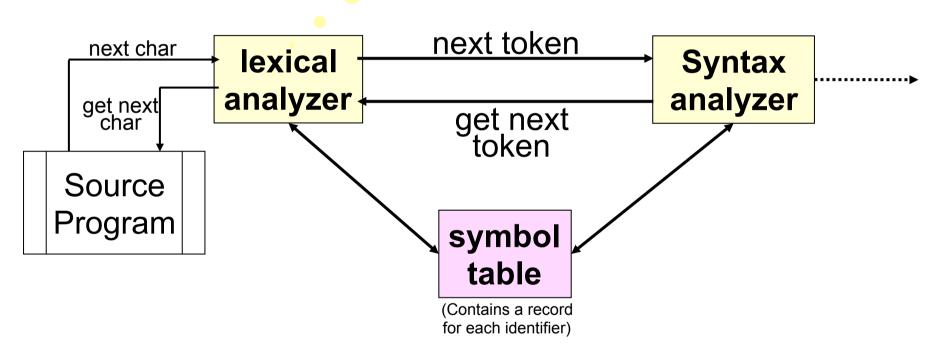
Compilers

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Lexical Analyzer (Scanner)

- 1. Uses Regular Expressions to define tokens
- 2. Uses Finite Automata to recognize tokens



token: smallest meaningful sequence of characters of interest in source program

What is tokens?

Source program text — Tokens

Examples Tokens

- Operators $= + > ({ := == <>}$
- Keywords if while for int double
- Identifiers such as pi in program fragment const pi=3.14;
- Numeric literals 43 6.035 -3.6e10 0x13F3A
- − Character literals 'a' '~' '\''
- String literals "6.891" "Fall 98" "\"\" = empty"
- Punctuation symbols such as comma and semicolon etc.

Example of non-tokens

- White space space(' ') tab('\t') end-of-line('\n')
- Comments /*this is not a token*/

How the scanner recognizes a token?

General approach:

- 1. Build a deterministic finite automaton (DFA) from regular expression *E*
- 2. Execute the DFA to determine whether an input string belongs to L(E)

Note: The DFA construction is done automatically by a tool such as *lex*.

Regular Definitions

Regular definitions are regular expressions associated with suitable names.

For Example the set of identifiers in Java can be expressed by the Following regular definition:

```
letter \rightarrow A | B | ... | Z | a | b | ... | z
digit \rightarrow 0 | 1 | 2 | ... | 9
id \rightarrow letter (letter | digit)*
```

Regular Definitions

Notations

- 1. The `+` symbol denotes *one or more instance*
- 2. The `?` symbol denotes zero or one instance
- 3. The `[]` symbol denotes *character classes*

Example: the following regular definitions represents unsigned numbers in C

```
digit \rightarrow [0 − 9]
digits \rightarrow digit<sup>+</sup>
fraction \rightarrow (.digits)?
exponent \rightarrow (E(+|-)? digits)?
number \rightarrow digits fraction exponent
```

How to Parse a Regular Expression?

Given a DFA, we can generate an automaton that recognizes the longest substring of an input that is a valid token.

Using the three simple rules presented, it is easy to generate an NFA to recognize a regular expression.

Given a regular expression, how do we generate an automaton to recognize tokens?

Create an NFA and convert it to a DFA.

Regular expressions for some tokens

```
if
                                                   {return IF;}
[a - z] [a - z0 - 9] *
                                                   {return ID;}
[0 - 9] +
                                                   {return NUM;}
([0-9] + "." [0-9] *) | ([0-9] * "." [0-9] +)
                                                  {return REAL;}
("--" [a - z]* "\n") | (" " | "\n " | "\t ") +
                                                  {/* do nothing*/}
                                                   {error ();}
```

