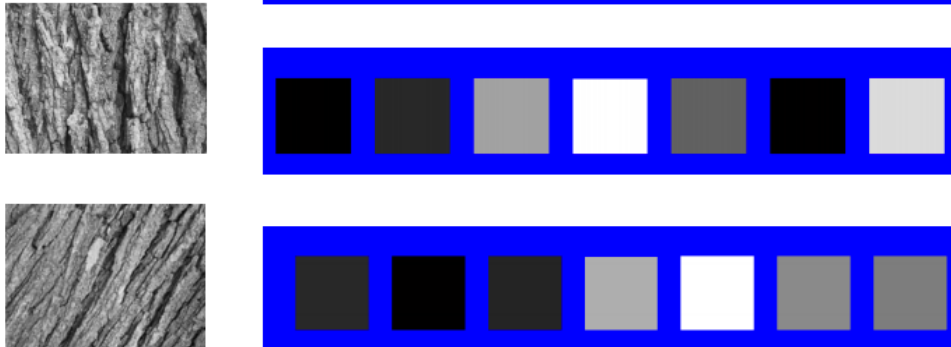


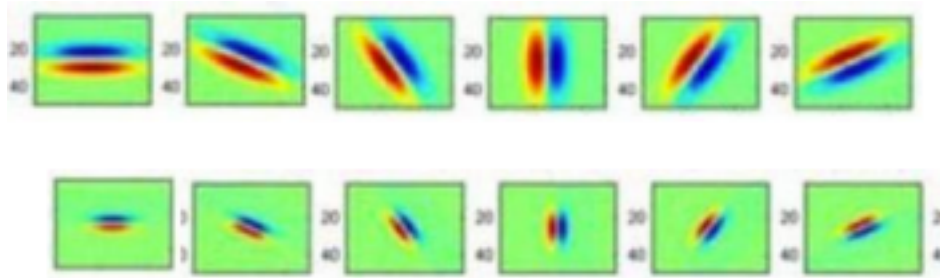
Taylor Yang

998055387

1 if we treat the whole bank as one vector array. Then Yes, the result will look different.



However if we just compare the difference then its rotationally invariant, because this just a scale different.



2 You will make two semi-circle. So the result will cut these two circles in half and the left ones will generate one group and the right ones will generate another group.

3 We will use mean-shift, to recover. For k -means it will difficult to recover because we need the number of clusters to be pre-determined. It has two significant limitations. First, the k -means algorithm requires that the number of clusters to be pre-determined. For a continuous vote space, which means a vote, space where any bin can take on any possible vote value. It is difficult to acclimate an appropriate cluster number, so it's difficult to use k means. Moreover, k -means in general, incapable of identifying non-convex clusters. For graph cuts, Because it wants balanced partitions and time complexity can be high so we don't want use it.

4 Because we already know the blobs and have access to them, we will use k -means which

First get the

Width=columns

Height=rows

ratio= width/height

for i=1: (# of pixels

[idx,C]=kmeans(X,blobs);

