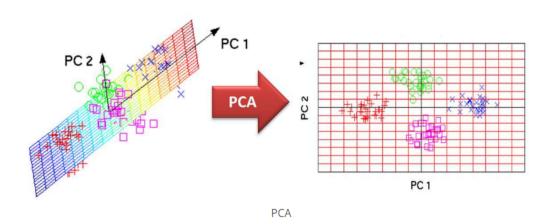
Principal Component Analysis (PCA)

- PCA (Principal Component Analysis) is a dimensionality reduction technique used in data analysis and machine learning.
- It helps to reduce the number of features in a dataset while keeping the most important information.
- It makes the large data set simpler, easy to explore and visualize. Also, it reduces the computational complexity of the model which makes machine learning algorithms run faster.



```
In []: import numpy as np
import pandas as pd
import matplotlib.pyplot as plt
import seaborn as sns

In []: # Creating a sample dataset with features: Height, Weight, Age, and Gender
data = {
    'Height': [170, 165, 180, 175, 160, 172, 168, 177, 162, 158],
    'Weight': [65, 59, 75, 68, 55, 70, 62, 74, 58, 54],
    'Age': [30, 25, 35, 28, 22, 32, 27, 33, 24, 21],
    'Gender': [1, 0, 1, 1, 0, 1, 0, 1, 0, 0] # 1 = Male, 0 = Female
}
```

View the dataset

```
In [ ]: df = pd.DataFrame(data)
    df
```

| Out[]: | | Height | Weight | Age | Gender |
|---------|---|--------|--------|-----|--------|
| | 0 | 170 | 65 | 30 | 1 |
| | 1 | 165 | 59 | 25 | 0 |
| | 2 | 180 | 75 | 35 | 1 |
| | 3 | 175 | 68 | 28 | 1 |
| | 4 | 160 | 55 | 22 | 0 |
| | 5 | 172 | 70 | 32 | 1 |
| | 6 | 168 | 62 | 27 | 0 |
| | 7 | 177 | 74 | 33 | 1 |
| | 8 | 162 | 58 | 24 | 0 |
| | 9 | 158 | 54 | 21 | 0 |

Structure of the dataset

```
In [ ]: df.info()
      <class 'pandas.core.frame.DataFrame'>
      RangeIndex: 10 entries, 0 to 9
      Data columns (total 4 columns):
       # Column Non-Null Count Dtype
      --- ----- -----
          Height 10 non-null
                                 int64
          Weight 10 non-null
                                 int64
       2
           Age
                  10 non-null
                                 int64
           Gender 10 non-null
                                 int64
      dtypes: int64(4)
      memory usage: 452.0 bytes
In [ ]: df.describe()
```

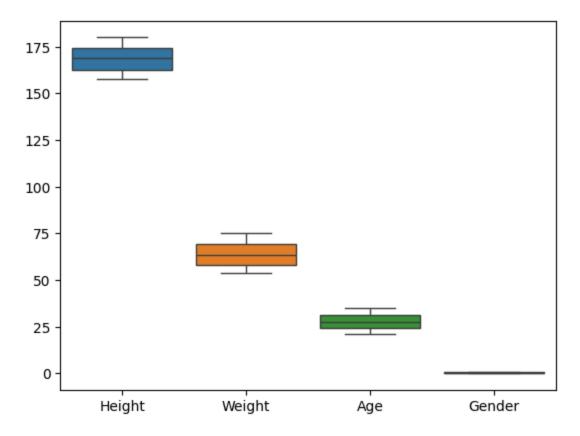
| Out[]: | | Height | Weight | Age | Gender |
|---------|-------|------------|----------|-----------|-----------|
| | count | 10.000000 | 10.00000 | 10.000000 | 10.000000 |
| | mean | 168.700000 | 64.00000 | 27.700000 | 0.500000 |
| | std | 7.439385 | 7.60117 | 4.762119 | 0.527046 |
| | min | 158.000000 | 54.00000 | 21.000000 | 0.000000 |
| | 25% | 162.750000 | 58.25000 | 24.250000 | 0.000000 |
| | 50% | 169.000000 | 63.50000 | 27.500000 | 0.500000 |
| | 75% | 174.250000 | 69.50000 | 31.500000 | 1.000000 |
| | max | 180.000000 | 75.00000 | 35.000000 | 1.000000 |

