



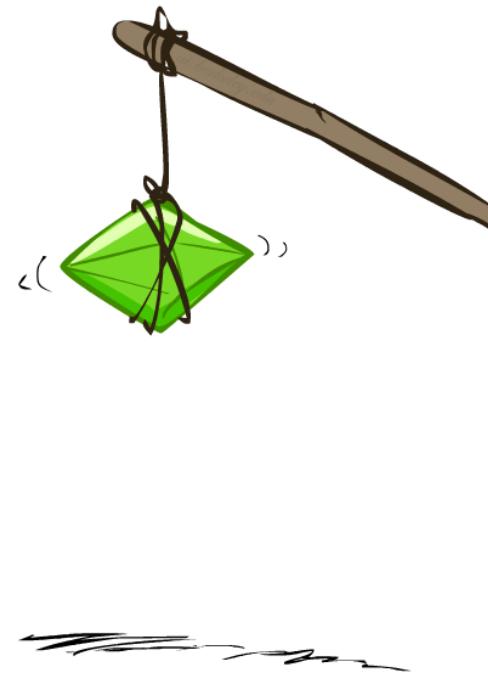
Reinforcement Learning

CE417: Introduction to Artificial Intelligence
Sharif University of Technology
Fall 2023

Soleymani

Slides have been adopted from Klein and Abdeel, CS188, UC Berkeley.

Reinforcement Learning

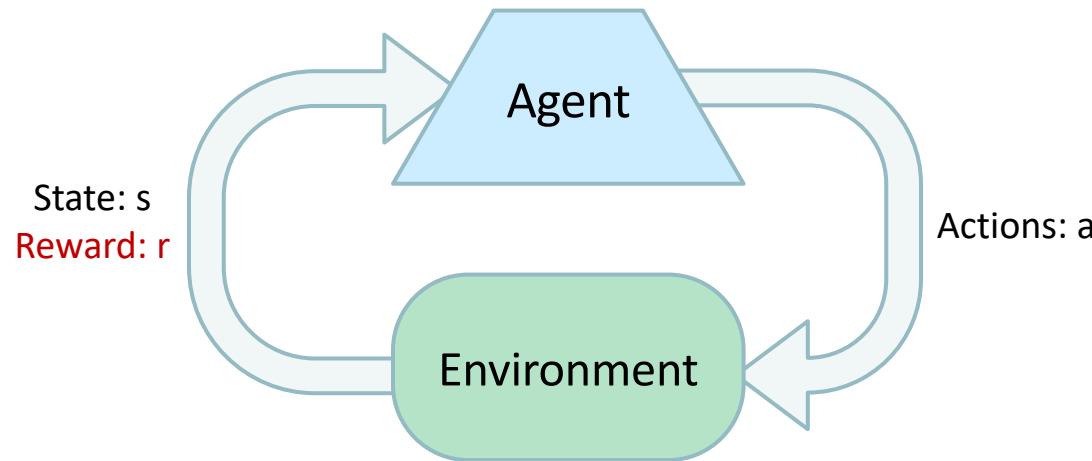


Reinforcement Learning

- Still assume a Markov decision process (MDP):
 - A set of states $s \in S$
 - A set of actions (per state) $A(s)$
 - A model $T(s,a,s')$
 - A reward function $R(s,a,s')$
- Still looking for a policy $\pi(s)$
- New twist: don't know T or R
 - I.e. we don't know which states are good or what the actions do
 - Must actually try actions and states out to learn



Reinforcement Learning



- Basic idea:
 - Receive feedback in the form of **rewards**
 - Agent's utility is defined by the reward function
 - Must (learn to) act so as to **maximize expected rewards**
 - All learning is based on observed samples of outcomes!

Example: Samuel's Checker Player (1956-67)



Example: Learning to Walk



Initial



A Learning Trial



After Learning [1K Trials]

[Kohl and Stone, ICRA 2004]

Example: Learning to Walk



[Kohl and Stone, ICRA 2004]

Initial

[Video: AIBO WALK – initial]

Example: Learning to Walk



[Kohl and Stone, ICRA 2004]

Training

[Video: AIBO WALK – training]

Example: Learning to Walk



[Kohl and Stone, ICRA 2004]

Finished

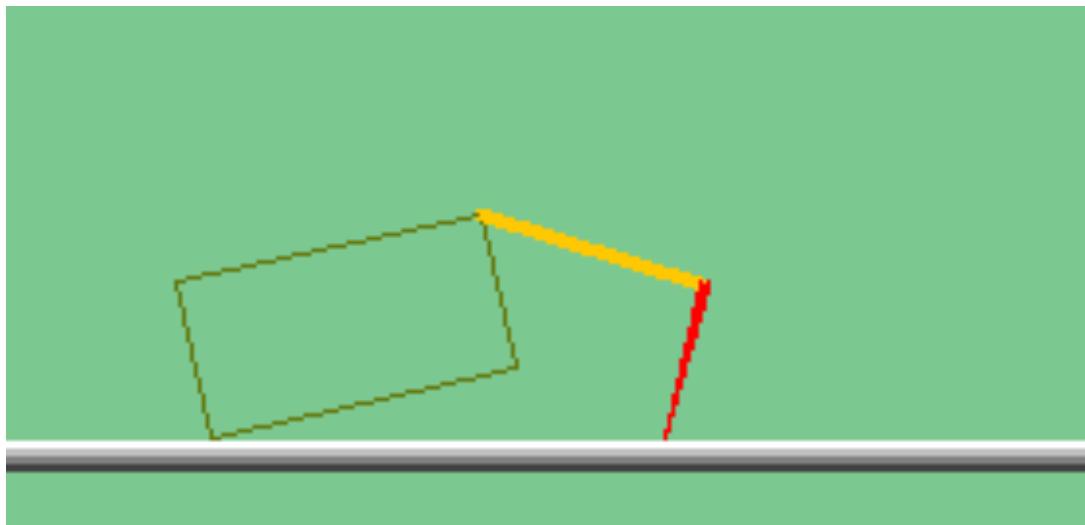
[Video: AIBO WALK – finished]

Example: Sidewinding

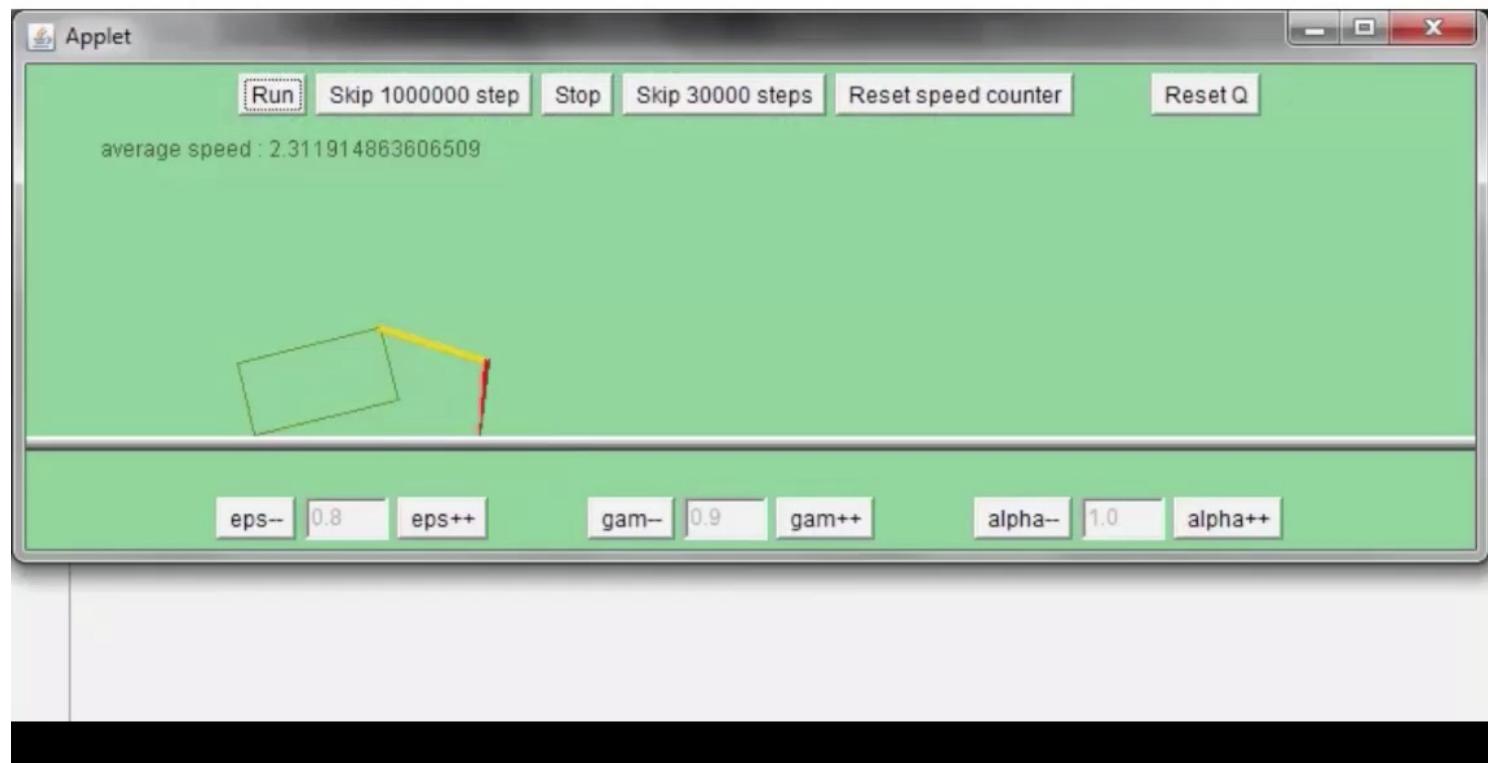


[Andrew Ng]

The Crawler!



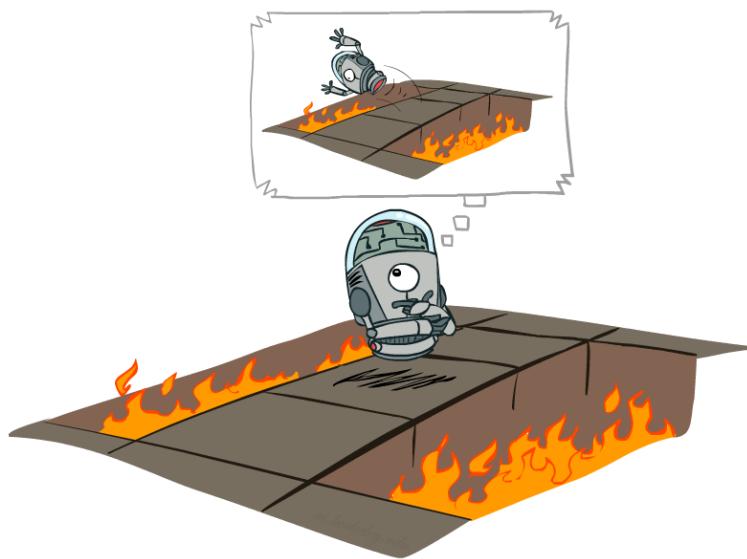
Video of Demo Crawler Bot



Example: Breakout (DeepMind)



Offline (MDPs) vs. Online (RL)



