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struct m0: output from a baseline simulation w/ low F10.7 and Kp

struct m1: output with a step-increase to Kp at t=0

#### Load TIE-GCM output netCDF files

```
m0 is the baseline simulation (low F10.7 and Kp)
m0 = get_netcdf_variables('lowF107.lowKp/s080.nc');
m1 is the "disturbed" case, in which a step function in Kp is applied at t=0
m1 = get_netcdf_variables('lowF107.lowtohighKp/s080.nc');
increase figure font size
set(0,'defaultaxesfontsize',16);
constants
boltz = 1.38e-16; % Boltzmann constant as TIE-GCM uses
m_02=32;m_01=16;m_N2=28;m_HE=4; % Molecular masses (AMU)
```

## Plot the Temperature difference (m1-m0) on a pressure level

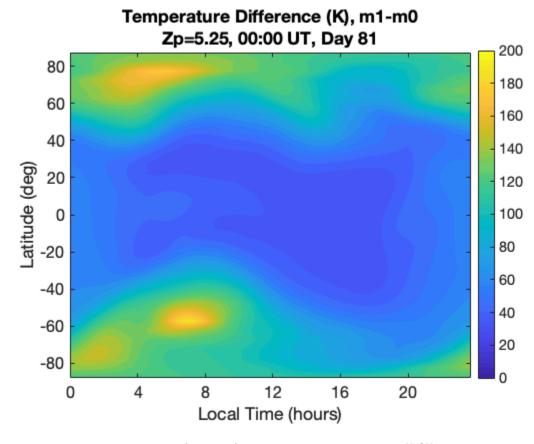


Figure 1. Temperature difference  $(T_1 - T_0)$  at a fixed pressure level  $z_p = 5.25$ .

### Plot the Density ratio (m1/m0) on a pressure level

Desired pressure level

nlev = 25;

loop through model output times

```
for it = 1:size(m0.mtime,2),
    % calculate loca time from longitude and UT time
    slt = mod([1,1/60]*double(m0.mtime(2:3,it))+m0.lon/15,24);
    % sort the data by local time
    [slt,islt] = sort(slt);
    % plot the ratio
    contourf(slt,m0.lat,(m1.DEN(islt,:,nlev,it)./
m0.DEN(islt,:,nlev,it))',25,...
        'edgecolor','none');
    set(gca, 'clim', [0.9,1], 'xlim', [0,23.6667], 'xtick', 0:4:24);
    colorbar
    % annotate plot
    xlabel('Local Time (hours)');ylabel('Latitude (deg)');
    title({ 'Density Ratio, m1/m0',...
        sprintf('Zp=%.2f, %02d:%02d UT, Day %d',...
        m0.ilev(nlev),m0.mtime([2:3,1],it))});
    %print(gcf,'-depsc2',sprintf('html/DENratio_%02d',it));
end
```

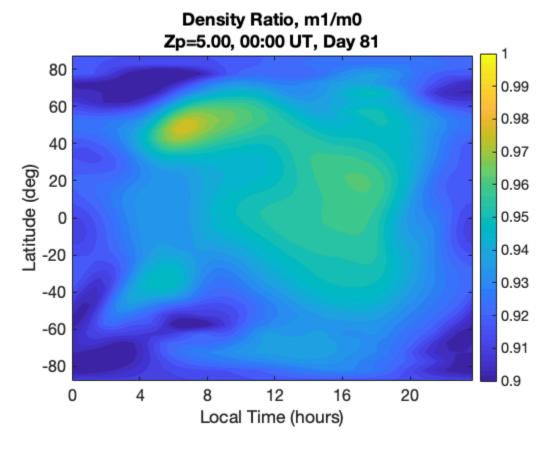


Figure 2. Density ratio  $(\rho_1/\rho_0)$  at a fixed pressure level  $z_p = 5.0$ .

