

OWNER'S MANUAL

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WELCOME

Dear user, now you have got your own WP 34S. It uses the mechanics and hardware of the *HP-20b Business Consultant* or the new *HP-30b Business Professional*, so you get their unexcelled processor speed and with the *HP-30b* also the famous rotate-and-click keys giving the tactile feedback appreciated in vintage *Hewlett-Packard* calculators for decades. On the other hand, the firmware and the user interface of the WP 34S are carefully new designed and written from scratch to give you a **fast and compact scientific calculator like you have never had before**.

Its function set is based on the one of the renowned *HP-42S RPN Scientific*, the most powerful programmable RPN calculator built so far ¹. We expanded this set, completely incorporating the functionality of the famous programmer's calculator *HP-16C*, the fraction mode of the *HP-32SII*, probability distributions as featured by the *HP-21S*, and added many more useful functions for mathematics, statistics, physics, engineering, programming etc. like

- + Euler's Beta function, Fibonacci number calculation, Lambert's W, Riemann's Zeta (all of these in the real and complex domains), the error function, incomplete regularized Beta and Gamma, the most 'popular' orthogonal polynomials, testing for primality,
- many statistical distributions and their inverses like Poisson, Binomial, Geometric as well as Cauchy-Lorentz, Exponential, Logistic, Weibull for reliability analysis, Lognormal and Gaussian with arbitrary means and standard deviations,
- programmable sums and products,
- + extended date and time calculations based on a real time clock,
- + integer computing in arbitrary bases from binary to hexadecimal,
- + financial operations like mean rate of return and margin calculations,
- + over 70 conversions, mainly between universal SI and old Imperial units,
- nearly 50 fundamental physical constants as precise as known today by national standards institutes like NIST or PTB.
- + complete Greek and extended Latin letter fonts covering many languages (upper and lower case in two font sizes each).

The WP 34S is the first RPN calculator overcoming the limits of a 4-level stack – forget worries about stack overflow in calculations. It features a choice of two stack sizes expanded by a complex LASTx register: traditional 4 stack levels for HP compatibility, 8 levels for convenient calculations in complex domain, for more advanced real formulas, or for whatever application you have in your mind. The WP 34S features a full command set for navigation in either size.

Furthermore, the WP 34S features over 100 general purpose registers, 100 user flags, 476 program steps, 4 programmable hotkeys for your favorite functions or routines, and a 31 byte alpha register for message generation.

If you know how to deal with a good old HP RPN scientific calculator, you can start with your WP 34S right away. Else get an HP-42S Owner's Manual, e.g. on the DVDs

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¹ Though the *HP-42S* was sold in 1988 already, this statement holds still. – Due to display restrictions, the *HP-42S* matrix math cannot be supported by the WP 34S. Sorry for this.

distributed by the Museum of HP Calculators (<u>www.hpmuseum.org</u>). Then please read Part 1 of it as a starter, including an excellent introduction to RPN. Part 2 will become beneficial when you are heading for programming your WP 34S. Further documentation, also about the other calculators mentioned, will add valuable information – it is all readily accessible on a single DVD from said source.

This little manual here is meant as a supplement showing you all the new features of the WP 34S. It starts presenting its keyboard as it will be active in various modes, so you know where to find what you are looking for. It continues explaining the memory and addressing items therein, browsing the catalogs, and the display and indicators used to tell you what's going on. Then the major part of this booklet is taken by the index of all operations, catalog contents, constants and conversions featured. It closes with a list of messages the WP 34S will display if special input conditions prevent it from executing your command as expected.

Your WP 34S is the result of a long range collaboration of two individuals, an Australian and a German. We did this in our free time, so you may call it our hobby (though some people close to us found different names for this). Our project was discussed on the open forum in the Museum of HP Calculators from its beginning, so we want to express our gratitude to all contributors there who taught us a lot and brought their ideas and support in several stages of our project. Special thanks go to Marcus von Cube supporting us in bringing it to life, starting with an emulator for v1.14 allowing widespread use and easy testing. With v1.17 now, it is running on the real hardware.

We baptized it 34S in honor of one of the most powerful LED pocket calculators, the *HP-34C*, and since it is our humble approach – with the hardware given – to a future 43S we can only dream of becoming the successor of the *HP-42S*. Maybe it will help convincing those having access to more resources than us that it is worthwhile covering the market of serious scientific instruments.

Firmware-wise, we have carefully checked everything we could think of to our best knowledge, so our hope may be justified the WP 34S is bug-free. We cannot guarantee this, however, nor can we bear any liability for errors in calculations nor their possible consequences. Nevertheless, we promise we will improve the WP 34S whenever it turns out being necessary – so if you ever discover any strange result, please report it to us, and if it is revealed to be an internal error we will provide you with an update as soon as we have one.

Enjoy!

Paul Dale and Walter Bonin

PRINT CONVENTIONS

Throughout this manual, calculator commands are generally called by their names, usually written in CAPITALS. Each and every command featured is listed in the Index of Operations. This **CPX** font is taken for explicit references to keys.

Register addresses are printed using Times New Roman. Lower case italic letters of this font are employed for register contents (so e.g. y lives in stack level Y, r45 in general purpose register R45, or alpha in the alpha register, respectively). Lower case bold italic Arial letters like n are used for variables.

All this holds unless stated otherwise explicitly.

KEYBOARD



Generally speaking, white labels execute the *default primary function* of the respective key. To access a golden, blue, or green label, use *prefix* , g, or h, respectively. Any label underlined opens a *catalog*. For example, 5 preceded by

- Calculates the mean values of the data in the statistic registers via x,
- g returns the standard deviations for the same data via s,
- **h** opens a catalog of more statistic functions via **STAT**.
- The dark red letter R will become relevant in alpha mode.

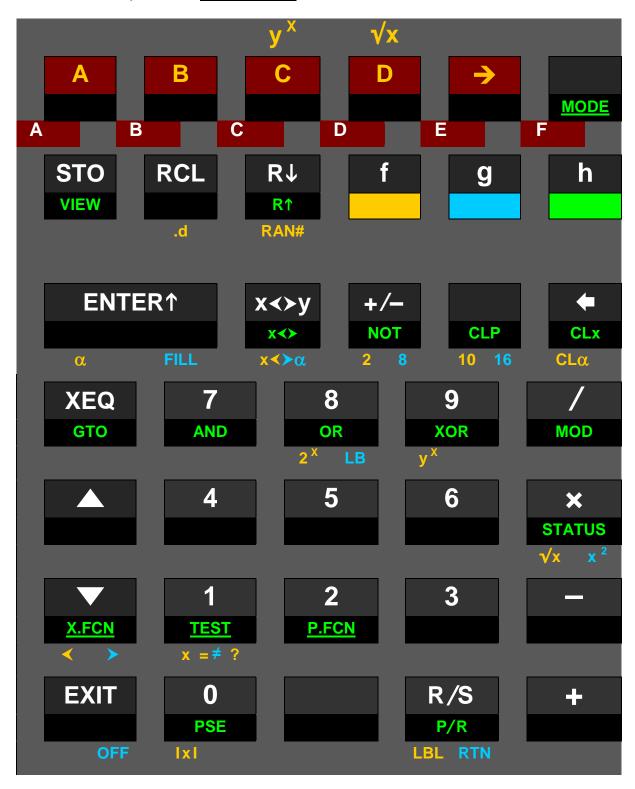
Further remarks (all meant as appetizers – find more about these topics in dedicated texts below):

- The *hotkeys* \overline{A} , \overline{B} , \overline{C} , and \overline{D} immediately call the user programs carrying these labels if defined, else they act as $\overline{\Sigma+}$, $\overline{1/x}$, $\overline{y^x}$, or \overline{x} , respectively.
- \rightarrow trailed by H.MS, H.d, DEG, RAD, GRAD, 2, 8, 10, or 16, converts x, i.e. the value currently displayed.
- If ... is used twice in numeric input, the WP 34S enters fraction mode.
- **CPX** is employed as a prefix for calling functions in complex domain.

Please see the <u>index of operations</u> for a complete list and the necessary explanations of all the commands provided.



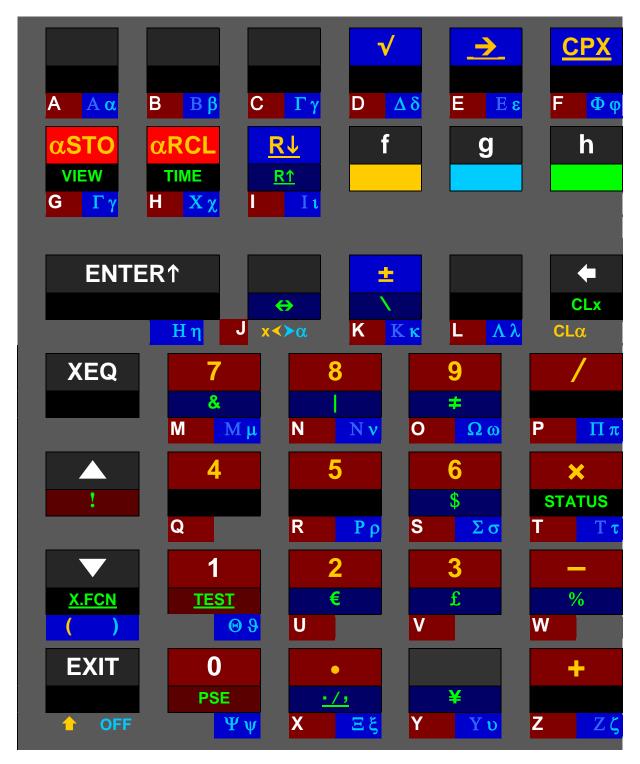
Virtual active keyboard in **hexadecimal mode**:



Primary functions of the top six keys will be numeric input, so their *default* primary functions are accessed using \bigcirc . The key \bigcirc is exclusively for addressing and temporary display in other bases (see <u>addressing tables</u> and <u>index of operations</u> below).

For smaller integer bases than 16, the active keyboard will look similar, but those top keys not needed for numeric input will keep their default primary functions, except Σ + and CPX. Attempts to enter an illegal digit will be blocked.

Virtual active keyboard in alpha mode:

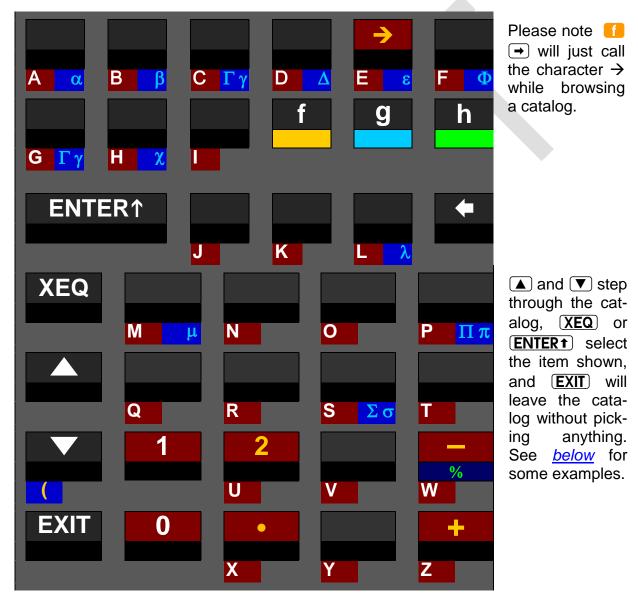


In this mode, the alpha register is displayed in the dot matrix, and the numeric line is accessible by commands only. All labels printed on dark red or blue background in this picture append characters to *alpha* immediately or via alpha catalogs; those on blue deviate from the labels printed on the WP 34S keyboard at these locations.

Alpha mode starts in upper case, and • toggles upper and lower case. PSE appends a space. Primary function of most keys is appending the letter printed bottom left of this key – dark red on the key plate. Prefix 1 is used for accessing the default

When *alpha* exceeds 31 characters, the leftmost character(s) are discarded.

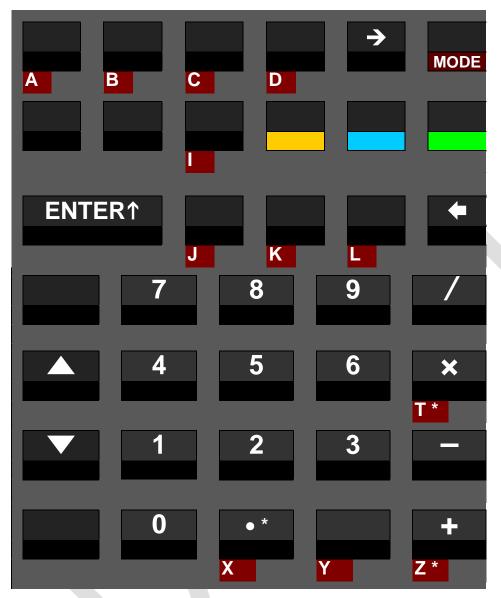
A subset of these characters is sufficient for **browsing an open catalog**:



²The digits 0 and 1 may also be called using 10 or 11, respectively.

³ "Homonymic" according to ancient Greek pronunciation. And we assigned **Gamma** also to **C** due to the alphabet, and **Chi** to **H** since this letter comes next in pronunciation. Three Greek letters require special handling: **Psi** is accessed via **g 0** (below **PSE**), **Theta** via **g 1** (below **TEST** and following **T**), and **Eta** via **g ENTER†**. **Omicron** is not featured since looking exactly like **O** in either case. – Where we printed Greek capitals with lower contrast on page 7, they look like the respective Latin letters in our fonts. Greek professors, we count on your understanding.

A <u>temporary alpha</u> mode is entered during input processing in comparisons and addressing, e.g. during storing or recalling. See the respective virtual active keyboard here:



This mode is left automatically as soon as sufficient characters are put in for the respective command. See <u>below</u>.

In this mode,
 is employed
for ENG and
SCI only (see
below).

REAL AND INTEGER OPERATIONS

Most of the commands your WP 34S provides are mathematical operations or functions in real domain. "Real domain" means these functions use and work with real numbers like 1 or 2.34 or π or 5.6E-7. Please note integer numbers like 8, 9, 10, or -1 are just a subset of real numbers.

Most real number functions provided operate on one number only. Examples are $1/\chi$, \sqrt{x} , or SIN. Such functions replace x (i.e. the contents of the displayed stack level x) by the result x stored in x again. Everything else stays unchanged as is.

Some of the most popular mathematical functions, however, operate on two numbers. Think of + and -, for example. On the WP 34S, such a two-number real function replaces x by the result $\mathbf{f}(x,y)$, i.e. it eats up the lowest two stack levels but needs only one to put its result in. Thus, level \mathbf{Y} is then filled with the content of the next higher level, i.e. z. This goes on for higher levels, as shown <u>below</u>. Please note the top stack level content is repeated then since there is nothing else available. You may use this top level repetition for some nice tricks.

There are also 3 three-number real functions included $-I\beta$, $L_n\alpha$ and %MRR - replacing x by the result f(x, y, z). Then Y is filled with t and so on, and the content of the top level is repeated twice.

Some real functions (e.g. DECOMP) operate on one number but return two. Other operations (like RCL or SUM) do not consume any stack input at all but just return one or two numbers. Then these extra number(s) will be pushed on the stack, taking one level per real number.

COMPLEX OPERATIONS

Mathematicians know more complicated items than real numbers. The next step are complex numbers. If you do not know them nor want to learn about them, leave them aside – you can use your WP 34S perfectly without them.

Else please note the WP 34S supports many operations in complex domain as well. **CPX** is employed as a prefix for calling complex functions. E.g. **CPX** calls complex cosine, and it is displayed and listed as ^CCOS (the elevated C is the signature for complex functions on the WP 34S). All such functions operate on Cartesian coordinates exclusively. Generally, where an arbitrary real function **f** operates on ...

- one real number x only, then its complex sibling $^{\mathbf{c}}\mathbf{f}$ will operate on the complex number $x_c = x + i y$.
- one register, e.g. R12, then ^cf will operate on R12 and R13.
- x and y, then c_f will operate on x, y, z and t.

Where one-number real functions replace x by the result f(x), one-argument complex functions replace x by the real part and y by the imaginary part of the complex result ${}^{C}f(x_c)$. Higher stack levels remain unchanged. Such functions are ${}^{C}1/x$, ${}^{C}ABS$, ${}^{C}CUBE$, ${}^{C}CUBERT$, ${}^{C}FIB$, ${}^{C}FP$, ${}^{C}IP$, ${}^{C}RND$, ${}^{C}SIGN$, ${}^{C}W$, ${}^{C}W^{-1}$, ${}^{C}x!$, ${}^{C}x^2$, ${}^{C}\sqrt{}$, ${}^{C}+/-$

 $^{C}\Gamma(x)$, the logarithmic and exponential functions with bases 10, 2 and \mathbf{e} , as well as hyperbolic, trigonometric, and their inverses.

Two-number real functions replace x by the result f(x, y). Analogously, two-argument complex functions replace x by the real part and y by the imaginary part of the complex result ${}^{C}f(x_{o},y_{c})$. The next stack levels are filled with the complex contents of higher levels, and the complex number contained in the top two stack levels is repeated as shown <u>below</u>. Such complex functions are ${}^{C}LOG_{X}$, ${}^{C}y^{X}$, ${}^{C}\beta(x,y)$, ${}^{C}//$, and the basic arithmetic operations in complex domain.

Where complex operations (like ^CRCL) do not consume any stack input at all but just return a complex number, this will be pushed on the stack taking two levels.



MEMORY

	Stack registers	Gei
	D *	
	C *	
	B *	
	A *	
	T	
Alpha (31 bytes)	Z	
	Y	
Display	X	
	L	I **
For the first time ever in a choice of 4 or 8 stack lev	els. So either T or	D will be the

choice of 4 or 8 stack levels. So either **T** or **D** will be the top level. Registers **A** - **D** will be allocated as stack registers if required.