Check the Missing value

dtype: int64

III Data Preprocessing

```
In [ ]: sns.boxplot(data = df)
Out[ ]: <Axes: >
```



- From this boxplot, we can see that there are no outliers in these features.
- To confirm this, we applied the IQR (interquartile range) method below:

```
In [ ]: # Function to detect outliers using IQR
        def detect_outliers_iqr(df, column):
            q1 = df[column].quantile(0.25)
            q3 = df[column].quantile(0.75)
            iqr = q3 - q1
            lower_bound = q1 - 1.5 * iqr
            upper_bound = q3 + 1.5 * iqr
            outliers = df[(df[column] < lower_bound) | (df[column] > upper_bound)]
            return outliers
        # Detect outliers in numerical columns
        numerical_cols = ['Height', 'Weight', 'Age']
        for col in numerical_cols:
            outliers = detect_outliers_iqr(df, col)
            if not outliers.empty:
                print(f"Outliers in '{col}':")
                print(outliers)
            else:
                print(f"No outliers found in '{col}'")
       No outliers found in 'Height'
       No outliers found in 'Weight'
       No outliers found in 'Age'
In [ ]: # Separate the features (X) and target (y)
        X = df.drop('Gender', axis=1)
        y = df['Gender']
```

```
In [ ]: X
```

| Dut[]: | | Height | Weight | Age |
|--------|---|--------|--------|-----|
| | 0 | 170 | 65 | 30 |
| | 1 | 165 | 59 | 25 |
| | 2 | 180 | 75 | 35 |
| | 3 | 175 | 68 | 28 |
| | 4 | 160 | 55 | 22 |
| | 5 | 172 | 70 | 32 |
| | 6 | 168 | 62 | 27 |
| | 7 | 177 | 74 | 33 |
| | 8 | 162 | 58 | 24 |
| | 9 | 158 | 54 | 21 |

☑ Before applying PCA, the dataset must be scaled to ensure that all features are on the same scale

```
In [ ]: # Using Standard Scaler
        from sklearn.preprocessing import StandardScaler
        scaler = StandardScaler()
        X_scaled = scaler.fit_transform(X)
In [ ]: X_scaled
Out[]: array([[ 0.18419807, 0.13867505, 0.50910379],
               [-0.52425605, -0.69337525, -0.59764358],
               [ 1.60110632, 1.52542554, 1.61585117],
               [0.8926522, 0.5547002, 0.06640484],
               [-1.23271018, -1.24807544, -1.26169201],
               [0.46757972, 0.83205029, 0.95180275],
               [-0.09918358, -0.2773501, -0.15494463],
               [ 1.17603385, 1.38675049, 1.17315222],
               [-0.94932853, -0.83205029, -0.81899306],
               [-1.51609183, -1.38675049, -1.48304149]])
In [ ]: from sklearn.decomposition import PCA
        from sklearn.model_selection import train_test_split
        from sklearn.linear_model import LogisticRegression
        from sklearn.metrics import confusion_matrix
In [ ]: # Apply PCA to reduce dimensions to 2 components
        pca = PCA(n_components=2)
        X_pca = pca.fit_transform(X_scaled)
```

```
# Split the dataset into training (70%) and testing (30%)
        X_train, X_test, y_train, y_test = train_test_split(X_pca, y, test_size=0.3, random
In [ ]: # Fit Logistic regression on the PCA-transformed data
        model = LogisticRegression()
        model.fit(X_train, y_train)
Out[ ]:
        LogisticRegression
        LogisticRegression()
In [ ]: # Predict on test data
        y_pred = model.predict(X_test)
In [ ]: | y_pred
Out[]: array([0, 0, 1])
         It's predict 2 female (0) and 1 male(1)
In [ ]: # Evaluate the model
        score = model.score(X_test, y_test)
        print(f"Model Accuracy: {score:.2f}")
       Model Accuracy: 1.00
         Yes! this model works properly and give 100% accuracy because of small dataset.
In [ ]: from sklearn.metrics import confusion_matrix
        import seaborn as sns
        import matplotlib.pyplot as plt
        # Create confusion matrix
        cm = confusion_matrix(y_test, y_pred)
```

```
import seaborn as sns
import matplotlib.pyplot as plt

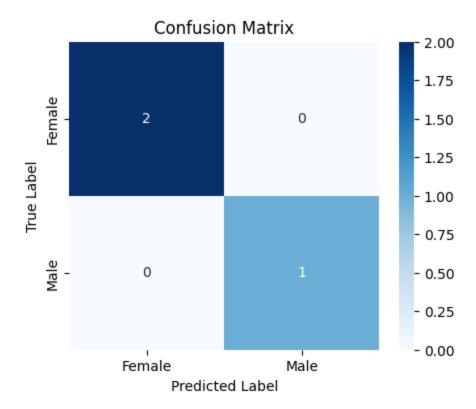
# Create confusion matrix

cm = confusion_matrix(y_test, y_pred)

# Plot confusion matrix

plt.figure(figsize=(5, 4))

sns.heatmap(cm, annot=True, fmt='d', cmap='Blues', xticklabels=['Female', 'Male'],
 plt.xlabel('Predicted Label')
 plt.ylabel('True Label')
 plt.title('Confusion Matrix')
 plt.show()
```



