Assignment2-solution-DBSCAN-Clustering Group Members Name: Suresh Kumar Choudhary, Sofya Laskina, Emilio Kuhlmann Master Data Science

November 22, 2020

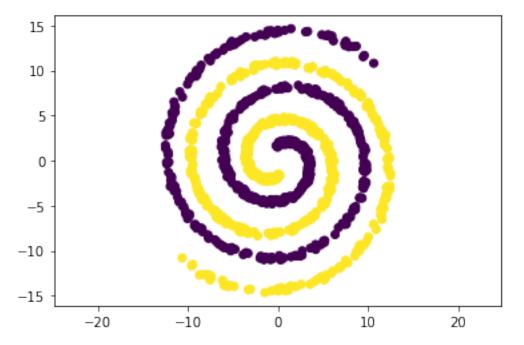
```
[120]: import numpy as np
  import matplotlib.pyplot as plt
  from sklearn.metrics import accuracy_score
  from sklearn import metrics
```

First of all: we are going to introduce a dataset on that we apply our clustering method on:

```
[121]: def twospirals(n_points, noise=.5):
    """
    Returns the two spirals dataset.
    """
    epsilon = 0.1
    n = (np.random.rand(n_points,1)+epsilon) * 780 * (2*np.pi)/360
    d1x = -np.cos(n)*n + np.random.rand(n_points,1) * noise
    d1y = np.sin(n)*n + np.random.rand(n_points,1) * noise

# hstack/vstack stacks data on top of each other (print shape to see what I_U \( \to mean \)
    C_1 = np.hstack((d1x,d1y))
    C_2 = np.hstack((-d1x,-d1y))
    return np.vstack((C_1, C_2))
```

This is a dataset consisting of clusters twisting around each other. You don't need to understand the mathematics behind it, but you can play around with it if you like (make sure to train on the original dataset, not one you created)



- a) Implement the DBSCAN algorithm to classify points of the two clusters.
- b) Plot a scatter plot highlighting the clusters that were found after finding good hyperparameter values eps and minPts.
- c) Print accuracies for different data_size values.
- d) For what kind of data_size values does the algorithm fail and why? What would you say are disadvantages of DBSCAN?

```
[123]: import sys

# the setrecursionlimit function is
# used to modify the default recursion
# limit set by python. Using this,
# we can increase the recursion limit
# to satisfy our needs

sys.setrecursionlimit(10**6)
```

```
def euclidean_distance(x_1, x_2):
           \#print(x_1, x_2)
           return np.sqrt(np.sum((x_1-x_2)**2, axis = 1))
[124]: def lookup_table(dataset,eps):
           lookup_2d_table={}
           for pos, val in enumerate(dataset):
               dist=euclidean_distance(val, dataset)
               lookup_2d_table[pos] = np.argwhere((dist<=eps)==True).flatten()</pre>
           return lookup_2d_table
[125]: 'Noise=None, undefined/unvisited=-1'
       def dbscan(data,Eps=2,minPts=1.7):
           n_points = len(data)
           #print(n_points)
           label = [-1] * n_points
           C=-1 #cluster initialization
           S=set()
           rangeQuery=lookup_table(data,Eps)
           for x, val in enumerate(data):
               if label[x]!=-1: #we only want unvisited points
                   #print('unclassifief:',x)
                   continue
               N=rangeQuery[x]
               if len(N) < minPts: #x is border or noise point
                   label[x]=None #noise point
                   continue #check next point in Dataset X
               C = C + 1
               label[x]=C #x gets new cluster id
               S.update(N)
               S.discard(x)
               while len(S)>0:
                   y=S.pop()
                   if label[y] == None:
                       label[y] = label[x] # y is border point
                   if label[y] !=-1: # y has label, get new y
                       continue
                   label[y] = label[x] #y belongs to x's cluster
                   N = rangeQuery[y]
                   if len(N) >= minPts:# y is core point of same cluster
                       S.update(N)
```

return label

a) Use Mathplotlib to create a scatter plot highlighting the clusters that were found after finding good hyperparameter values eps and minPts.