find the distance that close to the k means value C

Group these values by the Cluster Center C
end

2 Programming

1. Color quantization with k-means

For lower value $k=5$

RGB error1 = 462330026

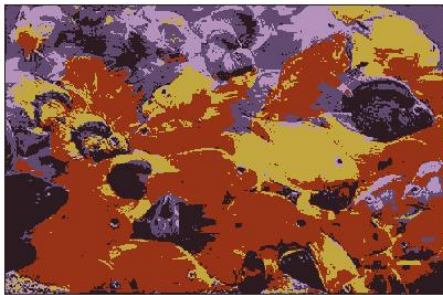
HSV error2 = 6.108184744956442e+09

For higher ($k=25$) value

RGB error1 = 134857035

HSV error2 = 6.108222267724505e+09

RGB1,k=5



HSV1,k=5



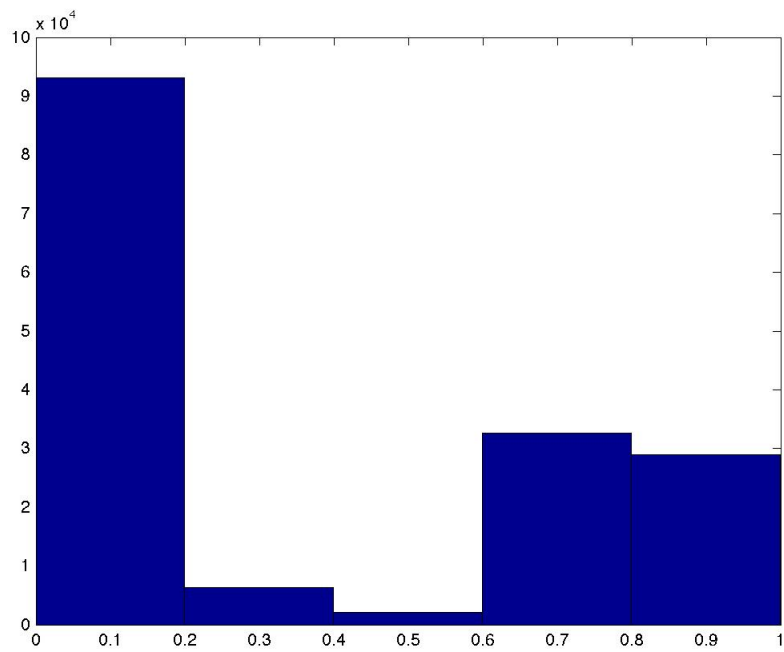
RGB2,k=25



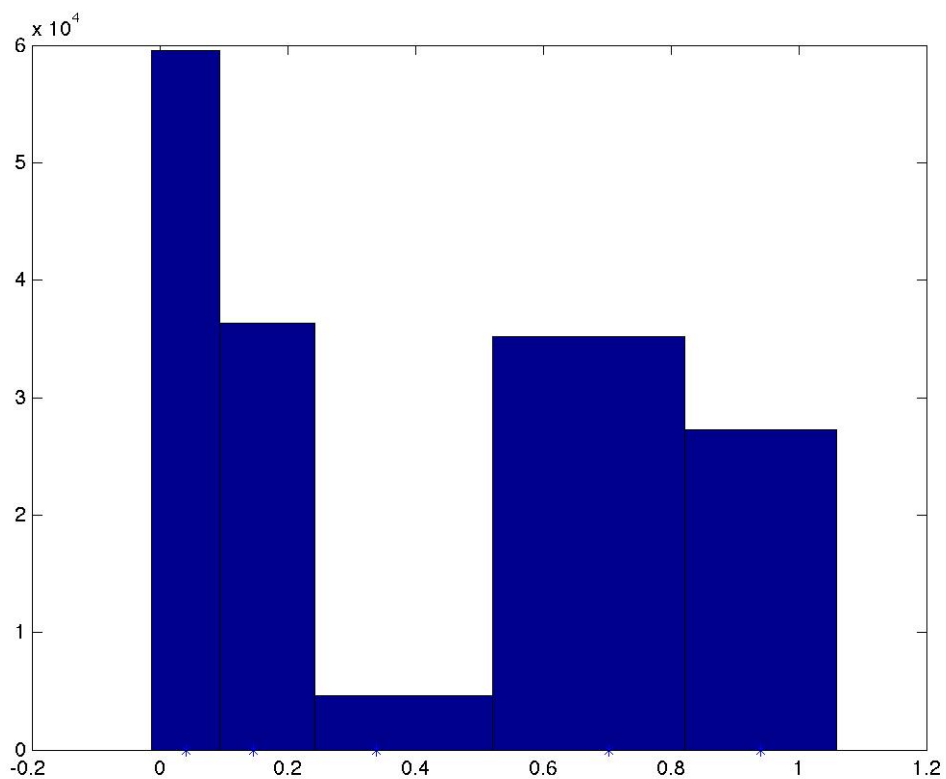
HSV2,k=25



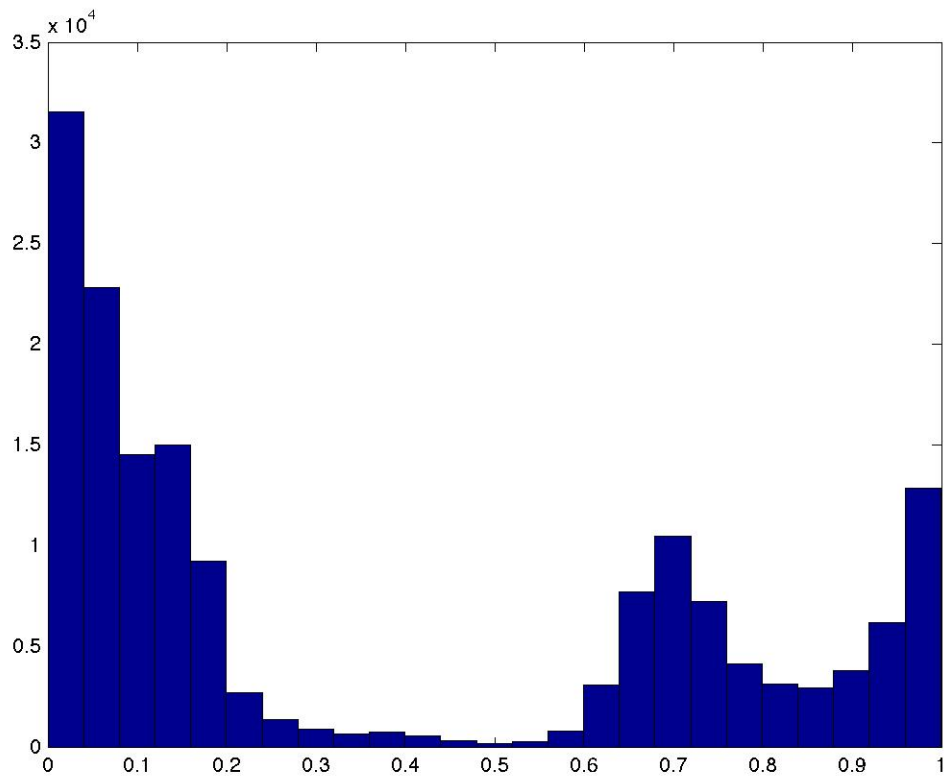
(f)
For lower value $k=5$
use k equally-spaced bins (uniformly dividing up the hue values),



