```
!pip install -q amplpy
\rightarrow
                                                - 5.6/5.6 MB 42.4 MB/s eta 0:00:00
from amplpy import AMPL, tools
ampl = tools.ampl notebook(
   modules=["coin"],
    license_uuid="a1e9c56f-fff9-481c-a7cc-9e56e8a980b4")
→ Licensed to AMPL Community Edition License for <howardsarahv@gmail.com>.
#Question 1: Total supply chain costs and amount of demand that can be satisfied optimall
%%writefile abc.mod
set S = {"KC", "SA"}; #supply nodes
set D = {"T", "SH", "MC", "M", "L", "CA", "AT"}; #demand nodes
param C{S, D}; #cost matrix
param Supply{S}; #Supply capacity of the supply nodes
param Demand{D}; #demand at nodes in set D
#Variables
var x{S,D} >=0; # transportation quantity from nodes set S to demand set D
minimize Z: sum{i in S, j in D} C[i,j]*x[i,j]; #total Transportation cost
#Constraints
s.t. supply{i in S}: sum{j in D} x[i,j] = Supply[i]; # supply constraints
s.t. demand{j in D}: sum{i in S} x[i,j] <= Demand[j]; # demand constraints
→ Overwriting abc.mod
#Question 1: Total supply chain costs and amount of demand that can be satisfied optimall
%%writefile abc.dat
param C: T SH MC M L CA AT=
KC 1.79 2.13 1.76 2.34 1.86 1.90 1.82
SA 2.13 2.03 1.58 1.80 2.14 1.26 1.76;
param Supply:=
KC 60000
SA 60000;
param Demand:=
T 5000
```

```
SH 50000
MC 4000
M 6000
L 40000
CA 10000
AT 60000;
    Writing abc.dat
#Question 1: Total supply chain costs and amount of demand that can be satisfied optimall
%%ampl_eval
reset;
# Model File
model abc.mod;
data abc.dat;
#Calling Optimization Engine and Optimizing
option solver cbc;
solve;
#Display Results
display Z, x;
    cbc 2.10.10: optimal solution; objective 210570
     0 simplex iterations
     Z = 210570
     x :=
     KC AT
             15000
     KC CA
             40000
     KC L
     KC M
     KC MC
     KC SH
     KC T
             5000
     SA AT
             45000
     SA CA
             10000
     SA L
     SA M
              1000
           4000
     SA MC
     SA SH
     SA T
#Q2 Capacity Expansion Kansas City or Santiago
%%writefile expansion.mod
set S = {"KC", "SA"}; #supply nodes
set D = {"T", "SH", "MC", "M", "L", "CA", "AT"}; #demand nodes
#Variables
var x{S,D} >=0 integer; # transportation quantity from nodes set S to demand set D
```

```
var y{S} binary; #fixed cost of expanding
#Parameters
param C{S, D}; #cost matrix for transportation
param Supply{S}; #Supply capacity of the supply nodes
param Demand{D}; #demand at nodes in set D
param FC{S}; #one time fixed cost at one plant or another in set S
minimize Z: sum{i in S} y[i]*FC[i]+ sum {i in S, j in D} C[i,j]*x[i,j]; #total Transportat:
#Constraints
s.t. supply{i in S}: sum{j in D} x[i,j] = 60000+50000*y[i]; # supply constraints
s.t. demand{j in D}: sum\{i in S\} x[i,j] \le Demand[j]; \# demand constraints
s.t. KCorSA: y["KC"] + y["SA"]>=1; #expanding one plant or the other
     Overwriting expansion.mod
%%writefile expansion.dat
param C: T SH MC M L CA AT=
KC 1.79 2.13 1.76 2.34 1.86 1.90 1.82
SA 2.13 2.03 1.58 1.80 2.14 1.26 1.76;
param Supply:=
KC 60000
SA 60000;
param Demand:=
T 5000
SH 50000
MC 4000
M 6000
L 40000
CA 10000
AT 60000;
param FC:=
KC 2590000
SA 2061000;
     Overwriting expansion.dat
#Q2 Capacity Expansion Kansas City
%%ampl_eval
reset;
# Model File
model expansion.mod;
data expansion.dat;
```

```
#Calling Optimization Engine and Optimizing
option solver cbc;
solve;
#Display Results
display Z, x, y;
     cbc 2.10.10: optimal solution; objective 2371920
     0 simplex iterations
     Z = 2371920
     x :=
     KC AT
             15000
     KC CA
     KC L
             40000
     KC M
     KC MC
     KC SH
     KC T
             5000
     SA AT
             45000
     SA CA
             10000
     SA L
     SA M
             6000
     SA MC
            4000
     SA SH 45000
     SA T
     ;
     y [*] :=
     KC 0
     SA 1
#Q3: Where should we put the new plant? What is the associated cost?
