lab8 fedr all

June 22, 2025

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[]: # lab8_fedr_all.ipynb
# 22 Jun 2025
# Lab 8: Feature Engineering and Dimensionality Reduction
# Dowload code from : https://github.com/svhari/CS_2225_Lab
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1 Lab 8: Feature Engineering and Dimensionality Reduction

1.1 Program 1: Feature Engineering Techniques

- 1. Feature Engineering Practice
 - Load the titanic dataset from "https://raw.githubusercontent.com/mwaskom/seaborn-data/master/titanic.csv"
 - Apply the following feature engineering techniques:
 - Data loading and inspection
 - Missing value handling
 - Categorical variable encoding
 - Feature scaling/normalization
 - Feature creation
 - Result visualization

```
print("\nOriginal Data (First 5 Rows):")
print(data.head()) # Shows column names and sample values
# Check for missing values - crucial for data quality assessment
print("\nMissing Values Summary:")
print(data.isnull().sum()) # Counts nulls per column
.....
KEY OBSERVATIONS:
- 'age' has missing values (continuous numerical feature)
- 'embarked' has few missing values (categorical feature)
- 'cabin' has many missing values (will be dropped)
# -----
# 2. MISSING VALUE HANDLING
# -----
print("\nSTEP 2: MISSING VALUE IMPUTATION".center(70, '='))
# Strategy for numerical features (age, fare): Median imputation
# Why median? Robust to outliers compared to mean
imputer = SimpleImputer(strategy='median')
data[['age', 'fare']] = imputer.fit_transform(data[['age', 'fare']])
# Strategy for categorical feature (embarked): Mode imputation
# Why mode? Most frequent value is sensible for categories
data['embarked'] = data['embarked'].fillna(data['embarked'].mode()[0])
# Dropping columns:
# - 'cabin' has too many missing values (>70%)
# - 'embark_town' is redundant with 'embarked'
data.drop(['cabin', 'embark_town'], axis=1, inplace=True, errors='ignore')
print("\nAfter Missing Value Handling:")
print(data.isnull().sum()) # Verify no missing values remain
# 3. CATEGORICAL VARIABLE ENCODING
# ------
print("\nSTEP 3: CATEGORICAL ENCODING".center(70, '='))
WHY ONE-HOT ENCODING?
- Convert categorical text data to numerical format
- 'drop="first"' removes one column to avoid dummy variable trap
- 'sparse_output=False' returns array instead of sparse matrix
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encoder = OneHotEncoder(drop='first', sparse_output=False)
encoded_features = encoder.fit_transform(data[['sex', 'embarked']])
# Get automatically generated column names
encoded_df = pd.DataFrame(encoded_features,
                    columns=encoder.get_feature_names_out(['sex',_
print("\nEncoded Features:")
print(encoded_df.head())
# 4. FEATURE SCALING
print("\nSTEP 4: FEATURE SCALING".center(70, '='))
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WHY STANDARD SCALER?
- Transforms features to have mean=0 and std=1
- Important for distance-based algorithms (KNN, SVM, PCA)
- Helps models converge faster (neural networks, logistic regression)
scaler = StandardScaler()
scaled_features = scaler.fit_transform(data[['age', 'fare']])
scaled_df = pd.DataFrame(scaled_features, columns=['age_scaled', 'fare_scaled'])
print("\nScaled Features Description:")
print(scaled_df.describe()) # Show mean 0 and std 1
# -----
# 5. FEATURE CREATION
# ------
print("\nSTEP 5: FEATURE CREATION".center(70, '='))
# Create family_size by combining siblings/spouses + parents/children
# Adding 1 to include the passenger themselves
data['family_size'] = data['sibsp'] + data['parch'] + 1
# Create is_alone flag (boolean converted to 0/1)
data['is_alone'] = (data['family_size'] == 1).astype(int)
print("\nNew Features Sample:")
print(data[['sibsp', 'parch', 'family_size', 'is_alone']].head())
# 6. FINAL DATASET ASSEMBLY
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print("\nSTEP 6: FINAL DATASET".center(70, '='))
# Combine all processed features
final_data = pd.concat([
   data[['pclass', 'family_size', 'is_alone']], # Original numeric features
   encoded_df,
                                             # Encoded categoricals
   scaled df,
                                             # Scaled numeric features
   data['survived']
                                             # Target variable
], axis=1)
print("\nFinal Processed Data (First 5 Rows):")
print(final_data.head())
# -----
# 7. VISUALIZATION
print("\nSTEP 7: VISUALIZATION".center(70, '='))
plt.figure(figsize=(12, 5))
# Original vs Scaled Age Distribution
plt.subplot(1, 2, 1)
plt.hist(data['age'], bins=20, color='blue', alpha=0.7)
plt.title('Original Age Distribution')
plt.xlabel('Age (years)')
plt.ylabel('Count')
plt.subplot(1, 2, 2)
plt.hist(final_data['age_scaled'], bins=20, color='red', alpha=0.7)
plt.title('Standard Scaled Age Distribution')
plt.xlabel('Standardized Age Units')
plt.ylabel('Count')
plt.tight_layout()
plt.show()
INTERPRETATION:
The scaling maintains the distribution shape but changes the units
- Left: Original age values in years
- Right: Standard deviations from the mean age
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```

1.2 Program 2: Dimensionality Reduction

Demonstrate the two fundamental dimensionality reduction techniques: 1. Principal Component Analysis (PCA) - Linear method 2. t-Distributed Stochastic Neighbor Embedding (t-SNE) - Nonlinear method

Demonstrate the following: - Data standardization requirements - Variance explanation in PCA - Perplexity in t-SNE - Visualization of high-D data