Offline Solution



Online Learning

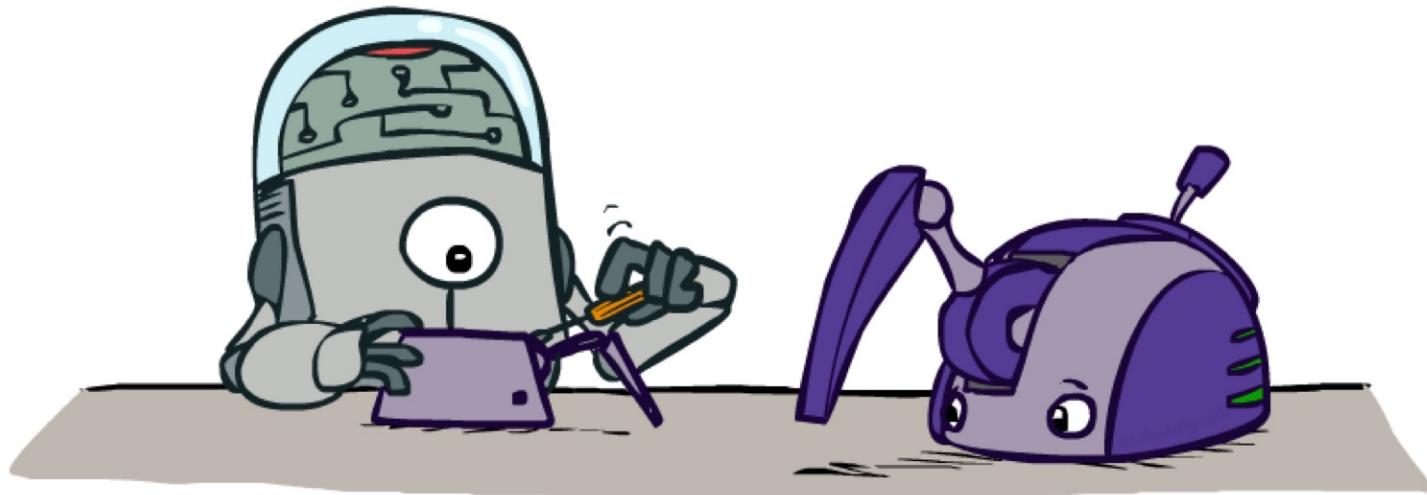
RL vs. MDP

- RL isn't just planning, it is also learning!
 - There is an MDP, but you can't solve it with just computation
 - You need to actually act to figure it out
- Important ideas in reinforcement learning that came up
 - **Exploration**: you have to *try unknown actions* to get information
 - **Exploitation**: eventually, you have to use what you know
 - **Regret**: early on, you inevitably “make mistakes” and lose reward
 - **Sampling**: you may need to repeat many times to get good estimates
 - **Generalization**: what you learn in one state may apply to others too

Approaches to Reinforcement Learning

- Model-based: Learn the model, solve it, execute the solution
- Learn values from experiences, use to make decisions
 - Direct evaluation
 - Temporal difference learning
 - Q-learning
- Learn policies directly

Model-Based RL



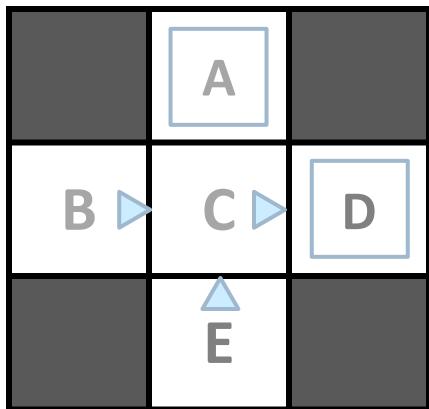
Model-Based Learning

- Model-Based Idea:
 - Learn an approximate model based on experiences
 - Solve for values as if the learned model were correct
- Step 1: Learn empirical MDP model
 - Count outcomes s' for each s, a
 - Normalize to give an estimate of $\hat{T}(s, a, s')$
 - Discover each $\hat{R}(s, a, s')$ when we experience the transition
- Step 2: Solve the learned MDP
 - For example, use value iteration, as before



Example: Model-Based Learning

Input Policy π



Assume: $\gamma = 1$

Observed Episodes (Training)

Episode 1

B, east, C, -1
C, east, D, -1
D, exit, x, +10

Episode 2

B, east, C, -1
C, east, D, -1
D, exit, x, +10

Episode 3

E, north, C, -1
C, east, D, -1
D, exit, x, +10

Episode 4

E, north, C, -1
C, east, A, -1
A, exit, x, -10

Learned Model

$$\hat{T}(s, a, s')$$

$$\begin{aligned} T(B, \text{east}, C) &= 1.00 \\ T(C, \text{east}, D) &= 0.75 \\ T(C, \text{east}, A) &= 0.25 \\ \dots \end{aligned}$$

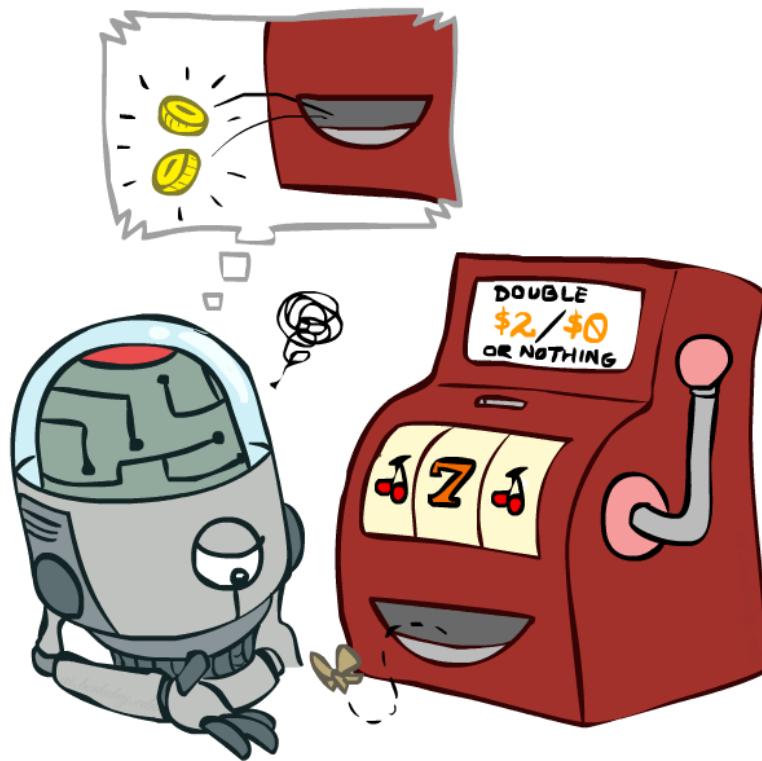
$$\hat{R}(s, a, s')$$

$$\begin{aligned} R(B, \text{east}, C) &= -1 \\ R(C, \text{east}, D) &= -1 \\ R(D, \text{exit}, x) &= +10 \\ \dots \end{aligned}$$

Pros and cons

- Pro:
 - Makes efficient use of experiences (low *sample complexity*)
- Con:
 - May not scale to large state spaces
 - Learns model one state-action pair at a time (but this is fixable)
 - Cannot solve MDP for very large $|S|$ (also somewhat fixable)
 - Much harder when the environment is partially observable

Model-Free Learning



Reinforcement Learning

- We still assume an MDP:
 - A set of states $s \in S$
 - A set of actions (per state) $A(s)$
 - A model $T(s,a,s')$
 - A reward function $R(s,a,s')$
- Still looking for a policy $\pi(s)$
- New twist: don't know T or R , so must try out actions
- Big idea: Compute all averages over T using sample outcomes



Example: Expected Age

Goal: Compute expected age of cs188 students

Known $P(A)$

$$E[A] = \sum_a P(a) \cdot a = 0.35 \times 20 + \dots$$

Without $P(A)$, instead collect samples $[a_1, a_2, \dots, a_N]$

Unknown $P(A)$: “Model Based”

Why does this work? Because eventually you learn the right model.

$$\hat{P}(a) = \frac{\text{num}(a)}{N}$$

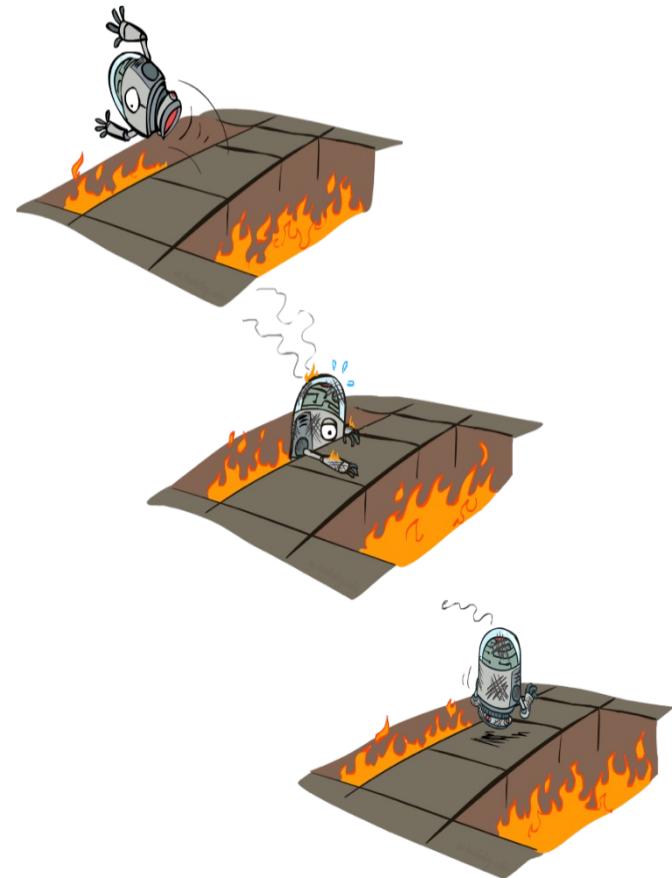
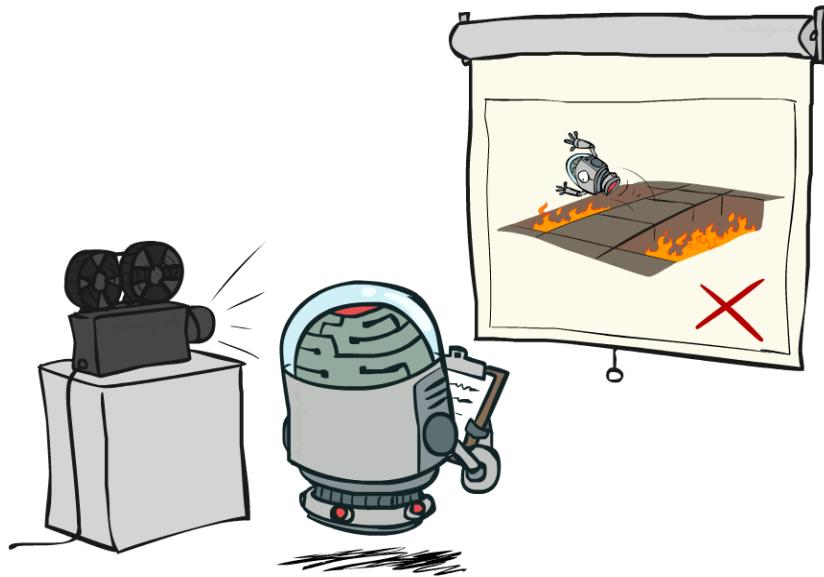
$$E[A] \approx \sum_a \hat{P}(a) \cdot a$$

Unknown $P(A)$: “Model Free”

