

3.0 Owner's Manual



This manual documents *WP 34S*. *WP 34S* is free software: you can redistribute it and/or modify it under the terms of the GNU General Public License as published by the Free Software Foundation, either version 3 of the License, or (at your option) any later version.

WP 34S is distributed in the hope that it will be useful, but without any warranty; without even the implied warranty of merchantability or fitness for a particular purpose. See the GNU General Public License for more details.

You should have received a copy of the GNU General Public License along with *WP 34S*. If not, please see <http://www.gnu.org/licenses/>.

This manual contains valuable information. It was designed and written in the hope that it will be read by you. Here is, however, first aid for those getting caught in an unexpected or unwanted calculator mode while playing before reading: **H.d** (i.e. **f** + **RCL**) will bring you back to default floating point mode.

For those who don't even read this: Sorry, we can't help you.

This is a preliminary manual. It may change without prior notice if the underlying software will be modified. Based on our experience in *WP 34S*, this occurred frequently so far – even basic modifications may happen. We recommend you keep watching the respective websites to stay informed.

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JUST IN CASE ...

... you still have your *HP-20b Business Consultant* or your *HP-30b Business Professional* sitting on your desk unchanged as produced for *HP*, please turn to [Appendix A](#) for some instructions how to convert it into a full fledge *WP 34S* yourself. Alternatively, if you don't want to bother with cables on your desk connecting it to your computer, with flashing the calculator firmware and attaching a sticky overlay, you may purchase e.g. a *HP-30b*-based *WP 34S* readily in the internet:

http://www.thecalculatorstore.com/epages/eb9376.sf/en_GB/?ObjectPath=/Shops/eb9376/Products/%22WP34s%20Pack%22

(We apologize for the small font – it allows this hyperlink fitting into one print line).

The first way may just cost your time, the second will cost you some money at the store. If you choose buying your *WP 34S* at the address mentioned, we (the developers) will get a modest fraction of the price. Both ways, however, are proven to work – it is your choice.

For the following, we assume the flashing is done and you hold a *WP 34S* in your hands.

WELCOME!

Dear user, now you have got it: your own *WP 34S*. It uses the mechanics and hardware of a *HP-20b Business Consultant* or a *HP-30b Business Professional*, so you benefit from their excellent processor speed. And with a *HP-30b* you get the famous rotate-and-click keys in addition, giving you the tactile feedback appreciated in vintage *Hewlett-Packard* calculators for decades.

On the other hand, the firmware and user interface of your *WP 34S* were thoroughly thought through and discussed by us, newly designed and written from scratch, loaded with functions, pressed into the little memory provided, and tested over and over again to give you **a fast and compact scientific calculator like you have never had before** – keystroke programmable and comfortably fitting in your shirt pocket.

The function set of your *WP 34S* is based on the famous *HP-42S RPN Scientific*, the most powerful programmable *RPN* calculator built so far¹. We expanded this set, incorporating the functionality of the renowned programmer's calculator *HP-16C*, the fraction mode of *HP-32SII*, probability distributions like featured by *HP-21S*, and added **many more useful functions for mathematics, statistics, physics, engineering, programming etc.** like

- + Euler's Beta and Riemann's Zeta functions, Bernoulli and Fibonacci numbers, Lambert's W, the error function as well as Chebyshev's, Hermite's, Laguerre's and Legendre's orthogonal polynomials, and testing for primality,
- + many statistical distributions and their inverses like Poisson, Binomial, Geometric as well as Cauchy-Lorentz, Exponential, Logistic, Weibull for reliability analysis, Lognormal and Gaussian with arbitrary means and standard deviations,
- + programmable sums and products, first and second derivatives,
- + extended date and time calculations based on a real time clock,
- + integer computing in arbitrary bases from binary to hexadecimal,

¹ Though *HP-42S* was sold in 1988 already, this statement holds still. – Due to hardware restrictions, the matrix operations of *HP-42S* cannot be supported by *WP 34S*. Matrices are covered, however, by a package of basic commands and several library routines here.

- + financial operations like mean rate of return and margin calculations,
- + 84 conversions, mainly from old Imperial to universal SI units and vice versa,
- + 50 fundamental physical constants as precise as known today by national standards institutes like NIST or PTB, plus a selection of important constants from mathematics, astronomy, and surveying,
- + Greek and extended Latin letter sets covering mathematical symbols and the languages of almost half of this planet (upper and lower case in two font sizes each).

WP 34S is the first RPN calculator overcoming the limits of a four-level stack – forget worries about stack overflow in calculations. It features a choice of two stack sizes expanded by a complex LASTx register: traditional four stack levels for *HP* compatibility, eight levels for convenient calculations in complex domain, advanced real calculus, vector algebra in 4D, or whatever application you have in your mind. You find a full set of commands for stack handling and navigation in either size.

Furthermore, your *WP 34S* features up to 112 global general purpose registers, 112 global user flags, a 30 byte alpha register for message generation, ≤ 928 program steps in *RAM*, several thousand steps in flash memory, 16 local flags and ≤ 144 local registers allowing for recursive programming, and 4 programmable hotkeys for your favorite functions or routines. Memory layout is user-settable to a large extent. And you may save your work in battery-fail-safe on-board backup memory, and communicate serially with a PC.

WP 34S is the result of a collaboration of two individuals, an Australian and a German, since 2008. We did this in our free time, so you may call it our hobby (though some people close to us found different names for this). From its very beginning, we discussed our project in the *Museum of HP Calculators* (www.hpmuseum.org), so we want to express our gratitude to all the international contributors there who taught us a lot and brought their ideas and support in several stages of our project. Special thanks go to Marcus von Cube (Germany) supporting us in bringing *WP 34S* to life, starting with an emulator for v1.14, allowing widespread use and convenient testing. From v1.17 on, the software runs on the real hardware as well. A very useful assembler / disassembler is supplied by Neil Hamilton (Canada) since v1.18 – even a symbolic preprocessor was added with v2.1. Most recently, Pascal Méheut (France) contributed a versatile flashing tool for various operating systems.

We baptized our baby *WP 34S* in honor of one of the most powerful LED pocket calculators, the *HP-34C* of 1979. *WP 34S* is our humble approach – with the hardware given – to a future *43S* we can only dream of becoming the successor of *HP-42S* once. May *WP 34S* help in convincing those having access to more resources than us: covering the market of serious scientific instruments is worthwhile.

We have carefully checked everything we could think of to our best knowledge, so our hope may be justified *WP 34S* is free of bugs. Anyway, we promise we will continue improving *WP 34S* whenever it turns out being necessary – so if you discover any strange result, please report it to us, and if it is revealed to be an internal error we will provide you with an update as soon as we have got one ourselves. We did show short response times so far, and we will continue this way.

Enjoy!

Paul Dale and Walter Bonin

PRINT CONVENTIONS

- Throughout this manual, standard font is Arial. Emphasis is added by underlining or bold printing. *Specific terms, names, titles or abbreviations* are printed in italics, *hyperlinks* in blue underlined italics. Bold italic letters like ***n*** are used for variables. Calculator commands are generally called by their names, printed in capitals in running text for easy recognition. Each and every command featured is listed in the [Index of Operations](#) below. Lower case italic Times New Roman is for *units*.
- This **[CPX]** font is taken for explicit references to calculator keys. Alphanumeric (like Hello!) and numeric displays (like 12,34) are quoted using the respective calculator fonts..
- **Register addresses** are printed using bold Times New Roman capitals, while lower case italic letters of this font are employed for *register contents*. So e.g. *y* lives in stack register **Y**, **r45** in general purpose register **R45**, and **alpha** in the alpha register, respectively. Overall stack contents are quoted in the order [*x, y, z, ...*] generally.

All this holds unless stated otherwise explicitly. Finally: **WARNING** flags a risk of severe errors. As far as we know driving your *WP 34S* in a lockup state is the worst that can happen to it. Please behave, think, and act responsibly!

GETTING STARTED

If you know how to deal with a good old *Hewlett-Packard RPN* scientific calculator, you can start with your *WP 34S* right away. Use the following as a reference manual.

Else we recommend you get an *HP-42S Owner's Manual*. It is available at low cost on a DVD distributed by the *Museum of Hewlett-Packard Calculators* (www.hpmuseum.org). There are also other sources in the internet.

Please read Part 1 of said manual as a starter. This part includes an excellent introduction to *RPN* – a very effective method for calculations. Once you got used to it you will most probably never employ a calculator featuring **=** again.

Part 2 of said manual will support you when you are heading for programming your *WP 34S* for quick and easy handling of repeated or iterative computations. Further documentation, also about the other calculators mentioned in this manual, will add valuable information – it is all readily accessible on a single DVD from said source.

Most traditional commands on your *WP 34S* will work as they did on *HP-42S*. This little manual here is meant as a supplement presenting you all the new features. It contains the necessary information including some formulas and technical explanations but is not intended to replace textbooks about mathematics, statistics, physics, engineering, programming, or the like.

Your *WP 34S* is designed to help you in calculations and computations. It is, however, just a tool – though a very powerful one – it cannot think for you nor can it check the sensibility of the problem you apply it to. Gather information, think before keying in and check your results: these tasks will remain yours always.

The following text starts presenting you the user interface as it will be active in various modes, so you know where to find what you are looking for. It continues demonstrating some basic methods, the calculator memory and addressing items therein, as well as the display and indicators giving you feedback about what is going on. Then the major part of this booklet is taken by an index of all operations featured and how to access them, as well as lists of catalog contents including the constants and conversions featured. This manual closes with some special topics in the appendices, e.g. a list of messages your *WP 34S* will return if abnormal conditions prevent it from executing your command as expected.

THE USER INTERFACE

Start exploring your *WP 34S*: Press the bottom left key to turn it on. Notice that **ON** is printed below that key. To turn it off, press **h** (notice the little **h** showing up in display), then **EXIT** (which has **OFF** printed on its lower part). Since your *WP 34S* has *Continuous Memory*, turning it off does not affect the information you have stored. To conserve battery energy, your *WP 34S* shuts down 5 minutes after you stop using it – when you turn it on again, you can resume working right where you left off.

If you turn on your *WP 34S* the very first time, you will get what you see below.

To adjust the display contrast, hold down **ON** while you press **+** or **-**.



Keyboard Basics

Most keys of your *WP 34S* feature five functions. White print is for the *primary* function of the respective key, colored print for *secondary* functions: Green labels are put on the slanted lower faces of 34 keys, golden and blue labels are printed below of them on the *key plate*. Grey letters are bottom left of 26 keys.

To access a white label, just press the corresponding key (thus it is called the *primary* function). For a golden, blue, or green label, press the *prefix* **f**, **g**, or **h**, respectively, then the corresponding key. Take the key **5** for example. Pressing

- **5** will enter the digit 5 in display,
- **f 5** will calculate the arithmetic mean values of data accumulated in the statistic registers via **X**,
- **g 5** will compute the standard deviations for the same data via **S**,
- **h 5** will open a *catalog* (i.e. a set) of extra statistical functions via **STAT**. All labels printed underlined point to catalogs.
- The grey letter **R** will become relevant in *alpha mode*, i.e. for input of text.

f, **g**, and **h** allow for easily accessing a multiple of the 37 primary functions this hardware can take. The active prefix is indicated by **f**, **g**, or **h** in the upper half of the display for visual feedback. You may hold down **f**, **g**, or **h** if you want to call several functions in sequence showing the same color.

Any numeric input will just fill the display and is interpreted when completed, not earlier.

Time for a little example. Turn your WP 34S on again if necessary – it may have shut off automatically in the meantime. Anyway it will still show its last display



Now let us assume you want to fence a little patch of land, 40 *yards* long and 30 *yards* wide², rectangular shape. You have set the first corner post (A) already, and also the second (B) in a distance of 30 *yards* from A. Where do you place the third post (C) to be sure setting up the fence forming a proper rectangle? Simply key in³

4 0	40
ENTER↑	40. (this key separates the two numbers in input here)
3 0	30
→P	50. (→P is reached by pressing g , then →)

So, just take a 90 *yards* rope, nail its one end on post A and its other end on B, fetch the loose loop and walk 40 *yards* away. As soon as both parts of the rope are tightly stretched, stop and place post C there. You may set the fourth post the same way.

This method works for arbitrary rectangles. As soon as you press **→P**, your WP 34S does the necessary calculations for the diagonal automatically for you. Of course it will calculate as well whatever other distances may apply in your case. You just care for the land, the rope, hammer and nails. And it will be up to you to set the posts!

In this example, pressing **→P** calls the function →POL. Most labels printed on your WP 34S correspond to functions carrying simply the same name – there are only a few cases like **→P**. Let us introduce them to you, starting top left on the keyboard:

- **A**, **B**, **C**, and **D** are named *hotkeys*, since they directly call the user programs carrying these labels. If the respective labels are not defined (yet), these keys act as **Σ+**, **1/x**, **y^x**, or **↔x**, respectively.
- **HYP** is the prefix for hyperbolic functions SINH, COSH, and TANH, as **HYP⁻¹** is for their inverses ASINH, ACOSH, and ATANH. In analogy, **SIN⁻¹** stands for ASIN, etc.

² This manual is written for an international readership, and we very well know the SI system of units agreed on internationally and adopted by almost all countries on this planet. Despite this fact, we use Imperial units here making it easier for our US-American readers to follow. But see remark 1 at the bottom of next page.

³ Generally, we shall quote just the numeric displays in the following. And we will refer to keyboard labels in this text using dark print on white like e.g. **EEX** or **π**, omitting the prefix **h** for the latter since redundant. Also starting here, a point will be used as radix mark, although significantly less visible than a comma, unless specified otherwise explicitly. By experience, the „comma people“ seem to be more capable to read radix points and interpret them correctly than vice versa.

- \rightarrow trailed by **H.MS**, **H.d**, **DEG**, **RAD**, or **GRAD** will convert x , i.e. the value currently displayed, accordingly. The respective function names look like $\rightarrow H.MS$. \rightarrow trailed by **2**, **8**, or **16** will display x converted to an integer of the respective base until the next keystroke. \rightarrow is also used for indirect addressing generally.
- **R \leftarrow** converts polar to rectangular coordinates in two dimensions (see $\rightarrow REC$), **$\rightarrow P$** converts vice versa. So the pair **R $\leftarrow\rightarrow P$** covers the two classic coordinate transformations.
- **CPX** is mainly used for calling complex operations. See the respective paragraph [below](#) for more.
- **a b/c** and **d/c** enter the fraction mode for proper or improper fractions, respectively (see PROFRC and IMPFRC).
- **H.MS** and **H.d** represent the classic two time modes, where **H.d** stands for decimal hours and also for floating point numbers in general (see DECM).
- **LG** returns the logarithm for base 10, **LB** does it for base 2. Note there is a general logarithm command featured as well.
- **α** enters *alpha mode*, while **2**, **8**, **10**, or **16** enter *integer modes* for calculating with binary, octal, decimal, or hexadecimal numbers (see next pages).
- **!** calls $x!$ in default floating point mode. **|x|** calls ABS, and **RND** calls ROUND.
- There are three toggles: **.**/**.** for radix marks (see RDX, and RDX.), **P/R** for programming mode, and **↑** for upper and lower case in alpha mode.

These are all the special labels featured. You will find a complete list of all commands provided, the keystrokes calling them, and the necessary individual explanations in the [index of operations](#) below for your reference.

Let us return to our introductory example ⁴ for two remarks:

1. There is no need to enter any units in your calculations. The example will work with e.g. *meters* as well. Just stay within a consistent set of units and you will get meaningful results within this set. If you want to convert results from one unit to another for any reason whatsoever, see the catalog CONV described further below.
2. Although we entered integer numbers only for both sides of our little ground, the calculation was executed in default floating point mode of your *WP 34S*. This allows for decimal fractions of e.g. yards in input and output as well. Another mode lets you enter proper fractions like e.g. $6 \frac{1}{4}$ where you need them. Your *WP 34S* features more modes – we want to briefly introduce some of them to you (a complete survey of all modes provided is in a separate chapter further [below](#)).

⁴ Generally, we assume you have finished US High school at least, passed Abitur, Matura or equivalent. So we will not explain basic mathematical rules and concepts here. And in four decades of scientific pocket calculators, a wealth of funny to sophisticated application examples was created and described by different authors – more and better than we can ever invent ourselves. It is not our intention to copy them. Instead, we recommend the DVD mentioned [above](#) once again: it contains nearly all the user guides, handbooks, and manuals of vintage *Hewlett-Packard* calculators from the *HP-35* on. Be assured that almost everything described there for any scientific calculator can be done on your *WP 34S* significantly faster – and often even in a more elegant way.

Integer Modes and the Top Row of Keys

These modes are meant to deal with integers only – in input, output, and calculations. This is useful for computer logic and applications alike – typical applications of an *HP-16C*, for example. Your *WP 34S* allows for binary, ternary, etc. through hexadecimal integer computing (see BASE). The exact mode you are in is shown as described in detail [below](#).



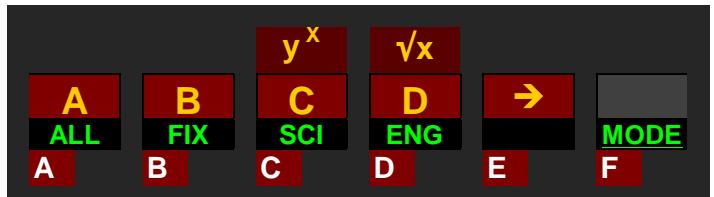
In integer modes, functions like SIN make no sense for obvious reasons. Thus, for integer bases ≤ 10 , the keyboard of your *WP 34S* will look virtually as shown left (where labels headed by a red arrow will leave integer modes when called).

For base 16, on the other hand, primary functions of the top six keys will be reassigned automatically, becoming direct numeric input. So this row will then look virtually as shown in the picture below.

Dark red background is used to indicate changed key functionality here – this holds for following pictures of this kind as well.

White print in the picture will denote primary functions always, like the top right key entering the digit F in base 16 directly. What is printed white on the physical device, is called a default primary function.

Wherever a default primary function is not primary anymore after reassignment, prefix **f** will allow for accessing it (e.g. **f** **D** will call **fx** here⁵).



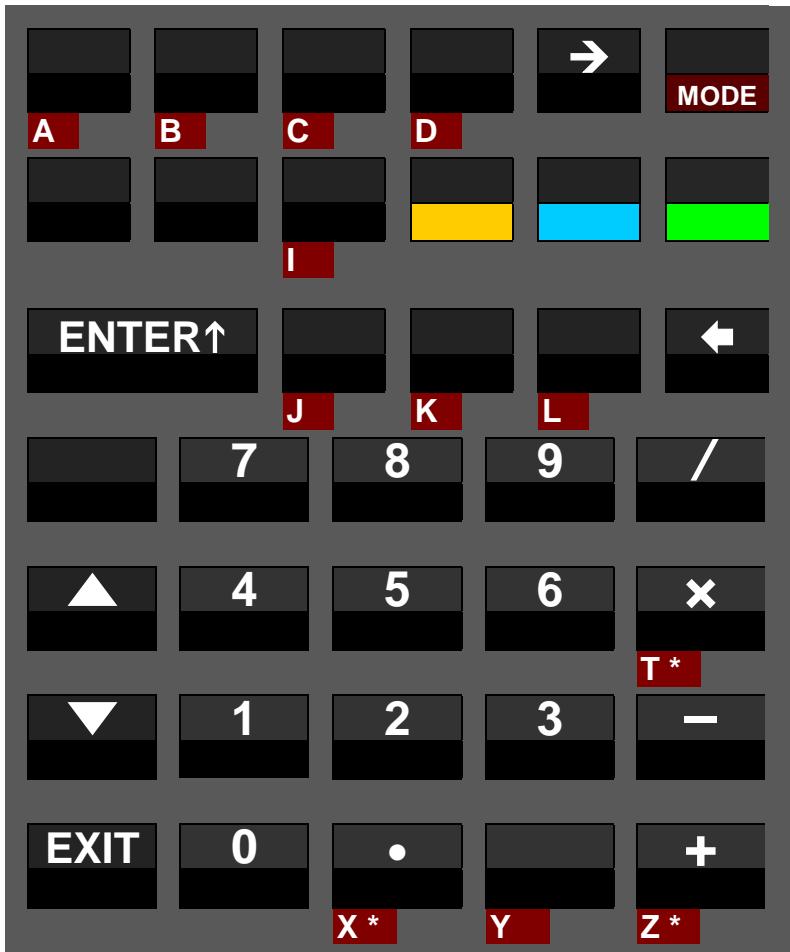
To ease operation in different modes, pressing any key (or a sequence of prefix(es) and a key) will display its present assignment in the top line for checking. Holding down the last key for >0.5 seconds, the display will fall back to NULL and no operation will be executed.

Calculating in bases 11 ... 15, those keys not needed for numeric input will work as shown in the first picture above. In any integer base, attempts to enter an illegal digit from the keyboard – like e.g. 4 in binary – will be blocked.

⁵ In such cases, operations printed golden on the key plate cannot be called anymore. This means for the key **D**, for example, we cannot access **TAN** in hexadecimal mode – a loss not hurting us anyway. Reassignments are generally chosen this way. – Please note **D** may call a program if defined.

Keyboard Reassignment in Transient Alpha Mode (α_T)

This mode is entered during input processing in comparisons and in memory addressing, e.g. during storing and recalling, and also by two browsers, regardless of the mode set before. Examples are shown [below](#). See the respective virtual keyboard here:



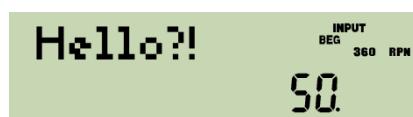
Note all keys are primary in α_T mode – no shift keys are needed. This allows for fast and easy input of a limited character set.

Special rules apply for T, X, and Z here – see [below](#).

α_T mode will be terminated (returning to the mode set before) as soon as sufficient characters are put in for the respective step. Pending input may be canceled and α_T mode left early by **EXIT**.

The Virtual Keyboard in Full Alpha Mode

Alpha mode is designed for text entry, e.g. for prompts. In this mode, the alpha register is displayed in the upper part of the LCD, and the numeric line (kept from your last calculation) is accessible by commands only. The display may look like this:



In alpha mode, most mathematical operations are neither necessary nor applicable. So the keyboard is reassigned automatically when you enter alpha mode, as shown overleaf.



All labels printed on **red background** here append corresponding characters to *alpha* directly or via alpha catalogs. Note four new catalogs become active in this mode. See the keys **→** and **CPX**, and the labels **R↑** and **./.** on your WP 34S.

Those labels printed on **darker red background** changed their functionality in other ways. See the keys **STO**, **RCL**, and **R/S**, as well as the labels **VIEW** and **CLx**.

Within alpha mode, primary function of most keys becomes appending the letter printed bottom left of this key – grey on the key plate – to *alpha*. **PSE** appends a space. When *alpha* exceeds 30 characters, the leftmost character(s) are discarded. Alpha mode starts with capital letters, and **↑** toggles upper and lower case. As in integer modes, **f** will access default primary functions wherever necessary⁶.

Looking at the standard labels on the keyboard, we can safely offer you even more in this mode: All labels printed on **dark blue background** overleaf append characters to *alpha* as well. They are related to the labels printed on your WP 34S keyboard at these locations, but deviate from them. Prefix **g** leads to homonymic Greek letters where applicable⁷. And **h** allows accessing logic symbols via the Boolean operations.

⁶ The digits 0 and 1 may also be called using **f 0** or **f 1**, respectively.

⁷ “Homonymic” according to ancient Greek pronunciation. And we assigned **Gamma** also to **C** due to the alphabet, and **Chi** to **H** since this letter comes next in pronunciation. Three Greek letters require special handling: **Psi** is accessed via **g 0** (below **PSE**), **Theta** via **g 1** (below **TEST** and following ‘T’), and **Eta** via **g ENTER↑**. **Omicron** is not featured since looking exactly like the Latin letter ‘O’ in either case. Where we printed Greek capitals with lower contrast, they look like the respective Latin letters in our fonts. Greek professors, we count on your understanding.



The alpha catalogs called by $f \rightarrow$, $f CPX$, $R\uparrow$, $TEST$, and $./.$ feature even more characters (see [below](#)). Check the [index of operations](#) for αSTO , αRCL , $VW\alpha+$, and more alpha commands.

Nevertheless we will not forget your WP 34S is mainly paid for working as a [calculator](#).

CALCULATING

Most of the commands your *WP 34S* features are mathematical operations or functions in real domain. “Real domain” means these functions use real numbers like 1 or 2.34 or π or 5.6E-7, and work with them. Note that integer numbers like 8, 9, 10, or -1 are just a subset of real numbers.

Many real number functions provided operate on one number only. For example, key in

. **4** **9** 0.49

and press

✓x 0.7 since $0.7^2 = 0.49$

Generally, such functions replace x (the value displayed) by the function result $f(x)$.

Some of the most popular mathematical functions, however, operate on two numbers. Think of + and -, for example. Assume having an account of 1,234 \$ and taking 56.7 \$ away from it. What will remain? One easy way to solve such a task works as follows:

On a piece of paper

Write down the 1st number: **1234**

Go to next line,
write down the 2nd number: **56.7**

Subtract: **1177.3**

On your *WP 34S*

Key in the 1st number: **1** **2** **3** **4** 1234

Terminate 1st input,
key in the 2nd number: **5** **6** **.** **7** 56.7

Subtract: **-** 1177.3

That's the essence of RPN: Enter the necessary operands, then execute the requested operation.

As the paper holds your operands before you calculate manually, a place holding your operands on your *WP 34S* is required. The *stack* does that. It will also take care of intermediate results, if applicable, as your paper may do.

