

Contents

1	Design & Simulation	1
1.1	Design Requirements	1
1.2	Design overview	2
1.3	Optical Design	4
1.4	Mechanical Design	9

Nomenclature

Latin letters

variable	meaning	unit
A	area	m^2
w	width	m
c	concentration	wt. %
d	diameter	m
G	Gibbs free enthalpy	J
h	height	m
l	length	m
m	mass	kg
p	pressure	Pa
r	radius	m
Re	Reynolds-number	
t	time	s
V	volume	m^3

Greek letters

variable	meaning	unit
α	absorption coefficient	1/m
γ	surface tension	N/m
η	dynamic viscosity	Ns/m^2
θ	contact angle	$^\circ$, rad
κ	curvature	1/m
λ	wave length	m
ν	kinematic viscosity	m^2/s
ρ	specific gravity	kg/m^3

Indices

index	meaning
<i>lg</i>	liquid-gas
<i>sg</i>	solid-gas
<i>sl</i>	solid-liquid
<i>la</i>	liquid-ambient

Abbreviations

abbreviation	meaning
2D	2-dimensional
AF	amorphous fluoropolymer
DFR	dry film resist
DI	deionized ultra-pure water
DRIE	Deep reactive ion etching
ICP	Inductive coupled plasma
MEMS	Micro-electro-mechanical system
PDMS	Polydimethylsiloxan
PEB	Post Exposure Bake
PMMA	Polymethylmethacrylat
UV-Vis	ultraviolet to visible wavelengths

1 Design & Simulation

The aim of this work is to design and test a miniaturized OCT microscope as a component of a multi-modal endoscope. As described in Chapter ??, this probe consists of two spectrally-separated optical paths that run partially in parallel through a micro-optical bench system. This approach allows independent tuning of the optical parameters of the two imaging modalities – such as the NA or depth of field – while still providing a geometrical overlap of the two acquired images. An integrated tubular piezoelectric fiber scanner is used to perform en face scanning required for three dimensional OCT measurements. This scanning engine has an outer diameter of 0.9 mm and a length of 9 mm, and features custom fabricated 10 μm thick polyimide flexible interconnect lines to address the four piezoelectric electrodes.

The following section describes the conception and design of the endoscope, starting from the medical and geometrical requirements, through analytical modeling and towards the optimization of each component.

1.1 Design Requirements

The OCT microscope should fulfill the following requirements:

Mechanical Requirements

- The scanner, electrical connections and optics should fit in a $1\text{ mm} \times 1\text{ mm}$ square channel. Its length should be minimized.
- The field of view should be maximized for a 2 mm diameter objective lens.
- The scanning speed should be adequate for the sampling rates characteristic of OCT ($\sim 100\text{ kHz}$).

Optical Requirements

- The microscopy and OCT imaging fields should be coaxial to avoid parallax errors.
- The OCT field should be image-side telecentric to avoid field curvature distortions and to maximize the collection of backscattered light upon normal incidence to the tissue.

- The lateral resolution and depth of field should be adequate for OCT (Numerical aperture 0.02 to 0.05).
- The backreflections inside the probe should be minimized.

1.2 Design overview

The main challenge of this work is to design a scanning mechanism compact enough to be placed in a thin, buried channel of a multimodal probe. Although it is theoretically possible to keep a scanner at the proximal end of the endoscope and use a coherent fiber bundle (CFB) as a relay, there are inherent drawbacks of this method, such as low light throughput, cross-talk and mechanical rigidity [1].

Another challenging requirement is the superposition of the images acquired by the different modalities. If the optical axes are not coaxial, the fields will be shifted and tilted due to parallax error — which gains importance at the small working distances common in endoscopy.

To overcome these problems, and taking into account the above-mentioned requirements, we propose a design comprising a resonant fiber scanner followed by a beam splitter (BS), illustrated in Figure 1.1, as an evolution of the HYZINT multimodal probe [2].

