EX NO: 1.ADTS AS PYTHON CLASSES DATE:

Aim:

To write a program to implement sum of all items, smallest number, reverse a string, basic queue operation in ADTS as python classes

Algorithm:

1a) sum of all items

- 1. Define a function and store the list of values
- 2. Initialize and set sum =0
- 3. Iterate each values in a list
- 4. Add sum and each value in the list
- 5. Return the sum

1b) smallest number in list

- 1. Define a function and store the list of values
- 2. Initialize and set minvalue
- 3. For each value in a list, check whether the value less than minvalue
- 4. If yes, then minvalue = value
- 5. Else, return minvalue

1c) Reverse a string

- 1. Initialize stack and check whether stack is empty
- 2. Find the length of the string
- 3. If empty, then push the string of each character into the stack
- 4. Then pop each character from stack
- 5. Finally, Store each character in another string

1d) queue

- 1. Initialize queue and check whether stack is empty
- 2. If empty, then enqueue the value into the queue
- 3. Then deque from stack
- 4. Find the length of the string
- 5. Display the results

```
1a)
def sum_list(items):
    sum_numbers = 0
    for x in items:
        sum_numbers += x
    return sum_numbers
print('sum is',sum_list([1,2,-8]))
```

```
1b)
def smallest_num_in_list( list ):
  min = list[0]
  for a in list:
     if a < min:
       min = a
  return min
print("smallest number", smallest_num_in_list([1, 2, -8, 0]))
1c)
def createStack():
  stack=[]
  return stack
def size(stack):
  return len(stack)
def isEmpty(stack):
  if size(stack) == 0:
     return true
def push(stack,item):
  stack.append(item)
def pop(stack):
  if isEmpty(stack):
      return
  return stack.pop()
def reverse(string):
  n = len(string)
  stack = createStack()
  for i in range(0,n,1):
```

```
push(stack,string[i])
  string=""
  for i in range(0,n,1):
     string+=pop(stack)
  return string
string="data structures"
string = reverse(string)
print("Reversed string is " + string)
1d) queue
class Queue:
  def_init_(self):
    self.items = []
  def isEmpty(self):
     return self.items == []
  def enqueue(self, item):
    self.items.insert(0,item)
  def dequeue(self):
     return self.items.pop()
  def size(self):
     return len(self.items)
q=Queue()
q.enqueue(4)
q.enqueue('dog')
q.enqueue(True)
print(q.size())
print(q.isEmpty())
print(q.dequeue())
print(q.size())
```

Output:

sum is -7

Output:

smallest number -8

Output:

Reversed string is serutcurts atad

Output:

Thus the program is successfully executed

EX NO:-	
DATE:-	2.RECURSIVE ALGORITHM

Write a program to perform tower of hanoi, factorial of a number, fibbonaci series, pascal triangle using recursive algorithm

2a. Tower of Hanoi:

Algorithm:

- 1. Create a **tower_of_hanoi** recursive function and pass two arguments: the number of disks n and the name of the rods such as **source**, **auxiliary**, and **target**.
- 2. define the base case when the number of disks is 1. In this case, simply move the one disk from the **source** to **target** and return.
- 3. Now, move remaining n-1 disks from **source** to **auxiliary** using the target as the **auxiliary**.
- 4. Then, the remaining 1 disk move on the **source** to **target**.
- 5. Move the n-1 disks on the auxiliary to the target using the source as the auxiliary.

Program:

```
def tower_of_hanoi(disks, source, auxiliary, target):
  if(disks == 1):
    print('Move disk 1 from rod { } to rod { }.'.format(source, target))
    return
  tower_of_hanoi(disks - 1, source, target, auxiliary)
  print('Move disk {} from rod {} to rod {}.'.format(disks, source, target))
  tower_of_hanoi(disks - 1, auxiliary, source, target)
disks = int(input('Enter the number of disks: '))
tower_of_hanoi(disks, 'A', 'B', 'C')
output
Enter the number of disks: 3
Move disk 1 from rod A to rod C.
Move disk 2 from rod A to rod B.
Move disk 1 from rod C to rod B.
Move disk 3 from rod A to rod C.
Move disk 1 from rod B to rod A.
Move disk 2 from rod B to rod C.
Move disk 1 from rod A to rod C.
```

2b. Factorial of a number:

Algorithm:

- 1. Create a factorial recursive function and give the number as argument
- 2. Declare a variable with value(number)
- 3. If the number is 1, return number
- 4. Else, return (number* recur_factorial(n-1))

```
def recur_factorial(n):
    if n == 1:
        return n
    else:
        return n*recur_factorial(n-1)
num = 5
if num < 0:
    print(" factorial does not exist for negative numbers")
elif num == 0:
    print("The factorial of 0 is 1")
else:
    print("The factorial of", num, "is", recur_factorial(num))
output:
The factorial of 5 is 120</pre>
```

2c. Fibbonaci series:

Algorithm:

- 1. Create a fibbonaci recursive function and give the number as argument
- 2. Declare a variable with value(number)
- 3. Check whether the number is less than and equal to zero, then print enter a positive number
- 4. Else, set a loop for the given number and call the recursive function
- 5. Check whether the number is less than and equal to 1, return number
- 6. Else, return (recur_fib(n-1)+recur_fib(n-2))

Program:

```
def recur_fibo(n):
    if n <= 1:
        return n
    else:
        return(recur_fibo(n-1) + recur_fibo(n-2))
    nterms = 5
    if nterms <= 0:
        print(" enter a positive integer")
    else:
        print("Fibonacci sequence:")
        for i in range(nterms):
            print(recur_fibo(i))</pre>
```

output

```
Fibonacci sequence:
0
1
2
```

2d. Pascal triangle

Algorithm:

- 1. Create two function: pascal() and pascal triangle(), give the number as argument
- 2. Declare variables r,c, num=1
- 3. Take input (num) for number of rows and iterate *loop1* for 'num' times
- 4. Take input (rows) for number of columns and iterate *loop2 inside loop1* for '(row+1)' times
- 5. Then, call the pascal() and give (c,r) as arguments
- 6. Check whether the column is zero or equal to row, if it satisfies then return 1
- 7. Else, return pascal(col-1,row-1) + pascal(col,row-1)
- 8. Print new line under *loop1*
- 9. End

```
import sys

def pascal(col,row):
    if(col == 0) or (col == row):
        return 1
    else:
        return pascal(col-1,row-1) + pascal(col,row-1)

def PascalTriangle(num):
    if (num <= 0):
        print('Number must be greater than zero')
    for r in range(num):
        for c in range(r+1):
            sys.stdout.write(str(pascal(c,r))+' ')
            sys.stdout.write('\n')

PascalTriangle(4)</pre>
```


Result:

Thus the program is successfully executed

EX NO:-	
DATE:-	3.LIST ADT USING PYTHON ARRAYS

To write a program to implement list ADT using array

Algorithm:

- 1. Initialize class variables
- 2. Define the insert function and pass the class variables as arguments
- 3. Display the list of values
- 4. Define the search function and it iterate all values present in the list
- 5. Check whether the element is present, if it is found then print element is found
- 6. Else, print element is not found
- 7. Define the delete function and find the element which is to be deleted
- 8. Delete the element from the list
- 9. Define the update function and set the index position then update the element
- 10. Display the elements in list

Program:

class Student:

```
def_init__(self, name, rollno, m1, m2):
self.name = name
    self.rollno = rollno
    self.m1 = m1
    self.m2 = m2

def accept(self, Name, Rollno, marks1, marks2 ):
    ob = Student(Name, Rollno, marks1, marks2 )
    ls.append(ob)

def display(self, ob):
    print("Name : ", ob.name)
    print("RollNo : ", ob.rollno)
    print("Marks1 : ", ob.m1)
    print("Marks2 : ", ob.m2)
    print("\n")

def search(self, rn):
```

```
for i in range(ls. len ()):
       if(ls[i].rollno == rn):
          return i
  def delete(self, rn):
     i = obj.search(rn)
     del ls[i]
  def update(self, rn, No):
     i = obj.search(rn)
     roll
                    No
     ls[i].rollno = roll;
1s = []
obj = Student(", 0, 0, 0)
print("\nOperations used, ")
print("\n1.Accept Student details\n2.Display Student Details\n"
    "3. Search Details of a Student\n4. Delete Details of Student"
    "\n5.Update Student Details\n6.Exit")
# ch = int(input("Enter choice:"))
# if(ch == 1):
obj.accept("A", 1, 100, 100)
obj.accept("B", 2, 90, 90)
obj.accept("C", 3, 80, 80)
# elif(ch == 2):
print("\n")
print("\nList of Students\n")
for i in range(ls.<u>l</u>en<u>()</u>):
  obj.display(ls[i])
# elif(ch == 3):
print("\n Student Found, ")
```

```
s = obj.search(2)
obj.display(ls[s])
# elif(ch == 4):
obj.delete(2)
print(ls._len_())
print("List after deletion")
for i in range(ls. len ()):
  obj.display(ls[i])
# elif(ch == 5):
obj.update(3, 2)
print(ls.<u>len_()</u>)
print("List after updation")
for i in range(ls._len_()):
 obj.display(ls[i])
# else:
print("")
output:
Operations used,
1. Accept Student details
2. Display Student Details
3. Search Details of a Student
4. Delete Details of Student
5. Update Student Details
6.Exit
List of Students
Name : A
RollNo: 1
Marks1 : 100
Marks2 : 100
```

Name : B RollNo : 2 Marks1 : 90 Marks2 : 90

Name : C RollNo : 3 Marks1 : 80 Marks2 : 80

Student Found,

Name : B RollNo : 2 Marks1 : 90 Marks2 : 90

2

List after deletion

Name : A RollNo : 1 Marks1 : 100 Marks2 : 100

Name : C
RollNo : 3
Marks1 : 80
Marks2 : 80

2

List after updation

Name : A RollNo : 1 Marks1 : 100 Marks2 : 100

Name : C RollNo : 2 Marks1 : 80 Marks2 : 8

RESULT

Thus the program is successfully executed

EX NO:-	
DATE:-	4.LINKED LIST IMPLEMENTATION

To write a program for linked list implementation of single, double and circular linked list

Algorithm:

