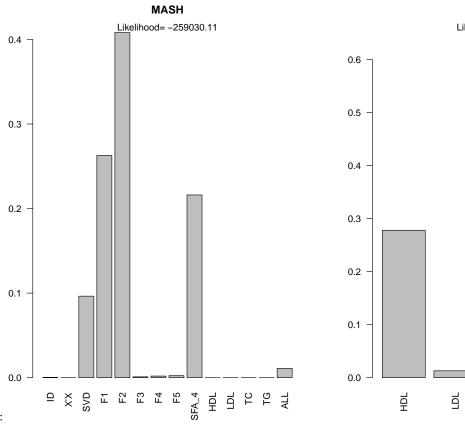
[1] 15710

```
sum(lf.bma<thresh)</pre>
```

[1] 30226

And much better than joint method like BMA. After training on 40,000 snps and testing on a unique set of 40,000 aditional snps, we learn the test set likelihood:

```
sum(log(test.lik%*%pis.train))
cat total.lik.bma.lite
-315326.50
cat total.lik.mash
-259030.11
```



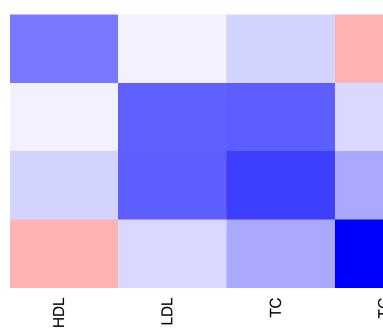
Let's look at the covariance patterns captured: $\,$

We can see that the new matrices occupy a majority of the weight, whereas BMA is limited by the 'consistent'

```
sum(colSums(pi.mat[,1:9]))
## [1] 0.9890654
colSums(pi.bma.mat)[5]
```

ALL ## 0.6508965





In fact, let's examine the patterns. $\,$