Please see <u>below</u> for top level repetition and stack contents in complex calculations. While register L takes the real part of the last argument, I takes the imaginary part when a complex function was executed (see ^CLASTx).

After using Σ +, general purpose registers R87 - R99 will contain statistical sums as indicated. J and K may be taken for parameters of statistical distributions.

Unless required for the purposes just mentioned, the registers A - D, I, J, and K are available as additional general purpose registers.

System flags **B** and **C** are handled like in the *HP-16C*. Flag **D** is set if legal results include "NaN" and "infinite".

ral purpose regis	sters	User flags		Progra	am steps
R00		00		000	
R01		01		001	
R02		02		002	
R85		97		473	
R86 Σ (x^2 y)		98		474	
R87 Σ x		99		475	
R88 Σ x ²					
R89 Σ y		User readable			
R90 Σ y ²		system flags			
R91 Σ (<i>x y</i>)		B Big, overflow	/		$X=\ R100$
R92 n		C Carry	/		Y = R101
R93 Σ (ln x)		D <i>Danger</i>	/		Z = R102
R94 Σ (ln² x)			/		T=R103
R95 Σ (ln <i>y</i>)			/		A = R104
R96 Σ (ln² y)			/		B = R105
R97 Σ(ln <i>x</i> ln <i>y</i>)			/		C = R106
R98 Σ (x ln y)			/		D = R107
R99 Σ (y ln x)			<i>!</i>		L=R108
					I = R109
J ***					J = R110
K ***					K = R111
	R00 R01 R02 R85 R86 Σ (x² y) R87 Σ x R88 Σ x² R89 Σ y R90 Σ y² R91 Σ (x y) R92 n R93 Σ (ln x) R94 Σ (ln² x) R95 Σ (ln y) R96 Σ (ln² y) R97 Σ (lnx lny) R98 Σ (x ln y) R99 Σ (y ln x) J ***	R00 R01 R02 R85 R86 Σ (x² y) R87 Σ x R88 Σ x² R89 Σ y R90 Σ y² R91 Σ (x y) R92 n R93 Σ (ln x) R94 Σ (ln² x) R95 Σ (ln y) R96 Σ (ln² y) R97 Σ (lnx lny) R98 Σ (x ln y) R99 Σ (y ln x) J ***	R01 R02 R85 R86 Σ (x^2 y) R87 Σ x R88 Σ x^2 R89 Σ y R90 Σ y^2 System flags R91 Σ (x y) R92 n R93 Σ ($\ln x$) R94 Σ ($\ln^2 x$) R95 Σ ($\ln y$) R96 Σ ($\ln^2 y$) R97 Σ($\ln x$) R98 Σ (x y) R99 Σ (x y) R99 Σ (x y)	R00 R01 R02 R85 R86 Σ (x² y) R87 Σ x R88 Σ x² R89 Σ y R88 Σ x² R89 Σ y User readable system flags R91 Σ (x y) R92 n R93 Σ (ln x) R94 Σ (ln² x) R95 Σ (ln y) R96 Σ (ln² y) R97 Σ (lnx lny) R98 Σ (x ln y) R99 Σ (y ln x) J ***	R00 R01 R02 R85 R85 R86 Σ (x² y) R87 Σ x R88 Σ x² R89 Σ y R90 Σ y² R91 Σ (x y) R92 n R93 Σ (ln x) R94 Σ (ln² x) R95 Σ (ln y) R96 Σ (ln² y) R97 Σ (ln x lny) R98 Σ (x ln y) R99 Σ (y ln x) D 000 001 002 U U U U B Big, overflow C Carry D Danger D Danger

STACK MECHANICS

What happens with the contents of particular stack levels depends on the function executed, its domain (integer, real or complex) and the stack size chosen.

Real functions in a 4-level stack work as known for decades. In a larger stack, everything works alike on the WP 34S – just with more levels for intermediate results. Calculating formulas from inside out stays a wise strategy in either stack. With more levels, however, stack overflow will hardly ever happen, even with the most advanced formulas you compute in your life as a scientist or engineer.

Calculating with complex numbers uses two registers or levels for each such number as explained above and shown here:

	Level	Assumed stack contents at the beginning:	^C EN1	th	e (after executing omplex stack register operations DROP							complex fu 1 number like ^C x ²	2 numbers like ^C /	functi	er or <u>real</u> ons of 2 ers like /
With SSIZE4:	Т	$Im(y_c) = Im(t_c)$ $Re(y_c) = Re(t_c)$ $Im(x_c)$ $Re(x_c)$	Re($\begin{pmatrix} x_c \end{pmatrix}$ $\begin{pmatrix} x_c \end{pmatrix}$ $\begin{pmatrix} x_c \end{pmatrix}$		$y_c = t_c$ y_c			x _c			x_c $lastx_c$		$y_c = t_c$ $Im((x_c)^2)$ $Re((x_c)^2)$	$y_c = t_c$ $Im(y_c / x_c)$ $Re(y_c / x_c)$	<i>t z y x</i>	t t z y/x
With SSIZE8:	D C	$\operatorname{Im}(t_c)$ $\operatorname{Re}(t_c)$	z_c	x_c		t_c		t_c	x_c	z_c		z_c		t_c	t_c	<i>d c</i>	$\frac{d}{d}$
	B A	$Im(z_c)$ $Re(z_c)$	y_c	x_c		t_c		z_c	t_c	y_c		y_c		z_c	t_c	<i>b a</i>	<i>c b</i>
	T Z	$Im(y_c)$ $Re(y_c)$	x_c	x_c		z_c		x_c	z_c	x_c		x_c		y_c	z_c	t z	a t
	Y X	$\operatorname{Im}(x_c)$ $\operatorname{Re}(x_c)$	x_c	x_c		y_c		y_c	y_c	t_c		lastx _c		$(x_c)^2$	y_c / x_c	<i>y x</i>	$\frac{z}{y/x}$

So, an 8-level stack gives you the same flexibility in complex domain you are used to with a 4-level stack in real domain.

COMPARING AND ADDRESSING REAL NUMBERS

1	User input Dot matrix		<u>< ?</u>), (<u>x</u> ≤ ?), (<u>x</u> ≈	, x≠? , ?? , x≥? , or x>		RCL, STO, RCLS, STOS, aRCL, aSTO, VIEW, x≥, DSE, ISG, DSZ, ISZ, FIX, SCI, ENG, DISP, BASE, CB and many more bit commands, or CF and the other flag commands etc. OP _ (with temporary alpha mode set), e.g. RCL _ 4					
	display	OP_ (v	vith temporary al	pha mode set), e.	g. x>_	OP _ (with tem	porary alpha mode set), e.g. KUL _ *			
2	User input	0 or 1	Stack level or named reg.	ENTER 1 5 leaves temp. alpha mode.	opens indirect addressing.	Stack level or named register X, Y, Z,, K ⁶	opens indirect addressing.				
	Dot matrix display	OP <i>n</i> e.g. x ≤ 0 ?	OP x e.g. x ≟ y ?	OP r_	OP → _	OP x e.g. SCI Z	OP <i>nn</i> e.g. SF 15	OP → _			
	User input Dot matrix display	Compares x with the number 0 .	Compares x with the number on stack level Y .	Register no. 0 0 9 9 OP r nn e.g. x≠ r23?	Look right for more about indirect ad- dressing.	Sets scientific display with the number of decimals specified in stack level Z .	Stack level etc. X, Y, Z,, K OP → x e.g. VIEW →L	Register number 0 0 9 9 OP → nn e.g. ST0 →45			
				Compares x with the number stored in R23 .	_	·	Shows the content of the register where L is pointing to.	Stores <i>x</i> into the location where R45 is pointing to.			

⁴ For **RCL** and **STO**, any of **+**, **-**, **x**, **/**, **△**, or **▼** may precede step 2, except in RCLM and STOM. **ENG** . calls ENGOVR, **SCI** . calls SCIOVR. See the index of operations.

⁵ You may skip this for register numbers >19.

⁶ Exceptions: RCL T, RCL x T, RCL Z, RCL+ Z require an **ENTER†** preceding **T** or **Z**, e.g. **RCL** + **ENTER† Z** for the latter. This holds for STO as well.

Register and flag numbers may be 00 ... 99, number of decimals 0 ... 11, integer bases 2 ... 16, bit numbers 0 to 63, and integer word size up to 64 bits. For numbers <10, you may key in e.g. **5 ENTER** instead of **0 5**. There are three additional flags addressed via **B**, **C**, and **D**. – Take into account some registers may be allocated to special applications.

COMPARING AND ADDRESSING COMPLEX NUMBERS

1	User input		CPX x=	? or x≠ ?		СР	X) (RCL), (STO), or	(X)			
	Dot matrix display		OP _ (with tempora e.g.	ary alpha mode set) •x= _		OP _ (with temporary alpha mode set) e.g. PCL _8					
2	User input	0 or 1	Stack level or named register X, Z, A, C, L, or J	ENTER↑ 9 leaves temp. alpha mode	opens indirect addressing.	Stack level or named register Z ¹⁰ , A , C , L , or J	Register number	opens indirect addressing.			
	Dot matrix display	OP <i>n</i> e.g. ^a x= ∅ ?	OP x e.g. ° x≠ z ?	OP r_	OP → _	OP x e.g. •RCL L	OP <i>nn</i> e.g. °STO 18	OP → _			
3	User input	Compares $\mathbf{x} + i \mathbf{y}$ with the real number 0 .	Compares $x + i y$ with $z + i t$.	Register number	Look right for more about indirect addressing.	This is ^C LASTx.	Stack level or named register X, Y,, K	Register number			
	Dot matrix display			OP r <i>nn</i> e.g. "x≠ r26?			OP → x e.g. ° x<> →Z	OP → nn e.g. •STO →45			
				Compares $x + i y$ with $r26 + i r27$.			z is pointing to, the contents of the next one.	Stores $x + i y$ into 2 consecutive registers, starting with the one where R45 is pointing to.			

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⁸ For **RCL** and **STO**, any of **+**, **-**, **x**, or **/** may precede step 2. See the index of operations.

⁹ You may skip this keystroke for register numbers >19.

Exceptions: ${}^{c}RCL Z$, ${}^{c}RCL + Z$, ${}^{c}STO Z$, and ${}^{c}STO + Z$ require an **ENTER†** preceding **Z**, e.g. **CPX STO + ENTER† Z** for the latter.

You may key in e.g. 8 ENTER1 instead of 08. Take care of pairs, since a complex operation will always affect two registers: the one specified and the one following this. We strongly recommend storing complex numbers with their real parts at even register numbers. – Take into account some registers may be allocated to special applications.

ADDRESSING LABELS

	Jser nput	A , B , C , or D		(XEQ), (GTO	, LBL, LBL?, SLV,	Ţ, π or Σ										
r	Oot natrix display	XEQ ' <i>label</i> ' e.g. XEQ 'C'		OP_ e.g. GTO _												
	Jser nput	Calls the function labeled C .	A, B, C, or D	B, C, or D ENTER 1 sets alpha mode. opens indirect addressing and sets temporary alpha mode. 2-digit not contain the sets temporary alpha mode.												
	Oot mat display	rix	OP '<i>label</i>' e.g. Σ 'B'	OP '_	OP	→ _	OP <i>nn</i> e.g. LBL 07									
_	Jser nput		Sums up the function labeled B .	Alphanumeric label (≤ 3 characters ¹³)	Stack level or named register X, Y, Z,, K	Register number										
	ot mati isplay	rix		<mark>OP'<i>label</i>'</mark> e.g. SLV'F1μ'	OP → x e.g. ∫ → T	<mark>OP → nn</mark> e.g. XEQ →44										
				Solves the function F1µ (with F1µ keyed in as explained in footer).	Integrates the function whose label is on stack level T .	Executes the routine whose label is in R44 .										

¹² Works with all these operations except LBL .

The 3rd character terminates entry and closes alpha mode – shorter labels need a closing **ENTER**. For the example given here you just key in **ENTER CPX 1 EXIT 9 7** and you are done.

¹⁴ Some registers may be allocated to special applications. Please check the memory table above.

ADDRESSING CATALOG ITEMS

1	User input	CONST), CONV), MODE, PROB, P.FCN, STAT, TEST, or X.FCN	CPX, R♣, or R↑ in alpha mode	→, (TEST), or ./. in alpha mode					
	Dot	Shows 1 ^s	t item in selected c	atalog.					
	matrix display	(e.g. BC? in P.FCN) Alpha mode is set.	(e.g. Á in CPX)	(e.g. , in ./.)					
2	User input	XEQ, ▼, ▲, EXIT, or 1 st character	XEQ, ▼, ▲, EXIT, or character						
		(e.g. F)	(e.g. O)						
	Dot matrix display	Shows 1 st item starting with this character *)	Shows 1 st item starting with this letter *)						
	alopiay	(e.g. FB)	(e.g. Ó)	V					
3	User input	XEQ, ▼, ▲, EXIT, or 2 nd character (e.g. S)							
	Dot	Shows 1 st item starting							
	matrix	with this sequence *)	7 7	7 7					
	display	(e.g. FS?)							
4	User input	XE	(e.g. ▼)	D					
	Dot	Shows	next item in this ca	talog					
	matrix display	(e.g. FS?C)	(e.g. Ò)	(e.g. ?)					
		Continue browsi	ng this way until reaching the	e item desired					
		(e.g. FS?F).	(e.g. Ö).	(e.g. 🕻).					
n	User		XEQ						
	input		the catalog returning to the n	node set before					
	Det	and executes or inserts the command	and appends the selected character to alpha .						
	Dot matrix	chosen, or recalls the	Contents of alpha register						
	display	constant selected. Result	(e.g. Östl. Seite:)						
			. 3	,					

^{*)} If a character or sequence specified is not found in this catalog then the first item following alphabetically will be shown. You may key in even more characters – within 3 seconds. Thereafter or after ▼ or ▲, the search string will be reset and you may start with a first character again.

STATISTICAL DISTRIBUTIONS, PROBALITIES ETC.

You find a lot of statistics in the WP 34S. Many preprogrammed functions are implemented here for the first time in an RPN scientific calculator since we packed all in what we always had missed. All of these functions, however, have a few features in common:

• Whenever we sum up a probability mass function (pmf ¹⁵) p(n) to get a cumulated distribution function (cdf) F(m) we start at n=0. Thus,

$$F(m) = \sum_{i=0}^{m} p(i) .$$

• Whenever we integrate a function, we start at the left end of the integration interval. Thus, integrating a probability density function (pdf) f(x) to get a cdf F(x) works as

$$F(x) = \int_{-\infty}^{x} f(\xi) d\xi = P(x) .$$

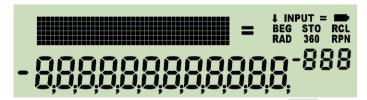
- Typically, F starts with a very shallow slope, becomes steeper then, and runs out with a decreasing slope while slowly approaching 100%. Obviously you get the most precise results on the left side of the cdf using P(x). On its right side, however, the "error probability" Q(x) = 1 P(x) is more precise since P(x) comes very close to 1 there. The digits available shall be sufficient in any case.
- On the WP 34S, with an arbitrary cdf named **XYZ** you find **XYZ**_P for the pdf or pmf, and **XYZ**⁻¹ for the inverse cdf, unless stated otherwise explicitly.
- For calculating confidence limits for the "true value" based on a sample evaluation, employing a particular confidence level (e.g. 95%), you must know your objective:
 - Do you want to know the upper limit, under which the "true value" will lie with a 95% probability? Then take 0.95 as the argument of the inverse cdf to get said limit, and remember there is an inevitable chance of 5% for the "true value" being greater than it.
 - Do you want an upper <u>and</u> a lower limit confining the "true value"? Then there is an inevitable 2.5% chance for said value being less than the lower limit and an equal chance for it being greater than the upper limit. So you shall use 0.025 and 0.975 as arguments in two subsequent calculations using the inverse cdf to get both limits.
 - If you cannot live with these chances, inevitable as they are, employ an higher confidence level.

Turn to a good statistics textbook for more information, also about the particular distributions provided.

¹⁵ pmf translates to German "Dichtefunktion", pdf to "Wahrscheinlichkeitsdichte", cdf to "Verteilungsfunktion" on "Wahrscheinlichkeitsverteilung".

DISPLAY AND MODES

The display features three sections: numeric, dot matrix and fixed symbols. The numeric section features a minus sign and 12 digits for the mantissa, as well as a minus sign and 3 digits for the exponent. The dot matrix is 6 dots high and 43 dots wide, allowing for some 7 to 12 characters, depending on their widths. The fixed symbols (except the big "=") are called *annunciators*, and are for indicating modes.



The dot matrix section above is used for

- 1. indicating some more modes than the annunciators allow,
- 2. passing additional information to the user.

The numeric section in the lower part of the LCD is used for displaying numbers in different formats, status, or messages.

If two or more requests concur for display space, the items will be shown according to their priorities as follows:

- 1. error messages as described in a paragraph further below,
- 2. special information as explained below,
- 3. information about the modes the calculator is running in.