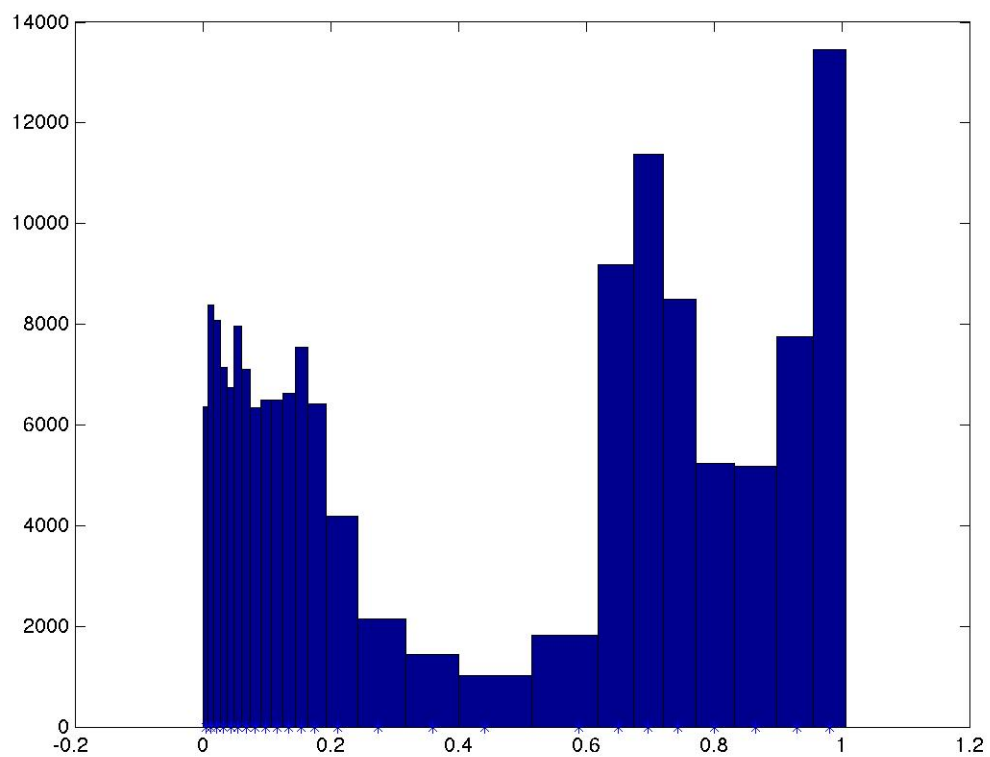
use bins defined by the k cluster center memberships



