

Dynamic

Video - 80

Programming



Note :- This playlist is only for explanation of Dns & solutions.

See my "DP Concepts & Dns"
playlist for understanding
DP from scratch...



5th Jan, 2024

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Re + New
↳ Bkdr. up

Company :- PanyU

Count possible ways to construct buildings

Medium

Accuracy: 38.53%

Submissions: 39K+

Points: 4



There is a road passing through a city with N plots on both sides of the road. Plots are arranged in a straight line on either side of the road. Determine the total number of ways to construct buildings in these plots, ensuring that no two buildings are adjacent to each other. Specifically, buildings on opposite sides of the road cannot be adjacent.

Using $*$ to represent a plot and $||$ for the road, the arrangement for $N = 3$ can be visualized as follows: $***||***$

Note: As the answer can be very large, print it $\text{mod } 10^9 + 7$.

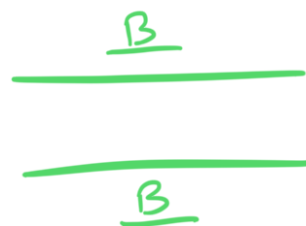
Example 1:

Input: $N = 1$

Output: 4

Explanation:

Possible ways for the arrangement are $B||*$, $*||B$, $B||B$, $*||*$ where B represents a building.



S

B

B

S



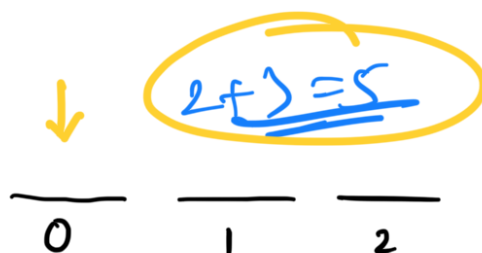
Recursion (Tree Di)

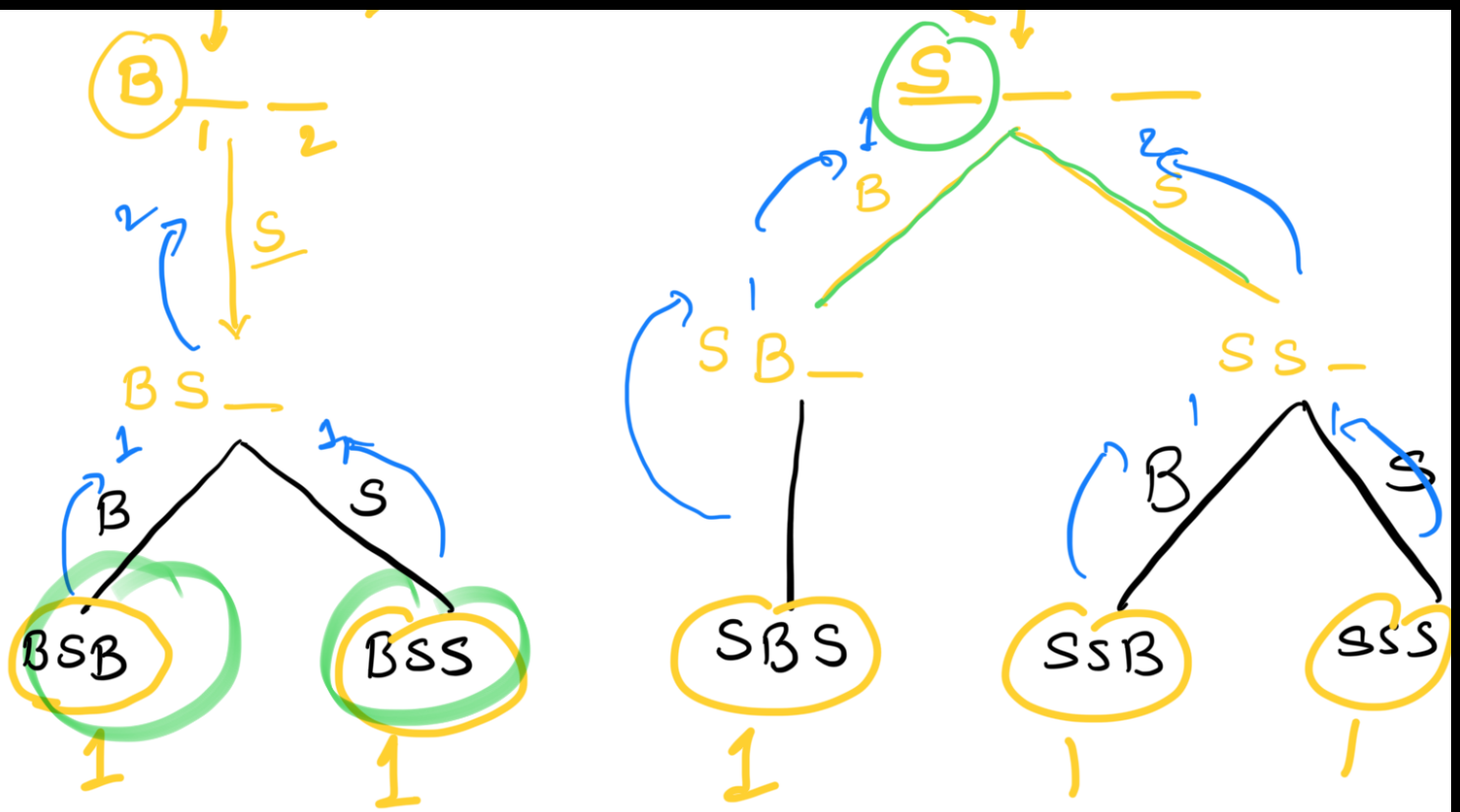
SSB
BSB SSS
BSS SSS
N=3



$$5 \times 5 = 25$$

N=3





Story to code :-

building = 1 ;
space = 0 ;

$x = \text{Solve}(n-1, \text{building}) + \text{Solve}(n-1, \text{space})$

return $(x * x) \% M$;

int Solve (plot , int status) {

if (plot == 0) {

return 1 ;

}

```

    if (status == building) {
        return solve(plot-1, space) ;
    } else { // status == space
        return solve(plot-1, building) +
               solve(plot-1, space) ;
    }
}
return -1;
}

```

Bottom UP

$N = 3$

$0, 1, 2, \dots, i^{\text{th}} \dots (n-1)$

$t[i][j]$ = no. of ways of const. build
till i^{th} plot with status j

$j = 0 \rightarrow \text{space}$

$j = 1 \rightarrow \text{Building}$

```

int solve(int plot, int status) {
    if(plot == 0) {
        return 1;
    }

    if(t[plot][status] != -1) {
        return t[plot][status];
    }

    if(status == building) {
        return t[plot][status] = solve(plot-1, space) % M;
    } else {
        return t[plot][status] = (solve(plot-1, building) % M +
                                   solve(plot-1, space) % M) % M;
    }
}

```



for (i = 0 ; i < N ; i++)

for (j = 0 ; j < 2 ; j++) {

if (i == 0) {
t[i][j] = 1;

}

if (j == building) {

t[i][j] = t[i-1][space];

else {

t[i][j] = t[i-1][building]
+ t[i-1][space];

}

}

}

$$t(i)(j)$$

$$x = \underset{\uparrow}{t[N-1]}[\text{building}] + \underset{\uparrow}{t[N-1]}[\text{space}]$$

$$x \in (x * x) \underline{\underline{M}}$$