The annunciators or specific characters in the upper part of the LCD signal the modes:

Integer base or mode name	2	3	4	5	6	7	8	9	10	11	12	13	14	15	16	DECM
Signaled by	b	3	4	5	6	7	0	9	d	-1	-2	-3	-4	-5	h	
Set by	2	BA	SE3,	BAS	SE4,		8		10	, BASE15 16 d						·d
Cleared by	any other BASE setting, FRACT, ab/c, d/c. FIX, SCI, ENG, H.MS, TIME, and →H.MS will set DECM											И				

Mode name	PRG	α				FRC
Signaled by	STO	INPUT	360	RAD	G	
Set by	P/R	<mark>α</mark> αΟΝ	DEG	RAD	GRAD	d/c, ab/c 2 nd . in input BASE1, FRACT
Cleared by	P/R	ENTER αOFF	GRAD RAD	DEG GRAD	DEG RAD	BASE ≠ 1 H.MS, TIME, → H.MS FIX, SCI, ENG

BEG indicates the program pointer standing at step 000 of program memory. A running program is signaled by a flashing **RCL** annunciator. The small equal sign = is lit while you are browsing a catalog. **RPN** may be lit permanently. Time modes (12h / 24h) are seen in the time string directly. The numeric format of fraction mode is unambiguous as well. Further settings are signaled in the dot matrix section, like the different date modes being indicated there by **D.MY** or **M.DY**. Defaults Y.MD and DECM are not indicated. Please check the examples below.

Some mode and display settings may be stored and recalled collectively by STOM and RCLM. The command RCLM recalls a 19-bit word containing mode data packed as follows, starting with the least significant bit:

Bits	Meaning	Values and corre	esponding setting	js
0, 1	Display format for real numbers	0 = ALL 2 = SCI	1 = FIX 3 = ENG	
2	Overflow for ALL	0 = SCIOVR	1 = ENGOVR	
3 6	Number of decimals	0 12		
7, 8	Angular mode	0 = DEG	1 = RAD	2 = GRAD
9, 10	Date display format	0 = Y.MD	1 = D.MY	2 = M.DY
11	Time display format	0 = 24h	1 = 12h	
12	Radix mark	0 = point	1 = comma	
13 15	Curve fit model	0 = LinF 2 = PowerF	1 = ExpF 3 = LogF	4 = BestF
16, 17	Integer sign mode	0 = 2COMPL 2 = UNSIGN	1 = 1COMPL 3 = SIGNMT	
18	Stack depth	0 = 4 levels	1 = 8 levels	

So the start-up default with 4 stack levels, ALL, SCIOVR, DEG, Y.MD, 24h, decimal point, LinF, and 2COMPL equals zero in this mode word. On the other hand, settings for e.g. 8 stack levels, SCI 2, RAD, D.MY, 12h, decimal comma, BestF, UNSIGN correspond to

$$1101001101010010010_2 = 69A92_{16} = 432786_{10}$$
.

STOM takes such a number and sets the calculator modes accordingly. Please see the <u>index of operations</u> for more information about changing modes.

Some commands and modes use the display in a special way. They are listed below in order of falling priority:

- 1. **VERS** generates a display as shown on the title page of this manual. Pressing any key will delete this message and return to previous state.
- 2. **STATUS** displays the status of 30 flags very concisely, allowing an immediate status overview after some training. If e.g. flags 2, 3, 5, 7, 11, 13, 14, 17, 19, and 23 are set, and labels B, C, and D are defined in program memory, STATUS will display this:

Within the numeric section, each row of horizontal bars in the mantissa shows the status of 10 flags. When a flag is set, the respective bar turns black. So here the top row of bars indicates flags 0 and 1 are clear, 2 and 3 set, and flag 4 clear. Then, the divider II separates the first group of five flags from the next. Top row bars on its right side indicate flags 5 and 7 are set. Next row of bars shows flags 11, 13, 14, 17, 19 are set, and in the lowest row only flag 23 is set. All other flags in the range from 10 to 29 are clear.

Scrolling down by will display flags 10 - 39, then 20 - 49 etc. until 90 - D. Scrolling up by reverts this. Alternatively, pressing a digit, e.g. 5, will up to show 30 flags starting with 10 times this digit, e.g. flags 50 - 79. The numeric exponent always indicates the status of the hotkeys top left on the keyboard – if all four labels are in use, then **ALL** will be displayed there.

The status will be displayed until any key is pressed but **▼**, **△**, or a digit < 9.

3. During **command input**, the dot matrix displays the command chosen until input is completed, i.e. until all required trailing parameters are entered. The prefixes [], [g], and [h] are shown until they are resolved. If you pressed any of [f], [g], or [h] erroneously, recovery is as easy as follows:

In addressing, progress is recorded as explained in the <u>addressing tables above</u> in detail.

4. In **programming mode**, the numeric display indicates the program step (000 – 475) in the mantissa and the number of free steps in the exponent, while the dot matrix shows the command contained in the respective step, e.g.:

5. For **floating point decimal numbers**, the mantissa will be displayed adjusted to the right, the exponent to the left. Within the mantissa, either points or commas may be

selected as radix marks ¹⁶, and additional marks may be chosen to separate thousands. Assume the display set to FIX 4, then 12.345678901 millions may look like:

with thousands separators on, and without them like:

These separators may also be beneficial in integer or fraction modes described below. – With ENG 3 and after changing the sign, the same number will look like this:

If the last operation executed was a complex one, a capital C is displayed top left in the dot matrix pointing to the fact that you find the result of this function in **X** and **Y**.

Floating point decimal numbers within $10^{-383} < x < 10^{+385}$ may be entered easily. Using a decimal mantissa, even numbers down to 10^{-394} can be keyed in. The calculator works with numbers down to 10^{-398} correctly. Smaller nonzero values are shown as 0^{-398} . For results $x \ge 10^{+385}$, error 4 or 5 will appear (see <u>below</u>).

6. In integer modes, numbers are displayed adjusted to the right as well. Word size and complement setting are indicated in the dot matrix using a format xx.ww, with xx being 1c or 2c for 1's or 2's complement, respectively, un for unsigned, or sm for sign-and-mantissa mode. Sign and first digit of the exponent show the base, a "c" in the second digit signals a carry bit set, an "o" in the third an overflow. Integer bases are indicated as follows:

Base	2	3	4	5	6	7	8	9	10	11	12	13	14	15	16
Sign and 1 st digit of exponent displayed	b	3	4	5	6	7	0	9	d	-1	-2	-3	-4	-5	h

The example shows the WP 34S an arbitrary number in unsigned hexadecimal mode with word size 64 and carry set:

After changing to binary mode, this number will need 28 digits, being 1001001110100001010010110110. The 12 least significant digits will be displayed

¹⁶ Starting here, decimal input is written using a point as radix mark throughout this manual, although significantly less visible, unless specified otherwise explicitly. By experience, the "comma people" are more capable to read radix points and interpret them correctly than vice versa.

initially together with an indication that there are three display windows in total with the rightmost shown:

Now press <a> and you will get the next 12 digits in the middle window:

Press again to show the most significant digits:

If leading zeros were turned on, there will be six display windows in this case, with the three "most significant" containing only zeros.

Please note numeric input is limited to 12 digits in any integer base.

7. **Fraction mode** works similar to HP-35S. In particular, DENMAX sets the maximum allowable denominator (see the <u>index of operations</u>). Display will look like in the examples below. If the fraction is exactly equal, slightly less, or greater than the floating point number converted, "=", "Lt", or "Gt" is indicated in the exponent, respectively.

Assume the WP 34S reset. Key in -47.40625 and you will see:

Please note integers like 123 will be displayed as "123 0/1" or "123/1" in fraction mode, respectively. This mode can handle numbers with absolute values < 10,000 and > 0.0001. Maximum denominator is 9999.

Squaring the improper fraction shown above results in

Now, enter ab/c for converting this result into a proper fraction. You will get

with a little hook left of the first digit shown. This indicates the leading number is displayed incompletely – there are at least two digits preceding 47 but no more display space. Press **SHOW** to unveil the integer part of this proper fraction is <u>22</u>47.

8. In **H.MS** display mode, format is hhhh°mm'ss.dd" with the number of hours or degrees limited to 9000. Output may look like this:

depending on the radix setting. For decimal times less than 5ms or 0.005 angular seconds but greater than zero, an "u" for underflow will be lit in the exponent section. For times or angles exceeding the upper limit, an "o" will be shown there signaling an overflow, and the value is displayed modulo 9000.

 Output of the function DAY will look as follows for an input of 1.13201 in M.DY mode (equivalent to inputs of 13.01201 in D.MY or 2010.0113 in Y.MD). Expect similar displays after DAYS+.

10. In **alpha mode**, the alpha register is displayed in the dot matrix, starting with the first character it is containing, while the numeric section keeps the result of the last numeric operation, e.g.:

Different information may be appended to *alpha*. See the commands starting with " α " in the index of operations below. E.g. α TIME allows creating texts like

depending on time mode setting (12h / 24h). And αDATE will append – depending on date format setting – either 2011-03-14 or 14.03.2011 or 03/14/2011 to *alpha*.

Please note *alpha* may be considerably longer than the display window. And the WP 34S features a rich set of special letters. So you may store a message like

easily but you will see its right end only, i.e.

in this very special case.

All keyboard input will be interpreted according to the mode set at input time.

FONTS

The WP 34S features a large and a small font. Both are based on Luiz Viera's fonts as distributed in 2004. Some letters were added and some modified for better legibility, since the dot matrix is only 6 pixels high here. The following tables show the characters directly accessible through the keyboard. More are in the alpha catalogs (see <u>below</u>).

A B C D E F G H I J K L M N O P Q R S T U V W X Y Z

ABCDEFGHIJKLM NOPQRSTUVWXYZ ABCDEFGHIJKLM NOPQRSTUVWXYZ

a b c d e f g h i j k l m n o p q r s t u v w x y z

abcdef9hijklmnoparstuvwxyz abcdefghijklmnoparstuvwxyz

ΑΒΓΔΕΖΗΘΙΚΛΜ ΝΞΟΠΡΣΤΥΦΧΨΩ

ΑΒΓΔΕΖΗΘΙΚΑΜ ΝΞΟΠΡΣΤΥΦΧΨΩ ΑΒΓΔΕΖΗΘΙΚΑΜ ΝΞΟΠΡΣΤΥΦΧΨΩ

αβγδεζηθικλμ νξοπρστυφχψω

αβγέεζηθικλμυξοπρστυΦχψω αβγέεζηθικλμυξοπρστυφχψω

0 1 2 3 4 5 6 7 8 9	()+-×/±.!	↔ % √ \ & ≠ \$ € £ ¥
0123456789	()+-×/±.!	#%1/8 ≠≇€£¥
0123456789	()+-×/±.!	#X1/8 #æ6##

INDEX OF OPERATIONS

All commands available are found below with their names and keystrokes necessary. Names printed in **bold** face therein belong to functions directly accessible on the keyboard, the others may be picked from catalogs. The command names will show up in program listings as well. Sorting in index and catalogs is case insensitive and works in the following order:

_, 0...9, A...Z,
$$\alpha$$
... ω , () + - × / ± , . ! ? : ; ' " # * @ _ ~ → ← ↑ ↓ ↔ < ≤ = \neq ≥ > % \$ € £ ¥ $\sqrt{ }$ ∞ & \ ^ | G [] { }

Super- and subscripts are handled like normal characters in sorting. The fifth last item in this sorting order list is the indicator for the angular mode GRAD.

Generally, functions and keystroke programming will work as on *HP-42S*, bit and integer functions as on *HP-16C*, unless stated otherwise under remarks. Especially, all **tests** will return "Yes" or "No" in the dot matrix if called from the keyboard; if called in a program, they will skip the next program line if the test is false. Please refer to the manuals of the vintage calculators mentioned for additional information about "old" commands.

Functions available on the WP 34S for the first time on an RPN calculator are highlighted yellow under remarks, while operations carrying a familiar name but deviating in their functionality here are marked light red.

Parameters will be taken from the lowest stack levels unless mentioned explicitly in the 2^{nd} column – then they must follow the command. If <u>underlined</u>, they may also be specified using indirect addressing, as shown in the <u>tables</u> above. Some parameters of statistical distributions must be given in registers **J** and **K** if specified.

In the following, each function is listed stating the mode(s) it will work in, abbreviated by their <u>indicators</u>. In this column an "&" stands for a Boolean AND, a comma for an OR, and a backslash for "not". So e.g. 2^X works in all modes but alpha. All operations will also work in mode PRG unless stated otherwise explicitly.

Name	Keys to press	in modes	Remarks
c	<u>CPX</u>	DECM	Indicates an operation in complex domain (see <u>above</u>). CPX may be combined with all functions whose <u>names are printed in italics here</u> .
10 ^x	f 10 ^x	DECM	
12h	h MODE 12h	\α	Sets 12h time display mode meaning 1:23 becomes 1:23 a.m. and 13:45 becomes 1:45 p.m.
1COMPL	h MODE 1COMPL	\α	Sets 1's complement mode like in HP-16C.
1/x	f 1/x	DECM	
1/X	В	DECM	Shortcut as long as label B is not defined yet.
24h	h MODE 24h	\α	Sets 24h time display mode meaning 1:23 a.m. becomes 1:23, and 1:45 p.m. becomes 13:45.

Name	Keys to press	in modes	Remarks
2COMPL	MODE 2COMPL	\α	Sets 2's complement mode like in HP-16C.
2 ×	f 2 ^x)	\α	
ABS	flxl	\α	CABS returns $r = \sqrt{x^2 + y^2}$ in X and clears Y .
ACOS	g COS-1	DECM	
ACOSH	g HYP-1 COS	DECIVI	
ALL	hALL	\α	Selects the format displaying "all" digits.
		Integer	Works bitwise as in HP-16C.
AND	h (AND)	DECM	Works like AND in $HP-28S$, i.e. x and y are interpreted before executing this operation. 0 is "false", any other real number is "true".
ANGLE	h X.FCN ANGLE	DECM	Calculates the angle between positive x-axis and the straight line from the origin to the point (x, y) , returns this angle in X and clears Y .
ASIN	g SIN ^F 1	DECM	
ASINH	g HYP-1 SIN	DECIVI	
ASR	h X.FCN ASR <u>n</u>	Integer	Works like n (up to 63) consecutive ASRs in HP-16C. ASR 0 executes as NOP.
ATAN	g TAN-1	DECM	
ATANH	g HYP-1 TAN	DLOW	
BASE	MODE BASE <u>n</u>		Sets the base for integer calculations, with
BASE10	f 10		$2 \le n \le 16$. Popular bases are directly accessible on the keyboard. Current integer base set-
BASE16	g 16	\α	ting is indicated in the exponent as explained <u>above</u> .
BASE2	f 2		Furthermore, BASE0 equals DECM, and BASE1 calls FRACT.
BASE8	98		DASET CAIIS FRACT.
BC?	h TEST BC? <u>n</u>	Integer	Tests the specified bit in x .
BestF	h STAT BestF	DECM	Selects the best curve fit model, maximizing the correlation like BEST does in <i>HP-42S</i> .

Name	Keys to press	in modes	Remarks
Binom			Binomial distribution with the number of successes g in X , the probability of a success p_0 in J and the sample size n in K :
Binom _P	h PROB Binom etc.	DECM	pmf: $p_B(g;n;p_0) = \binom{n}{g} \cdot p_0^g \cdot (1-p_0)^{n-g}$. cdf: $F_B(m;n;p_0) = \sum_{g=0}^m p_B(g;n;p_0)$, with the maximum number of successes \mathbf{m} in \mathbf{X} .
Binom ⁻¹			The pdf equals BINOMDIST($g; n; p_0; 0$) and the cdf BINOMDIST($m; n; p_0; 1$) in MS Excel. Binom $^{-1}$ returns m for given probabilities F_B in X and p in J with sample size n in K .
B _n	h X.FCN B _n	DECM	Returns the Bernoulli number for integer $n > 0$ given in X : $B_n = (-1)^{n+1} n \cdot \zeta(1-n) \text{ . See below for } \zeta.$
B _n *	h X.FCN B _n *	DECM	Returns the Bernoulli number according to its old definition for integer $n > 0$ given in X : $B_n^* = \frac{2 \cdot (2n)!}{(2\pi)^{2n}} \cdot \zeta(2n) \text{ . See below for } \zeta.$
BS?	h TEST BS? <u>n</u>	Integer	Tests the specified bit in x .
Cauch Cauch _P	h PROB Cauch etc.	DECM	Cauchy-Lorentz distribution with the location x_0 specified in \mathbf{J} and the shape γ in \mathbf{K} , also known as Lorentz or Breit-Wigner distribution: pdf: $f_{Ca}(x) = \frac{1}{\pi \gamma} \cdot \frac{1}{1 + \left(\frac{x - x_0}{\gamma}\right)^2}$ cdf: $F_{Ca}(x) = \frac{1}{2} + \frac{1}{\pi} \arctan\left(\frac{x - x_0}{\gamma}\right)$.
Cauch ⁻¹			Cauch ⁻¹ returns \mathbf{x} for a given probability $\mathbf{F_{ca}}$ in \mathbf{X} , with location $\mathbf{x_0}$ in \mathbf{J} and shape γ in \mathbf{K} .
СВ	h X.FCN CB <u>n</u>	Integer	Clears the specified bit in x .
CEIL	h X.FCN CEIL	DECM	Returns the smallest integer $\geq x$.
CF	h P.FCN CF n	\α	Clears the flag specified.
CLFLAG	h P.FCN CLFLAG	\α	Clears all user flags.