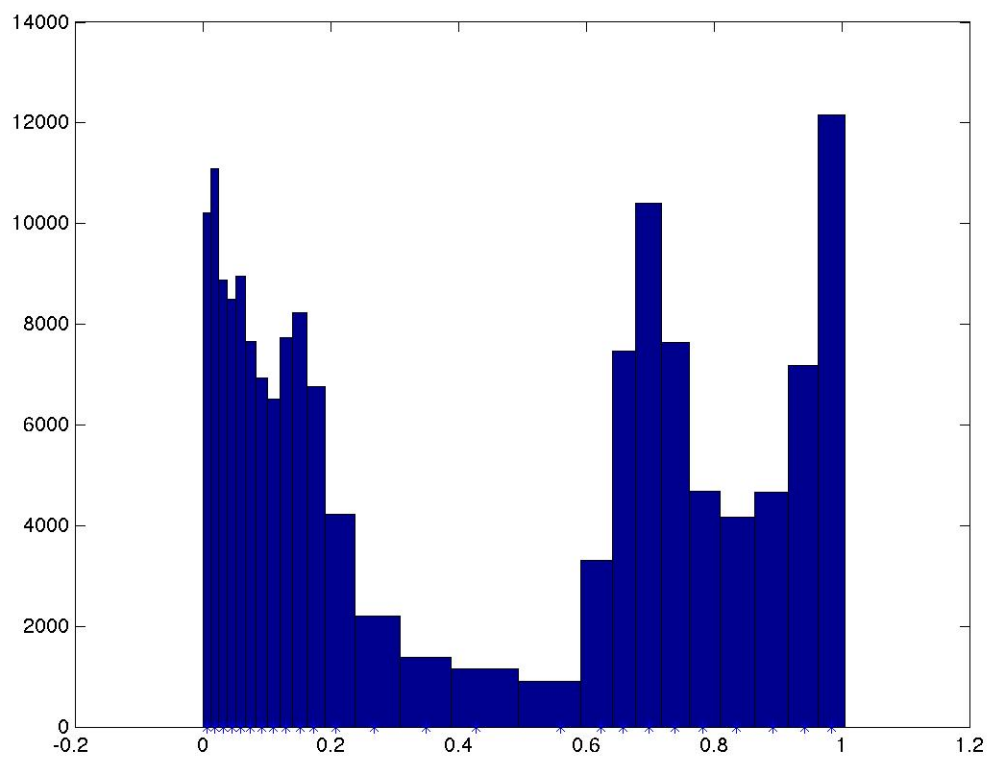
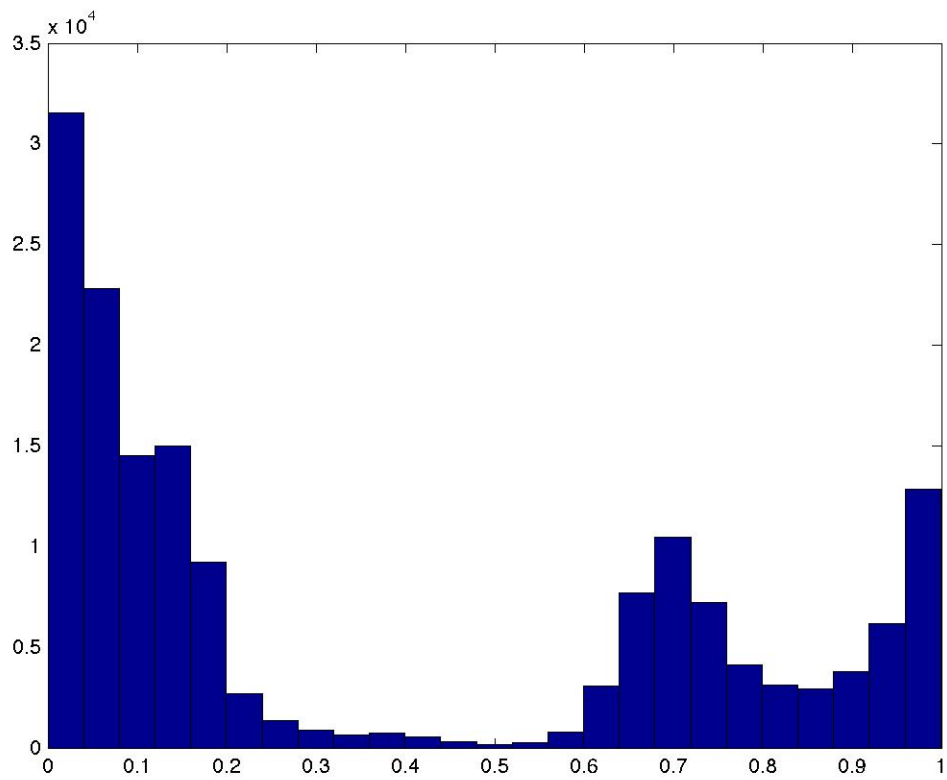
For higher (k=25) value
use k equally-spaced bins (uniformly dividing up the hue values),



use bins defined by the k cluster center memberships



Second Run using k=25



f)

From the above histograms we can see that use k equally spaced bins (uniformly dividing up the hue values) histogram looks a little similar to the histogram use bins defined by the k cluster center memberships. But because we use bins defined by the k cluster membership so the histogram will look different because k is slightly different each time and members group to that k will different.

We can also find out from the plot.jpg that when k value is small the picture is less colorful because we limit the color space.