Think of the stack like a pile of registers (pictured on next page): bottom up, they are named **X**, **Y**, **Z**, **T** for tradition, optionally followed by **A**, **B**, **C**, and **D** on your *WP 34S*. New input is always loaded in **X**, and only x is displayed on your *WP 34S*. **ENTER↑** terminates numeric input and copies x into **Y**⁸, so **X** can take another input then. Having completed that second input, **-** subtracts x from y and puts the result $f(x, y) = x - y$ in **X** for display. This method applies for most two-number real functions.

Stack Mechanics

For the first time ever in a calculator, your *WP 34S* offers a choice of 4 or 8 stack levels. Thus, the fate of stack contents depends on the particular operation executed, its domain and the stack size chosen. Real functions in a 4-level stack work as known from vintage RPN calculators for decades. In the larger stack of your *WP 34S*, everything works alike – just with more levels for intermediate results. Please turn overleaf for details.

⁸ It is often said ENTER ‘pushes x on the stack’. By doing so, it also lifts the higher stack contents. See next page for details.

Level	Assumed stack contents at the beginning:	Stack contents <u>after</u> executing the stack register operations							... functions of ... one number like x^2		... two numbers like $/$	
		ENTER	FILL	DROP	$x \leftrightarrow y$	R↓	R↑	LASTx				
With 4 stack levels	T $t = 44.4$	33.3	11.1	44.4	44.4	11.1	33.3	33.3	44.4	44.4	44.4	
	Z $z = 33.3$	22.2	11.1	44.4	33.3	44.4	22.2	22.2	33.3	33.3	44.4	
	Y $y = 22.2$	11.1	11.1	33.3	11.1	33.3	11.1	11.1	22.2	22.2	33.3	
	X $x = 11.1$	11.1	11.1	22.2	22.2	22.2	44.4	last x	123.21	123.21	2	
With 8 stack levels	D $d = 88.8$	77.7	11.1	88.8	88.8	11.1	77.7	77.7	88.8	88.8	88.8	
	C $c = 77.7$	66.6	11.1	88.8	77.7	88.8	66.6	66.6	77.7	77.7	88.8	
	B $b = 66.6$	55.5	11.1	77.7	66.6	77.7	55.5	55.5	66.6	66.6	77.7	
	A $a = 55.5$	44.4	11.1	66.6	55.5	66.6	44.4	44.4	55.5	55.5	66.6	
	T $t = 44.4$	33.3	11.1	55.5	44.4	55.5	33.3	33.3	44.4	44.4	55.5	
	Z $z = 33.3$	22.2	11.1	44.4	33.3	44.4	22.2	22.2	33.3	33.3	44.4	
	Y $y = 22.2$	11.1	11.1	33.3	11.1	33.3	11.1	11.1	22.2	22.2	33.3	
	X $x = 11.1$	11.1	11.1	22.2	22.2	22.2	88.8	last x	123.21	123.21	2	

Please note stack register contents will drop when a two-number function is executed. The content of the top stack level is repeated then (since there is nothing available above for dropping). You may employ this top level repetition for some nice tricks.

Using the stack, RPN makes parentheses obsolete as well. There is no operator precedence. Here is an example:

$$\frac{1 + \left| \left(\frac{30}{7} - 7.6 \times 0.8 \right)^4 - \left(5.1 - \frac{6}{5} \right)^2 \right|^{0.3}}{\left\{ \sin \left[\pi \left(\frac{7}{4} - \frac{5}{6} \right) \right] + 1.7 \times (6.5 + 5.9)^{3/7} \right\}^2 - 3.5}$$

7 ENTER 4 / 5 ENTER 6 / - π × SIN
 6.5 ENTER 5.9 + 3 ENTER 7 / y^x 1.7 × +
 x^2 3.5 -
 7.6 +/- ENTER .8 × 30 ENTER 7 / + 4 y^x
 6 ENTER 5 / 5.1 - x^2
 - |x| .3 y^x 1 +
 x^2y / \sqrt{x}

$\sin \left[\pi \left(\frac{7}{4} - \frac{5}{6} \right) \right]$
 {...}
 complete denominator
 $(30/7 - 7.6 \times 0.8)^4$
 $(5.1 - 6/5)^2$
 complete numerator
 complete result

This solution requires only four stack levels as indicated by the colors above. Note there are no ‘pending operations’ – each operation is executed individually, one at a time, allowing perfect control of each and every intermediate result.

Calculating formulas from inside out stays a wise strategy. With eight levels, however, stack overflow will hardly ever happen, even with the most advanced formulas you compute in your life as a scientist or engineer. Let your *WP 34S* do the arithmetic while you do the mathematic!

Error recovery even in long calculations is most easy in *RPN* since supported by LASTx: the special register **L** is loaded with x automatically every time just before a function is executed.

If you have executed a wrong one-number function, just invert it. Generally, the inverses are placed next to the original operations on the keyboard. If e.g. – instead of pressing **SN** above – you hit **COS**, just call **COS⁻¹** to undo the error, restoring the stack exactly as it was before, then continue calculating with **SN** as you would have done without that mistake.

The procedure for two-number functions requires three steps most times:

Example: Assume watching an attractive fellow student or collaborator you pressed **/** accidentally instead of **X** in the second last step of the example on last page. Murphy’s law! Do you have to start the calculation all over now? No, that error is easily undone by the following three steps:

- RCL L** recalling the complete numerator, the last content of **X** before the error,
- X** undoing the erroneous operation by executing its inverse,
- RCL L** regaining the stack exactly as it was before the mistake.

Now simply continue calculating **X** **✓X** (as you would have done without that mistake) and you will get the correct complete result⁹.

There are also a few three-number real functions featured by your *WP 34S* (e.g. →DATE and %MRR) replacing x by the result $f(x, y, z)$. Then t drops into **Y** and so on, and the content of the top stack level is repeated twice.

Some real functions (e.g. DECOMP or DATE→) operate on one number but return two or three. Other operations (like RCL or SUM) do not consume any stack input at all but just return one or two numbers. Then these extra numbers will be pushed on the stack, taking one level per real number

⁹ This works for **X**, **+** and **-** as well. Advanced functions may require more effort for error recovery:
E.g. an erroneous **Y^X** needs **RCL L** **ENTER↑** **R↓ 1/x** **Y^X** **R↑** to restore the stack as it was before.
An erroneous **LOG_x** requires **RCL L** **ENTER↑** **R↓ x^{>y}** **Y^X** **R↑** instead.

More complex operations like **II**, COMB, PERM, etc. are easier recalculated than inverted.

In recovering from such errors, you will lose the previous content of the top stack register at least – another reason for an 8-level stack where you simply do not have to bother about such losses except in very rare special cases.

Some Special Functions: Statistical Distributions, Probabilities etc.

You will find a lot of statistical functions built in your *WP 34S*, going far beyond the Gaussian distribution. Many preprogrammed operations are implemented here for the first time ever in an *RPN* calculator – we packed e.g. all distributions in we always had missed. All of these functions have a few features in common:

- Discrete statistical distributions (e.g. Poisson, Binomial) are confined to integers. Whenever your *WP 34S* sums up a probability mass function (*pmf*¹⁰) $p(n)$ to get a cumulated distribution function (*cdf*) $F(m)$ it starts at $n = 0$. Thus,

$$F(m) = \sum_{n=0}^m p(n) = P(m) .$$

- Whenever your *WP 34S* integrates a function, it starts at the left end of the integration interval. Thus, integrating a continuous probability density function (*pdf*) $f(x)$ to get a *cdf* $F(x)$ typically works as

$$F(x) = \int_{-\infty}^x f(\xi) d\xi = P(x) .$$

- Typically, F starts with a very shallow slope, becomes steeper then, and runs out with a decreasing slope while slowly approaching 100%. Obviously you get the most precise results on the left side of the *cdf* using P . On its right side, however, the *error probability* $Q = 1 - P$ is more precise: since P comes very close to 100% there, you may see 1.0000 displayed while e.g. $P = 0.99996$ in reality.
- On your *WP 34S*, with an arbitrary *cdf* named **XYZ** you find the name **XYZ⁻¹** for its inverse (the so-called *quantile function*) and **XYZ_P** for the *pdf* or *pmf*.

This naming convention holds for **Binomial**, **Cauchy** (a.k.a. Lorentz, Breit-Wigner), **Exponential**, Fisher's **F**, **Geometrical**, **LogNormal**, **Logistic**, **Normal**, **Poisson**, Student's **t**, and **Weibull** distributions. Chisquare and Standard Normal (Gaussian) distributions are named differently. Please see the [index](#) and the [catalog PROB](#).

There is also a wealth of commands for sample and population statistics in one and two dimensions featured. Please see the [index](#) and the [catalog STAT and SUMS](#). Please take a short look to two applications.

¹⁰ In a nutshell, discrete statistical distributions deal with “events” governed by a known mathematical model. The *pmf* then tells the probability to observe a certain number of such events, e.g. 7. And the *cdf* tells the probability to observe up to 7 such events, but not more.

For doing statistics with continuous statistical variables – e.g. the heights of three-year-old toddlers – similar rules apply: Assume we know the applicable mathematical model. Then the respective *cdf* tells the probability for their heights being less than an arbitrary limit value, for example less than 1m. And the corresponding *pdf* tells how these heights are distributed in a sample of let's say 1000 children of this age.

WARNING: This is a very coarse sketch of this topic only – please turn to good textbooks about statistics to learn dealing with it properly.

The terms *pmf* and *pdf* translate to German „Dichtefunktion“ or „Wahrscheinlichkeitsdichte“, *cdf* to „Verteilungsfunktion“ or „Wahrscheinlichkeitsverteilung“.

For example, calculating confidence limits for the ‘true value’, based on sample analysis, employing a particular confidence level (e.g. 95%), you must know your objective:

- Do you want to know the upper limit, below of which the ‘true value’ will lie with a probability of 95%? Then take 0.95 as the argument of the *inverse cdf* to get said limit – but remember there is an inevitable chance of $100\% - 95\% = 5\%$ for the ‘true value’ being greater than that calculated limit. And 5% is no less than one in twenty!
- Do you want both upper and lower limits confining the ‘true value’? Then there will be an inevitable chance of $5\% / 2 = 2.5\%$ for said value being less than the lower limit and an equal chance for it being greater than the upper limit. So you shall take 0.025 and 0.975 as arguments in two subsequent calculations using the *inverse cdf* to get both limits below and above of the sample result.

Once again: these chances¹¹ are an inevitable consequence of the fact that you know something about a sample only (being a limited number of specimens drawn from a population), but want or have to tell something about said total population. If you cannot live with these chances, do not blame statistics.

Another application: Assume you have taken samples out of a process at day 1, then changed the process parameters, waited for stabilization, and now taken samples again at day 2. Being serious, you have thoroughly measured and recorded the critical value (e.g. a characteristic dimension) for each specimen, and of course the sample sizes n_1 and n_2 . Do the results of both days show any *significant difference* at all? The following simple test is well established and may easily save you some embarrassments in or after your next presentation¹²:

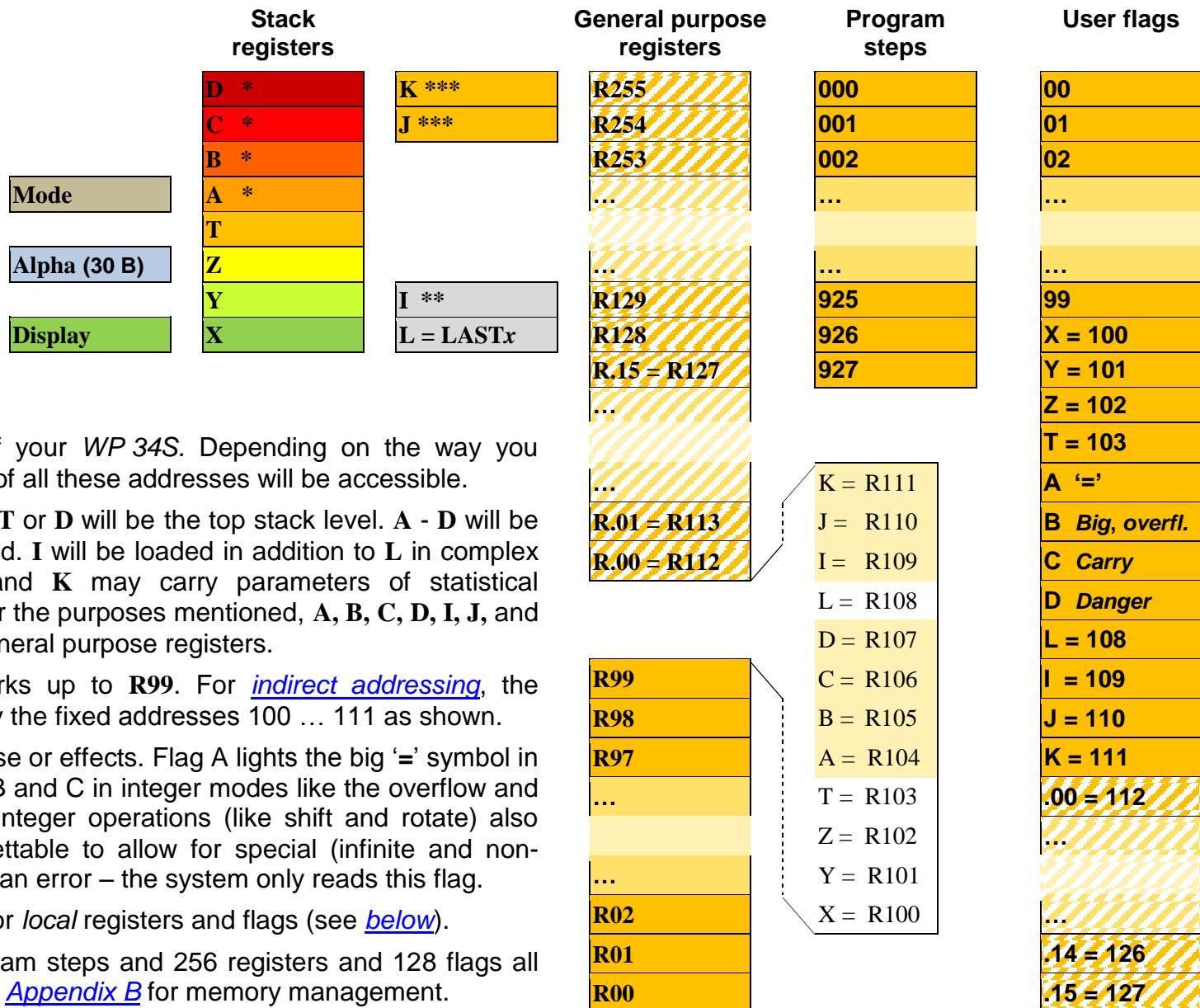
1. Calculate the mean values and standard errors for both samples (see \bar{x} , SERR).
Then compute $d = \frac{|\bar{x}_1 - \bar{x}_2|}{\sqrt{s_{E1}^2 + s_{E2}^2}}$ and $c = \frac{s_{E1}^2}{s_{E1}^2 + s_{E2}^2}$, then $f = \left[\frac{c^2}{n_1 - 1} + \frac{(1-c)^2}{n_2 - 1} \right]^{-1}$
(please note $f = n_1 - 1$ for equal sample sizes $n_1 = n_2$).
2. Calculate the critical limit t_{cr} of *Student's t* for a probability of 97.5% and f degrees of freedom (see $t^{-1}(p)$). If $t_{cr} > d$ then the test indicates the difference of both results being due to random deviations only.
3. Calculate a new critical limit t_{cs} for 99.5% and f . If $t_{cs} \leq d$ then the test indicates a significant difference between both results. Else you cannot decide – your samples may contain too less data or your measurements were not precise enough.

We strongly recommend you turn to a good statistics textbook for more information about statistical methods, the terminology used, and the mathematical models provided.

¹¹ These chances are also called ‘probabilities of a type I error’ or ‘probabilities of an error of the first kind’. By the way, ‘confidence limit’ translates to German “Grenze des Vertrauensbereichs”, ‘confidence level’ to „Vertrauenniveau“, and ‘type I error’ to “Fehler 1. Art”.

¹² This test goes back to DGQ (*Deutsche Gesellschaft für Qualität*). It assumes your data are drawn from a Gaussian process, which is a frequent case in real life (but needs to be checked). Note the term ‘significant’ is well defined in statistics – this definition may deviate from common language. Generally, standard confidence limits and levels, also those defined for indicating *significant differences*, may depend on the country or industry you are working in. Be sure to check the applicable valid standards.

MEMORY AND ADDRESSING



This is the **address space** of your *WP 34S*. Depending on the way you configure its memory, a subset of all these addresses will be accessible.

Offering two stack sizes, either **T** or **D** will be the top stack level. **A - D** will be allocated for the stack if required. **I** will be loaded in addition to **L** in complex calculations (see [below](#)). **J** and **K** may carry parameters of statistical distributions. Unless required for the purposes mentioned, **A, B, C, D, I, J, and K** are available as additional general purpose registers.

Direct numeric addressing works up to **R99**. For [indirect addressing](#), the lettered registers and flags carry the fixed addresses 100 ... 111 as shown.

Some user flags have special use or effects. Flag **A** lights the big '=' symbol in display. The system sets flags **B** and **C** in integer modes like the overflow and carry bits of *HP-16C* – some integer operations (like shift and rotate) also read flag **C**. Flag **D** is user-settable to allow for special (infinite and non-numeric) results without getting an error – the system only reads this flag.

Addresses ≥ 112 may be used for *local* registers and flags (see [below](#)).

Note you will not get 928 program steps and 256 registers and 128 flags all together at the same time – see [Appendix B](#) for memory management.

Addressing Real Numbers

1	User input Dot matrix display	x=? , x≠? , x≤? , x≤? , x≥? , or x≥? OP _ ? (with α_T mode set), e.g. x≥_?		
2	User input DMD	0 or 1 OP n ? e.g. x≤0?	<i>Stack level or named register</i> [Y] , [Z] , ..., [K] OP? x e.g. x≥? [Y]	ENTER↑ ¹³ leaves α_T mode OP? _
3	User input DMD	Compares x with the real number 0 .	Compares x with the number on stack level Y .	Register number 00 ... 99 , .0015 , if the respective registers are allocated. OP? nn e.g. x≠? 23

Compares x with the number stored in **R23**.

See next page for more about indirect addressing.

¹³ You may skip this keystroke for numbers >19 or local registers. The latter start with a **[** – see the chapter about programming and *Appendix B* below.

1	User input DMD	RCL , STO , RCLS , STOS , aRCL , aSTO , VIEW , VWa+ , xΣ , DSE , ISG , DSE , DSZ , ISE , ISZ , KEY? , ALL , FIX , SCI , ENG , DISP , BASE , bit or flag commands, etc. OP _ (with α_T mode set), e.g. RCL _ ¹⁴	
2	User input DMD	<i>Stack level or named register</i> X , Y , Z , ..., K ¹⁵ OP x e.g. SF K	<i>Number of register or flag or bit(s) or decimals</i> (see below for valid ranges) OP nn e.g. SF 15
3	User input DMD	Sets flag 111. <i>Stack level or named register</i> X , Y , Z , ..., K OP→ x e.g. VIEW→L	<i>Register number</i> 00 ... 99 , .0015 , if the respective registers are allocated. OP→ nn e.g. STO→45

Shows the content of the register where **L** is pointing to.

Stores *x* into the location where **R45** is pointing to.

Type	Number range ¹⁶ (some more registers and flags carry letters)	} upper limits depend on allocation
Registers	0 ... 99 for direct addressing of global registers .015 for direct addressing of local registers 0 ... 255 for indirect addressing	
Flags	0 ... 99 for direct addressing of global flags .015 for direct addressing of local flags if allocated 0 ... 127 for indirect addressing (≤ 111 without local flags)	
Decimals	0 ... 11	
Integer bases	2 ... 16	
Bits	0 ... 63, word sizes up to 64 bits	

¹⁴ For **RCL** and **STO**, any of **+**, **-**, **(X)**, **(/)**, **(▲)**, or **(▼)** may precede step 2, except in **RCL MODE** and **STO MODE**.

Note **VIEW** **α** calls **aVIEW** and **ENG ENTER↑** calls **ENGOVR**, while **SCI ENTER↑** calls **SCIOVR**. See the index of operations.

¹⁵ Exceptions: RCL T, RCLx T, RCL X, RCL Z, and RCL+ Z require a leading **ENTER↑** here, e.g. **RCL + ENTER↑ Z** for the latter. This holds for STO as well.

¹⁶ For short numbers, you may key in e.g. **5 ENTER↑** instead of **05**.

Advanced Calculations: Real Matrices and Vectors

Numbers arranged in a flat grid like in a table are called *matrices* by mathematicians. If you do not know matrices yet, feel free to leave them aside – you can use your *WP 34S* perfectly without them.

Else please note your *WP 34S* features a set of operations for adding, multiplying, inverting and transposing matrices, as well as for manipulating rows in such matrices. In general, the respective commands are building blocks designed to provide the low level support routines for creating more useful matrix functions as keystroke programs. I.e. they represent the basic linear algebra subprograms of the *WP 34S* matrix support. On the other hand, there are also functions featured for computing determinants as well as for solving systems of linear equations.

A matrix is represented within your *WP 34S* by its *descriptor*, formatted `bb.rrcc` with

rr being the number of rows and

cc the number of columns it features. Thus the matrix has $rr \times cc$ elements.

These elements are stored in consecutive registers starting at base address **|bb|**.

Example: A descriptor 7.0203 represents a 2×3 matrix – let us call it (M) . As you know, its six elements are arranged in two rows and three columns, and they are numbered as follows:

$$(M) = \begin{pmatrix} m_{11} & m_{12} & m_{13} \\ m_{21} & m_{22} & m_{23} \end{pmatrix}$$

The matrix descriptor tells us where we find the values of these elements:

$$m_{11} = r07, m_{12} = r08, m_{13} = r09, m_{21} = r10, m_{22} = r11, \text{ and } m_{23} = r12.$$

Depending on the current contents of these registers, the actual matrix may look like this:

$$(M) = \begin{pmatrix} 2.3 & 0 & 7.1 \\ 0.4 & 8.5 & 6.9 \end{pmatrix}, \text{ for example.}$$

If **cc** is omitted in a descriptor, it is set to **rr** so a square matrix is assumed. E.g. a descriptor 13.04 belongs to a 4×4 matrix with its elements stored in **R13** through **R28**. The maximum number of matrix elements is 100 – it is the number of general purpose registers available for such tasks.

Please see the [index](#) and the [catalog MATRIX](#) for all commands featured.

ATTENTION: Your *WP 34S* cannot know whether a particular real number is a descriptor or a plain number. It is your task to take care of that.

A *vector* may be regarded as a special case of a matrix featuring either one row or one column only. Thus, a vector descriptor looks like `bb.01cc` or `bb.rr01`.

If you just want to do vector operations in a plane, there are simple alternatives (known for long from earlier calculators) to full fledged descriptor controlled computations: enter the Cartesian components of each vector in **X** and **Y** (after converting polar components into Cartesian ones by →REC, if necessary) and choose one of the following two alternative opportunities for adding or subtracting:

1. use $\Sigma+$ or $\Sigma-$ and recall the result via SUM, or
2. calculate in *complex domain* (see next paragraph). Even products of two vectors can be calculated here using the commands ${}^C\text{DOT}$ or ${}^C\text{CROSS}$.

Turn to a good textbook covering *linear algebra* for more information.

More Advanced Calculations: Complex Domain

Mathematicians know more complicated items than real numbers. The next step are complex numbers. If you do not know them, leave them aside – you can use your *WP 34S* perfectly without them.

Else please note your *WP 34S* supports many operations in complex domain as well. The key **[CPX]** is employed as a prefix for calling complex functions. E.g. **[CPX] f [COS]** calls the complex cosine, and it is displayed and listed as ${}^C\text{COS}$ (the elevated C is the signature for complex functions in your *WP 34S*).

All functions operating on complex numbers do so in Cartesian coordinates exclusively on your *WP 34S*. **Each complex number occupies two adjacent registers here: the lower one for its real part and the higher one for its imaginary part.** You may use $\rightarrow\text{POL}$ to convert $x_c = x + i \cdot y$ to its polar equivalent $x_c = r \cdot e^{i\varphi}$ any time you like – just revert this before starting a calculation..

Generally, if an arbitrary real function **f** operates on ...

- ... one real number x only, then its complex sibling Cf will operate on the complex number $x_c = x + i \cdot 0$.
- ... one register, e.g. **R12**, then Cf will operate on **R12** and **R13**.
- ... x and y , then Cf will operate on x, y, z and t .

Where **one-number** real functions replace x by the result $f(x)$, one-argument complex functions replace x by the real part and y by the imaginary part of the complex result ${}^Cf(x_c)$. Higher stack levels remain unchanged. Such functions are e.g. ${}^C1/x$, ${}^C\text{ABS}$, ${}^C\text{FP}$, ${}^C\text{IP}$, ${}^C\text{RND}$, ${}^Cx!$, ${}^Cx^2$, ${}^C\sqrt{x}$, ${}^C+/-$, ${}^C\Gamma$, the logarithmic and exponential functions with bases 10, 2, and e, as well as hyperbolic and trigonometric functions and their inverses.

Two-number real functions replace x by the result $f(x, y)$ as shown above. In analogy, two-argument complex functions replace x by the real part and y by the imaginary part of the complex result ${}^Cf(x_c, y_c)$. The next stack levels are filled with the complex contents of higher levels, and the complex number contained in the top two stack levels is repeated as shown on next page. Such complex functions are ${}^C\text{LOG}_x$, ${}^Cy^x$, ${}^C\beta(x,y)$, ${}^C//$, and the basic arithmetic operations in complex domain. Please turn to the stack diagrams on next page for further details.