### Plot the Density ratio (m1/m0) at a fixed altitude

Desired height

```
height = 400e5; % (cm)
loop through model output times
for it = 1:size(m0.mtime,2),
    % calculate loca time from longitude and UT time
    slt = mod([1,1/60]*double(m0.mtime(2:3,it))+m0.lon/15,24);
    % sort the data by local time
    [slt,islt] = sort(slt);
    % interpolate to fixed altitude in log-space
    [m0.den_alt,m1.den_alt] =
 deal(zeros(length(m0.lon),length(m0.lat))); % preallocate to avoid
 variables growing in for-loop
    for ilon = 1:length(m0.lon),
        for ilat = 1:length(m0.lat),
            m0.den_alt(ilon,ilat) =
 interplq(squeeze(m0.ZG(ilon,ilat,1:end-1,it)),log(squeeze(m0.DEN(ilon,ilat,1:end-
            m1.den_alt(ilon,ilat) =
 interplq(squeeze(m1.ZG(ilon,ilat,1:end-1,it)),log(squeeze(m1.DEN(ilon,ilat,1:end-
    end
    % convert log-densities back to densities
    [m0.den_alt,m1.den_alt] = deal(exp(m0.den_alt),exp(m1.den_alt));
    % plot the ratio
    contourf(slt,m0.lat,(m1.den_alt(islt,:)./
m0.den_alt(islt,:))',25,...
        'edgecolor','none');
    set(gca,'clim',[1,1.65],'xlim',[0,23.6667],'xtick',0:4:24);
    colorbar
    % annotate plot
    xlabel('Local Time (hours)');ylabel('Latitude (deg)');
    title({ 'Density Ratio, m1/m0',...
        sprintf('Height = %d km, %02d:%02d UT, Day %d',...
        round(1e-5*height),m0.mtime([2:3,1],it))});
    % save plot
    %print(gcf,'-depsc2',sprintf('html/DENratio_alt_%02d',it));
end
```

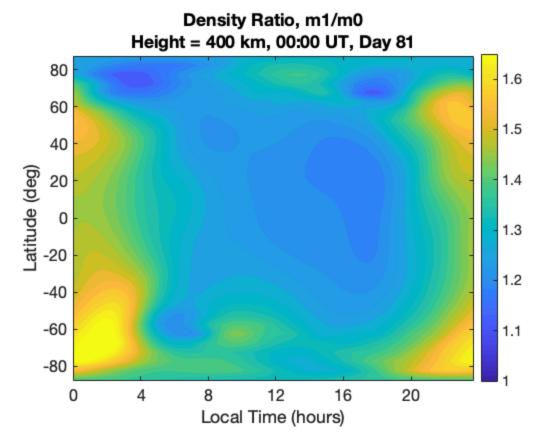


Figure 3. Density ratio  $(\rho_1/\rho_0)$  at a fixed altitude of 400 km.

## Plot vertical profiles of number density after 20 minutes of simulation at the location of maximum $\rho_1/\rho_0$ (from Figure 3)

Starting with the ideal gas law, we want to calculate number density for species i:

$$P = nk_BT$$

Substitute  $\rho = n\bar{m}$ 

$$P = \frac{\rho}{\bar{m}} k_B T$$

Multiply both sides by the mass mixing ratio of species i:

$$\psi_i P = \frac{\psi_i \rho}{\bar{m}} k_B T$$

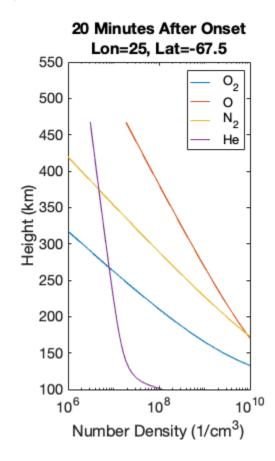
Substitute  $\psi_i \rho = \rho_i = n_i m_i$ :