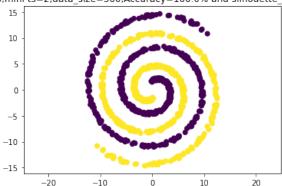
```
[127]: #Eps and minPts hyperparameter tuning
       Eps_list=[x for x in np.arange(0.1,2,0.05)]
       minPts_list=[x for x in np.arange(2,10,1)]
       acc_list=[]
       sil_coef=[]
       tup_list=[]
       for minPts in minPts_list:
           for Eps in Eps_list:
               np.random.seed(10)
               dataset,labels_true=dataset_creation(data_size=500)
               labels=dbscan(dataset,Eps,minPts)
               #cluster_plot(dataset, labels)
               correct_classified=len(np.argwhere((labels_true==labels)==True))
               acc=(correct_classified*100)/len(dataset)
               acc_list.append(acc)
               #print('acc with funct',accuracy_score(labels_true,labels))
               n_clusters = len(set(labels)) - (1 if None in labels else 0)
               #print(f'Accuracy with data size {data_size} is {acc}%')
               labels=[x if x !=None else -1 for x in labels]
               if n_clusters>1:
                   #print("Silhouette Coefficient: %0.3f"% metrics.
        →silhouette_score(dataset, labels))
                   sil_coef.append(metrics.silhouette_score(dataset, labels))
               else:
                   sil_coef.append(-1)
               tup_list.append([Eps,minPts,acc,sil_coef[-1]])
```

```
[128]: best_Eps,best_minPts,best_acc,best_s_c=sorted(tup_list,key=lambda x:⊔

→(x[2],x[3]),reverse=True)[0]
```

```
[132]: #best hyperparameters DBSCAN clustering
    np.random.seed(10)
    dataset,labels_true=dataset_creation(data_size=500)
    labels=dbscan(dataset,best_Eps,best_minPts)
    cluster_plot(dataset,labels,Eps=best_Eps,minPts=best_minPts,data_size=500,acc=best_acc,sil_coef
```

Eps=1.700000000000006,minPts=2,data_size=500,Accuracy=100.0% and silhouette_score=0.012244321540891445

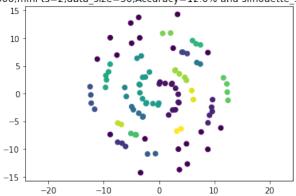


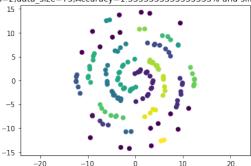
```
[130]: data_size_list=[x for x in range(50,2000,25)]
      acc_list=[]
      sil_coef=[]
      for data_size in data_size_list:
           np.random.seed(10)
           dataset,labels_true=dataset_creation(data_size)
           labels=dbscan(dataset,Eps=best_Eps,minPts=best_minPts)
           #cluster_plot(dataset, labels)
           correct_classified=len(np.argwhere((labels_true==labels)==True))
           acc=(correct_classified*100)/len(dataset)
           acc_list.append(acc)
           #print('acc with funct',accuracy_score(labels_true,labels))
           n_clusters = len(set(labels)) - (1 if None in labels else 0)
           #print(f'Accuracy with data size {data_size} is {acc}%')
           labels=[x if x !=None else -1 for x in labels]
           if 1 < n_clusters:</pre>
               #print("Silhouette Coefficient: %0.3f"% metrics.
        ⇒silhouette_score(dataset, labels))
               sil_coef.append(metrics.silhouette_score(dataset, labels))
           else:
               sil_coef.append(-1)
```

```
plt.plot(data_size_list, acc_list)
plt.title('Accuracy vs Data Size')
plt.ylabel('Data Size')
plt.show()

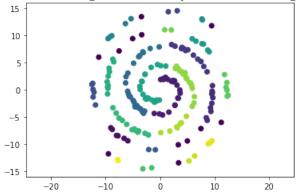
plt.title(' silhouette_score vs Data Size')
plt.ylabel('Data Size')
plt.ylabel('Joan Size')
plt.title(' silhouette_score vs Data Size')
plt.xlabel('Data Size')
plt.xlabel('Data Size')
plt.ylabel('Silhouette_score')
```

Eps=1.7000000000000006,minPts=2,data_size=50,Accuracy=12.0% and silhouette_score=0.2008367911513645

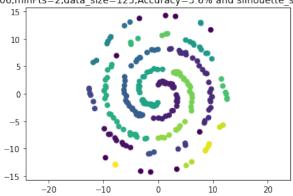


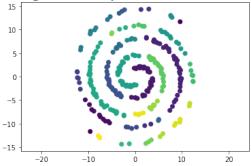


Eps=1.7000000000000006,minPts=2,data_size=100,Accuracy=3.0% and silhouette_score=0.2637407220660134

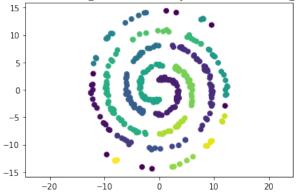


Eps=1.700000000000006,minPts=2,data_size=125,Accuracy=3.6% and silhouette_score=0.17398187024503972

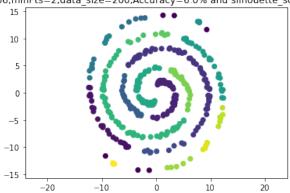




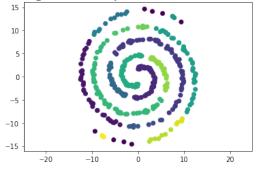
Eps=1.7000000000000006,minPts=2,data_size=175,Accuracy=4.0% and silhouette_score=0.1569257851211373