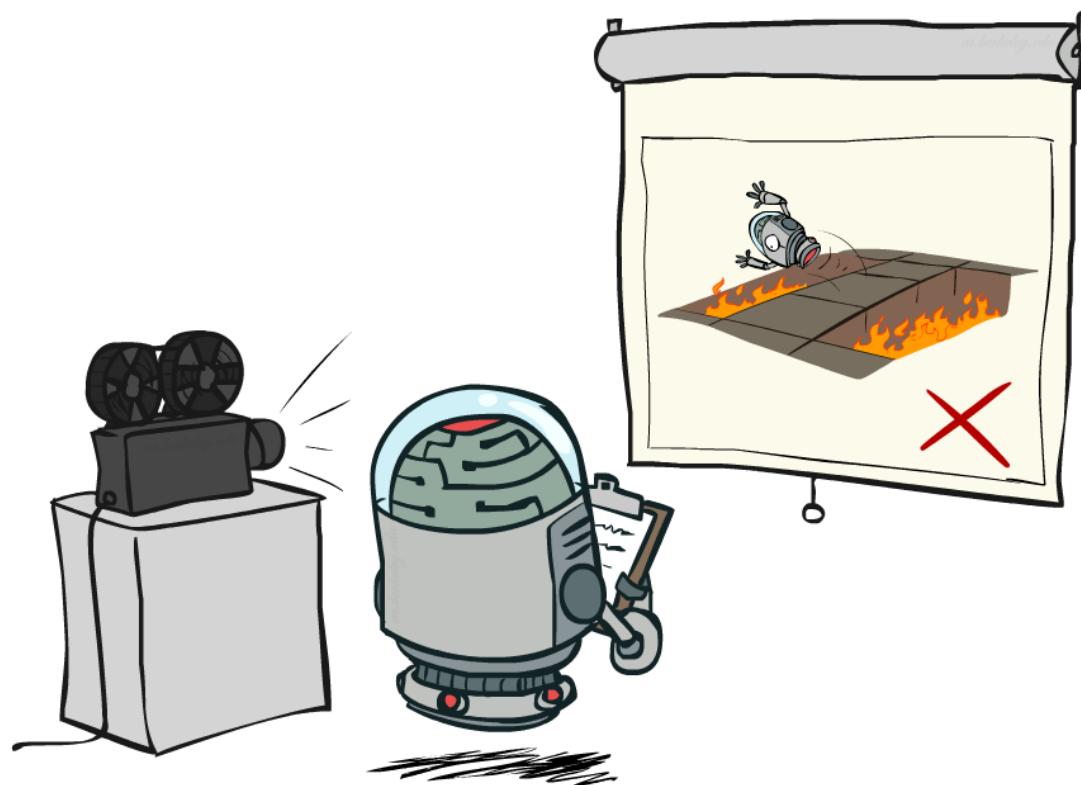
$$E[A] \approx \frac{1}{N} \sum_i a_i$$

Why does this work? Because samples appear with the right frequencies.

Passive vs. Active RL

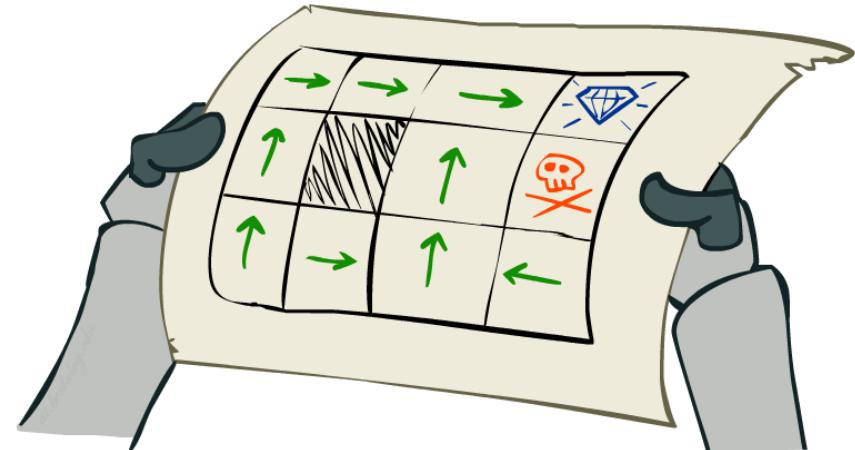


Passive Reinforcement Learning



Passive Reinforcement Learning

- Simplified task: policy evaluation
 - Input: a fixed policy $\pi(s)$
 - You don't know the transitions $T(s,a,s')$
 - You don't know the rewards $R(s,a,s')$
 - Goal: learn the state values $V^\pi(s)$
- In this case:
 - Learner is “along for the ride”
 - No choice about what actions to take
 - Just execute the policy and learn from experience
 - This is NOT offline planning! You actually take actions in the world.



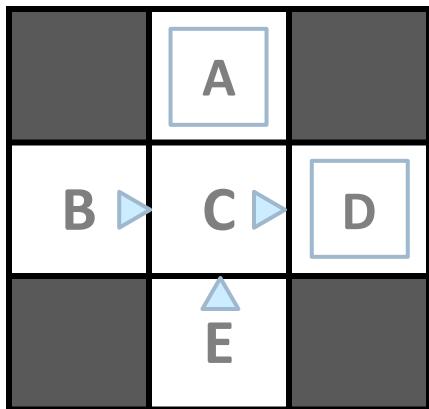
Direct Evaluation (Monte Carlo)

- Goal: Estimate $V^\pi(s)$, i.e., expected total discounted reward from s onwards
- Idea: Average together observed sample values
 - Act according to π
 - Every time you visit a state, write down what the sum of discounted rewards turned out to be
 - Average those samples
- This is called direct evaluation by Monte Carlo estimation (or direct utility estimation)



Example: Direct Evaluation

Input Policy π



Assume: $\gamma = 1$

Observed Episodes (Training)

Episode 1

B, east, C, -1
C, east, D, -1
D, exit, x, +10

Episode 2

B, east, C, -1
C, east, D, -1
D, exit, x, +10

Episode 3

E, north, C, -1
C, east, D, -1
D, exit, x, +10

Episode 4

E, north, C, -1
C, east, A, -1
A, exit, x, -10

Output Values

	-10	
A	+4	+10
B	+8	D
E	-2	

Problems with Direct Evaluation

- What's good about direct evaluation?
 - It's easy to understand
 - It doesn't require any knowledge of T, R
 - It eventually computes the correct average values, using just sample transitions
- What's bad about it?
 - It ignores information about state connections
 - Each state must be learned separately
 - So, it takes a long time to learn

Output Values

	-10	
A		
+8	+4	+10
B C D		
	-2	
E		

If B and E both go to C under this policy, how can their values be different?

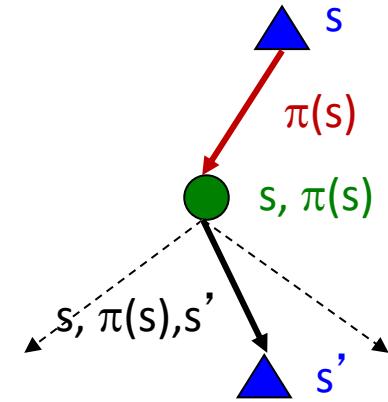
Why Not Use Policy Evaluation?

- Simplified Bellman updates calculate V for a fixed policy:
 - Each round, replace V with a one-step-look-ahead layer over V

$$V_0^\pi(s) = 0$$

$$V_{k+1}^\pi(s) \leftarrow \sum_{s'} T(s, \pi(s), s')[R(s, \pi(s), s') + \gamma V_k^\pi(s')]$$

- This approach fully exploited the connections between the states
 - Unfortunately, we need T and R to do it!
- Key question: how can we do this update to V without knowing T and R ?
 - In other words, how to we take a weighted average without knowing the weights?



Sample-Based Policy Evaluation?

- ▶ We want to improve our estimate of V by computing these averages:

$$V_{k+1}^{\pi}(s) \leftarrow \sum_{s'} T(s, \pi(s), s')[R(s, \pi(s), s') + \gamma V_k^{\pi}(s')]$$

- ▶ Idea: Take samples of outcomes s' (by doing the action!) and average

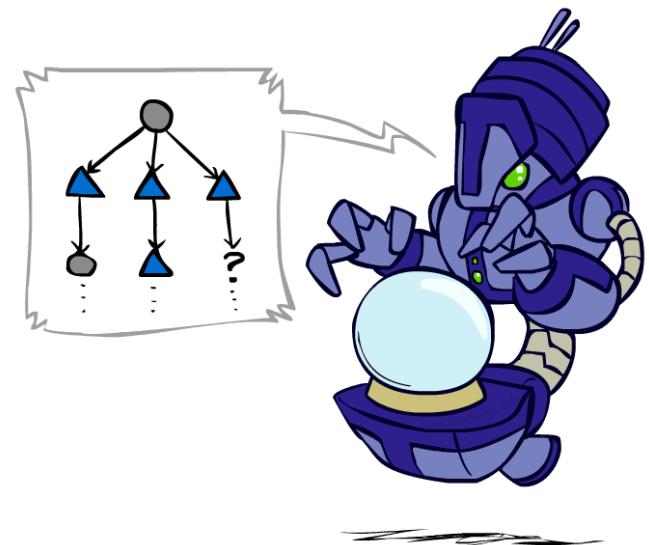
$$\text{sample}_1 = R(s, \pi(s), s'_1) + \gamma V_k^{\pi}(s'_1)$$

$$\text{sample}_2 = R(s, \pi(s), s'_2) + \gamma V_k^{\pi}(s'_2)$$

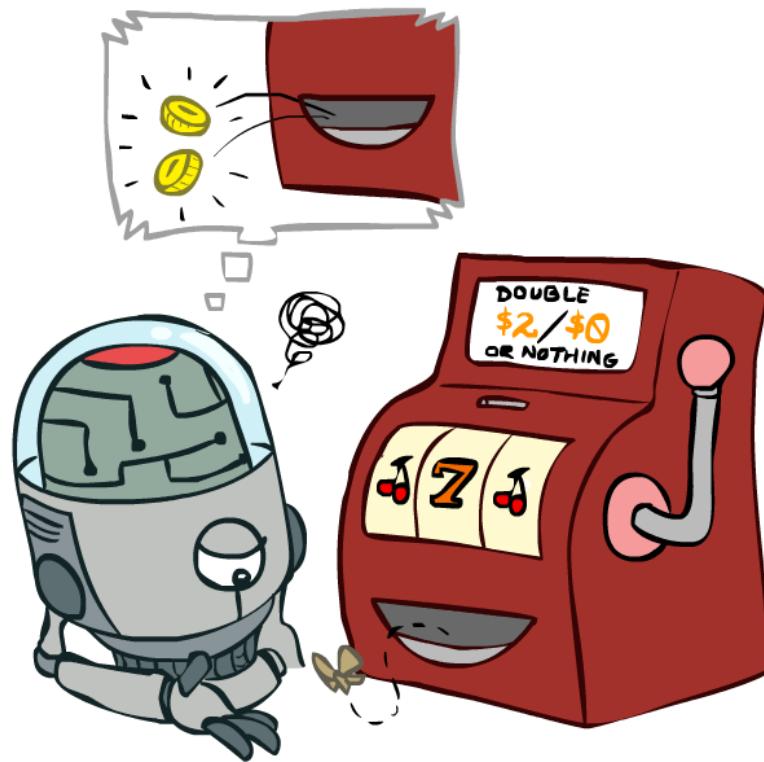
...

$$\text{sample}_n = R(s, \pi(s), s'_n) + \gamma V_k^{\pi}(s'_n)$$

$$V_{k+1}^{\pi}(s) \leftarrow \frac{1}{n} \sum_i \text{sample}_i$$

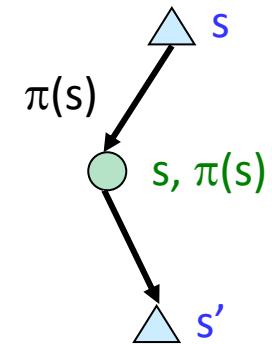


Temporal Difference (TD) Learning



Temporal Difference Learning

- Big idea: learn from every experience!
 - Update $V(s)$ each time we experience a transition (s, a, s', r)
 - Likely outcomes s' will contribute updates more often
- Temporal difference learning of values
 - Policy still fixed, still doing evaluation!
 - Move values toward value of whatever successor occurs: running average



Sample of $V(s)$: $sample = R(s, \pi(s), s') + \gamma V^\pi(s')$

Update to $V(s)$: $V^\pi(s) \leftarrow (1 - \alpha)V^\pi(s) + (\alpha)sample$

Same update: $V^\pi(s) \leftarrow V^\pi(s) + \alpha(sample - V^\pi(s))$

Exponential Moving Average

- Exponential moving average
 - The running interpolation update: $\bar{x}_n = (1 - \alpha) \cdot \bar{x}_{n-1} + \alpha \cdot x_n$
 - Makes recent samples more important:

$$\bar{x}_n = \frac{x_n + (1 - \alpha) \cdot x_{n-1} + (1 - \alpha)^2 \cdot x_{n-2} + \dots}{1 + (1 - \alpha) + (1 - \alpha)^2 + \dots}$$