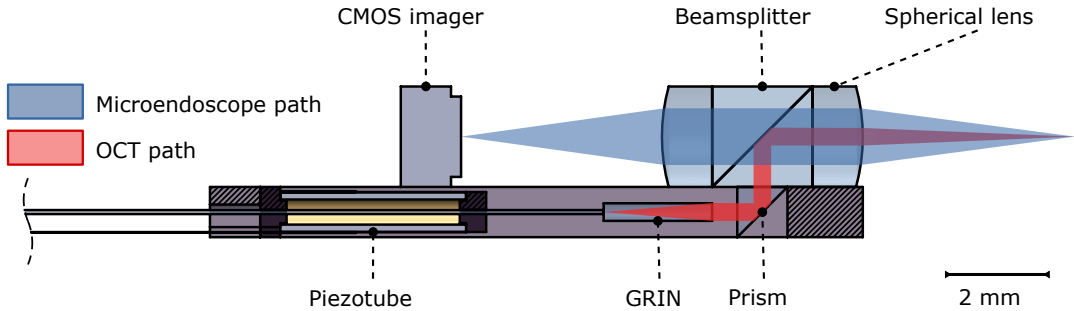


Figure 1.1: Bimodal probe cross section showing main components and optical paths.

This implementation uses a piezo tube actuator which drives a bending beam into a resonant oscillation. This bending beam is composed of an optical fiber with a GRIN lens glued to its tip which, due to the oscillation of the fiber, scans radially a collimated laser beam. An objective lens then transforms this angular displacement into translation, as explained in Chapter ???. In order to merge the OCT field with the white light image, both fields are combined using a dichroic beam splitter.

There are many reasons why this design is preferred over other scanning topologies. First, the narrow dimensions of the piezo tube allow a compact implementation. Also, the field of view that can be achieved with this scanner is not limited to the space available for the GRIN lens to vibrate — instead, to its maximum angular

deflection. As we want a telecentric system, a $4f$ microscope could have been implemented instead of a Fourier plane scanner, but at the cost of duplicating the length of the optical system (Chapter ??). Another advantage of using a Fourier plane scanner is that it requires a GRIN lens glued to the tip of the fiber in order to collimate the beam. As a side-effect, this extra weight greatly reduces the resonant frequency of the scanner, allowing a denser sampling from the data acquisition system.

The rest of this chapter shows the design and development of the OCT imaging path for the multi-modal probe. However, in order to independently test the behavior of the OCT scanner and optics, a single modality probe was fabricated as a demonstrator. Both systems are mechanically and optically equivalent – the only difference is the presence of the beam splitter.

For completeness, both multi-mode and single-mode optical systems are described.

1.3 Optical Design

Fourier Plane Scanner

The OCT beam path is designed as an object-sided telecentric system to avoid distortions in the 3D OCT measurement. To achieve this, the fiber scanner is driven with small angles and is positioned such that the lateral and angular movement of the scanner imitates the beam angles that can be observed in the collimated region of a classical telecentric lens system. Figure 1.2 illustrates this approach. The whole scanner will be buried in a channel with a inner diameter of 1 mm limiting the movement of the scanner to a maximum angle θ of 5° that allows a maximum FOV of 1 mm of the OCT beam path.