```
[]: import numpy as np
    import matplotlib.pyplot as plt
    from sklearn.datasets import load_wine
    from sklearn.preprocessing import StandardScaler
    from sklearn.decomposition import PCA
    from sklearn.manifold import TSNE
    # ------
    # 1. DATA LOADING AND PREPARATION
    # -----
    print("STEP 1: DATA LOADING AND PREP".center(70, '='))
    # Load Wine Recognition dataset - 13 chemical measurements of 3 wine types
    wine = load_wine()
                   # Features (178 samples × 13 features)
    X = wine.data
    y = wine.target  # Target classes (3 wine cultivars)
    feature_names = wine.feature_names
    print(f"\nDataset Shape: {X.shape}")
    print(f"Feature Names:\n{feature_names}")
    print(f"\nTarget Classes: {wine.target_names}")
    # Standardize the data - CRUCIAL for PCA
    n n n
    WHY STANDARDIZE?
    - PCA is sensitive to feature scales
    - Variables with larger ranges would dominate
    - We want each feature to contribute equally
    scaler = StandardScaler()
    X_scaled = scaler.fit_transform(X)
    # -----
    # 2. PRINCIPAL COMPONENT ANALYSIS (PCA)
    print("\nSTEP 2: PRINCIPAL COMPONENT ANALYSIS".center(70, '='))
    # Reduce to 2 dimensions for visualization
    pca = PCA(n components=2)
    X_pca = pca.fit_transform(X_scaled)
    print(f"\nExplained Variance Ratio: {pca.explained_variance_ratio_}")
    print(f"Total Explained Variance: {sum(pca.explained_variance_ratio_):.2f}")
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INTERPRETATION:
- PC1 explains 36% of variance
- PC2 explains 19% of variance
- Together they capture 55% of total variance
# 3. T-DISTRIBUTED STOCHASTIC NEIGHBOR EMBEDDING (t-SNE)
# ------
print("\nSTEP 3: t-SNE DIMENSIONALITY REDUCTION".center(70, '='))
t-SNE PARAMETERS:
- perplexity: Balances local/qlobal structure (typically 5-50)
- n_iter: Optimization iterations (default 1000)
- random_state: For reproducibility
tsne = TSNE(n_components=2, perplexity=30, random_state=42)
X_tsne = tsne.fit_transform(X_scaled)
# 4. VISUALIZATION COMPARISON
# ------
print("\nSTEP 4: VISUALIZATION".center(70, '='))
plt.figure(figsize=(15, 5))
# Original First Two Features
plt.subplot(1, 3, 1)
plt.scatter(X[:, 0], X[:, 1], c=y, cmap='viridis')
plt.xlabel(feature_names[0]) # Alcohol
plt.ylabel(feature_names[1]) # Malic acid
plt.title("Original Features (First Two)")
plt.colorbar(ticks=[0, 1, 2], label='Wine Class')
# PCA Projection
plt.subplot(1, 3, 2)
plt.scatter(X_pca[:, 0], X_pca[:, 1], c=y, cmap='viridis')
plt.xlabel('PC1 (36% Variance)')
plt.ylabel('PC2 (19% Variance)')
plt.title("PCA Projection")
plt.colorbar(ticks=[0, 1, 2], label='Wine Class')
# t-SNE Projection
plt.subplot(1, 3, 3)
plt.scatter(X_tsne[:, 0], X_tsne[:, 1], c=y, cmap='viridis')
```

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plt.xlabel('t-SNE Dimension 1')
plt.ylabel('t-SNE Dimension 2')
plt.title("t-SNE Projection (perplexity=30)")
plt.colorbar(ticks=[0, 1, 2], label='Wine Class')
plt.tight_layout()
plt.show()
# 5. PCA VARIANCE ANALYSIS
print("\nSTEP 5: PCA VARIANCE ANALYSIS".center(70, '='))
# Fit PCA with all components to analyze variance
pca_full = PCA().fit(X_scaled)
plt.figure(figsize=(8, 5))
plt.plot(np.cumsum(pca_full.explained_variance_ratio_), 'o-')
plt.axhline(y=0.95, color='r', linestyle='--', label='95% Variance')
plt.xlabel('Number of Components')
plt.ylabel('Cumulative Explained Variance')
plt.title('PCA Explained Variance')
plt.grid()
plt.legend()
plt.show()
# Find number of components for 95% variance
n_components_95 = np.argmax(np.cumsum(pca_full.explained_variance_ratio_) >= 0.
 95) + 1
print(f"\nComponents needed for 95% variance: {n_components_95}")
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KEY INSIGHTS:
1. PCA provides a linear projection that maximizes variance
2. t-SNE reveals nonlinear patterns and clusters
3. First two original features show poor separation
4. About 8 components needed to capture 95% variance
```