- 1. Defining the **Node class** which actually holds the data as well as the next element link
- 2. Defining the Linked List class
- 3. Initializing the Linked List constructor with head variable
- 4. Defining the insert() method which is used to add elements to the Circular Singly Linked List
 - a. Checking whether or not the Linked List empty
 - b. Adding a Node to the beginning of the Linked List
 - c. Adding a Node to the end of the Linked List
 - d. Adding a Node in the middle of the Linked List
- 5. Defining the **delete()** method which is used to delete elements from the Circular Singly Linked List
 - a. Checking whether or not the Linked List is empty or not, or deleting the last element in the Linked List
 - b. Deleting the first element of the Linked List
 - c. Deleting the last element of the Linked List
 - d. Deleting an element by position or by value
- 6. Defining the **display**() method which is used to present the Circular Singly Linked List in a user-comprehendible form

Program:

class Node:

4a. singly linked list

```
def_init_(self, dataval=None):
    self.dataval = dataval
    self.nextval = None

class SLinkedList:
    def_init_(self):
        self.headval = None
    def AtBegining(self,newdata):
        NewNode = Node(newdata)
        NewNode.nextval = self.headval
        self.headval = NewNode
```

```
def AtEnd(self, newdata):
    NewNode = Node(newdata)
    if self.headval is None:
      self.headval = NewNode
      return
    laste = self.headval
    while(laste.nextval):
      laste = laste.nextval
    laste.nextval=NewNode
def Inbetween(self,middle_node,newdata):
    if middle_node is None:
      print("The mentioned node is absent")
      return
    NewNode = Node(newdata)
    NewNode.nextval = middle\_node.nextval
    middle\_node.nextval = NewNode
 def search_item(self, x):
    if self.headval is None:
      print("List has no elements")
      return
    n = self.headval
    while n is not None:
      if n.dataval == x:
         print("Item found")
         return True
      n = n.nextval
    print("item not found")
    return False
```

```
def getCount(self):
  temp = self.headval # Initialise temp
  count = 0 # Initialise count
  while (temp):
    count += 1
    temp = temp.nextval
  return count
def RemoveNode(self, Removekey):
  HeadVal = self.headval
  if (HeadVal is not None):
    if (HeadVal.dataval == Removekey):
       self.headval = HeadVal.nextval
       HeadVal = None
       return
  while (HeadVal is not None):
    if HeadVal.dataval == Removekey:
       break
    prev = HeadVal
    HeadVal = HeadVal.nextval
  if (HeadVal == None):
    return
  prev.nextval = HeadVal.nextval
  HeadVal = None
def listprint(self):
  printval = self.headval
  while printval is not None:
    print (printval.dataval)
    printval = printval.nextval
```

```
list = SLinkedList()
list.headval = Node("1")
e2 = Node("2")
e3 = Node("3")
list.headval.nextval = e2
e2.nextval = e3
list.AtBegining("4")
list.AtEnd("5")
list.Inbetween(list.headval.nextval,"6")
list.search_item("3")
print ("Count of nodes is :",list.getCount())
list.RemoveNode("2")
list.listprint()
output:
Item found
Count of nodes is : 6
1
2
3
5
after removing
1
6
3
4b. Doubly linked list
class Node:
  def_init_(self, data):
    self.item = data
    self.nref = None
```

```
self.pref = None
class DoublyLinkedList:
  def_init_(self):
     self.start\_node = None
  def insert_in_emptylist(self, data):
     if self.start_node is None:
       new\_node = Node(data)
       self.start_node = new_node
     else:
       print("list is not empty")
  def insert_at_start(self, data):
     if self.start_node is None:
       new\_node = Node(data)
       self.start_node = new_node
       print("node inserted")
       return
     new\_node = Node(data)
     new\_node.nref = self.start\_node
     self.start_node.pref = new_node
     self.start\_node = new\_node
   def insert_at_end(self, data):
      if self.start_node is None:
       new\_node = Node(data)
       self.start_node = new_node
       return
     n = self.start\_node
     while n.nref is not None:
       n = n.nref
```

```
new\_node = Node(data)
  n.nref = new\_node
  new\_node.pref = n
def insert_after_item(self, x, data):
  if self.start_node is None:
     print("List is empty")
     return
  else:
     n = self.start\_node
     while n is not None:
        if n.item == x:
          break
       n = n.nref
     if n is None:
       print("item not in the list")
     else:
       new\_node = Node(data)
       new\_node.pref = n
       new\_node.nref = n.nref
       if n.nref is not None:
          n.nref.prev = new_node
       n.nref = new\_node
def insert_before_item(self, x, data):
  if self.start_node is None:
     print("List is empty")
     return
  else:
     n = self.start\_node
```

```
while n is not None:
       if n.item == x:
          break
       n = n.nref
     if n is None:
       print("item not in the list")
     else:
       new\_node = Node(data)
       new\_node.nref = n
       new\_node.pref = n.pref
       if n.pref is not None:
          n.pref.nref = new\_node
       n.pref = new\_node
def traverse_list(self):
  if self.start_node is None:
     print("List has no element")
     return
  else:
     n = self.start\_node
     while n is not None:
       print(n.item, " ")
       n = n.nref
def delete_at_start(self):
  if self.start_node is None:
     print("The list has no element to delete")
     return
  if self.start_node.nref is None:
     self.start_node = None
```

```
return
  self.start_node = self.start_node.nref
  self.start_prev = None;
def delete_at_end(self):
  if self.start_node is None:
     print("The list has no element to delete")
     return
  if self.start_node.nref is None:
     self.start\_node = None
     return
  n = self.start\_node
  while n.nref is not None:
     n = n.nref
  n.pref.nref = None
def delete_element_by_value(self, x):
  if self.start_node is None:
     print("The list has no element to delete")
     return
  if self.start_node.nref is None:
     if self.start\_node.item == x:
       self.start_node = None
     else:
       print("Item not found")
     return
  if self.start node.item == x:
     self.start_node = self.start_node.nref
     self.start\_node.pref = None
     return
```

```
n = self.start\_node
     while n.nref is not None:
       if n.item == x:
          break;
       n = n.nref
     if n.nref is not None:
       n.pref.nref = n.nref
       n.nref.pref = n.pref
     else:
       if n.item == x:
          n.pref.nref = None
       else:
          print("Element not found")
new_linked_list = DoublyLinkedList()
new\_linked\_list.insert\_in\_emptylist(50)
new\_linked\_list.insert\_at\_start(10)
new_linked_list.insert_at_start(5)
print(new_linked_list.traverse_list())
output:
5
10
50
None
```

4c.Circular singly linked list

```
class Node:
  def_init_(self, data):
     self.data = data
     self.next = None
class CircularLinkedList:
  def_init_(self):
     self.head = None
  def get_node(self, index):
     if self.head is None:
       return None
     current = self.head
     for i in range(index):
       current = current.next
       if current == self.head:
          return None
     return current
  def get_prev_node(self, ref_node):
     if self.head is None:
       return None
     current = self.head
     while current.next != ref_node:
       current = current.next
     return current
  def insert_after(self, ref_node, new_node):
     new\_node.next = ref\_node.next
     ref\_node.next = new\_node
  def insert_before(self, ref_node, new_node):
```

```
prev_node = self.get_prev_node(ref_node)
  self.insert_after(prev_node, new_node)
def insert_at_end(self, new_node):
  if self.head is None:
     self.head = new_node
    new\_node.next = new\_node
  else:
    self.insert_before(self.head, new_node)
def insert_at_beg(self, new_node):
  self.insert_at_end(new_node)
  self.head = new\_node
def remove(self, node):
  if self.head.next == self.head:
     self.head = None
  else:
    prev_node = self.get_prev_node(node)
    prev_node.next = node.next
    if self.head == node:
       self.head = node.next
def display(self):
  if self.head is None:
    return
  current = self.head
  while True:
     print(current.data, end = ' ')
     current = current.next
    if current == self.head:
       break
```

```
a_cllist = CircularLinkedList()
print('Menu')
print('insert <data> after <index>')
print('insert <data> before <index>')
print('insert <data> at beg')
print('insert <data> at end')
print('remove <index>')
print('quit')
while True:
  print('The list: ', end = ")
  a_cllist.display()
  print()
  do = input('What would you like to do? ').split()
  operation = do[0].strip().lower()
  if operation == 'insert':
     data = int(do[1])
     position = do[3].strip().lower()
     new\_node = Node(data)
     suboperation = do[2].strip().lower()
     if suboperation == 'at':
       if position == 'beg':
          a_cllist.insert_at_beg(new_node)
        elif position == 'end':
          a_cllist.insert_at_end(new_node)
     else:
       index = int(position)
       ref_node = a_cllist.get_node(index)
```

```
if ref_node is None:
       print('No such index.')
       continue
     if suboperation == 'after':
       a_cllist.insert_after(ref_node, new_node)
     elif suboperation == 'before':
       a_cllist.insert_before(ref_node, new_node)
elif operation == 'remove':
  index = int(do[1])
  node = a_cllist.get_node(index)
  if node is None:
     print('No such index.')
     continue
  a_cllist.remove(node)
elif operation == 'quit':
  break
```

output:

```
Menu
insert <data> after <index>
insert <data> before <index>
insert <data> at beg
insert <data> at end
remove <index>
quit
The list:
What would you like to do? insert 5 at beg
The list: 5
What would you like to do? insert 4 at beg
The list: 4 5
What would you like to do? insert 9 at end
The list: 4 5 9
What would you like to do? insert 6 after 1
The list: 4 5 6 9
What would you like to do? insert 7 after 6
No such index.
```