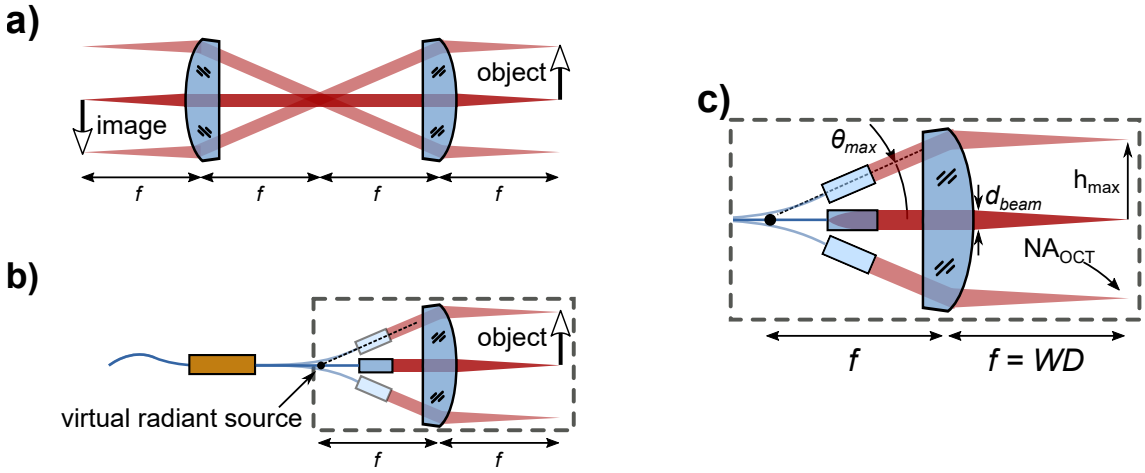


Figure 1.2: **a)** Illustration of a classical telecentric system. The height of the object is translated into an angle θ in the collimated region between the two lenses. This angle is again translated into a corresponding image height by the second lens. **b)** Illustration of the OCT beam path using a fiber scanner in first resonance mode without micro prism and BS. The movement of the GRIN lens due to the fiber scanner and the distance between the GRIN lens and the focusing lens creating the same optical behavior as it can be observed in a classical object sided telecentric system. **c)** Nomenclature used in this work.

For the scanner to work as a Fourier plane scanner, at any amplitude of oscillation the output beam from the GRIN lens should point to a fixed virtual radiant source. This is fulfilled if the bending shape of the scanner is linear with the amplitude and thus, the following ratio of the GRIN lens angle to its vertical displacement is kept constant (refer to Figure 1.3).

$$y = d \cdot \tan \theta \simeq d \cdot \theta \Rightarrow \frac{\theta}{y} = const$$

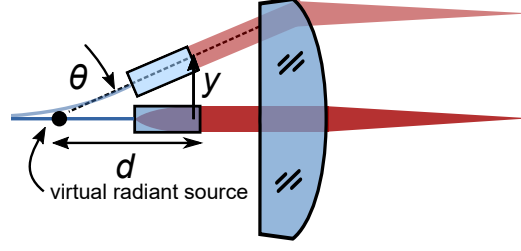


Figure 1.3: Virtual radiant source

Component Selection

In a Fourier plane scanner, the numerical apertures (NAs) and focal lengths of the scanning (GRIN) and objective lens are related by the diameter of the beam in the intermediate region. Thus, following the schematic of Figure 1.2c, we can obtain the following relationships by geometrical optics¹

$$d_{beam} \simeq 2 \cdot f_{GRIN} \cdot NA_{fiber} \quad (1.1)$$

$$d_{beam} \simeq 2 \cdot f_{obj} \cdot NA_{OCT} \quad (1.2)$$

By combining them together we arrive to the main design equation for the scanner:

$$f_{GRIN} \cdot NA_{fiber} = f_{obj} \cdot NA_{OCT} \quad (1.3)$$

The design of the optical path for OCT is constrained by the commercial availability of the components. In this case, the only single mode fiber working in our wavelength range and with thinned cladding diameter (refer to Section 1.4) is *Thorlabs SM980G80*, with a diameter of 80 μm and with $NA_{fiber} = 0.18$ at 1.330 μm .

In order to collimate the output from the fiber without clipping the gaussian beam we need a GRIN lens with an NA_{GRIN} higher than NA_{fiber} . The thinnest available from GRINTECH catalog is *GT-LFRL-035-024-20-CC (1550)*, with an $NA_{GRIN} = 0.20$ and $f_{GRIN} = 0.91$ mm.