- Forgets about the past (distant past values were wrong anyway)
- Decreasing learning rate (alpha) can give converging averages

Example: Temporal Difference Learning

States

	A	
B	C	D
	E	

Observed Transitions

B, east, C, -2

	0	
0	0	8
	0	

C, east, D, -2

	0	
-1	0	8
	0	

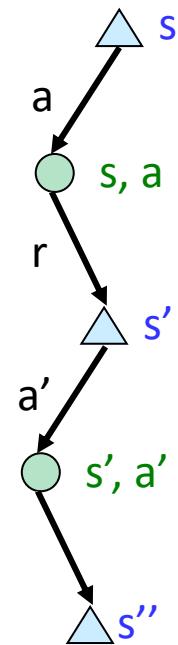
	0	
-1	3	8
	0	

Assume: $\gamma = 1, \alpha = 1/2$

$$V^\pi(s) \leftarrow (1 - \alpha)V^\pi(s) + \alpha [R(s, \pi(s), s') + \gamma V^\pi(s')]$$

Model-Free Learning

- Model-free (temporal difference) learning
 - Experience world through episodes
$$(s, a, r, s', a', r', s'', a'', r'', s''', \dots)$$
 - Update estimates each transition (s, a, r, s')
 - Over time, updates will mimic Bellman updates



The Story So Far: MDPs and RL

Known MDP: Offline Solution

Goal

Compute V^* , Q^* , π^*

Technique

Value / policy iteration

Evaluate a fixed policy π

Policy evaluation

Unknown MDP: Model-Based

Goal

Compute V^* , Q^* , π^*

Technique

VI/PI on approx. MDP

Evaluate a fixed policy π

PE on approx. MDP

Unknown MDP: Model-Free

Goal

Compute V^* , Q^* , π^*

Technique

Q-learning

Evaluate a fixed policy π

Value Learning

Detour: Q-Value Iteration

- Value iteration: find successive (depth-limited) values
 - Start with $V_0(s) = 0$, which we know is right
 - Given V_k , calculate the depth $k+1$ values for all states:

$$V_{k+1}(s) \leftarrow \max_a \sum_{s'} T(s, a, s') [R(s, a, s') + \gamma V_k(s')]$$

- But Q-values are more useful, so compute them instead
 - Start with $Q_0(s, a) = 0$, which we know is right
 - Given Q_k , calculate the depth $k+1$ q-values for all q-states:

$$Q_{k+1}(s, a) \leftarrow \sum_{s'} T(s, a, s') [R(s, a, s') + \gamma \max_{a'} Q_k(s', a')]$$

Problems with TD Value Learning

- TD value learning is a model-free way to do policy evaluation, mimicking Bellman updates with running sample averages
- However, if we want to turn values into a (new) policy, we're sunk:

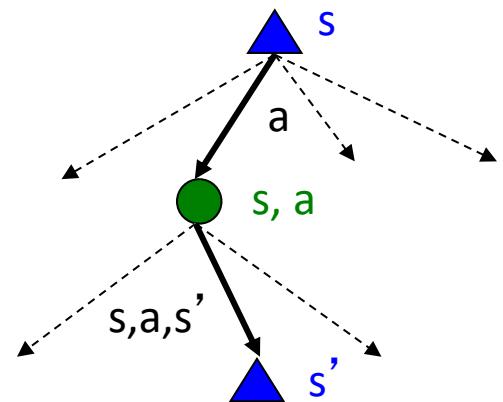
$$\pi^*(s) = \arg \max_a \sum_{s'} T(s, a, s') [R(s, a, s') + \gamma V^*(s')]$$

- Idea: learn Q-values, not values

$$\pi(s) = \arg \max_a Q(s, a)$$

$$Q(s, a) = \sum_{s'} T(s, a, s') [R(s, a, s') + \gamma V(s')]$$

- Makes action selection model-free too!



Approximating Values through Samples

- Policy Evaluation:

$$V_{k+1}^{\pi}(s) \leftarrow \sum_{s'} T(s, \pi(s), s') [R(s, \pi(s), s') + \gamma V_k^{\pi}(s')]$$



- Value Iteration:

$$V_{k+1}(s) \leftarrow \max_a \sum_{s'} T(s, a, s') [R(s, a, s') + \gamma V_k(s')]$$



- Q-Value Iteration:

$$Q_{k+1}(s, a) \leftarrow \sum_{s'} T(s, a, s') [R(s, a, s') + \gamma \max_{a'} Q_k(s', a')]$$



Q-Learning

- Q-Learning: sample-based Q-value iteration

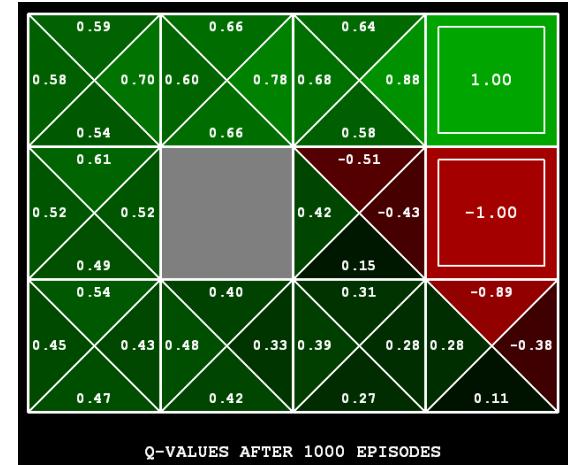
$$Q_{k+1}(s, a) \leftarrow \sum_{s'} T(s, a, s') \left[R(s, a, s') + \gamma \max_{a'} Q_k(s', a') \right]$$

- But can't compute this update without knowing T, R

- Learn $Q(s, a)$ values as you go

- Receive a sample (s, a, s', r)
- Consider your old estimate: $Q(s, a)$
- Consider your new sample estimate:

$$\text{sample} = R(s, a, s') + \gamma \max_{a'} Q(s', a')$$



- Incorporate the new estimate into a running average:

$$Q(s, a) \leftarrow (1 - \alpha)Q(s, a) + (\alpha) [\text{sample}]$$

no longer
policy evaluation!

Video of Demo Q-Learning -- Gridworld

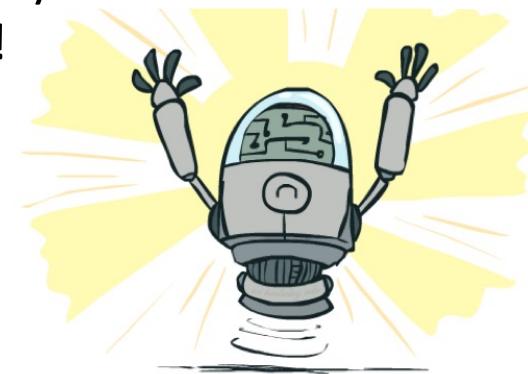


Video of Demo Q-Learning -- Crawler



Q-Learning Properties

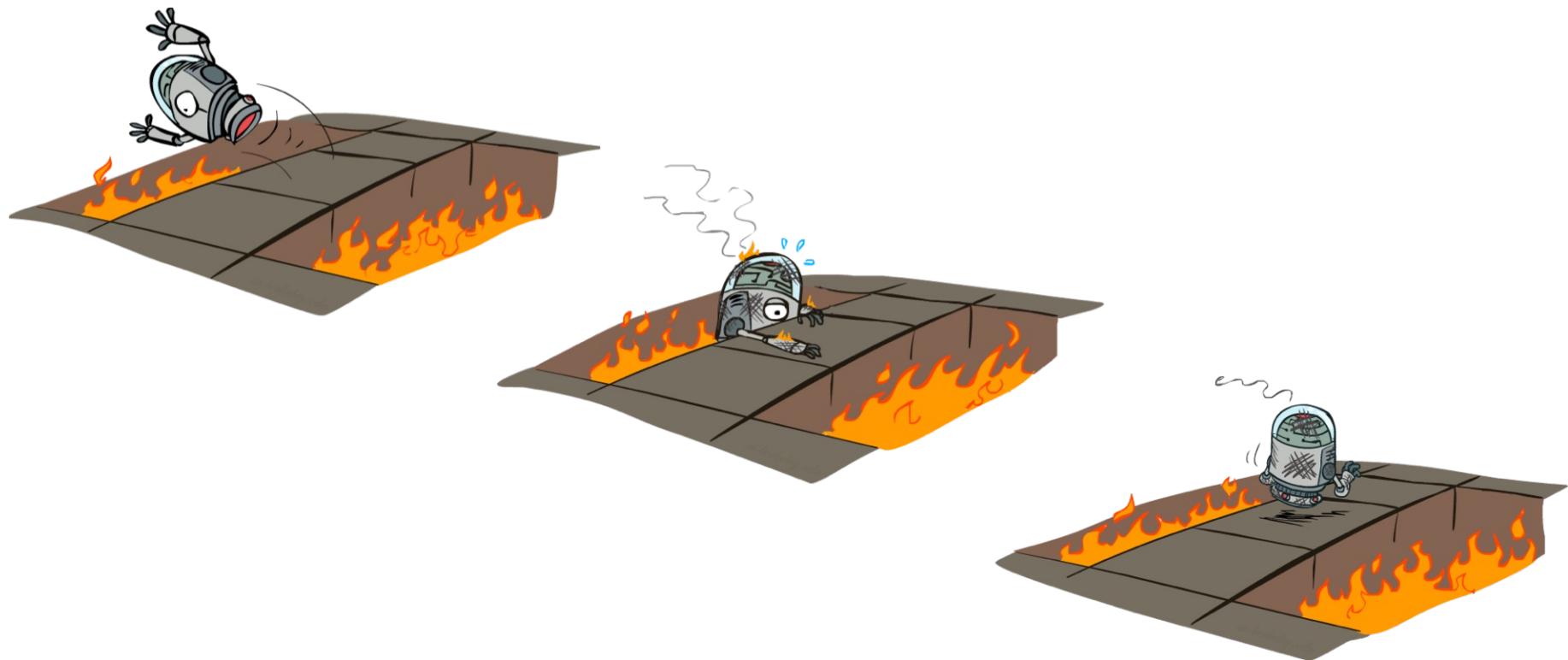
- Amazing result: Q-learning converges to optimal policy -- even if samples are generated from a suboptimal policy!
- This is called **off-policy learning**
- Caveats:
 - You have to explore enough (eventually try every state/action pair infinitely often)
 - You have to decrease the learning rate appropriately
 - Basically, in the limit, it doesn't matter how you select actions (!)



Summary

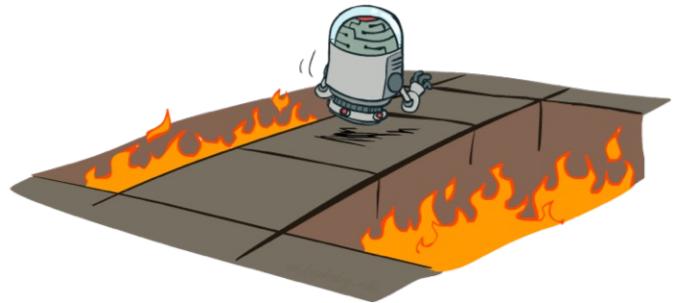
- RL solves MDPs via direct experience of transitions and rewards
- There are several schemes:
 - Learn the MDP model and solve it
 - Learn V directly from sums of rewards, or by TD local adjustments
 - Still need a model to make decisions by lookahead
 - Learn Q by local Q-learning adjustments, use it directly to pick actions
- Big missing pieces:
 - How to explore without too much regret?
 - How to scale this up to Tetris (10^{60}), Go (10^{172}), StarCraft ($|A|=10^{26}$)?