Name	Keys to press	in modes	Remarks
CLREG	h X.FCN CLREG	All	Clears all general purpose registers.
CLSTK	O g FLL	\α	Clears all stack registers.
CLOTK	h P.FCN CLSTK	ια	Clears all stack registers.
CLx	h CLx	All	
CLα	f CLa	All	Clears the alpha register like CLA in HP-42S.
CLΣ	g CLS	DECM	Clears all statistical sums.
СОМВ	f Cy.x	DECM	Returns the number of possible <u>sets</u> of y items taken x at a time. No item occurs more than once in a set, and different orders of the same x items are <u>not</u> counted separately. Formula: $C_{y,x} = \begin{pmatrix} y \\ x \end{pmatrix} = \frac{y!}{x!(y-x)!}$
CONJ	CPX X.FCN CONJ	DECM	Changes the sign of y.
CORR	gr	DECM	Returns the correlation coefficient for the current statistical data and curve fitting model.
cos	fcos	DECM	
COSH	f HYP COS	DLOW	
COV	h STAT COV	DECM	Returns the population covariance for two data sets. It depends on the fit model selected. For LinF, it calculates $COV_{xy} = \frac{1}{n^2} \Big(n \sum x_i y_i - \sum x_i \sum y_i \Big)$
CUBE	h X.FCN CUBE	DECM	Returns x^3 .
CUBERT	h X.FCN CUBERT	DECM	Returns $\sqrt[3]{x}$.
DATE	h X.FCN DATE	DECM	Recalls the date from the real time clock and displays it in the numeric section in the format selected. See D.MY, M.DY, and Y.MD. The function DATE in <i>HP-12C</i> corresponds to DAYS+ in WP 34S (see below).
DAY	h X.FCN DAY	DECM	Takes x as a date in the format selected and returns the name of the day in the dot matrix and a corresponding integer in the numeric display (Monday = 1, Sunday = 7).

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Name	Keys to press	in modes	Remarks
DAYS+	h X.FCN DAYS+	DECM	Works like DATE in HP -12 C , adding x days on a date in Y in the format selected and displaying the resulting date including the day of week in the same format as DAY does.
DBLR	h X.FCN DBLR		
DBL ×	h X.FCN DBL×	Integer	Double precision commands like in <i>HP-16C</i> .
DBL /	h X.FCN DBL/		
DEC	h P.FCN DEC r	\α	Decrements r by one, equivalent to 1 STO- r , but without modifying the stack.
DECM	f H.d	\α	
DECOMP	h X.FCN DECOMP	FRC	Decomposes x (after converting it into an improper fraction, if applicable), resulting in a stack [$numerator(x)$, $denominator(x)$, y , z] or [$num(x)$, $den(x)$, y , z , t , a , b , c], respectively. Reversible by division.
DEG	g DEG	DECM	Sets angular mode to degrees.
DENANY	h MODE DENANY	\α	Sets default fraction format like in <i>HP-35S</i> , allowing maximum precision. Any denominator up to the value set by DENMAX may appear.
DENFAC	h MODE DENFAC	\α	Sets "factors of the maximum denominator". With e.g. DENMAX = 60, possible denominators are 2, 3, 4, 5, 6, 10, 12, 15, 20, 30, and 60.
DENFIX	h MODE DENFIX	\α	Sets fixed denominator format, i.e. the denominator equaling DENMAX always.
DENMAX	h MODE DENMAX	\α	Works like $/c$ in HP -35S, but maximum denominator settable is 9999. It will be set to this value if $x < 1$ or $x > 9999$ at execution time. For $x = 1$ the current setting is recalled.
DISP	h MODE DISP	DECM	Changes the number of decimals while keeping the display format (FIX, SCI, ENG) as is.
DROP	h P.FCN DROP	\α	Drops x , changing stack contents to $[y, z, t, t]$ or $[y, z, t, a, b, c, d, d]$, respectively. See <u>above</u> for ^C DROP.
DSE	f DSE <u>r</u>	PRG & DECM	Given ccccc.fffii in r , this function decrements r by ii, skipping next program line if then cccccc \leq fff.

Name	Keys to press	in modes	Remarks
DSZ	h P.FCN DSZ <u>r</u>	PRG	Decrements ${\bf r}$ by one, skipping next program line if then $ {\bf r} < 1$.
D.MY	MODE D.MY	\α	Sets the format for date display.
D→J	h X.FCN D→J	DECM	Takes x as a date in the format selected and converts it to a Julian day number.
D→R	h X.FCN D→R	DECM	Takes x as degrees and converts them to radians. Angular mode is kept.
E3OFF	h MODE E30FF	\α	Toggle the thousands separator (either a point
E3ON	h MODE E3ON	ıc	or a comma depending on the radix setting).
ENG	h ENG <u>n</u>	\α	Sets engineering display format.
ENGOVR	h ENG .	\α	Extension of ALL and FIX formats: numbers exceeding the range displayable in these formats will be shown in engineering format. See SCIOVR.
ENTER↑	ENTER+	\α	See <u>above</u> for ^c ENTER.
erf	h STAT erf	DECM	Calculates the error function $erf(x) = \frac{2}{\sqrt{\pi}} \int_{0}^{x} e^{-\tau^{2}} d\tau$
EVEN?	h TEST EVEN?	\α	Checks if x is integer and even.
e *	f e ^x	DECM	
ExpF	h STAT ExpF	DECM	Selects the exponential curve fit model.
			ı e
Expon			Exponential distribution with the rate λ specified in ${\bf J}$:
Expon Expon _P	h PROB Expon etc.	DECM	Exponential distribution with the rate λ specified in \mathbf{J} : pdf: $f_{Ex}(x) = \lambda \cdot e^{-\lambda x} = \text{EXPONDIST}(x; \lambda; 0),$ cdf: $F_{Ex}(x) = 1 - e^{-\lambda x} = \text{EXPONDIST}(x; \lambda; 1)$
		DECM	Exponential distribution with the rate λ specified in \mathbf{J} : pdf: $f_{Ex}(x) = \lambda \cdot e^{-\lambda x} = \text{EXPONDIST}(x; \lambda; 0),$
Expon _P		DECM	Exponential distribution with the rate λ specified in \mathbf{J} : pdf: $f_{Ex}(x) = \lambda \cdot e^{-\lambda x} = \text{EXPONDIST}(x; \lambda; 0),$ cdf: $F_{Ex}(x) = 1 - e^{-\lambda x} = \text{EXPONDIST}(x; \lambda; 1)$ in MS Excel. Expon $^{-1}$ returns the survival time \mathbf{t}_s for a given

Name	Keys to press	in modes	Remarks
FC?			
FC?C	h TEST FC? <u>n</u>	\α	Tests the flag specified. Clears, flips, or sets
FC?F	etc.	100	this flag after testing, if applicable.
FC?S			
FF	h P.FCN FF <u>n</u>	\α	Flips the flag specified.
FIB	h X.FCN FIB	\α	Calculates the Fibonacci number F_x .
FILL	gFLL	\α	Copies x to all stack levels. See <u>above</u> for $^{\text{C}}$ FILL.
FIX	h FIX <u>n</u>	\α	Sets fixed point display format.
FLOOR	h X.FCN FLOOR	DECM	Returns the largest integer $\leq x$.
FP	gFP	DECM	Returns the fractional part of x .
FP?	h TEST FP?	\α	Tests <i>x</i> for having a nonzero fractional part.
FRACT	h P.FCN FRACT	DECM	Sets fraction mode like in HP-35S, but keeps display format as set by PROFRC or IMPFRC.
FS?			
FS?C	h TEST FS? <u>n</u>	١٠	Tests the flag specified. Clears, flips, or sets
FS?F	etc.	\α	this flag after testing, if applicable.
FS?S			
F(x)	h PROB F(x)	DECM	F(x) equals 1 - Q(F) in HP-21S. The degrees
F ⁻¹ (p)	etc.	DEGIVI	of freedom are specified in ${f J}$ and ${f K}$.
f'(x)	h P.FCN f'(x) label	DECM	Return the first or second derivative of the function $f(x)$ at position $x = x$, respectively, with $f(x)$ being specified in a routine starting with LBL <i>label</i> . The return stack will have y , z , and t cleared and the position x in L .
f"(x)	f"(x) label	220	Either command will attempt to call a user routine labeled 'δx' to provide a fixed step size <i>dx</i> . If that routine is not defined, a step size of 0.1 is employed instead.
GCD	h X.FCN GCD	\α	Returns the Greatest Common Divisor of \boldsymbol{x} and \boldsymbol{y} .

Name	Keys to press	in modes	Remarks
Geom			Geometric distribution: pdf: $f_{Ge}(m) = p_0 (1 - p_0)^m$,
Geom _P	h PROB Geom etc.	DECM	cdf: $F_{Ge}(m) = 1 - (1 - p_0)^{m+1}$ is the probability for a first success after $\mathbf{m} = \mathbf{x}$ Bernoulli experiments. The probability \mathbf{p}_0 for a success in each such experiment must be specified in \mathbf{J} .
Geom ⁻¹			Geom $^{-1}$ returns the number of failures f before the first success for given probabilities F_{Ge} in X and p_0 in J .
GRAD	g GRAD	DECM	Sets angular mode to gon or grads.
		PRG	Inserts an unconditional branch to label.
	h GTO <u>label</u>	\PRG, \α	Positions the program pointer to <i>label</i> .
GTO	hGTO . nnn	\α	to line <i>nnn</i> (not programmable).
	h GTO	\α	to line 000 (not programmable) and lights the annunciator BEG .
H _n	h X.FCN H _n	DECM	Hermite's polynomials for probability: $H_n(x) = (-1)^n \cdot e^{\frac{x^2}{2}} \cdot \frac{d^n}{dx^n} \left(e^{-\frac{x^2}{2}} \right) \text{ with } \boldsymbol{n} \text{ in } \boldsymbol{Y},$ solving the differential equation $f''(x) - 2x \cdot f'(x) + 2n \cdot f(x) = 0.$
H _{np}	h X.FCN H _{np}	DECM	Hermite's polynomials for physics: $H_{np}(x) = (-1)^n \cdot e^{x^2} \cdot \frac{d^n}{dx^n} \left(e^{-x^2} \right) \text{ with } \mathbf{n} \text{ in } \mathbf{Y}.$
H.MS	f H.MS	DECM	Assumes X containing decimal hours or degrees, and displays them in the format hhhh°mm'ss.dd" as shown <u>above</u> . Returns to the previous decimal display with the next keystroke thereafter.
H.MS+	h P.FCN H.MS+	DECM	Assumes X and Y containing times or degrees in the format <code>hhhh.mmssdd</code> , and adds or subtracts them, respectively.

Name	Keys to press	in modes	Remarks
IMPFRC g d/o	g d/c	\α	Sets fraction mode allowing improper fractions in display (i.e. $5/3$ instead of 1 $2/3$). Converts x according to the settings by DEN Absolute decimal equivalents of x must be >1E-5 and <1E5. Compare PROFRC.
		FRC	Allows displaying improper fractions. Thus converts a proper fraction in X into the equivalent improper fraction, if applicable.
INC	h P.FCN INC <u>r</u>	\α	Increments ${\it r}$ by one, equivalent to 1 STO+ ${\it r}$, but without modifying the stack.
INT?	h (TEST) INT?	\α	Tests x for being an integer, i.e. having a fractional part equal to zero. Compare FP?.
IP	f P	DECM	Returns the integer part of x .
ISG	g ISG <u>r</u>	PRG & DECM	Given ccccc.fffii in r , this function increments r by ii, skipping next program line if then cccccc > fff.
ISZ	h P.FCN ISZ <u>r</u>	PRG	Increments ${\bf r}$ by one, skipping next program line if then $ {\bf r} < 1$.
Ιβ	h X.FCN Iβ	DECM	Returns the regularized incomplete beta function $\frac{\beta_x(x,y,z)}{\beta(y,z)} = \frac{1}{\beta(y,z)} \cdot \int_0^x t^{y-1} (1-t)^{z-1} dt \text{with}$ $\beta_x \text{being the incomplete beta function and}$ $\beta \text{being Euler's beta (see below)}.$
ΙΓ	h X.FCN IF	DECM	Returns the regularized incomplete gamma function $\frac{\gamma(x,y)}{\Gamma(x)}$ with $\gamma(x,y) = \int\limits_0^y t^{x-1}e^{-t}dt$ being the lower incomplete gamma function. For Γ see below.
J→D	h X.FCN J→D	DECM	Takes x as a Julian day number and converts it to a date in the format selected.
LASTx	RCL L	\α	See <u>above</u> for ^c LASTx .
LBL	[] LBL label	PRG	Identifies programs and routines for execution and branching. See opportunities for specifying <i>label</i> in the table <i>above</i> .
LBL?	h TEST LBL? <u>label</u>	All	Tests for the existence of the label specified, anywhere in program memory. See opportunities for specifying <i>label</i> in the table <i>above</i> .

Name	Keys to press	in modes	Remarks
LCM	h X.FCN LCM	\α	Returns the Least Common Multiple of x and y .
LEAP?	h TEST LEAP?	DECM	Takes x as a date in the format selected, extracts the year, and tests for a leap year.
LgNrm			Lognormal distribution with $\mu = \ln \overline{x}_g$ specified in \mathbf{J} and $\sigma = \ln \varepsilon$ in \mathbf{K} . See $\overline{x}g$ and ε below. pdf: $f_{Ln}(x) = \frac{1}{x\sigma\sqrt{2\pi}}e^{-\frac{(\ln x - \mu)^2}{2\sigma^2}}$,
LgNrm _P	h PROB LgNrm etc.	DECM	cdf: $F_{Ln}(x) = \Phi\left(\frac{\ln x - \mu}{\sigma}\right)$ with $\Phi(z)$ denoting
LgNrm ⁻¹			the standard normal cdf. LgNrm ⁻¹ returns \boldsymbol{x} for a given probability $\boldsymbol{F_{Ln}}$ in \boldsymbol{X} , $\boldsymbol{\mu}$ in \boldsymbol{J} , and $\boldsymbol{\sigma}$ in \boldsymbol{K} .
LinF	h STAT LinF	DECM	Selects the linear curve fit model.
LJ	h X.FCN LJ	Integer	
LN	gLN	DECM	
L _n	h X.FCN L _n	DECM	Laguerre's polynomials (compare $L_n\alpha$ below): $L_n(x) = \frac{e^x}{n!} \cdot \frac{d^n}{dx^n} (x^n e^{-x}) = L_n^{(0)}(x) \text{ with } \boldsymbol{n} \text{ in } \boldsymbol{Y},$ solving the differential equation $x \cdot y'' + (1-x)y' + ny = 0 \ .$
LN1+x	h X.FCN LN1+x	DECM	Natural logarithm for values close to zero. Returns $\ln(1+x)$, providing a much higher accuracy in the fractional part of the result.
L _n α	h X.FCN L _η α	DECM	Laguerre's generalized polynomials with n in Y and α in Z : $L_n^{(\alpha)}(x) = \frac{x^{-\alpha}e^x}{n!} \cdot \frac{d^n}{dx^n} (x^{n+\alpha}e^{-x}).$
LNB	h STAT LNβ	DECM	Returns the natural logarithm of Euler's β. See there. Also contained in the catalog X.FCN.
LNT	h STAT LNF	DECM	Returns the natural logarithm of $\Gamma(x)$. See there. Also contained in the catalog X.FCN.
LOG ₁₀	gLG	DECM	
LOG ₂	g LB	\α	Calculates the logarithm of <i>x</i> for base 2.

Name	Keys to press	in modes	Remarks
LogF	h STAT LogF	DECM	Selects the logarithmic curve fit model.
Logis			Logistic distribution with μ given in \mathbf{J} and \mathbf{s} in \mathbf{K} pdf: $f_{Lg}(x) = e^{-\frac{x-\mu}{s}} / s \cdot \left(1 + e^{-\frac{x-\mu}{s}}\right)^2$,
Logis _P	h PROB Logis etc.	DECM	cdf: $F_{Lg}(x) = \left(1 + e^{-\frac{x-\mu}{s}}\right)^{-1}$
Logis ⁻¹			Logis ⁻¹ returns $F_{Lg}^{-1}(p) = \mu + s \cdot \ln\left(\frac{p}{1-p}\right)$ for a probability \mathbf{p} given in \mathbf{X} , $\boldsymbol{\mu}$ in \mathbf{J} , and \mathbf{s} in \mathbf{K} .
	g LOG _x	DECM	Calculates the logarithm of y for base x .
LOGx	CPX g LOGx	DECM	Calculates the complex logarithm of $z + it$ for the complex base $x + iy$.
LZOFF	h MODE LZOFF	Integer	Toggles leading zeros like flag 3 does in
LZON	h MODE LZON	integer	HP-16C.
L.R.	h L.R.	DECM	Calculates the parameters a1 and a0 of the fit curve through the data points accumulated, according to the model selected, and pushes them on the stack. For a straight regression line, a0 is the y-intercept and a1 the slope.
MASKL MASKR	h X.FCN MASKL <u>n</u> h X.FCN MASKR <u>n</u>	Integer	Work like MASKL and MASKR on <i>HP-16C</i> , but with the mask length following the command instead of taken from X .
MAX	h X.FCN MAX	\α	Returns the maximum of x and y .
MIN	h X.FCN MIN	\α	Returns the minimum of x and y .
MIRROR	h X.FCN MIRROR	Integer	Reflects the bit pattern in x (e.g. 000101 becomes 101000 for word size 6).
MOD	h MOD	\α	MOD of HP-42S equals RMD of HP-16C.
M.DY	h MODE M.DY	\α	Sets the format for date display.
NAND	h X.FCN NAND	\α	Works in analogy to AND.
NaN?	h TEST NaN?	\α	Tests x for "Not a Number".
nBITS	h X.FCN nBITS	Integer	Counts bits set in x like #B does on HP-16C.