Where complex operations (like ${}^C\text{RCL}$) do not consume any stack input at all but just return a complex number, this number will be pushed on the stack taking two levels.

See the [index](#) for all commands supported in complex domain. Many of them are contained in the [complex X.FCN catalog](#).

Calculating with complex numbers uses two registers or stack levels for each such number as explained above and shown here:

Level	Assumed stack contents at the beginning:	Stack contents <u>after</u> executing <u>complex</u> functions of	
		$c\text{ENTER}$	$c\text{FILL}$	$c\text{DROP}$	$c\text{x}\leftrightarrow y$	$c\text{R}\downarrow$	$c\text{R}\uparrow$	$c\text{LASTx}$... one number like $c\text{x}^2$... two numbers like $c\text{/}$
With 4 stack levels	T $\text{Im}(y_c) = \text{Im}(t_c)$		$\text{Im}(x_c)$		$y_c = t_c$	$\text{Im}(x_c)$	x_c	x_c	$y_c = t_c$	$y_c = t_c$
	Z $\text{Re}(y_c) = \text{Re}(t_c)$		$\text{Re}(x_c)$			$\text{Re}(x_c)$			$\text{Im}(x_c^2)$	$\text{Im}(y_c / x_c)$
	Y $\text{Im}(x_c)$		$\text{Im}(x_c)$		y_c	$\text{Im}(y_c)$	y_c	$last x_c$	$\text{Re}(x_c^2)$	$\text{Re}(y_c / x_c)$
	X $\text{Re}(x_c)$		$\text{Re}(x_c)$			$\text{Re}(y_c)$				

With 8 stack levels	D $\text{Im}(t_c)$	z_c	x_c	t_c	t_c	x_c	z_c	z_c	t_c	t_c
	C $\text{Re}(t_c)$	y_c	x_c	t_c	z_c	t_c	y_c	y_c	z_c	t_c
	B $\text{Im}(z_c)$		x_c	t_c	x_c	z_c	y_c	y_c	z_c	t_c
	A $\text{Re}(z_c)$		x_c	z_c	x_c	z_c	x_c	x_c	z_c	t_c
	T $\text{Im}(y_c)$		x_c	x_c	z_c	x_c	z_c	x_c	y_c	z_c
	Z $\text{Re}(y_c)$		x_c	y_c	y_c	y_c	t_c	$last x_c$	$(x_c)^2$	y_c / x_c
	Y $\text{Im}(x_c)$		x_c							
	X $\text{Re}(x_c)$									

So, an 8-level stack gives you the same flexibility in complex domain you are used to with a 4-level stack in real domain.

Note you can use complex domain for 2D vector algebra as well. The operations $c\text{ABS}$, $c\text{+}$, $c\text{-}$, $c\text{CROSS}$, $c\text{DOT}$ are waiting for you.



After pressing the prefix **CPX**, the keyboard of your WP 34S is open for the complex operations shown left.

Note that a second **CPX**, a **⬅**, or an **EXIT** will only undo the complex prefix.

Constants in complex domain and such calculations occupy two registers like all other complex numbers!

Complex constants are simply entered as *imaginary_part* **ENTER↑** *real_part*.

Pure real constants, identified by a zero imaginary part, are easily put in like this:

0 **ENTER↑** *real_constant*, or alternatively

CPX *n* for integers $0 < n \leq 9$ only.

In programming, **CPX** **h** **CONST** # *n* with $0 \leq n \leq 256$ will save steps.

The real number π , for example, may be loaded this way: **0** **ENTER↑** **π** or via **CPX** **π** – both will result in $y = 0$ and $x = \pi$.

On the other hand, pure imaginary constants, identified by a zero real part, are entered:

imaginary_constant **ENTER↑** **0**.

The complex unit i , for example, may be loaded this way: **1** **ENTER↑** **0** or via **CPX** **0** – both will result in $y = 1$ and $x = 0$.

Compare to the stack mechanics shown above.

Addressing Complex Numbers

1 User input Dot matrix display	<p>CPX x=? or x≠?</p> <p style="text-align: center;">OP_ (with α_T mode set) e.g. fx=_?</p>			
2 User input Dot matrix display	<p>0 or 1</p> <p>OP n ? e.g. fx=0?</p>	<p>Stack level or named register X, Z, A, C, L, or J</p> <p>OP? x e.g. fx≠? Z</p>	<p>ENTER↑¹⁷ leaves α_T mode</p> <p>OP? _</p>	<p>→ opens indirect addressing.</p> <p>OP?→_</p>
3 User input Dot matrix display	<p>Compares $x + iy$ with the real number 0.</p>	<p>Compares $x + iy$ with $z + it$.</p>	<p>Register number 00 ... 98, .0014, if the respective registers are allocated</p> <p>OP? nn e.g. fx≠? 26</p>	<p>See next page for more about indirect addressing.</p> <p>Compares $x + iy$ with r26 + ir27.</p>

¹⁷ You may skip this keystroke for numbers >19 or local registers. The latter start with a **□** – see the chapter about programming and Appendix B below.

<p>1 User input Dot matrix display</p>	<p>CPX RCL, STO, or x</p> <p style="text-align: center;">OP _ (with α_T mode set) e.g. 'RCL _¹⁸</p>		
<p>2 User input Dot matrix display</p>	<p><i>Stack level or named register</i> Z¹⁹, A, C, L, or J</p> <p style="text-align: center;">OP x e.g. 'RCL L</p>	<p><i>Register number</i> 00 ... 98, .0014, if the respective registers are allocated.</p> <p style="text-align: center;">OP nn e.g. 'STO 18</p>	<p style="text-align: center;">OP→_</p> <p>opens indirect addressing, generally working as <u>in real domain</u>.</p>
<p>3 User input Dot matrix display</p>	<p>This is ${}^C\text{LAST}_x$ – the real part is recalled from register L to X, the imaginary part from I to Y.</p>	<p><i>Stack level or named register</i> X, Y, ..., K</p> <p style="text-align: center;">OP→ x e.g. 'x→z</p>	<p><i>Register number</i> 00 ... 99, .0015, if the respective registers are allocated.</p> <p style="text-align: center;">OP→ nn e.g. 'STO→45</p>

Swaps x with the content of the register where **Z** is pointing to, and y with the content of the next one.

Stores $x + iy$ into 2 consecutive registers, starting with the one where **r45** is pointing to.

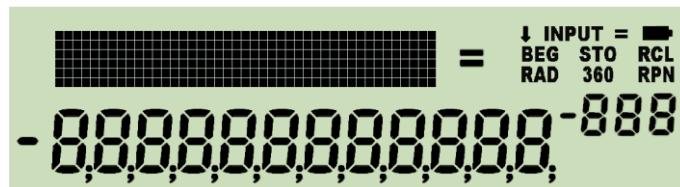
ATTENTION: Take care of pairs, since a complex operation will always affect two registers: the one specified and the one following this. We strongly recommend storing complex numbers with their real parts at even register numbers always.

¹⁸ For **RCL** and **STO**, any of **+**, **-**, **×**, or **/** may precede step 2. See the index of operations.

¹⁹ Exceptions: ${}^C\text{RCL } Z$, ${}^C\text{RCL+ } Z$, ${}^C\text{STO } Z$, and ${}^C\text{STO+ } Z$ require an **ENTER↑** preceding **Z**, e.g. **CPX STO + ENTER↑ Z** for the latter.

DISPLAY AND MODES

The display features three sections: numeric, dot matrix and fixed symbols. The numeric section features a minus sign and 12 digits for the mantissa, as well as a minus sign and 3 digits for the exponent. The dot matrix is 6 dots high and 43 dots wide, allowing for some 7 to 12 characters, depending on their widths. The fixed symbols on the top right side (except the big "=") are called *annunciators*, and are for indicating modes.



The dot matrix section above is used for

1. indicating more modes than the annunciators allow,
2. passing additional information to the user.

The numeric section in the lower part of the LCD is used for displaying numbers in different formats, for status, modes, or messages. See below for more.

If two or more requests concur for display space, the priorities are as follows:

1. error messages as described in [Appendix C](#),
2. special information as explained below,
3. information about the modes the calculator is running in.

Modes and Annunciators

The annunciators or specific characters in the dot matrix or in the exponent section indicate most modes and system states:

Indicator	Set by	Cleared by	Explanation, remarks	Sets mode
=	SF A	CF A	Flag A may be used e.g. to extend <i>alpha</i> by this character.	
↓	↑	↑	Lower case letters will be entered in alpha mode.	
INPUT	α , αON	ENTER ↑, αOFF, EXIT	Alpha mode (see above).	α
=	<i>look at right</i>		Serial I/O in progress (see App. A).	
■	battery low (≤ 2.5 V)	battery voltage > 2.5 V	WP 34S will shut off automatically when voltage drops below 2.1V.	
BEG	<i>look at right</i>		Program pointer at step 000	
STO	P/R	P/R , EXIT	Programming mode	PRG
RCL	<i>look at right</i>		Flashes while a program is running.	
RAD	RAD	DEG , GRAD	Angular mode (see next page)	

Indicator	Set by	Cleared by	Explanation, remarks	Sets mode
360	DEG	GRAD , RAD	Angular mode (see next page)	
RPN	almost every command	a <i>temporary</i> message	See below for handling of such messages in general.	
b..	2	any other BASE setting. a b/c , d/c and FRACT will set fraction mode (i.e. FRC).	Binary integer mode	2
3..	BASE 3			3
4..	BASE 4			4
5..	BASE 5		Respective integer modes	5
6..	BASE 6			6
7..	BASE 7			7
o..	8		Octal integer mode	8
9..	BASE 9		Integer mode of base 9	9
d..	10		Decimal integer mode	10
-1..	BASE 11			11
-2..	BASE 12			12
-3..	BASE 13		Respective integer modes	13
-4..	BASE 14			14
-5..	BASE 15			15
h..	16		Hexadecimal integer mode	h
_c..	carry, SF C	CF C	Indicate the respective bits set in integer modes (see below).	
_o..	overflow, SF B	CF B		
c	complex result	else	Indicates a complex result returned by the last operation (see above)	
g	GRAD	DEG , RAD	Angular mode (see next page)	
M.DY	M.DY, SETUS	any other date or region setting	Date modes (see next page)	M.DY
Y.MD	Y.MD, SETJPN, SETCHN			Y.MD

Defaults D.MY and DECM are not indicated. Radix marks and separators are seen in the numeric output immediately, time modes (12h / 24h) in the time string. The numeric format of fraction mode is unambiguous as well. Please check the examples shown below.

All keyboard input will be interpreted according to the modes set at input time.

Some mode and display settings may be stored and recalled collectively by STOM and RCLM (stack depth and contrast set, complete decimal display settings, trig mode, choices for date and time display, the parameters of integer and fraction mode, curve fitting model and rounding mode selected). STOM stores this information in the register you specify. RCLM recalls the content of such a register and sets the calculator modes accordingly.

WARNING: Note the user is responsible for recalling valid mode data – else your WP 34S may be driven into a lockup state! See the [index of operations](#) for more information about changing modes and the individual commands employed.

Some regional formatting preferences may be set at once using shortcuts:

Command	Radix mark ²⁰	Time	Date ²¹	JG ²²	Three digit separators	Remarks
SETCHN	RDX.	24h	Y.MD	(1949)	E3OFF	Would require separators every four digits.
SETEUR	RDX,	24h	D.MY	1582	E3ON	Applies also to South America.
SETIND	RDX.	24h	D.MY	1752	E3OFF	Would require separators every two digits over 10 ⁵ . Applies also to Pakistan and Sri Lanka.
SETJPN	RDX.	24h	Y.MD	(1873)	E3ON	
SETUK	RDX.	12h	D.MY	1752	E3ON	Applies also to Australia and New Zealand. 24h is taking over in the UK.
SETUSA	RDX.	12h	M.DY	1752	E3ON	

Also the angular modes deserve a closer look: there are three of them, DEG, RAD, and GRAD²³. And degrees (DEG) may be displayed in decimal numbers as well as in hours, minutes, seconds and hundredth of seconds (H.MS). Conversions are provided for going from one to the other:

From	degrees H.MS	decimal degrees	radians	gon (grad)	current angular mode
... to degrees H.MS	—	→H.MS	—	—	—
... to decimal degrees	→H.d	—	rad→°	°→rad	→DEG
... to radians	—	°→rad	—	rad→°	→RAD
... to gon (grad)	—	°→G	rad→G	G→rad	→GRAD
... to current angular mode	—	DEG→	RAD→	GRAD→	—

Please see the [index of operations](#) for the commands printed on white background, and the [catalog of unit conversions](#) for those printed on light grey.

²⁰ See <http://upload.wikimedia.org/wikipedia/commons/a/a8/DecimalSeparator.svg> for a world map of radix mark use. Looks like an even score in this matter. Thus, ISO 31-0 allows either a decimal point or a comma as radix mark, and requires a narrow blank as separator of digit groups to avoid misunderstandings.

²¹ See http://upload.wikimedia.org/wikipedia/commons/0/05/Date_format_by_country.svg for a world map of date formats used. ISO 8601:2004 states 24h for times, Y.MD for dates.

²² This column states the year the Gregorian Calendar was introduced in the particular region, typically replacing the Julian Calendar (in East Asia, national calendars were replaced in the respective years). Your WP 34S supports both 1582 and 1752. See the index of operations.

²³ This is confusing in German: DEGrees on your WP 34S mean “Grad”, while GRAD means “Neugrad”.

Command and Mode Specific Output

During command input, the dot matrix displays the command chosen until input is completed, i.e. until all required trailing parameters are entered. The prefixes **f**, **g**, **h**, and **CPX** are shown until they are resolved. **→** goes with **g** per default. If you pressed any such prefix erroneously, recovery is as easy as follows:

- **f f** = **g g** = **h h** = **CPX CPX** = **→ →** = NOP
- **CPX →** = **→ CPX** = NOP
- **g f** = **h f** = **f**
f g = **h g** = **g**
f h = **g h** = **h**

In addressing, progress is recorded as explained in the [tables above](#) in detail. You may edit or cancel such pending operations by **⬅** or **EXIT** as described [below](#).

Some commands and modes use the display in a special way. The respective operations are listed below. A large fraction of them present *temporary messages*²⁴.

1. In **programming mode**, the numeric display indicates the current program step (000 – 927) in the mantissa and the number of free steps in the exponent, while the dot matrix shows the command contained in the current step, e.g.:

There is no program-specific step counting like it was in *HP-42S*.

2. For **floating point decimal numbers**, the mantissa will be displayed adjusted to the right, the exponent to the left. Within the mantissa, either points or commas may be selected as radix marks, and additional marks may be chosen to separate thousands.

Assume the display set to FIX 4. Key in **1234567890 . 901** **ENTER↑**, and you will get::

with thousands separators on²⁵. Without them, the number will look like this:

With ENG 3 and after **+/-**, you will get:

²⁴ Whenever anything different from the actual contents of **X** in current mode is displayed or any additional information is shown in the dot matrix, these extra data are considered being a *temporary message*. This is further indicated by the annunciator **RPN** turned off as mentioned above.

If such data are displayed outside of a catalog or browser (see a separate chapter about these below), they will vanish with the next keystroke. **EXIT** or **⬅** will just clear the extra data returning to the normal display, any other key will be executed.

²⁵ These separators may also be beneficial in fraction mode described below.

If the last operation executed has returned a complex result, **C** is displayed top left in the dot matrix pointing to the fact that you find the result of this function in **X** and **Y**.

Floating point decimal numbers within $10^{-383} \leq |x| < 10^{+385}$ may be entered directly easily. Within this range, your *WP 34S* calculates with 16 digits²⁶. Smaller values than 10^{-398} are set to zero. For results $|x| \geq 10^{+385}$, error 4 or 5 will appear (see [below](#)).

3. In **H.MS display mode**, decimal numbers are converted and displayed in a format $hhh^{\circ}mm'ss.dd''$ with the number of hours or degrees limited to 9,000. This temporary message may look like e.g.:

depending on the radix setting. For decimal times less than 5ms or 0.005 angular seconds but greater than zero, an **U** for underflow will be lit in the exponent section:

Note there are no leading zeroes, neither in the hours nor minutes nor seconds sections.

For times or angles exceeding 9,000, an **O** will be shown there signaling an overflow, and the value is displayed modulo 9,000. For example:

until the next key is pressed.

4. **Fraction mode** works similar to the one in *HP-35S*. In particular, DENMAX sets the maximum allowable denominator (see the [index of operations](#)). Display will look like in the examples below. If the fraction is exactly equal, slightly less, or greater than the floating point number converted, **=**, **LE**, or **GE** is indicated in the exponent, respectively. This mode can handle numbers with absolute values $< 100,000$ and > 0.0001 . Maximum denominator is 9999. Underflows as well as overflows will be displayed in the format set before fraction mode was entered.

Now assume your *WP 34S* being reset. Key in -47.40625 **a b/c** and you will see:

²⁶ Even smaller numbers may be entered using a decimal mantissa, but you will lose one digit per factor of ten. The same happens if you divide 10^{-383} by 10 several times. At 10^{-398} , only one digit will be left. Divide it by 1.999 999 999 99 and the result will remain 10^{-398} . Divide it by 2 instead and the result will become zero.

²⁷ Please note pure integers like 123 will be displayed as 123 0/1 or 123/1 in fraction mode, respectively, to indicate this mode.

Now, enter **a b/c** for converting this into a proper fraction. You get

The calculator display shows the number 147 36 1/1024 followed by an equals sign (=). The top right corner has 'RAD' and 'RPN' indicators.

with a little hook left of the first digit shown. This indicates the leading number is displayed incompletely – there are at least two digits preceding 47 but no more display space. Press **◀** or **▶** to unveil the integer part of this proper fraction is 2247.

Input in fraction mode is straightforward and logically coherent:

Key in: and get in proper fraction mode:

1 2 . 3 . 4 ENTER↑	12 3/4
1 . 2 ENTER↑	1 1/5
. 1 . 2 ENTER↑	1/2
. 1 2 ENTER↑	3/25 (= 0.12)
1 . . 2 ENTER↑	1 0/1 (= 1/2 !)

For comparison, note *HP-32SII* reads the last input here as $\frac{1}{2}$ – which is, however, not consistent with its other input interpretations in fraction mode.

5. In **integer modes**, the mantissa section of numeric display shows the integer in **X**. Sign and first digit of the exponent indicate the base set:

Base	2	3	4	5	6	7	8	9	10	11	12	13	14	15	16
Exponent starts with	b	3	4	5	6	7	o	9	d	-1	-2	-3	-4	-5	h

Carry and overflow – if set – show up as a **c** in the second or an **o** in the third digit of the exponent, respectively. See the table [above](#). They behave and are treated like in *HP-16C*.

Word size and complement setting are indicated in the dot matrix using a format **xx.ww**, with **xx** being **1c** or **2c** for 1's or 2's complement, respectively, **un** for unsigned, or **sm** for sign-and-mantissa mode. Startup default is **2c**. These modes control the handling of negative numbers and are understood most easily with a little example:

Set your *WP 34S* to WSIZE 12, LZON. This setting allows seeing all 12 bits in one calculator display easily. Enter 147. Then switch to 1COMPL, BASE 2. You will see:

The calculator display shows two states. The first state shows '1c 12 '1 RPN 0000 10010011^b'. After pressing **±**, it changes to '1c 12 '1 RPN ...01101100^b'. The top right corner has 'RPN' indicator.

Please forget the **'1** top right for the moment – it will be explained later here. Note the low byte of our number is displayed larger than its top four bits for easy reading. As you see, **±** in **1c** inverts every single bit, being equivalent to **NOT** here.

Return to the original number via +L now, choose 2COMPL and you will get:

2c 12 '1 oooo 100 100 11 ^b	2c 12 '1 ...0 110 110 1 ^b
---	--

and – after +L –

Note the negative number equals the inverse plus one in **2c**.

Now return to the original number via +L , choose SIGNMT and you will see:

sm 12 '1 oooo 100 100 11 ^b	sm 12 '1 1000 100 100 11 ^b
---	---

and – after +L –

Negating a number just flips the top bit in **sm**, that's all.

Finally, return to the original number via +L , choose UNSIGN and you will get:

un 12 '1 oooo 100 100 11 ^b	un 12 '1 ...0 110 110 1 ^b
---	--

and – after +L –

Note the second number looks like in **2c**, but in addition an overflow is set here.

This needs explanation, since changing signs has no meaning in **un** per definition²⁸, where the most significant bit adds magnitude, not sign, so the largest value represented by a 12-bit word is 4095 instead of 2047. Thus, +L should be illegal here and result in no operation. Nevertheless, +L was allowed and implemented in HP-16C, so we follow this implementation for sake of backward compatibility.

Thus, pressing +L will not suffice anymore for returning to the original number here, you must also clear the overflow flag by **CF** **B** explicitly (see [above](#)).

As you have seen, positive numbers stay unchanged in all those modes. Just negative numbers are represented in different ways. Therefore, taking a negative number in one mode and switching to another one will lead to different interpretations. The fixed bit pattern representing e.g. -147^d in default **2c** will be displayed as -146^d in **1c**, -1901^d in **sm**, and 3949^d in **un**.

Keeping the mode (e.g. **2c** again) and changing the bases will produce different views of the constant bit pattern as well. You will notice that the displays for bases 4, 8, and 16 will look similar to those shown above, presenting all twelve bits to you, while in the other bases a signed mantissa will be displayed instead. Compare, for example the outputs

2c 12 33 123 1 ⁴	2c 12 - 1042 ⁵
---------------------------------------	-------------------------------------

for base 4 and for base 5²⁹.

²⁸ This is clearly stated also in the *HP-16C Computer Scientist Owner's Handbook* of April 1982 on page 30. Unfortunately, however, they did not stick to this.

²⁹ This takes into account that bases 2, 4, 8, and 16 are most convenient for bit and byte manipulations and further close-to-hardware applications. On the other hand, the bases in between will probably gain most interest in dealing with different number representations and calculating therein, where base 10 is the common reference standard.

Let us look to bigger words now: The following example shows your WP 34S displaying an arbitrary number in unsigned hexadecimal mode with word size 64, with or without separators:



After switching to binary mode, this number will need 28 digits, being 1001001110100001010010110110. The 12 least significant digits are displayed initially together with an indication that there are four display windows in total with the rightmost shown:



The least significant byte is emphasized. Press \blacktriangleleft and you will get the next bytes (note there is a 4-bit overlap with the previous display):



The last display shows the four most significant bits of this binary number. If leading zeros were turned on, there will be eight display windows (corresponding to eight bytes) here, with the four “most significant” containing only zeros.

Please note numeric input is limited to 12 digits in all integer bases.

Browsing a large integer in steps of eight digits is a specialty of binary mode. In any other base the step size is the full display width, i.e. twelve digits without any overlap. See e.g. the most and least significant parts of the same number in base 3:



6. A few far-reaching commands (like e.g. CLALL) ask for confirmation before executing. The question **Sure?** must be answered by **Y** or **N**. Also **EXIT** or **◀** will be interpreted as **N**, any other input will be ignored.
7. \blacktriangleleft and \triangleright in DECM show the full mantissa of x , i.e. all digits present internally, and the exponent as a temporary message. For example, **π** \blacktriangleleft returns



8. **STATUS** shows the amount of free memory words in RAM and flash first, e.g.:

Free: 516, FL. 9999

Press **▼** and read if there are summation registers used, plus the number of global numbered registers and local registers allocated (note these are emulator displays):

Regs: 96, Loc. 7 or R_Σ + 96, Loc. 7

Another **▼** will present the status of the first 30 user flags, shown very concisely in one display, allowing an immediate status overview after some training. For example, if flags 2, 3, 5, 7, 11, 13, 14, 17, 19, 20, 26, and X are set, and labels B and D are defined in program memory, **STATUS** **▼** **▼** will display this:

FL 00-29
..-.-J1-.-E.- bd

Where the mantissa is displayed usually, are three rows of horizontal bars now. Each shows the status of 10 flags. With a flag set, the respective bar is turned black. So here the top row of bars indicates flags 0 and 1 are clear, 2 and 3 set, and 4 clear. Then, a **11** separates the first five flags from the next. Following top row bars indicate flag 5 set, 6 clear, and 7 set. Next two rows show the status up to flag 29 as expected.

Pressing **▼** once will proceed to displaying flags 10 - 39 in the same format:

FL 10-39
..-.-J1-.-E.- bd

Another **▼** shows flags 20 - 49 etc. until 70 - 99, 80 - 99, 90 - 99. A final **▼** displays the last 12 global flags in rows of four – note flag X is shown being set as we expect:

XYZTA:D LIJK
. JI .. bd

▲ will browse backwards.

Alternatively, pressing a digit (e.g. **5**) will display up to 30 flags starting with 10 times this digit (e.g. flags 50 – 79 here). Pressing a legal letter like **D** will display the top 12 flags. The numeric exponent always indicates the status of the four hotkeys top left on the keyboard – if all four labels are defined in programs then **RLL** will be shown there.

The status will be displayed this way until **EXIT** or **◀** is pressed.

9. **ERR** displays a temporary message like the corresponding error message. See the respective [appendix](#) for more.
10. **VERS** generates a temporary message similar to the one shown on the title of this manual, so you know which version of the firmware you are running on your *WP 34S*.