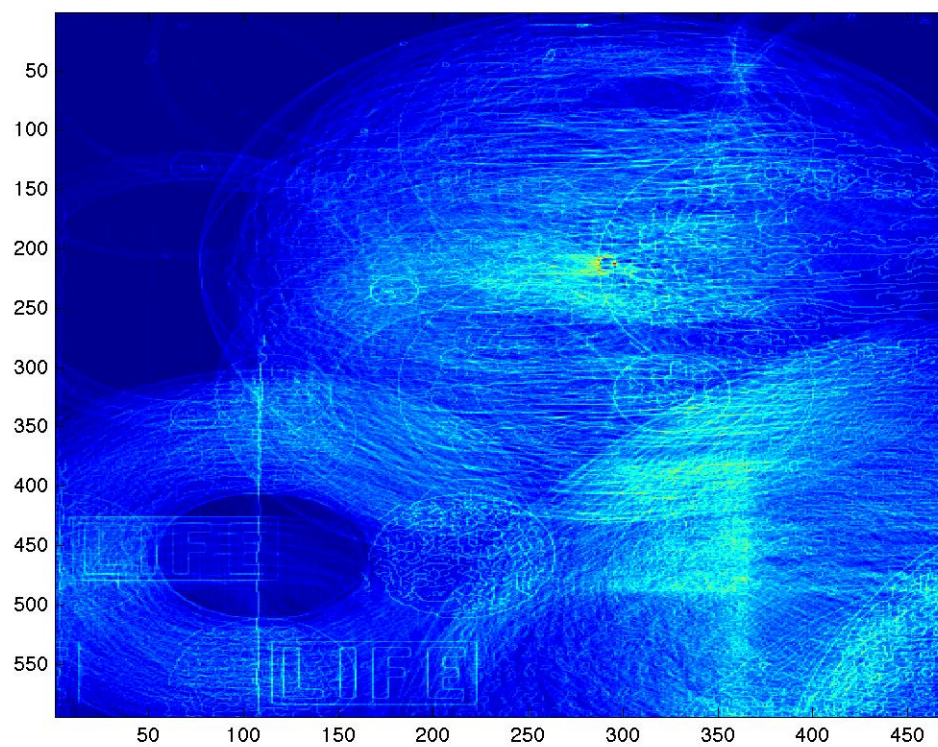
The K values for each run with same $k=25$, is slightly different, because we randomly choose the cluster at the beginning.

2. Circle detection with the Hough Transform [

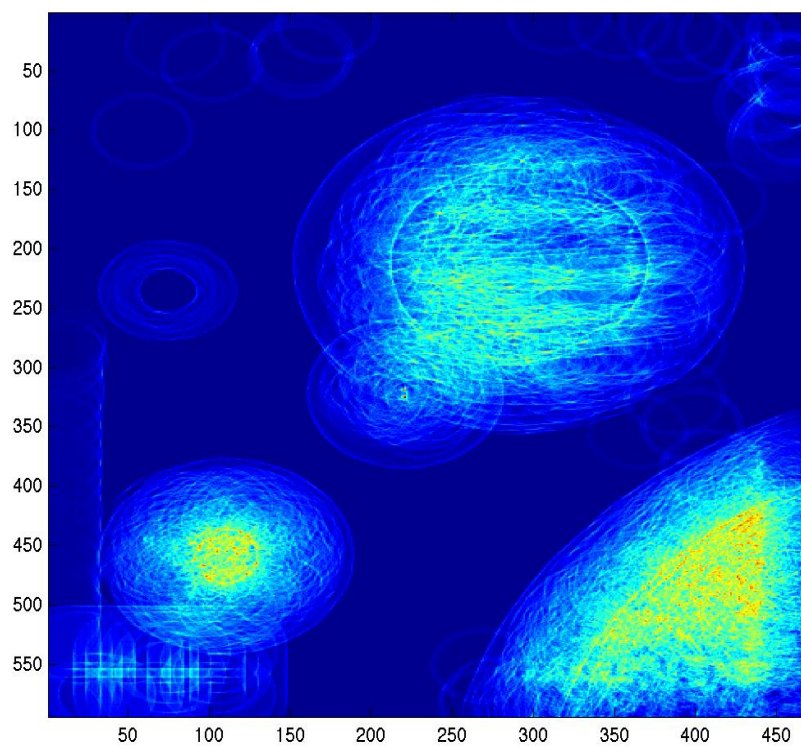
a)

For my detection with the Hough transform function, I first use grayscale function to change me RGB image to a Black and white binary image. Then I use canny edge function to find out the edges. I then set up an accumulator space which is initialized to be 0 and set as the same size of the image. When the useGradient flag is off, for every edges and for theta from 0 to 360 degrees, I will use the formula $a = \text{round}(x + \text{radius} * \cos(\theta))$; $b = \text{round}(y + \text{radius} * \sin(\theta))$; This is generate from the equation of a circle $(x-a)^2 + (y-b)^2 = \text{radius}^2$. Base on the position of b and a, I will increment the value of my accumulator array at that position a and b. I will then normalize my array so I can more easily see the differences and find the maximum value. Finally, I will search for the local maxima cells. Instead of just find the maximum, I will try to find the values which are above 0.9, this will give me around top 10 maximum value of my accumulator array. At last, all these values that I find are the ones with the highest probability of my circles' centers. When the useGradient flag is set to one, Instead of trying all 360 degrees, I will use gradient function for all my pixels, and use atan2 to get the correspond theta. I will then use these thetas for my a and b formula.