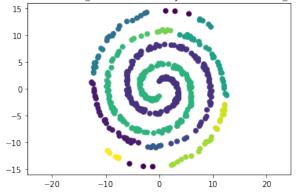
Eps=1.700000000000006,minPts=2,data_size=200,Accuracy=6.0% and silhouette_score=0.050542646783161393



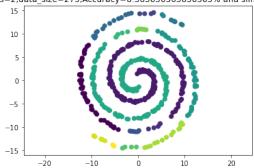
 $Eps = 1.7000000000000006, minPts = 2, data_size = 225, Accuracy = 8.2222222222221\% \ and \ silhouette_score = 0.013939699590679255$



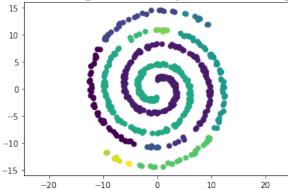
Eps=1.700000000000006,minPts=2,data_size=250,Accuracy=6.2% and silhouette_score=-0.09527084678212139



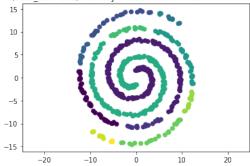
 $Eps = 1.7000000000000006, minPts = 2, data_size = 275, Accuracy = 8.36363636363638 and silhouette_score = -0.06340062718611442 and silhouette_score = -0.06340062718611441442 and silhouette_score = -0.0634006271861144144144144144144144144144$



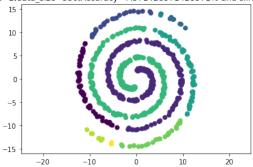
 $Eps = 1.7000000000000006, minPts = 2, data_size = 300, Accuracy = 8.0\% \ and \ silhouette_score = -0.0941172781275175$



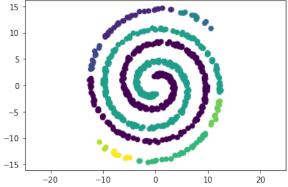
Eps=1.700000000000000,minPts=2,data_size=325,Accuracy=6.153846153846154% and silhouette_score=-0.061474746292681064



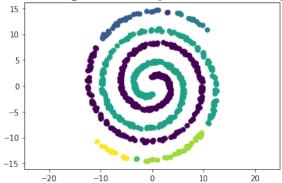
 $Eps = 1.700000000000006, minPts = 2, data_size = 350, Accuracy = 7.571428571428571\% \ and \ silhouette_score = -0.05042942816136573 \ and \ silhouette_score = -0.0504294281$



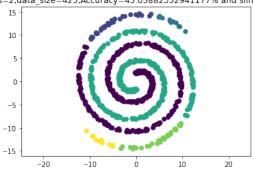
 $Eps = 1.700000000000000006, minPts = 2, data_size = 375, Accuracy = 42.8\% \ and \ silhouette_score = -0.14946110385434855$

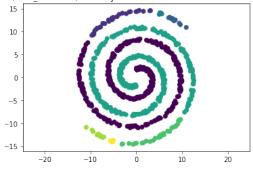


Eps=1.7000000000000006,minPts=2,data_size=400,Accuracy=44.875% and silhouette_score=-0.10632549835640237

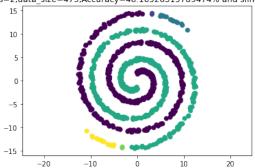


 $Eps = 1.700000000000006, minPts = 2, data_size = 425, Accuracy = 45.05882352941177\% \ and \ silhouette_score = -0.08555220047180072$

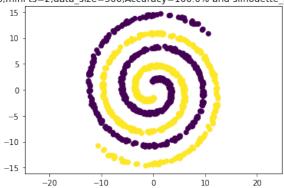




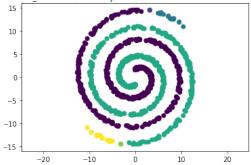
 $Eps = 1.7000000000000000, minPts = 2, data_size = 475, Accuracy = 48.10526315789474\% \ and \ silhouette_score = -0.12578714775942426$



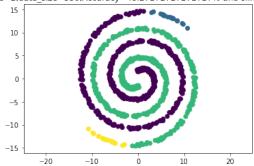
Eps=1.7000000000000006,minPts=2,data_size=500,Accuracy=100.0% and silhouette_score=0.012244321540891445

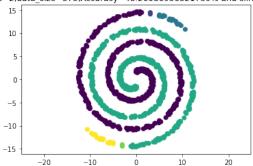


 $Eps = 1.7000000000000006, minPts = 2, data_size = 525, Accuracy = 48.285714285714285\% \ and \ silhouette_score = -0.12091811370874772$

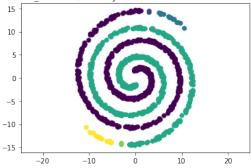


 $Eps = 1.7000000000000006, minPts = 2, data_size = 550, Accuracy = 48.272727272727278 \ and \ silhouette_score = -0.07072518713861597 \ and \ silhouette_score = -0.070725187$