Now, by using the relation in Equation 1.2 we can design $f_{objective}$ by choosing an adequate NA_{OCT} . To preserve a high depth of field (DOF), allow enough space for the beams splitter and a long working distance, a narrow NA_{OCT} is preferred – in the range of 0.020 - 0.025. By choosing an intermediate NA_{OCT} of 0.022:

$$f_{obj} = f_{GRIN} \frac{NA_{fiber}}{NA_{OCT}} = 0.91 \text{ mm} \cdot \frac{0.18}{0.022} = 7.5 \text{ mm} \quad (1.4)$$

The field of view (FOV) of the OCT modality can be now calculated considering the maximum angular deflection of the GRIN lens in the tip of the scanning fiber – about $\pm 5^\circ$:

$$h_{max} = f_{obj} \cdot \tan \theta_{max} = 7.5 \text{ mm} \cdot \tan 5^\circ = 0.66 \text{ mm} \quad (1.5)$$

equivalent to a FOV of 1.2 mm.

¹For small NAs: $\tan[\sin^{-1}(NA)] \simeq NA$. For example, if $NA = 0.2$, the error of this simplification is 2%.

ZEMAX Simulation

In order to validate the theoretical analysis of the optical design, we proceeded to a raytracing simulation using ZEMAX. By modeling the fiber facet as the waist of a gaussian beam, using the GRIN lens model provided by the manufacturer and a geometrical model of the prism, beamsplitter and spherical lens, we obtain the schematic shown in Figure 1.4a.

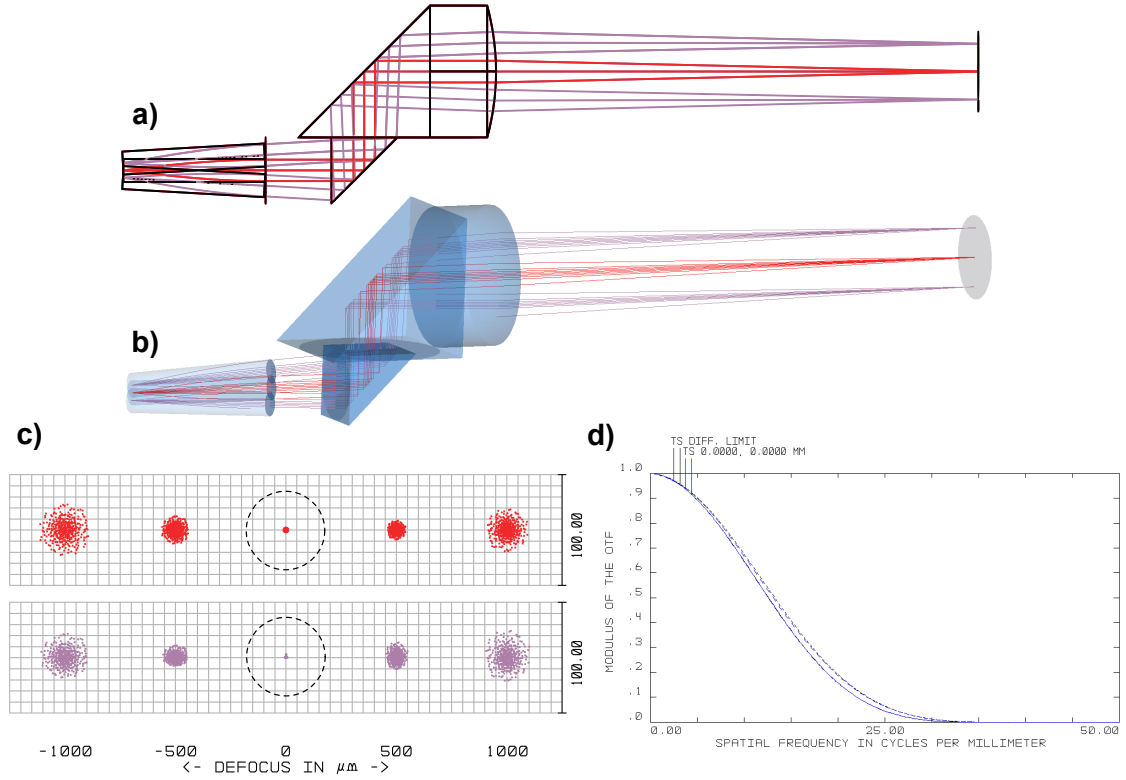


Figure 1.4: **a)** ZEMAX schematic of the OCT beampath for the center (red) and maximum (purple) position of the GRIN lens. **b)** 3D representation. **c)** Spot diagram through focus for center (red) and marginal (purple) rays, showing the Airy circle. Dimensions in μm . **d)** MTF of the system for Tangential and Sagittal directions.

