

# Dynamic

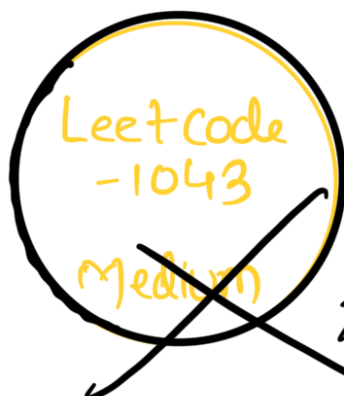
Video - 85

# Programming



Note :- This playlist is only for explanation of Dns & solutions.

See my "DP Concepts & Dns" playlist for understanding DP from scratch...



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## 1043. Partition Array for Maximum Sum

Medium Topics Companies Hint

Given an integer array `arr`, partition the array into (contiguous) subarrays of length **at most** `k`. After partitioning, each subarray has their values changed to become the maximum value of that subarray.

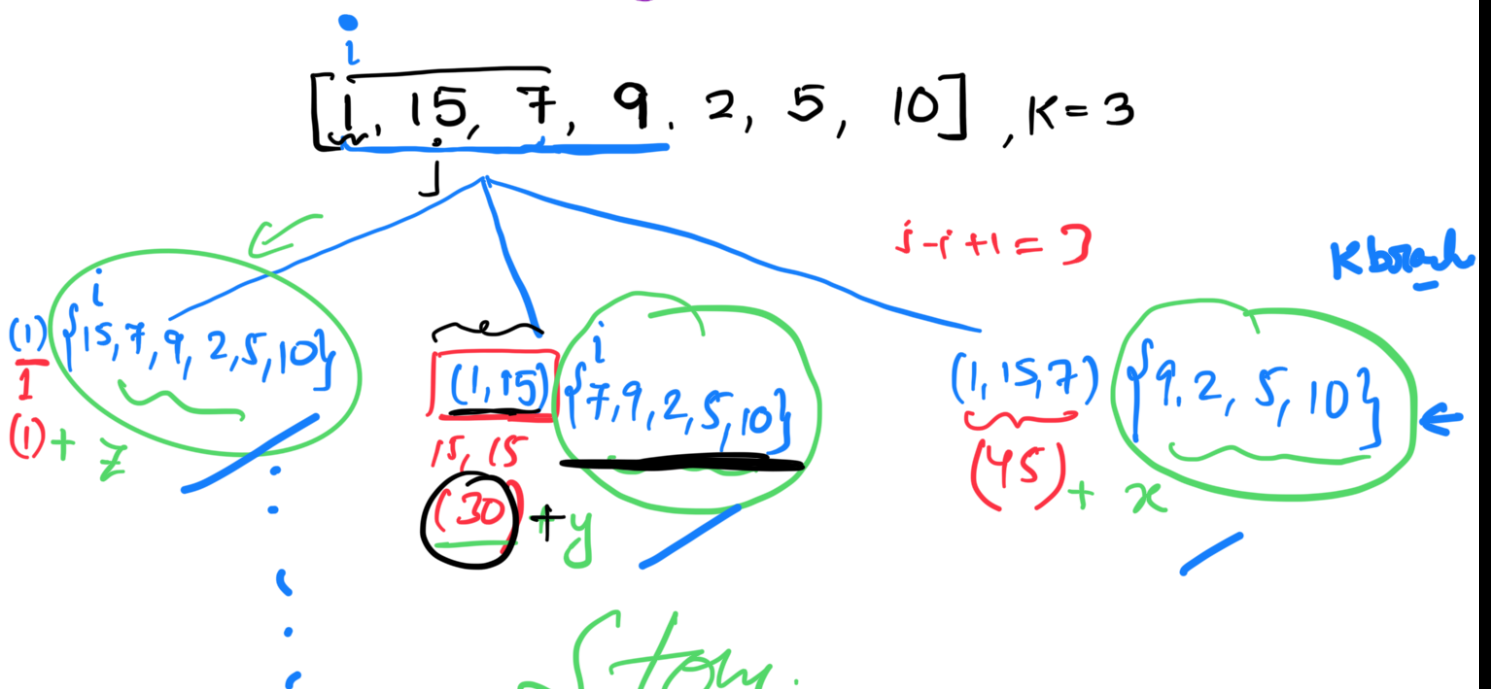
Return the largest sum of the given array after partitioning. Test cases are generated so that the answer fits in a **32-bit** integer.

Example:-  $[1, 15, 7, 9, 2, 5, 10]$ ,  $K=3$

Output :- 84

## Thought Process

Why DP???



## Story To Code:

```
int Solve (i, arr, K) {  
    if (i >= arr.size()) return 0;  
  
    result = 0;  
    cur_max = -1;  
    for (j=i ; j<n && j-i+1<=K ; j++) {  
        cur_max = max(cur_max, arr[j]);  
        result = max(result, ((j-i+1) * cur_max) + Solve(j+1,  
arr, K));  
    }  
    return result;  
}
```

Time Complexity :-

without Memo :-  $O(K^n)$  (Exp)

with Memo :-  $O(n * K)$

Bottom up:-

nums = [1, 15, 7, 9, 2, 5, 10], K=3

// t[i] = Maximum sum by partitioning the array of size i

return

t[n];

// t[n+1];

$i=1 \quad \leftarrow \text{only one element}$

$i=2 \quad \leftarrow \text{on the ch}$

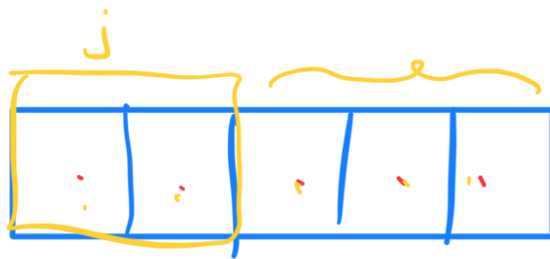
size  $\leftarrow \text{for } (i = \underline{1} ; i \leq n ; i++) \{$

subarray  
size  $\leftarrow \text{for } (j = 1 ; j \leq K \text{ \& } i-j \geq 0 ; j++)$

$\Rightarrow \text{curr\_max} = \max(\text{curr\_max}, \text{arr}[i-j]);$

$\Rightarrow t[i] = \max(t[i], (\text{curr\_max} * j) + t[i-j]);$   
}

return  $t[n];$



size = 6 (i)

$\leftarrow \text{size 24}$