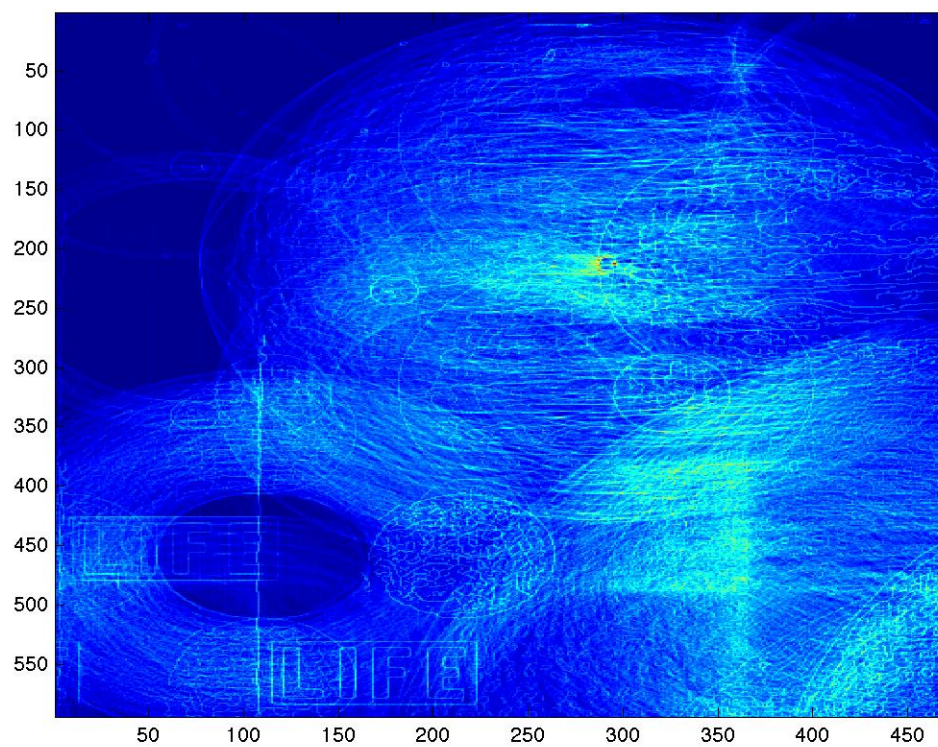
Gradient = 0 With radius = 105



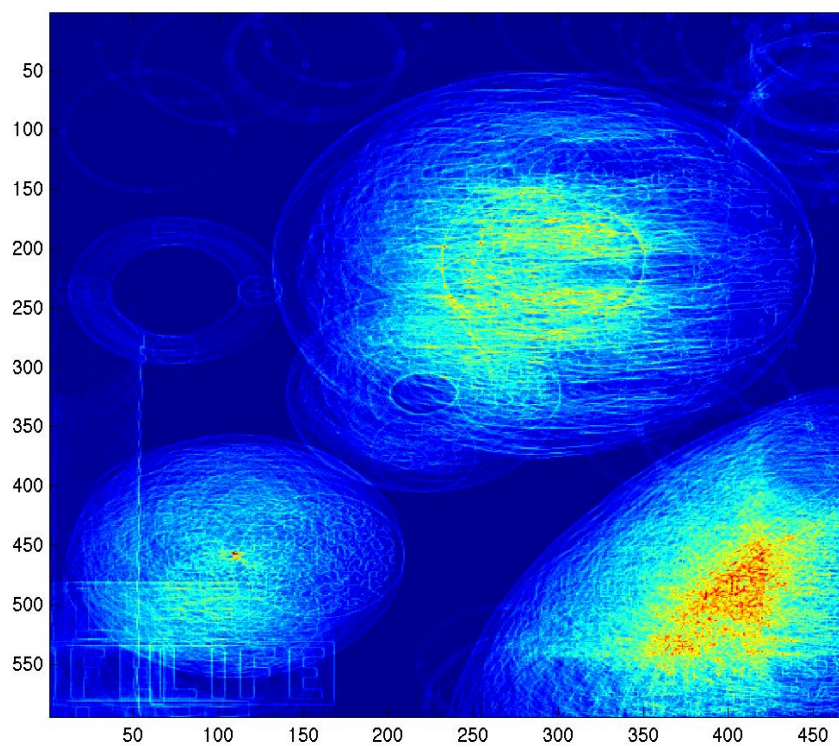
Gradient =0 Radius =30



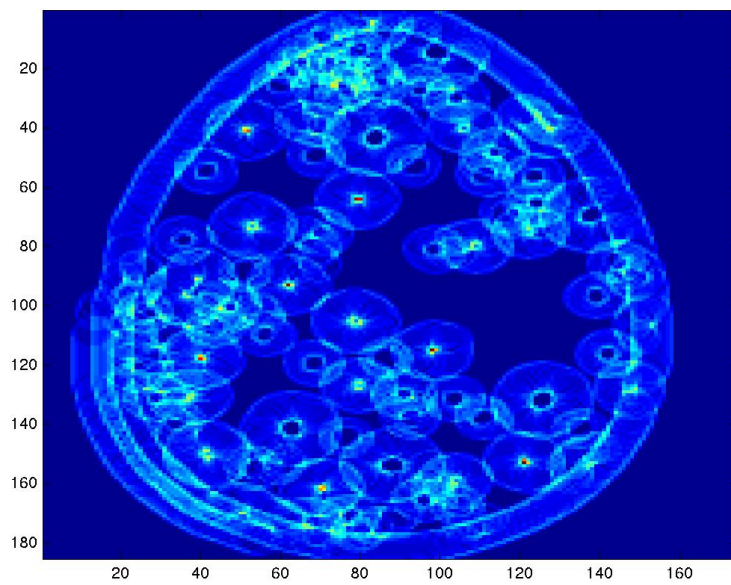
