

Data Mining

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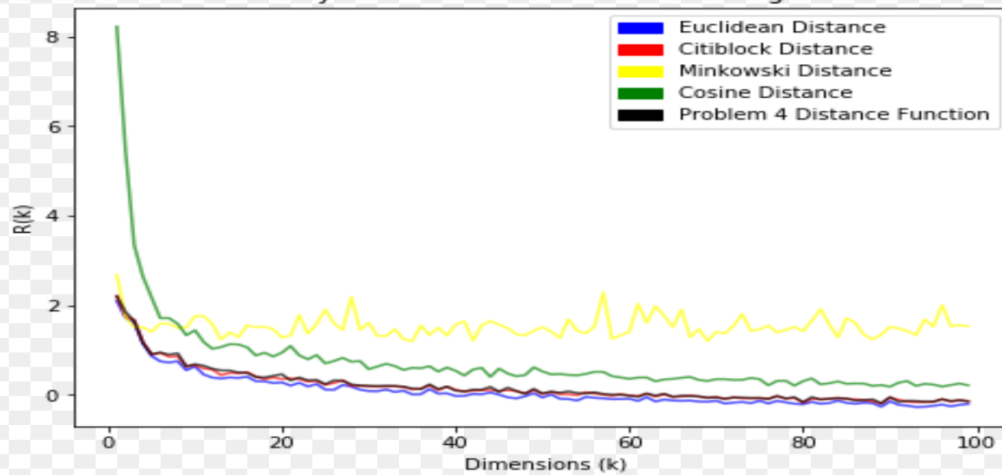
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The Curse of Dimensionality

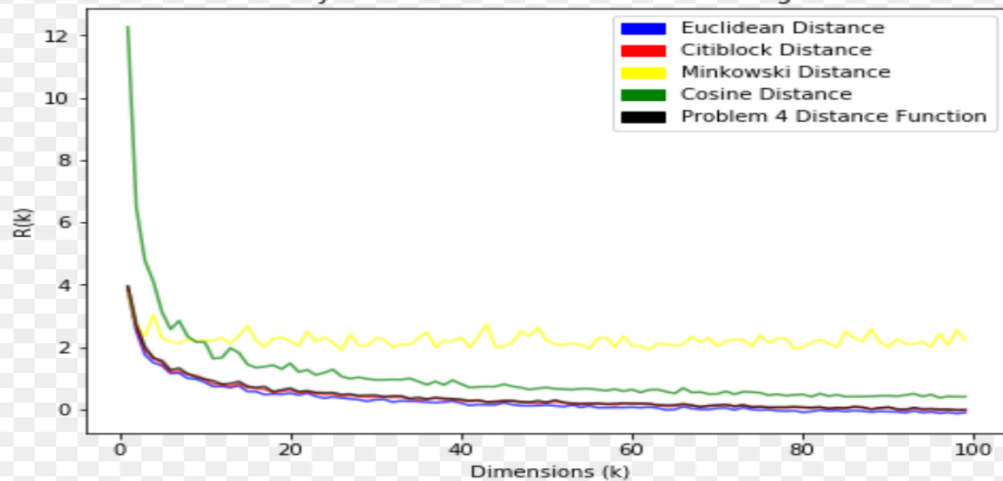
Part A

Analysing the Curse of Dimensionality problem when the data comes from a uniform random source

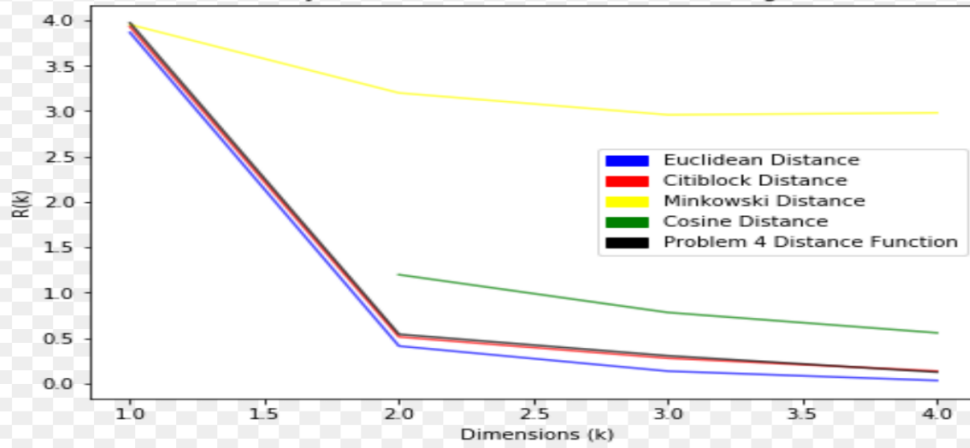
The Curse Of Dimensionality for $n=100$ with Uniform random generator between 0 and 1



The Curse Of Dimensionality for $n=1000$ with Uniform random generator between 0 and 1