Name	Keys to press	in modes	Remarks
NOP	h P.FCN NOP	PRG	
NOR	h X.FCN NOR	\α	Works in analogy to AND.
Norml			Normal distribution with an arbitrary mean μ specified in ${\bf J}$ and standard deviation ${\bf \sigma}$ in ${\bf K}$: pdf: $f_N(x) = \frac{1}{\sigma\sqrt{2\pi}}e^{-\frac{(x-\mu)^2}{2\sigma^2}}$,
Norml _P	h PROB Norml etc.	DECM	cdf: $F_N(x) = \Phi\left(\frac{x-\mu}{\sigma}\right)$ with Φ denoting the standard normal distribution.
Norml ⁻¹			The pdf equals NORMDIST(x ; μ ; σ ; 0) and the cdf NORMDIST(x ; μ ; σ ; 1) in MS Excel. Norml $^{-1}$ returns x for a given probability F_N in X , mean μ in J , and standard deviation σ in K . Equals NORMINV(F_N ; μ ; σ) in MS Excel.
NOT	h NOT	\α	Works in analogy to AND.
nΣ	h STAT nΣ	DECM	Recalls the number of accumulated data points. Necessary for basic statistics.
ODD?	h TEST ODD?	\α	Checks if x is integer and odd.
OFF	h P.FCN OFF	PRG	
OR	hOR	\α	Works in analogy to AND.
PERM	g Py.x	DECM	Returns the number of possible <u>arrangements</u> of y items taken x at a time. No item occurs more than once in an arrangement, and different orders of the same x items <u>are</u> counted separately. Formula: $P_{y,x} = x! \cdot C_{y,x}$, see COMB.
P _n	h X.FCN P _n	DECM	Legendre's polynomials: $P_n(x) = \frac{1}{2^n n!} \cdot \frac{d^n}{dx^n} \left[(x^2 - 1)^n \right] \text{ with } \boldsymbol{n} \text{ in } \mathbf{Y}, \text{ solving the differential equation}$ $\frac{d}{dx} \left[(1 - x^2) \frac{d}{dx} f(x) \right] + n(n+1) f(x) = 0.$

Name	Keys to press	in modes	Remarks
Poiss			Poisson distribution with the number of successes \mathbf{g} in \mathbf{X} , gross error probability \mathbf{p}_0 in \mathbf{J} , and sample size \mathbf{n} in \mathbf{K} . Alternatively, Poisson's $\lambda = n \cdot p_0$ may be in \mathbf{J} if $\mathbf{k} = 1$:
Poiss _P	h PROB Poiss etc.	DECM	pmf: $P_P(g;\lambda) = \frac{\lambda^g}{g!} e^{-\lambda}$, cdf: $F_P(m;\lambda) = \sum_{g=0}^m P_P(g;\lambda)$, with the maximum number of successes m in X .
Poiss ⁻¹			The pdf equals $POISSON(g; \lambda; 0)$ and the cdf $POISSON(g; \lambda; 1)$ in MS Excel. Poiss $^{-1}$ returns m for given probabilities F_P in \mathbf{X} and \mathbf{p} in \mathbf{J} with sample size \mathbf{n} in \mathbf{K} .
PowerF	h STAT PowerF	DECM	Selects the power curve fit model.
PRIME?	h TEST PRIME?	\ α	Checks if the absolute value of the integer part of x is a prime number. Exact for $x < 66049$, Miller-Rabin with 40 iterations otherwise, with the probability P for erroneously claiming a composite is prime being $P \approx 2^{-80} \approx 10^{-24}$.
PROFRC	f ab/c	DECM	Sets fraction mode like in <i>HP-35S</i> , allowing only proper fractions or mixed numbers in display. Converts <i>x</i> according to the settings by DEN Absolute decimal equivalents of <i>x</i> must be >1E-5 and <1E5. Compare IMPFRC.
		FRC	Allows displaying only proper fractions. Thus converts an improper fraction in X , e.g. 5/3 into 1 2/3, if applicable.
PROMPT	h P.FCN PROMPT	PRG	Displays <i>alpha</i> and stops program execution (equaling α VIEW followed by STOP actually). If alpha input is requested for a program, use the sequence α ON PROMPT α OFF. With a program running, enter the value or text requested and press R/S to continue.
PSE	h PSE <u>nn</u>	PRG	Pauses program execution for nn times 0.1s, with $0 \le nn \le 99$. Refreshes the display.
RAD	gRAD	DECM	Sets angular mode to radians.

Name	Keys to press	in modes	Remarks
RAN# TRAN#	f RAN#	DECM	Returns a random number between 0 and 1 like RAN in <i>HP-42S</i> .
		Integer	Returns a random bit pattern for the word size set.
RCL	RCL s	\α	See the <u>addressing table above</u> for ^C RCL.
RCLM	RCL MODE	\α	Recalls selected mode settings into X . See the paragraph about <i>indicators</i> above.
RCLS	h P.FCN RCLS s	\α	Recalls 4 or 8 values from a set of registers starting at address s , and pushes them on the stack. This is the converse command of STOS.
RCL+	RCL + s		
RCL-	RCL - s		Recalls the content of address s , executes the specified operation on it and pushes the result
RCL×	RCL X s	· \a	on the stack. E.g. RCL-12 recalls $r12$, subtracts x from it
RCL/	RCL / s	\ α	and displays the result. RCL \uparrow (\downarrow) recalls the maximum (minimum) of the values in s and X .
RCL↑	RCL <u>s</u>		See the <u>addressing table above</u> for ^C RCL.
RCL↓	RCL ▼ s		
RDX,	h ./,	DECM	Toggle the radix mark. Also available in P.FCN FWIW.
RDX.		DEOIVI	
RJ	h X.FCN RJ	Integer	Works in analogy to LJ.
RL	h X.FCN RL n	Intogor	Works like n consecutive RLs / RLCs on $HP-16C$. For RL, $1 \le n \le 63$. For RLC, $1 \le n \le 16$
RLC	h X.FCN RLC <u>n</u>	Integer	64. RL 0 and RLC 0 execute as NOP.
ROUND	O PND	DECM	Rounds x using the current display format, like RND in $HP-42S$.
KOUND	g RND	FRC	Rounds x using the current denominator, like RND in HP -35S.
ROUNDI	N X.FCN ROUNDI	DECM	Rounds x to next integer. ½ rounds to 1.
RR	h X.FCN RR <u>n</u>	Integer	Works like <i>n</i> consecutive RRs / RRCs on
RRC	h X.FCN RRC <u>n</u>	Integer	HP-16C. See RL / RLC for more.

Name	Keys to press	in modes	Remarks
		\PRG	Moves the program pointer to step 000.
RTN	gRIN	PRG	Last command in a routine. Returns control to the calling routine in program execution, i.e. moves the program pointer one step behind the most recent XEQ instruction encountered. If there is none, program execution halts.
R-CLR	h P.FCN R-CLR	DECM	Interprets x in the form ss.nn. Clears nn registers starting with number ss . E.g. for $x = 34.56$, R-CLR will clear $R34$ through $R89$.
R-COPY	h P.FCN R-COPY	DECM	Interprets x in the form ss.nndd. Takes nn registers starting with number ss and copies their contents to dd . E.g. for $x = 7.0345678$, $r07$, $r08$, $r09$ will be moved into $R45$, $R46$, $R47$, respectively.
R-SORT	h P.FCN R-SORT	DECM	Interprets x in the form ss.nn. Sorts the contents of nn registers starting with number ss . Assume $x = 49.026$, $r49 = 1.2$, $r50 = -3.4$; then R-SORT returns $r49 = -3.4$, $r50 = 1.2$.
R-SWAP	h P.FCN R-SWAP	DECM	Works like R-COPY but swaps the register contents of source and destination.
R→D	h X.FCN R→D	DECM	Takes x as radians and converts them to degrees. Angular mode is kept.
R↑ R↓	h Rt Rt	\α	Rotates the stack contents one level up or down, respectively. See <u>above</u> for complex rotations.
s	gs	DECM	Calculates the sample standard deviations s_y and s_x and pushes them on the stack.
SB	h X.FCN SB <u>n</u>	Integer	Sets the specified bit in $oldsymbol{x}$.
SCI	hSCI <u>n</u>	\α	Sets scientific display format.
SCIOVR	h SCI .	\α	Extension of ALL and FIX formats: numbers exceeding the range displayable in these formats will be shown in scientific format (default as in vintage HP calculators). See ENGOVR.
SEED	h STAT SEED	DECM	Stores a seed for random number generation.

Name	Keys to press	in modes	Remarks
SERR	h STAT SERR	DECM	Works like s but pushes the standard errors s/\sqrt{n} on the stack (i.e. the standard deviations of $\bar{\mathbf{x}}$ and \mathbf{y}).
SERRw	h STAT SERRW	DECM	Works like sw but returns the standard error $s/\sqrt{\sum y_i}$ (i.e. the standard deviation of \bar{x} w).
SETDAT	h X.FCN SETDAT	DECM	Sets the date or time, respectively, for the real
SETTIM	h X.FCN SETTIM	DECIVI	time clock (don't work with the emulator).
SF	h P.FCN SF <u>n</u>	\α	Sets the flag specified.
SIGN	h X.FCN SIGN	\α	Returns 1 for $x > 0$, -1 for $x < 0$, and 0 for $x = 0$ or non-numbers.
	CPX X.FCN SIGN	DECM	Returns the unit vector of $x + iy$ in X and Y .
SIGNMT	h MODE SIGNMT	\α	Sets sign-and-mantissa mode for integers.
SIN	f SIN	DECM	
SINC	h X.FCN SINC	DECM	Returns $\frac{\sin x}{x}$.
SINH	f HYP SIN	DECM	
SL	h X.FCN SL <u>n</u>	Integer	Works like <i>n</i> (up to 63) consecutive SLs on <i>HP-16C</i> . SL 0 executes as NOP.
SLV	f SLV <u>label</u>	DECM	Solves the equation $f(x) = 0$, with $f(x)$ calculated by the routine specified. Two initial estimates of the root must be supplied in \mathbf{X} and \mathbf{Y} when calling SLV. For the rest, the user interface is as in HP -15 C .
SR	h X.FCN SR <u>n</u>	Integer	Works like n consecutive SRs on <i>HP-16C</i> . SR 0 executes as NOP.
SSIZE4	h MODE SSIZE4	\α	Set the stack size to 4 or 8 levels, respectively. If stack size grows, the top level contents will be copied into the new levels. If the stack shrinks, previous top levels will be lost.
SSIZE8	h MODE SSIZE8		The same will happen if stack size is changed via STOM.
SSIZE?	h TEST SSIZE?	\α	Returns the number of stack levels accessible.
STO	STO <u>d</u>	\α	See the <u>addressing table above</u> for ^C STO.

Name	Keys to press	in modes	Remarks
STOM	STO MODE	\α	Sets selected modes as encoded in x . See the paragraph about <u>indicators</u> above.
STOP	R/S	PRG	Stops program execution.
STOS	h P.FCN STOS <u>d</u>	\α	Stores all stack levels in a set of 4 or 8 registers, starting at destination d .
STO+	STO + <u>d</u>		Executes the specified operation on the con-
STO-	STO - <u>d</u>		tent of address d and stores the result into said address.
STO×	STO X d	\α	E.g. STO-12 subtracts x from $r12$, and stores
STO/	STO / <u>d</u>	100	the result in $R12$ again. STO↑ (\downarrow) takes the maximum (minimum) of the values in d and X
STO↑	STO A d		and stores it.
ѕто↓	STO ▼ <u>d</u>		See the <u>addressing table above</u> for ^C STO.
SUM	h STAT SUM	DECM	Recalls the linear sums Σy and Σx . Useful for basic vector algebra.
SW	h STAT sw	DECM	Returns the standard deviation for weighted data $s_w = + \sqrt{\frac{\sum y_i \cdot \sum (y_i \cdot x_i^2) - \left[\sum (y_i \cdot x_i)\right]^2}{\left(\sum y_i\right)^2 - \sum y_i^2}}$
sxy	h STAT sxy	DECM	Returns the sample covariance for two data sets. It depends on the fit model selected. For LinF, it calculates $s_{xy} = \frac{1}{n \cdot (n-1)} \Big(n \sum x_i y_i - \sum x_i \sum y_i \Big)$
TAN	f TAN f HYP TAN	DECM	
			Returns the number of ticks from the real time
TICKS	h P.FCN TICKS	\α	clock at execution time.
TIME	h (TIME)	DECM, α	Recalls the time from the real time clock at execution and shows it in decimal mode.
T _n	h X.FCN T _n	DECM	Chebychev's (a.k.a. Tschebyschow) polynomials of first kind $T_n(x)$ with n in Y , solving the differential equation $ (1-x^2)y''-x\cdot y'+n^2y=0 \ . $

Name	Keys to press	in modes	Remarks
TVM	h X.FCN TVM	DECM	Time Value of Money almost as known since the HP - 80 . Solves the equation $PMT - \frac{I}{k} \cdot \left[PV + \frac{PV + FV}{(1+I)^n - 1} \right] = 0 \text{with}$ $PMT = \text{periodic payment} = r80,$ $PV = \text{present value} = r81,$ $FV = \text{future value} = r82,$ $I = \text{interest rate per period} = r83,$ $n = \text{number of periods} = r84,$ $k = 1 \text{ if payment is made at the end of the period} = \text{flag } 80 \text{ clear,}$ $= 1 + I \text{ if it is made at the beginning of the period} = \text{flag } 80 \text{ set.}$ $\text{Store all you know and solve for the unknown.}$ $\text{E.g. solving for } PMT \text{ may look like:}$ $\text{LBL 'PMT'} \qquad \text{; routine is entered with }$ $\text{SLV 'PM1'} \qquad \text{; a first guess in } X.$ $\text{NOP} \qquad \text{; SLV acts as a test.}$ RTN $\text{LBL 'PM1'} \qquad \text{sto } 80 \qquad \text{; initial or previous guess}$ TVM RTN See SLV for more.
t(x)	h PROB t(x) etc.	DECM	t(x) equals $1-Q(t)$ in $HP-21S$. The degree of freedom is stored in J .
Un	h X.FCN U _n	DECM	Chebychev's polynomials of second kind $U_n(x)$ with \mathbf{n} in \mathbf{Y} , solving the differential equation $ (1-x^2)y''-3x\cdot y'+n(n+2)y=0 \ . $
UNSIGN	h MODE UNSIGN	\α	Sets unsigned mode for integers.
VIEW	h VEW s	All	Displays the content of address s until the next key is pressed.
VOLTS	h X.FCN VOLTS	DECM Integer	Measures the battery voltage in the range between 1.9V and 3.4V and returns this value. Dto. but returns the voltage in 0.1V units.
W W -1	h X.FCN W h X.FCN W ⁻¹	DECM	W returns Lambert's W for given $x \ge -1/e$, while W ⁻¹ returns x for given W (≥ -1).

Name	Keys to press	in modes	Remarks
Weibl			Weibull distribution with the shape parameter \boldsymbol{b} in \mathbf{J} and the characteristic lifetime \boldsymbol{T} in \mathbf{K} : pdf: $f_W(t) = \frac{b}{T} \left(\frac{t}{T}\right)^{b-1} e^{-\left(\frac{t}{T}\right)^b}$,
Weibl _P	h PROB Weibl etc.	DECM	pdf. $f_W(t) = \frac{1}{T} \left(\frac{t}{T}\right)^b e^{-t/t}$, cdf: $F_W(t) = 1 - e^{-\left(\frac{t}{T}\right)^b}$.
Weibl ⁻¹			The pdf equals WEIBULL(x ; b ; T ; 0) and the cdf WEIBULL(x ; b ; T ; 1) in MS Excel. Weibl $^{-1}$ returns the survival time t_s for given probability F_W , b in J and T in K .
WSIZE	h MODE WSIZE <u>n</u>	\α	Works like WSIZE on <i>HP-16C</i> , but with the parameter following the command instead of taken from X . WSIZE 0 sets the word size to maximum, i.e. 64 bits.
WSIZE?	h TEST WSIZE?	\α	Recalls the word size set.
x ²	g x ²	\α	
	(VEO) John	PRG	Calls the respective subroutine.
	XEQ <u>label</u>	\PRG, \α	Executes the respective program.
XEQ	B , C , or D (you may need f for	PRG	Calls the respective subroutine, so e.g. XEQ C will be inserted when \bigcirc is pressed.
	accessing these hotkeys in integer bases >10.)	∖PRG, ∖α	Executes the respective program if defined.
XNOR	h X.FCN XNOR	\α	Works in analogy to AND.
XOR	h XOR	\α	Works in analogy to AND.
x	fx	DECM	Calculates the arithmetic means. Pushes $\frac{1}{n}\sum y$ and $\frac{1}{n}\sum x$ on the stack. See also s, SERR, and σ .
Хg	h STAT x̄g	DECM	Calculates the geometric means. Pushes $\sqrt[n]{\prod y} = e^{\frac{1}{n}\sum \ln y}$ and $\sqrt[n]{\prod x}$ on the stack. See also ϵ , ϵ g, and ϵ_P .
Χ̄W	h STAT xw	DECM	Calculates the weighted arithmetic mean $\sum xy / \sum y$. See also sw and SERRw.

Name	Keys to press	in modes	Remarks
â	h STAT x	DECM	Returns a forecast x for a given y (in X) following the fit model chosen. See L.R. for more.
x!	h!	DECM	
$x \rightarrow \alpha$	g x l	All	Interprets x as a code of up to 6 characters. Appends these characters to $alpha$, similar to XTOA in HP - $42S$.
χ↔	hx\ r	\α	Swaps the contents of X and r . See <u>above</u> for complex $x \leftrightarrow .$
x⇔ y	χξy	\α	Swaps x and y , performing Re \leftrightarrow Im if a complex operation was executed immediately before. See <u>above</u> for $^{\rm C}\!x\!\leftrightarrow\!y$.
x < ?	h TEST x < ? <u>a</u>		Compare x with a . The three dots will be re-
x ≤ ?	h TEST x ≤ ? <u>a</u>		placed in the listing by a according to the examples given in the <u>addressing table above</u> . x ≈ ? will be true if the <u>rounded</u> values of x and a are equal (see ROUND). CPX f x = ? a and CPX g x ≠ ? a compare the complex number x + i y as explained in the <u>addressing</u> table above.
x = ?	f x = ? <u>a</u>		
x ≈ ?	h TEST x≈? <u>a</u>	\α	
x ≠ ?	g x ≠ ? <u>a</u>		
x ≥ ?	h TEST x ≥ ? <u>a</u>		
x > ?	h TEST x > ? <u>a</u>		
	f yx	\α	In integer modes x must be ≥ 0 .
y ^x	C	\α, \13, \14, \15, \h	Shortcut working as long as label C is not defined yet.
ŷ	fŷ	DECM	Returns a forecast y (in X) for a given x following the fit model chosen. See L.R. for more.
Y.MD	h MODE Y.MD	\α	Sets the format for date display.
αDATE	h X.FCN αDATE	\integer	Takes x as a date and appends it to $alpha$ in the format set. See DATE. – To append a date stamp to $alpha$, call DATE α DATE.
αDAY	h X.FCN αDAY	\integer	Takes x as a date, recalls the name of the respective day and appends its first 3 letters to $alpha$.
αΙΡ	h X.FCN αIP	All	Appends the integer part of x to $alpha$, similar to AIP in $HP-42S$.