The three overlapping rectangles on the left simulate the rest position (red) and maximum deflection (purple) of the GRIN lens. The gap between GRIN lens and prism is numerically optimized for telecentricity and maximum FOV.

Due to the low NA_{OCT} and the good optical quality of the GRIN and spherical lenses, we achieve diffraction-limited imaging, as seen in the spot diagrams through focus (Figure 1.4c) and the MTF curve (Figure 1.4d).

Minimization of backreflections

In Fourier Domain OCT, any backreflection coming from the probe increases the background intensity and therefore reduces the penetration depth and contrast of the resultant image. Thus any source of backreflections in the design should be carefully considered and minimized:

- **Fiber-GRIN Interface:** Starting from the proximal side, the fiber-GRIN interface consists of two parallel glass surfaces separated by a small gap. Although the beam is not collimated in this region, a small portion of light can be coupled back to the fiber. In order to minimize any backreflections, fiber and GRIN are glued together using a refractive-index-matched optical adhesive (*NOA 76*, from *Norland Products*). This way there is no glass to air interface and the maximum refractive index step is reduced to 0.05.
- **GRIN-Air Interface:** The next interface is the distal facet of the GRIN lens. This is the most critical interface – regardless of the scanning angle, it exhibits normal, collimated light incidence. To avoid this problem without resorting to delicate and expensive antireflection coatings (ARC), the GRIN lens is manufactured with a 1° tilted exit facet. According to geometrical optics, this tilt induces a vertical shift in the position of the backreflected focal point given by equation 1.6:

$$\Delta y = f \tan(2\alpha) = 0.91 \text{ mm} \cdot \tan(2^\circ) = 31 \mu\text{m} \quad (1.6)$$

The result is visible in the simulation from Figure 1.5: the backreflected light is focused back with a $31 \mu\text{m}$ offset, therefore missing the core of the fiber – which has a diameter inferior to $5 \mu\text{m}$.

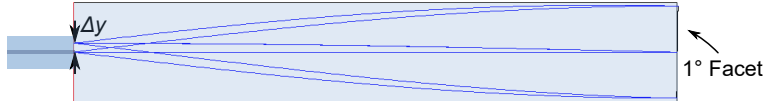


Figure 1.5: Simulation of backreflected light upon the distal end of a GRIN lens with a 1° tilted facet.

- **Air-Prism Interface:** Due to collimated incidence, this interface exhibits can produce backreflections, but only in a single position of the GRIN lens – where both facets are parallel. An ARC would be nevertheless beneficial.
- **Objective Lens - Air Interface:** After the prism, the beamsplitter and objective lens are cemented together, making any backreflections negligible. The objective lens has an interface with air, but due to the curved surface, the light won't be coupled back in a significantly. Nevertheless, the distal surface of the lens are ARC.

Single Modality Probe

As stated in the Design Overview, in order to independently test the behavior of the OCT scanner and optics, a single modality probe was fabricated as a demonstrator. Both systems are mechanically and optically equivalent – the only difference is the presence of the beam splitter. Figure 1.6 shows the ZEMAX simulation of this configuration, where the parallelism with the multimodal probe can be seen.