%%writefile newplant.mod
set S= {"AUC", "BIR", "FRA", "MUM", "SIN"}; #supply nodes
set D= {"SH", "M"}; #demand nodes
#Variables
var x{S,D} >=0 integer; # transportation quantity from nodes set S to demand set D
var y{S} binary; #fixed cost of expanding
#Parameters
param C{S, D}; #cost matrix for transportation
param Supply{S}; #Supply capacity of the supply nodes
param Demand{D}; #demand at nodes in set D
param FC{S}; #one time fixed cost at one plant or another in set S
minimize Z: sum{i in S} y[i]*FC[i]+ sum {i in S, j in D} C[i,j]*x[i,j]; #total shipping +
#Constraints
s.t. oneormore: y["AUC"]+y["BIR"]+y["FRA"]+y["MUM"]+y["SIN"]>=1; #adding one or more plan
s.t. supply{i in S}: sum{j in D} x[i,j]<= Supply[i]*y[i]; # supply constraints</pre>
```

```
s.t. demand{j in D}: sum\{i in S\} x[i,j] >= Demand[j]; # demand constraints
     Overwriting newplant.mod
#Q3
%%writefile newplant.dat
param C: SH M:=
AUC 1.18 0.91
BIR 1.6 1.52
FRA 1.65 1.73
MUM 1.21 1.38
SIN 1.44 1.43;
param Supply:=
AUC 15000
BIR 15000
FRA 20000
MUM 25000
SIN 20000;
param Demand:=
SH 50000
M 6000;
param FC:=
AUC 917000
BIR 962000
FRA 1093000
MUM 959000
SIN 1058000;
     Overwriting newplant.dat
%%ampl_eval
reset;
# Model File
model newplant.mod;
data newplant.dat;
#Calling Optimization Engine and Optimizing
option solver cbc;
solve;
#Display Results
display Z, x, y;
     cbc 2.10.10: optimal solution; objective 3003370
```

7 simplex iterations
7 barrier iterations

```
Z = 3003370
     x :=
     AUC M
               6000
     AUC SH
               9000
     BIR M
     BIR SH
                  0
     FRA M
     FRA SH
     MUM M
     MUM SH
              25000
     SIN M
     SIN SH
              16000
     y [*] :=
     AUC 1
     BIR 0
     FRA 0
     MUM 1
     SIN 1
#Q4: Endurance Round Shanghai 20/70/90
%%writefile newshanghai.mod
set S= {"AUC", "BIR", "FRA", "MUM", "SIN"}; #supply nodes
set D= {"SH", "M"}; #demand nodes
#Variables
var x{S,D} >=0 integer; # transportation quantity from nodes set S to demand set D
var y{S} binary; #fixed cost of expanding
#Parameters
param C{S, D}; #cost matrix for transportation
param Supply{S}; #Supply capacity of the supply nodes
param Demand{D}; #demand at nodes in set D
param FC{S}; #one time fixed cost at one plant or another in set S
minimize Z: sum{i in S} y[i]*FC[i]+ sum {i in S, j in D} C[i,j]*x[i,j]; #total shipping + 1
#Constraints
s.t. oneormore: y["AUC"]+y["BIR"]+y["FRA"]+y["MUM"]+y["SIN"]>=1; #adding one or more plants
s.t. supply{i in S}: sum{j in D} x[i,j]<= Supply[i]*y[i]; # supply constraints</pre>
s.t. demand{j in D}: sum{i in S} x[i,j]>= Demand[j]; # demand constraints
     Overwriting newshanghai.mod
#Q4 Endurance ROund
%%writefile newshanghai.dat
```

```
param C: SH M:=
AUC 1.18 0.91
BIR 1.6 1.52
FRA 1.65 1.73
MUM 1.21 1.38
SIN 1.44 1.43;