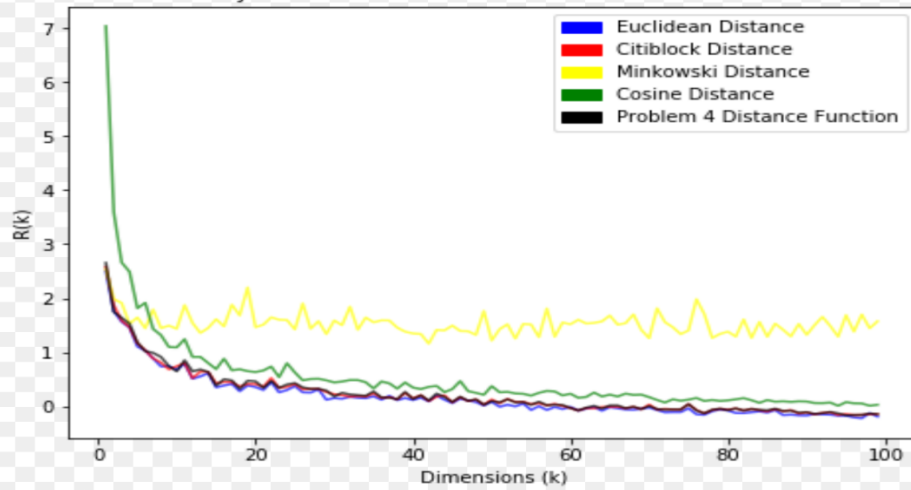
The Curse Of Dimensionality for $n=10000$ with Uniform random generator between 0 and 1



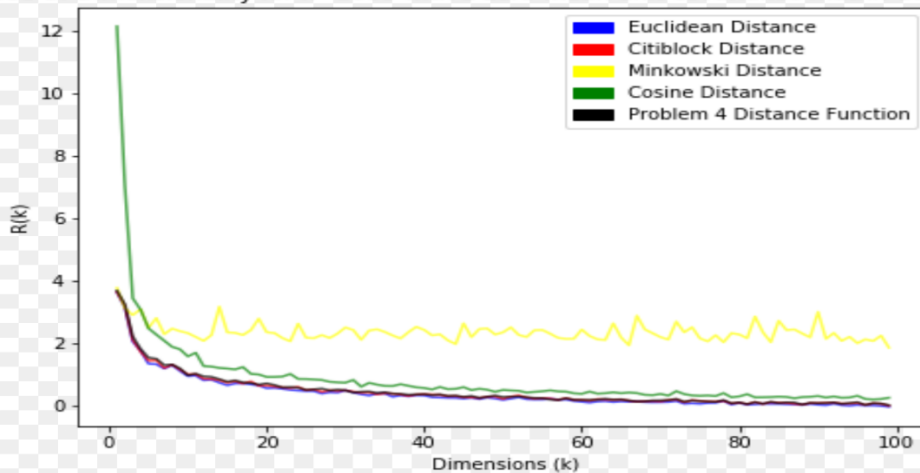
Part B

Repeated the experiment, with the data being generated from a gaussian source

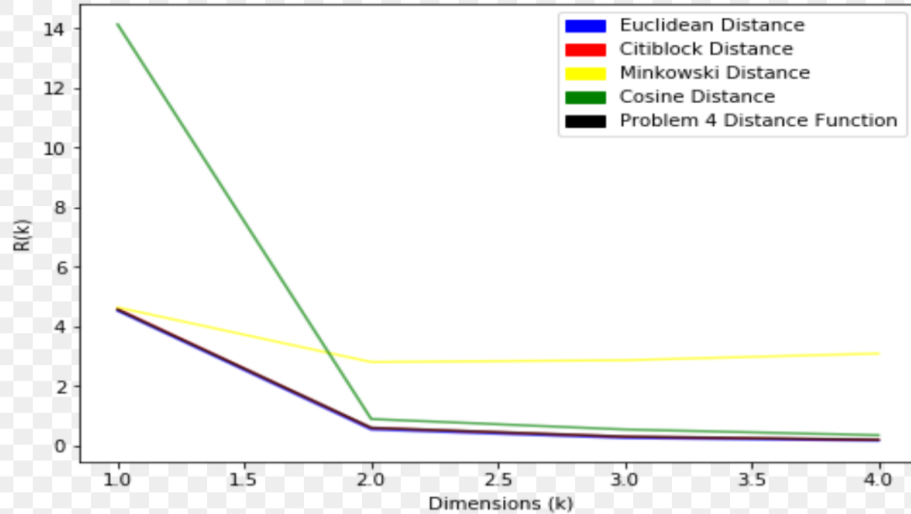
The Curse Of Dimensionality for $n=100$ with a zero-mean unit-covariance matrix Gaussian source



The Curse Of Dimensionality for $n=1000$ with a zero-mean unit-covariance matrix Gaussian source



The Curse Of Dimensionality for $n=10000$ with a zero-mean unit-covariance matrix Gaussian source



Explanation

- It is observed that as the dimensionality increases all the distance metrics tend to drop in $R(k)$ measure, thereby proving that in higher dimensions of space most of the distance metrics are performing slightly similar.
- It is inferred from the graphs that the Minkowski distance metric specified here is more applicable for high dimensional data compared to the other metrics. It is also notable that the P value ($p=3$) contributes to this effect.
- We can also notice that for increasing values of n the $R(k)$ values are performing slightly better with less spikes or variations.