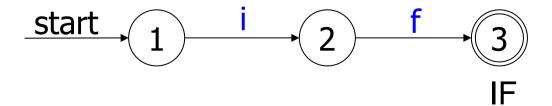
Building Finite Automata for Lexical Tokens

if {return IF;}

The NFA for a symbol i is: $\frac{\text{start}}{1}$

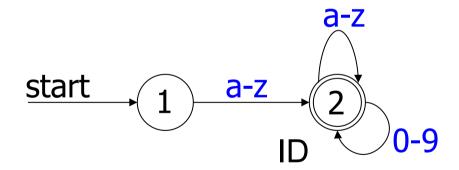
The NFA for a symbol f is: $\frac{\text{start}}{1}$

The NFA for the regular expression if is:



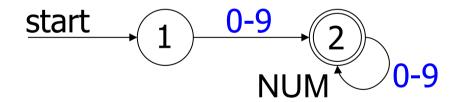
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[a-z] [a-z0-9] * {return ID;}

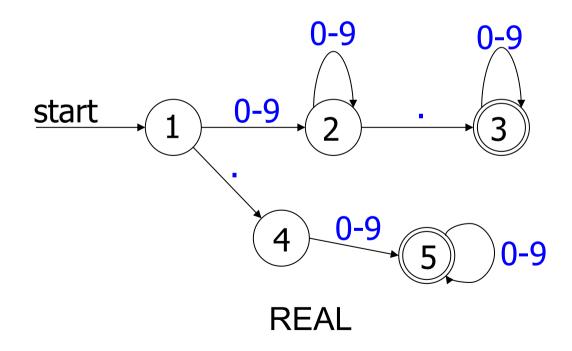


Building Finite Automata for Lexical Tokens

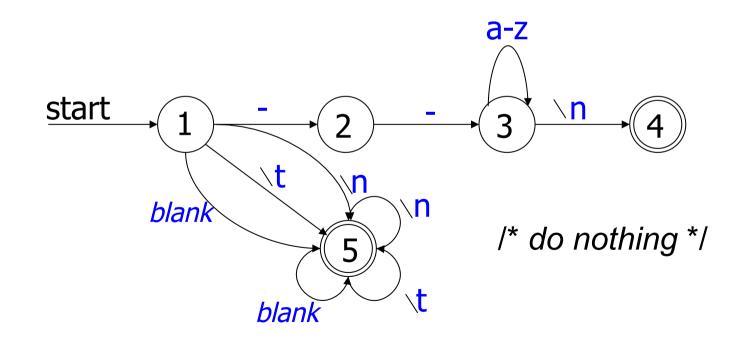
[0 - 9] + {return NUM;}



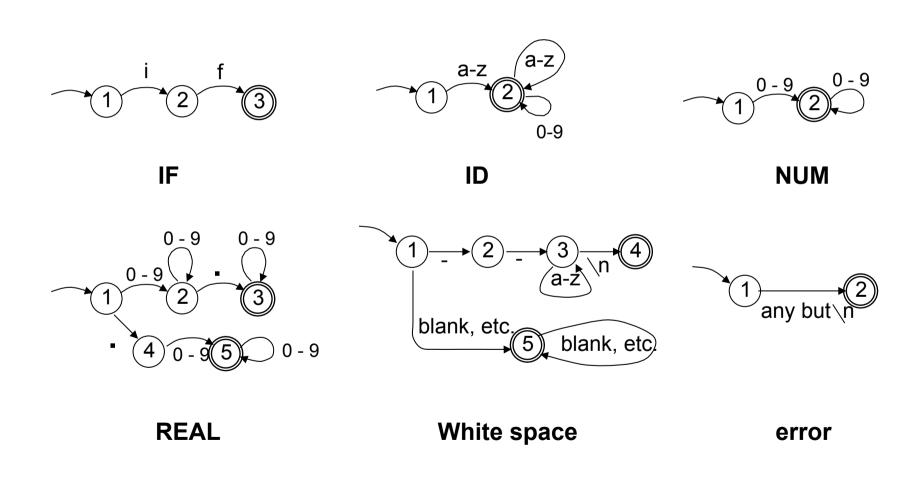
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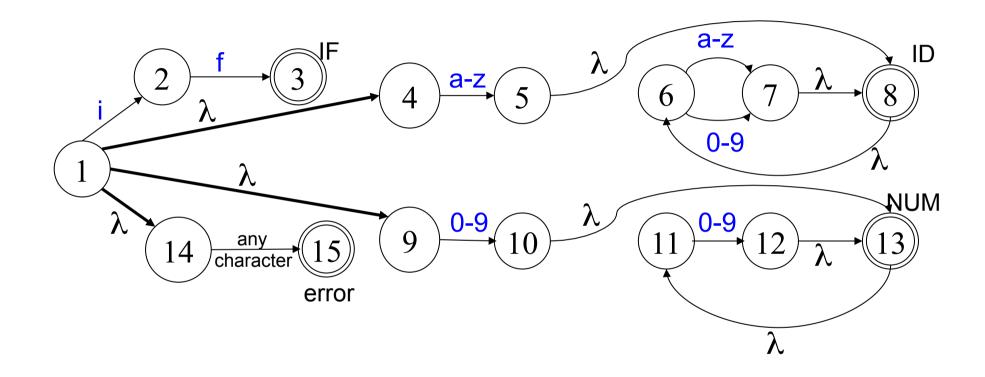