Name	Keys to press	in modes	Remarks
αLENG	h X.FCN αLENG	All	Returns the number of characters found in <i>alpha</i> , like ALENG in <i>HP-42S</i> .
αΜΟΝΤΗ	h X.FCN αMONTH	\integer	Works like αDAY, but processing the month.
αOFF	h P.FCN αOFF	PRG & α	Work like AOFF and AON in HP-42S, turning
αΟΝ	h P.FCN αON	PRG & ∖α	alpha mode off and on.
D.C.I	RCL s	α	Interprets the content of the source s as cha-
αRCL	h X.FCN αRCL <u>s</u>	\α	racters and appends them to <i>alpha</i> .
αRC#	h X.FCN αRC# s	All	Takes the content of s as a number, converts it to a string in the format set, and appends this to <i>alpha</i> . If e.g. s = 1234 and ENG 2 and RDX. are set, then _1.23E3 will be appended.
αRL	h X.FCN αRL <u>n</u>	All	Rotates <i>alpha</i> by <i>n</i> characters like AROT in <i>HP-42S</i> , but with $n \ge 0$ and the parameter trailing the command instead of taken from X . α RL 0 executes as NOP.
αRR	h X.FCN αRR <u>n</u>	All	Works like αRL but rotates to the right.
αSL	h X.FCN αSL <u>n</u>	All	Shifts the $\bf n$ leftmost characters out of $\bf alpha$, like ASHF in $\bf HP$ -42S. $\bf \alpha SL$ 0 equals NOP.
αSR	h X.FCN αSR <u>n</u>	All	Works like αSL but takes the \emph{n} rightmost characters instead.
αSTO	STO d	α	Stores the first (i.e. leftmost) 6 characters in the
ασιο	h X.FCN αSTO <u>d</u>	\α	alpha register into destination d .
αTIME	h X.FCN αTIME	\integer	Takes x as a time and appends it to $alpha$ in the format hh:mm:ss according to the time mode selected. See TIME. – To append a time stamp to $alpha$, call TIME α TIME.
αVIEW	h X.FCN αVIEW	\α	Displays \emph{alpha} . In programs, use αVIEW followed by PSE for message output.
$\alpha \rightarrow x$	f x > a	All	Returns the character code of the leftmost character in <i>alpha</i> and deletes this character, like ATOX in <i>HP-42S</i> .

Name	Keys to press	in modes	Remarks
β	h STAT β	DECM	Returns Euler's Beta $B(x,y) = \frac{\Gamma(x) \cdot \Gamma(y)}{\Gamma(x+y)}$ with $\text{Re}(x) > 0$, $\text{Re}(y) > 0$. Called β here for avoiding ambiguities. Also contained in X.FCN.
Γ	h STAT F	DECM	Returns $\Gamma(x)$. This function is also contained in X.FCN. Additionally, h ! calls $\Gamma(x + 1)$.
ΔDAYS	h X.FCN ΔDAYS	DECM	Assumes X and Y containing dates in the format chosen and calculates the number of days between them. Works like in <i>HP-12C</i> .
Δ%	f △ %	DECM	Calculates $100 \cdot \frac{x-y}{y}$ like %CH in <i>HP-42</i> S.
3	h STAT ε	DECM	Calculates the scattering factors (or geometric standard deviations) $\ln(\varepsilon_y) = \sqrt{\frac{\sum \ln^2(y) - 2n \cdot \ln(\overline{y}_G)}{n-1}} \text{and} \ln(\varepsilon_x)$ and pushes them on the stack. ε works for the geometric mean in analogy to s for the arithmetic mean but $\underline{\text{multiplicative}}$.
ε _m	h STAT ε _m	DECM	Works like ε but pushes $\varepsilon_m = \varepsilon^{1/\sqrt{n}}$ on the stack (the scattering factors of the geometric means).
ε _p	hSTAT E	DECM	Works like ε but with a denominator \boldsymbol{n} instead of $\boldsymbol{n-1}$, returning the scattering factors of the populations.
ζ	h X.FCN ζ	DECM	Returns Riemann's Zeta function $\zeta(x) = \sum_{n=1}^{\infty} \frac{1}{n^x} \text{with} \text{Re}(x) > 1 \ .$
π	hπ	DECM	Complex version copies π in X and clears Y .
п	f π <u>label</u>	DECM	Computes a product with the routine specified by <i>label</i> . Initially, X contains the loop control number in the format <code>cccc.fffii</code> and the product is set to 1. Each run through the routine specified computes a factor. At its end, this factor is multiplied with said product; the operation then decrements <code>cccccc</code> by <code>ii</code> and runs said routine again if then <code>cccccc</code> > fff, else returns the resulting product in X .

Name	Keys to press	in modes	Remarks
Σ	gΣ <u>label</u>	DECM	Computes a sum with the routine specified by <i>label</i> . Initially, X contains the loop control number in the format <code>ccccc.fffii</code> and the sum is set to 0. Each run through the routine specified computes a summand; at its end, this is added to said sum; the operation then decrements <code>cccccc</code> by <code>ii</code> and runs said routine again if then <code>cccccc</code> > fff, else returns the resulting sum in X .
σ	h STAT σ	DECM	Works like s but calculates the standard deviations of the populations instead.
$\begin{array}{c} \Sigma ln^2x \\ \Sigma ln^2y \\ \\ \Sigma lnx \\ \\ \Sigma lnxy \\ \\ \Sigma lny \\ \\ \Sigma x lny \\ \\ \Sigma y lnx \\ \end{array}$	h STAT ΣIn ² x etc.	DECM	Recall the respective statistical sums. These sums are necessary for curve fitting models beyond pure linear. Calling them by name enhances readability of programs significantly.
σw	h STAT ow	DECM	Works like sw but calculates the standard deviation of the population instead. $\sigma_{\scriptscriptstyle w} = + \sqrt{\frac{\sum y_i (x_i - \overline{x}_{\scriptscriptstyle w})^2}{\sum y_i}}$
$\begin{array}{c} \Sigma x \\ \Sigma x^2 \\ \Sigma x^2 y \\ \Sigma xy \\ \Sigma y \\ \Sigma y^2 \end{array}$	h STAT Σx etc.	DECM	Recall the respective statistical sums. These sums are necessary for basic statistics and linear curve fitting. Calling them by name enhances readability of programs significantly.
Σ+	A	DECM	Shortcut as long as label A is not defined yet.
Σ-	h Σ -	DECM	

Name	Keys to press	in modes	Remarks		
φ(x)	h PROB φ(x)	DECM	Standard normal pdf: $\varphi(x) = \frac{1}{\sqrt{2\pi}} e^{-x^2/2}$.		
Ф(х)	(((((((((((((DECM	Standard normal cdf $\Phi(z) = \int_{-\infty}^{z} \varphi(x) dx$,		
Φ ⁻¹ (p)	g (Φ -1	DECIM	equals $1 - Q$ in $HP-32E$ and $1 - Q(z)$ in $HP-21S$ with $z = x$.		
χ^2 χ^2 INV	h PROB χ^2 etc.	DECM	χ^2 (with the degrees of freedom given in $\bf J$) equals 1 – Q(χ^2) in <i>HP-21S</i> .		
(-1) ^X	h X.FCN (-1) ^X	DECM			
+	+				
_	-	\α			
×	x	ια			
/	<u></u>				
//	g //	DECM	Calculates $\left(\frac{1}{x} + \frac{1}{y}\right)^{-1}$.		
+/-	+/_	\α			
→DEG	→ (g) DEG	DECM	Takes x as an angle in the angular mode set, converts it to degrees and changes angular mode in parallel. Prefix g may be omitted.		
→GRAD	→ (g) GRAD	DECM	Works like →DEG, but converts to grads.		
→ н	→ fH.d	DECM	Takes x as hours or degrees in the format hhhh.mmssdd and converts them into a decimal time or angle.		
→H.MS	→ f H.MS	DECM	Takes x as decimal hours or degrees, converts them into hhhh.mmssdd and displays the result in the format hhhh°mm'ss.dd" as shown <u>above</u> . Returns to hhhh.mmssdd with the next keystroke.		
→POL	g R∢⊳P	DECM	Assumes X and Y containing 2D Cartesian coordinates (x, y) and converts them to the respective polar coordinates (r, ϑ) .		
→RAD	→ (g) RAD	DECM	Works like →DEG, but converts to radians.		

Name	Keys to press	in modes	Remarks			
→REC	f R∢▶P	DECM	Assumes \mathbf{X} and \mathbf{Y} containing 2D polar coordinates $(\mathbf{r}, \boldsymbol{\vartheta})$ and converts them to the respective Cartesian coordinates (\mathbf{x}, \mathbf{y}) .			
%	g %	DECM	Calculates $\frac{x \cdot y}{100}$.			
%MG	h X.FCN h % MG	DECM	Calculates the margin 17 $100 \cdot \frac{x-y}{x}$ in % for a price x and cost y , like %MU-Price in HP -17 B .			
%MRR	h X.FCN h % MRR	DECM	Calculates the mean rate of return in % per period, i.e. $100 \cdot \left[\left(\frac{x}{y} \right)^{\frac{1}{z}} - 1 \right]$ with $x = \text{FV} = \text{future value after } z \text{ periods}, y = \text{PV} = \text{present value. For } z = 1$, $\Delta\%$ returns the same result easier.			
%Т	h X.FCN h % T	DECM	Calculates $100 \cdot \frac{x}{y}$, i.e. percent of <u>t</u> otal FWIW.			
%Σ	h STAT h % Σ h X.FCN h % Σ	DECM	Calculates $100 \cdot \frac{x}{\sum x}$.			
%+MG	h X-FCN h % +MG	DECM	Calculates a sales price $y/(1-0.01\cdot x)$ by adding a margin ¹⁷ of x % to the cost y , as %MU-Price does in HP -17 B .			
	f 🕟	\α				
√	D	\α, \14, \15, \h	Shortcut working as long as label D is not defined yet.			
ı	g / label	Integrates the function given in the routine specified. Lower and upper integration limits must be supplied in Y and X , respectively. Otherwise, the user interface is as in <i>HP-15C</i> .				
∞?	h TEST ∞?	\α	Tests <i>x</i> for infinity.			

¹⁷ Margin corresponds to "Handelsspanne" in German.

Alphanumeric input:

Letter or digit	Keys to press	in modes	Remarks			
o		DECM	Separates degrees or hours from minutes and seconds, so input format is hhhh.mmssdd. The user has to take care where an arbitrary real number represents such an angle or time.			
	09	\α	Standard numeric input. For integer bases <10, input of illegal digits throws an <u>error message</u> .			
0 9	(0) (y)	in ad- dressing	Register input. See the <u>addressing tables</u> above for more.			
	0, 1, f2 ,,	α	Appends the respective digit to <i>alpha</i> .			
A F	A F (red print)	11, 12, 13, 14, 15, h	more information			
A Z	A Z (red print)	in ad- dressing	Register input. See the <u>addressing tables</u> above for the letters applicable.			
		α	Alphabetic input. See page 7 for more.			
E	E (the key) DECN		Like EEX in the older vintage calculators.			
(or)		α	Appends a left / right parenthesis to alpha.			
[/]	Second .	DECM	A persistent 2 nd in input switches to fraction mode and will be interpreted as explained below. Please note you cannot enter after you entered twice – but you may delete the 2 nd dot while editing the input line.			
	f .	FRC	First , is interpreted as a space, 2 nd as a fraction mark. E.g. input of 2 , 3 , 4 results in 2 ³ / ₄ in the display. Improper fractions may be entered starting with a , e.g. , 3 , 2 .			
[,]	h./, XEQ	α	Appends a comma to <i>alpha</i> .			
[.] or [,]	,	DECM	Inserts a radix mark as selected.			

Non-programmable control, clearing and information commands:

Keys to press	in modes	Remarks			
	Status open	Goes to previous / next set of flags.			
	Catalog open	Goes to previous / next item in this catalog.			
▲ / ▼ ▼	α	Scrolls the display window six characters to the left / right in <i>alpha</i> if possible. If less than six characters are beyond the limits of the display window on the left / right side, the window will be positioned to the beginning / end of string. Useful for longer strings.			
	Else	Acts like BST / SST in HP-42S.			
	Input pending	Deletes the last digit or character put in.			
	α	Deletes the rightmost character in alpha.			
 	PRG	Deletes current step.			
	Else	Acts like CLx.			
	Integer	Shifts the display window to the left / right like in HP-16C. Helpful while working with small bases.			
f		Toggles upper and lower case.			
hX.FCN CLALL \PRG		Clears all registers and programs if confirmed.			
h CLP \a		Clears the current program (i.e. the one the program pointer is in) after confirmation.			
(ENTER+)	Catalog open	Selects the current item like XEQ below.			
	α	Turns alpha mode off.			
	Catalog open	Leaves the catalog without executing anything.			
	Input pending	Cancels the execution of pending operations, returning to the calculator status as it was before.			
EXIT	\PRG & program running	Stops this program like R/S below.			
▼ \	PRG	Leaves programming mode like h P/R below.			
	α	Turns alpha mode off like ENTER above.			
	Else	Does nothing.			
gOFF	All	Turns calculator off.			
ON	Calculator off	Turns calculator on.			
\PRG, \α PRG		Toggle programming mode for keyboard entry.			

Keys to press in modes		Remarks			
h X.FCN RESET	All	Executes CLALL and resets all modes to start-up default, i.e. 24h, 2COMPL, ALL, DEG, DENANY, DENMAX 9999, DECM, LinF, PROFRC, RDX., SCIOVR, SSIZE4, WSIZE 64, Y.MD.			
R/S	\PRG, \α	Entered from the keyboard: Runs the current program starting with the current step or stops the running program immediately. Compare the programmable command STOP.			
	DECM & \PRG	Shows the full mantissa until the next key is pressed.			
h SHOW	PRG	Displays a CRC-32 checksum of program memory contents (8 hex digits), allowing validation of program integrity.			
h STATUS \PRG		Shows the status of all user flags, similar to STATUS on <i>HP-16C</i> . See <u>above</u> .			
h X.FCN VERS \PRG		Shows the firmware version.			
XEQ Catalog open		Selects the item currently displayed and exits, executing the respective command. See <u>above</u> .			
f α		Turns on alpha mode for keyboard entry. When entering alpha constants in programs, please note there is no concatenation character, since added characters are appended to $alpha$ always. For starting a new string, use $CL\alpha$ first. Alpha constants will be listed like e.g. 'Test 1'.			
 → f 10 → (g) 16 → (g) 8 	\α	These commands show x in target integer representation until the next key is pressed. Base is kept as set. Prefix g may be omitted here. If used in integer bases 15 and 16, prefix g must precede the key g			

Catalogs (not programmable):

Calling a catalog will set temporary alpha mode to allow for typing the first 1 or 2 characters of the item wanted.

and

browse the catalog,

XEQ selects the item displayed and exits, while

EXIT leaves the catalog without executing anything, returning to the mode as set before. See the

table above about addressing cataloged items, and the
next paragraph for detailed item lists.

Keys to press in modes		Contents	
h CONST	DECM	Constants like in HP35s. See them listed in a <u>table below</u> .	
CPX CONST	DECM	This will clear Y in recalling the constant selected since the are all real.	
h CONV	DECM	Conversions as listed in a <u>table below</u> .	
(CPX)	α	"Complex" letters mandatory for many languages. Upper or lower case will be displayed according to setting (see fabove).	
h MODE	\α	Mode setting functions.	
h PROB	DECM	Extra probability distributions.	
h P.FCN	\α	Extra programming functions.	
f RI	α	Subscripts.	
h Rt	α	Superscripts.	
h STAT	DECM	Extra statistical functions.	
	\α	All tests except the two on the keyboard.	
h (TEST)	α	Comparison symbols and brackets. Parentheses are called by f and g , respectively.	
	DECM	Extra real functions.	
h X.FCN	Integer	Extra integer functions.	
	α	Extra alpha functions.	
CPX X.FCN	DECM	Extra complex functions.	
h ./,	α	Punctuation marks and text symbols.	
f →	α	Arrows and mathematical symbols.	

DETAILED CATALOG CONTENTS

The characters necessary to access a specific function from an arbitrary position in the respective catalog are printed bold in this table − ▼ has to be pressed once then for each character printed red − if even the last letter of a name is red, more strokes of ▼ may be needed. A single function, e.g. CB, may be contained in more than one catalog.

The alpha catalogs are found two pages below. See also CONST and CONV in separate paragraphs further below.