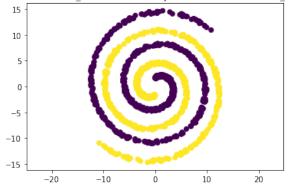




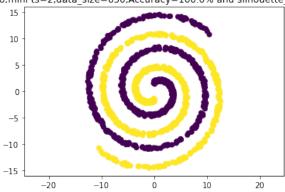
 $Eps = 1.700000000000006, minPts = 2, data_size = 600, Accuracy = 48.3333333333336\% \ and \ silhouette_score = -0.1257434784097256$



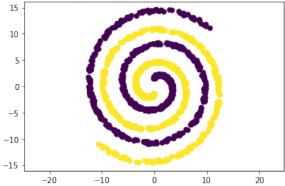
Eps=1.700000000000006,minPts=2,data_size=625,Accuracy=100.0% and silhouette_score=0.011312990192626445



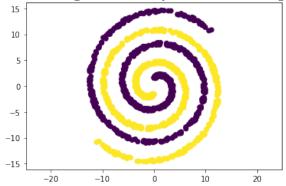
 $Eps = 1.70000000000000000, minPts = 2, data_size = 650, Accuracy = 100.0\% \ and \ silhouette_score = 0.01117413594717043$



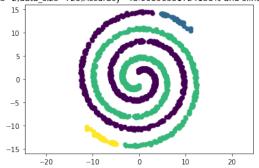
 $Eps = 1.70000000000000000, minPts = 2, data_size = 675, Accuracy = 100.0\% \ and \ silhouette_score = 0.01113453475896022$



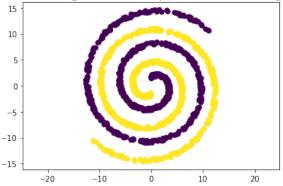
Eps=1.700000000000006,minPts=2,data_size=700,Accuracy=100.0% and silhouette_score=0.011817597382017878



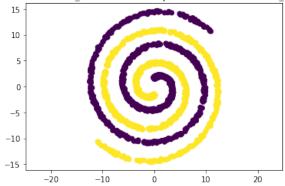
 $Eps = 1.7000000000000006, minPts = 2, data_size = 725, Accuracy = 48.06896551724138\% \ and \ silhouette_score = -0.06655012877321667$



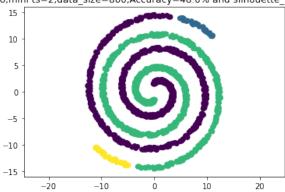
Eps=1.700000000000006,minPts=2,data_size=750,Accuracy=100.0% and silhouette_score=0.009764399037481325



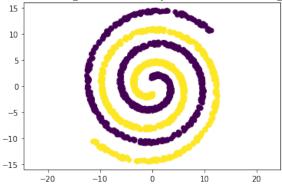
Eps=1.7000000000000006,minPts=2,data_size=775,Accuracy=100.0% and silhouette_score=0.009513268889659659



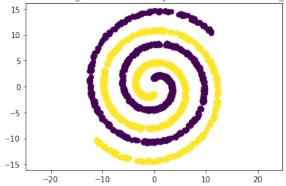
Eps=1.700000000000000,minPts=2,data_size=800,Accuracy=48.0% and silhouette_score=-0.07004732903107024



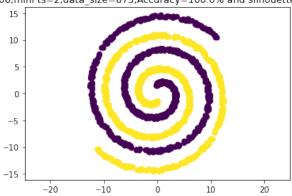
 $Eps = 1.7000000000000006, minPts = 2, data_size = 825, Accuracy = 100.0\% \ and \ silhouette_score = 0.010016288009463576$



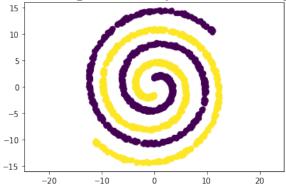
Eps=1.700000000000006,minPts=2,data_size=850,Accuracy=100.0% and silhouette_score=0.010125750329298275



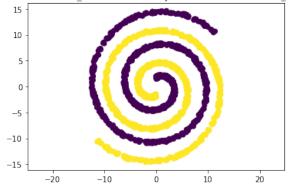
 $Eps = 1.70000000000000006, minPts = 2, data_size = 875, Accuracy = 100.0\% \ and \ silhouette_score = 0.011144945349692$



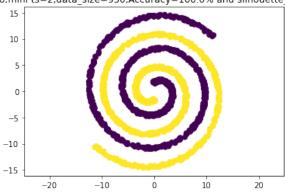
Eps=1.700000000000006,minPts=2,data_size=900,Accuracy=100.0% and silhouette_score=0.01067301722385056