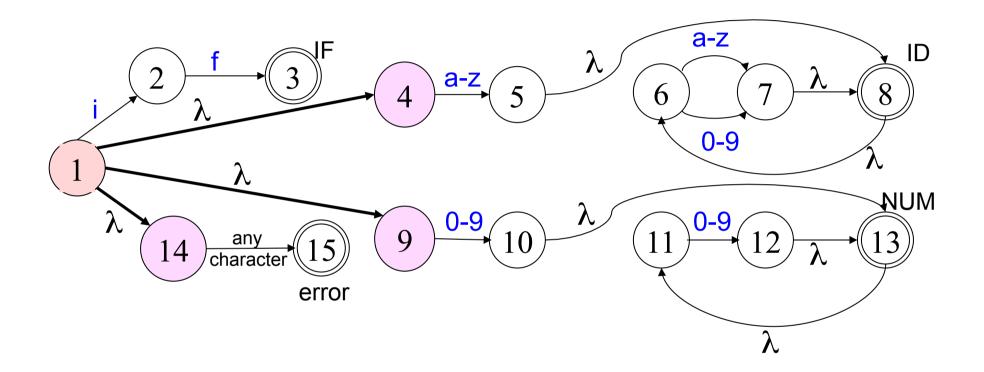
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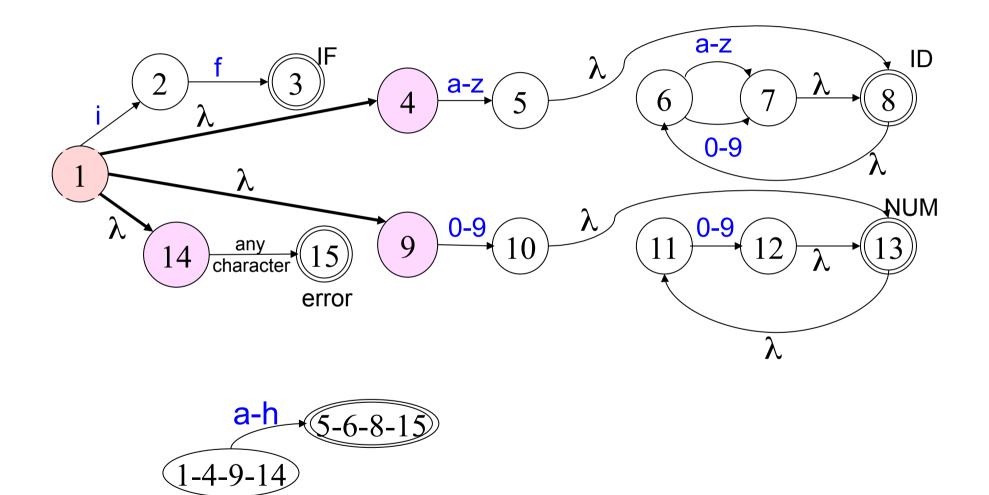


