#### Database Systems, Even 2020-21



#### **Normalization: Practice Problems**

- Find if a given functional dependency is implied from a set of functional dependencies:
  - For:  $A \rightarrow BC$ ,  $CD \rightarrow E$ ,  $E \rightarrow C$ ,  $D \rightarrow AEH$ ,  $ABH \rightarrow BD$ ,  $DH \rightarrow BC$ 
    - o Check: *BCD*→*H*
    - Check:  $AED \rightarrow C$
  - For:  $AB \rightarrow CD$ ,  $AF \rightarrow D$ ,  $DE \rightarrow F$ ,  $C \rightarrow G$ ,  $F \rightarrow E$ ,  $G \rightarrow A$ 
    - o Check: CF→DF
    - o Check: BG→E
    - Check:  $AF \rightarrow G$
    - o Check: AB→EF
  - For:  $A \rightarrow BC$ ,  $B \rightarrow E$ ,  $CD \rightarrow EF$ 
    - o Check: *AD*→*F*

- Find candidate key using functional dependencies:
  - $\mathbf{R} = (ABCDE)$ ;  $FDs = \{AB \rightarrow C, DE \rightarrow B, CD \rightarrow E\}$
  - $\mathbf{R} = (ABCDE)$ ;  $FDs = \{AB \rightarrow C, C \rightarrow D, B \rightarrow AE\}$
- Find superkey using functional dependencies:
  - $\mathbf{R} = (ABCDE)$ ;  $FDs = \{AB \rightarrow C, DE \rightarrow B, CD \rightarrow E\}$
  - $\mathbf{R} = (ABCDE)$ ;  $FDs = \{AB \rightarrow C, C \rightarrow D, B \rightarrow AE\}$

- Find prime and nonprime attributes using functional dependencies:
  - $\mathbf{R} = (ABCDEF)$ ;  $FDs = \{AB \rightarrow C, C \rightarrow D, D \rightarrow E, F \rightarrow B, E \rightarrow F\}$
  - $\mathbf{R} = (ABCDEF)$ ;  $FDs = \{AB \rightarrow C, C \rightarrow DE, E \rightarrow F, C \rightarrow B\}$
  - $\mathbf{R} = (ABCDEFGHIJ)$ ;  $FDs = \{AB \rightarrow C, A \rightarrow DE, B \rightarrow F, F \rightarrow GH, D \rightarrow IJ\}$
  - $\mathbf{R} = (ABDLPT)$ ;  $FDs = \{B \rightarrow PT, A \rightarrow D, T \rightarrow L\}$
  - $\mathbf{R} = (ABCDEFGH)$ ;  $FDs = \{E \rightarrow G, AB \rightarrow C, AC \rightarrow B, AD \rightarrow E, B \rightarrow D, BC \rightarrow A\}$
  - $\mathbf{R} = (ABCDE)$ ;  $FDs = \{A \rightarrow BC, CD \rightarrow E, B \rightarrow D, E \rightarrow A\}$
  - $\mathbf{R} = (ABCDEH)$ ;  $FDs = \{A \rightarrow B, BC \rightarrow D, E \rightarrow C, D \rightarrow A\}$

- **Prime attributes:** Attribute set that belongs to any candidate key are called *prime attributes* 
  - It is union of all the candidate key attribute: {CK1 ∪ CK2 ∪ CK3 ∪ ...}
  - If prime attribute determined by other attribute set, then more than one candidate key is possible
  - For example, if A is candidate key, and  $A \rightarrow B$ , then, X is also candidate key
- Nonprime attributes: Attribute set that does not belongs to any candidate key are called nonprime attributes

- Check the equivalence of a pair of sets of functional dependencies:
  - Consider the two sets F and G with their FDs as below:
    - $\circ$   $F: \{A \rightarrow C, AC \rightarrow D, E \rightarrow AD, E \rightarrow H\}$
    - $\circ$  G: { $A \rightarrow CD$ ,  $E \rightarrow AH$ }
  - Consider the two sets P and Q with their FDs as below:
    - $\circ$   $P: \{A \rightarrow B, AB \rightarrow C, D \rightarrow ACE\}$
    - $\circ$  Q:  $\{A \rightarrow BC, D \rightarrow AE\}$

- Find the minimal cover or irreducible sets or canonical cover of a set of functional dependencies:
  - $AB \rightarrow CD$ ,  $BC \rightarrow D$
  - ABCD $\rightarrow$ E, E $\rightarrow$ D, AC $\rightarrow$ D, A $\rightarrow$ B