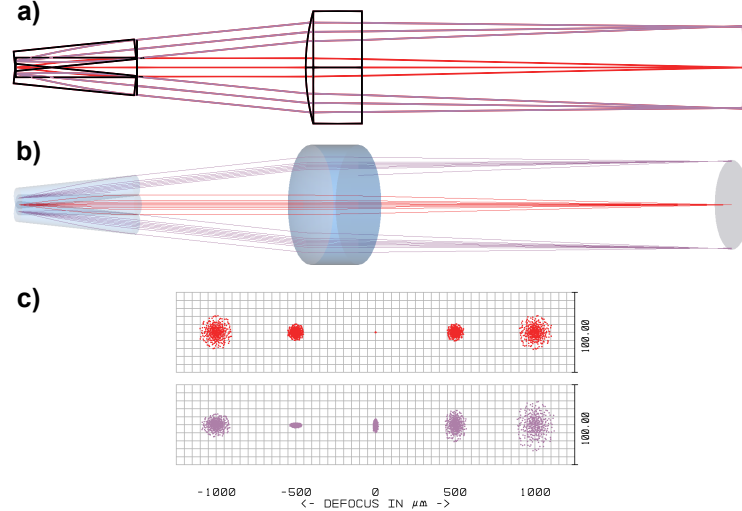


Figure 1.6: **a)** ZEMAX schematic of the single modality probe for the center (red) and maximum (purple) position of the GRIN lens. **b)** 3D representation. **c)** Spot diagram through focus for center (red) and marginal (purple) rays, showing the Airy circle. Dimensions in μm .

Optical Performance

Table 1.1 summarizes the theoretical and simulated optical performance of the OCT microscope in both single modality of multimodality configurations.

Distal Side NA	0.022
Working Distance	7.3 mm
Field of View	1.2 mm
Depth of Field	3.4 mm
Lateral Resolution	43 μm

Table 1.1: Simulated optical performance and characteristics of OCT modality. All resolution values follow the Rayleigh convention.

1.4 Mechanical Design

The fiber scanner uses resonance to amplify the subtle movement of the piezotube (in the order of $\pm 3 \mu\text{m}$) into a big displacement and angular deflection of the GRIN lens (in the order of $\pm 350 \mu\text{m}$ and $\pm 5^\circ$). Therefore, its geometrical and mechanical characteristics fully define the operating frequency range, and with it, constrain the way we can sample and acquire the final image.

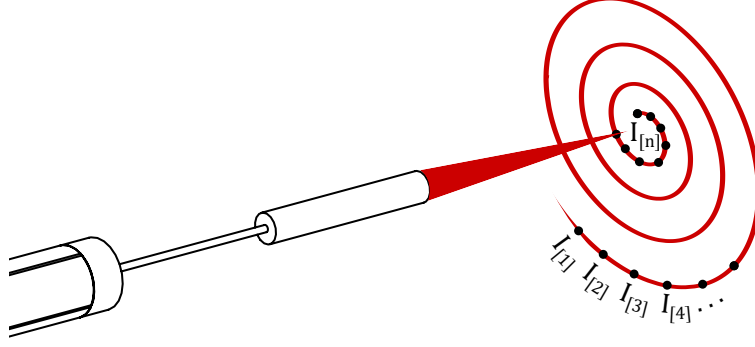


Figure 1.7: Movement of the laser spot through time (red) and acquired points (black) during spiral scanning.

As a resonant system, the movement of the scanning fiber is constrained to harmonic oscillations with a frequency close to $f_{resonance}$. Thus, the number of sample points N_T that can be acquired in period T depend on the resonant frequency of the scanner and the sampling frequency of the OCT system:

$$N_T = \frac{f_{sampling}}{f_{resonance}} \quad (1.7)$$

As OCT systems have a relatively small sampling frequency ($\pm 100 \text{ kHz}$), we need to decrease the resonant frequency below 1 kHz to achieve more than 100 points per sampling period. The following paragraphs describe how to calculate and reduce this frequency.