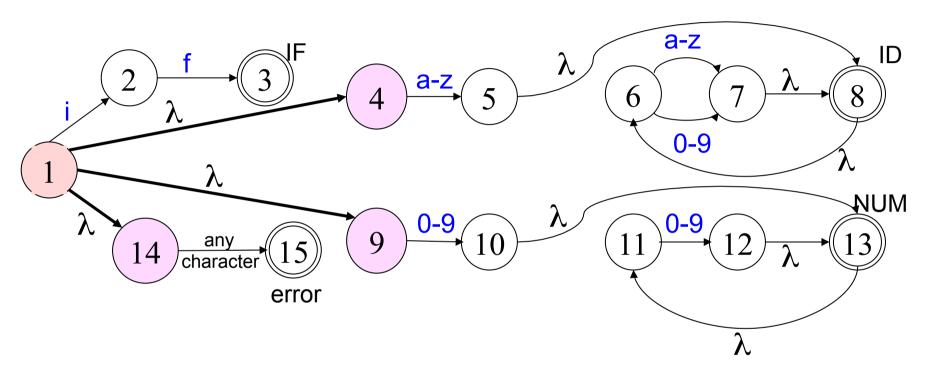
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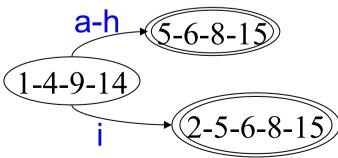