$$\psi_i P = \frac{n_i m_i}{\bar{m}} k_B T$$

Solve for number density  $n_i$  in terms of TIE-GCM output variables:

```
n_i = \frac{\psi_i P \bar{m}}{m_i k_B T}
it = 1; % time index
calculate local time
slt = mod([1,1/60]*double(m0.mtime(2:3,it))+m0.lon/15,24);
find maximum density difference from previous plot after 1 day of simulation
[ilon,ilat] = find( max(max(m1.den_alt./m0.den_alt)) == m1.den_alt./
m0.den_alt );
Calculate pressure on the midpoints (lev) as opposed to interfaces (ilev) for these variables:
P = m0.p0_model*exp(-m0.lev);
Calculate mean mass \bar{m} for baseline model m0
m0.HE = 1-m0.O2-m0.O1-m0.N2; % quick fix: I forgot to output HE in
 these files, woops
m0.mbar = 1./(m0.02/32+m0.01/16+m0.N2/28+m0.HE/4);
Calculate n_i for baseline model m0 (ignore the upper 4 grid points for composition)
term = (1/boltz)*P(1:end-4).*squeeze(m0.mbar(ilon,ilat,1:end-4,it)./
m0.TN(ilon,ilat,1:end-4,it));
m0.n_02 = term.*squeeze(m0.02(ilon,ilat,1:end-4,it))/m_02;
m0.n_O1 = term.*squeeze(m0.O1(ilon,ilat,1:end-4,it))/m_O1;
m0.n_N2 = term.*squeeze(m0.N2(ilon,ilat,1:end-4,it))/m_N2;
m0.n_HE = term.*squeeze(m0.HE(ilon,ilat,1:end-4,it))/m_HE;
Calculate mean mass \bar{m} for disturbed model m1
m1.HE = 1-m1.O2-m1.O1-m1.N2; % quick fix: I forgot to output HE in
 these files, woops
m1.mbar = 1./(m1.02/32+m1.01/16+m1.N2/28+m1.HE/4);
Calculate n_i for disturbed model m1 (ignore the upper 4 grid points for composition)
term = (1/boltz)*P(1:end-4).*squeeze(m1.mbar(ilon,ilat,1:end-4,it)./
m1.TN(ilon,ilat,1:end-4,it));
m1.n_02 = term.*squeeze(m1.02(ilon,ilat,1:end-4,it))/m_02;
ml.n_O1 = term.*squeeze(ml.O1(ilon,ilat,1:end-4,it))/m_O1;
m1.n_N2 = term.*squeeze(m1.N2(ilon,ilat,1:end-4,it))/m_N2;
m1.n_HE = term.*squeeze(m1.HE(ilon,ilat,1:end-4,it))/m_HE;
plot m0 and m1 profiles
subplot 121
semilogx([m0.n O2,m0.n O1,m0.n N2,m0.n HE],1e-5*squeeze(m0.ZGMID(ilon,ilat,1:end-4
hold on;
set(gca,'colororderindex',1);
```

```
semilogx([m1.n_O2,m1.n_O1,m1.n_N2,m1.n_HE],1e-5*squeeze(m1.ZGMID(ilon,ilat,1:end-4
xlabel('Number Density (1/cm^3)');
ylabel('Height (km)');
title({'20 Minutes After Onset',sprintf('Lon=%d, Lat=
%.1f',m0.lon(ilon),m0.lat(ilat))});
xlim([1e6,1e10])
ylim([100,550]);
legend('O_2','O','N_2','He');
```



# Plot vertical profiles of number density after 1 day of simulation at the location of maximum $\rho_1/\rho_0$ (from Figure 3)

Starting with the ideal gas law, we want to calculate number density for species i:

$$P = nk_BT$$

Substitute  $\rho = n\bar{m}$ 

$$P = \frac{\rho}{\bar{m}} k_B T$$

Multiply both sides by the mass mixing ratio of species i:

$$\psi_i P = rac{\psi_i 
ho}{ar{m}} k_B T$$

Substitute  $\psi_i \rho = \rho_i = n_i m_i$ :

$$\psi_i P = \frac{n_i m_i}{\bar{m}} k_B T$$

Solve for number density  $n_i$  in terms of TIE-GCM output variables:

$$n_i = \frac{\psi_i P \bar{m}}{m_i k_B T}$$

it = 72; % time index

calculate local time

```
slt = mod([1,1/60]*double(m0.mtime(2:3,it))+m0.lon/15,24);
```

find maximum density difference from previous plot after 1 day of simulation

```
[ilon,ilat] = find( max(max(m1.den_alt./m0.den_alt)) == m1.den_alt./
m0.den alt );
```