Active RL



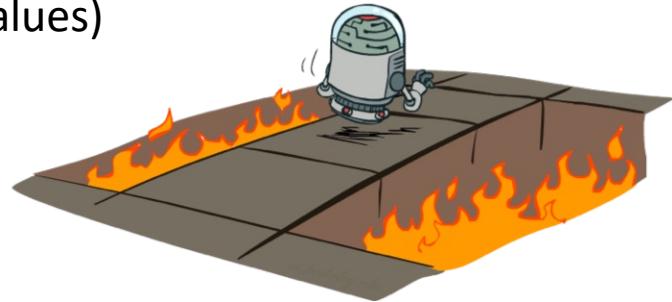
Active RL

- Full reinforcement learning: optimal policies (like value iteration)
 - You don't know the transitions $T(s,a,s')$
 - You don't know the rewards $R(s,a,s')$
 - You choose the actions now
 - Goal: learn the optimal policy / values
- In this case:
 - Learner makes choices!
 - Fundamental tradeoff: exploration vs. exploitation
 - This is NOT offline planning! You actually take actions in the world and find out what happens...

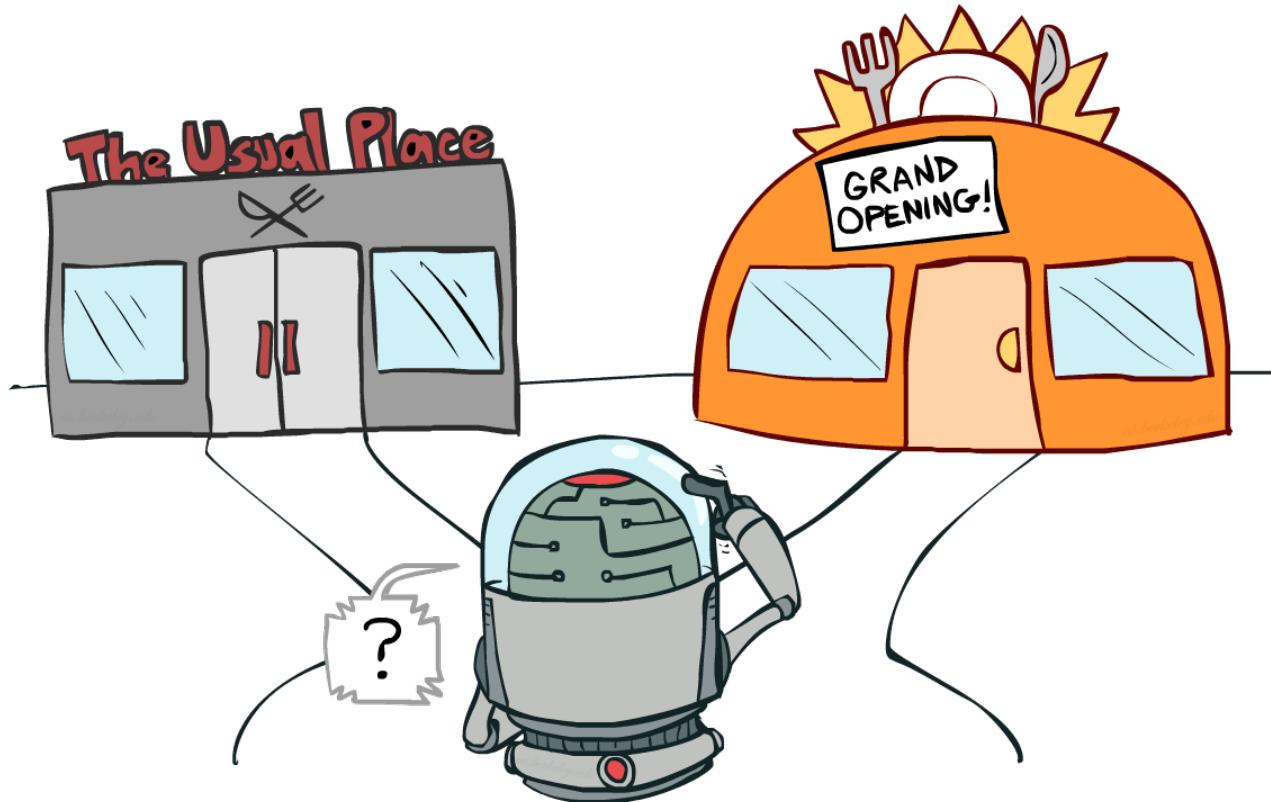


Model-Free Learning

- act according to current optimal (based on Q-Values)
- but also explore...



Exploration vs. Exploitation



Exploration vs exploitation

- **Exploration**: try new things
- **Exploitation**: do what's best given what you've learned so far
- Key point: pure exploitation often gets **stuck in a rut** and never finds an optimal policy!

Exploration method 1: ϵ -greedy

- ϵ -greedy exploration
 - Every time step, flip a biased coin
 - With (small) probability ϵ , act randomly
 - With (large) probability $1-\epsilon$, act on current policy
- Properties of ϵ -greedy exploration
 - Every s,a pair is tried infinitely often
 - Does a lot of stupid things
 - Jumping off a cliff *lots of times* to make sure it hurts
 - Keeps doing stupid things for ever
 - Decay ϵ towards 0



Video of Demo Q-learning – Manual Exploration – Bridge Grid



Q-learning: Policy

- Greedy action selection:

$$\pi(s) = \operatorname{argmax}_a Q(s, a)$$

- **ϵ -greedy**: greedy most of the times, occasionally take a random action
- **Softmax policy**: Give a higher probability to the actions that currently have better utility, e.g,

$$\pi(s, a) = \frac{b^{Q(s, a)}}{\sum_{a'} b^{Q(s, a')}}$$

- After learning Q^* , the policy is greedy?

Q-learning Algorithm

Initialize $Q(s, a)$ arbitrarily

Repeat (for each episode):

 Initialize s

 Repeat (for each step of episode):

 Choose a from s using a policy derived from Q

 Take action a , receive reward r , observe new state s'

$$Q(s, a) \leftarrow Q(s, a) + \alpha \left[r + \gamma \max_{a'} Q(s', a') - Q(s, a) \right]$$

$$s \leftarrow s'$$

 until s is terminal

e.g., ϵ -greedy, softmax, ...

Q-learning convergence

- Q-learning converges to optimal Q-values if
 - Every state is visited infinitely often
 - The policy for action selection becomes greedy as time approaches infinity
 - The step size parameter is chosen appropriately
- Stochastic approximation conditions
 - The learning rate is decreased fast enough but not too fast

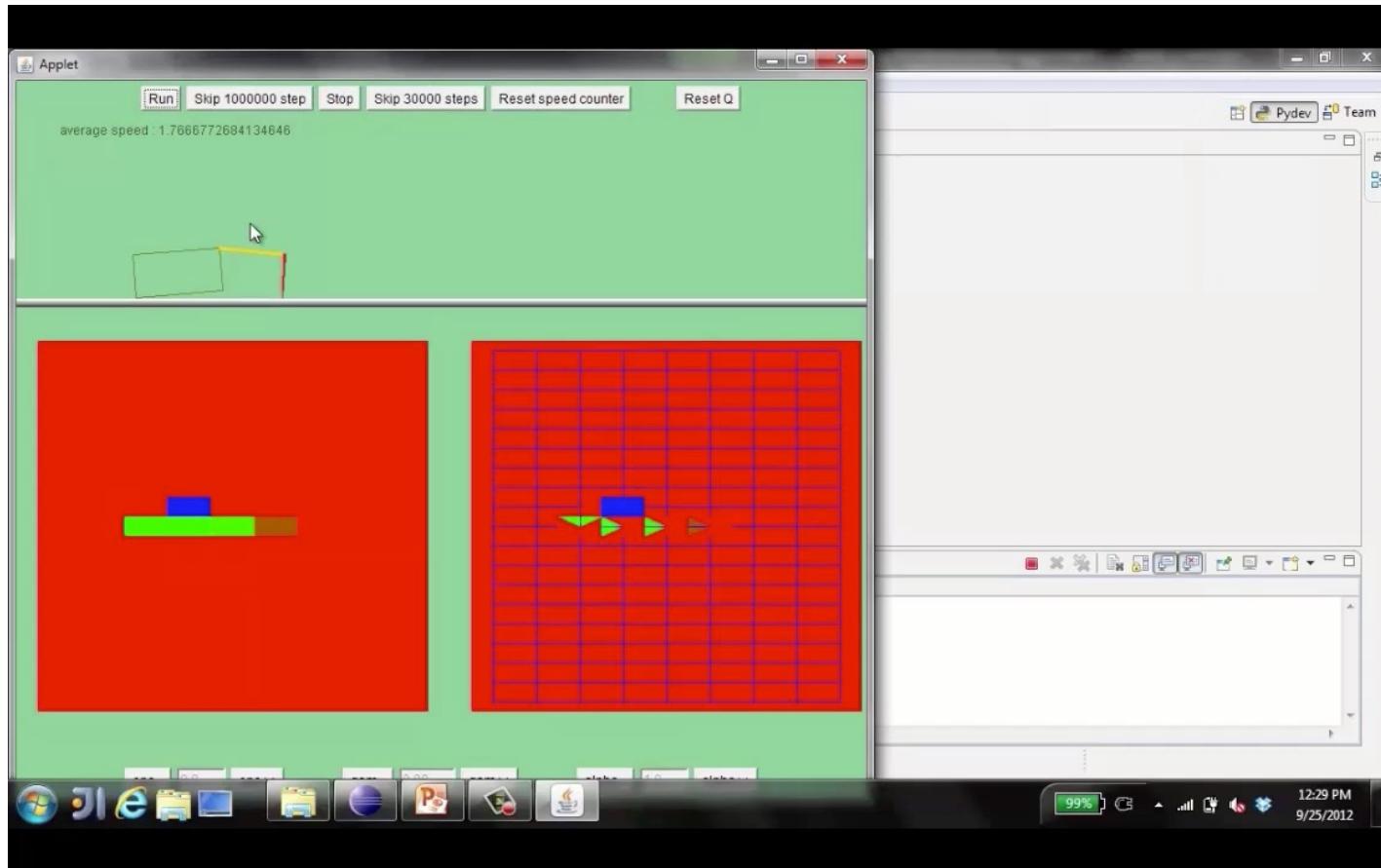
Video of Demo Q-Learning Auto Cliff Grid



Video of Demo Q-learning – Epsilon-Greedy – Crawler



Video of Demo Q-Learning -- Crawler



Exploration Functions

- When to explore?
 - Random actions: explore a fixed amount
 - Better idea: explore areas whose badness is not (yet) established, eventually stop exploring



Exploration Functions

- Exploration function
 - Takes a value estimate u and a visit count n , and returns an optimistic utility, e.g.
- Regular Q-update:
 - $$Q(s, a) \leftarrow (1 - \alpha) \cdot Q(s, a) + \alpha \cdot [R(s, a, s') + \gamma \max_{a'} Q(s', a')] \quad f(u, n) = u + k/n$$
- Modified Q-update:
 - $$Q(s, a) \leftarrow (1 - \alpha) \cdot Q(s, a) + \alpha \cdot [R(s, a, s') + \gamma Q(s', a^e)] \quad a^e = \operatorname{argmax}_{a'} f(Q(s', a'), N(s', a'))$$
- Modified Q-update II:
 - $$Q(s, a) \leftarrow (1 - \alpha) \cdot Q(s, a) + \alpha \cdot [R(s, a, s') + \gamma \max_{a'} f(Q(s', a'), N(s', a'))] \quad \text{Note: this propagates the "bonus" back to states that lead to unknown states as well!}$$