The list: 4 5 6 9

What would you like to do? insert 8 before 2

The list: 4 5 8 6 9

What would you like to do? remove 4

The list: 4 5 8 6

What would you like to do? remove 7

No such index. The list: 4 5 8 6

What would you like to do? remove 0

The list: 5 8 6

What would you like to do? remove 1

The list: 5 6

What would you like to do? quit

4d. Circular doubly linked list

```
class Node:
  def__init_(self, data):
    self.data = data
    self.next = None
    self.prev = None
class CircularDoublyLinkedList:
  def_init_(self):
    self.first = None
  def get_node(self, index):
    current = self.first
    for i in range(index):
       current = current.next
       if current == self.first:
          return None
    return current
def insert_after(self, ref_node, new_node):
    new\_node.prev = ref\_node
    new_node.next = ref_node.next
    new\_node.next.prev = new\_node
    ref\_node.next = new\_node
  def insert_before(self, ref_node, new_node):
    self.insert_after(ref_node.prev, new_node)
  def insert_at_end(self, new_node):
    if self.first is None:
       self.first = new_node
       new\_node.next = new\_node
       new\_node.prev = new\_node
```

```
else:
       self.insert_after(self.first.prev, new_node)
  def insert_at_beg(self, new_node):
     self.insert_at_end(new_node)
     self.first = new\_node
  def remove(self, node):
     if self.first.next == self.first:
       self.first = None
     else:
       node.prev.next = node.next
       node.next.prev = node.prev
       if self.first == node:
          self.first = node.next
  def display(self):
     if self.first is None:
       return
     current = self.first
     while True:
       print(current.data, end = ' ')
       current = current.next
       if current == self.first:
          break
a_cdllist = CircularDoublyLinkedList()
print('Menu')
print('insert <data> after <index>')
print('insert <data> before <index>')
print('insert <data> at beg')
print('insert <data> at end')
```

```
print('remove <index>')
print('quit')
while True:
  print('The list: ', end = '')
  a_cdllist.display()
  print()
  do = input('What would you like to do? ').split()
  operation = do[0].strip().lower()
  if operation == 'insert':
     data = int(do[1])
     position = do[3].strip().lower()
     new\_node = Node(data)
     suboperation = do[2].strip().lower()
     if suboperation == 'at':
       if position == 'beg':
          a_cdllist.insert_at_beg(new_node)
       elif position == 'end':
          a_cdllist.insert_at_end(new_node)
     else:
       index = int(position)
       ref_node = a_cdllist.get_node(index)
       if ref_node is None:
          print('No such index.')
          continue
       if suboperation == 'after':
          a_cdllist.insert_after(ref_node, new_node)
       elif suboperation == 'before':
          a_cdllist.insert_before(ref_node, new_node)
```

```
elif operation == 'remove':
    index = int(do[1])
    node = a_cdllist.get_node(index)
    if node is None:
      print('No such index.')
      continue
    a_cdllist.remove(node)
 elif operation == 'quit':
    break
output:
Menu
insert <data> after <index>
insert <data> before <index>
insert <data> at beg
insert <data> at end
remove <index>
quit
The list:
What would you like to do? insert 1 at beg
The list: 1
What would you like to do? insert
The list: 1 3
What would you like to do? insert 2 before 1
The list: 1 2 3
What would you like to do? insert 4 after 2
The list: 1 2 3 4
What would you like to do? insert 0 at beg
The list: 0 1 2 3 4
What would you like to do? remove 2
The list: 0 1 3 4
What would you like to do? quit
```

Result:

EX NO:-	
DATE:-	5.STACK AND QUEUE IMPLEMENTATION

To write a program to implement stack and queue ADTs using linked list

5a.Algorithm

- 1. Create a node with value Null.
- 2. Then push an element new
- 3. Check if new is not null otherwise insertion cannot be done.
- 4. Then put Item into data part of new and assign top to its link
- 5. Top is updated to the new value. And element is inserted.
- 6. For popping, check if the item is not null, otherwise stack is empty i.e underflow condition.
- 7. The pointer is then made to point the next element andset_head link is assigned to the pointer's value.
- 8. Remove the element from the link list.
- 9. Peek value is stored or printed by returning node at which top is pointing
- 10. Stop

Program:

```
class stack():
    def___init_(self):
       self.elements=[]
   def push(self,data):
       self.elements.append(data)
   def pop(self):
       return self.elements.pop()
stack=stack()
print("\n The initial view of stack",stack. dict )
stack.push(3)
stack.push('test')
print("\n The current view of the stack",stack._dict__)
print("\n The popped out element from the stack",stack.pop())
print("\n The current view of the stack",stack._dict__)
print("\n The popped out element from the stack", stack.pop())
print("\n The final view of the stack",stack. dict )
```

Output:

The initial view of stack {'elements': []}

The current view of the stack {'elements': [3, 'test']}

The popped out element from the stack test

The current view of the stack {'elements': [3]}

The popped out element from the stack 3

The final view of the stack {'elements': []}

5b.Algorithm:

- 1. Create a **newNode** with the given value and set the node's pointer to **NULL**.
- 2. Check whether queue is **EMPTY**.
- 3. If it is **EMPTY**, set FRONT and REAR to newNode.
- 4. Else, set the pointer of REAR to newNode and make REAR as the newNode.
- 5. Check if the queue is **EMPTY**.
- 6. If it is **EMPTY**, then display "**EMPTY QUEUE**" and exit.
- 7. Else, create a temporary node and set it to FRONT.
- 8. Make the next node as FRONT and delete the temporary node.
- 9. Display the nodes in queue

```
Program:
class Queue:
  def__init_(self):
    self.items=[]
  def isempty(self):
    return self.items==[]
  def enqueue(self,items):
    self.items.insert(0,items)
  def dequeue(self):
    return self.items.pop()
  def size(self):
    return len(self.items)
q=Queue()
q.enqueue(4)
q.enqueue('dog')
q.enqueue(True)
print("The size of the queue after inserting some elements",q.size())
```

Output:
The size of the queue after inserting some elements 3
Result: Thus the program is executed successfully
Thus the program is executed successfully

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DATE:-

6.APPLICATIONS OF LIST, STACK AND QUEUE ADT's

Aim:

To write a program to implement application of list, stack and queue

a) Matrix manipulation(list)

Algorithm:

- 1. Initialize N*N matrix
- 2. Enter the row and column of the first (a) matrix.
- 3. Enter the row and column of the second (b) matrix.
- 4. Enter the elements of the first (a) and second (b) matrix.
- 5. Print the elements of the first (a) and second(b) matrix in matrix form.
- 6. Set a loop up to row.
- 7. Set an inner loop up to the column.
- 8. Set another inner loop up to the column.
- 9. Add the first (a) and second (b) matrix and store the element in the third matrix (c)
- 10. subtract the first (a) and second (b) matrix and store the element in the third matrix (c)
- 11. Multiply the first (a) and second (b) matrix and store the element in the third matrix (c)
- 12. divide the first (a) and second (b) matrix and store the element in the third matrix (c)
- 13. Print the final matrix.

```
A=[]
n=int(input("Enter N for N x N matrix:"))
print("Enter the element ::>")
for i in range(n):
    row=[]
    for j in range(n):
        row.append(int(input()))
        A. append(row)
print(A)
print("Display Array In Matrix Form")
```

```
for i in range(n):
  for j in range(n):
     print(A[i][j], end=" ")
  print()
B=[]
n=int(input("Enter N for N x N matrix : "))
print("Enter the element ::>")
for i in range(n):
  row=[]
  for j in range(n):
     row.append(int(input()))\\
  B. append(row)
print(B)
print("Display Array In Matrix Form")
for i in range(n):
  for j in range(n):
     print(B[i][j], end=" ")
  print()
result = [[0,0,0], [0,0,0], [0,0,0]]
for i in range(n):
  for j in range(len(A[0])):
     result[i][j] = A[i][j] + B[i][j]
print("Resultant Matrix is ::>")
for r in result:
  print("Resultant Matrix is ::>",r)
for i in range(n):
  for j in range(len(A[0])):
     result[i][j] = A[i][j] - B[i][j]
```

```
print("Resultant Matrix is ::>")
for r in result:
  print("Resultant Matrix is ::>",r)
for i in range(n):
  for j in range(len(A[0])):
    result[i][j] = A[i][j] * B[i][j]
print("Resultant Matrix is ::>")
for r in result:
  print("Resultant Matrix is ::>",r)
for i in range(n):
    for j in range(n):
       result[i][j] = result[j][i]
for r in result:
  print("Resultant Matrix is ::>",r)
for i in range(n):
  for j in range(len(A[0])):
    result[i][j] = A[i][j] \% B[i][j]
print("Resultant Matrix is ::>")
for r in result:
  print("Resultant Matrix is ::>",r)
output
Enter N for N x N matrix : 3
Enter the element ::>
1
2
3
5
7
8
[[1, 2, 3], [4, 5, 6], [7, 8, 9]]
Display Array In Matrix Form
```

```
1 2 3
4 5 6
7 8 9
Enter N for N x N matrix: 3
Enter the element ::>
2
3
4
5
6
7
8
[[1, 2, 3], [4, 5, 6], [7, 8, 9]]
Display Array In Matrix Form
1 2 3
4 5 6
7 8 9
Resultant Matrix is ::>
Resultant Matrix is ::> [2, 4, 6]
Resultant Matrix is ::> [8, 10, 12]
Resultant Matrix is ::> [14, 16, 18]
Resultant Matrix is ::>
Resultant Matrix is ::> [0, 0, 0]
Resultant Matrix is ::> [0, 0, 0]
Resultant Matrix is ::> [0, 0, 0]
Resultant Matrix is ::>
Resultant Matrix is ::> [1, 4, 9]
Resultant Matrix is ::> [16, 25, 36]
Resultant Matrix is ::> [49, 64, 81]
Resultant Matrix is ::> [1, 16, 49]
Resultant Matrix is ::> [16, 25, 64]
Resultant Matrix is ::> [49, 64, 81]
Resultant Matrix is ::>
Resultant Matrix is ::> [0, 0, 0]
Resultant Matrix is ::> [0, 0, 0]
Resultant Matrix is ::> [0, 0, 0]
```

b) Applications of stack

Infix to postfix

Algorithm:

- 1. Scan the infix expression from left to right.
- 2. If the scanned character is an operand, output it.
- 3. Else,
- a. If the precedence of the scanned operator is greater than the precedence of the operator in the stack(or the stack is empty or the stack contains a '('), push it.
- b. Else, Pop all the operators from the stack which are greater than or equal to in precedence than that of the scanned operator. After doing that Push the scanned operator to the stack.
- 4. If the scanned character is an '(', push it to the stack.