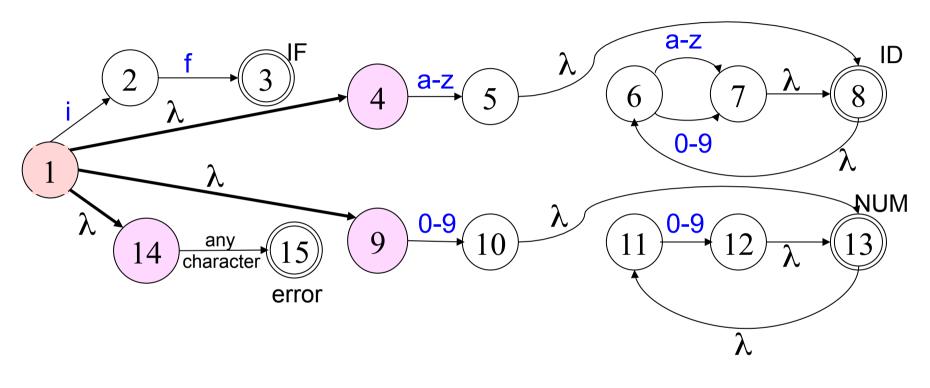


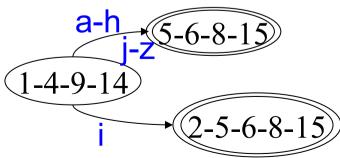


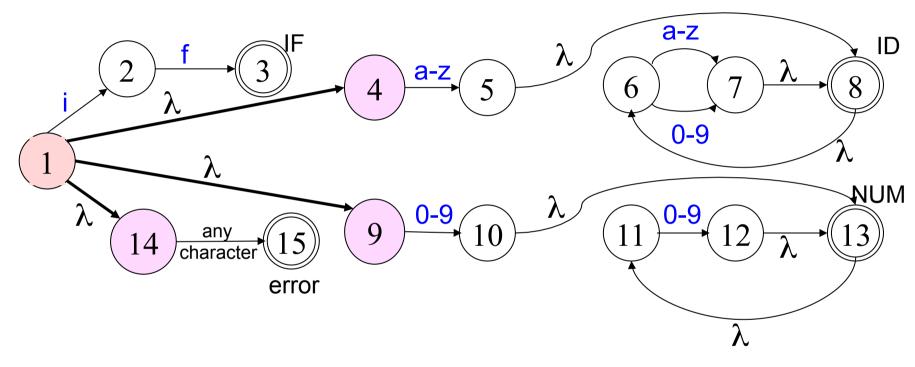


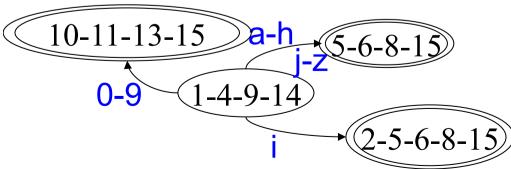


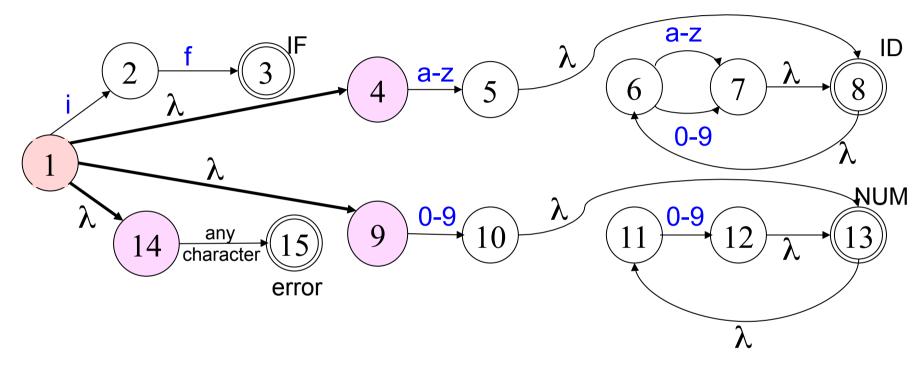


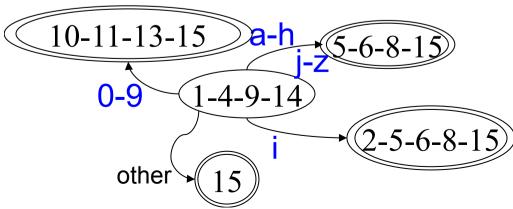


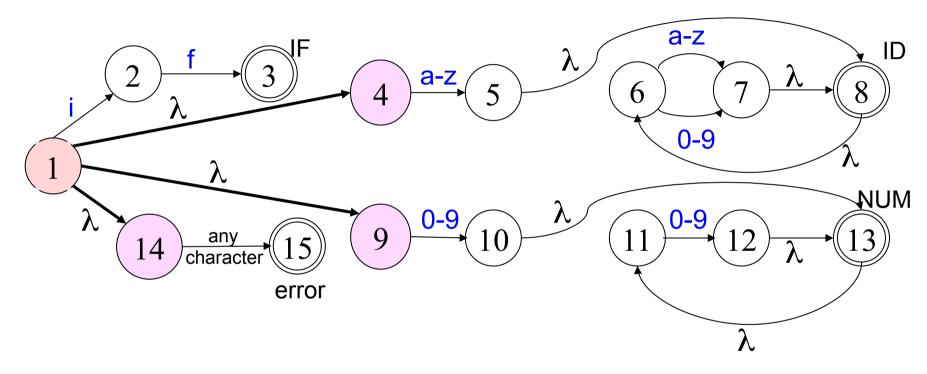


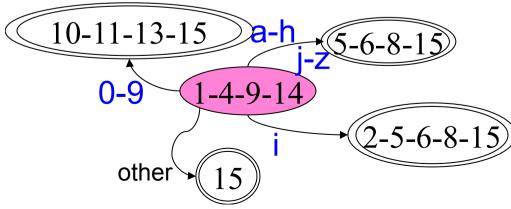






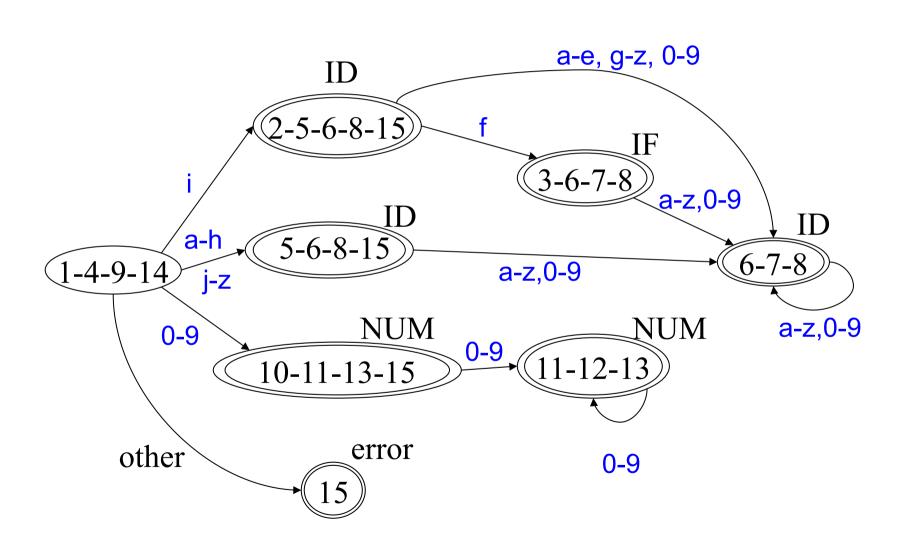




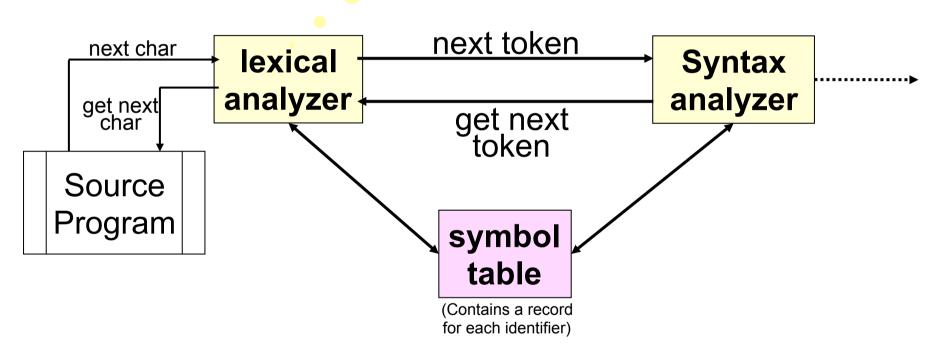