Resonant frequency calculation

Following Euler Bernoulli theory, the spring constant for a fixed-free, point loaded cantilever is given by Equation 1.8, considering that the moment of inertia of the cylindrical fiber is given by $I_{fiber} = \frac{\pi}{4}r^4$.

$$K_{cantilever} = \frac{3EI}{L^3} = \frac{3\pi}{4} \frac{E_{fiber}r_{fiber}^4}{L^3} \quad (1.8)$$

Approximating the fiber - GRIN assembly as a weightless, flexible, fixed-free cantilever and concentrating the weight of the GRIN lens in its center of gravity (Figure

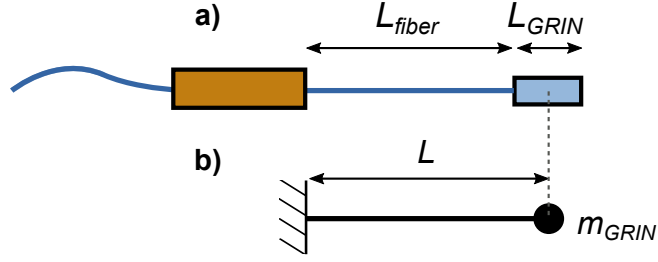


Figure 1.8: **a)** Drawing of the piezoscanner: piezotube, fiber and GRIN lens. **b)** Simplified mechanical diagram,

1.8), we can estimate the resonant frequency of the scanner by applying the ideal mass-spring harmonic resonator equation for the first resonant mode (Eq. 1.9) ².

$$f_{res} = \frac{1}{2\pi} \sqrt{\frac{K_{cantilever}}{m_{GRIN}}} \quad (1.9)$$

As we can observe from equation 1.8 and 1.9, the resonance frequency increases quadratically with the diameter of the fiber. Therefore, by choosing a fiber with $80\text{ }\mu\text{m}$ instead of the standard $125\text{ }\mu\text{m}$, the resonance frequency can be lowered from 1900 Hz to 770 Hz for a 4.5 mm scanner.

The resonant frequency of a cantilever formed by a $80\text{ }\mu\text{m}$ fused silica fiber with the chosen GRIN lens is computed in Figure 1.9.

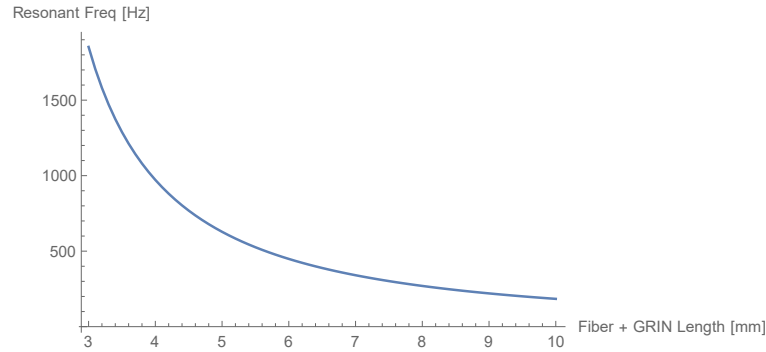


Figure 1.9: Resonant frequency as a function of the scanning tip length (fiber + GRIN lens).

As the scanner is buried in a 1 mm channel, the maximum displacement of the GRIN lens is limited to $\pm 325\text{ }\mu\text{m}$. Within that small displacement we want to achieve the maximum angular deflection of the GRIN lens to maximize the FOV, what can be achieved by using shorter fiber lengths. This shows a trade-off with the density of sampling N_T – which is increased with longer fiber lengths. To balance those

²In order to assess the error of this approximation, we repeated the calculation of the resonant frequency using the method described in [3]. In the plotted range, the error was smaller than 2%.

terms, we chose a total scanner length of 4.5 mm, with characteristics summarized in Table 1.2.

Total scanner length	4.5 mm
Resonant Frequency	770 Hz
Max. angular deflection	5°

Table 1.2: Mechanical characteristics.

COMSOL simulation

In order to validate the theoretical analysis of the previous section, we performed a multiphysics FEM analysis using COMSOL. For that matter, the piezoactuator was modeled as a radially polarized piezoelectric material (*PIC 151*) and the rest of the structure as elastic material. The excitation voltage is a sinusoidal symmetrical potential between the top and bottom electrodes of the tube. As the system undergoes small deflections, it is simulated assuming linear behavior [4].

