Lecture 2/12

Reminders: PS 2 due 2/23, posted this afternoon, names assigned randomly Midterm 1 2/26

Today:

Long-run expansion path graphically Short-run firm supply -> profit max rule P=MC -> Shut down rule Short-run competitive equilibrium

A question to consider:

Suppose my production function is f CL, K, M) and K is fixed in the SR but Land M are variable How would I find the short-run cost curve? $\underline{\mathcal{I}}(L,M,2) = WL + pM + r\overline{K} + \lambda (q - fCL,\overline{K},M)$

the long-run cost curve? I(L, M, k, 2) = WL+pM+rk + 2 (q-fCG, K, M)) W = P = I MP. MP. MP.

long-run expansion path - cost-minimizing input (LREP) combinations for varia

Ex. f(L,k)=L"/3K"3 $\frac{W}{r} = \frac{1/3 L^{-2/3} K^{1/3}}{1/2 L^{1/3} K^{-2/3}} = \frac{K}{L}$ combinations for various

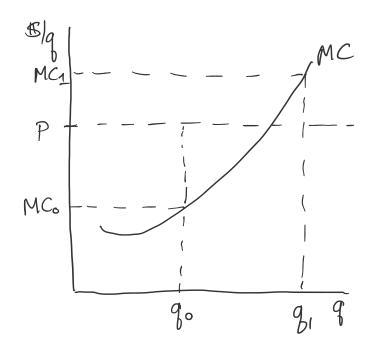
& LREP is the collection of all pts where this is frue

levels of ontput

Remind ourselves what we know about SR 8/2 How much should I produce? goal: max TT TI(q) = R(q) - C(q)revenue - cost 2nd order condition max TT(q) = R(q)- C(q) $\frac{dR}{dq} - \frac{dC}{dq} = 0$ 1st order condition MR=MC & TI-max (general) Perfectly competitive mkt => all agents take price

as given $R(q) = P \cdot q = \int \frac{dR}{dq} = MR = P$

for competitive firms TI-max requires p=MC 2nd order condition $\frac{-d^2C}{dq^2} \ge 0 \implies \frac{d^2C}{dq_s^2} > 0$



suppose I'm producing go

if I sell a little more, I

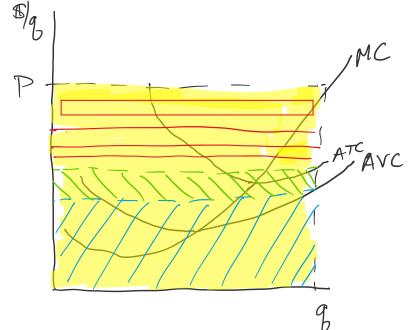
collect p in extra revenue

and spend MCo in extra

cost => TT increased

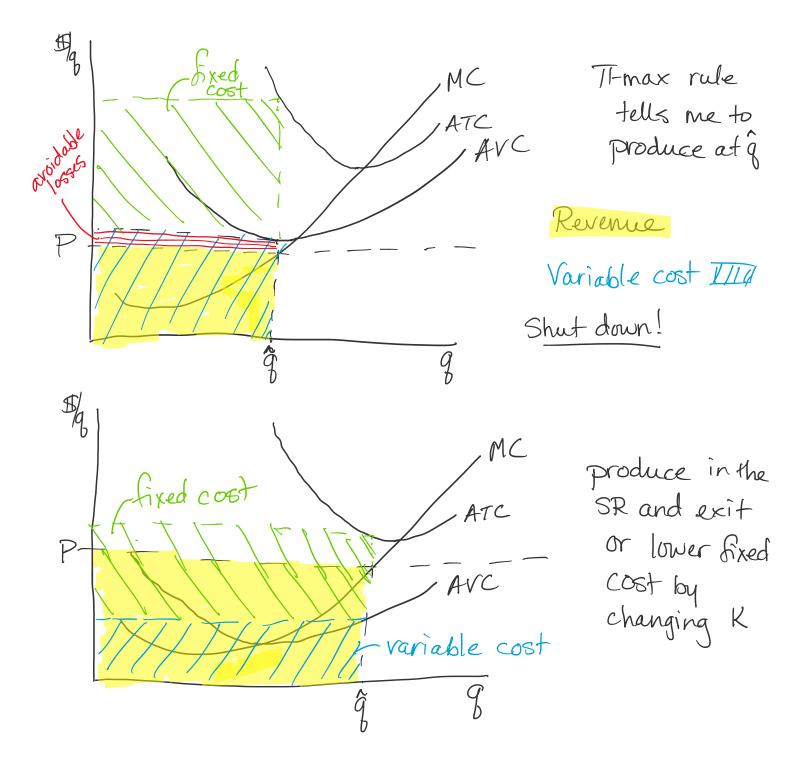
if I producing 91 and sell 1 fewer unit, I lose Pin revenue but save MC1 in cost => TT increased

Measure profit graphically



Revenue

Variable cost MANC Fixed cost PATC Profit ATC



Put this together to find firm's SP supply curve

MC

Supply curve

Supply curve

firm's supply

curve is its

MC curve

8

above AVC