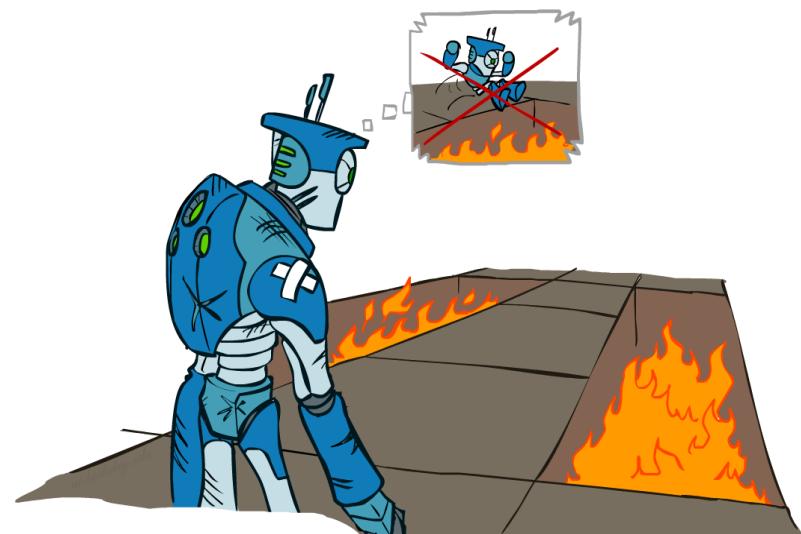


Video of Demo Q-learning – Exploration Function – Crawler



Regret

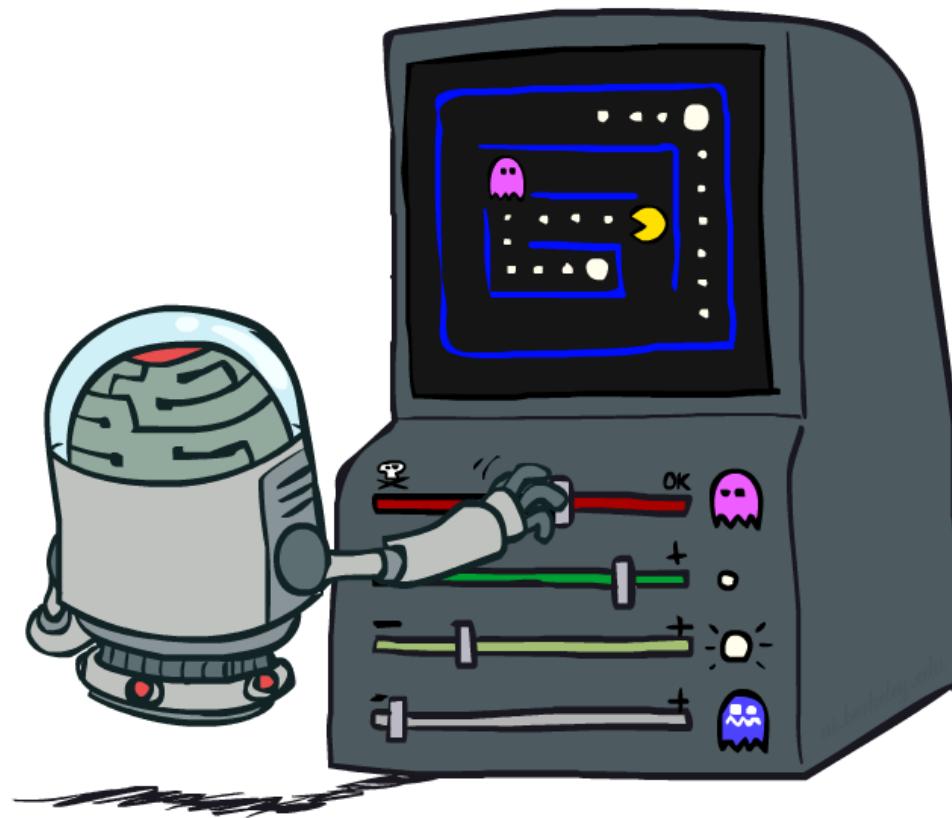
- Even if you learn the optimal policy, you still make mistakes along the way!
- Regret is a measure of your total mistake cost: the difference between your (expected) rewards, including youthful suboptimality, and optimal (expected) rewards
- Minimizing regret goes beyond learning to be optimal – it requires optimally learning to be optimal
 - Example: random exploration and exploration functions both end up optimal, but random exploration has higher regret



Tabular methods: Problem

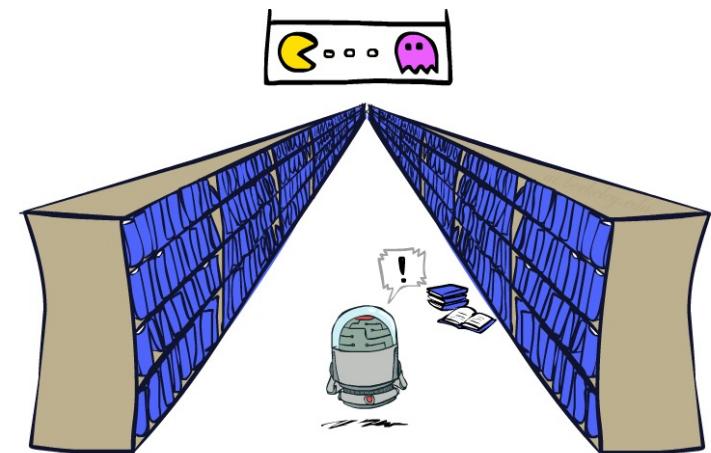
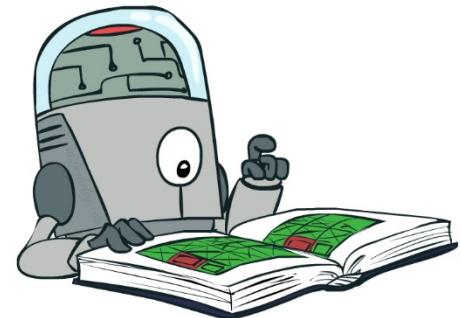
- All of the introduced methods maintain a table
- Table size can be very large for complex environments
 - Too many states to visit them all in training
 - We may not even visit some states
 - Too many states to hold the q-tables in memory
 - But computation and memory problem

Approximate Q-Learning



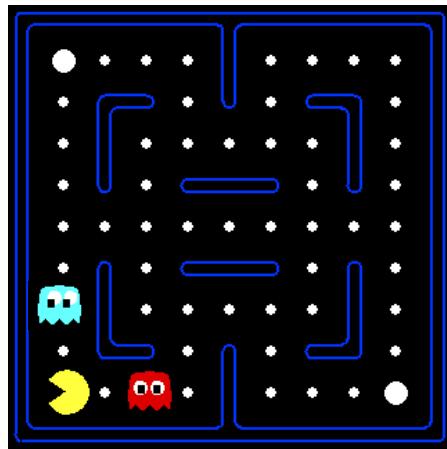
Generalizing Across States

- Basic Q-Learning keeps a table of all q-values
- In realistic situations, we cannot possibly learn about every single state!
 - Too many states to visit them all in training
 - Too many states to hold the q-tables in memory
- Instead, we want to generalize:
 - Learn about some small number of training states from experience
 - Generalize that experience to new, similar situations
 - This is a fundamental idea in machine learning, and we'll see it over and over again

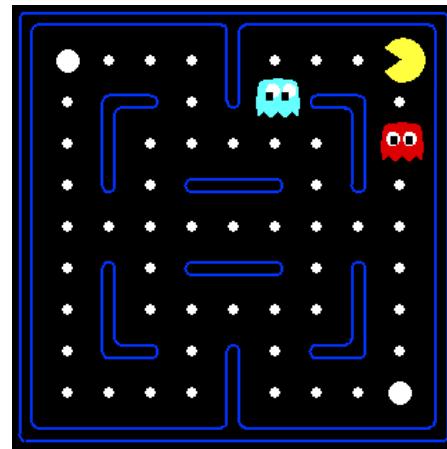


Example: Pacman

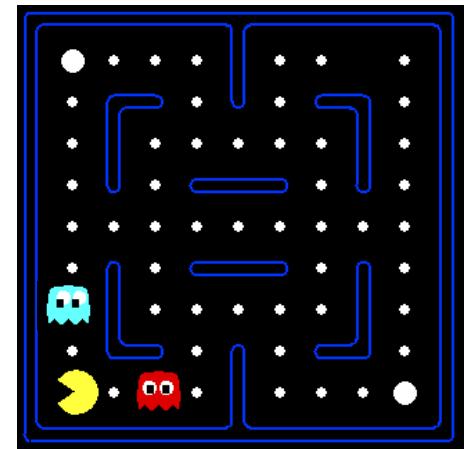
Let's say we discover through experience that this state is bad:



In naïve q-learning, we know nothing about this state:



Or even this one!



Video of Demo Q-Learning Pacman – Tiny – Watch All



Video of Demo Q-Learning Pacman – Tiny – Silent Train

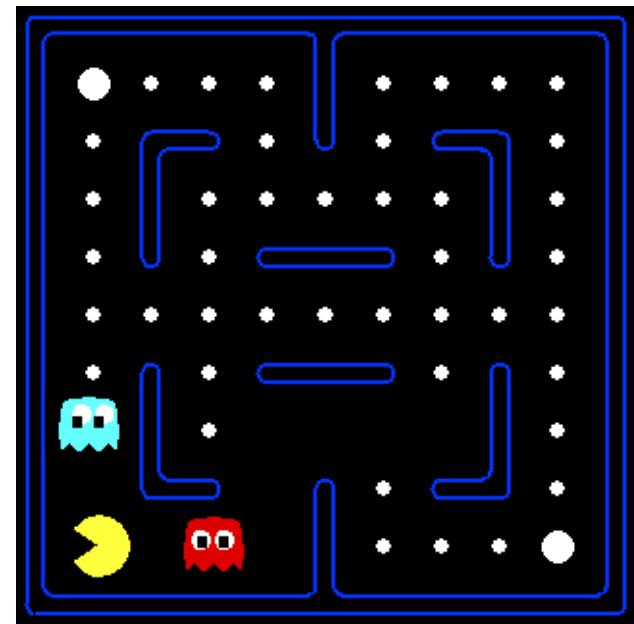


Video of Demo Q-Learning Pacman – Tricky –
Watch All



Feature-Based Representations

- Solution: describe a state using a vector of features (properties)
 - Features are functions from states to real numbers (often 0/1) that capture important properties of the state
 - Example features:
 - Distance to closest ghost
 - Distance to closest dot
 - Number of ghosts
 - $1 / (\text{dist to dot})^2$
 - Is Pacman in a tunnel? (0/1)
 - etc.
 - Is it the exact state on this slide?
 - Can also describe a q-state (s, a) with features (e.g. action moves closer to food)



Linear Value Functions

- Using a feature representation, we can write a Q function (or value function) for any state using a few weights:

$$V(s) = w_1 f_1(s) + w_2 f_2(s) + \dots + w_n f_n(s)$$

$$Q(s, a) = w_1 f_1(s, a) + w_2 f_2(s, a) + \dots + w_n f_n(s, a)$$

- With the wrong features, the best possible approximation may be terrible!
- But in practice we can compress a value function for chess (10^{43} states) down to about 30 weights and get decent play!!!
- Advantage: our experience is summed up in a few powerful numbers
- Disadvantage: states may share features but actually be very different in value!