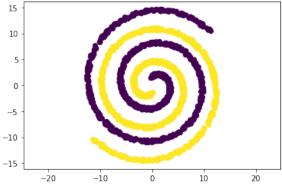
Eps=1.7000000000000006,minPts=2,data_size=925,Accuracy=100.0% and silhouette_score=0.011144815319109347



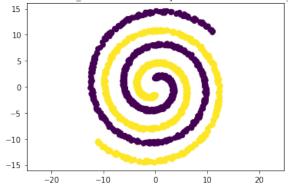
 $Eps = 1.70000000000000000, minPts = 2, data_size = 950, Accuracy = 100.0\% \ and \ silhouette_score = 0.01057131145170482$



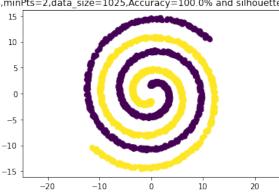
Eps=1.700000000000006,minPts=2,data_size=975,Accuracy=100.0% and silhouette_score=0.010706706355984042



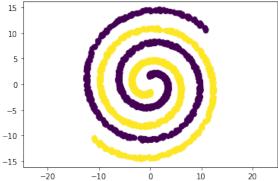
Eps=1.700000000000006,minPts=2,data_size=1000,Accuracy=100.0% and silhouette_score=0.01040579478394302

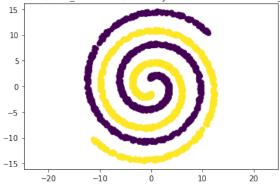


 $Eps = 1.7000000000000006, minPts = 2, data_size = 1025, Accuracy = 100.0\% \ and \ silhouette_score = 0.01024834615955139$

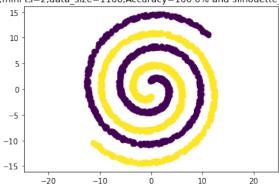


 $Eps = 1.70000000000000006, minPts = 2, data_size = 1050, Accuracy = 100.0\% \ and \ silhouette_score = 0.010500461902693653$

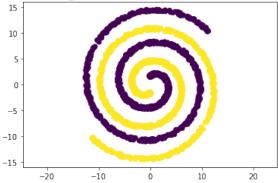




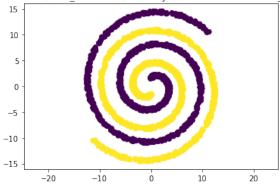
Eps=1.700000000000006,minPts=2,data_size=1100,Accuracy=100.0% and silhouette_score=0.011717842736868054



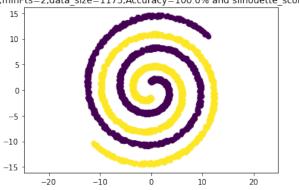
 $Eps = 1.70000000000000006, minPts = 2, data_size = 1125, Accuracy = 100.0\% \ and \ silhouette_score = 0.011832367583451478$

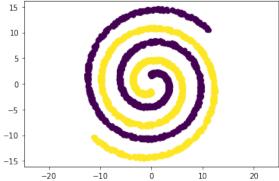


Eps=1.7000000000000006,minPts=2,data size=1150,Accuracy=100.0% and silhouette score=0.011850682424675598

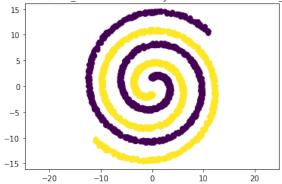


Eps=1.700000000000006,minPts=2,data_size=1175,Accuracy=100.0% and silhouette_score=0.012078593388803375

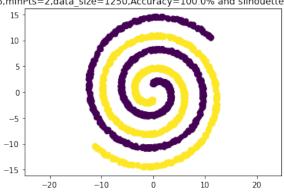




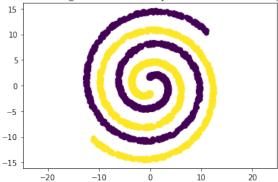
Eps=1.7000000000000006,minPts=2,data_size=1225,Accuracy=100.0% and silhouette_score=0.011258752832758014



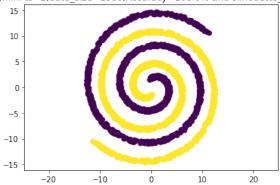
Eps=1.700000000000006,minPts=2,data_size=1250,Accuracy=100.0% and silhouette_score=0.01156644712702995



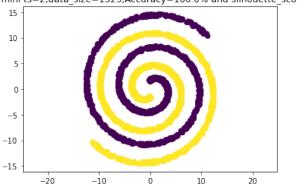
Eps=1.7000000000000006,minPts=2,data_size=1275,Accuracy=100.0% and silhouette_score=0.012104826468294501



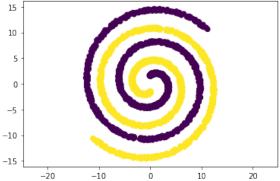
 $Eps = 1.7000000000000006, minPts = 2, data_size = 1300, Accuracy = 100.0\% \ and \ silhouette_score = 0.012306791813037527$