The analysis for 1-4-9-14 is complete. We mark it and pick another state in the DFA to analyze.

The corresponding DFA



- 1. Uses Regular Expressions to define tokens
- 2. Uses Finite Automata to recognize tokens



token: smallest meaningful sequence of characters of interest in source program

How to write a scanner?

General approach:

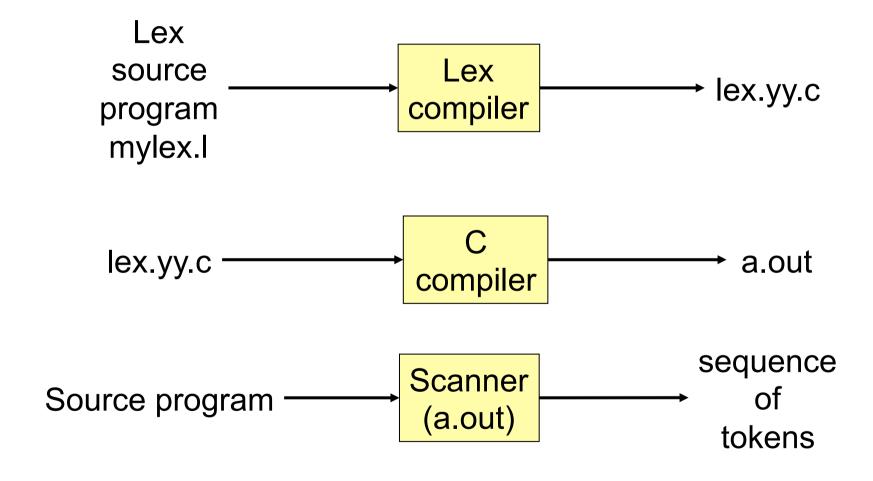
The construction is done automatically by a tool such as the *Unix* program *lex*.