Approximate Q-Learning

$$Q(s, a) = w_1 f_1(s, a) + w_2 f_2(s, a) + \dots + w_n f_n(s, a)$$

- Q-learning with linear Q-functions:

transition = (s, a, r, s')

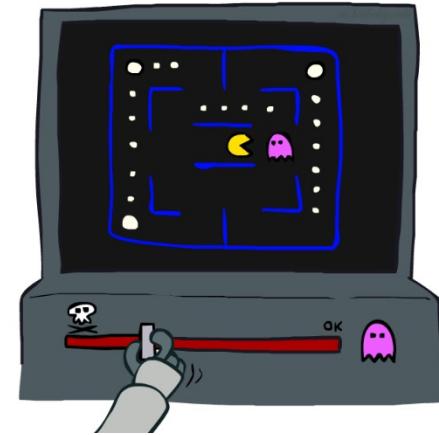
difference = $\left[r + \gamma \max_{a'} Q(s', a') \right] - Q(s, a)$

$Q(s, a) \leftarrow Q(s, a) + \alpha \text{ [difference]}$

$w_i \leftarrow w_i + \alpha \text{ [difference]} f_i(s, a)$

Exact Q's

Approximate Q's

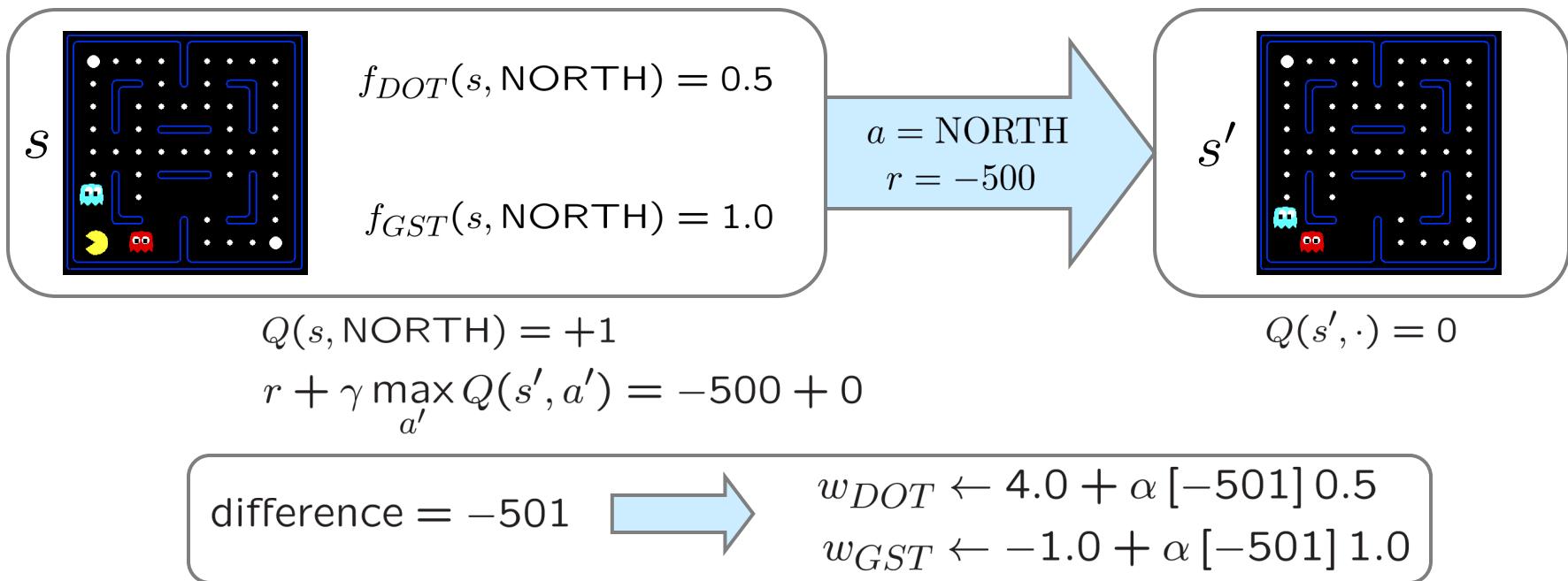


- Intuitive interpretation:

- Adjust weights of active features
- E.g., if something unexpectedly bad happens, blame the features that were on:
disprefer all states with that state's features
- Formal justification: online least squares

Example: Q-Pacman

$$Q(s, a) = 4.0f_{DOT}(s, a) - 1.0f_{GST}(s, a)$$

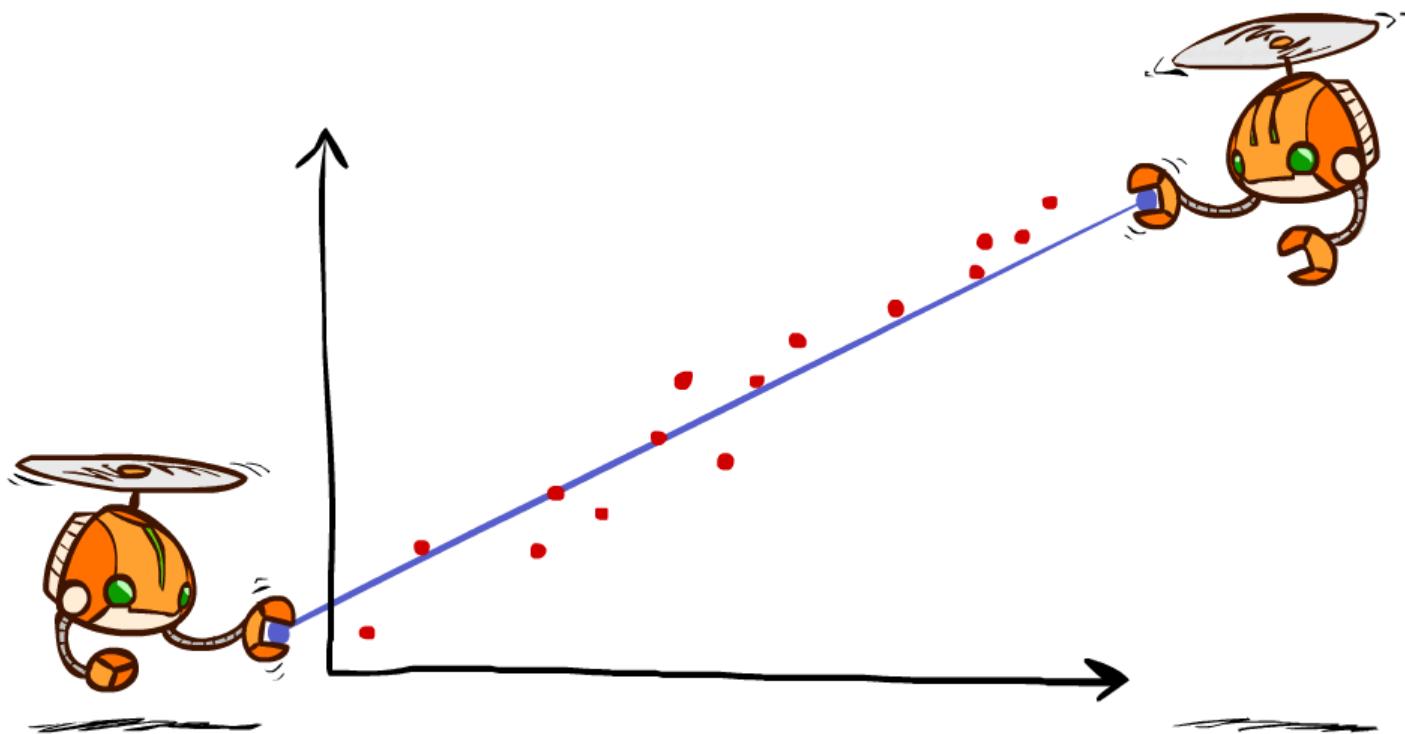


$$Q(s, a) = 3.0f_{DOT}(s, a) - 3.0f_{GST}(s, a)$$

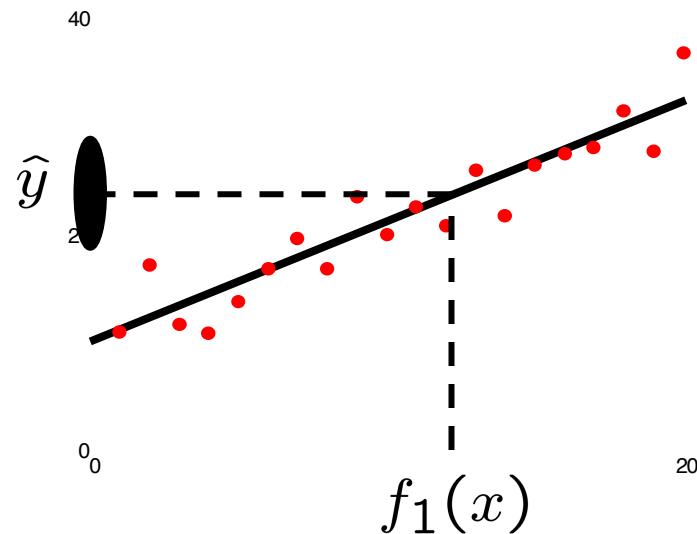
Video of Demo Approximate Q-Learning -- Pacman



Q-Learning and Least Squares

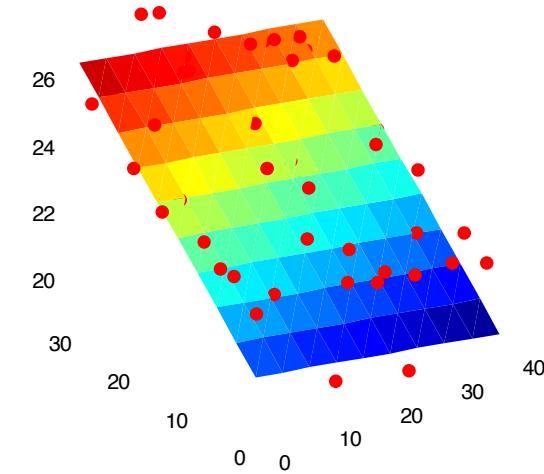


Linear Approximation: Regression*



Prediction:

$$\hat{y} = w_0 + w_1 f_1(x)$$

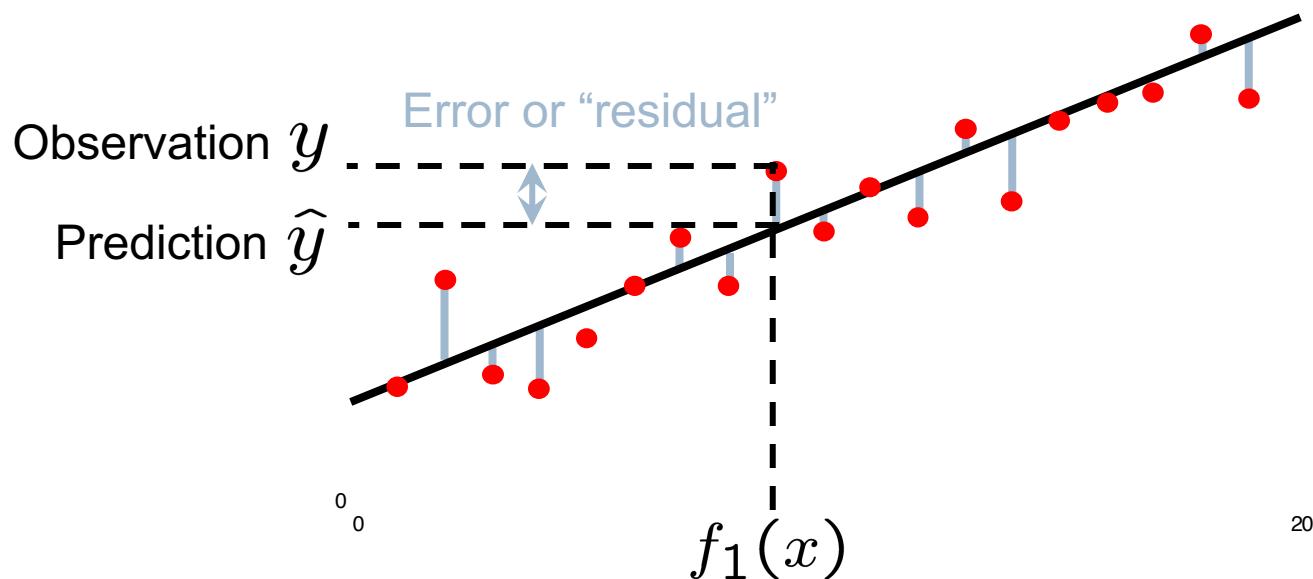


Prediction:

$$\hat{y}_i = w_0 + w_1 f_1(x) + w_2 f_2(x)$$

Optimization: Least Squares*

$$\text{total error} = \sum_i (y_i - \hat{y}_i)^2 = \sum_i \left(y_i - \sum_k w_k f_k(x_i) \right)^2$$

