

DEPARTMENT OF COMPUTER SCIENCE AND ENGINEERING  
UNIVERSITY INSTITUTE OF ENGINEERING AND TECHNOLOGY,  
CSJM UNIVERSITY, KANPUR

**Subject- Data Structure Using Python (CSE-S208) Branch CSE-AI**

Semester- 2023-2024 (Even Semester)

Year: **II Year, Semester IV**

**First Mid Semester Examination, 13/02/2024, Shift-II**

Time: 1:30 hours

Maximum Marks: 30

Note: All questions are compulsory.

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**Section A**

Each question in this section carries 01 marks

- Exception handling in Python deals with:  
(a) Syntax error  
(b) Semantic error  
(c) Runtime error  
(d) Memory error
- The fastest stable sorting technique for a large, sorted list is:  
(a) Quick sort  
(b) Merge sort  
(c) Insertion sort  
(d) Selection sort
- The time complexity to find third largest element from a sorted list (array) of size  $n$  with a most efficient algorithm is:  
(a)  $O(n^3)$   
(b)  $O(n^2)$   
(c)  $O(n)$   
(d)  $O(1)$
- Imagine a spreadsheet (table) of student's info of BTech CSE AI is sorted based on roll number of the students as shown below.

RollNo	FirstName	LastName	DSA Score
1	Ankita	Das	30
2	Suraj	Mandal	25
3	Suvam	Basak	27

What would be the best search strategy in term of complexity to find the roll number of the student scored 30 in the course Data Structures?

- (a) Binary search
- (b) Linear search
- (c) Both (a) and (b) will lead to same performance
- (d) None

5. Let  $f$  and  $g$  be functions of natural numbers given by  $f(n) = n$  and  $g(n) = n^2$ . Then which of the following statements is/are True:

- (a)  $f = O(g)$
- (b)  $f = \Omega(g)$
- (c)  $f = \theta(g)$
- (d) None

6. Consider the following function `fun` :

```
def fun(n: int) -> int:
    sum, i = 0, 0
    while i < n:
        i *= 2
        for j in range(n):
            sum += 1
    return sum
```

Which of the following notation is not valid for the given function

- (a)  $\theta(n \log n)$
- (b)  $O(n^2)$
- (c)  $\Omega(n \log n)$
- (d)  $\Omega(n^2)$

7. Which one is the correct recurrence relation of binary search technique?

- (a)  $T(n) = T(n-1) + C$

(b)  $T(n) = T(n-2) + C$

(c)  $T(n) = 2T(n/2) + C$

(d)  $T(n) = T(n/2) + C$

8. Consider following two line of Python code:

```
email_id = 'suvambasak@csjmu.ac.in'  
print (email_id.split('@')[1][:5])
```

What would be the output of this code snippet?

(a) 'suvambasak'

(b) 'csjmu.ac.in'

(c) 'csjmu'

(d) 'ac.in'

9. Consider following function

```
def fun(**args):  
    print(type(args))
```

What is the expected output of function call: `fun(name='csjmu')`?

(a) `<class 'str'>`

(b) `<class 'list'>`

(c) `<class 'dict'>`

(d) `<class 'set'>`

## Section B

Each question in this section carries 03 marks

10. The binary search strategy could be implemented with the iterative approach as well as a recursive approach. Which type of implementation would be considered more efficient and why? (1+2)

Iterative implementation will be more efficient in term of memory complexity. Because of no use of stack.

11. Write a function in Python to compute GCD of two number (num\_1, num\_2) using iterative Euclidean algorithm.

```
def gcd(m: int, n: int):  
    if m < n:  
        m, n = n, m  
    while m % n != 0:  
        m, n = n, m%n
```

```
return n
```

12. How would you utilize the partition function of Quick Sort techniques to find the k-th smallest element in a list? Explain with a few lines of code/algorithm. Also, mention the best and worst-case time complexity of this approach. (2+1)

**Note:** Assume that the partition function is given and uses the list's first element as the Pivot element

```
def k_th_smallest(data, l, h, K):
    _k = partition(data, l, h)
    while _k != K:
        if _k > K:
            h = _k-1
        elif _k < K:
            l = _k+1
        _k = partition(data, l, h)
    return _k
```

Best case TC:  $O(n)$

Worst case TC:  $O(n^2)$

### Section C

Each question in this section carries 06 marks

13. Considers the following Python program below:

```
def fun(n):
    if n <= 1:
        return n
    else:
        x = fun(n-1)
        for i in range(n):
            x += 1
        return x
```

Derive the recurrence relation of the problem. Find the time complexity of the program. (3+3)

#### Recurrence relation

$$T(n) = T(n-1) + n + c$$

$$T(1) = 1$$

#### Time complexity

$$T(n) = T(n-1) + n + C$$

$$= [T(n-2) + n-1 + C] + n + C$$

$$= T(n-2) + (n-1) + n + 2C$$

$$= [T(n-3) + n-2 + c] + (n-1) + n + 2C$$

$$= T(n-3) + (n-2) + (n-1) + n + 3C$$

...

...

...

$$= T(n-k) + (n-(k-1)) + (n-(k-2)) + \dots + (n-3) + (n-2) + \dots + (n-1) + n + kC$$

$$= T(1) + 1 + 2 + 3 + \dots + (n-3) + (n-2) + \dots + (n-1) + n + kC = n(n+1)/2 = O(n^2)$$

14. Derive the worst-case time complexity of Quick Sort from a recurrence relation. What would be your strategy to deal with that, and why? (3+1+2)

Worst-case time complexity of Quick Sort

$$T(n) = T(n-1) + n + c$$

$$T(1) = 1$$

$$TC: O(n^2)$$

**Strategy:** Randomized quick sort

**Why:** Still the TC is  $O(n^2)$  but chance of occurring such case for large  $n$  is almost zero because in each pass probability of selecting worst Pivot is  $(2/n)$ .

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