Using the source program language grammar to write a simple lex program and save it in a file named lex.

Using the unix program lex to compile to compile lex.l resulting in a C (scanner) program named lex.yy.c

Compiling and linking the C program lex.yy.c in a normal way resulting the required scanner.

Using Lex



Lex

In addition to compilers and interpreters, Lex can be used in many other software applications:

- 1. The desktop calculator bc
- 2. The tools *eqn* and *pic* (used for mathematical equations and complex pictures)
- 3. PCC (Portable C Compiler) used ith many UNIX systems
- 4. GCC (GNU C Compiler) used ith many UNIX systems
- 5. A menu compiler
- 6. A SQL data base language syntax checker
- 7. The Lex program itself

And many more

A Lex program consists of the following three parts:

```
declarations
%%
translation rules
%%
user subroutines (auxiliary procedures)
```

The first %% is required to mark the beginning of the translation rules and the second %% is required only if user subroutines follow.

Declarations: include variables, constants and statements.

Translation rules: are statements of the form:

```
p<sub>1</sub> {action<sub>1</sub>}p<sub>2</sub> {action<sub>2</sub>}p<sub>n</sub> {action<sub>n</sub>}
```

where each p_i is a regular expression and each action_i is a program fragment describing what action the lexical analyzer should take when pattern p_i matches a lexeme. For example p_i may be an if statement and the corresponding action_i is {return(IF)}.

How to compile and run the Lex program specification

First use a word processor (for example mule) and create your

Lex specification program and then save it under any name but

it must have the extension .I (for example mylexprogram.I)

Next compile the program using the *UNIX* Lex command which will automatically generate the Lex C program under the name lex.yy.cc

Finally use the UNIX C compiler cc to compile the C program lex.yy.cc

% lex mylexprogram.l

% cc lex.yy.c -o first -ll

Example 1 Simple verb recognizer

verb → is | am | was | do | does | has | have

The following is a lex program for the tokens of the grammar

```
Example 2 consider the following grammar
 statement → if expression then statement
                 | if expression then statement else statement
 expression → term relop term | term
 term → id | number
  With the following regular definitions
 letter \rightarrow [A-Za-z]
 digit \rightarrow [0-9]
 if \rightarrow if
 then \rightarrow then
 else → else
 relop → < | <= | = | <> | > | >=
 id → letter (letter | digit)*
```

number \rightarrow digit⁺ (. digit⁺)? (E(+|-)? digit+)?

Example 2

The following is a lex program for the tokens of the grammar

```
%{ /* Here are the definitions of the constants LT, LE, EQ, NE, GT, IF, THEN, ELSE, ID, NUMBER, RELOP */ %}
      delim [ \t\n]
      ws {delim}+
      letter [A-Za-z]
      digit [0-9]
      id {letter}({letter}|{digit})*
      number \{digit\}+(\.\{digit\}+)?(E[+\-]?\{digit\}+)?
        %%
      {whitespace}
      if {return(IF);}
      then {return(THEN);}
      else {return(ELSE);}
      {id} {yylval = install id(); return(ID);}
      {number} {yylval = install num(); return(NUMBER);}
      "<" {yylval = LT; return(RELOP);}
      "<=" {yylval = LE; return(RELOP);}
      "=" {yylval = EQ; return(RELOP);}
      "<>" {yylval = NQ; return(RELOP);}
      ">" {yylval = GT; return(RELOP);}
      ">=" {yylval = GE; return(RELOP);}
        %%
      install id() {}
      install num() {}
```