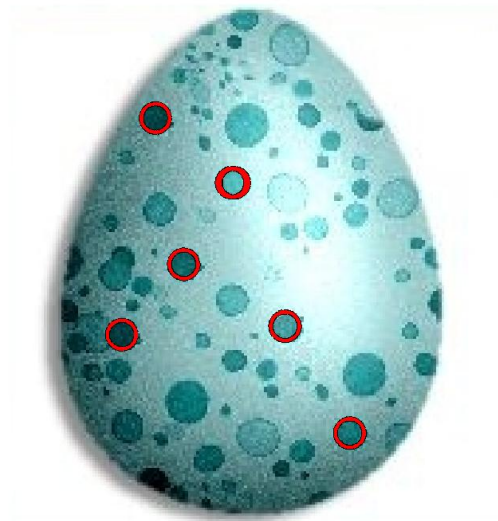
Gradient =1 Radius =105



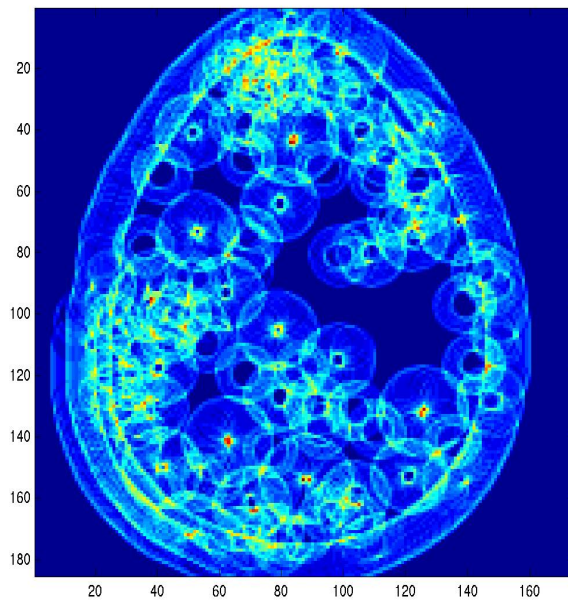
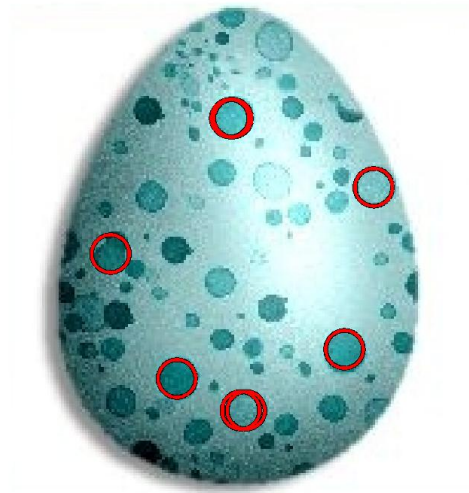
Gradient =1 with radius =50