1.3 Program 3: Feature Selection

Compares the three approaches to feature selection:

- 1. Filter Methods (Mutual Information) Fast, model-agnostic
- 2. Wrapper Methods (RFE) Uses model performance
- 3. Embedded Methods (L1 Regularization) Built into model training

(Each method has different computational costs and suitability scenarios.)

```
[]: import numpy as np
    import pandas as pd
    import matplotlib.pyplot as plt
    from sklearn.datasets import load_breast_cancer
    from sklearn.feature_selection import (SelectKBest, mutual_info_classif,
                                    RFE, SelectFromModel)
    from sklearn.preprocessing import StandardScaler
    from sklearn.linear_model import LogisticRegression
    from sklearn.ensemble import RandomForestClassifier
    from sklearn.model_selection import train_test_split
    from sklearn.metrics import accuracy_score
    # ------
    # 1. DATA LOADING AND PREPARATION
    # -----
    print("STEP 1: DATA LOADING AND PREP".center(70, '='))
    # Load Breast Cancer Wisconsin dataset
    cancer = load_breast_cancer()
    X = cancer.data
    y = cancer.target
    feature_names = cancer.feature_names
    print(f"\nDataset Shape: {X.shape}")
    print(f"Target Classes:\nMalignant: {sum(y==0)}\nBenign: {sum(y==1)}")
    # Split into train/test sets (80/20)
    X_train, X_test, y_train, y_test = train_test_split(
       X, y, test_size=0.2, random_state=42)
    # Standardize data - important for regularized models
    scaler = StandardScaler()
    X_train_scaled = scaler.fit_transform(X_train)
    X_test_scaled = scaler.transform(X_test)
    # 2. FEATURE SELECTION METHODS
    # ------
    def apply_feature_selection(method_name, selector, X_train, X_test):
       """Helper function to apply feature selection consistently"""
       # Fit to training data
       X_train_selected = selector.fit_transform(X_train, y_train)
       # Transform test data using the same selector
       X_test_selected = selector.transform(X_test)
```

```
# Get selected feature names
   if hasattr(selector, 'get_support'):
       selected_features = feature_names[selector.get_support()]
   elif hasattr(selector, 'estimator_'): # For SelectFromModel
       selected_features = feature_names[selector.estimator_.coef_.ravel() !=_
 ⇔0]
   return X_train_selected, X_test_selected, selected_features
# Mutual Information
print("\nApplying Mutual Information...")
selector_mi = SelectKBest(mutual_info_classif, k=5)
X_train_mi, X_test_mi, features_mi = apply_feature_selection(
    "Mutual Information", selector_mi, X_train_scaled, X_test_scaled)