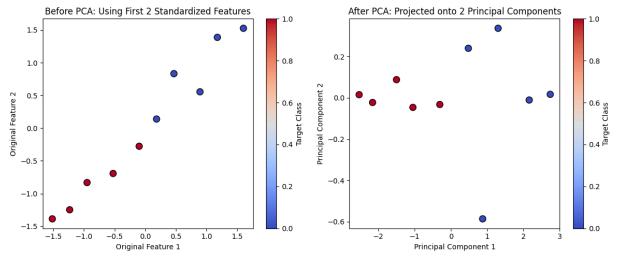
Comment: The confusion matrix shows that the model achieved perfect classification performance for this dataset. It correctly predicted all cases without any misclassification. Specifically, the model identified both actual Female instances correctly (2 true positives) and correctly classified the single Male instance (1 true negative). There were no false positives or false negatives, meaning the model did not confuse one class for the other. As a result, the accuracy, precision, and recall for both classes are all 100%, indicating flawless prediction on the given data.

Visualizing the PCA

```
In [ ]: # Factorize gender labels for color mapping (0 = Female, 1 = Male)
        y_numeric = pd.factorize(y)[0]
        plt.figure(figsize=(12, 5))
        # Plot original standardized features before PCA
        plt.subplot(1, 2, 1)
        plt.scatter(X_scaled[:, 0], X_scaled[:, 1], c=y_numeric, cmap='coolwarm', edgecolor
        plt.xlabel('Original Feature 1')
        plt.ylabel('Original Feature 2')
        plt.title('Before PCA: Using First 2 Standardized Features')
        plt.colorbar(label='Target Class')
        # Plot PCA-reduced features
        plt.subplot(1, 2, 2)
        plt.scatter(X_pca[:, 0], X_pca[:, 1], c=y_numeric, cmap='coolwarm', edgecolor='k',
        plt.xlabel('Principal Component 1')
        plt.ylabel('Principal Component 2')
        plt.title('After PCA: Projected onto 2 Principal Components')
```

```
plt.colorbar(label='Target Class')

plt.tight_layout()
plt.show()
```



Comment: The left plot shows the dataset in its original standardized feature space, where the two features are highly correlated, as indicated by the strong diagonal trend. In this form, both axes contain overlapping information, resulting in redundancy.

On the other hand, the right plot, represents the same data after applying Principal Component Analysis (PCA), where the axes are rotated to form new variables called principal components that do simplify the data, remove correlations, and focus on the most important patterns without losing much information.