MODE	
1 2h	
1COMPL	
2 4h	
2COMPL	
B ASE	
DENANY	
DENFAC	
DENFIX	
DENMAX	
DISP	
D.MY	
E 3OFF	
E3ON	
LZOFF	
LZON	
M .DY	
S IGNMT	
SSIZE4	
SSIZE8	
UNSIGN	
W SIZE	
\/ \ \ \ \	

PROB				
Binom	Lo gis			
Bi nom _P	Log is _P			
Binom ⁻¹	Logis -1			
Cauch	Norml			
Ca uch _P	Norml _P			
Cauch ⁻¹	Norml ⁻¹			
Expon	Poiss			
Expon _P	Poiss _P			
Expon ⁻¹	Poiss ⁻¹			
F(x)	t(x)			
F ⁻¹ (p)	t ⁻¹ (p)			
Geom	Weibl			
Geom _P	We ibl _P			
Geom ⁻¹	Weibl ⁻¹			
L gnrm	φ (x)			
Lg nrm _P	χ ²			
Lgnrm ⁻¹	χ² INV			

STAT				
B estF	β			
COV	Г			
erf	ε			
Ex pF	ε _m			
LinF	ϵ_{p}			
LNβ	σ			
LNΓ	ΣI n ² x			
Lo gF	Σln ² y			
nΣ	ΣΙηχ			
P owerF	ΣΙηχγ			
S EED	Σlny			
SERR	σw			
SERRW	Σχ			
SUM	Σx²			
sw	Σx²y			
sxy	ΣxIny			
x g	Σχγ			
Σw	Σy			
x	Σy²			
	ΣγΙηχ			
	%Σ			

(TEST)
BC?
BS?
EVEN?
FC?
FC?C
FC?F
FC?S
FP?
FS?
FS?C
FS?F
FS?S
INT?
LBL?
LEAP?
N aN?
ODD?
PRIME?
S SIZE?
WSIZE?
x < ?
x ≤ ?
x ≈ ?
x ≥ ?
x > ?
∞ ?

ST	P.FCN
	CF
	CL FLAG
N?	CLSTK
	DEC
2	DROP
= = S	DSZ
S	F F
	FRACT
	f '(x)
2	f "(x)
2	H.MS+
3	H.MS-
	INC
>	ISZ
>?	NOP
?	P ROMPT
?	RCLM
ΛΕ?	RCLS
E?	RDX,
ZE?	RDX.
'	R- CLR
'	R-COPY
•	R-SORT
•	R-SWAP
•	S F
	STOM
	STOS
	TICKS
	αOFF

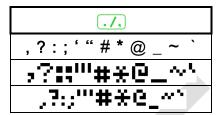
Y.MD

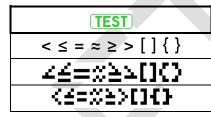
 α ON

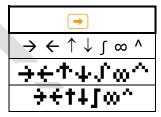
(V.FON)						Ī	CPX
alpha	ries with the mode set; it cont		itair	integer modes:			X.FCN
mode:	ANGLE	RESET		A SR	RJ		^c C ONJ
CLALL	B _n	ROUNDI	_	СВ	RL		^c D ROP
CLREG	B _n *	R→D		CLALL	RLC		с е х -1
RESET	CEIL	SETDAT		CLFLAG	RR		c F IB
V ERS	CLALL	SETTIM		CLREG	RRC		^c LN1+x
αDATE	CLREG	SIGN	=	D BLR	S B		c _{LNβ}
αDΑΥ	CUBE	SINC		DBL*	SEED		CLNL
αΙΡ	CUBERT	VERS		DBL/	SIGN		c S IGN
αLENG	DATE	VOLTS		FB	SL		^c SINC
α M ONTH	DAY	W		FIB	SR		cM
αRC#	DAYS+	W ⁻¹		G CD	V ERS		CW-1
αRL	DE COMP	XNOR		LCM	VO LTS		cβ
αRR	D→J	αDATE		LJ	XNOR		сГ
αSL	D→R	αDΑΥ		MASKL	αΙΡ		
αSR	erf	αIP		MASKR	αLENG		
αΤΙΜΕ	e ^x -1	αLENG		MAX	αRCL		
	FIB	αMONTH		MIN	αRC#		
	FLOOR	αRCL		MIRROR	αRL		
	G CD	αRC#		NAND	αRR		
	Iβ	αRL		nBITS	αSL		
	ІГ	αRR		NO R	αSR		
	J→D	αSL		RESET	αSΤΟ		
	LCM	αSR			αVIEW		
	LN1+x	α ST O			_		
	LNβ	αΤΙΜΕ		(-1) ^X			
	LNΓ	α V IEW] /	% MG			
	MAX	β		%M RR			
	MIN	Γ		%Т			
	NAND	∆DAYS]/	%Σ			
	NO R	ζ		%+ MG			

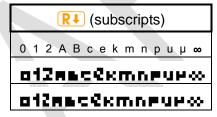
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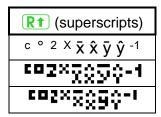
Here are the contents of the alpha catalogs making the WP 34S the most versatile global calculator known. Large font is printed in left column or upper row, small font in right or lower. Accented letters show the same width as unaccented ones wherever possible.











The letters provided here allow for correct writing the languages of more than 3.109 people, i.e. Afrikaans, Català, Cebuano, Česky, Cymraeg, Deutsch. Eesti. English, Español, Français, Gaeilge, Galego, Bahasa Indonesia, Italiano, Basa Jawa, Kiswahili, Kreyòl ayisyen, Magyar, Bahasa Melayu, Nederlands, Português, Quechua, Shqip, Slovenčina, Slovenščina, Basa Sunda, Suomeksi, Svenska, Tagalog, Winaray, Zhōngwén (with a little trick explained below), and almost Hrvatski and Srpski (sorry, no đ) as well as Dansk and Norsk (no æ). If you know further living languages covered, please tell us.

Mandarin Chinese (Zhōngwén) features four tones, usually transcribed like e.g. mā, má, má, and mà. So you need different letters for ā and ă here, and for e, i, o, and u as well. With 6 pixels total character height we found no way to display these in both fonts nicely, keeping letters and accents separated for easy reading. For an unambiguous solution, we suggest using a dieresis (else not employed in Hànyǔ pīnyīn) representing the third tone here. Pinyin writers, we ask for your understanding.

CONSTANTS

This lists the contents of the catalog CONST. Values of physical constants (*incl. their relative standard deviations given in parentheses below*) are from CODATA 2006, copied in August 2010. Green background denotes exact or almost exact values. The more the color turns to red, the less precise the respective constant is known ¹⁸.

The characters necessary to get to a specific function in the catalog are printed bold in this index - \bigcirc has to be pressed once for each character printed red.

For the units, remember Tesla with $1T=1\frac{Wb}{m^2}=1\frac{V\cdot s}{m^2}$, Joule with $1J=1N\cdot m=1\frac{kg\cdot m^2}{s^2}$ and on the other hand $1J=1W\cdot s=1V\cdot A\cdot s=\frac{1}{e}eV\approx 6.24\cdot 10^6 TeV$. Thus $1\frac{J}{T}=1A\cdot m^2$.

	Numeric value	Unit	Remarks
а	365.2425	d	Gregorian year (per definition)
a ₀	5.2917720859 E -11 <i>(6.8E-10)</i>	m	Bohr radius $=\frac{lpha}{4\pi\cdot R_{\infty}}$
С	2.99792458 E 8	m/s	Vacuum speed of light (per definition)
C ₁	3.74177118 E -16 <i>(5.0E-8)</i>	$m^2 \cdot W$	First radiation constant $= 2\pi \cdot h \cdot c^2$
C ₂	0.014387752 <i>(1.7E-6)</i>	$m \cdot K$	Second radiation constant $=\frac{hc}{k}$
е	1.602176487 E -19 <i>(2.5E-8)</i>	O	Electron charge $=\frac{2}{K_J R_K} = \Phi_0 G_0$
еE	2.718281828459045	1	Euler's e. Please note the letter <i>e</i> is used for the electron charge elsewhere in this table.
F	96485.3399 <i>(2.5E-8)</i>	$\frac{C}{mol}$	Faraday's constant $= e N_A$
g	9.80665	$\frac{m}{s^2}$	Standard earth acceleration (per definition)
G	6.67428 E -11 <i>(1.0E-4)</i>	$\frac{m^3}{kg \cdot s^2}$	Newton's gravitation constant
G。	7.7480917004 E -5 (6.8 E -10)	$1/\Omega$	Conductance quantum $=\frac{2e^2}{h}=\frac{2}{R_K}$ with the von Klitzing constant $R_K=25812.807557~\Omega$

¹⁸ The bracketed values printed here for your kind attention allow you to compute the precision of results you may obtain using these constants. The procedure to be employed is called error propagation. It is often ignored, though essential for trustworthy results – not only in science. Please turn to respective texts before you believe in 4 decimals of a calculation result based on yardstick measurements.

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	Numeric value	Unit	Remarks
g e	2.0023193043622 (7.4 E -13)	1	Landé's g-factor
h	6.62606896 E -34 <i>(5.0E-8)</i>		Planck constant
ħ	1.054571628 E -34 <i>(5.0E-8)</i>	Js	$=\frac{h}{2\pi}$
k	1.3806504 E -23 <i>(1.7E-6)</i>	$J/_{K}$	Boltzmann constant $= \frac{R}{N_A}$
m e	9.10938215 E -31 <i>(5.0E-8)</i>		Electron mass
m _n	1.674927211 E- 27 <i>(5.0E-8)</i>		Neutron mass
m _p	1.672621637 E -27 (5.0 E -8)	kg	Proton mass
mu	1.660538782 E- 27 <i>(5.0E-8)</i>		Atomic unit mass = $10^{-3} kg / N_A$
mμ	1.88353103 E -28 <i>(5.6E-8)</i>		Muon mass
N _A	6.02214179 E 23 <i>(5.0E-8)</i>	1/ mol	Avogadro's number
NaN	•		"not a number"
p o	101325	Pa	standard atmospheric pressure (per definition)
R	8.314472 <i>(1.7E-6)</i>	$\frac{J}{mol \cdot K}$	Molar gas constant
r _e	2.8179402894 E -15 <i>(</i> 2.1 E -9 <i>)</i>	m	Classical electron radius $= \alpha^2 \cdot a_0$
R∞	1.0973731568527 E 7 <i>(6.6E-12)</i>	1/m	Rydberg constant = $\frac{\alpha^2 m_e c}{2h}$
To	273.15	K	= 0°C, standard temperature (per definition)
t _p	5.39124 E -44 <i>(5.0E-5)</i>	s	Planck time = $\sqrt{\hbar G/c^5}$
V _m	0.022413996 <i>(1.7E-6)</i>	m^3/mol	Molar volume of an ideal gas at standard conditions $= \frac{RT_0}{p_0}$
Zo	376.730313461	Ω	Characteristic impedance of vacuum $= \sqrt{\frac{\mu_0}{\varepsilon_0}} = \mu_0 c$
α	7.2973525376 E -3 (6.8 E -10)	1	Fine-structure constant $=\frac{e^2}{4\pi\varepsilon_0\hbar c} \approx \frac{1}{137}$
γΕΜ	0.57721566490153286	1	Euler-Mascheroni constant

	Numeric value	Unit	Remarks
γр	2.675222099 E 8 (2.6 E -8)	$\frac{1}{s \cdot T}$	Proton gyromagnetic ratio $=\frac{2\mu_P}{\hbar}$
εο	8.854187817 E -12	$\frac{A \cdot s}{V \cdot m}$ or $\frac{F}{m}$	Electric constant, vacuum permittivity = $\frac{1}{\mu_0 c^2}$
$\lambda_{\rm c}$	2.4263102175 E -12 <i>(1.4E-9)</i>		Compton wavelength of the electron = $\frac{h}{m_e c}$
λ <mark>c</mark> n	1.3195908951 E -15 <i>(1.5E-9)</i>	m	Compton wavelength of the neutron $= h/m_n c$
λ _{cp}	1.3214098446 E -15 <i>(1.9E-9)</i>		Compton wavelength of the proton $= \frac{h}{m_p c}$
μο	1.2566370614 E -6	$\frac{V \cdot s}{A \cdot m}$	Magnetic constant, also known as vacuum permeability = $4\pi \cdot 10^{-7} \frac{V \cdot s}{A \cdot m}$ (per definition)
μ _Β	9.27400915 E -24 <i>(</i> 2.5 E -8 <i>)</i>		Bohr's magneton $=\frac{e\hbar}{2m_e}$
μ _e	-9.28476377 E -24 <i>(</i> 2.5 <i>E</i>-8)		Electron magnetic moment
μ _n	-9.6623641 E -27 <i>(2.4E-7)</i>	J_T	Neutron magnetic moment
μ _p	1.410606662 E -26 (2.6 E -8)	or $A \cdot m^2$	Proton magnetic moment
μ _u	5.05078324 E -27 (2.5 E -8)	A·m	Nuclear magneton $=\frac{e\hbar}{2m_p}$
μ_{μ}	-4.49044786 E -26 (3.6 E -8)		Muon magnetic moment
π	3.141592653589793	1	
σΒ	5.6704 E -8 (7.0 E -6)	$\frac{W}{m^2K^4}$	Stefan Boltzmann constant $=\frac{2\pi^5 k^4}{15h^3c^2}$
Φ	1.61803398874989485	1	Golden ratio $=\frac{1+\sqrt{5}}{2}$
Фо	2.067833667 E -15 (2.5 E -8)	Vs	Magnetic flux quantum $=\frac{h}{2e}=\frac{1}{K_J}$ with the Josephson constant $K_J=4.83597891\cdot 10^{14} Hz/V$
∞		1	Infinity (may the Lord of Mathematics forgive us calling this a constant)

UNIT CONVERSIONS

These are the contents of the catalog CONV ¹⁹. The characters necessary to access a specific conversion there are printed bold in this index – $\boxed{\bullet}$ has to be pressed once for each character printed red. The constant $\boxed{\bullet}$ may be useful for conversions, too; it is found in the <u>catalog CONST</u>. The conversion factors or divisors listed in this table will not be seen when executing a conversion.

Conversion		Remarks	Class
°C→°F	* 1.8 + 32	Exactly	Temperature
°F→°C	- 32) / 1.8	Exactly	Temperature
a cres→ha	* 0.4046873	$1 \text{ ha} = 10^4 \text{ m}^2$	Area
ar.→dB	10 * lg(R)	Amplitude ratio. Exactly	Ratio
at m→Pa	* 1.01325 E 5	Exactly	Pressure
AU→km	* 1.495979 E 8	Astronomic units	Length
b hp→W	* 745.6999	British horse power	Power
Bt u→J	* 1055.056		Energy
c al→J	* 4.1868	Exactly	Energy
cf t→ <i>l</i>	* 28.31685	Cubic feet	Volume
cm →inches	/ 2.54	Exactly	Length
d B→ar.	$10^{R_{dB}/20}$	Amplitude ratio. Exactly	Ratio
dB→pr.	$10^{R_{dB}/10}$	Power ratio. Exactly	Ratio
f athom→m	* 1.8288		Length
fe et→m	* 0.3048	Exactly	Length
flozUK→ml	* 28.41306	$1 \ ml = 1 \ cm^3$	Volume
flozUS→ml	* 29.57353		Volume
galUK→ l	* 4.54609		Volume
galUS→ l	* 3.785418		Volume
g→oz	/ 28.34952		Mass
g→tr.oz	/ 31.10348		Mass
ha→acres	/ 0.4046873		Area

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For most readers, many of the units appearing here may look obsolete at least. They die hard, however, in some corners of this world. For symmetry reasons, we may also add some traditional Indian and Chinese units. Anyway, this catalog provides the means to convert local to common units.

Conversion		Remarks	Class
HP _e →W	* 746	Exactly	Power
inches→cm	* 2.54	Exactly	Length
inHg→Pa	* 3386.389		Pressure
J →Btu	/ 1055.056		Energy
J →cal	/ 4.1868	Exactly	Energy
J→k Wh	/ 3.6 E 6	Exactly, since 1 h = 3600 s	Energy
k g→lbm	/ 0.4535924		Mass
km →AU	/ 1.495979 E 8	Astronomic units	Length
km → <i>l.y.</i>	/ 9.460730 E 12	Light years	Length
km <mark>→</mark> mi	/ 1.609344	Exactly	Length
km → nmi	/ 1.852	Nautical miles, exactly	Length
km→pc	/ 3.085678 E 16	Parsec	Length
kW h→J	* 3.6E6	Exactly	Energy
Ibf→N	* 4.448222		Force
<mark>lb</mark> m→kg	* 0.4535924		Mass
<i>l.y.</i> →km	* 9.460730 E 12	Light years	Length
l →cft	/ 28.31685	Cubic feet	Volume
<i>l</i> →g alUK	/ 4.54609		Volume
<i>l</i> →galUS	/ 3.785418		Volume
m bar→Pa	* 100	Exactly	Pressure
mi→ km	* 1.609344	Exactly	Length
m <i>l</i> →flozUK	/ 28.41306		Volume
m <i>l</i> →flozUS	/ 29.57353		Volume
mm Hg→Pa	* 133.3224	1 torr = 1 mm Hg	Pressure
m→ fathom	/ 1.8288		Length
m → feet	/ 0.3048	Exactly	Length
m → yards	/ 0.9144	Exactly	Length
n mi→km	* 1.852	Nautical miles, exactly	Length
N→lbf	/ 4.448222		Force

Conversion		Remarks	Class
o z→g	* 28.34952		Mass
P a→atm	/ 1.01325 E 5	Exactly	Pressure
Pa →inHg	/ 3386.389		Pressure
Pa →mbar	/ 100	Exactly	Pressure
Pa→m mHg	/ 133.3224		Pressure
Pa→psi	/ 6894.757		Pressure
Pa→torr	/ 133.3224		Pressure
pc→km	* 3.085678 E 16	Parsec	Length
pr .→dB	10 * lg(R)	Power ratio. Exactly	Ratio
ps i→Pa	* 6894.757		Pressure
PS(hp)→W	* 735.4988		Power
s .tons→t	* 0.9071847	$1 t = 10^3 kg$	Mass
t ons→t	* 1.016047		Mass
to rr→Pa	* 133.3224	1 torr = 1 mm Hg	Pressure
tr .oz→g	* 31.10348		Mass
t→s.tons	/ 0.9071847		Mass
t→tons	/ 1.016047		Mass
W→bhp	/ 745.6999		Power
W→ HP _e	/ 746	Exactly	Power
W→P S(hp)	* 735.4988		Power
y ards→m	* 0.9144	Exactly	Length

In cases of emergency of a particular type, remember that Becquerel equals Hertz, Gray is the unit for deposited or absorbed energy (1Gy=1J/kg), and Sievert is Gray times a radiation dependant dose conversion factor for the damage caused in human bodies. In this area also some outdated units may be found in older literature: Pour les amis de Mme. Curie, $1Ci=3.7\cdot10^{10}Bq=3.7\cdot10^{10}decays/s$. And for those admiring the very first Nobel laureate in physics, Mr. Röntgen, for finding the x-rays (ruining his hands in these experiments), $1R=2.58\cdot10^{-4}\frac{As}{kg}$.