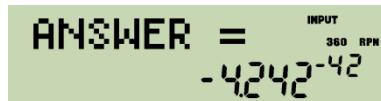
11. **WDAY** returns a display looking like e.g. the following for an input of 1.13201 in default mode (equivalent to inputs of 13.01201 in D.MY or 2010.0113 in Y.MD):



Expect similar displays after **DAYS+**.

Dates before the year 8 may be indicated differently to what they really were due to the inconsistent application of the leap year rule before this. We count on your understanding.

12. In **alpha mode**, *alpha* is displayed in the dot matrix, showing the last characters it is containing, while the numeric section keeps the result of the last numeric operation. The display may look like:



Different information may be appended to *alpha*. See the commands starting with "α" in the index of operations below. E.g. αTIME allows creating texts like

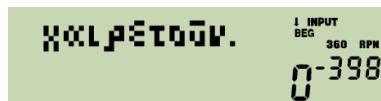


depending on time mode setting (12h / 24h). And αDATE will append – depending on date format setting – either **2011-04-16** or **16.04.2011** or **04/16/2011** to *alpha*.

Please note *alpha* can take up to 30 characters. And your *WP 34S* features a rich set of special letters and further characters. So you may easily store a message like



▲ and ▼ will browse such long messages in steps of 6 characters. ▲ will stop with the very first characters shown, ▼ stops showing the right end completely, i.e.



in this very special case. Continue reading the next paragraph for more information about the alpha capabilities of your *WP 34S*.

Character Set and Fonts

You may have noticed already your *WP 34S* features a large and a small alphanumeric font for display. Both are based on Luiz Viera's (Brazil) fonts as distributed in 2004. Some letters were added and some modified for better legibility, since the dot matrix of your *WP 34S* is only 6 pixels high.

See below all characters directly evocable through the keyboard in alpha mode as shown [above](#):

ABCDEFGHIJKLMNOPQRSTUVWXYZ
abcdefghijklmnopqrstuvwxyz
ΑΒΓΔΕΖΗΘΙΚΑΜΜΗΞΟΠΡΣΤΥΦΧΨΩ
αβγδεζηθικαμμηξοπρστυφχψω
0123456789 ()+-*/±.!?:;,&|≠

As soon as a message exceeds the visible display using the large font, your *WP 34S* will take the small font automatically to show as much as possible within the 6 × 43 pixels the hardware features:

ABCDEFGHIJKLMNOPQRSTUVWXYZ
abcdefghijklmnopqrstuvwxyz
ΑΒΓΔΕΖΗΘΙΚΑΜΜΗΞΟΠΡΣΤΥΦΧΨΩ
αβγδεζηθικαμμηξοπρστυφχψω
0123456789 ()+-*/±.!?:;,&|≠

Many more characters of both fonts live in the alpha catalogs. You find them [below](#).

PROGRAMMING

Your *WP 34S* is a *keystroke-programmable* calculator. If this statement makes you smile with delight, this chapter is for you. Else please turn to the *HP-42S Owner's Manual* first for an introduction into keystroke-programming, then continue reading here.

The basic building blocks within program memory are routines (or programs). Typically, a routine starts with a LBL statement and ends with RTN or END. In between, you may store any sequence of instructions (commands, operations, statements) for repeated use. Choose any operation featured – only a few commands are not programmable. The statements in your routine may use each and every register provided – there are (almost) no limits. You are the sole and undisputed master of the memory!

This freedom, however, has a price: you shall take care that your routines do not interfere in their quest for data storage space. So it is good practice keeping a list of the registers used by a particular routine, and documenting their purposes and contents for later reference.

Labels

Structuring program memory and jumping around in it is eased by labels you may tag to any program steps – as known from previous programmable pocket calculators. Your *WP 34S* features a full set of alphanumeric program labels as described overleaf. Furthermore, different programs may be separated by END statements. Think of the beginning and the end of program memory containing implicit END statements.

See the next page for addressing labels.

1	User input Dot matrix display	A , B , C , or D XEQ label e.g. XEQ C	XEQ , GTO , LBL , LBL? , SLV , J_y , T , S , α GTO , or α XEQ	OP _ e.g. GTO _	
2	User input Dot matrix display	Calls the function labeled C . OP label e.g. Σ B	A , B , C , or D ENTER↑ sets alpha mode. OP ‘	\rightarrow ³⁰ opens indirect addressing and sets α_T mode. OP →_	
3	User input Dot matrix display	Sums up the function given in a routine labeled B . OP ‘label e.g. SLV‘F1μ	Alphanumeric (global) label (1 to 3 characters ³¹) OP ‘label e.g. SLV‘F1μ	Stack level or named register X , Y , Z , ..., K OP → x e.g. J→T	Register number 00 ... 99 , .0015 , if applicable ³² OP → nn e.g. XEQ→44

Solves the function given in the routine labeled **F1μ** (keyed in as explained in footer). Integrates the function whose label is on stack level **T**. Executes the routine whose label is in **R44**.

Look up GTO in the [index of operations](#) for special cases applying to this command exclusively.

³⁰ Works with all these operations except **LBL**.

³¹ The 3rd character terminates entry and closes alpha mode – shorter labels need a closing **ENTER↑**. For the example given here, press **f 2 ENTER↑ CPX 1 f EXIT g 7** and you are done. Statements including alpha labels exceeding one character decrement the number of free program steps by 2.

ATTENTION: LBL A and LBL'A' are different animals! The latter is entered in alpha mode, the first via the hotkey directly.

³² Some registers may be allocated to special applications. Please check the memory table above.

When a command like e.g. XEQ **xy** is encountered, with **xy** representing one, two or three characters (like **A**, **BC**, **12**, **Tst**, **Pg3**, **x1μ**, etc.), your *WP 34S* will search this label using the following method:

1. If **xy** is purely numeric or a hotkey, it will be searched forward from the current position of the program pointer. When an END statement is reached without finding **xy**, the quest will continue right after previous END (so the search will stay in the current routine). This is the search procedure for local labels. It is as known from *HP-41C*.
2. Else, i.e. if **xy** is an alpha label of up to three characters of arbitrary case (automatically enclosed in ' like '**'Ab1'**), searching will start at program step 000 and cover the entire memory in the order *RAM*, *FM*, and *XROM*, independent of the position of the program pointer. This is the search procedure for global labels.

Local Data

If – after some time – you have a number of different routines stored, keeping track of their memory requests may become a challenge. Most of modern programming languages take care of this problem by declaring *local variables*, i.e. memory space allocated from general data memory and accessible for the current routine only – when the routine is finished, the respective memory is released again. On the *WP 34S*, registers are for data storage – so we offer you *local registers* allocated to your routine exclusively.

Example: Let us assume you write a routine labeled 'P1':

1. You just enter the command LocR 5 in your routine specifying you want five local registers,
2. then you may access these registers most easily using local numbers .0004 throughout *P1*.

Now, if you call another routine *P2* from *P1*, also *P2* may contain a step LocR requesting some local registers. They will then carry local register numbers .00 etc. again, but the local register .00 of *P2* will be different from the local register .00 of *P1*, so no interference will happen. As soon as the return statement is executed, the local registers of the corresponding routine are released and given back to the heap mentioned above.

This construction allows e.g. for recursive programs, since every time such a routine is called again it will get a new set of local registers being different from the ones it got before. Nevertheless, since you remain the sole and undisputed master of the memory, proper programming and care-taking persist being your job.

See the commands LocR, LocR?, MEM?, and PopLR in the [index of operations](#) and [Appendix B](#) below for more information.

Tests

Like vintage keystroke-programmable calculators before, your *WP 34S* features a set of tests. The respective command names feature a trailing '?'. Generally, tests will work as in *HP-42S*: they will return **true** or **false** in the dot matrix if called from the keyboard; if called in a program, they will execute the next program step only if the test is true, else skip that step.

As mentioned above, programs typically end with RTN or END. In running programs, both statements work very similar and show only subtle differences:

- A RTN statement immediately after a test returning ‘false’ will be skipped – an END will not.
- SKIP and BACK may jump over RTN – they cannot pass an END.

See the [index of operations](#) below for more information. The vast majority of tests is contained in the [catalog TEST](#).

Programmed Input and Output, User Interaction and Dialogues

A number of commands may be employed for controlling I/O of programs. In the index [below](#), their behavior is described if they are entered from the keyboard. Executed by a program, however, this will differ in a characteristic way.

When a program is started, the prior display contents are replaced by the "Running Program" message and will be updated at certain events only – not after each operation. So where in manual mode a command shows an information immediately after execution, in automatic mode only PROMPT, PSE, STOP, VIEW, VIEW α , or VW $\alpha+$ will trigger a display update, and the display will hold until the next such command is encountered. There is no way to get the "Running Program" message back once it has been replaced by a programmed display. See the following examples – parameters are omitted here:

- Take VIEW, VIEW α , or VW $\alpha+$ for plain display updates. X is a valid parameter for VIEW and VW $\alpha+$. Please note frequent updates will slow down program execution, since the anti-flicker logic waits for a complete display refresh cycle before allowing the next update.
- Use one of the following four code segments for displaying messages or other information for a defined minimum time interval, given by PSE:

PSE	VIEW PSE	VIEW α PSE	VW $\alpha+$ PSE
for plain numeric output		for complex alphanumeric messages	

- Ask ('prompt') for numeric input employing one of these four:

STOP	VIEW α STOP	VW $\alpha+$ STOP	PROMPT	combining VW $\alpha+$ X and STOP in one command
------	-----------------------	----------------------	--------	---

Whatever you key in will be in **X** when you continue the program by pressing **R/S** . If you want it elsewhere, take care of it.

- Prompt for alphanumeric input by

α ON	sets alpha mode and prepares for showing the final part of <i>alpha</i> .
PROMPT	displays this part and waits for user input, terminated by R/S .
α OFF	returns to the numeric mode previously set.

Whatever you key in will be appended to *alpha* here. The program will continue as soon as you press **R/S** .

Please see the index for more information about these commands and their parameters.

If you press – instead of or after keying in alphanumeric data – one of the hotkeys **A** to **D** in input, the program will call the next routine beginning with a label carrying this name. If there is more than one program using labels A to D in *RAM* or *FM*, it will be necessary moving the program counter (PC) to the top of the desired program and stopping there. A typical program structure might look like this:

```

001 LBL 'MYP'
002 CLx
003 α 'He1'      Sets up a message ...
004 α 'lo!'
005 PROMPT       ... and stops waiting for user input.
006 BACK 001     R/S does nothing, it simply returns to the prompt.
007 LBL A        Called if user input at step 005 was terminated by A.
008 ENTRY?       Any new numeric data entered by the user?
009 SKIP 001     Then go to step 011.
010 XEQ 01       Else call subroutine 01 for computing a new number instead.
011 STO 01       Store the new number (input or computed).
012 RTN          Return to step 005.
013 LBL B        Called if user input at step 005 was terminated by B.
...
xxx END

```

This is the way the TVM application is implemented.

Keyboard Codes and Direct Keyboard Access

Sometimes, the four hotkeys might not suffice. There is, however, an easy way to extend the number of directly callable subroutines: shorthand addressing of numeric labels using keyboard codes as defined at right. Each key gets a code simply given by its row and column on the keyboard.

Whenever you are asked for the entry of a two-digit label, any of the keys highlighted green in this picture may be used for direct input. The label will then be replaced by the row/column code of the respective key. Keys not available this way (since they have another fixed meaning in this context) may still be used for a short address by pressing **f** before. Only **f** itself cannot be used for shorthand addressing.

A 11	B 12	C 13	D 14	→ 15	CPX 16
STO 21	RCL 22	R↓ 23	f 24	g 25	h 26
ENTER↑ 31	x↔y 32	+/- 33	EEX 34	← 35	
XEQ 41	7 42	8 43	9 44	/ 45	
▲ 51	4 52	5 53	6 54	x 55	
▼ 61	1 62	2 63	3 64	- 65	
EXIT 71	0 72	. 73	R/S 74	+ 75	

If, for example, you want to link a program to the key **STO**, just put label 21 at the beginning of the routine, then it can be called via **XEQ STO** by the user conveniently.

The same keyboard codes are returned by the KEY? command which allows ‘real time’ response to user input from the keyboard. KEY? takes a register argument (X is allowed but does not lift the stack) and stores the key most recently pressed during program execution in the register specified. R/S and EXIT cannot be queried, they stop program execution immediately. The keyboard is active during program execution – but it is

desirable to display a message and suspend the program by PSE while waiting for user input. PSE will be terminated by a key press, so you can simply use PSE 99 in a loop to wait for input. Since KEY? acts as a test as well, a typical user input loop might look like this:

```

001 LBL 'USR'
002 CLx
003 α 'KEY'      Sets up a message ...
004 α ?
005 LBL 00
006 αVIEW       ... and displays it.
007 PSE 99       Waits 9.9 s for user input unless a key is pressed.
008 KEY? 00       Test for user input and put the key code in R00.
009 GTO 00       If there was none then go back to step 005.
010 LBL?→00      If a label corresponding to the key code has been defined ...
011 XEQ→00       ... then call it,
012 GTO 00       ... else return to step 005.

```

Instead of the dumb waiting loop, the program can do some computations and update the display before the next call to PSE and KEY? – think of e.g. a lunar landing game.

To be even more versatile, KTP? *nn* is designed to return the type of the key pressed as a row / column code in register *nn*: 0 to 9 for the respective digits; 10 for **□**, **±**, and **EEX**; 11 for **f**, **g**, and **h**; and 12 for the other keys. An invalid code in the target register throws an "Invalid Range Error".

If you decide not to handle the key in your program you may feed it back to the main processing loop of the calculator with the PUTK *nn* command. It will cause the program to halt, and the key will be handled as if pressed after the stop. This is especially useful if you want to allow numeric input while waiting for some special keys like the arrows. This allows writing a vector or matrix editor in user code. After execution of the PUTK command you are responsible for letting the program continue its work by pressing **R/S** or a hotkey.

Flash Memory (*FM*) and *XROM*

In addition to the *RAM* provided, your WP 34S allows you to access flash memory for voltage-fail safe storage of user programs and data. Its first section is the backup region (2kB), holding the image of the entire program memory, registers and calculator state as soon as you completed a SAVE. The remaining part holds programs only (several kB depending on configuration). Alphanumeric labels (see below) in *FM* can be called via XEQ like in *RAM*. This allows creating program libraries in *FM*. Use CAT to see the program labels defined already.

FM is ideal for backups or other long-living data, but shall not be used for repeated transient storage like in programmed loops³³. Registers and standard user program memory, residing in *RAM* on the opposite, are designed for frequent data changes but will not hold data with the batteries removed. So both kinds of memory have specific advantages and

³³ *FM* may not survive more than some 10,000 flashes. Thus, we made commands writing to *FM* (like SAVE or PSTO) non-programmable.

disadvantages you shall take into account for optimum benefit and long lasting joy with your *WP 34S*. Find more about *FM* in [Appendix A](#) below.

Furthermore, there is a memory section called *XROM* (for “extended *ROM*”), where some additional routines live. Though written in user code, these routines are read only and thus can be called, executed, but not edited. For you, it makes no difference whether a preprogrammed routine executes in *ROM* or *XROM*.

INDEX OF OPERATIONS

All commands available are found below with their *names* and *keystrokes* necessary. Names printed in **bold** face in this list belong to functions directly accessible on the keyboard, the other commands may be picked from [catalogs](#). The command names will show up identically in catalogs and program listings unless specified otherwise explicitly. Sorting in index and catalogs is case insensitive and works in the following order:

_ 0...9, A...Z, α...ω, () + - × / ± , . ! ? : ; ‘ “ * @ _ ~
→ ← ↑ ↓ ⇌ < ≤ = ≠ ≥ > % \$ € £ ¥ √ ∫ ∞ & \ ^ | G [] { } #

Super- and subscripts are handled like normal characters in sorting. The “G” at the end of the sorting order list above is the indicator for the angular mode GRAD.

Generally, functions and keystroke-programming will work as on *HP-42S*, bit and integer [functions](#) as on *HP-16C*, unless stated otherwise under remarks. Please refer to the manuals of the vintage calculators mentioned for additional information about traditional commands.

An elevated C heads the names of complex operations (see [above](#)). The prefix **CX** may be heading all functions whose *names are printed in italics in this list*. Whenever a complex result occurs, a capital **C** in the dot matrix will remind you to look at *y* as well.

The vast majority of remarks for the respective operation start with a number: (0) represents functions without effects on the stack, (1) and (2) are for real or complex one- or two-number functions as defined above, and (3) is for real three-number functions; (-1) and (-2) stand for functions pushing numbers on the stack thus lifting it by 1 or 2 levels. Functions available on your *WP 34S* for the first time ever on an *RPN* calculator got their remarks printed on [yellow background](#). Operations carrying a familiar name but deviating in their functionality from previous *RPN* calculators are marked [light red](#).

Parameters will be taken from the lowest stack level(s) unless mentioned explicitly in the 2nd column – then they must follow the command. If underlined, they may also be specified using indirect addressing, as shown in the [tables](#) above. Some parameters of statistical distributions must be given in registers **J** and **K** as specified.

In the following, each function is listed stating the mode(s) it will work in, abbreviated by their names. In this column, “integer” stands for an arbitrary integer mode, “&” for a Boolean AND, comma for an OR, and “¬” for “not”. So e.g. **2^X** works in all modes but alpha. All operations may also be entered in programming mode unless stated otherwise explicitly.

Name	Keys to press	in modes	Remarks
10^x	f [10^x]	$\neg\alpha$	(1)
12h	h [MODE] 12h	$\neg\alpha$	(0) Sets 12h time display mode: then e.g. 1:23 will become 1:23 AM, 23:45 will become 11:45 PM. This makes a difference in α TIME only.
1COMPL	h [MODE] 1COMPL	$\neg\alpha$	(0) Sets 1's complement mode like in HP-16C.
$1/x$	f [1/x]	DECM	(1)
	B	DECM	(1) Shortcut working if label B is not defined.
24h	h [MODE] 24h	$\neg\alpha$	(0) Sets 24h time display mode: then e.g. 1:23 AM will become 1:23, and 11:45 PM will become 23:45. This makes a difference in α TIME only.
2COMPL	h [MODE] 2COMPL	$\neg\alpha$	(0) Sets 2's complement mode like in HP-16C.
2^x	f [2^x]	$\neg\alpha$	(1)
$\sqrt[3]{x}$	h [X.FCN] 3rdfx	$\neg\alpha$	(1)
ABS	f [Ix]	$\neg\alpha$	(1) Returns the absolute value.
	CPX f [Ix]	DECM	(1) Returns $r = \sqrt{x^2 + y^2}$ in X and clears Y .
ACOS	g [COS⁻¹]	DECM	(1) Returns $\arccos(x)$.
ACOSH	g [HYP⁻¹] COS	DECM	(1) Inverse hyperbolic cosine, known as $\text{arcosh}(x)$. Note there is no need for pressing f here.
AGM	h [MODE] AGM	DECM	(2) Returns the arithmetic-geometric mean.
ALL	h [ALL] n	$\neg\alpha$	(0) ALL 00 works almost like ALL in HP-42S. For $x > 10^{13}$, however, display will switch to SCI or ENG with the maximum number of digits necessary (see SCIOVR and ENGOVR). The same will happen if $x < 10^{-n}$ and more than 12 digits are required to show x completely. Example: Input: Display: 700 700 ALL 03 700. 1/x 0.00142857143 10 / 1.42857142857^-4
AND		Integer	(2) Works bitwise as in HP-16C.
		DECM	(2) Works like AND in HP-28S, i.e. x and y are interpreted before executing this operation. 0 is "false", any other real number is "true".

Name	Keys to press	in modes	Remarks
ANGLE	h X.FCN ANGLE	DECIM	(2) Returns the angle between positive x-axis and the straight line from the origin to the point (x, y) , i.e. $\arctan(y/x)$.
ASIN	g SIN⁻¹	DECIM	(1) Returns $\arcsin(x)$.
ASINH	g HYP⁻¹ SIN	DECIM	(1) Inverse hyperbolic sine, known as $\text{arsinh}(x)$. Note there is no need for pressing f here.
ASR	h X.FCN ASR n	Integer	(1) Works like n (≤ 63) consecutive ASR commands in HP-16C, corresponding to a division by 2^n . Each such ASR shifts all bits to the right by one position, stores the lowest bit in carry and repeats the highest bit like on HP-16C. ASR 0 executes as NOP, but loads L .
ATAN	g TAN⁻¹	DECIM	(1) Returns $\arctan(x)$.
ATANH	g HYP⁻¹ TAN	DECIM	(1) Inverse hyperbolic tangent, known as $\text{artanh}(x)$. Note there is no need for pressing f here.
BACK	h P.FCN BACK n	PRG	(0) Jumps n program steps backwards ($0 \leq n \leq 255$). So e.g. BACK 1 goes to the previous step. If BACK attempts to cross an END statement, an error is thrown. Reaching step 000 stops program execution. Compare SKIP.
BASE	h MODE BASE n	$\neg\alpha$	(0) Sets the base for integer calculations, with $2 \leq n \leq 16$. Popular bases are directly accessible on the keyboard. See above for more information about the display in integer modes.
BASE10	f 10		Furthermore, BASE 0 sets DECIM, and BASE 1 calls FRACT. See below.
BASE16	g 16		ATTENTION: Current stack contents are converted when switching from an integer mode to DECIM, and are truncated vice versa. Other registers stay as they are (see below).
BASE2	f 2		
BASE8	g 8		
BATT	h X.FCN BATT	DECIM	(0) Measures the battery voltage in the range between 1.9V and 3.4V and returns this value.
		Integer	(0) As above but returns the voltage in units of 0.1V.
BC?	h TEST BC? n	Integer	(0) Tests the specified bit in x . Note bit 1 is the lowest.
BestF	h MODE BestF	DECIM	(0) Selects the best curve fit model, maximizing the correlation like BEST does in HP-42S.

Name	Keys to press	in modes	Remarks
Binom	h PROB Binom	DECM	(1) Binomial distribution with the number of successes \mathbf{g} in \mathbf{X} , the probability of a success p_0 in \mathbf{J} and the sample size n in \mathbf{K} . Binom_{P} ³⁴ returns $p_B(g; n; p_0) = \binom{n}{g} \cdot p_0^g \cdot (1 - p_0)^{n-g}.$
Binom_{P}	h PROB Binom_P		Binom returns $F_B(m; n; p_0) = \sum_{g=0}^m p_B(g; n; p_0)$ with the maximum number of successes m in \mathbf{X} .
Binom^{-1}	h PROB Binom⁻¹		Binom^{-1} returns \mathbf{m} for given probabilities \mathbf{F}_B in \mathbf{X} and \mathbf{p} in \mathbf{J} with sample size n in \mathbf{K} .
B_n	h X.FCN B_n	DECM	(1) Returns the Bernoulli number for an integer $n > 0$ given in \mathbf{X} : $B_n = (-1)^{n+1} n \cdot \zeta(1-n).$ See below for $\zeta(x)$.
B_n^*	h X.FCN B_n*	DECM	(1) Returns the Bernoulli number according to its old definition for integer $n > 0$ given in \mathbf{X} : $B_n^* = \frac{2 \cdot (2n)!}{(2\pi)^{2n}} \cdot \zeta(2n).$ See below for $\zeta(x)$.
BS?	h TEST BS? n	Integer	(0) Tests the specified bit in x . See BC?
Cauch	h PROB Cauch	DECM	(1) Cauchy-Lorentz distribution (also known as Lorentz or Breit-Wigner distribution) with the location x_0 specified in \mathbf{J} and the shape γ in \mathbf{K} : $\text{Cauch}_{\text{P}} \text{ returns } f_{Ca}(x) = \frac{1}{\pi\gamma} \cdot \frac{1}{1 + \left(\frac{x - x_0}{\gamma}\right)^2},$
Cauch_{P}	h PROB Cauch_P		$\text{Cauch} \text{ returns } F_{Ca}(x) = \frac{1}{2} + \frac{1}{\pi} \arctan\left(\frac{x - x_0}{\gamma}\right).$
Cauch^{-1}	h PROB Cauch⁻¹		Cauch^{-1} returns x for a given probability F_{Ca} in \mathbf{X} , with location x_0 in \mathbf{J} and shape γ in \mathbf{K} .
CB	h X.FCN CB n	Integer	(1) Clears the specified bit in x .
CEIL	h X.FCN CEIL	$\neg\alpha$	(1) Returns the smallest integer $\geq x$.
CF	g CF n	$\neg\alpha$	(0) Clears the flag specified.
CFALL	h P.FCN CFALL	$\neg\alpha$	(0) Clears all user flags.

³⁴ Binom_{P} equals $\text{BINOMDIST}(\mathbf{g}; n; p_0; 0)$ and Binom equals $\text{BINOMDIST}(\mathbf{m}; n; p_0; 1)$ in MS Excel.