param Supply:=
AUC 15000
BIR 15000
FRA 20000
MUM 25000
SIN 20000;
param Demand:=
SH 90000
M 6000;
param FC:=
AUC 917000
BIR 962000
FRA 1093000
MUM 959000
SIN 1058000;
     Overwriting newshanghai.dat
%%ampl_eval
reset;
# Model File
model newshanghai.mod;
data newshanghai.dat;
#Calling Optimization Engine and Optimizing
option solver cbc;
solve;
#Display Results
display Z, x, y;
     cbc 2.10.10: infeasible problem
     0 simplex iterations
     absmipgap=1.79769e+308, relmipgap=1
     Z = 5123130
     x :=
     AUC M
               5000
     AUC SH
              10000
     BIR M
     BIR SH
              15000
     FRA M
               1000
     FRA SH
              20000
```

```
MUM M
     MUM SH
              25000
     SIN M
     SIN SH
              20000
     y [*] :=
     AUC 1
     BIR 1
     FRA 1
    MUM 1
     SIN 1
#Q4 Capacity Expansion Shanghai20/70/90 Calculator
%%writefile shanghai20cap.mod
set S = {"KC", "SA"}; #supply nodes
set D = {"T", "SH", "MC", "M", "L", "CA", "AT"}; #demand nodes
#Variables
var x{S,D} >= 0 integer; # transportation quantity from nodes set S to demand set D
var y{S} binary; #fixed cost of expanding
#Parameters
param C{S, D}; #cost matrix for transportation
param Supply{S}; #Supply capacity of the supply nodes
param Demand{D}; #demand at nodes in set D
param FC{S}; #one time fixed cost at one plant or another in set S
minimize Z: sum{i in S} y[i]*FC[i]+ sum {i in S, j in D} C[i,j]*x[i,j]; #total Transporta
#Constraints
s.t. supply{i in S}: sum{j in D} x[i,j] <= 60000+50000*y[i]; # supply constraints
s.t. demand{j in D}: sum{i in S} x[i,j]>= Demand[j]; # demand constraints
s.t. KCorSA: y["KC"] + y["SA"]>=1; #expanding one plant or the other
     Overwriting shanghai20cap.mod
%%writefile shanghai20cap.dat
param C: T SH MC M L CA AT=
KC 1.79 2.13 1.76 2.34 1.86 1.90 1.82
SA 2.13 2.03 1.58 1.80 2.14 1.26 1.76;
param Supply:=
KC 60000
SA 60000;
```

```
param Demand:=
T 5000
SH 90000
MC 4000
M 6000
L 40000
CA 10000
AT 60000;
param FC:=
KC 2590000
SA 2061000;
     Overwriting shanghai20cap.dat
#Q4 Shanghai 20
%%ampl_eval
reset;
# Model File
model shanghai20cap.mod;
data shanghai20cap.dat;
#Calling Optimization Engine and Optimizing
option solver cbc;
solve;
#Display Results
display Z, x, y;
     cbc 2.10.10: optimal solution; objective 5055970
     1 simplex iterations
     1 barrier iterations
     Z = 5055970
     x :=
             60000
     KC AT
     KC CA
     KC L
             40000
     KC M
                 0
     KC MC
                 0
     KC SH
     KC T
              5000
     SA AT
     SA CA
             10000
     SA L
     SA M
              6000
     SA MC
              4000
     SA SH
             90000
     SA T
     ;
     y [*] :=
     KC 1
     SA 1
     ;
```

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