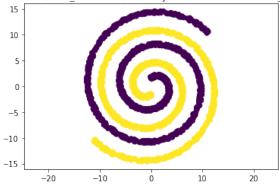
Eps=1.700000000000006,minPts=2,data_size=1325,Accuracy=100.0% and silhouette_score=0.012607949783173252



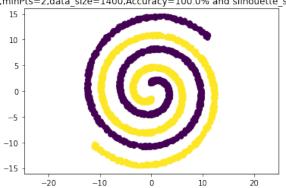
 $Eps = 1.70000000000000006, minPts = 2, data_size = 1350, Accuracy = 100.0\% \ and \ silhouette_score = 0.012116402357904113$



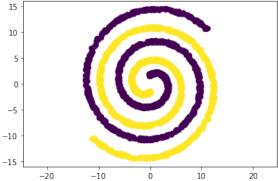
 $Eps = 1.70000000000000006, minPts = 2, data_size = 1375, Accuracy = 100.0\% \ and \ silhouette_score = 0.012175731173002148$



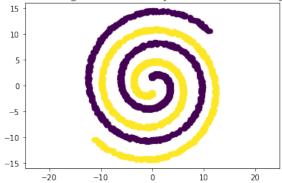
Eps=1.7000000000000006,minPts=2,data_size=1400,Accuracy=100.0% and silhouette_score=0.012526490334264173



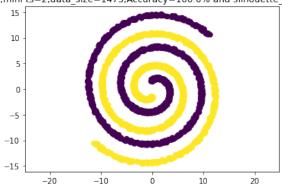
 $Eps = 1.7000000000000000, minPts = 2, data_size = 1425, Accuracy = 100.0\% \ and \ silhouette_score = 0.012367556734626892$



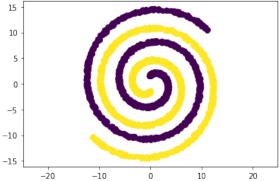
Eps=1.7000000000000006,minPts=2,data_size=1450,Accuracy=100.0% and silhouette_score=0.012117578472492424



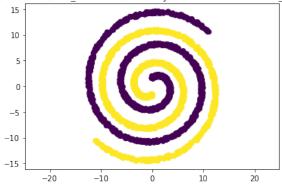
Eps=1.7000000000000006,minPts=2,data_size=1475,Accuracy=100.0% and silhouette_score=0.011642138461134082



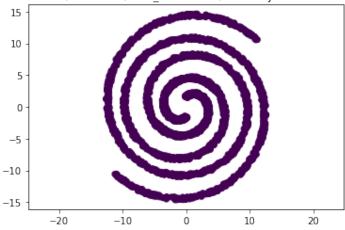
 $Eps = 1.70000000000000006, minPts = 2, data_size = 1500, Accuracy = 100.0\% \ and \ silhouette_score = 0.011429221137357243$



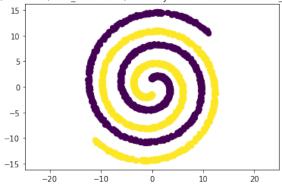
Eps=1.7000000000000006,minPts=2,data size=1525,Accuracy=100.0% and silhouette score=0.011361068123009188



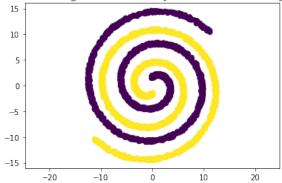
Eps=1.7000000000000006,minPts=2,data_size=1550,Accuracy=50.0% and silhouette_score=-1



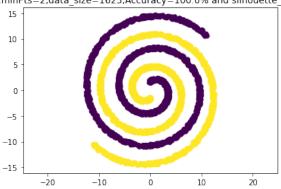
 $Eps = 1.70000000000000006, minPts = 2, data_size = 1575, Accuracy = 100.0\% \ and \ silhouette_score = 0.011579323984580895$



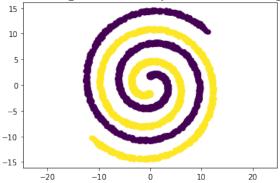
Eps=1.7000000000000006,minPts=2,data_size=1600,Accuracy=100.0% and silhouette_score=0.010973174145703313



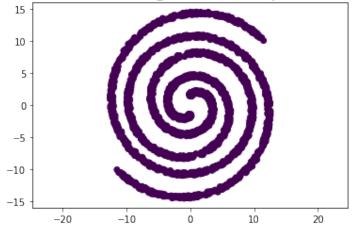
Eps=1.7000000000000006,minPts=2,data_size=1625,Accuracy=100.0% and silhouette_score=0.011170541535697995