Name	Keys to press	in modes	Remarks
CLALL	h P.FCN CLALL	$\neg(\alpha, \text{PRG})$	(0) Clears all registers, flags, and programs in RAM if confirmed. Compare RESET.
CLP	f CLP	All	(0) Clears the current program, i.e. the one the program pointer is in.
CLPALL	h P.FCN CLPALL	$\neg(\alpha, \text{PRG})$	(0) Clears all programs if confirmed.
CLREG	h P.FCN CLREG	$\neg\alpha$	(0) Clears all global and local general purpose registers allocated (see REGS and LocR). The stack contents as well as those of L and I are kept.
CLSTK	0 g FILL h P.FCN CLSTK	$\neg\alpha$	Clears all stack registers currently allocated, i.e. X through T or X through D, respectively. All other register contents are kept.
CLx	h CLx	$\neg\alpha$	Clears register X only, disabling stack lift as usual.
CL α	h CLx h P.FCN CLα	α $\neg\alpha$	(0) Clears the alpha register like CLA in HP-42S.
CL Σ	g CLΣ	DECM	(0) Clears the summation registers and releases the memory allocated for them.
COMB	f Cy,x	$\neg\alpha$	(2) Returns the number of possible <u>sets</u> of y items taken x at a time. No item occurs more than once in a set, and different orders of the same x items are <u>not</u> counted separately. Formula: $C_{y,x} = \binom{y}{x} = \frac{y!}{x!(y-x)!}$. Compare PERM.
$c\text{CONJ}$	CPX h X.FCN f CONJ	DECM	(1) Changes the sign of y, thus returning the complex conjugate of x_c .
CORR	g r	DECM	(-1) Returns the correlation coefficient for the current statistical data and curve fitting model.
COS	f COS	DECM	(1) Returns the cosine of the angle in X.
COSH	f HYP COS	DECM	(1) Returns the hyperbolic cosine of x.
COV	h STAT COV	DECM	(-1) Returns the population covariance for two data sets. It depends on the fit model selected. For LinF, it calculates $COV_{xy} = \frac{1}{n^2} \left(n \sum x_i y_i - \sum x_i \sum y_i \right)$ See s_{XY} for the sample covariance.

Name	Keys to press	in modes	Remarks
$^c\text{CROSS}$	CPX h X.FCN FCROSS	DECM	(2) Interprets x and y as Cartesian components of a first vector, and z and t as those of a second one, and returns $[x \cdot t - y \cdot z, 0, \dots]$, dropping two stack levels.
DATE	h X.FCN DATE	DECM	(-1) Recalls the date from the real time clock into the numeric section in the format selected. See D.MY, M.DY, and Y.MD. In addition, DATE shows the day of week in the dot matrix. The function DATE of HP-12C corresponds to DAYS+ in your WP 34S (see below).
DATE→	h X.FCN DATE÷	DECM	(-2) Assumes x containing a date in the format selected and pushes its three components on the stack.
DAY	h X.FCN DAY	DECM	(1) Assumes x containing a date in the format selected and extracts the day.
DAYS+	h X.FCN DAYS+	DECM	(2) Adds x days on a date in \mathbb{Y} in the format selected and displays the resulting date including the day of week in the same format as WDAY does. Works like DATE in HP-12C.
DBLR	h X.FCN DBLR	Integer	(2) Double word length commands for remainder, multiplication and division like in HP-16C. DBL× and DBL / clear the overflow flag. If the division remainder is $\neq 0$, the carry flag is set.
DBL×	h X.FCN DBL×		
DBL /	h X.FCN DBL/		
DEC	h P.FCN DEC r	$\neg\alpha$	(0) Decrements r by one. Equivalent to 1 STO- r , but without modifying the stack.
DECM	f H.d	$\neg\alpha$	(0) Sets default decimal floating point mode for calculations.
DECOMP	h X.FCN DECOMP	DECM	(-1) Decomposes x (after converting it into an improper fraction, if applicable), returning $y/x =$ and a stack [denominator (x), numerator (x), y , \dots]. Reversible by division. Example: If X contains 2.25 then DECOMP will return $x = 4$ and $y = 9$, pushing previous content of \mathbb{Y} to \mathbb{Z} etc.
DEG	g DEG	DECM	(0) Sets angular mode to degrees.
DEG→	h X.FCN DEG÷	DECM	(1) Takes x as degrees and converts them to the angular mode currently set.

Name	Keys to press	in modes	Remarks
DENANY	h MODE DENANY	$\neg\alpha$	(0) Sets default fraction format like in HP-35S, allowing maximum precision in fraction display – any denominator up to the value set by DENMAX may appear. Example: If DENMAX = 5 then DENANY allows denominators are 2, 3, 4, and 5.
DENFAC	h MODE DENFAC	$\neg\alpha$	(0) Sets “factors of the maximum denominator”, i.e. all integer factors of DENMAX may appear. Example: If DENMAX = 12 then DENFAC allows denominators 2, 3, 4, 6, and 12.
DENFIX	h MODE DENFIX	$\neg\alpha$	(0) Sets fixed denominator format, i.e. the one and only denominator allowed is the value set by DENMAX.
DENMAX	h MODE DENMAX	$\neg\alpha$	(0) Works like $/c$ in HP-35S, but the maximum denominator settable is 9,999. It will be set to this value if $x < 1$ or $x > 9,999$ at execution time. For $x = 1$ the current setting is recalled.
DET	h MATRIX DET	$\neg\alpha$	(1) Takes a <i>descriptor</i> of a square matrix in X and returns the determinant of the matrix. The matrix itself is not modified.
DISP	h MODE DISP n	DECM	(0) Changes the number of decimals shown while keeping the basic display format (FIX, SCI, ENG) as is. With ALL set, DISP will change the switchover point (see ALL).
<i>c</i> DOT	CPX h X.FCN ↑DOT	DECM	(2) Interprets x and y as Cartesian components of a first vector, and z and t as those of a second one, and returns $[x \cdot z + y \cdot t, 0, \dots]$, dropping two stack levels.
DROP	h X.FCN DROP	$\neg\alpha$	Drops x . See above for details.
	CPX h X.FCN ↑DROP	DECM	Drops x_c . See above for details.
DSE	f DSE r	PRG	(0) Given $cccccc.ffffii$ in r , DSE decrements r by ii , skipping next program line if then $ccccccc \leq fff$. If r features no fractional part then fff is 0 and ii is set to 1. Note that neither fff nor ii can be negative, and DSE makes only sense with $cccccc > 0$.
DSL	h P.FCN DSL r	PRG	(0) Works like DSE but skips if $ccccccc < fff$.

Name	Keys to press	in modes	Remarks
DSZ	h P.FCN DSZ <i>r</i>	PRG	(0) Decrements <i>r</i> by 1, and skips if $ r < 1$ thereafter. Known from the HP-16C.
D.MY	h MODE D.MY	$\neg\alpha$	(0) Sets the format for date display.
D→J	h X.FCN D→J	DECM	(1) Takes <i>x</i> as a date in the format selected and converts it to a Julian day number according to JG...
D→R		DECM	(1) See the catalog of conversions for conversions from degrees to radians.
E3OFF	h MODE E3OFF	$\neg\alpha$	(0) Toggle the thousands separators for DECM (either a point or comma depending on radix setting).
E3ON	h MODE E3ON		
END	h P.FCN END	PRG	(0) Last command in a routine and terminal for searching local labels as described above. Works like RTN in all other aspects.
ENG	h ENG <i>n</i>	$\neg\alpha$	(0) Sets engineering display format.
ENGOVR	h ENG ENTER↑	$\neg\alpha$	(0) Numbers exceeding the range displayable in ALL or FIX will be shown in engineering format. See SCIOVR.
ENTER↑	ENTER↑	$\neg\alpha$	(-1) Pushes <i>x</i> on the stack, disabling stack lift as usual. See above for details.
ENTRY?	h TEST ENTRY?	$\neg\alpha$	(0) Checks the entry flag. This internal flag is set if: <ul style="list-style-type: none"> any character is entered in alpha mode, or any command is accepted for entry (be it via ENTER↑, a function key, or R/S with a partial command line).
erf	h X.FCN erf	DECM	(1) Returns the error function or its complementary:
erfc	h X.FCN erfc		$\text{erf}(x) = \frac{2}{\sqrt{\pi}} \int_0^x e^{-t^2} dt \quad \text{and} \quad \text{erfc}(x) = 1 - \text{erf}(x)$.
ERR	h P.FCN ERR <i>n</i>	$\neg\alpha$	(0) Raises the error specified. See below for the respective error codes.
EVEN?	h TEST EVEN	$\neg\alpha$	(0) Checks if <i>x</i> is integer and even.
e^x	f ex	$\neg\alpha$	(1)
ExpF	h MODE ExpF	DECM	(0) Selects the exponential curve fit model $y = a_0 e^{a_1 x}$.

Name	Keys to press	in modes	Remarks
Expon	h PROB Expon	DECM	(1) Exponential distribution with the rate λ in J : Expon ³⁵ returns $f_{Ex}(x) = \lambda \cdot e^{-\lambda x}$, Expon returns $F_{Ex}(x) = 1 - e^{-\lambda x}$. Expon ⁻¹ returns the survival time t_s for a given probability F_{Ex} in X and rate λ in J .
Expon _P	h PROB Expon#		
Expon ⁻¹	h PROB Expon^-1		
EXPT	h X.FCN EXPT	DECM	(1) Returns the exponent h of the number displayed $x = m \cdot 10^h$. Compare MANT.
$e^x - 1$	h X.FCN e^x-1	DECM	(1) Returns more accurate results for the fractional part of e^x with $x \approx 0$.
FAST	h MODE FAST	All	(0) Sets the processor speed to "fast". This is start-up default and is kept for fresh batteries. Compare SLOW.
FB	h X.FCN FB n	Integer	(1) Inverts ("flips") the specified bit in x .
FC?	h TEST FC? n etc.	¬α	(0) Tests if the flag specified is clear. Clears, flips, or sets this flag after testing, if applicable.
FC?C			
FC?F			
FC?S			
FF	h P.FCN FF n	¬α	(0) Flips the flag specified.
FIB	h X.FCN FIB	¬α	(1) Returns the Fibonacci number f_n with $n = x$. These numbers are defined as $f_0 = 0$, $f_1 = 1$, $f_n = f_{n-1} + f_{n-2}$ for $n \geq 2$.
FILL	g FILL	¬α	(0) Copies x to all stack levels. See details above .
FIX	h FIX n	¬α	(0) Sets fixed point display format.
FLASH?	h TEST FLASH?	¬α	(-1) Returns the number of free words in flash memory.
FLOOR	h X.FCN FLOOR	¬α	(1) Returns the largest integer $\leq x$.
FP	g FP	¬α	(1) Returns the fractional part of x .
FP?	h TEST FP?	¬α	(0) Tests x for having a nonzero fractional part.
FRACT	h MODE FRACT	¬α	(0) Sets fraction mode like in HP-35S, but keeps the display format as set by PROFRC or IMPFRC.

³⁵ The pdf corresponds to EXPONDIST($x; \lambda; 0$) and the cdf to EXPONDIST($x; \lambda; 1$) in MS Excel.

Name	Keys to press	in modes	Remarks
FS?	h TEST FS? <i>n</i> etc.	¬α	(0) Tests if the flag specified is set. Clears, flips, or sets this flag after testing, if applicable.
FS?C			
FS?F			
FS?S			
F _P (x)	h PROB F _P (x)	DEC M	(1) Fisher's F-distribution. The <i>cdf</i> F(x) equals 1 - Q(F) in HP-21S. The degrees of freedom are specified in J and K .
F(x)	h PROB F(x)		
F ⁻¹ (p)	h PROB F ⁻¹ (p)		
f'(x)	h P.FCN f'(x) <i>label</i>	DEC M	Returns the first derivative of the function <i>f(x)</i> at position <i>x</i> . The function must be specified in a routine starting with LBL label . On return, Y , Z , and T will be cleared and the position <i>x</i> in L . This command will attempt to call a user routine labeled ' <i>δx</i> ' to provide a fixed step size <i>dx</i> . If that routine is not defined, a step size of 0.1 is used.
f''(x)	h P.FCN f''(x) <i>label</i>	DEC M	Works like f'(x) but returns the second derivative.
GCD	h X.FCN GCD	¬α	(2) Returns the Greatest Common Divisor of <i>x</i> and <i>y</i> ³⁶ .
<i>g_d</i>	h X.FCN g _d	DEC M	(1) Returns the Gudermann function or its inverse $g_d(x) = \int_0^x \frac{d\xi}{\cosh \xi}$ or $g_d^{-1}(x) = \int_0^x \frac{d\xi}{\cos \xi}$, respectively.
<i>g_d</i> ⁻¹	h X.FCN g _d ⁻¹		
Geom	h PROB Geom	DEC M	(1) Geometric distribution: Geom _P returns $f_{Ge}(m) = p_0(1-p_0)^m$, Geom returns $F_{Ge}(m) = 1 - (1-p_0)^{m+1}$, being the probability for a first success after <i>m=x</i> Bernoulli experiments. The probability <i>p_o</i> for a success in each such experiment must be specified in J . Geom ⁻¹ returns the number of failures <i>f</i> before 1 st success for given probabilities <i>F_{Ge}</i> in X and <i>p_o</i> in J .
Geom _P	h PROB Geom _P		
Geom ⁻¹	h PROB Geom ⁻¹		
GRAD	g GRAD	DEC M	(0) Sets angular mode to gon or grads.
GRAD→	h X.FCN GRAD→	DEC M	(1) Takes <i>x</i> as given in gon or grads and converts them to the angular mode currently set.

³⁶ GCD translates to "ggT" in German.

Name	Keys to press	in modes	Remarks
GTO	h GTO <i>label</i>	PRG	(0) Inserts an unconditional branch to <i>label</i> .
		¬PRG, ¬α	(0) Positions the program pointer to <i>label</i> .
	h GTO [A], [B], [C], or [D]	¬α	... to one of these labels, if defined.
	h GTO [nnn]		(0) Positions the program pointer ... (not programmable)
	h GTO [▲]		... to step <i>nnn</i> .
	h GTO [▼]		... directly after previous END.
	h GTO []		... directly after next END.
GTOα	h P.FCN GTOα	¬α	(0) Takes the first three characters of <i>alpha</i> (or less if there are less available) as a label and positions the program pointer to it.
H _n	h X.FCN H _n	DECM	(1) Hermite's polynomials for probability: $H_n(x) = (-1)^n \cdot e^{x^2/2} \cdot \frac{d^n}{dx^n} \left(e^{-x^2/2} \right)$ with <i>n</i> in Y, solving the differential equation $f''(x) - 2x \cdot f'(x) + 2n \cdot f(x) = 0$.
H _{np}	h X.FCN H _{np}	DECM	(1) Hermite's polynomials for physics: $H_{np}(x) = (-1)^n \cdot e^{x^2} \cdot \frac{d^n}{dx^n} \left(e^{-x^2} \right)$ with <i>n</i> in Y.
H.MS	f H.MS	DECM	(1) Assumes X containing <u>decimal</u> hours or degrees, and displays them converted in the format hhhh°mm' ss.dd" as shown in the paragraph <u>above</u> . Will return to the previous decimal display with the next keystroke thereafter.
H.MS+	h X.FCN H.MS+	DECM	(2) Assumes X and Y containing times or degrees in the format hhhh.mmssdd, and adds or subtracts them, respectively.
H.MS-	h X.FCN H.MS-		

Name	Keys to press	in modes	Remarks
IBASE?	h TEST IBASE?	$\neg\alpha$	(-1) Returns a number from 2 to 16 according to the integer base set (see BASE).
IMPFRC	g d/c	$\neg\alpha$	(0) Sets fraction mode allowing improper fractions in display (i.e. $\frac{5}{3}$ instead of $1\frac{2}{3}$). Converts x according to the settings by DEN... Absolute decimal equivalents of x must not exceed 100,000. Compare PROFRC.
		FRC	(0) Allows displaying improper fractions. Thus converts a proper fraction in X into the equivalent improper fraction, if applicable.
INC	h P.FCN INC r	$\neg\alpha$	(0) Increments r by one, equivalent to $1 \text{ STO}+r$, but without modifying the stack.
INTM?	h TEST INTM?	$\neg\alpha$	(0) Tests if your WP 34S is in an integer mode.
INT?	h TEST INT?	$\neg\alpha$	(0) Tests x for being an integer, i.e. having a fractional part equal to zero. Compare FP?.
IP	f IP	$\neg\alpha$	(1) Returns the integer part of x .
iRCL	h X.FCN iRCL s	$\neg\alpha$	(-1) Assumes the source s contains integer data and recalls them as such. See below .
ISE	h P.FCN ISE r	PRG	(0) Works like ISG but skips if $ccccccc \geq fff$.
ISG	g ISG r	PRG	(0) Given $cccccc.ffffii$ in r , this function increments r by ii , skipping next program line if then $ccccccc > fff$. If r features no fractional part then ii is set to 1. Note that neither fff nor ii can be negative, but $cccccc$ can.
ISZ	h P.FCN ISZ r	PRG	(0) Increments r by one, skipping next program line if then $ r < 1$. Known from HP-16C.
I β	h X.FCN Iβ	DECM	(3) Returns the regularized incomplete beta function $\frac{\beta_x(x, y, z)}{\beta(y, z)} = \frac{1}{\beta(y, z)} \cdot \int_0^x t^{y-1} (1-t)^{z-1} dt$ with β_x being the incomplete beta function and β being Euler's beta (see below).
I Γ	h X.FCN IΓ	DECM	(2) Returns the regularized incomplete gamma function $\frac{\gamma(x, y)}{\Gamma(x)}$ with $\gamma(x, y) = \int_0^y t^{x-1} e^{-t} dt$ being the lower inc. gamma functn. For $\Gamma(x)$ see below.

Name	Keys to press	in modes	Remarks
JG1582	h MODE JG1582	DECM	(0) These two commands reflect different dates the Gregorian calendar was introduced in different large areas of the world. D→J and J→D will be calculated accordingly. See above .
JG1752	h MODE JG1752		
J→D	h X.FCN J→D	DECM	(1) Takes x as a Julian day number and converts it to a date according to JG... in the format selected
KEY?	h TEST KEY? a	$\neg\alpha$	<p>(0) Tests if a key was pressed while a program was running or paused. If no key was pressed, the next program step after KEY? will be executed, else it will be skipped and the code of said key will be stored in address a.</p> <p>Key codes reflect the rows and columns on the keyboard starting top left – so e.g. A corresponds to 11, Cpx to 16, STO to 21, and + to 75.</p>
KTP?	h TEST KTP? a	$\neg\alpha$	<p>(-1) Assumes a key code in address a. Checks this code and returns the key type:</p> <ul style="list-style-type: none"> • 0 ... 9 if it corresponds to a digit 0 ... 9, • 10 if it corresponds to ., EEX, or +/-, • 11 if it corresponds to f, g, or h, • 12 if it corresponds to any other key. <p>May help in user interaction with programs.</p>
LASTx	RCL L	$\neg\alpha$	(-1) See above for details.
LBL	f LBL <i>label</i>	PRG	(0) Identifies programs and routines for execution and branching. See opportunities for specifying <i>label</i> in the table above .
LBL?	h TEST LBL? <i>label</i>	$\neg\alpha$	(0) Tests for the existence of the label specified, anywhere in program memory. See LBL for more.
LCM	h X.FCN LCM	$\neg\alpha$	(2) Returns the Least Common Multiple of x and y ³⁷ .
LEAP?	h TEST LEAP?	DECM	(0) Takes x as a date in the format selected, extracts the year, and tests for a leap year.

³⁷ LCM translates to “kgV” in German.

Name	Keys to press	in modes	Remarks
LgNrm	h PROB LgNrm	DECM	(1) Lognormal distribution with $\mu = \ln \bar{x}_g$ specified in J and $\sigma = \ln \varepsilon$ in K . See $\bar{x}g$ and ε below. LgNrm returns $F_{Ln}(x) = \Phi\left(\frac{\ln x - \mu}{\sigma}\right)$ with $\Phi(z)$ denoting the standard Normal cdf .
LgNrm _P	h PROB LgNrm_P		LgNrm _P returns $f_{Ln}(x) = \frac{1}{x\sigma\sqrt{2\pi}} e^{-\frac{(\ln x - \mu)^2}{2\sigma^2}}$.
LgNrm ⁻¹	h PROB LgNrm⁻¹		LgNrm ⁻¹ returns x for a given probability F_{Ln} in X , μ in J , and σ in K .
LINEQS	h X.FCN LINEQS	$\neg\alpha$	(3) Takes a base register in X , a vector descriptor in Y , and a descriptor of a square matrix in Z . Solves the system of linear equations $(Z) \cdot \vec{x} = \vec{y}$ and returns the filled in vector descriptor in X .
LinF	h MODE LinF	DECM	(0) Selects the linear curve fit model $y = a_0 + a_1x$.
LJ	h X.FCN LJ	Integer	(-1) Left justifies a bit pattern within its word size as in HP-16C: The stack will lift, placing the left-justified word in Y and the count (number of bit-shifts necessary to left justify the word) in X .
LN	g LN	$\neg\alpha$	(1) Returns the natural logarithm of x , i.e. the logarithm of x for base e.
L_n	h X.FCN L_n	DECM	(2) Laguerre's polynomials (compare $L_n\alpha$ below) $L_n(x) = \frac{e^x}{n!} \cdot \frac{d^n}{dx^n} (x^n e^{-x}) = L_n^{(0)}(x)$ with n in Y , solving the differential equation $x \cdot y'' + (1-x)y' + ny = 0$.
LN1+x	h X.FCN LN1+x	DECM	(1) Natural logarithm of values close to zero. Returns $\ln(1+x)$, providing a much higher accuracy in the fractional part of the result.
$L_n\alpha$	h X.FCN L_n\alpha	DECM	(3) Laguerre's generalized polynomials (cmp. L_n above) $L_n^{(\alpha)}(x) = \frac{x^{-\alpha} e^x}{n!} \cdot \frac{d^n}{dx^n} (x^{n+\alpha} e^{-x})$ with n in Y and α in Z .
$LN\beta$	h X.FCN LN\beta	DECM	(2) Returns the natural logarithm of Euler's Beta function. See β .
$LN\Gamma$	h X.FCN LNF	DECM	(1) Returns the natural logarithm of $\Gamma(x)$. See there.

Name	Keys to press	in modes	Remarks
LOAD	h P.FCN LOAD	$\neg(\alpha, \text{PRG})$	Restores the entire backup from flash, i.e. executes LOADP, LOADR, LOADSS, LOADΣ, and returns Restored then. Compare SAVE. See the commands mentioned and Appendix A for more.
LOADP	h P.FCN LOADP	$\neg(\alpha, \text{PRG})$	(0) Loads the complete program memory from the backup and appends it to the programs already in RAM. This will only work if there is enough space.
LOADER	h P.FCN LOADR	$\neg\alpha$	(0) Recovers numbered general purpose registers from the backup (see SAVE and above). Lettered registers will not be recalled. The number of registers copied is the minimum of the registers held in the backup and RAM at execution time.
LOADSS	h P.FCN LOADSS	$\neg\alpha$	(0) Recovers the system state from the backup. See Appendix B for more.
LOADΣ	h P.FCN LOADE	$\neg\alpha$	(0) Recovers the summation registers from the backup. Throws an error if there are none. See Appendix B for more.
LocR	h P.FCN LocR n	PRG	(0) Allocates n local registers (≤ 144) and 16 local flags for the current program. See above .
LocR?	h TEST LocR?	$\neg\alpha$	(-1) Returns the number of local registers allocated.
LOG₁₀	g LG	$\neg\alpha$	(1) Returns the logarithm of x for base 10.
LOG₂	g LB	$\neg\alpha$	(1) Returns the logarithm of x for base 2.
LogF	h MODE LogF	DECM	(0) Selects the logarithmic curve fit model $y = a_0 + a_1 \ln x$.
Logis	h PROB Logis	DECM	(1) Logistic distribution with μ given in J and s in K . Logis _P returns $f_{Lg}(x) = e^{-\frac{x-\mu}{s}} / s \cdot \left(1 + e^{-\frac{x-\mu}{s}}\right)^2$,
Logis _P	h PROB Logis_P		Logis returns $F_{Lg}(x) = \left(1 + e^{-\frac{x-\mu}{s}}\right)^{-1}$.
Logis ⁻¹	h PROB Logis⁻¹		Logis ⁻¹ returns $F_{Lg}^{-1}(p) = \mu + s \cdot \ln\left(\frac{p}{1-p}\right)$ for a probability p given in X , μ in J , and s in K .

Name	Keys to press	in modes	Remarks
LOG_x	g [LOG_x]	¬α	(2) Returns the logarithm of y for base x .
	CPX g [LOG_x]	DECM	(2) Returns the complex logarithm of $z + i t$ for the complex base $x + i y$.
LZOFF	h [MODE] LZOFF	¬α	(0) Toggles leading zeros like flag 3 does in HP-16C. Relevant in bases 2, 4, 8, and 16 only.
LZON	h [MODE] LZON		
L.R.	h [STAT] L.R.	DECM	(-2) Returns the parameters a_1 and a_0 of the fit curve through the data points accumulated, according to the model selected, and pushes them on the stack. For a straight regression line, a_0 is the y-intercept and a_1 the slope.
MANT	h [X.FCN] MANT	DECM	(1) Returns the mantissa m of the number displayed $x = m \cdot 10^h$. Compare EXPT.
MASKL	h [X.FCN] MASKL	Integer	(1) Work like MASKL and MASKR on HP-16C, but with the mask length following the command instead of taken from X.
MASKR	MASKL n etc.		
MAX	h [X.FCN] MAX	¬α	(2) Returns the maximum of x and y .
MEM?	h [TEST] MEM?	¬α	(-1) Returns the number of free words in program memory, taking into account the local registers allocated.
MIN	h [X.FCN] MIN	¬α	(2) Returns the minimum of x and y .
MIRROR	h [X.FCN] MIRROR	Integer	(1) Reflects the bit pattern in x (e.g. 000101 ₂ becomes 101000 ₂ for word size 6).
MONTH	h [X.FCN] MONTH	DECM	(1) Assumes x containing a date in the format selected and extracts the month.
MROW+ \times	h [MATRIX] MROW+\times	DECM	(0) Takes a matrix <u>descriptor</u> in X , a destination row number in Y , a source row number in Z , and a real number in T . It multiples each element m_{zi} by t and adds it to m_{yi} . The stack remains unchanged. M.ROW+ \times is similar to PPC M3.
MROW \times	h [MATRIX] MROW\times	DECM	(0) Takes a matrix <u>descriptor</u> in X , a row number in Y , and a real number in Z . It multiples each element m_{yi} by z . The stack remains unchanged. M.ROW \times is similar to PPC M2.
MROW \Leftarrow	h [MATRIX] MROW\Leftarrow	DECM	(0) Takes a matrix <u>descriptor</u> in X and two row numbers in Y and Z . It swaps the contents of rows y and z . The stack remains unchanged. M.ROW \Leftarrow is similar to PPC M1.