- 5. If the scanned character is an ')', pop the stack and output it until a '(' is encountered, and discard both the parenthesis.
- 6. Repeat steps 2-6 until infix expression is scanned.
- 7. Print the output
- 8. Pop and output from the stack until it is not empty.

```
OPERATORS = set(['+', '-', '*', '/', '(', ')', '^{'}])
PRIORITY = {'+':1, '-':1, '*':2, '/':2, '^':3}
def infix_to_postfix(expression):
  stack = [] # initially stack empty
  output = "# initially output empty
  for ch in expression:
     if ch not in OPERATORS:
       output+= ch
     elif ch=='(':
       stack.append('(')
     elif ch==')':
       while stack and stack[-1]!= '(':
          output+=stack.pop()
       stack.pop()
     else:
       while stack and stack[-1]!='(' and PRIORITY[ch]<=PRIORITY[stack[-1]]:
          output+=stack.pop()
       stack.append(ch)
  while stack:
     output+=stack.pop()
  return output
expression = input('Enter infix expression')
print('infix expression: ',expression)
```

```
print('postfix expression: ',infix_to_postfix(expression))
```

output:

```
Enter infix expressiona* (b+c) /d
infix expression: a* (b+c) /d
postfix expression: abc+*d/
```

c) queue using stack

Algorithm:

- 1. Initialize with two stacks
- 2. Add an item to the queue

from collections import deque

- 3. Move all elements from the first stack to the second stack
- 4. push item into the first stack
- 5. Move all elements back to the first stack from the second stack
- 6. Remove an item from the queue
- 7. if the first stack is empty, return underflow
- 8. Else, return the top item from the first stack

```
class Queue:
    def_init_(self):
        self.s1 = deque()
        self.s2 = deque()
    def enqueue(self, data):
        while len(self.s1):
        self.s2.append(self.s1.pop())
        self.s1.append(data)
            while len(self.s2):
            self.s1.append(self.s2.pop())
        def dequeue(self):
        if not self.s1:
            print("Underflow!!")
```

```
exit(0)

return self.s1.pop()

if___name__ == '__main__':

keys = [1, 2, 3, 4, 5]

q = Queue()

for key in keys:

q.enqueue(key)

print(q.dequeue())

print(q.dequeue())

output:

1
2
3
4
```

Result:

5

Thus the program is executed successfully

EX NO :-	
DATE:-	7.SORTING AND SEARCHING ALGORITHM

Aim:

To write a program to implement sorting and searching algorithm

1. Bubble sort

Algorithm

- 1. Get the total number of items in the given list
- 2. Determine the number of outer passes (n 1) to be done. Its length is list minus one
- 3. Perform inner passes (n 1) times for outer pass 1. Get the first element value and compare it with the second value. If the second value is less than the first value, then swap the positions
- 4. Repeat step 3 passes until you reach the outer pass (n 1). Get the next element in the list then repeat the process that was performed in step 3 until all the values have been placed in their correct ascending order.
- 5. Return the result when all passes have been done. Return the results of the sorted list

Program

```
def bubbleSort(arr):

n = len(arr)

for i in range(n-1):

  for j in range(0, n-i-1):

  if arr[j] > arr[j+1]:

arr[j], arr[j+1] = arr[j+1], arr[j]

print(arr)

arr = [5,3,8,6,7,2]

bubbleSort(arr)

print ("Sorted array is:")

for i in range(len(arr)):

print ("%d" %arr[i]),
```

output:

```
Sorted array is: [2, 3, 5, 6, 7, 8]
```

2) selection sort

Algorithm:

- 1. Get the value of n which is the total size of the array
- 2. Partition the list into sorted and unsorted sections. The sorted section is initially empty while the unsorted section contains the entire list
- 3. Pick the minimum value from the unpartitioned section and placed it into the sorted section.
- 4. Repeat the process (n-1) times until all of the elements in the list have been sorted.

Program:

```
import sys
A = [5,3,8,6,7,2]
for i in range(len(A)):
    min_idx = i
    for j in range(i+1, len(A)):
        if A[min_idx] > A[j]:
            min_idx = j
        A[i], A[min_idx] = A[min_idx], A[i]
print(A)
print ("Sorted array")
for i in range(len(A)):
    print("%d" %A[i]),
```

output:

```
Sorted array [2, 3, 5, 6, 7, 8]
```

3) insertion sort

Algorithm

- 1. Spilt a list in two parts sorted and unsorted.
- 2. Iterate from arr[1] to arr[n] over the given array.
- 3. Compare the current element to the next element.
- 4. If the current element is smaller than the next element, compare to the element before, Move to the greater elements one position up to make space for the swapped element.

Program:

```
def insertionSort(arr):
 for i in range(1, len(arr)):
     key = arr[i]
    j=i
    j = i-1
     while j \ge 0 and key < arr[j]:
       arr[j+1] = arr[j]
       j -= 1
       arr[j+1] = key
     print(arr)
arr = [12, 11, 13, 5, 6]
insertionSort(arr)
print ("Sorted array is:")
for i in range(len(arr)):
   print ("%d" %arr[i])
output:
Sorted array is:
6
11
13
```

[5, 6, 11, 12, 13]

4) quick sort Algorithm:

- 1. Select the Pivot Element as first, last, random and median element
- 2. Rearrange the Array
 - a. A pointer is fixed at the pivot element. The pivot element is compared with the elements beginning from the first index.
 - b. If the element is greater than the pivot element, a second pointer is set for that element.
 - c. Now, pivot is compared with other elements. If an element smaller than the pivot element is reached, the smaller element is swapped with the greater element found earlier.
 - d. Again, the process is repeated to set the next greater element as the second pointer. And, swap it with another smaller element.
 - e. The process goes on until the second last element is reached.
 - f. Finally, the pivot element is swapped with the second pointer
- 3. Divide Subarrays
 - a. Pivot elements are again chosen for the left and the right sub-parts separately. And, **step 2** is repeated.
 - b. The subarrays are divided until each subarray is formed of a single element. At this point, the array is sorted.

Program:

i=0

```
def Quick(arr,low,high):
  if(low<high):</pre>
    m=partition(arr,low,high)
    Quick(arr,low,m-1)
    Quick(arr,m+1,high)
def partition(arr,low,high):
  pivot=arr[low]
  i=low+1
  j=high
  flag=False
  while(not flag):
     while(i<=j and arr[i]<=pivot):</pre>
       i=i+1
    while(i<=j and arr[j]>=pivot):
      j=j-1
    if(j<i):
      flag=True
     else:
      temp=arr[i]
      arr[i]=arr[j]
      arr[j]=temp
  temp=arr[low]
  arr[low]=arr[j]
  arr[j]=temp
  return j
print("\n program for quick sort")
print("\n How many elements are there in array?")
n=int(input())
array=[]
```

```
for i in range(n):
    print("\n Enter element in array")
    item=int(input())
    array.append(item)
print("original array is \n")
print(array)
Quick(array,0,n-1)
print("\n Sorted array is")
print(array)
```

Output:

program for quick sort

How many elements are there in array? 3

Enter element in array 100

Enter element in array

Enter element in array 34 original array is

[100, 1, 34]

Sorted array is [1, 34, 100]

5) merge sort

Algorithm:

- 1. Create a merge sort function and declare list of values in array
- 2. Calculate the length for the given array
- 3. If the length is less than and equal one the list is already sorted, return the value.
- 4. Else, divide the list recursively into two halves: L and R, until it can no more be divided.
- 5. Then, merge the smaller lists into new list in sorted order.

```
def mergeSort(arr):
  if len(arr) > 1:
    mid = len(arr)//2
    L = arr[:mid]
   R = arr[mid:]
    mergeSort(L)
    mergeSort(R)
    i=j=k=0
while i < len(L) and j < len(R):
       if L[i] < R[j]:
         arr[k] = L[i]
         i += 1
       else:
         arr[k] = R[j]
         i += 1
       k += 1
    while i < len(L):
       arr[k] = L[i]i
       +=1
       k += 1
    while j < len(R):
```

```
arr[k] = R[j]
       j += 1
       k += 1
def printList(arr):
  for i in range(len(arr)):
    print(arr[i], end=" ")
  print()
if__name__== '__main__':
  arr = [38, 27, 43, 3, 9, 82, 10]
  print("Given array is", end="\n")
  printList(arr)
  mergeSort(arr)
  print("Sorted array is: ", end="\n")
  printList(arr)
output:
Given array is
38 27 43 3 9 82 10
```

Sorted array is: 3 9 10 27 38 43 82

6) LINEAR SEARCH

Algorithm:

- 1. Read the search element from the user
- 2. Compare the search element with the first element in the list.
- 3. If both are matched, then display "Given element is found!!!" and terminate the function
- 4. If both are not matched, then compare search element with the next element in the list.
- 5. Repeat steps 3 and 4 until search element is compared with last element in the list.
- 6. If last element in the list also doesn't match, then display "Element is not found!!!" and terminate the function.

Program:

```
def linear_search(obj, item, start=0):
    for i in range(start, len(obj)):
        if obj[i] == item:
            return i
        return -1
        arr=[1,2,3,4,5,6,7,8]
        x=4
    result=linear_search(arr,x)
    if result==-1:
        print ("element does not exist")
    else:
        print ("element exist in position %d" %result)
```

Output:

```
element exist in position 3
```

7) BINARY SEARCH

Algorithm:

- 1. Given an input array that is supposed to be sorted in ascending order.
- 2. Take two variables which act as a pointer i.e, beg, and end.
- 3. Beg assigned with 0 and the end assigned to the last index of the array.
- 4. No, introduce another variable mid which is the middle of the current array. Then computed as (low+high)/2.
- 5. If the element present at the mid index is equal to the element to be searched, then just return the mid index.
- 6. If the element to be searched is smaller than the element present at the mid index, move end to mid-1, and all RHS get discarded.
- 7. If the element to be searched is greater than the element present at the mid index, move beg to mid+1, and all LHS get discarded.

```
def binary_search(arr, low, high, x):
  if high >= low:
     mid = (high + low) // 2
     if arr[mid] == x:
       return mid
     elif arr[mid] > x:
        return binary_search(arr, low, mid - 1, x)
     else:
        return binary_search(arr, mid + 1, high, x)
  else:
     return -1
arr = [2, 3, 4, 10, 40]
x = 40
result = binary_search(arr, 0, len(arr)-1, x)
if result !=-1:
  print("Element is present at index", str(result))
else:
```

	print("Element is not present in array")							
0	output:							
E	Element is present at index 4							
R	esult							
Т	Thus the program is executed successfully							
-								

8.IMPLEMENTATION OF HASH TABLES

DATE:-

Aim:

To write a program to implement hash tables

1. # Program to implement Hashing with Linear Probing

Algorithm:

- 1. Initialize hash Table with all elements 0
- 2. Create a method that checks if the hash table is full or not
- 3. Create a method that returns position for a given element
- 4. Create a method that inserts element inside the hash table
 - a. checking if the table is full
 - b. checking if the position is empty
 - c. collision occurred, do linear probing
- 5. Create a method that searches for an element in the table
- 6. Returns position of element if found
- 7. Else returns False
 - a. If element is not found at position returned hash function
 - b. Then first we search element from position+1 to end
 - c. If not found then we search element from position-1 to 0
 - a. Check if the element is stored between position+1 to size
 - b. Now checking if the element is stored between position-1 to 0
- 8. Create a method to remove an element from the table
- 9. Create a method to display the hash table
 - a. Displaying the Table

```
class hashTable:
    def___init_(self):
        self.size = int(input("Enter the Size of the hash table : "))
        self.table = list(0 for i in range(self.size))
        self.elementCount = 0
        self.comparisons = 0
    def isFull(self):
        if self.elementCount == self.size:
            return True
        else:
```

```
return False
  def hashFunction(self, element):
     return element % self.size
  def insert(self, element):
     # checking if the table is full
     if self.isFull():
       print("Hash Table Full")
       return False
     isStored = False
     position = self.hashFunction(element)
     if self.table[position] == 0:
       self.table[position] = element
       print("Element " + str(element) + " at position " + str(position))
       isStored = True
       self.elementCount += 1
    else:
       print("Collision has occured for element " + str(element) + " at position " + str(position) + "
finding new Position.")
       while self.table[position] != 0:
          position += 1
          if position >= self.size:
            position = 0
       self.table[position] = element
       isStored = True
       self.elementCount += 1
     return isStored
  def search(self, element):
     found = False
```

```
position = self.hashFunction(element)
  self.comparisons += 1
  if(self.table[position] == element):
     return position
     isFound = True
  else:
     temp = position - 1
     while position < self.size:
       if self.table[position] != element:
          position += 1
          self.comparisons += 1
       else:
          return position
     position = temp
     while position \geq 0:
       if self.table[position] != element:
          position -= 1
          self.comparisons += 1
       else:
          return position
  if not found:
     print("Element not found")
     return False
def remove(self, element):
  position = self.search(element)
  if position is not False:
     self.table[position] = 0
```

```
print("Element " + str(element) + " is Deleted")
       self.elementCount -= 1
    else:
       print("Element is not present in the Hash Table")
    return
  def display(self):
    print("\n")
    for i in range(self.size):
       print(str(i) + " = " + str(self.table[i]))
    print("The number of element is the Table are : " + str(self.elementCount))
table1 = hashTable()
table1.insert(89)
table1.insert(18)
table1.insert(49)
table1.insert(58)
table1.insert(9)
table1.display()
print()
print("The position of element 9 is : " + str(table1.search(9)))
print("The position of element 58 is : " + str(table1.search(58)))
print("\nTotal number of comaprisons done for searching = " + str(table1.comparisons))
print()
table1.remove(18)
table1.display()
output
Enter the Size of the hash table: 10
Element 89 at position 9
Element 18 at position 8
```

```
Collision has occured for element 49 at position 9 finding new Position
Collision has occured for element 58 at position 8 finding new Position
Collision has occured for element 9 at position 9 finding new Position.
0 = 49
1 = 58
2 = 9
3 = 0
4 = 0
5 = 0
6 = 0
7 = 0
8 = 18
9 = 89
The number of element is the Table are : 5
The position of element 9 is : 2
The position of element 58 is : 1
Total number of comaprisons done for searching = 17
Element 18 is Deleted
0 = 49
1 = 58
2 = 9
3 = 0
4 = 0
5 = 0
6 = 0
7 = 0
8 = 0
9 = 89
```

The number of element is the Table are : 4

2. # Program to implement Hashing with Quadratic Probing

Algorithm:

- 1. Initialize hash Table with all elements 0
- 2. Create a method that checks if the hash table is full or not
- 3. Create a method that returns position for a given element
- 4. Replace with hash function
- 5. Create a method to resolve collision by quadratic probing method
 - a. Start a loop to find the position and calculate new position by quadratic probing
 - b. If new position is empty then break out of loop and return new Position
 - c. Else, as the position is not empty increase i
- 6. Create a method that inserts element inside the hash table
 - a. Checking if the table is full
 - b. Checking if the position is empty, if empty position found, store the element
 - c. Collision occurred, do quadratic probing
- 7. Create a method that searches for an element in the table
- 8. Returns position of element if found
- 9. Else if element is not found at position returned hash function and then search element using quadratic probing
 - a. Start a loop to find the position and calculate new position by quadratic probing
 - b. If element at new position is equal to the required element
 - c. Else, as the position is not empty increase i
- 10. Create a method to remove an element from the table
- 11. Create a method to display the hash table

```
class hashTable:
    def___init_(self):
        self.size = int(input("Enter the Size of the hash table : "))
        self.table = list(0 for i in range(self.size))
        self.elementCount = 0
        self.comparisons = 0
        def isFull(self):
        if self.elementCount == self.size:
            return True
        else:
```

```
return False
def hashFunction(self, element):
  return element % self.size
def quadraticProbing(self, element, position):
  posFound = False
  limit = 50
  i = 1
  while i <= limit:
     newPosition = position + (i**2)
     newPosition = newPosition % self.size
     if self.table[newPosition] == 0:
       posFound = True
       break
     else:
       i += 1
  return posFound, newPosition
def insert(self, element):
  if self.isFull():
     print("Hash Table Full")
     return False
  isStored = False
  position = self.hashFunction(element)
  if self.table[position] == 0:
          self.table[position] = element
     print("Element " + str(element) + " at position " + str(position))
     isStored = True
     self.elementCount += 1
  else:
```

```
print("Collision has occured for element " + str(element) + " at position " + str(position) + "
finding new Position.")
       isStored, position = self.quadraticProbing(element, position)
       if isStored:
          self.table[position] = element
          self.elementCount += 1
     return isStored
  def search(self, element):
     found = False
     position = self.hashFunction(element)
     self.comparisons += 1
     if(self.table[position] == element):
       return position
     else:
       limit = 50
       i = 1
       newPosition = position
               while i <= limit:
          newPosition = position + (i**2)
          newPosition = newPosition % self.size
          self.comparisons += 1
          if self.table[newPosition] == element:
            found = True
            break
          elif self.table[newPosition] == 0:
            found = False
            break
          else:
```

```
i += 1
       if found:
          return newPosition
        else:
          print("Element not Found")
          return found
  def remove(self, element):
     position = self.search(element)
     if position is not False:
       self.table[position] = 0
       print("Element " + str(element) + " is Deleted")
        self.elementCount -= 1
     else:
       print("Element is not present in the Hash Table")
     return
  def display(self):
     print("\n")
     for i in range(self.size):
       print(str(i) + " = " + str(self.table[i]))
     print("The number of element is the Table are : " + str(self.elementCount))
table1 = hashTable()
table1.insert(89)
table1.insert(18)
table1.insert(49)
table1.insert(58)
table1.insert(9)
table1.display()
print()
```

```
print("The position of element 9 is : " + str(table1.search(9)))
print("The position of element 58 is: " + str(table1.search(58)))
print("\nTotal number of comaprisons done for searching = " + str(table1.comparisons))
print()
#table1.remove(90)
table1.remove(18)
table1.display()
output:
Enter the Size of the hash table: 10
Element 89 at position 9
Element 18 at position 8
Collision has occured for element 49 at position 9 finding new Position
Collision has occured for element 58 at position 8 finding new Position
Collision has occured for element 9 at position 9 finding new Position.
0 = 49
1 = 0
2 = 58
3 = 9
4 = 0
5 = 0
6 = 0
7 = 0
8 = 18
9 = 89
The number of element is the Table are : 5
The position of element 9 is: 3
The position of element 58 is : 2
Total number of comaprisons done for searching = 6
Element 18 is Deleted
0 = 49
1 = 0
2 = 58
3 = 9
4 = 0
5 = 0
6 = 0
7 = 0
```

8 = 9 = The	of e	element	is th	ne Tabl	e are :	4		

3. # Program to implement Double Hashing

Algorithm:

- 1. Initialize hash Table with all elements 0
- 2. Create a method that checks if the hash table is full or not
- 3. Create a method that returns position for a given element
- 4. Replace with hash function
- 5. Create another method that returns position for a given element
- 6. Create a method to resolve collision by double hashing method
 - a. Start a loop to find the position and calculate new position by double hashing
 - b. If new position is empty then break out of loop and return new Position
 - c. Else, as the position is not empty increase i
- 7. Create a method that inserts element inside the hash table
 - a. Checking if the table is full
 - b. Checking if the position is empty, if empty position found, store the element
 - c. Collision occurred, do double hashing
- 8. Create a method that searches for an element in the table
- 9. Returns position of element if found
- 10. Else if element is not found at position returned hash function and then search element using double hashing
 - a. Start a loop to find the position and calculate new position by double hashing
 - b. If element at new position is equal to the required element
 - c. Else, as the position is not empty increase i
- 11. Create a method to remove an element from the table
- 12. Create a method to display the hash table

Program:

class doubleHashTable:

```
def_init_(self):
    self.size = int(input("Enter the Size of the hash table : "))
    self.num = 7
    self.table = list(0 for i in range(self.size))
    self.elementCount = 0
    self.comparisons = 0

def isFull(self):
    if self.elementCount == self.size:
        return True
    else:
```

```
return False
def h1(self, element):
  return element % self.size
def h2(self, element):
  return (self.num-(element % self.num))
def doubleHashing(self, element, position):
  posFound = False
  limit = 50
  i = 1
  while i <= limit:
     newPosition = (self.h1(element) + i*self.h2(element)) % self.size
            if self.table[newPosition] == 0:
       posFound = True
       break
     else:
       i += 1
  return posFound, newPosition
def insert(self, element):
  if self.isFull():
     print("Hash Table Full")
     return False
  posFound = False
  position = self.h1(element)
  if self.table[position] == 0:
     self.table[position] = element
     print("Element " + str(element) + " at position " + str(position))
     isStored = True
     self.elementCount += 1
```

```
else:
       while not posFound:
          print("Collision has occured for element " + str(element) + " at position " + str(position) + "
finding new Position.")
          posFound, position = self.doubleHashing(element, position)
          if posFound:
            self.table[position] = element
            self.elementCount += 1
     return posFound
  def search(self, element):
     found = False
     position = self.h1(element)
     self.comparisons += 1
     if(self.table[position] == element):
       return position
     else:
       limit = 50
       i = 1
       newPosition = position
             while i <= limit:
               position = (self.h1(element) + i*self.h2(element)) % self.size
          self.comparisons += 1
          if self.table[position] == element
            found = True
            break
          elif self.table[position] == 0:
            found = False
```

```
break
          else:
            # as the position is not empty increase i
            i += 1
       if found:
          return position
       else:
          print("Element not Found")
          return found
  def remove(self, element):
     position = self.search(element)
     if position is not False:
       self.table[position] = 0
       print("Element " + str(element) + " is Deleted")
       self.elementCount -= 1
     else:
       print("Element is not present in the Hash Table")
     return
  def display(self):
     print("\n")
     for i in range(self.size):
       print(str(i) + " = " + str(self.table[i]))
     print("The number of element is the Table are : " + str(self.elementCount))
table1 = doubleHashTable()
table1.insert(89)
table1.insert(18)
table1.insert(49)
table1.insert(58)
```

```
table1.insert(9)
table1.display()
print()
print("The position of element 9 is : " + str(table1.search(9)))
print("The position of element 58 is : " + str(table1.search(58)))
print("\nTotal number of comaprisons done for searching = " + str(table1.comparisons))
print()
table1.remove(18)
table1.display()
output:
Enter the Size of the hash table : 10
Element 89 at position 9
Element 18 at position 8
Collision has occured for element 49 at position 9 finding new Position.
Collision has occured for element 58 at position 8 finding new Position.
Collision has occured for element 9 at position 9 finding new Position.
0 = 0
1 = 0
2 = 0
3 = 58
4 = 9
5 = 0
6 = 49
7 = 0
8 = 18
9 = 89
The number of element is the Table are : 5
The position of element 9 is: 4
The position of element 58 is: 3
Total number of comaprisons done for searching = 4
Element 18 is Deleted
0 = 0
```

```
1 = 0
2 = 0
3 = 58
4 = 9
5 = 0
6 = 49
7 = 0
8 = 0
9 = 89
The number of element is the Table are : 4
```