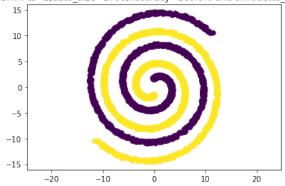
 $Eps = 1.7000000000000000, minPts = 2, data_size = 1650, Accuracy = 100.0\% \ and \ silhouette_score = 0.011303250867985785$



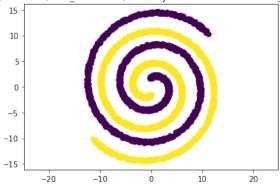
Eps=1.7000000000000006,minPts=2,data_size=1675,Accuracy=50.0% and silhouette_score=-1



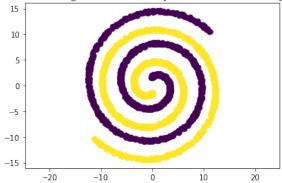
 $Eps = 1.70000000000000006, minPts = 2, data_size = 1700, Accuracy = 100.0\% \ and \ silhouette_score = 0.011389671845722465$



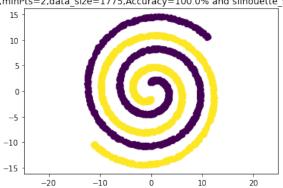
Eps=1.7000000000000006,minPts=2,data_size=1725,Accuracy=100.0% and silhouette_score=0.011067676792955596



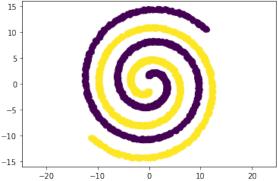
Eps=1.7000000000000006,minPts=2,data_size=1750,Accuracy=100.0% and silhouette_score=0.011353011399665259



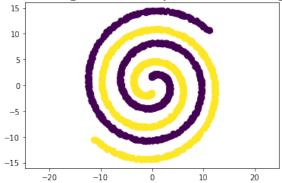
Eps=1.7000000000000006,minPts=2,data_size=1775,Accuracy=100.0% and silhouette_score=0.011672712399032309



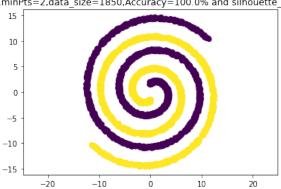
 $Eps = 1.70000000000000006, minPts = 2, data_size = 1800, Accuracy = 100.0\% \ and \ silhouette_score = 0.011437002208963326$



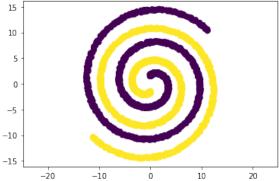
 $Eps = 1.7000000000000000, minPts = 2, data_size = 1825, Accuracy = 100.0\% \ and \ silhouette_score = 0.011734574967226517$



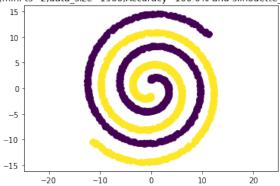
Eps=1.7000000000000006,minPts=2,data_size=1850,Accuracy=100.0% and silhouette_score=0.011853078336505547



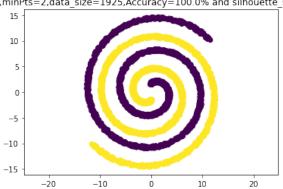
 $Eps = 1.70000000000000006, minPts = 2, data_size = 1875, Accuracy = 100.0\% \ and \ silhouette_score = 0.011543740048755835$



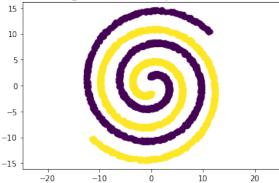
 $Eps = 1.7000000000000006, minPts = 2, data_size = 1900, Accuracy = 100.0\% \ and \ silhouette_score = 0.011308711599192072$



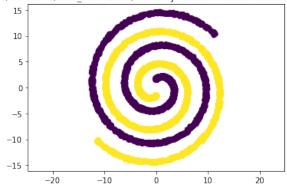
Eps=1.7000000000000006,minPts=2,data_size=1925,Accuracy=100.0% and silhouette_score=0.011393617760104986

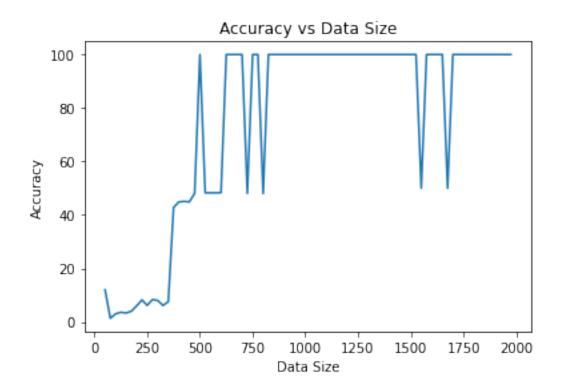


 $Eps = 1.70000000000000006, minPts = 2, data_size = 1950, Accuracy = 100.0\% \ and \ silhouette_score = 0.01131961135073266$