Gradient =0 with radius =5

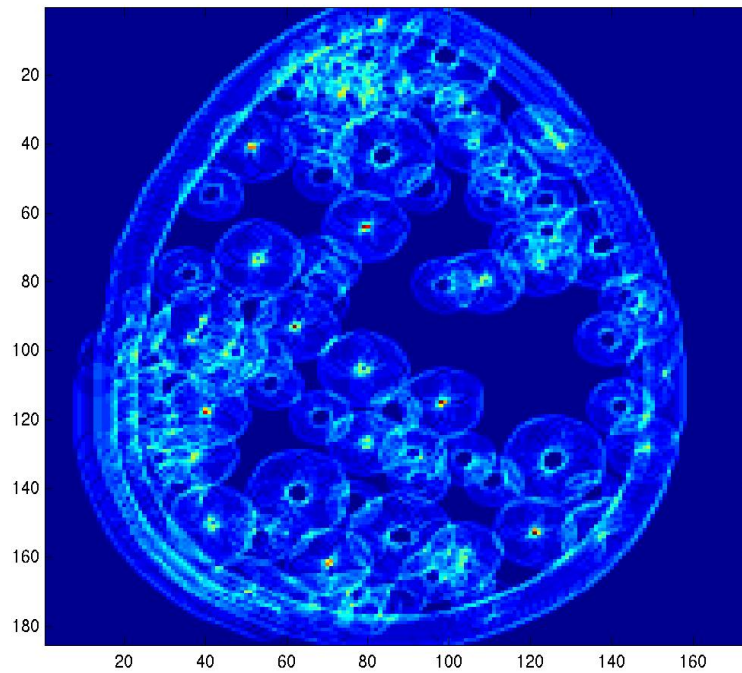


Gradient =0 with radius =7

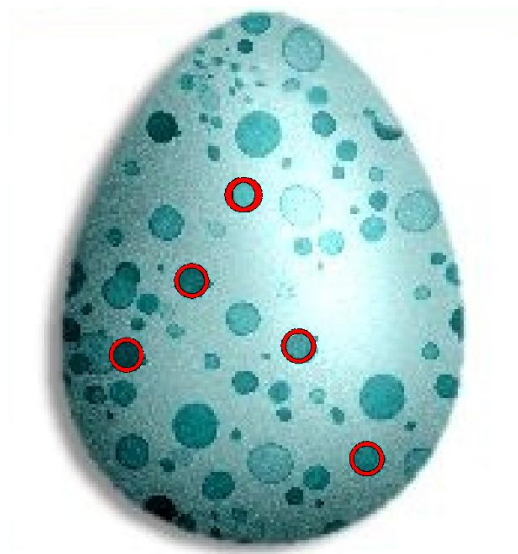


c) We can see that the accumulator array using radius 7 drew many circles, and the high values (red dots) are exactly the centers of the radius 7 circles from the original image. However, there are some high values at the upper left because that place we have many curves that also fit radius 7 so the machine misunderstood them as some circles with radius 7. Eventually we didn't choose them because they are not as high as the actual centers.

d) Gradient =1 with radius =5

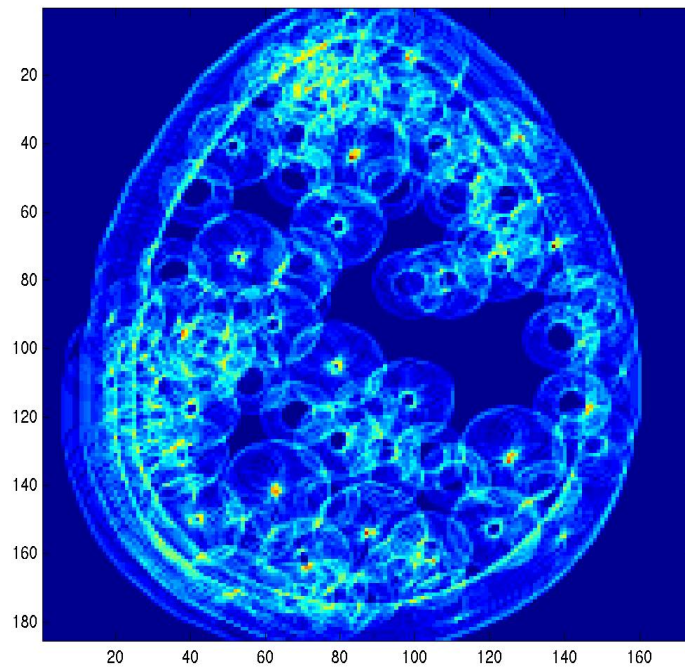


From the above Hough accumulator, we can guess there should probably have 5- 6



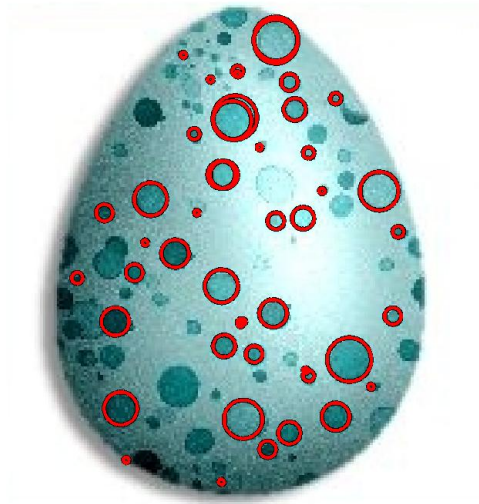
circles

Gradient =1 with radius =7



e)

You can have a very fine-grained accumulator array or a coarse one. This question asks you to play around with amount of discretization/quantization/fine-graining(same thing said in different ways, in this context) that you provide your accumulator array with.



3