#### Practice Problem on Lossless Join

- Check if the decomposition of R into D is lossless:
  - $\mathbf{R} = (ABC)$ ;  $FDs = \{A \rightarrow B, A \rightarrow C\}$ ;  $D = \mathbf{R}_1(AB), \mathbf{R}_2(BC)$ ;
  - $\mathbf{R} = (ABCDEF)$ ;  $FDs = \{A \rightarrow B, B \rightarrow C, C \rightarrow D, E \rightarrow F\}$ ;  $D = \mathbf{R}_1(AB)$ ,  $\mathbf{R}_2(BCD)$ ;  $\mathbf{R}_3(DEF)$ ;
  - $\mathbf{R} = (ABCDEF)$ ;  $FDs = \{A \rightarrow B, C \rightarrow DE, AC \rightarrow F\}$ ;  $D = \mathbf{R}_1(BE), \mathbf{R}_2(ACDEF)$ ;
  - $\mathbf{R} = (ABCDEG)$ ;  $FDs = \{AB \rightarrow C, AC \rightarrow B, AD \rightarrow E, B \rightarrow D, BC \rightarrow A, E \rightarrow G\}$ ;  $D = \mathbf{R}_1(AB), \mathbf{R}_2(BC), \mathbf{R}_3(ABDE), \mathbf{R}_4(EG)$ ;
  - $\mathbf{R}$  = (ABCDEG); FDs = { $AB \rightarrow C$ ,  $AC \rightarrow B$ ,  $AD \rightarrow E$ ,  $B \rightarrow D$ ,  $BC \rightarrow A$ ,  $E \rightarrow G$ }; D =  $\mathbf{R}_1$ (ABC),  $\mathbf{R}_2$ (ACDE),  $\mathbf{R}_3$ (ADG);
  - $\mathbf{R} = (\mathsf{ABCDEFGHIJ}); \ \mathsf{FDs} = \{AB \rightarrow C, B \rightarrow F, D \rightarrow IJ, A \rightarrow DE, F \rightarrow GH\}; \ \mathsf{D} = \mathbf{R_1}(\mathsf{ABC}), \ \mathbf{R_2}(\mathsf{ADE}), \ \mathbf{R_3}(\mathsf{BF}), \ \mathbf{R_4}(\mathsf{FGH}), \ \mathbf{R_5}(\mathsf{DIJ});$
  - $\mathbf{R} = (\mathsf{ABCDEFGHIJ}); \ \mathsf{FDs} = \{AB \to C, \ B \to F, \ D \to IJ, \ A \to DE, \ F \to GH\}; \ \mathsf{D} = \mathbf{R}_1(\mathsf{ABCDE}) \ , \ \mathbf{R}_2(\mathsf{BFGH}), \ \mathbf{R}_3(\mathsf{DIJ});$
  - $\quad \mathbf{R} = (\mathsf{ABCDEFGHIJ}); \ \mathsf{FDs} = \{ AB \to C, \ B \to F, \ D \to IJ, \ A \to DE, \ F \to GH \}; \ \mathsf{D} = \mathbf{R_1}(\mathsf{ABCD}) \ , \ \mathbf{R_2}(\mathsf{DE}), \ \mathbf{R_3}(\mathsf{BF}), \ \mathbf{R_4}(\mathsf{FGH}), \ \mathbf{R_5}(\mathsf{DIJ});$

### Practice Problem for 3NF Decomposition

- $\mathbf{R} = (ABCDEFGH)$ ;  $FDs = \{A \rightarrow B, ABCD \rightarrow E, EF \rightarrow GH, ACDF \rightarrow EG\}$
- $\mathbf{R} = (CSJDPQV)$ ;  $FDs = \{C \rightarrow CSJDPQV, SD \rightarrow P, JP \rightarrow C, J \rightarrow S\}$
- $\mathbf{R} = (\mathsf{ABCDEFGH}); \ \mathsf{FDs} = \{A \to CD, \ ACF \to G, \ AD \to BEF, \ BCG \to D, \ CF \to AH, \ CH \to G, \ D \to B, \ H \to DEG\}$
- $\mathbf{R} = (ABCDE)$ ;  $FDs = \{A \rightarrow B, AB \rightarrow D, B \rightarrow BDE, C \rightarrow D, D \rightarrow D\}$
- $\mathbf{R} = (BOISQD)$ ;  $FDs = \{I \rightarrow B, IS \rightarrow Q, B \rightarrow O, S \rightarrow D\}$
- $\mathbf{R} = (ABCDE)$ ;  $FDs = \{A \rightarrow CD, B \rightarrow CE, E \rightarrow B\}$

# Practice Problem for BCNF Decomposition

- $\mathbf{R} = (ABCDE)$ ;  $FDs = \{A \rightarrow B, BC \rightarrow D\}$
- $\mathbf{R} = (ABCDEH)$ ;  $FDs = \{A \rightarrow BC, E \rightarrow HA\}$
- $\mathbf{R} = (CSJDPQV)$ ;  $FDs = \{C \rightarrow CSJDPQV, SD \rightarrow P, JP \rightarrow C, J \rightarrow S\}$
- $\mathbf{R} = (ABCD)$ ;  $FDs = \{C \rightarrow D, C \rightarrow A, B \rightarrow C\}$

#### Thank you...

Any question?

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