Eps=1.700000000000006,minPts=2,data_size=1975,Accuracy=100.0% and silhouette_score=0.01139958946495019







```
[134]: #(b) Print accuracies for different data_size values.
for data_size, acc in zip(data_size_list, acc_list):
    print('Data Size:',data_size,' Accuracy:',acc)
Data Size: 50 Accuracy: 12.0
```

Data Size: 225 Accuracy: 8.2222222222221

Data Size: 250 Accuracy: 6.2

Data Size: 100 Accuracy: 3.0

Data Size: 275 Accuracy: 8.363636363636363

Data Size: 300 Accuracy: 8.0

Data Size: 325 Accuracy: 6.153846153846154
Data Size: 350 Accuracy: 7.571428571428571

Data Size: 375 Accuracy: 42.8
Data Size: 400 Accuracy: 44.875

Data Size: 500 Accuracy: 100.0

Data Size: 525 Accuracy: 48.285714285714285

```
Data Size: 550 Accuracy: 48.272727272727
Data Size: 575 Accuracy: 48.26086956521739
Data Size: 600
                Accuracy: 48.33333333333336
Data Size: 625
                Accuracy: 100.0
                Accuracy: 100.0
Data Size: 650
Data Size: 675
                Accuracy: 100.0
Data Size: 700
                Accuracy: 100.0
Data Size: 725
                Accuracy: 48.06896551724138
Data Size: 750
                Accuracy: 100.0
Data Size: 775
                Accuracy: 100.0
Data Size: 800
                Accuracy: 48.0
                Accuracy: 100.0
Data Size: 825
Data Size: 850
                Accuracy: 100.0
Data Size: 875
                Accuracy: 100.0
Data Size: 900
                Accuracy: 100.0
Data Size: 925
                Accuracy: 100.0
Data Size: 950
                Accuracy: 100.0
Data Size: 975
                Accuracy: 100.0
Data Size: 1000
                Accuracy: 100.0
Data Size: 1025
                Accuracy: 100.0
Data Size: 1050
                 Accuracy: 100.0
Data Size: 1075
                 Accuracy: 100.0
Data Size: 1100
                 Accuracy: 100.0
Data Size: 1125
                 Accuracy: 100.0
Data Size: 1150
                Accuracy: 100.0
Data Size: 1175
                 Accuracy: 100.0
Data Size: 1200
                 Accuracy: 100.0
Data Size: 1225
                 Accuracy: 100.0
Data Size: 1250
                 Accuracy: 100.0
Data Size: 1275
                 Accuracy: 100.0
Data Size: 1300
                 Accuracy: 100.0
Data Size: 1325
                 Accuracy: 100.0
Data Size: 1350
                 Accuracy: 100.0
Data Size: 1375
                 Accuracy: 100.0
Data Size: 1400
                 Accuracy: 100.0
Data Size: 1425
                 Accuracy: 100.0
Data Size: 1450
                 Accuracy: 100.0
Data Size: 1475
                 Accuracy: 100.0
Data Size: 1500
                 Accuracy: 100.0
Data Size: 1525
                 Accuracy: 100.0
Data Size: 1550
                Accuracy: 50.0
                 Accuracy: 100.0
Data Size: 1575
Data Size: 1600
                 Accuracy: 100.0
Data Size: 1625
                 Accuracy: 100.0
Data Size: 1650
                 Accuracy: 100.0
Data Size: 1675
                 Accuracy: 50.0
Data Size: 1700
                 Accuracy: 100.0
Data Size: 1725 Accuracy: 100.0
```

```
Data Size: 1750 Accuracy: 100.0
Data Size: 1775 Accuracy: 100.0
Data Size: 1800 Accuracy: 100.0
Data Size: 1825 Accuracy: 100.0
Data Size: 1850 Accuracy: 100.0
Data Size: 1875 Accuracy: 100.0
Data Size: 1900 Accuracy: 100.0
Data Size: 1925 Accuracy: 100.0
Data Size: 1950 Accuracy: 100.0
Data Size: 1950 Accuracy: 100.0
Data Size: 1975 Accuracy: 100.0
```

(c) For what kind of data_size values does the algorithm fail and why? What would you say are disadvantages of DBSCAN?

Ans: From above graph of accuracy versus data size, we can depict that with Data Size less than 500 DBSCAN fail as data is too sparse and if we keep varying the density then with some values of data size higher than 500 it fail sometimes. Note: Here data size 500 means 500(positive)+500(negative)

Disadvantages of DBSCAN:

- -> Does not work well when dealing with clusters of varying densities and if the dataset is too sparse.
- -> While DBSCAN is great at separating high density clusters from low density clusters, DBSCAN struggles with clusters of similar density.
- -> Struggles with high dimensionality data.
- -> Sampling affects density measures
- -> Sensitive to clusters parameters Eps and minPts