# Recursive Feature Elimination
print("\nApplying Recursive Feature Elimination...")
model_rfe = LogisticRegression(max_iter=10000, random_state=42)
selector_rfe = RFE(model_rfe, n_features_to_select=5, step=1)
X_train_rfe, X_test_rfe, features_rfe = apply_feature_selection(
    "RFE", selector_rfe, X_train_scaled, X_test_scaled)
# L1 Regularization
print("\nApplying L1 Regularization...")
model_l1 = LogisticRegression(penalty='11', solver='liblinear',
                           max_iter=10000, random_state=42)
selector_l1 = SelectFromModel(model_l1)
X_train_l1, X_test_l1, features_l1 = apply_feature_selection(
    "L1", selector_l1, X_train_scaled, X_test_scaled)
# 3. MODEL EVALUATION
print("\nSTEP 3: MODEL EVALUATION".center(70, '='))
def evaluate_model(X_train, X_test, method_name):
    """Train and evaluate logistic regression with selected features"""
   model = LogisticRegression(max_iter=10000, random_state=42)
   model.fit(X_train, y_train)
   # Ensure test data has same number of features
   assert X_train.shape[1] == X_test.shape[1], \
       f"Feature mismatch: train {X_train.shape[1]} vs test {X_test.shape[1]}"
   y_pred = model.predict(X_test)
   accuracy = accuracy_score(y_test, y_pred)
```

```
print(f"{method_name}:")
   print(f"- Features: {X_train.shape[1]}")
   print(f"- Accuracy: {accuracy:.3f}")
   print("-"*50)
print("\nPerformance Comparison:")
evaluate_model(X_train_scaled, X_test_scaled, "All Features")
evaluate_model(X_train_mi, X_test_mi, "Mutual Information")
evaluate_model(X_train_rfe, X_test_rfe, "RFE")
evaluate_model(X_train_l1, X_test_l1, "L1 Regularization")
# 4. FEATURE IMPORTANCE VISUALIZATION
# -----
print("\nSTEP 4: FEATURE IMPORTANCE VISUALIZATION".center(70, '='))
# Random Forest for comparison
model_rf = RandomForestClassifier(n_estimators=100, random_state=42)
model_rf.fit(X_train_scaled, y_train)
# Get importances and sort
importances = model_rf.feature_importances_
indices = np.argsort(importances)[::-1]
# Plot
plt.figure(figsize=(12, 6))
plt.title("Random Forest Feature Importances")
plt.bar(range(X_train.shape[1]), importances[indices], align="center")
plt.xticks(range(X_train.shape[1]), feature_names[indices], rotation=90)
plt.xlim([-1, X_train.shape[1]])
plt.ylabel("Relative Importance")
plt.tight_layout()
plt.show()
# 5. METHOD COMPARISON
print("\nSTEP 5: METHOD COMPARISON".center(70, '='))
# Create comparison table
methods = {
   "Mutual Information": set(features_mi),
   "RFE": set(features rfe),
   "L1": set(features_l1),
   "RF Top5": set(feature_names[indices][:5])
}
```

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