Name	Keys to press	in modes	Remarks
MSG	 MSG n	$\neg\alpha$	(0) Throws the error message specified. See below for the respective error codes. Compare ERR.
M+ x	 M+ x	DECM	(3) Takes two matrix <i>descriptors</i> in X and Y , and a real number z . Returns $(X) + (Y) \cdot z = (X)$. Thus a scalar multiple of one matrix is added to another matrix. The multiply adds are done in internal high precision and results should be exactly rounded.
M^{-1}	 M- 1	DECM	(0) Takes a <i>descriptor</i> of a square matrix in X and inverts the matrix in-situ. Doesn't alter the stack.
M-ALL	 M-ALL	DECM	(1) Takes a matrix <i>descriptor</i> in X , saves it in L , and returns a value suitable for ISG or DSL looping in X . The loop processes <u>all</u> elements in the matrix. The loop index is DSL if the descriptor is negative and ISG else.
M-COL	 M-COL	DECM	(2) Takes a matrix <i>descriptor</i> in X and a column number in Y . Returns a loop counter in X , dropping the stack. The matrix descriptor is saved in L . The loop processes all elements m_{iy} only. The loop index is DSL if the descriptor is negative and ISG else.
M-DIAG	 M-DIAG	DECM	(1) Takes a matrix <i>descriptor</i> in X , saves it in L , and returns a loop counter in X . The loop processes all elements along the matrix diagonal, i.e. all elements m_{ii} . The loop index is DSL if the descriptor is negative and ISG else.
M-ROW	 M-ROW	DECM	(2) Takes a matrix <i>descriptor</i> in X and a row number in Y . Returns a loop counter in X , dropping the stack and setting last L like all two-argument commands. The loop processes all elements m_{yi} only. The loop index is DSL if the descriptor is negative and ISG else.
Mx	 Mx	DECM	(3) Takes two matrix <i>descriptors</i> in Y and Z and the integer part of x as the base address of the result. Returns $(Z) \cdot (Y) = (X)$. All calculations are done in internal high precision (39 digits). The fractional part of x is updated to match the resulting matrix – no overlap checking is performed.
M.COPY	 M.COPY	DECM	(2) Takes a matrix <i>descriptor</i> in Y and a register number in X . Copies the matrix into registers starting at X . Returns a properly formatted matrix descriptor in X .
M.DY	 M.DY	$\neg\alpha$	(0) Sets the format for date display.

Name	Keys to press	in modes	Remarks
M.IJ	h MATRIX M.IJ	DECM	Takes a matrix <i>descriptor</i> in X and a register number in Y . Returns the column that register represents in Y and the row in X . The descriptor is saved in L . M.IJ is similar to <i>PPC M4</i> .
M.LU	h MATRIX M.LU	DECM	(1) Takes a <i>descriptor</i> of a square matrix in X . Transforms the matrix into its LU decomposition. in-situ. The value in X is replaced by a pivot descriptor that defines the pivots that were required to calculate the decomposition. The most significant digit is the pivot for the first diagonal entry, the next most the second and so forth.
M.REG	h MATRIX M.REG	DECM	(3) Takes a matrix <i>descriptor</i> in X , a row number in Y , and a column number in Z . The descriptor is saved in L . M.REG returns the register number in X . It is similar to <i>PPC M5</i> .
M.SQR?	h TEST M.SQR?	DECM	(0) Takes a matrix <i>descriptor</i> in X and tests it. Returns "true" if the matrix is square.
NAND	h X.FCN NAND	$\neg\alpha$	(2) Works in analogy to AND.
NaN?	h TEST NaN?	$\neg\alpha$	(0) Tests <i>x</i> for being "Not a Number".
nBITS	h X.FCN nBITS	Integer	(1) Counts bits set in <i>x</i> like #B does on <i>HP-16C</i> .
nCOL	h MATRIX nCOL	DECM	(1) Takes a matrix <i>descriptor</i> in X , saves it in L , and returns the number of columns in this matrix.
NEIGHB	h X.FCN NEIGHB	DECM	(2) Returns the nearest machine-representable number to <i>x</i> in the direction toward <i>y</i> in the mode set ³⁸ . For <i>x<y</i> (or <i>x>y</i>), this is the machine successor (or predecessor) of <i>x</i> , for <i>x=y</i> it is <i>y</i> .
		Integer	(2) Returns <i>x+1</i> for <i>x<y</i> , <i>y</i> for <i>x=y</i> , or <i>x-1</i> for <i>x>y</i> .
NEXTP	h X.FCN NEXTP	$\neg\alpha$	(1) Returns the next prime number > <i>x</i> .
NOP	h P.FCN NOP	PRG	(0) "Empty" step FWIW.
NOR	h X.FCN NOR	$\neg\alpha$	(1) Works in analogy to AND.

³⁸ You may find NEIGHB useful investigating numeric stability. See NEIGHBOR in the HP-71 Math Pac.

Name	Keys to press	in modes	Remarks
Norml	h PROB Norml	DECM	(1) Normal distribution with an arbitrary mean μ given in J and standard deviation σ in K : Norml returns $F_N(x) = \Phi\left(\frac{x-\mu}{\sigma}\right)$. See below for Φ .
Norml _P	h PROB NormlP		Norml _P ³⁹ returns $f_N(x) = \frac{1}{\sigma\sqrt{2\pi}} e^{-\frac{(x-\mu)^2}{2\sigma^2}}$.
Norml ⁻¹	h PROB Norml⁻¹		Norml ⁻¹ returns x for a given probability F_N in X , mean μ in J , and standard deviation σ in K .
NOT	h NOT	Integer	(1) Inverts bit-wise as on HP-16C.
		DECM	(1) Returns 1 for 0, and 0 for any other input.
nROW	h MATRIX nROW	DECM	(1) Takes a matrix <u>descriptor</u> in X , saves it in L , and returns the number of rows in this matrix.
nΣ	h SUMS nΣ	DECM	(-1) Recalls the number of accumulated data points. Necessary for basic statistics.
ODD?	h TEST ODD?	¬α	(0) Checks if x is integer and odd.
OFF	h OFF	PRG	(0) Inserts a step to turn your WP 34S off under program control.
OR	h OR	¬α	(2) Works in analogy to AND.
PERM	g Py,x	¬α	(2) Returns the number of possible <u>arrangements</u> of y items taken x at a time. No item occurs more than once in an arrangement, and different orders of the same x items <u>are</u> counted separately. Formula: $P_{y,x} = \frac{y!}{(y-x)!} = x! \cdot C_{y,x}$. Compare COMB.
P _n	h X.FCN P_n	DECM	(1) Legendre's polynomials: $P_n(x) = \frac{1}{2^n n!} \cdot \frac{d^n}{dx^n} [(x^2 - 1)^n]$ with n in Y , solving the differential equation $\frac{d}{dx} \left[(1 - x^2) \cdot \frac{d}{dx} f(x) \right] + n(n+1)f(x) = 0.$

³⁹ Norml_P corresponds to NORMDIST($x; \mu; \sigma; 0$) in MS Excel, Norml to NORMDIST($x; \mu; \sigma; 1$) and Norml⁻¹ to NORMINV($F_N; \mu; \sigma$).

Name	Keys to press	in modes	Remarks
Poiss	h PROB Poiss		(1) Poisson distribution with the number of successes \mathbf{g} in \mathbf{X} , the gross error probability \mathbf{p}_0 in \mathbf{J} , and the sample size \mathbf{n} in \mathbf{K} .
Poiss _P	h PROB Poiss_P	DECM	Poiss _P ⁴⁰ returns $P_p(g; \lambda) = \frac{\lambda^g}{g!} e^{-\lambda}$ with $\lambda = n \cdot p_0$. Poiss returns $F_p(m; \lambda) = \sum_{g=0}^m P_p(g; \lambda)$ with the maximum number of successes \mathbf{m} in \mathbf{X} . Poiss ⁻¹ returns \mathbf{m} for given probabilities \mathbf{F}_P in \mathbf{X} with \mathbf{p}_0 in \mathbf{J} and sample size \mathbf{n} in \mathbf{K} .
Poiss ⁻¹	h PROB Poiss⁻¹		
Poisλ	h PROB Poisλ		(1) Poisson distribution like Poiss... above with \mathbf{g} in \mathbf{X} , but with the Poisson parameter λ in \mathbf{J} .
Poisλ _P	h PROB Poisλ_P	DECM	Poisλ ⁻¹ returns \mathbf{m} for a given probability \mathbf{F}_P in \mathbf{X} and λ in \mathbf{J} .
Poisλ ⁻¹	h PROB Poisλ⁻¹		
PopLR	h P.FCN PopLR	PRG	(0) Pops the local registers allocated to the current routine <u>without returning</u> . See LocR and RTN.
PowerF	h MODE PowerF	DECM	(0) Selects the power curve fit model $y = a_0 x^{a_1}$.
PRCL	h P.FCN PRCL	¬α	(0) Copies the current program (from flash or RAM) and appends it to RAM where it can be edited then (see above). Allows duplicating programs in RAM. Will only work with enough space at destination.
	RCL	CAT open	
PRIME?	h TEST PRIME?	¬α	(0) Checks if the absolute value of the integer part of x is a prime. The method is believed to work for integers up to 9E18.
PROFRC	f a b/c	DECM	(0) Sets fraction mode like in HP-35S, allowing only proper fractions or mixed numbers in display. Converts x according to the settings by DEN... Absolute decimal equivalents of x must not exceed 100,000. Compare IMPFRC.
		FRC	(0) Allows displaying only proper fractions. Thus converts an improper fraction in \mathbf{X} , if applicable, e.g. $5/3$ into $1 \frac{2}{3}$.
PROMPT	h P.FCN PROMPT	PRG	(0) Displays <i>alpha</i> and stops program execution (equaling VW α + X followed by STOP). See above for more.

⁴⁰ Poiss_P corresponds to POISSON($\mathbf{g}; \lambda; 0$) and Poiss to POISSON($\mathbf{g}; \lambda; 1$) in MS Excel.

Name	Keys to press	in modes	Remarks
PSE	h PSE <i>n</i>	PRG	(0) Refreshes the display and pauses program execution for <i>n</i> ticks, with $0 \leq n \leq 99$. The pause will be terminated early as soon as a key is pressed.
PSTO	h P.FCN PSTO	$\neg(\alpha, PRG)$	(0) Copies the current program from RAM and appends it to flash library. The program must feature at least one LBL statement with an alphanumeric label (preferably at its beginning). If a program with the same label exists in the library already it will be deleted first. Alphanumeric labels present in flash may be browsed by CAT (see below) and called by XEQ.
PUTK	h P.FCN PUTK <i>a</i>	$\neg\alpha$	(0) Assumes a key code in address <i>a</i> . Stops program execution, takes said code and puts it in the keyboard buffer resulting in immediate execution of the corresponding call. R/S is required to resume program execution. May help in user interaction with programs.
RAD	g RAD	DECM	(0) Sets angular mode to radians.
RAD→	h X.FCN RAD→	DECM	(1) Takes <i>x</i> as radians and converts them to the angular mode currently set.
RAN#	f RAN#	DECM	(-1) Returns a random number between 0 and 1 like RAN in HP-42S.
		Integer	(-1) Returns a random bit pattern for the word size set.
RCL	RCL <i>s</i>	$\neg\alpha$	(-1) See the addressing table above for ^c RCL
RCLM	RCL MODE <i>s</i>	$\neg\alpha$	(0) Recalls mode settings stored via STOM as described above
RCLS	h P.FCN RCLS <i>s</i>	$\neg\alpha$	Recalls 4 or 8 values from a set of registers starting at address <i>s</i> , and pushes them on the stack. This is the converse command of STOS.
RCL+	RCL + <i>s</i>	$\neg\alpha$	(-1) Recalls the content of the source <i>s</i> , executes the specified operation on it and pushes the result on the stack.
RCL-	RCL - <i>s</i>		E.g. RCL-12 subtracts <i>r12</i> from <i>x</i> and displays the result (acting like RCL 12 - , but without losing a stack level). In analogy, ^c RCL-12 subtracts <i>r12</i> from <i>x</i> and <i>r13</i> from <i>y</i> .
RCL×	RCL × <i>s</i>		See the addressing table above for ^c RCL.
RCL/	RCL / <i>s</i>		
RCL↑	RCL ▲ <i>s</i>	$\neg\alpha$	(-1) RCL↑ (↓) recalls the maximum (minimum) of the values in <i>s</i> and X .
RCL↓	RCL ▼ <i>s</i>	$\neg\alpha$	

Name	Keys to press	in modes	Remarks
RDX, RDX.	h MODE RDX_n	¬α	(0) Sets the decimal mark to a comma.
	h ./.	DECM	(0) Toggles the radix mark.
RDX.	h MODE RDX_n	¬α	(0) Sets the decimal mark to a point.
	h TEST REALM?	¬α	(0) Tests if your WP 34S is in real mode.
RECV	h P.FCN RECV	¬α	(0) Prepares your WP 34S for receiving data via serial I/O. See SEND... and Appendix A for more.
REGS	h MODE REGS <i>n</i>	¬α	(0) Specifies the number of global general purpose registers wanted. With REGS 100 you get the default state (R00 – R99), REGS 0 leaves not even a single such register for use.
REGS?	h TEST REGS?	¬α	(-1) Returns the number of global general purpose registers allocated (0 ... 100).
RESET	h P.FCN RESET	¬(α, PRG)	After confirmation, executes CLALL and resets all modes to start-up default, i.e. 24h, 2COMPL, ALL 00, DBLOFF, DEG, DENANY, DENMAX 9999, D.MY, E3ON, LinF, LocR 0, LZOFF, PROFRC, RDX., REGS 100, SCIOVR, SEPON, SSIZE4, WSIZE 64, and finally DECM. See these commands for more information.
RJ	h X.FCN RJ	Integer	(-1) Right justifies, in analogy to LJ on HP-16C. See LJ.
RL	h X.FCN RL <i>n</i>	Integer	(1) Works like <i>n</i> consecutive RLs / RLCs on HP-16C, similar to RL _n / RLC _n there. For RL, $0 \leq n \leq 63$. For RLC, $0 \leq n \leq 64$. Like on HP-16C, each RL (RLC) shifts all bits to the left by one position, storing the highest bit in carry and copying it (RLC: the previous content of carry) to the lowest bit. RL 0 and RLC 0 execute as NOP.
RLC	h X.FCN RLC <i>n</i>		

Name	Keys to press	in modes	Remarks
RM	h MODE RM	$\neg\alpha$	(0) Sets floating point rounding mode. This is only used when converting from the high precision internal format to packed real numbers. It will <u>not</u> alter the display nor change the behavior of ROUND. The following modes are supported: 0: round half even: $\frac{1}{2} = 0.5$ rounds to next even number (default). 1: round half up: 0.5 rounds up ('businessman's rounding' ⁴¹). 2: round half down: 0.5 rounds down. 3: round up: rounds away from 0. 4: round down: rounds towards 0 (truncates). 5: ceiling: rounds towards $+\infty$. 6: floor: rounds towards $-\infty$.
RM?	h TEST RM?	$\neg\alpha$	(-1) Returns the floating point rounding mode set. See RM for more.
RMDR	h RMDR	$\neg\alpha$	(2) Equals RMD on HP-16C.
ROUND	g RND	$\neg\alpha$ FRC	(1) Rounds x using the current ... display format like RND in HP-42S. ... denominator like RND in HP-35S fraction mode.
ROUNDI	h X.FCN ROUNDI	$\neg\alpha$	(1) Rounds x to next integer. $\frac{1}{2}$ rounds to 1.
RR	h X.FCN RR <i>n</i>	Integer	(1) Works like n consecutive RRs / RRCs on HP-16C, similar to RRn / RRCn there. For RR, $0 \leq n \leq 63$. For RRC, $0 \leq n \leq 64$. Like on HP-16C, each RR (RRC) shifts all bits to the right by one position, storing the lowest bit in carry and copying it (RRC: the previous content of carry) to the highest bit. RR 0 and RRC 0 execute as NOP.
RRC	h X.FCN RRC <i>n</i>		
RSD	h X.FCN RSD <i>d</i>	DECIM	(1) Rounds x to d significant digits, taking the RM setting into account.
RTN	g RTN	PRG	(0) Last command in a routine. Pops the local data (like PopLR) and returns control to the calling routine in program execution, i.e. moves the program pointer one step behind the XEQ instruction that called said routine. If there is none, program execution halts and the program pointer is set to step 000.
		$\neg\text{PRG}$	(0) Resets the program pointer to the beginning of current program.

⁴¹ Translates to "kaufmännische Rundung" in German.

Name	Keys to press	in modes	Remarks
RTN+1	h P.FCN RTN+1	PRG	(0) Works like RTN, but moves the program pointer to the second line following the XEQ instruction that called said routine. Halts if there is none.
R-CLR	h P.FCN R-CLR	DECM	(0) Interprets x in the form $sss.nn$. Clears nn registers starting with number sss . Example: For $x = 34.567$, R-CLR will clear R34 through R89 .
R-COPY	h P.FCN R-COPY	DECM	(0) Interprets x in the form $sss.nnnnn$. Takes nn registers starting with number sss and copies their contents to ddd etc. Example: For $x = 7.03045678$, r07 , r08 , r09 will be copied into R45 , R46 , R47 , respectively. For $x < 0$, R-COPY will take nn registers from flash memory instead, starting with register number $ sss $ there. Destination will be in RAM always.
R-SORT	h P.FCN R-SORT	DECM	(0) Interprets x in the form $sss.nn$. Sorts the contents of nn registers starting with number sss . Example: Assume $x = 49.0369$, $r49 = 1.2$, $r50 = -3.4$, and $r51 = 0$; then R-SORT will return $r49 = -3.4$, $r50 = 0$, and $r51 = 1.2$.
R-SWAP	h P.FCN R-SWAP	DECM	(0) Works like R-COPY but swaps the contents of source and destination registers.
R→D		DECM	(1) See the catalog of conversions for conversions of radians to degrees.
R↑	h R↑	¬α	Rotates the stack contents one level up or down, respectively. See above for details.
R↓	R↓		
s	g s	DECM	(-2) Takes the statistical sums accumulated, calculates the sample standard deviations s_y and s_x and pushes them on the stack.
SAVE	h P.FCN SAVE	¬(α, PRG)	(0) Saves user program space, registers and system state to flash memory, returns Saved then. Recall your backup by LOAD. See Appendix A for more.
SB	h X.FCN SB n	Integer	(1) Sets the specified bit in x .
SCI	h SCI n	¬α	(0) Sets scientific display format.

Name	Keys to press	in modes	Remarks
SCIOVR	h SCI ENTER↑	¬α	(0) Numbers exceeding the range displayable in ALL or FIX will be shown in scientific format (default as in vintage <i>HP</i> calculators). Compare ENGOVR.
SDL	h X.FCN SDL n	DECM	(1) Shifts digits left by <i>n</i> decimal positions, equivalent to multiplying <i>x</i> by 10^n .
SDR	h X.FCN SDR n	DECM	(1) Shifts digits right by <i>n</i> decimal positions, equivalent to dividing <i>x</i> through 10^n .
SEED	h STAT SEED	DECM	(0) Stores a seed for random number generation.
SENDA	h P.FCN SENDA etc.	¬α	(0) Commands for serial I/O: SENDA sends all RAM data, SENDP the program memory, SENDR the global general purpose registers, and SENDΣ the summation registers, respectively, to the device connected. See RECV and Appendix A for more.
SENDP			
SENDR			
SENDΣ			
SEPOFF	h MODE SEPOFF	¬α	(0) Toggle the digit group separators for integers. Points or commas will be displayed every ...
SEPON	h ./.	Integer	... four digits in bases 2 and 4, ... two digits in base 16,
	h MODE SEPON	¬α	... three digits in all other integer bases.
SERR	h STAT SERR	DECM	(-2) Takes the statistical sums accumulated, calculates and returns the standard errors s/\sqrt{n} (i.e. the standard deviations of \bar{x} and \bar{y}).
SERR _w	h STAT SERR...	DECM	(-1) Returns the standard error $s/\sqrt{\sum y_i}$ for weighted data, i.e. the standard deviation of \bar{x}_w .
SETCHN	h MODE SETCHN	¬α	(0) Sets some regional preferences (see above).
SETDAT	h MODE SETDAT	DECM	(0) Sets the date for the real time clock (does not work with the emulator, since the emulator takes this information from the PC clock).
SETEUR	h MODE SETEUR etc.	¬α	(0) Set some regional preferences (see above).
SETIND			
SETJPN			
SETTIM	h MODE SETTIM	DECM	(0) Sets the time for the real time clock (does not work with the emulator, since the emulator takes this information from the PC clock).

Name	Keys to press	in modes	Remarks
SETUK	h MODE SETUK etc.	¬α	(0) Set some regional preferences (see above).
SETUSA			
SF	f SF n	¬α	(0) Sets the flag specified.
SIGN	h X.FCN SIGN	¬α	(1) Returns 1 for $x > 0$, -1 for $x < 0$, and 0 for $x = 0$ or non-numbers.
	CPX h X.FCN SIGN	DECM	(1) Returns the unit vector of $x + iy$ in X and Y .
SIGNMT	h MODE SIGNMT	¬α	(0) Sets sign-and-mantissa mode for integers.
SIN	f SIN	DECM	(1) Returns the sine of the angle in X .
SINC	h X.FCN SINC	DECM	(1) Returns $\frac{\sin(x)}{x}$.
SINH	f HYP SIN	DECM	(1) Returns the hyperbolic sine of x .
SKIP	h P.FCN SKIP n	PRG	(0) Skips n program steps forwards ($0 \leq n \leq 255$). So e.g. SKIP 02 skips over the next two steps, going e.g. from step 123 to step 126. If SKIP attempts to cross an END statement, an error is thrown. Compare BACK.
SL	h X.FCN SL n	Integer	(1) Works like n (≤ 63) consecutive SLs on <i>HP-16C</i> . Each such SL shifts all bits to the left by one position, storing the highest bit in carry and clearing the lowest bit. SL 0 executes as NOP.
SLOW	h MODE SLOW	All	(0) Sets the processor speed to "slow". This is also automatically entered for low battery voltage (see above). Compare FAST.
SLV	f SLV label	DECM	Solves the equation $f(x) = 0$, with $f(x)$ calculated by the routine specified. Two initial estimates of the root must be supplied in X and Y when calling SLV. For the rest, the user interface is as in <i>HP-15C</i> . This also means SLV acts as a test, so the next program step will be skipped if SLV failed to find a root. Please refer to the <i>HP-15C Owner's Handbook</i> (Section 13 and Appendix D) for more information about automatic root finding.

Name	Keys to press	in modes	Remarks
SLVQ	[h] [X.FCN] SLVQ	DECM	<p>Solves the quadratic equation $ax^2 + bx + c = 0$, with its real parameters on the input stack [c, b, a, ...] , and tests the result.</p> <ul style="list-style-type: none"> • If $r := b^2 - 4ac \geq 0$, SLVQ returns $\frac{-b \pm \sqrt{r}}{2a}$ in Y and X. In a program, the step after SLVQ will be executed. • Else, SLVQ returns the real part of the first complex root in X and its imaginary part in Y (the 2nd root is the complex conjugate of the first – see CONJ). If run directly from the keyboard, the complex indicator C is lit then – in a program, the step after SLVQ will be skipped. <p>In either case, SLVQ returns r in Z. Higher stack levels are kept unchanged. L will contain equation parameter c.</p>
SMODE?	[h] [TEST] SMODE?	$\neg\alpha$	(-1) Returns the integer sign mode set, i.e. 2 (meaning “true”) for 2’s complement, 1 (“true” again) for 1’s complement, 0 (i.e. “false”) for unsigned, or -1 (i.e. “true”) for sign and mantissa mode.
SPEC?	[h] [TEST] SPEC?	$\neg\alpha$	(0) True if x is ‘special’, i.e. infinity or NaN.
SR	[h] [X.FCN] SR <i>n</i>	Integer	(1) Works like n (≤ 63) consecutive SRs on HP-16C. Each such SR shifts all bits to the right by one position, storing the lowest bit in carry and clearing the highest bit. SR 0 executes as NOP.
sRCL	[h] [X.FCN] sRCL <i>s</i>	$\neg\alpha$	(-1) Assumes the source s contains single precision data and recalls them as such. See below .
SSIZE4	[h] [MODE] SSIZE4	$\neg\alpha$	Set the stack size to 4 or 8 levels, respectively. See above . Please note register contents will remain unchanged in this operation. The same will happen if stack size is changed by any other operation.
SSIZE8	[h] [MODE] SSIZE8	$\neg\alpha$	
SSIZE?	[h] [TEST] SSIZE?	$\neg\alpha$	(-1) Returns the number of stack levels allocated.
STO	[STO] <i>d</i>	$\neg\alpha$	(0) See the addressing table above for ^c STO.
STOM	[STO] [MODE] <i>s</i>	$\neg\alpha$	(0) Stores mode settings for later use as described above . Take RCLM to recall them.
STOP	[R/S]	PRG	(0) Stops program execution. May be used to wait for an input, for example.