The first step is to simulate the resonant frequency of the system. Performing an *Eigenfrequency* study, we obtain a first mode resonance at 762 Hz, which closely matches our analytical estimation (770 Hz). The mode shape is shown in Figure 1.10.

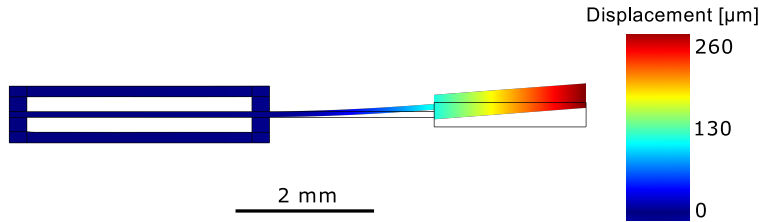


Figure 1.10: COMSOL simulation of the total deflection in at resonance (762 Hz).

Note that, as the system is working at its resonance, it is very difficult to simulate the oscillation amplitude, as it depends on its damping factor which should be obtained experimentally. Thus, for the simulation, this value was chosen to fit the expected deflection.

Thanks to the multiphysics simulation, we can also check the electric field distribution inside the piezotube. As can be seen in Figure 1.11, for a symmetrical actuation in the left and right electrodes with a voltage of ± 75 V, most of the volume under those electrodes experiences a field magnitude close to the expected theoretical value $E = U/d = 75 \text{ V}/150 \mu\text{m} = 500 \text{ V/m}$, which is under the safe operating field of *PIC 151*: $+1000 \text{ V/m}$ to -700 V/m . Only some fringe areas exceed these values, which could become depolarized with time.

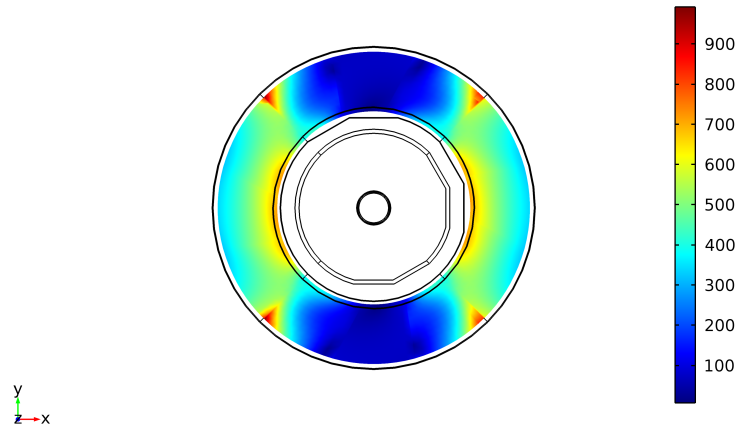


Figure 1.11: Magnitude of the electrical field [kV/m] inside a cross-section of the piezotube with an excitation voltage of ± 75 V

Bibliography

- [1] H. D. Ford and R. P. Tatam, “Swept-source OCT with coherent imaging fibre bundles,” vol. 7503, no. 0, pp. 18–21, 2009.
- [2] S. Kretschmer, *Entwicklung einer bimodalen mikrooptischen Bank für endoskopische Anwendungen*. PhD thesis.
- [3] L. Huo, J. Xi, Y. Wu, and X. Li, “Forward-viewing resonant fiber-optic scanning endoscope of appropriate scanning speed for 3D OCT imaging.,” *Optics express*, vol. 18, no. 14, pp. 14375–14384, 2010.
- [4] D. Fertis, “Basic Theories and Principles of Nonlinear Beam Deformations,” . . . *and Methods to Solve Effectively Complex Nonlinear . . .*, pp. 1–61, 2006.

Note of Thanks

Lastly, I wish to express my gratitude to those many people, who helped me in the last six months, for their contribution to success of this Master Thesis.

I want to thank Prof. Hans Zappe and my second corrector Prof...

Thanks to our group leader Chuck Norris.

Thanks to my supervisor.

Finally I want to thank my family, my friends and my dog.