MESSAGES

There are some commands generating messages also in the dot matrix section of the display. Four of them, DAY, DAYS+, STATUS, and VERS, were introduced above in the <u>paragraph about display</u> already. Others are PROMPT, aVIEW and many more alpha commands, and the test commands as mentioned <u>above</u>.

Two constants will return a special display when called: NaN and ∞ will show you

Furthermore, there are a number of error messages. Depending on error conditions, the following messages will be displayed in the mode(s) listed:

Message	Error Code	Mode(s)	Explanation and Examples
bad date 300 RPN Error	2	DECM	Invalid date format or incorrect date in input, e.g. month >12, day >31 etc.
bad digit em	9	Integer	Invalid digit in integer input, e.g. 2 in binary, 9 in octal, or +/- in unsigned mode.
bad mode ***** Error	13	All	Caused by calling an operation in a mode where it is not defined, e.g. SIN in hexadecimal.
domain 380 RPN Error	1	\α	An argument exceeds the domain of the mathematical function called. May be caused by roots or logs of negative numbers (if not preceded by $\overline{\textbf{CPX}}$), by $0/0$, LN(0), $\Gamma(0)$, TAN(90°) and equivalents, ATANH(x) for $ \text{Re}(x) \ge 1$, ACOSH(x) for $ \text{Re}(x) < 1$, etc.
invalid BEC 360 RPA PR-RMEEEr	16	\α	Similar to error 1 but a parameter specified in \mathbf{J} or \mathbf{K} is out of supported range for the function called. May appear e.g. if $\mathrm{Ln}(x)$ is called with $j < 0$.
no such 300 RPN LRBEL	6	All	Attempt to address an undefined label.

Message	Error Code	Mode(s)	Explanation and Examples
out of range 360 RPN Error	8	All	 A number exceeds the valid range. Caused e.g. by specifying decimals >11, word size >64, negative flag numbers, integers ≥2⁶⁴, hours or degrees >9000, invalid times, denominators ≥9999 etc. A register address exceeds the valid range. May also happen in indirect addressing. An R-operation (e.g. R-COPY) attempts exceeding valid register numbers (0 99).
SLY J X TT RAD STO RPN	7	PRG	Nested use of solve, integrate, sum or product is not allowed.
stack BEC 360 RPN	12	All	STOS or RCLS attempt using registers that would overlap the stack, e.g. SSIZE = 8 and STOS 94.
too few BEG 360 RPN dRER PoinES	15	DECM	A statistical calculation was started based on too few data points, e.g. regression or standard deviation for < 2 points.
too lon9 300 RPN	10	All	Keyboard input is too long for the buffer (should never happen, but who knows).
undefined 550 em OP-COdE	3	All	An instruction with an undefined op-code occurred (should never happen, but who knows).
word size *** Łoo SMARLL ***	14	Integer, \PRG	Stack or register content is too big for the word size set.
+o 360 RPN Error	4	\α, \PRG	 Division of a number > 0 (or < 0) by zero. Divergent sum or product or integral.
— © 360 RPN Error	5	ia, ii ito	 Positive (or negative) overflow in DECM (see <u>above</u>).
18 levels RAD STO RPN	11	PRG	Subroutine nesting exceeds 8 levels.

Any key pressed will erase the error message displayed and execute with the stack contents present. Thus, the easiest return to the display shown before the error occurred is pressing a prefix twice.

APPENDIX A: INTERNAL SUPPORT COMMANDS

Some commands are used in internal routines exclusively and are not accessible from the keyboard. They are listed here for sake of a complete documentation:

Name	Purpose and remarks					
BACK <u>n</u>	Jumps n program steps backwards (1 $\leq n \leq$ 99). So e.g. BACK 01 goes to the previous step. Reaching step 000 stops program execution. The BACK instruction must not be the last step of the program.					
ERR <u>n</u>	Raises the error specified. See <u>above</u> for the respective error codes.					
iC <u>n</u>	Internal constants, selected by the number specified:					
	0 0 1 1 2 5.01402 Kronrod only weight loop initializer (constants 5 - 14 below) 3 15.02903 Gauss-Kronrod weight loop initializer (constants 15 - 29 below) Midpoint location is 0.5. 4 0.149445554002916905664936468389821 Kronrod weight for midpoint k10					
	5 0.995657163025808080735527280689003 Kronrod location of k0 and k20 0.011694638867371874278064396062192 Kronrod weight for k0 and k20					
	7 0.930157491355708226001207180059508 Kronrod location of k2 and k18 0.054755896574351996031381300244580 Kronrod weight for k2 and k18					
	9 0.780817726586416897063717578345042 Kronrod location of k4 and k16 10 0.093125454583697605535065465083366 Kronrod weight for k4 and k16					
	11 0.562757134668604683339000099272694 Kronrod location of k6 and k14 12 0.123491976262065851077958109831074 Kronrod weight for k6 and k14					
	13 0.294392862701460198131126603103866 Kronrod location of k8 and k12 0.142775938577060080797094273138717 Kronrod weight for k8 and k12					
	15 0.973906528517171720077964012084452					
	18					
	21 0.679409568299024406234327365114874 Location of g2, g7, k5 and k15 22 0.219086362515982043995534934228163 Gauss weight for g2 and g7 23 0.109387158802297641899210590325805 Kronrod weight for k5 and k15					
	24 0.433395394129247190799265943165784 Location of g3, g6, k7 and k13 25 0.269266719309996355091226921569469 Gauss weight for g3 and g6 26 0.134709217311473325928054001771707 Kronrod weight for k7 and k13					
	27 0.148874338981631210884826001129720 Location of g4, g5, k9 and k11 28 0.295524224714752870173892994651338 Gauss weight for g4 and g5 29 0.147739104901338491374841515972068 Kronrod weight for k9 and k11					
	Constants $2\ldots 29$ are for the $10/21$ point Gauss-Kronrod quadrature used by the internal integration command. Locations are in the range $(0,1)$ which is scaled to match the interval of integration. The quadrature sums the weight times the function value at each location to estimate the integral. In Gauss-Kronrod schemes the Gauss points are common to both quadratures although the weights are different. This means two estimates of the integral can be performed without increasing the number of function evaluations which in turn allows an estimate of the error to be made. The cost for this is a reduction in the degree of polynomial function that is always integrated exactly.					

Name	Purpose and remarks					
RTN+1	Returns control to the calling routine like RTN does, but moves the program pointer to the <u>second</u> line following the most recent XEQ instruction encountered. If there is no matching XEQ, program execution halts.					
SKIP <u>n</u>	Skips n program steps forwards (1 $\leq n \leq$ 99). So e.g. SKIP 02 skips over the next two steps, going e.g. from step 123 to step 126. If the skip would land beyond the end of <u>occupied</u> program memory, the same will happen as if a RTN had been encountered.					
	The two solver commands described below may use some hidden registers and flags. The start points of the respective register and flag blocks are passed as one argument <i>n</i> .					
	Registers: n+0 n+1: first two estimates a and b for the root n+2: third estimate c n+3: function value at first estimate f(a) n+4: function value at second estimate f(b) Flags: n+0 n+7: an eight bit iteration counter n+8: "bracket flag" – true if we've got an interval with f(a) * f(b) < 0					
	n+9: true if all function evaluations have been constant so far					
SLVI <u>n</u>	Initializes the solver. SLVI clears the iteration counter, takes \bf{a} and \bf{b} and calculates $\bf{f}(\bf{a})$ and $\bf{f}(\bf{b})$, sets the last two flags accordingly, and produces a guess \bf{c} . There is no stack interaction.					
SLVS <u>n</u>	Solver step. Updates the internal solver state based on the last function evaluation. In particular, SLVS takes a , b , c , f(a) , and f(b) from the register block plus f(c) from X and updates the register values so that c and f(c) replace one of a and f(a) or b and f(b) . It also produces a new guess c and returns zero in X if the solving should continue and non-zero if not. Otherwise, the stack isn't altered.					
	The built in solver loop looks like this in principle, assuming $n = 0$:					
	SLVI ; calculate f(a) and f(b) and initialize the registers and flags LBL 00 RCL 02 ; recall c XEQUSR ; call the user's subroutine calculating f(c) x≈ 0? ; test if the solution has converged GTO 01 ; converged, so exit SLVS ; update estimates x= 0? ; should we continue? GTO 00 ; loop back again LBL 01 RCL 02 ; best guess so far					
	RTN The actual solver is fairly complex. A combination of quadratic interpolation and a guarded secant method is used.					
SPEC?	Tests if x is special (i.e. NaN or infinite).					
XEQUSR	Calls a user subroutine (used by SLV, \int , Π and Σ). The subroutine is defined by the argument to the initial command (either numeric of alpha label).					

APPENDIX B: CANDIDATES FOR FURTHER FUNCTIONS

If space allows, the following functions may be implemented easily since they are coded already. None of these are counting the catalog and function table overheads. Two bytes for a catalog entry (one for each catalog it is in) and 12-20 bytes for a function table entry (but only one of these), i.e. not terribly significant. These are all moderately useful functions.

Function name and remarks	Size	Domain
AGM = limit of arithmetic geometric mean.	528 B	R
Bessel functions of first and second kinds: J _n & I _n : real and complex (argument and order); Y _n & K _n : real and complex (argument and order).	4470 B	R, C
Remember: $J_n(x) = \sum_{r=0}^{\infty} \frac{(-1)^r \cdot (x/2)^{2r+n}}{r! \Gamma(n+r+1)}$		
Digamma function (ψ , needed for Bessel functions of second kind of integer order)	1384 B	R, C
Fused multiply and add The real version can be replaced by complex multiply. x+y*z can be done via (y, x) * (z, -1) at a pinch.	96 B	Z, R
Jacobi elliptic functions S _n , C _n & D _n	1780 B	R, C
x!!	288 B	R, C

PRIME? also includes overflow resistant code for $(a * b) \mod c$ and $(a * b) \mod c$ which could also be exposed if required.

APPENDIX C: RELEASE NOTES

	Date	Release notes
1	9.12.08	Start
1.1	15.12.08	Added the table of indicators; added NAND, NOR, XNOR, RCLWS, STOWS, //, N, SERR, SIGMA, < and >; deleted HR, INPUT, 2 flag commands, and 2 conversions; extended explanations for addressing and COMPLEX &; put XOR on the keyboard; corrected errors.
1.2	4.1.09	Added ASRN, CBC?, CBS?, CCB, SCB, FLOAT, MIRROR, SLN, SRN, >BIN, >DEC, >HEX, >OCT, BETA, D>R, DATE, DDAYS, D.MY, M.DY, Y.MD, CEIL, FLOOR, DSZ, ISZ, D>R, R>D, EMGAM, GSB, LNBETA, LNGAMMA, MAX, MIN, NOP, REAL, RJ, W and WINV, ZETA, %+ and %-; renamed the top left keys B, C, and D, and bottom left EXIT.
1.3	17.1.09	Added AIP, ALENG, ARCL, AROT, ASHF, ASTO, ATOX, XTOA, AVIEW, CLA, PROMPT (all taken from 42S), CAPP, FC?C, FS?C, SGMNT, and the# commands; renamed NBITS to BITS and STOWS to WSIZE; specified the bit commands closer; deleted the 4 carry bit operations.
1.4	10.2.09	Added CONST and a table of constants provided, D>J and J>D, LEAP?, %T, RCL and STO ▲ and ▼, and 2 forgotten statistics registers; deleted CHS, EMGAM, GSB, REAL and ZETA; purged and renamed the bit operations; renamed many commands.
1.5	5.3.09	Added RNDINT, CONV and its table, a memory table, the description of XEQ B, C, D to the operation index, and a and g_e to the table of constants; put CLSTK on a key, moved CL Σ and FILL, changed the % and log labels on the keyboard, put CLALL in X.FCN; checked and cleaned alpha mode keyboard and added a temporary alpha keyboard; rearranged the alphabet to put Greek after Latin, symbols after Greek consistently; separated the input and non-programmable commands; cleaned the addressing tables.
1.6	12.8.09	Added BASE, DAYS+, DROP, DROPY, E3OFF, E3ON, FC?F, FC?S, FIB, FS?F, FS?S, GCD, LCM, SETDAT, SETTIM, SET24, SINC, TIME, VERS, α DAY, α MONTH, α RC#; α S, as well as F-, t-, and α 2-distributions and their inverses; reassigned DATE, modified DENMAX, FLOAT, α ROT, and α SHIFT; deleted BASE arithmetic, BIN, DEC, HEX, and OCT; updated the alpha keyboards; added flags in the memory table; included indirect addressing for comparisons; added a paragraph about the display; updated the table of indicators; corrected errors.
1.7	9.9.09	Added P.FCN and STAT catalogs, 4 more conversions, 3 more flags, Greek character access, CLFLAG, DECOMP, DENANY, DENFAC, DENFIX, I β , IF, α DATE, α RL, α RR, α SL, α SR, α TIME, 12h, 24h, fraction mode limits, normal distribution and its inverse for arbitrary μ and σ , and Boolean operations working within FLOAT; deleted α ROT, α SHIFT, the timer, and forced radians after inverse hyperbolics; renamed WINV to W $^{-1}$, and beta and gamma commands to Greek; added tables of catalog contents; modified label addressing; relabeled PRGM to P/R and PAUSE to PSE; swapped SHOW and PSE as well as Δ % and % on the keyboard; relabeled Q; corrected CEIL and FLOOR; updated X.FCN and alpha commands; updated the virtual alpha keyboard.
1.8	29.10.09	Added R-CLR, R-COPY, R-SORT, R-SWAP, RCLM, STOM, alpha catalogs, 1 more constant and some more conversions, a table of error messages, as well as the binomial, Poisson, geometric, Weibull and exponential distributions and their inverses; renamed some commands; put $\sqrt{}$ instead of π on hotkey D.
1.9	14.12.09	Added two complex comparisons; swapped and changed labels in the top three rows of keys, dropped CLST; completed function descriptions in the index.
1.10	19.1.10	Added IMPFRC, PROFRC, ^c ENTER, αBEG, αEND, and an addressing table for items in catalogs; updated temporary alpha mode, display and indicators, RCLM and STOM, alpha-commands and the message table; renamed the exponential distribution; wrote the introduction.
1.11	21.9.10	Changed keyboard layout to bring Π and Σ to the front, relabeled binary log, swapped the locations of π , CLPR, and STATUS, as well as SF and FS?; created a menu TEST for the comparisons removed and the other programmable tests from P.FCN; added %MG, %+MG, %MRR, RESET, SSIZE4, SSIZE8, SSIZE?, C DROP, C FILL, C R $^{+}$, registers J and K, a table of contents and tables for stack mechanics and addressing in complex operations; updated memory and real number addressing tables, DECOMP, α OFF, α ON, Π , and Σ ; renamed ROUNDI, WSIZE?, β (x,y), Γ (x) and the constant ρ_0 ; deleted DROPY (use $x \leftrightarrow y$, DROP instead), α APP, α BEG, α END, and the "too long error" message; deleted Josephson and von Klitzing constants (they are just the inverses of other constants included in CONST already); brought more symbols on the alpha keyboard.
1.12	22.12.10	Modified keyboard layout; added catalogs MODE and PROB; changed mode word, catalog contents and handling (XEQ instead of ENTER), as well as some non-programmable info commands; expanded IMPFRC and PROFRC; added a paragraph about the fonts provided and explained alpha catalogs in detail; added PRIME? and some conversions; deleted FRACT, OFF and ON.
1.13	3.2.11	Modified keyboard layout; modified αTIME, radix setting, H.MS+ and H.MS-; added EVEN?, FP?, INT?, LZOFF, LZON, ODD?, RCLS, STOS, returned FRACT; added and renamed some conversions; updated the paragraph about display; added appendices A and B; baptized the device WP 34S.
1.14	18.3.11	Added DEC and INC, renamed FLOAT to DECM; redefined α TIME and H.MS mode; updated appendix A; documented the annunciators BEG and = as well as underflows and overflows in H.MS; corrected some errors showing up with the emulator.
1.15	21.3.11	Modified FIX, removed ALL from MODE, updated CONV.
1.16	27.3.11	Added LBL?, $f'(x)$, and $f''(x)$; modified PSE; upgraded catalog searching.

1.17	11	Modified keyboard layout for adding a fourth hotkey; added B _n , B _n *, Cauch, Lgnrm, Logis and their inverses, all the pdf, COV, CUBE, CUBERT, ENGOVR, SCIOVR, SERRw, sw,
		sxy, TICKS, TVM, VOLTS, xg, ϵ , ϵ _m , ϵ _p , σ w, $(-1)^X$, the polynomials, and three messages; renamed most cdf; removed ^C CLx, H.MS mode, %+ and %-; corrected errors.