Calculate pressure on the midpoints (lev) as opposed to interfaces (ilev) for these variables:

```
P = m0.p0_model*exp(-m0.lev);
```

Calculate mean mass  $\bar{m}$  for baseline model m0

```
m0.HE = 1-m0.O2-m0.O1-m0.N2; % quick fix: I forgot to output HE in
  these files, woops
m0.mbar = 1./(m0.O2/32+m0.O1/16+m0.N2/28+m0.HE/4);
% Calculate $n_i$ for baseline model m0 (ignore the upper 4 grid
  points for composition)
term = (1/boltz)*P(1:end-4).*squeeze(m0.mbar(ilon,ilat,1:end-4,it)./
m0.TN(ilon,ilat,1:end-4,it));
m0.n_O2 = term.*squeeze(m0.O2(ilon,ilat,1:end-4,it))/m_O2;
m0.n_O1 = term.*squeeze(m0.O1(ilon,ilat,1:end-4,it))/m_O1;
m0.n_N2 = term.*squeeze(m0.N2(ilon,ilat,1:end-4,it))/m_N2;
m0.n_HE = term.*squeeze(m0.HE(ilon,ilat,1:end-4,it))/m_HE;
```

Calculate mean mass  $\bar{m}$  for disturbed model m1

```
m1.HE = 1-m1.O2-m1.O1-m1.N2; % quick fix: I forgot to output HE in
    these files, woops
m1.mbar = 1./(m1.O2/32+m1.O1/16+m1.N2/28+m1.HE/4);
```

Calculate  $n_i$  for disturbed model m1 (ignore the upper 4 grid points for composition)

```
term = (1/boltz)*P(1:end-4).*squeeze(m1.mbar(ilon,ilat,1:end-4,it)./
m1.TN(ilon,ilat,1:end-4,it));
m1.n_02 = term.*squeeze(m1.02(ilon,ilat,1:end-4,it))/m_02;
m1.n_01 = term.*squeeze(m1.01(ilon,ilat,1:end-4,it))/m_01;
m1.n_N2 = term.*squeeze(m1.N2(ilon,ilat,1:end-4,it))/m_N2;
```

```
m1.n_HE = term.*squeeze(m1.HE(ilon,ilat,1:end-4,it))/m_HE;
plot m0 and m1 profiles
subplot 122
semilogx([m0.n_02,m0.n_01,m0.n_N2,m0.n_HE],1e-5*squeeze(m0.ZGMID(ilon,ilat,1:end-4))
hold on;
set(gca,'colororderindex',1);
semilogx([m1.n_02,m1.n_01,m1.n_N2,m1.n_HE],1e-5*squeeze(m1.ZGMID(ilon,ilat,1:end-4))
xlabel('Number Density (1/cm^3)');
ylabel('Height (km)');
title({ '1 Day After Onset', sprintf('Lon=%d, Lat=
%.1f',m0.lon(ilon),m0.lat(ilat))});
xlim([1e6,1e10])
ylim([100,550]);
legend('0_2','0','N_2','He');
                                               1 Day After Onset
          20 Minutes After Onset
             Lon=25, Lat=-67.5
                                               Lon=25, Lat=-67.5
      550
                                        550
                                                                 02
                               02
      500
                                        500
                               0
                                                                 0
                               N,
                                                                 N,
      450
                                        450
                               He
                                                                 He
      400
                                        400
   Height (km)
300
320
                                     Height (km)
300
350
      250
                                        250
```

200

150

100 — 10<sup>6</sup>

10<sup>10</sup>

10<sup>10</sup>

10<sup>8</sup>

Number Density (1/cm<sup>3</sup>)

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10<sup>8</sup>

Number Density (1/cm<sup>3</sup>)

200

150

100

10<sup>6</sup>