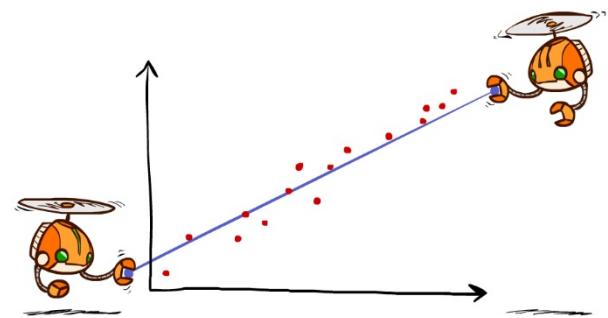


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Minimizing Error*

Imagine we had only one point x , with features $f(x)$, target value y , and weights w :

$$\text{error}(w) = \frac{1}{2} \left(y - \sum_k w_k f_k(x) \right)^2$$
$$\frac{\partial \text{error}(w)}{\partial w_m} = - \left(y - \sum_k w_k f_k(x) \right) f_m(x)$$
$$w_m \leftarrow w_m + \alpha \left(y - \sum_k w_k f_k(x) \right) f_m(x)$$

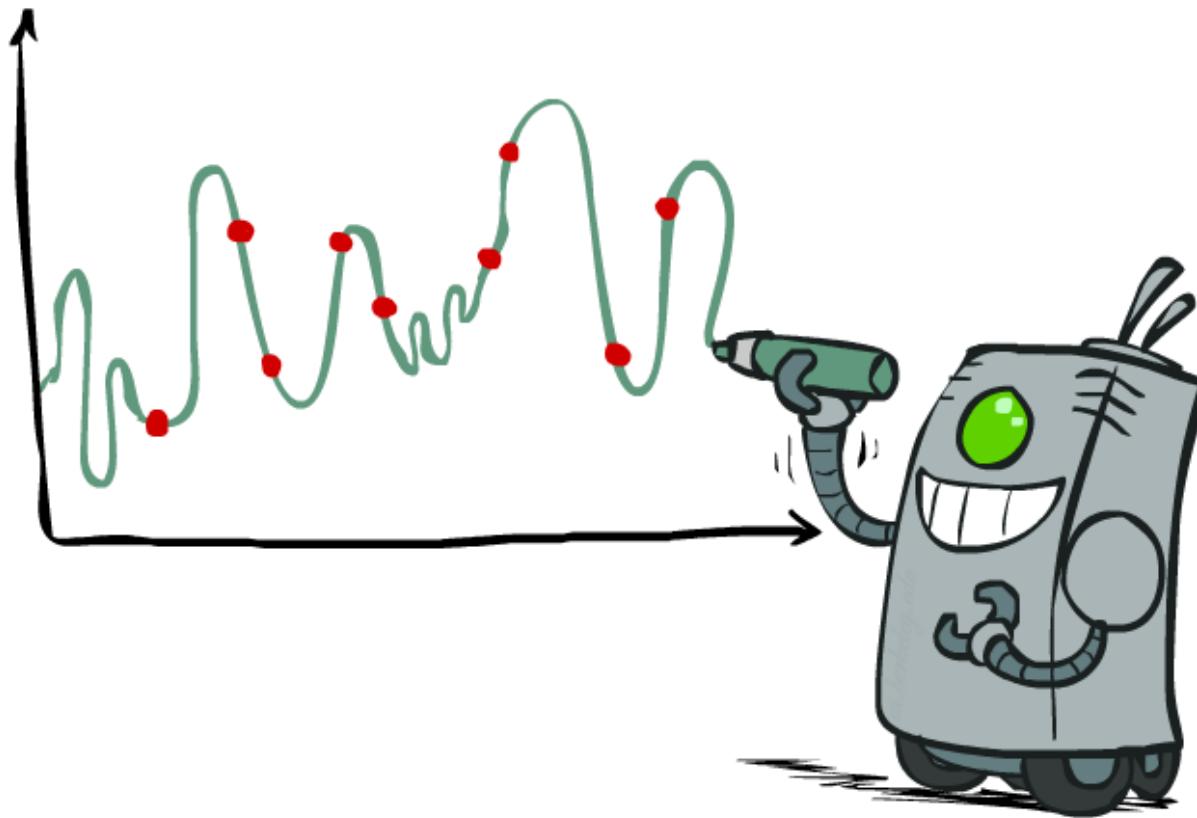


Approximate q update explained:

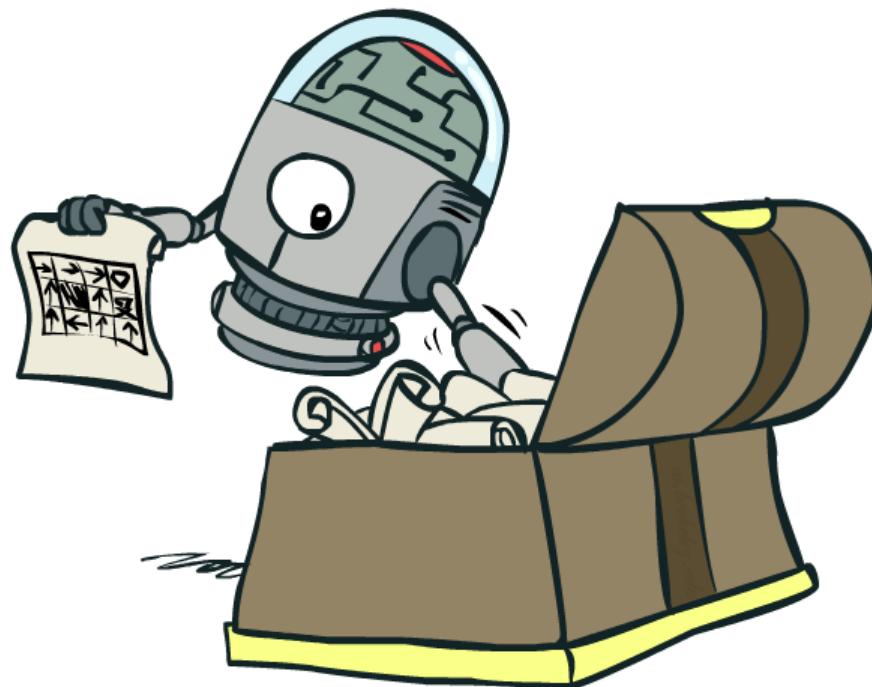
$$w_m \leftarrow w_m + \alpha \left[r + \gamma \max_a Q(s', a') - Q(s, a) \right] f_m(s, a)$$

“target” “prediction”

Overfitting: Why Limiting Capacity Can Help*



Policy Search



Policy Search

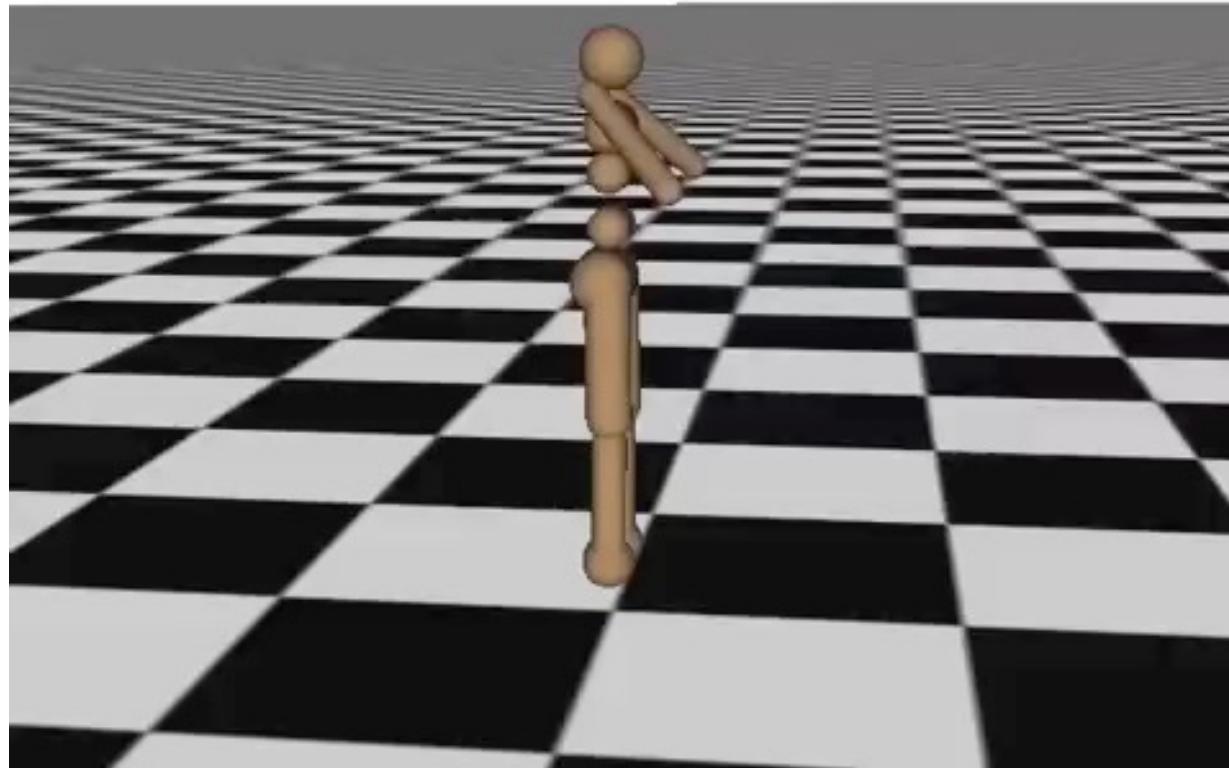
- Problem: often the feature-based policies that work well (win games, maximize utilities) aren't the ones that approximate V / Q best
 - Q-learning's priority: get Q -values close (modeling)
 - Action selection priority: get ordering of Q -values right (prediction)
 - We'll see this distinction between modeling and prediction again later in the course
- Solution: learn policies that maximize rewards, not the values that predict them
- Policy search: start with an ok solution (e.g. Q-learning) then fine-tune by hill climbing on feature weights

Policy Search

- Simplest policy search:
 - Start with an initial linear value function or Q-function
 - Nudge each feature weight up and down and see if your policy is better than before
- Problems:
 - How do we tell the policy got better?
 - Need to run many sample episodes!
 - If there are a lot of features, this can be impractical
- Better methods exploit lookahead structure, sample wisely, change multiple parameters...

Example from Pieter Abbeel

Iteration 0



The Story So Far: MDPs and RL

Known MDP: Offline Solution

Goal

Compute V^* , Q^* , π^*

Technique

Value / policy iteration

Evaluate a fixed policy π

Policy evaluation

Unknown MDP: Model-Based

Goal	<i>*use features to generalize</i>	Technique
Compute V^* , Q^* , π^*		VI/PI on approx. MDP
Evaluate a fixed policy π		PE on approx. MDP

Unknown MDP: Model-Free

Goal	<i>*use features to generalize</i>	Technique
Compute V^* , Q^* , π^*		Q-learning
Evaluate a fixed policy π		Value Learning

Summary

- Exploration vs. exploitation
 - Exploration guided by unfamiliarity and potential
 - Appropriately designed bonuses tend to minimize regret
- Generalization allows RL to scale up to real problems
 - Represent V or Q with parameterized functions
 - Adjust parameters to reduce sample prediction error

Conclusion

- We're done with Part I: Search and Planning!
- We've seen how AI methods can solve problems in:
 - Search
 - Constraint Satisfaction Problems
 - Games
 - Markov Decision Problems
 - Reinforcement Learning
- Next up: Part II: Reasoning, Uncertainty and Learning!