Name	Keys to press	in modes	Remarks
STOS	h P.FCN STOS <i>d</i>	$\neg\alpha$	(0) Stores all stack levels in a set of 4 or 8 registers, starting at destination <i>d</i> . See RCLS.
STO+	STO + <i>d</i>	$\neg\alpha$	(0) Executes the specified operation on the content of address <i>d</i> and stores the result into said address. E.g. STO–12 subtracts <i>x</i> from <i>r12</i> like the sequence RCL 12 x\bar{y} – STO 12 would do, but without touching the stack at all.
STO–	STO – <i>d</i>		
STO \times	STO \times <i>d</i>		
STO/	STO / <i>d</i>		See the addressing table above for ^c STO.
STO \uparrow	STO \blacktriangle <i>d</i>	$\neg\alpha$	(0) STO \uparrow (\downarrow) takes the maximum (minimum) of the values in <i>d</i> and X and stores it.
STO \downarrow	STO \blacktriangledown <i>d</i>		
SUM	h STAT SUM	DECM	(-2) Recalls the linear sums Σy and Σx . Useful for elementary vector algebra in 2D.
s_w	h STAT s_w	DECM	(-1) Calculates the standard deviation for weighted data (where the weight <i>y</i> of each data point <i>x</i> was entered via $\Sigma+$): $s_w = \sqrt{ \frac{\sum y_i \cdot \sum (y_i \cdot x_i^2) - [\sum (y_i \cdot x_i)]^2}{(\sum y_i)^2 - \sum y_i^2} } .$
s_{xy}	h STAT s_{xy}	DECM	(-1) Calculates the sample covariance for the two data sets entered via $\Sigma+$. It depends on the fit model selected. For LinF, it returns $s_{xy} = \frac{n \sum x_i y_i - \sum x_i \sum y_i}{n \cdot (n - 1)} .$ See COV for the population covariance.
TAN	f TAN	DECM	(1) Returns the tangent of the angle in X.
TANH	f HYP TAN	DECM	(1) Returns the hyperbolic tangent of <i>x</i> .
TICKS	h P.FCN TICKS	$\neg\alpha$	(-1) Returns the number of ticks from the real time clock at execution time. With the quartz built in, 1 tick = 0.1 s. Without, it may be 10% more or less. So the quartz is an inevitable prerequisite for the clock being useful in medium to long range.
TIME	h X.FCN TIME	DECM, α	(-1) Recalls the time from the real time clock at execution, displaying it in the format hh.mmss in 24h-mode. Choose FIX 4 for best results.

Name	Keys to press	in modes	Remarks
T _n	h X.FCN T_n	DECM	(2) Chebychev's (a. k. a. Čebyšev, Tschebyschow, Tschebyscheff) polynomials of first kind $T_n(x)$ with n in Y , solving the differential equation $(1-x^2)y''-x \cdot y'+n^2y=0.$
TOP?	h TEST TOP?	PRG	(0) Executes the next step only if TOP? is called in a program that isn't a subroutine, i.e. if the program-running flag is set and the subroutine return stack pointer is clear.
TRANSP	h MATRIX TRANSP	DECM	(1) Takes a matrix <i>descriptor</i> in X and returns the descriptor of its transpose. The transpose is done in-situ and does not require any additional registers or storage.
t _P (x)	h PROB t_P(x)	DECM	(1) Student's t distribution. t(x) equals $1 - Q(t)$ in HP-21S. The degrees of freedom are stored in J . t _P (x) denotes the respective <i>pdf</i> .
t(x)	h PROB t(x)		
t ⁻¹ (p)	h PROB t⁻¹(p)		
t \leftrightarrow	h P.FCN t\leftrightarrow r	¬α	Swaps <i>t</i> and the contents of address <i>r</i> , in analogy to <i>x\leftrightarrow</i> .
ULP	h X.FCN ULP	¬α	(1) Returns 1 times the smallest power of ten which can be added to <i>x</i> or subtracted from <i>x</i> to actually change the value of <i>x</i> in the machine in the mode set. Thus, in integer mode, 1 is returned.
U _n	h X.FCN U_n	DECM	(2) Chebychev's polynomials of second kind $U_n(x)$ with n in Y , solving the differential equation $(1-x^2)y''-3x \cdot y'+n(n+2)y=0.$
UNSIGN	h MODE UNSIGN	¬α	(0) Sets unsigned mode for integers like UNSGN on HP-16C.
VERS	h X.FCN VERS	¬PRG	(0) Shows your firmware version and build number.
VIEW	h VIEW s	¬α	(0) Shows the content of address <i>s</i> until the next key is pressed. See above for more.
VIEW α	h VIEW α	All	(0) Displays <i>alpha</i> in the top line and --- in the bottom line until the next key is pressed. See above for more. Note f may be omitted in the first path to αVIEW
	h P.FCN VIEWα	¬α	
	h X.FCN VIEWα	All	
VW $\alpha+$	h VIEW s	α	(0) Shows the alpha register in the top line plus the content of address <i>s</i> in the bottom line until the next key is pressed. See above for more.
	h P.FCN VW$\alpha+$	¬α	

Name	Keys to press	in modes	Remarks
WHO	h X.FCN WHO	$\neg\alpha$	(0) Displays credits to the brave men who made this project work.
WDAY	h X.FCN WDAY	DECM	(1) Takes x as a date in the format selected and returns the name of the day in the dot matrix and a corresponding integer in the numeric display (Monday = 1, Sunday = 7).
W_m	h X.FCN W_m	DECM	(1) W_p returns the principal branch of Lambert's W for given $x \geq -1/e$. W_m returns the negative branch.
W_p	h X.FCN W_p		
W^{-1}	h X.FCN W⁻¹	DECM	(1) Returns x for given W_p (≥ -1). See there.
Weibl	h PROB Weibl	DECM	(1) Weibull distribution with the shape parameter b in J and the characteristic lifetime T in K : Weibl _P ⁴² returns $f_w(t) = \frac{b}{T} \left(\frac{t}{T}\right)^{b-1} e^{-\left(\frac{t}{T}\right)^b}$, Weibl returns $F_w(t) = 1 - e^{-\left(\frac{t}{T}\right)^b}$. Weibl ⁻¹ returns the survival time t_s for given probability F_w , b in J and T in K .
Weibl _P	h PROB Weibl_P		
Weibl ⁻¹	h PROB Weibl⁻¹		
WSIZE	h MODE WSIZE n	$\neg\alpha$	(0) Works like on HP-16C, but with the parameter following the command instead of taken from X . Reducing the word size truncates the values in the stack registers employed, including L . WSIZE 0 sets the word size to maximum, i.e. 64 bits.
WSIZE?	h TEST WSIZE?	$\neg\alpha$	(-1) Recalls the word size set.
x^2	g x²	$\neg\alpha$	(1)
x^3	h X.FCN x³	$\neg\alpha$	(1)
XEQ	XEQ <u>label</u>	PRG	(0) Calls the respective subroutine.
		$\neg\text{PRG}$, $\neg\alpha$	(0) Executes the respective program.
	A , B , C , or D (you may need f for reaching these hotkeys in integer bases >10.)	PRG	(0) Calls the respective subroutine, so e.g. XEQ C will be inserted when C is pressed.
		$\neg\text{PRG}$, $\neg\alpha$	(0) Executes the respective program if defined.

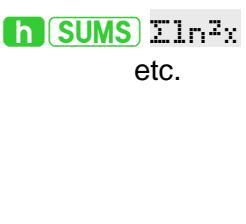
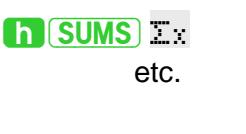
⁴² The pdf equals $\text{WEIBULL}(x; b; T; 0)$ and the cdf $\text{WEIBULL}(x; b; T; 1)$ in MS Excel.

Name	Keys to press	in modes	Remarks
XEQ α		$\neg\alpha$	(0) Takes the first three characters of <i>alpha</i> (or less if there are less) as a label and calls or executes the respective routine.
XNOR		$\neg\alpha$	(2) Works in analogy to AND.
XOR		$\neg\alpha$	(2) Works in analogy to AND.
\bar{x}		DECM	(-2) Pushes $\bar{y} = \frac{1}{n} \sum y$ and $\bar{x} = \frac{1}{n} \sum x$ on the stack. See also s , SERR, and σ .
\bar{x}_g		DECM	(-2) Pushes $\bar{y}_g = \sqrt[n]{\prod y} = e^{\frac{1}{n} \sum \ln y}$ and $\bar{x}_g = \sqrt[n]{\prod x}$ on the stack, i.e. the geometric means. See also ε , ε_m , and ε_p .
\bar{x}_w		DECM	(-1) Returns the arithmetic mean $\bar{x}_w = \frac{\sum xy}{\sum y}$ for weighted data (where the weight y of each data point x was entered via $\Sigma+$). See also s_w and SERR _w .
\hat{x}		DECM	(1) Returns a forecast \hat{x} for a given y (in \mathbf{X}) following the fit model chosen. See L.R. for more.
$\sqrt[x]{y}$		$\neg\alpha$	(2)
$x!$		DECM	(1) Returns $\Gamma(x + 1)$.
		Integer	(1) Returns the factorial $n!$.
$x \rightarrow \alpha$		All	(0) Interprets x as character code. Appends the respective character to <i>alpha</i> , similar to XTOA in HP-42S.
$x \leftrightarrow$		$\neg\alpha$	Swaps x and the contents of address r , in analogy to $x \leftrightarrow y$. See above for ${}^c x \leftrightarrow$. Listings will look like $x \leftrightarrow J$, $x \leftrightarrow .12$, $x \leftrightarrow 12$, and the like.
$x \leftrightarrow Y$		$\neg\alpha$	Swaps x and y , performing $\text{Re}\leftrightarrow\text{Im}$ if a complex operation was executed immediately before. See above for ${}^c x \leftrightarrow y$.

Name	Keys to press	in modes	Remarks
$x < ?$	h TEST $x < ? \underline{a}$	$\neg\alpha$	(0) Compare x with a . E.g. h TEST $x < ? \underline{K}$ will compare x with k , and will be listed as $x < ? \underline{K}$ in a program. See the examples given in the addressing table above for more.
$x \leq ?$	h TEST $x \leq ? \underline{a}$		
$x = ?$	f $x = ? \underline{a}$		
$x = +0 ?$	h TEST $x = +0 ?$		$x \approx ?$ will be true if the <u>rounded</u> values of x and a are equal (see ROUND).
$x = -0 ?$	h TEST $x = -0 ?$		The signed tests $x = +0 ?$ and $x = -0 ?$ are meant for integer modes 1COMPL and SIGNMT, and for DECM if flag D is set. Then, e.g. 0 divided by -7 will display -0.
$x \approx ?$	h TEST $x \approx ? \underline{a}$		
$x \neq ?$	g $x \neq ? \underline{a}$		
$x \geq ?$	h TEST $x \geq ? \underline{a}$		CPX f $x = ? \underline{a}$ and CPX g $x \neq ? \underline{a}$ compare the complex number $x + i y$ as explained in the addressing table above .
$x > ?$	h TEST $x > ? \underline{a}$		
YEAR	h X.FCN YEAR	DECM	(1) Assumes x containing a date in the format selected and extracts the year.
y^x	f y^x	$\neg\alpha$	(2) In integer modes, x must be ≥ 0 .
	C	$\neg(\alpha, 13, 14, 15, h)$	(2) Shortcut working if label C is not defined.
\hat{y}	f \hat{y}	DECM	(1) Returns a forecast \hat{y} (in X) for a given x following the fit model chosen. See L.R. for more.
Y.MD	h MODE Y.MD	$\neg\alpha$	(0) Sets the format for date display.
$y \leftrightarrow$	h P.FCN $y \leftrightarrow r$	$\neg\alpha$	Swaps y and the contents of address r , in analogy to $x \leftrightarrow$.
$z \leftrightarrow$	h P.FCN $z \leftrightarrow r$	$\neg\alpha$	Swaps z and the contents of address r , in analogy to $x \leftrightarrow$.
α DATE	h X.FCN α DATE	\neg integer	(0) Takes x as a date and appends it to α in the format set. See DATE. – To append a date stamp to α , call DATE α DATE.
α DAY	h X.FCN α DAY	\neg integer	(0) Takes x as a date, recalls the name of the respective day and appends its first three letters to α .
α GTO	h P.FCN α GTO n	$\neg\alpha$	(0) Interprets the contents of Rn as character code. Takes the first three characters of the converted code (or less if there is only less) as an alpha label and positions the program pointer to it.
α IP	h X.FCN α IP	All	(0) Appends the integer part of x to α , similar to AIP in HP-42S.

Name	Keys to press	in modes	Remarks
αLENG	h X.FCN αLENG	All	(-1) Returns the number of characters found in <i>alpha</i> , like ALENG in HP-42S.
αMONTH	h X.FCN αMONTH	$\neg\text{integer}$	(0) Takes <i>x</i> as a date, recalls the name of the respective month and appends its first 3 letters to <i>alpha</i> .
αOFF	h P.FCN αOFF	PRG & α	(0) Work like AOFF and AON in HP-42S, turning alpha mode off and on.
αON	h P.FCN αON	PRG & $\neg\alpha$	
αRCL	f RCL <i>s</i>	α	(0) Interprets the content of the source <i>s</i> as characters and appends them to <i>alpha</i> .
	h X.FCN αRCL <i>s</i>	$\neg\alpha$	
$\alpha\text{RC\#}$	h X.FCN $\alpha\text{RC\#}$ <i>s</i>	All	(0) Interprets the content of the source <i>s</i> as a number, converts it to a string in the format set, and appends this to <i>alpha</i> . If e.g. said content is 1234 and ENG 2 and RDX. are set, then 1.23e3 will be appended.
αRL	h X.FCN αRL <i>n</i>	All	(0) Rotates <i>alpha</i> by <i>n</i> characters like AROT in HP-42S, but with $n \geq 0$ and the parameter trailing the command instead of taken from X. αRL 0 executes as NOP.
αRR	h X.FCN αRR <i>n</i>	All	(0) Works like αRL but rotates to the right.
αSL	h X.FCN αSL <i>n</i>	All	(0) Shifts the <i>n</i> leftmost characters out of <i>alpha</i> , like ASHF in HP-42S. αSL 0 equals NOP.
αSR	h X.FCN αSR <i>n</i>	All	(0) Works like αSL but takes the <i>n</i> rightmost characters instead.
αSTO	f STO <i>d</i>	α	(0) Stores the first (i.e. leftmost) 6 characters in the alpha register in destination <i>d</i> .
	h X.FCN αSTO <i>d</i>	$\neg\alpha$	
αTIME	h X.FCN αTIME	$\neg\text{integer}$	(0) Takes <i>x</i> as a decimal time and appends it to <i>alpha</i> in the format hh:mm:ss according to the time mode selected. See TIME. – To append a time stamp to <i>alpha</i> , call TIME αTIME .
αXEQ	h P.FCN αXEQ <i>n</i>	$\neg\alpha$	(0) Interprets the contents of Rn as character code. Takes the first three characters (or less if there are only less) of the converted code as an alpha label and calls or executes the respective routine.
$\alpha \rightarrow x$	h X.FCN $\alpha \rightarrow x$	All	(-1) Returns the character code of the leftmost character in <i>alpha</i> and deletes this character, like ATOX in HP-42S.

Name	Keys to press	in modes	Remarks
β	h X.FCN β	DECM	(2) Returns Euler's Beta $B(x, y) = \frac{\Gamma(x) \cdot \Gamma(y)}{\Gamma(x+y)}$ with $\text{Re}(x) > 0$, $\text{Re}(y) > 0$. Called β here for avoiding ambiguities.
Γ	h X.FCN Γ	DECM	(1) Returns $\Gamma(x)$. Additionally, h ! calls $\Gamma(x+1)$.
ΔDAYS	h X.FCN ΔDAYS	DECM	(2) Assumes X and Y containing dates in the format chosen and calculates the number of days between them like in <i>HP-12C</i> .
$\Delta\%$	g $\Delta\%$	DECM	(2) Returns $100 \cdot \frac{x-y}{y}$ like %CH in <i>HP-42S</i> .
ε	h STAT ε	DECM	(-2) Returns the scattering factors (also known as geometric standard deviations) for log-normally distributed data $\ln(\varepsilon_y) = \sqrt{\frac{\sum \ln^2(y) - 2n \cdot \ln(\bar{y}_G)}{n-1}}$ and $\ln(\varepsilon_x)$. This ε works for the geometric mean \bar{x}_q in analogy to the standard deviation s for the arithmetic mean \bar{x} but <u>multiplicative</u> instead of additive.
ε_m	h STAT ε_m	DECM	(-2) Works like ε but returns the scattering factors of the two geometric means $\varepsilon_m = \varepsilon^{\sqrt[n]{-}}$.
ε_p	h STAT ε_p	DECM	(-2) Works like ε but with a denominator n instead of n-1 , returning the scattering factors of the two populations.
ζ	h X.FCN ζ	DECM	(1) Returns Riemann's Zeta function for real arguments, with $\zeta(x) = \sum_{n=1}^{\infty} \frac{1}{n^x}$ for $x > 1$, and its analytical continuation $\zeta(x) = 2^x \pi^{x-1} \sin\left(\frac{\pi}{2}x\right) \cdot \Gamma(1-x) \cdot \zeta(1-x)$ for $x < 1$.
π	h π	DECM	(-1) Recalls π .
	CPX π	DECM	
	CPX h π	DECM	(-2) Copies π in X and clears Y .

Name	Keys to press	in modes	Remarks
Π		DECM	(1) Computes a product using the routine specified. Initially, \mathbf{X} contains the loop control number in the format $cccccc.ffffii$, and the product is set to 1. Each run through the routine specified by label computes a factor. At its end, this factor is multiplied with said product; the operation then decrements $cccccc$ by ii and runs said routine again if then $cccccc \geq ffff$, else returns the resulting product in \mathbf{X} .
σ		DECM	(-2) Works like s but returns the standard deviations of the two populations instead.
Σ		DECM	(1) Computes a sum using the routine specified. Initially, \mathbf{X} contains the loop control number in the format $cccccc.ffffii$, and the sum is set to 0. Each run through the routine specified by label computes a summand. At its end, this summand is added to said sum; the operation then decrements $cccccc$ by ii and runs said routine again if then $cccccc \geq ffff$, else returns the resulting sum in \mathbf{X} .
$\Sigma \ln^2 x$		DECM	(1) Recall the respective statistical sums. These sums are necessary for curve fitting models beyond pure linear. Calling them by name enhances readability of programs significantly. ATTENTION: Depending on input data, some of these sums may become not numeric.
$\Sigma \ln^2 y$			
$\Sigma \ln x$			
$\Sigma \ln xy$			
$\Sigma \ln y$			
$\Sigma x \ln y$			
$\Sigma y \ln x$			
σ_w		DECM	(-1) Works like s_w but returns the standard deviation of the population instead. $\sigma_w = +\sqrt{\frac{\sum y_i(x_i - \bar{x}_w)^2}{\sum y_i}}$
Σx		DECM	(1) Recall the respective statistical sums. These sums are necessary for basic statistics and linear curve fitting. Calling them by name enhances readability of programs significantly.
Σx^2			
$\Sigma x^2 y$			
$\Sigma x y$			
Σy			
Σy^2			

Name	Keys to press	in modes	Remarks
$\Sigma+$	h [Σ+]	DECM	Adds a data point to the statistical sums.
	A	DECM	Shortcut working if label A is not defined.
$\Sigma-$	h [Σ-]	DECM	Subtracts a data point from the statistical sums.
$\varphi(x)$	h [PROB] $\varphi(x)$	DECM	(1) Standard normal <u>pdf</u> $\varphi(x) = \frac{1}{\sqrt{2\pi}} e^{-x^2/2}$.
$\Phi(x)$	f [Φ]	DECM	(1) Standard normal <u>cdf</u> $\Phi(x) = \int_{-\infty}^x \varphi(\tau) d\tau$, equals $1 - Q$ in HP-32E and $1 - Q(z)$ in HP-21S.
$\Phi^{-1}(p)$	g [Φ⁻¹]		
χ^2	h [PROB] χ^2	DECM	(1) Chisquare distribution. The <u>cdf</u> χ^2 (with its degrees of freedom given in J) equals $1 - Q(\chi^2)$ in HP-21S.
$\chi^2\text{INV}$	h [PROB] $\chi^2\text{INV}$		
χ^2_p	h [PROB] χ^2_p		
$(-1)^x$	h [X.FCN] $(-1)^x$	$\neg\alpha$	(1) For x not being a natural number, this function will return $\cos(\pi \cdot x)$.
+	+	$\neg\alpha$	(2) Returns $y + x$.
	CPX +	DECM	(2) Returns $[x + z, y + t, \dots]$. May be employed for adding 2D vectors as well.
-	-	$\neg\alpha$	(2) Returns $y - x$.
	CPX -	DECM	(2) Returns $[x - z, y - t, \dots]$. May be used for subtracting 2D vectors as well.
\times	x	$\neg\alpha$	(2) Returns $y \cdot x$.
	CPX x	DECM	(2) Returns $[x \cdot z - y \cdot t, x \cdot t + z \cdot y, \dots]$. Look for CROSS or DOT for multiplying 2D vectors.
/	/	$\neg\alpha$	(2) Returns y / x . If the division remainder is $\neq 0$ in integer modes, carry will be set.
	CPX /	DECM	(2) Returns $[\frac{x \cdot z + y \cdot t}{z^2 + t^2}, \frac{z \cdot y - x \cdot t}{z^2 + t^2}, \dots]$.
$+/-$	+/	$\neg\alpha$	(1) 'Unary minus', corresponding to $x \cdot (-1)$.

Name	Keys to press	in modes	Remarks
→DATE	h X.FCN →DATE	DECM	(3) Assumes the three components of a date being on the stack in proper order for the date format selected and converts them to a single date in x . Thus inverts DATE→.
→DEG	→ DEG	DECM	(1) Takes x as an angle in the angular mode currently set and converts it to degrees. Prefix g may be omitted.
→GRAD	→ GRAD	DECM	(1) Like →DEG, but converts to gon or grads.
→H	→ f H.d	DECM	(1) Takes x as hours or degrees in the format hhhh.mmssdd and converts them into a decimal time or angle.
→H.MS	→ f H.MS	DECM	(1) Takes x as decimal hours or degrees and converts them into the format hhhh.mmssdd as in vintage HPs. For calculations, use H.MS+ or H.MS- then or reconvert to decimal values before.
→POL	g →P	DECM	Assumes X and Y containing 2D Cartesian coordinates (x, y) of a point or a vector and converts them to the respective polar coordinates / components (r, θ) with the radius $r = \sqrt{x^2 + y^2}$
→RAD	→ RAD	DECM	(1) Works like →DEG, but converts to radians.
→REC	f R↔	DECM	Assumes X and Y containing 2D polar coordinates (r, θ) of a point or such components of a vector and converts them to the respective Cartesian coordinates or components (x, y) .
↔	h P.FCN	¬α	Shuffles the contents of the bottom 4 stack levels. Examples: #XXYZ works like ENTER↑, #YZTX works like R↓, #ZTXY works like $c_x \leftrightarrow y$, but also #ZZZX is possible. Play! But remember it will not affect the higher levels in an 8-level stack.
%	f %	DECM	(1) Returns $\frac{x \cdot y}{100}$, leaving Y unchanged.
%MG	h X.FCN xMG	DECM	(2) Returns the margin ⁴³ $100 \cdot \frac{x - y}{x}$ in % for a price x and cost y , like %MU-Price in HP-17B.

⁴³ Margin translates to „Handelsspanne“ in German.