Result:

Thus the program executed successfully

EX NO:-

DATE:-

9.TREE REPRESENTATION AND TRAVERSAL ALGORITHM

Aim:

To write a program for to implement tree representation and tree traversal algorithm

9a.Array representation

Algorithm:

- 1. Initialize the array with size numbering starting from 0 to n-1.
- 2. Create a root method to set a root value
- 3. if the array is not none, then print tree already had root
- 4. Else, set the element as root
- 5. Create a left method for to create left child
- 6. If the array is none, then print no parent node is found
- 7. Else, create a node as left child
- 8. Create a Right method for to create right child
- 9. If the array is none, then print no parent node is found
- 10. Else, create a node as right child
- 11. Display the nodes

```
tree = [None] * 20
def root(key):
    if tree[0] != None:
        print("Tree already had root")
    else:
        tree[0] = key
def set_left(key, parent):
    if tree[parent] == None:
        print("Can't set child at", (parent * 2) + 1, ", no parent found")
    else:
        tree[(parent * 2) + 1] = key
def set_right(key, parent):
    if tree[parent] == None:
        print("Can't set child at", (parent * 2) + 2, ", no parent found")
    else:
```

```
tree[(parent * 2) + 2] = key
def print_tree():
  for i in range(20):
     if tree[i] != None:
       print(tree[i], end="")
     else:
       print("-", end="")
  print()
root('3')
set_left('5', 0)
set_right('9', 0)
set_left('6', 1)
set_right('8', 1)
set_left('20', 2)
set_right('10', 2)
set_left('9', 5)
print_tree()
output
Array representation
```

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9b.linkedlist representation

Algorithm:

- 1. Create a class and represent a node of binary tree
- 2. Assign data to the new node, set left and right children to None
- 3. Create a class and represent the root of binary tree
- 4. Create a new node and check whether tree is empty, add root to the queue
- 5. If node has both left and right child, add both the child to queue
- 6. If node has no left child, make newNode as left child
- 7. If node has left child but no right child, make newNode as right child
- 8. Display the list of nodes in binary tree

```
class Node:
  def_init_(self,data):
    self.data = data;
    self.left = None;
    self.right = None;
class BinaryTree:
  def init (self):
    self.root = None;
  def insertNode(self, data):
    newNode = Node(data);
    if(self.root == None):
       self.root = newNode;
       return;
    else:
       queue = [];
       queue.append(self.root);
       while(True):
          node = queue.pop(0);
          if(node.left != None and node.right != None):
```

```
queue.append(node.left);
            queue.append(node.right);
         else:
            if(node.left == None):
               node.left = newNode;
               queue.append(node.left);
            else:
               node.right = newNode;
               queue.append(node.right);
            break;
  def inorderTraversal(self, node):
    #Check whether tree is empty
    if(self.root == None):
       print("Tree is empty");
       return;
    else:
       if(node.left != None):
          self.inorderTraversal(node.left);
       print(node.data),
       if(node.right!= None):
         self.inorderTraversal(node.right);
bt = BinaryTree();
bt.insertNode(1);
print("Binary tree after insertion");
bt.inorderTraversal(bt.root);
bt.insertNode(2);
bt.insertNode(3);
print("\nBinary tree after insertion");
```

```
bt.inorderTraversal(bt.root);
bt.insertNode(4);
bt.insertNode(5);
print("\nBinary tree after insertion");
bt.inorderTraversal(bt.root);
bt.insertNode(6);
bt.insertNode(7);
print("\nBinary tree after insertion");
bt.inorderTraversal(bt.root);
output:
Binary tree after insertion
Binary tree after insertion
1
3
Binary tree after insertion
2
5
1
3
Binary tree after insertion
2
5
1
6
3
```

9c. traversal algorithm

Algorithm:

- 1. Create a class and represent a node
- 2. Assign data to the new node, set left and right children to None
- 3. If tree is non empty, create a new node and compare to current node
- 4. If new node less than current node, then make it as left child of current node
- 5. If new node greater than current node, then make it as right child of current node
- 6. Else, if tree is empty, add node to the root node
- 7. Create inorder method, then recursively traverse left,root, right order
- 8. Create preorder method, then recursively traverse root, left,right order
- 9. Create postorder method, then recursively traverse left, right, root order
- 10. Display all nodes

```
class Node:
  def_init_(self, data):
     self.left = None
     self.right = None
     self.data = data
  def insert(self, data):
     if self.data:
        if data < self.data:
          if self.left is None:
             self.left = Node(data)
          else:
             self.left.insert(data)
        elif data > self.data:
          if self.right is None:
             self.right = Node(data)
          else:
             self.right.insert(data)
     else:
```

```
self.data = data
def PrintTree(self):
  if self.left:
     self.left.PrintTree()
  print(self.data),
  if self.right:
     self.right.PrintTree()
def inorderTraversal(self, root):
  res = []
  if root:
     res = self.inorderTraversal(root.left)
     res.append(root.data)
     res = res + self.inorderTraversal(root.right)
  return res
def PreorderTraversal(self, root):
  res = []
  if root:
     res.append(root.data)
     res = res + self.PreorderTraversal(root.left)
     res = res + self.PreorderTraversal(root.right)
  return res
def PostorderTraversal(self, root):
  res = []
  if root:
     res = self.PostorderTraversal(root.left)
     res = res + self.PostorderTraversal(root.right)
     res.append(root.data)
  return res
```

```
root = Node(27)
root.insert(14)
root.insert(35)
root.insert(10)
root.insert(19)
root.insert(31)
root.insert(42)
print(root.inorderTraversal(root))
print(root.PreorderTraversal(root))
print(root.PostorderTraversal(root))
```

output

```
Inorder traversal [10, 14, 19, 27, 31, 35, 42] preorder traversal [27, 14, 10, 19, 35, 31, 42] postorder traversal [10, 19, 14, 31, 42, 35, 27]
```

Result

Thus the program is executed successfully

EX NO:-	
DATE:-	10.IMPLEMENTATION OF BINARY SEARCH TREE

Aim:

To write a program to implement binary search tree

10 a. binary search tree

Algorithm:

- 1. Insert node into the tree as the root of the tree.
- 2. Read the next element, if it is lesser than the root node element, insert it as the root of the left sub-tree.
- 3. Otherwise, insert it as the root of the right of the right sub-tree
- 4. Compare the element with the root of the tree.
- 5. If the item is matched then return the location of the node.
- 6. Otherwise check if item is less than the element present on root, if so then move to the left sub-tree.
- 7. If not, then move to the right sub-tree.
- 8. Repeat this procedure recursively until match found.
- 9. If element is not found then return NULL.
- 10. Find the data of the node to be deleted.
- 11. If the node is a leaf node, delete the node directly.
- 12. Else if the node has one child, copy the child to the node to be deleted and delete the child node.
- 13. Else if the node has two children, find the inorder successor of the node.
- 14. Copy the contents of the inorder successor to the node to be deleted and delete the inorder successor.

```
class Node:
    def_init__(self, key):
        self.key = key
        self.left = None
        self.right = None
    def inorder(root):
    if root is not None:
        inorder(root.left)
        print(str(root.key) + "->", end='')
```

```
inorder(root.right)
def insert(node, key):
  if node is None:
     return Node(key)
  if key < node.key:
     node.left = insert(node.left, key)
  else:
     node.right = insert(node.right, key)
  return node
def minValueNode(node):
  current = node
  while(current.left is not None):
     current = current.left
  return current
def deleteNode(root, key):
  if root is None:
     return root
  if key < root.key:
     root.left = deleteNode(root.left, key)
  elif(key > root.key):
     root.right = deleteNode(root.right, key)
  else:
     if root.left is None:
       temp = root.right
       root = None
       return temp
     elif root.right is None:
```

```
temp = root.left
       root = None
       return temp
     temp = minValueNode(root.right)
     root.key = temp.key
     root.right = deleteNode(root.right, temp.key)
  return root
root = None
root = insert(root, 8)
root = insert(root, 3)
root = insert(root, 1)
root = insert(root, 6)
root = insert(root, 7)
root = insert(root, 10)
root = insert(root, 14)
root = insert(root, 4)
print("Inorder traversal: ", end=' ')
inorder(root)
print("\nDelete 4")
root = deleteNode(root, 4)
print("Inorder traversal: ", end=' ')
inorder(root)
print("\nDelete 6")
root = deleteNode(root, 6)
print("Inorder traversal: ", end=' ')
inorder(root)
print("\nDelete 3")
root = deleteNode(root, 3)
```

```
print("Inorder traversal: ", end=' ')
```

inorder(root)

output:

Inorder traversal: 1-> 3-> 4-> 6-> 7-> 8-> 10-> 14->

Delete 4

Inorder traversal: 1-> 3-> 6-> 7-> 8-> 10-> 14->

Delete 6

Inorder traversal: 1-> 3-> 7-> 8-> 10-> 14->

Delete 3

Inorder traversal: 1-> 7-> 8-> 10-> 14->

10b. AVL tree

Algorithm:

- 1. Create a class and represent a node
- 2. Assign data to the new node, set left and right children to None and set height is 1
- 3. If tree is non empty, create a new node and compare to current node
- 4. If new node less than current node, then make it as left child of current node
- 5. If new node greater than current node, then make it as right child of current node
- 6. Else, if tree is empty, add node to the root node
- 7. After inserting the elements check the Balance Factor of each node.
- 8. If the balance factor of every node found like 0 or 1 or -1 then the algorithm perform for the next operation.
- 9. If the balance factor of any node comes other than the above three values then the tree is imbalanced. Then perform rotation to make it balanced and then the algorithm perform for the next operation.
- 10. Create a method to delete a node and find where the node is stored
- 11. If the node is a leaf node, delete the node directly.
- 12. Else if the node has one child, copy the child to the node to be deleted and delete the child node.
- 13. Else if the node has two children, find the inorder successor of the node.
- 14. Copy the contents of the inorder successor to the node to be deleted and delete the inorder successor.
- 15. Again do step 8 and 9
- 16. Display the preorder traversal

```
import sys

class TreeNode(object):
    def_init_(self, key):
        self.key = key
        self.left = None
        self.right = None
        self.height = 1

class AVLTree(object):
    def insert_node(self, root, key):
        if not root:
        return TreeNode(key)
```

```
elif key < root.key:
     root.left = self.insert_node(root.left, key)
  else:
     root.right = self.insert_node(root.right, key)
  root.height = 1 + max(self.getHeight(root.left),
                 self.getHeight(root.right))
  balanceFactor = self.getBalance(root)
  if balanceFactor > 1:
     if key < root.left.key:
        return self.rightRotate(root)
     else:
        root.left = self.leftRotate(root.left)
        return self.rightRotate(root)
  if balanceFactor < -1:
     if key > root.right.key:
       return self.leftRotate(root)
     else:
        root.right = self.rightRotate(root.right)
        return self.leftRotate(root)
  return root
def delete_node(self, root, key):
  if not root:
     return root
  elif key < root.key:
     root.left = self.delete_node(root.left, key)
  elif key > root.key:
     root.right = self.delete_node(root.right, key)
  else:
```

```
if root.left is None:
     temp = root.right
     root = None
     return temp
  elif root.right is None:
     temp = root.left
     root = None
     return temp
  temp = self.getMinValueNode(root.right)
  root.key = temp.key
  root.right = self.delete_node(root.right,
                      temp.key)
if root is None:
  return root
root.height = 1 + max(self.getHeight(root.left),
              self.getHeight(root.right))
balanceFactor = self.getBalance(root)
if balanceFactor > 1:
  if self.getBalance(root.left) >= 0:
     return self.rightRotate(root)
  else:
     root.left = self.leftRotate(root.left)
     return self.rightRotate(root)
if balanceFactor < -1:
  if self.getBalance(root.right) <= 0:
     return self.leftRotate(root)
  else:
     root.right = self.rightRotate(root.right)
```

```
return self.leftRotate(root)
  return root
def leftRotate(self, z):
  y = z.right
  T2 = y.left
  y.left = z
  z.right = T2
  z.height = 1 + max(self.getHeight(z.left),
               self.getHeight(z.right))
  y.height = 1 + max(self.getHeight(y.left),
               self.getHeight(y.right))
  return y
def rightRotate(self, z):
  y = z.left
  T3 = y.right
  y.right = z
  z.left = T3
  z.height = 1 + max(self.getHeight(z.left),
               self.getHeight(z.right))
  y.height = 1 + max(self.getHeight(y.left),
               self.getHeight(y.right))
  return y
def getHeight(self, root):
  if not root:
     return 0
  return root.height
def getBalance(self, root):
  if not root:
```

```
return 0
     return self.getHeight(root.left) - self.getHeight(root.right)
  def getMinValueNode(self, root):
     if root is None or root.left is None:
       return root
     return\ self.get Min Value Node (root.left)
  def preOrder(self, root):
     if not root:
       return
     print("{0} ".format(root.key), end="")
     self.preOrder(root.left)
     self.preOrder(root.right)
  def printHelper(self, currPtr, indent, last):
     if currPtr != None:
       sys.stdout.write(indent)
       if last:
          sys.stdout.write("R---")
          indent += " "
       else:
          sys.stdout.write("L --- ")
          indent += "| "
       print(currPtr.key)
       self.printHelper(currPtr.left, indent, False)
       self.printHelper(currPtr.right, indent, True)
myTree = AVLTree()
root = None
nums = [15,20,24,10,13,7,30,36,25]
for num in nums:
```

```
root = myTree.insert_node(root, num)
myTree.printHelper(root, "", True)
key = 24
root = myTree.delete_node(root, key)
print("After Deletion: ")
myTree.printHelper(root, "", True)
key = 20
root = myTree.delete_node(root, key)
print("After Deletion: ")
myTree.printHelper(root, "", True)
key = 15
root = myTree.delete_node(root, key)
print("After Deletion: ")
myTree.printHelper(root, "", True)
```

output:

Result:

Thus the program is executed successfully

EX NO:-	
DATE:-	11.Implementation of heaps

Aim:

To write an program to implement binary heap—min and max heap

11a. Algorithm: MAX heap

- 1. Use an array to store the data.
- 2. Start storing from index 1, not 0.
- 3. Create a insert method and find the size of the array
- 4. If the size is 0, then append the value
- 5. Else, append the value and set the range for heapify function
- 6. For any given node at position i:
- 7. If it is **Left Child** then l = [2*i+1]
- 8. If it is **Right Child** then r = [2*i+2]
- 9. Then find the maximum value and swap the position
- 10. Create delete method and delete the root node
- 11. Swap the position

```
def heapify(arr, n, i):
    largest = i
    l = 2 * i + 1
    r = 2 * i + 2
    if 1 < n and arr[i] < arr[1]:
        largest = 1
    if r < n and arr[largest] < arr[r]:
        largest = r
    if largest != i:
        arr[i],arr[largest] = arr[largest],arr[i]
        heapify(arr, n, largest)

def insert(array, newNum):
    size = len(array)
    if size == 0:
        array.append(newNum)</pre>
```

```
else:
     array.append(newNum);
     for i in range((size//2)-1, -1, -1):
       heapify(array, size, i)
def deleteNode(array, num):
  size = len(array)
  i = 0
  for i in range(0, size):
     if num == array[i]:
        break
  array[i], array[size-1] = array[size-1], array[i]
  array.remove(num)
  for i in range((len(array)//2)-1, -1, -1):
     heapify(array, len(array), i)
arr = []
insert(arr, 35)
insert(arr, 33)
insert(arr, 42)
insert(arr, 10)
insert(arr, 14)
insert(arr, 19)
insert(arr, 27)
insert(arr, 44)
insert(arr, 26)
print ("Max-Heap array: " + str(arr))
deleteNode(arr, 44)
print("After deleting an element: " + str(arr))
deleteNode(arr, 33)
```

print("After deleting an element: " + str(arr))

output:

Max-Heap array: [44, 42, 35, 33, 14, 19, 27, 10, 26]
After deleting an element: [42, 33, 35, 26, 14, 19, 27, 10]
After deleting an element: [42, 26, 35, 10, 14, 19, 27]

11b. Algorithm: min heap

- 1. Use an array to store the data.
- 2. Start storing from index 1, not 0.
- 3. Create a insert method and find the size of the array
- 4. If the size is 0, then append the value
- 5. Else, append the value and set the range for heapify function
- 6. For any given node at position i:
- 7. If it is **Left Child** then l = [2*i+1]
- 8. If it is **Right Child** then r = [2*i+2]
- 9. Then find the minimum value and swap the position
- 10. Create delete method and delete the root node
- 11. Swap the position

program:

```
def min_heapify(A,k):
  l = left(k)
  r = right(k)
  if l < len(A) and A[1] < A[k]:
     smallest = 1
  else:
     smallest = k
  if r < len(A) and A[r] < A[smallest]:
     smallest = r
  if smallest != k:
     A[k], A[smallest] = A[smallest], A[k]
     min_heapify(A, smallest)
def left(k):
  return 2 * k + 1
def right(k):
  return 2 * k + 2
def build_min_heap(A):
  n = int((len(A)//2)-1)
```

```
for k in range(n, -1, -1):  \begin{aligned} & \text{min\_heapify}(A,k) \\ & A = [3,9,2,1,4,5] \\ & \text{build\_min\_heap}(A) \\ & \text{print}(A) \end{aligned}
```

output:

```
Min heap: [1, 3, 2, 9, 4, 5]
```

Result:

Thus the program is executed successfully

EX NO:
12.Graph representation and Traversal algorithm
DATE:-

Aim:

To write a program to implement graph representation and traversal algorithm

12a. GRAPH REPRESENTATION—ADJACENCY LIST

Algorithm:

- 1. Create an array of size and type of array must be list of vertices
- 2. Each array element is initialize with empty list
- 3. Create a add edge method to store v in list
- 4. Iterate each given edge of the form (u,v)
- 5. Append v to the u^{th} list of array

```
class AdjNode:
  def_init_(self, data):
    self.vertex = data
    self.next = None
class Graph:
  def init (self, vertices):
    self.V = vertices
    self.graph = [None] * self.V
 def add_edge(self, src, dest):
    node = AdjNode(dest)
    node.next = self.graph[src]
    self.graph[src] = node
   node = AdjNode(src)
    node.next = self.graph[dest]
    self.graph[dest] = node
  def print_graph(self):
    for i in range(self.V):
```

```
print("Adjacency list of vertex { }\n head".format(i), end="")
       temp = self.graph[i]
       while temp:
         print(" -> { }".format(temp.vertex), end="")
         temp = temp.next
       print("\n")
if__name__== "_main__":
  V = 5
  graph = Graph(V)
  graph.add\_edge(0, 1)
  graph.add\_edge(0, 4)
  graph.add_edge(1, 2)
  graph.add_edge(1, 3)
  graph.add_edge(1, 4)
  graph.add_edge(2, 3)
  graph.add_edge(3, 4)
  graph.print_graph()
```

output

```
Adjacency list of vertex 0 head -> 4 -> 1

Adjacency list of vertex 1 head -> 4 -> 3 -> 2 -> 0

Adjacency list of vertex 2 head -> 3 -> 1

Adjacency list of vertex 3 head -> 4 -> 2 -> 1

Adjacency list of vertex 4 head -> 3 -> 1 -> 0
```

12b. GRAPH REPRESNTATION—ADJACENCY MATRIX

Algorithm:

- 1. Create a matrix of size N*N
- 2. Initialise it with zero
- 3. Iterate over each edge of the form(u,v)
- 4. Assign 1 to matix[u][v]
- 5. Checks if the vertex exists in the graph
- 6. Checks if the vertex is connecting to itself
- 7. Else, connecting the vertices
- 8. Define a remove function
- 9. Check the vertex is already present
- 10. Else, remove the vertex

```
class Graph:
   n = 0
   g = [0 \text{ for x in range}(10)] \text{ for y in range}(10)]
   def_init_(self, x):
     self. n = x
     for i in range(0, self._n):
        for j in range(0, self._n):
           self_g[i][j]=0
   def displayAdjacencyMatrix(self):
     print("\n\n Adjacency Matrix:", end ="")
     for i in range(0, self. \underline{n}):
        print()
        for j in range(0, self._n):
           print("", self. g[i][j], end ="")
   def addEdge(self, x, y):
     if(x \ge self._n) or (y \ge self._n):
        print("Vertex does not exists !")
     if(x == y):
```

```
print("Same Vertex !")
     else:
         self_g[y][x]=1
         self_{\underline{\underline{g}}[x][y]=1}
   def addVertex(self):
      self.\underline{n} = self.\underline{n} + 1;
      for i in range(0, self._n):
         self.\_g[i][self.\_n-1]=0
         self.\_g[self.\_n-1][i]=0
   def removeVertex(self, x):
     if(x>self._n):
         print("Vertex not present !")
     else:
         while(x<self._n):
            for i in range(0, self._n):
                self.\_g[i][x] = self.\_g[i][x+1]
            for i in range(0, self._n):
                self.\_g[x][i] = self.\_g[x + 1][i]
            x = x + 1
         self.\underline{n} = self.\underline{n} - 1
obj = Graph(4);
obj.addEdge(0, 1);
obj.addEdge(0, 2);
obj.addEdge(1, 2);
obj.addEdge(2, 3);
obj.displayAdjacencyMatrix();
#obj.addVertex();
#obj.addEdge(4, 1);
```

```
#obj.addEdge(4, 3);
obj.displayAdjacencyMatrix();
obj.removeVertex(1);
obj.displayAdjacencyMatrix();
output
Adjacency Matrix:
 0 1 1 0
 1 0 1 0
 1 1 0 1
 0 0 1 0
 Adjacency Matrix:
 0 1 1 0
 1 0 1 0
 1 1 0 1
 0 0 1 0
 Adjacency Matrix:
 0 1 0
 1 0 1
```

0 1 0

12c. TRAVERSAL ALGORITHM—BFS

Algorithm:

- 1. Start by putting any one of the graph's vertices at the back of a queue.
- 2. Take the front item of the queue and add it to the visited list.
- 3. Create a list of that vertex's adjacent nodes. Add the ones which aren't in the visited list to the back of the queue.
- 4. Keep repeating steps 2 and 3 until the queue is empty.

```
Program 1: graph = { '5': ['3','7'],
```

```
'3' : ['2', '4'],
'7' : ['8'],
```

'2':[], '4':['8'],

'8':[]

}
visited = []

queue = []

def bfs(visited, graph, node):

visited.append(node)

queue.append(node)

while queue:

m = queue.pop(0)

print (m, end = " ")

for neighbour in graph[m]: if neighbour not in visited:

visited.append(neighbour)

queue.append(neighbour)

print("Following is the Breadth-First Search")

bfs(visited, graph, '5')

output:

```
Following is the Breadth-First Search 5 3 7 2 4 8 \,
```

program 2:

```
'G': ['C']}
def bfs_connected_component(graph, start):
    explored = []
    queue = [start]
    while queue:
        node = queue.pop(0)
    if node not in explored:
        explored.append(node)
        neighbours = graph[node]
        for neighbour in neighbours:
            queue.append(neighbour)
    return explored
bfs_connected_component(graph,'A')

output:
['A', 'B', 'C', 'E', 'D', 'F', 'G']
```

12d. TRAVERSAL ALGORITHM—DFS

Algorithm:

- 1. Create a recursive function that takes the index of the node and a visited array.
- 2. Mark the current node as visited and print the node.
- 3. Traverse all the adjacent and unmarked nodes and call the recursive function with the index of the adjacent node.
- 4. Run a loop from 0 to the number of vertices and check if the node is unvisited in the previous DFS, call the recursive function with the current node.

Program:

```
def recursive_dfs(graph, source,path = []):
    if source not in path:
      path.append(source)
      if source not in graph:
         return path
      for neighbour in graph[source]:
         path = recursive_dfs(graph, neighbour, path)
    return path
graph = {"A":["B","C", "D"],
      "B":["E"],
      "C":["F","G"],
      "D":["H"],
       "E":["I"],
      "F":["J"]}
path = recursive_dfs(graph, "A")
print(" ".join(path))
output:
```

Result:

DFS

ABEICFJGDH

EX NO:-

DATE:-

13. Single source shortest path algorithm

Aim:

To write a program to implement single source shortest path algorithm

Algorithm:

- 1. Start with a weighted graph
- 2. Choose a starting vertex and assign infinity path values to all other vertices
- 3. Go to each vertex and update its path length
- 4. If the path length of the adjacent vertex is lesser than new path length, don't update it
- 5. Avoid updating path length of already visited vertices
- 6. After each iteration pick the unvisited vertiex with the least path length
- 7. Repeat until all verties have been visited

Program:

```
import heapq
def calculate_distances(graph, starting_vertex):
  distances = {vertex: float('infinity') for vertex in graph}
  distances[starting\_vertex] = 0
  pq = [(0, starting\_vertex)]
  while len(pq) > 0:
     current_distance, current_vertex = heapq.heappop(pq)
     if current_distance > distances[current_vertex]:
        continue
     for neighbor, weight in graph[current_vertex].items():
        distance = current_distance + weight
       if distance < distances[neighbor]:
          distances[neighbor] = distance
          heapq.heappush(pq, (distance, neighbor))
  return distances
example_graph = {
  'v1': {'v2': 2, 'v4': 1,},
  'v2': {'v4': 3, 'v5': 10,},
  'v3': {'v1': 4,},
  'v4': {'v3': 2, 'v6': 8, 'v7': 4, 'v5': 2},
  'v5': {'v7': 6,},
  'v6': {'v3': 5,},
  'v7': {'v6': 1,},
}
print(calculate_distances(example_graph, 'v1'))
```

output:

```
shortest path
```

{'v1': 0, 'v2': 2, 'v3': 3, 'v4': 1, 'v5': 3, 'v6': 6, 'v7': 5}
Result: Thus the program is executed succesfully

EX NO:-

DATE:-

14. Minimum spanning tree algorithm

Algorithm:

- 1. Sort all the edges in non-decreasing order of their weight.
- 2. Pick the smallest edge.
- 3. Check if it forms a cycle with the spanning tree formed so far.
- **4.** If cycle is not formed, include this edge. Else, discard it.
- 5. 3. Repeat step2 until there are (V-1) edges in the spanning tree.

Program for KRUSKAL'S ALGORITHM

```
class Edge:
```

```
def_init_(self, arg_src, arg_dst, arg_weight) :
    self.src = arg\_src
    self.dst = arg\_dst
    self.weight = arg_weight
class Graph:
  def_init_(self, arg_num_nodes, arg_edgelist) :
     self.num_nodes = arg_num_nodes
     self.edgelist = arg_edgelist
     self.parent = []
     self.rank
                 =[]
     self.mst
                 = []
  def FindParent (self, node):.
     if node != self.parent[node] :
       self.parent[node] = self.FindParent(self.parent[node])
     return self.parent[node]
  def KruskalMST (self):
     self.edgelist.sort(key = lambda Edge : Edge.weight)
     self.parent = [None] * self.num_nodes
     self.rank = [None] * self.num_nodes
     for n in range(self.num_nodes):
       self.parent[n] = n
       self.rank[n] = 0
     for edge in self.edgelist:
       root1 = self.FindParent(edge.src)
       root2 = self.FindParent(edge.dst)
       if root1 != root2 :
         self.mst.append(edge)
         if self.rank[root1] < self.rank[root2] :</pre>
           self.parent[root1] = root2
           self.rank[root2] += 1
         else:
```

```
self.parent[root2] = root1
          self.rank[root1] += 1
    print("\nEdges of minimum spanning tree in graph:", end=' ')
    cost = 0
    for edge in self.mst:
      print("[" + str(edge.src) + "-" + str(edge.dst) + "](" + str(edge.weight) + ")", end = ' ')
       cost += edge.weight
    print("\nCost of minimum spanning tree : " +str(cost))
def main():
  num nodes = 5
  e1 = Edge(0, 1, 5)
  e2 = Edge(0, 3, 6)
  e3 = Edge(1, 2, 1)
  e4 = Edge(1, 3, 3)
  e5 = Edge(2, 3, 4)
  e6 = Edge(2, 4, 6)
  e7 = Edge(3, 4, 2)
  g1 = Graph(num\_nodes, [e1, e2, e3, e4, e5, e6, e7])
  g1.KruskalMST()
if__name___== "_main_" :
  main()
output:
Edges of minimum spanning tree in graph: [1-2](1) [3-4](2) [1-3](3) [0]
-1](5)
Cost of minimum spanning tree : 11
PRIM'S ALGORITHM
```

Algorithm:

- 1. Start at any node in the list
- 2. Choose a starting vertex is visited and assign all other vertices are unvisited
- 3. Find an edges e with minimum cost
- 4. Add the edge e found in previous to the spanning tree and change the edge as visited
- 5. Repeat the step 2 and 3 until all nodes become visited
- 6.

```
INF = 99999999
V = 7
G = [[0, 2, 4, 1, 0, 0, 0],
   [2, 0, 0, 3, 7, 0, 0],
   [4, 0, 0, 2, 0, 5, 0],
   [1, 3, 2, 0, 7, 8, 4],
   [0, 7, 0, 7, 0, 0, 6],
   [0, 0, 5, 8, 0, 0, 1],
```

```
[0, 0, 0, 4, 6, 1, 0]
selected = [0, 0, 0, 0, 0, 0, 0]
no\_edge = 0
selected[0] = True
print("Edge : Weight\n")
while (no_edge < V - 1):
  minimum = INF
  x = 0
  y = 0
  for i in range(V):
     if selected[i]:
        for j in range(V):
          if ((not selected[j]) and G[i][j]):
             if minimum > G[i][j]:
                minimum = G[i][j]
               \mathbf{x} = \mathbf{i}
               y = j
  print(str(x) + "-" + str(y) + ":" + str(G[x][y]))
  selected[y] = True
  no_edge += 1
```

output:

Edge: Weight

0-3:1
0-1:2
3-2:2
3-6:4
6-5:1
6-4:6

Result:

thus the program is executed successfully