Name	Keys to press	in modes	Remarks
%MRR	h X.FCN %MRR	DECM	(3) Returns the mean rate of return in percent per period, i.e. $100 \cdot \left[\left(\frac{x}{y} \right)^{\frac{1}{z}} - 1 \right]$ with x = future value after z periods, y = present value. For $z = 1$, $\Delta\%$ returns the same result easier.
%T	h X.FCN %T	DECM	(2) Returns $100 \cdot \frac{x}{y}$, interpreted as % of total.
%Σ	h X.FCN %Σ	DECM	(1) Returns $100 \cdot \frac{x}{\sum x}$.
	h STAT %Σ		
%+MG	h X.FCN %+MG	DECM	(2) Calculates a sales price by adding a margin of x % to the cost y , as %MU-Price does in HP-17B. Formula: $\frac{y}{1 - \frac{x}{100}}$
$\sqrt{-}$	f \sqrt{x}	$\neg\alpha$	(1) If the input is no square number, carry will be set in integer modes.
	D	$\neg(\alpha, 14, 15, h)$	(1) Shortcut working if label D is not defined.
\int	g \int_y^x label	DECM	Integrates the function given in the routine specified. Lower and upper integration limits must be supplied in Y and X, respectively. Otherwise, the user interface is as in HP-15C. Please refer to the <i>HP-15C Owner's Handbook</i> (Section 14 and Appendix E) for more information about automatic integration and some caveats.
$\infty?$	h TEST $\infty?$	$\neg\alpha$	(0) Tests x for infinity.
//	g //	DECM	(2) Returns $\left(\frac{1}{x} + \frac{1}{y} \right)^{-1}$, being very useful in electrical engineering especially.
#	h CONST # n	$\neg\alpha$	Inserts a short integer n in a single program step ($0 \leq n \leq 255$), thus saving up to two steps and an ENTER.
	CPX h CONST # n	DECM	Clears y in addition. The shortcut works for $1 \leq n \leq 9$ only.
	CPX n		

Alphanumeric Input

Character	Keys to press	in modes	Remarks
-	h PSE	α	Appends a blank space to <i>alpha</i> .
.	.	DECM	Separates degrees or hours from minutes and seconds, so input format is hhhh.mmssdd. The user has to take care where an arbitrary real number represents such an angle or time.
0 ... 9	0 ... 9	$\neg\alpha$	Standard numeric input. For integer bases <10, input of illegal digits is blocked. Please note you cannot enter more than 12 digits in the mantissa.
		in addressing	Register input. See the tables above for the number ranges.
	0 , 1 , f 2 , ..., f 9	α	Appends the respective digit to <i>alpha</i> .
A ... F	A ... F (grey print)	11, 12, 13, 14, 15, h	Numeric input for digits >10. See above for more information.
A ... Z	A ... Z (grey print)	in addressing	Register input. See the tables above for the letters applicable.
		α	Appends the respective Latin letter to <i>alpha</i> . Use f ↑ to toggle cases.
E	EEX	DECM & \neg FRACT	Works like E in the Pioneers.
i	CPX .	DECM & \neg FRACT	Enters complex number <i>i</i> , i.e. $x = 0$ and $y = 1$.
A ... Ω	g A ... g Ω (grey print)	α	Appends the respective Greek letter to <i>alpha</i> . f ↑ will toggle cases. See above for more.
(f ◀ 0	α	Appends the respective symbol to <i>alpha</i> .
)	g 0 ▶		
+	f +		
-	f -		
x	f x		

Character	Keys to press in modes		Remarks
/	Second	DECM	A persistent 2 nd in input switches to fraction mode and will be interpreted as explained below. Please note you cannot enter EEX after you entered twice – but you may delete the 2 nd dot while editing the input line.
		FRC	First is interpreted as a space, 2 nd as a fraction mark. See above for some examples.
		α	Appends a slash to <i>alpha</i> .
+/-		$\neg\alpha$	Works like in the Pioneers.
\pm		α	Appends the respective symbol to <i>alpha</i> .
,			
.			
‘.’ or ‘,’		DECM	Inserts a radix mark as selected.
!		α	Appends the respective symbol to <i>alpha</i> .
?			
\Leftarrow			
\neq			
&			
\			

Non-programmable Control, Clearing and Information Commands

Keys to press	in modes	Remarks
	In CONV	Inverts the current conversion (see below).
	Asking for confirmation	Denies the question Sure? – with N for ‘no’. Any other input except R/S = Y will be ignored.
44	Catalog or browser open	Leaves the catalog or browser like EXIT below.
	Command input pending	Deletes the last digit or character put in. If there is none yet, cancels the pending command like EXIT below.
	α	Deletes the rightmost character in alpha .
	PRG	Deletes current program step.
	Else	Acts like CLx.
/	Status display open	Goes to previous / next status window. This means going to the previous / next set of flags typically. See above .
	Catalog or browser open	Goes to previous / next item therein.
	α	Scrolls the display window six characters to the left / right in alpha if possible. If less than six characters are beyond the limits of the display window on this side, the window will be positioned to the beginning / end of string. Useful for longer strings.
	Else	Acts like BST / SST in <i>HP-42S</i> . I.e. browses programs in PRG, where / will repeat with 5Hz when held down for longer than 0.5s. – Out of PRG, SST will also execute the respective program step, but the keys will not repeat.
/ 	Integer & \neg PRG	Shifts the display window to the left / right like in <i>HP-16C</i> . Helpful while working with small bases.
	DECM & \neg PRG	Shows the full mantissa until the next key is pressed. See above . Compare the command SHOW in previous calculators.
	α	Toggles upper and lower case (indicated by the annunciator .

⁴⁴ The mode conditions specified here will be checked top down for this command at execution time:

If there is a catalog or browser open, it will be left without executing anything;
else if there is pending command input, the last digit / character entered for it will be deleted;
else if alpha mode is set, the last character of **alpha** will be deleted;
else if your *WP 34S* is in programming mode, the current step will be deleted;
else CLx will be executed. Period.

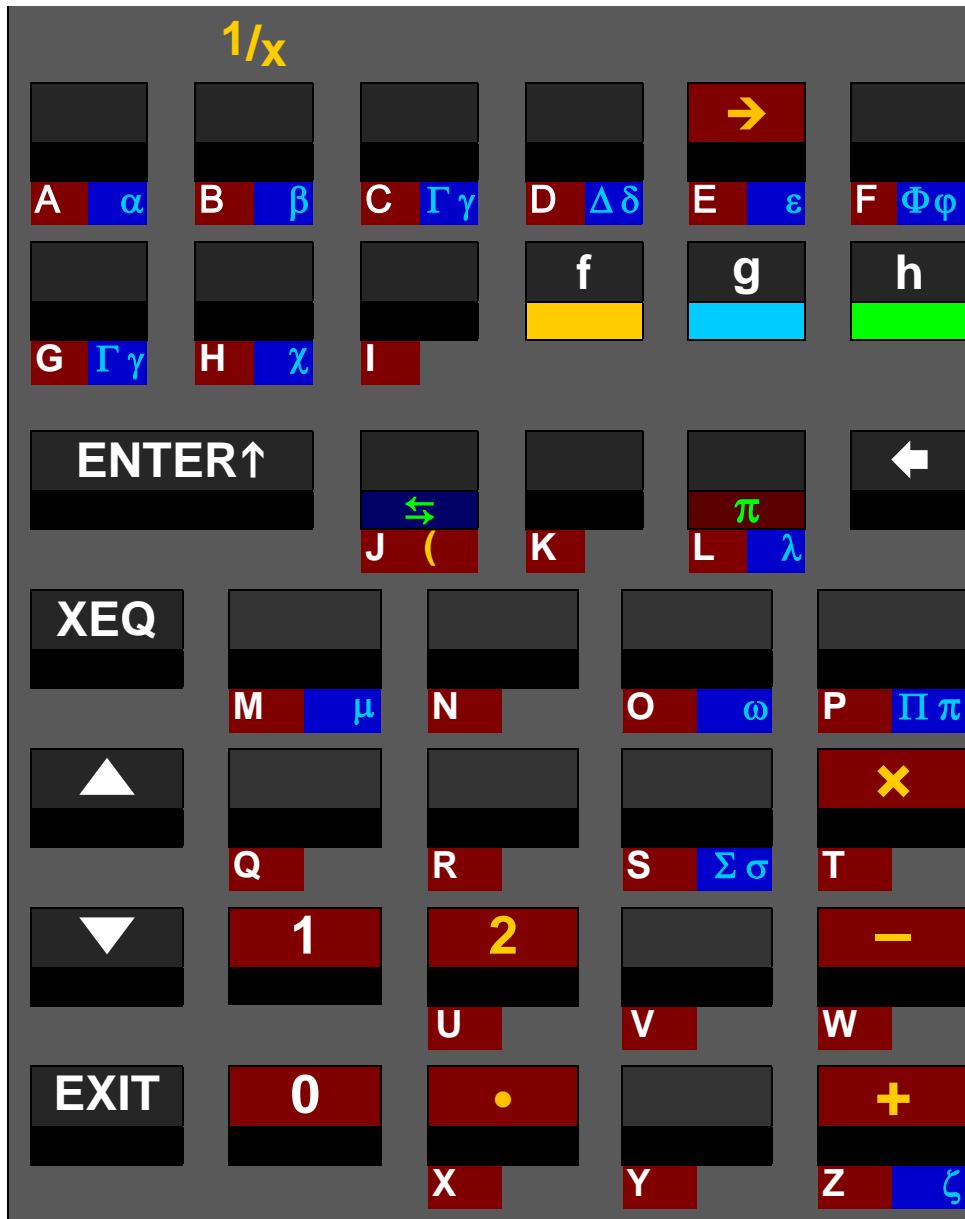
This method holds for all commands listed here using this symbolic.

Keys to press		in modes	Remarks
[ENTER↑]	Catalog open	Selects the current item like [XEQ] below.	
	CAT open	Goes to the first routine carrying the label displayed (see below).	
	α	Leaves alpha mode.	
	Else	Acts like the command ENTER described above.	
[EXIT]	Catalog or browser open	Leaves the catalog or browser without executing anything.	
	Command input pending	Cancels the execution of pending operations, returning to the calculator status as it was before.	
	Program running	Stops the running program like [R/S] . See below.	
	PRG	Leaves programming mode like [P/R] . See below.	
	α	Leaves alpha mode like [ENTER↑] . See above.	
	Else	Does nothing.	
[h OFF]	\neg PRG	Turns your <i>WP 34S</i> off.	
	PRG	Enters the command OFF as described above.	
[ON]	Calculator off	Turns your <i>WP 34S</i> on.	
	Else	There are several [ON] -key combinations available. Most important are [ON] + [+] or [−] adjusting display contrast. Further combinations are found in the appendices.	
[h P/R]	$\neg\alpha$	Toggles programming mode (PRG).	
[R/S]	Asking for confirmation	Confirms the question Sure? – with Y for ‘yes’. Any other input except [8] = N will be ignored.	
	CAT open, \neg PRG	Runs the program whose label is displayed (compare [XEQ] below and see further below).	
	Program running	Stops program execution immediately. Stopped will be shown until the next keystroke. Press [R/S] again to resume execution.	
	\neg PRG, $\neg\alpha$	Runs the current program or resumes its execution starting with the current step.	
	α	Appends an ‘Y’ to <i>alpha</i> .	
	PRG	Enters the command STOP described above.	

Keys to press	in modes	Remarks	
XEQ	Catalog open	Selects the item currently displayed and exits, executing the respective command. See below .	
	CAT open	In PRG, inserts a program step XEQ label referring to the label displayed. Else runs the first program carrying that label (see below).	
	Else	Acts like the command XEQ described above.	
 	DECM ¬PRG PRG	Shows x as an integer to base 2, 8, or 16, respectively. Returns to the base set with the next keystroke. Prefix may be omitted here.	
		Enters alpha mode for appending characters to alpha . For starting a new string, use CL α first.	
		Leaves alpha mode.	
		Turns on alpha mode for keyboard entry of alpha constants. Each subsequent character (e.g. '?') will be stored in one program step like e.g. $\alpha ?$ and appended to alpha in program execution. For starting a new string, enter CL α before.	
		Turns on alpha group mode for direct entry of up to three characters in one program step taking two words. Your WP 34S will display α' in the top line. Now enter the characters you want to append to alpha . Example: Entering will result in two program steps stored: $\alpha' T \alpha z'$ $\alpha' t \alpha 1'$ and Test 1 appended to alpha in program execution. Please note alpha group mode is left automatically after three characters put in, so it must be called again for continuation.	

CATALOGS, BROWSERS AND APPLICATIONS

There are some operations provided opening special environments. Of these, catalogs are most frequent. A catalog on your *WP 34S* is a set of items, e.g. operations or characters. Opening a catalog will set alpha mode to allow for typing the first character(s) of the item wanted. A subset of the full alpha keyboard shown [above](#) is sufficient for catalog browsing:



f B (= **1/x**) allows for reverting conversions in CONV easily as described [below](#).

f → just calls the character '→' while browsing a catalog.

▲ and **▼** will browse the open catalog.

ENTER↑ or **XEQ** select the item displayed, recall or execute it, and exit the catalog.

EXIT or **◀** leave the catalog without executing anything, i.e. they cancel the catalog call.

See [below](#) for some examples.

In addition, you may switch catalogs easily by just calling a new one accessible in current mode directly from the catalog you are browsing – no need for **EXIT**ing this first.

Reopening the very last catalog called, the last item viewed therein is displayed for easy repetitive use. A single function may be contained in more than one catalog.

Additionally, there are some **browsers** allowing to check memory, flags, program labels and registers (i.e. **CAT**, **SHOW**, **STATUS**, and **SUMS**). They behave like catalogs in many aspects, e.g. **▲**, **▼**, **EXIT**, and **◀** work in all browsers as in catalogs. **SHOW**

and **[STATUS]** operate in [αT mode](#), however. And some special keys and special rules may apply in browsers as explained in the following.

Furthermore, there is one application provided:

Name	Keys to press in modes	Remarks
STOPW	h [X.FCN] STOPW	<p>Stopwatch application following the <i>HP-55</i> timer. This works only with the quartz installed (or on the emulator).</p> <p>{The content of X will be taken as start time.} ⁴⁵</p> <p>Starting STOPW, the display will look like this:</p> <p>unless the timer was running before already. Now:</p> <ul style="list-style-type: none"> R/S starts or stops the timer. CLx or ◀ reset the timer. EEX toggles displaying tenths {hundredths} of seconds. Startup default is 'on'. <p>Input of any two-digit number n n will set the number of the '<i>current register</i>' (startup default is 00), ENTER↑ will then store the split time in the current register ⁴⁶ at execution time in format <i>hh:mm:ss.d</i> and increment the register number. This number is displayed in the exponent section like shown here:</p> <ul style="list-style-type: none"> → toggles displaying the current register number (not featured in <i>HP-55</i>). ▲ and ▼ increment or decrement the current register number, respectively (not featured in <i>HP-55</i>). EXIT leaves the application, but the timer will continue incrementing in the background until a) stopped explicitly by R/S within STOPW or b) your <i>WP 34S</i> is turned off! <p>Please note there are <u>no other keys</u> working in STOPW – so e.g. for recalling, adding, or subtracting split times you have to leave the application.</p>

⁴⁵ Those parts printed in {} apply to *HP-55*, but not to your *WP 34S*.

⁴⁶ On the *HP-55*, input of a single digit was sufficient for storing, since only 10 registers were featured for this purpose. Furthermore, there was no automatic increment.

The catalogs and browsers your WP 34S features are listed below:

Keys to press	in modes	Contents and special remarks
h CAT	$\neg\alpha$	<p>Defined alphanumeric labels. The first label shown is the top global label of the current program – if there is none, its end is shown.</p> <p>▲ and ▼ browse global labels, while the location of the respective label is indicated in the lower line (<i>rAM</i>, <i>L</i>, <i>b</i> for the library in flash memory, or <i>buP</i> for the backup region). Duplicate labels will show the primary address in addition, e.g. CALLS 0 12 when found a second time in RAM, or e.g. CALLS L,b when found a second time elsewhere.</p> <p>f ▲ and f ▼ browse programs, i.e. show the first label in previous or next routine (with routines separated by END statements).</p> <p>0, 1, and 2 allow quick jumps to the top of <i>rAM</i>, <i>L</i>, <i>b</i>, or <i>buP</i>, respectively.</p> <p>ENTER↑ goes to the alpha label displayed, while XEQ executes it. Both keystrokes will perform a label search as described above.</p> <p>RCL executes PRCL for the program displayed.</p> <p>R/S starts the current program, i.e. the one whose label is just displayed, <u>without</u> performing a label search first.</p>
h CONST	DECM & \neg PRG	Constants like in HP-35s, but more. See them listed below . Picking a constant will recall it.
	Integer	Calls the command # (see above).
	DECM & PRG	Picking a constant will insert a program step beginning with # followed by the name of the constant selected. It will then recall it in program execution.
CPX h CONST	DECM & \neg PRG	Opens the same catalog of constants as h CONST , but picking a constant will execute a complex recall. So, a stack looking like [x, y, ...] before will contain [constant, 0, x, y, ...] after picking.
h CONV	DECM	Conversions as listed in a table below .
f CPX	α	'Complex' letters mandatory for many languages (see below). Case may be toggled here (see f ↑ above).
h MATRIX	DECM	Matrix operations library.
h MODE	$\neg\alpha$	Mode setting functions.
h PROB	DECM	Probability distributions beyond standard normal.
h P.FCN	$\neg\alpha$	Extra programming and I/O functions.
h R↑	α	Superscripts and subscripts (see below).

Keys to press	in modes	Contents and special remarks	
g SHOW	$\neg\alpha$	<p>Browses all allocated stack and general purpose registers as well as their contents, starting with X.</p> <p>▲ goes up the stack, continues with the other lettered registers, then with R00, R01, etc.</p> <p>▼ browses the registers going down from the highest allocated numbered register (R99 in startup default) to R00 if applicable, then continues with K, J, etc.</p> <p>□ turns to local registers if applicable, starting with R.00. Then, ▲ and ▼ browse local registers up and down until another □ returns to X. Local register addresses may exceed .15 here!</p> <p>Input of any legal letter jumps to the corresponding register, as does any legal two-digit number (see above).</p> <p>ENTER↑ or RCL recall the register displayed. In programming mode, they enter a corresponding step RCL ...</p> <p>In your <i>WP 34S</i>, ◀ and ▶ do what SHOW did in vintage calculators – please see above.</p>	
h STAT	DECM	Extra statistical functions.	
h STATUS	$\neg\alpha$	Shows the memory status and browses the status of all user flags, similar to STATUS on <i>HP-16C</i> . See above for a detailed description.	
h SUMS	DECM	All summation registers and their contents.	
h TEST	$\neg\alpha$	All tests except the two on the keyboard (see next page).	
	α	Comparison symbols and brackets, except C , D and E (see below).	
h X.FCN	DECM	Extra real functions.	These three catalogs are merged in mode PRG to ease programming.
	Integer	Extra integer functions.	
	α	Extra alpha functions.	
CPX h X.FCN	DECM	Extra complex functions.	
h ./. ,	α	Punctuation marks and text symbols (see below).	
f →	α	Arrows and mathematical symbols (see below).	

See the next pages for detailed item lists of the various catalogs. Within each catalog, items are sorted alphabetically (see [above](#) for the sorting order). You may access particular items fast and easily by typing the first characters of their names – see [below](#) for some examples and constraints.

Catalog Contents in Detail

MATRIX	MODE	PROB	P.FCN	STAT	SUMS	TEST
DET	12h	Binom	BACK	COV	$n\Sigma$	BC?
LINEQS	1COMPL	Binom_P	CFALL	L.R.	$\Sigma \ln^2 x$	BS?
MROW+ x	24h	Binom^{-1}	CLALL	SEED	$\Sigma \ln^2 y$	CNVG?
MROW x	2COMPL	Cauch	CLPALL	SERR	$\Sigma \ln x$	DBL?
MROW \Leftarrow	BASE	...	CLREG	$SERR_w$	$\Sigma \ln xy$	ENTRY?
M+ x	BestF	Expon	CLSTK	SUM	$\Sigma \ln y$	EVEN?
M^{-1}	DENANY	...	CL α	s_w	Σx	FC?
M-ALL	DENFAC	$F_p(x)$	DEC	s_{xy}	Σx^2	FC?C
M-COL	DENFIX	$F(x)$	DROP	$\bar{x}g$	$\Sigma x^2 y$	FC?F
M-DIAG	DENMAX	$F^{-1}(p)$	DSL	\bar{x}_w	$\Sigma x \ln y$	FC?S
M-ROW	DISP	Geom	DSZ	\hat{x}	Σxy	FLASH?
Mx	D.MY	...	END	ε	Σy	FP?
M.COPY	E3OFF	Lgnrm	ERR	ε_m	Σy^2	FS?
M.IJ	E3ON	...	FF	ε_p	$\Sigma y \ln x$	FS?C
M.LU	ExpF	Logis	$f'(x)$	σ		FS?F
M.REG	FAST	...	$f''(x)$	σ_w		FS?S
nCOL	FRACT	Norml	GTO α	$\%\Sigma$		IBASE?
nROW	JG1582	...	INC			INTM?
TRANSP	JG1752	Poiss	ISE			INT?
	LinF	...	ISZ			KEY?
	LogF	Pois λ	LOAD			KTP?
	LZOFF	...	LOADP			LBL?
	LZON	$t_p(x)$	LOADR	SAVE		LEAP?
	M.DY	$t(x)$	LOADSS	SENDA		LocR?
	PowerF	$t^{-1}(p)$	LOAD Σ	SENDP		MEM?
	RCLM	Weibl	LocR	SENR		M.SQR?
	RDX,	...	MSG	SEND Σ		NaN?
	RDX.	$\varphi(x)$	NOP	SKIP		ODD?
	REGS	χ^2	PopLR	STOS		PRIME?
	RM	χ^2 INV	PRCL	TICKS		REALM?
	SEPOFF	χ_p^2	PROMPT	$t\Leftarrow$		REGS?
	SEPON		PSTO	VIEW α		RM?
	SETCHN		PUTK	$VW\alpha+$		SMODE?
	SETDAT		RCLS	$\times EQ\alpha$	$x < ?$	SPEC?
	SETEUR	SLOW	RECV	$y\Leftarrow$	$x \leq ?$	SSIZE?
	SETIND	SSIZE4	RESET	$z\Leftarrow$	$x = +0?$	TOP?
	SETJPN	SSIZE8	RTN+1	αGTO	$x = -0?$	WSIZE?
	SETTIM	STOM	R-CLR	αOFF	$x \approx ?$	
	SETUK	UNSIGN	R-COPY	αON	$x \geq ?$	
	SETUSA	WSIZE	R-SORT	αXEQ	$x > ?$	
	SIGNMT	Y.MD	R-SWAP	\Leftarrow	$\infty ?$	

X.FCN varies with the mode set, except in programming⁴⁷. It contains in ...

... alpha mode:	... decimal mode:			... integer modes:		CPX X.FCN
	$\sqrt[3]{x}$	LCM	W_m	$\sqrt[3]{x}$	ROUNDI	$c^3\sqrt{x}$
VERS	AGM	L_n	W_p	ASR	RR	c^cAGM
$x \rightarrow \alpha$	ANGLE	$LN1+x$	W^{-1}	BATT	RRC	c^cCONJ
$\alpha DATE$	BATT	$L_n\alpha$	XNOR	CB	SB	c^cCROSS
αDAY	B_n	$LN\beta$	x^3	CEIL	SEED	c^cDOT
αIP	B_n^*	$LN\Gamma$	$x \rightarrow \alpha$	DBLR	SIGN	c^cDROP
$\alpha LENG$	CEIL	MANT	$\sqrt[x]{y}$	DBL x	SL	c^ce^{x-1}
$\alpha MONTH$	DATE	MAX	YEAR	DBL /	SR	c^cFIB
$\alpha RC\#$	DATE \rightarrow	MIN	$\alpha DATE$	DROP	sRCL	c^cg_d
αRL	DAY	MONTH	αDAY	FB	ULP	$c^cg_d^{-1}$
αRR	DAYS+	NAND	αIP	FIB	VERS	c^cLN1+x
αSL	DECOMP	NEIGHB	$\alpha LENG$	FLOOR	WHO	$c^cLN\beta$
αSR	DEG \rightarrow	NEXTP	$\alpha MONTH$	GCD	x^3	$c^cLN\Gamma$
$\alpha TIME$	DROP	NOR	αRCL	LCM	XNOR	c^cSIGN
$\alpha \rightarrow x$	D \rightarrow J	P_n	$\alpha RC\#$	LJ	$x \rightarrow \alpha$	c^cSINC
	erf	RAD \rightarrow	αRL	MASKL	$\sqrt[x]{y}$	c^cW_p
	erfc	RESET	αRR	MASKR	αIP	c^cW^{-1}
	EXPT	ROUNDI	αSL	MAX	$\alpha LENG$	c^cx^3
	e^{x-1}	RSD	αSR	MIN	αRCL	$c^cx\sqrt{y}$
	FIB	SDL	αSTO	MIRROR	$\alpha RC\#$	$c^c\beta$
	FLOOR	SDR	$\alpha TIME$	NAND	αRL	$c^c\Gamma$
	GCD	SIGN	$\alpha \rightarrow x$	nBITS	αRR	$c^c(-1)^x$
	g_d	SINC	β	NEIGHB	αSL	
	g_d^{-1}	SLVQ	Γ	NEXTP	αSR	
	GRAD \rightarrow	sRCL	$\Delta DAYS$	NOR	αSTO	
	H_n	STOPW	ζ	RESET	$\alpha \rightarrow x$	
	H_{np}	TIME	$(-1)^X$	RJ	$(-1)^X$	
	H.MS+	T_n	$\rightarrow DATE$	RL		
	H.MS-	ULP	%MG	RLC		
	iRCL	U_n	%MRR			
	I β	VERS	%T			
	I Γ	WDAY	% Σ			
	J \rightarrow D	WHO	%+MG			

⁴⁷ In programming mode, these three contents will be merged.

À	à	à	à	à
Á	á	á	á	á
ÂÃÄÃ	âãäã	âãäã	âãäã	âãäã
Ä	ä	ä (ä)	ä	ä
Æ	æ	æ	æ	æ
Å	å	å	å	å
Ć	ć	ć	ć	ć
Č	č	č	č	č
Ç	ç	ç	ç	ç
Đ	đ	đ	đ	đ
È	è	è	è	è
É	é	é	é	é
Ê	ê	ê	ê	ê
Ë	ë	ë (ë)	ë	ë
Ħ	ħ	ħ	ħ	ħ
Ì	ì	ì	ì	ì
Í	í	í	í	í
ÎÏÏ	îï	îî	îî	îî
Ï	ï	ï (ï)	ï	ï
Ñ	ñ	ñ	ñ	ñ
Ò	ò	ò	ò	ò
Ó	ó	ó	ó	ó
ÔÕÕ	ôõõ	ôõõõ	ôõõõ	ôõõõ
Ö	ö	ö (ö)	ö	ö
Ø	ø	ø	ø	ø
Ř	ř	ř	ř	ř
Š	š	š	š	š
Ɓ	ɓ	ɓ	ɓ	ɓ
Ù	ù	ù	ù	ù
Ú	ú	ú	ú	ú
ÛӮӮӮ	ûӮӮӮ	ûӮӮӮ	ûӮӮӮ	ûӮӮӮ
Ü	ü	ü (ü)	ü	ü
Ӯ	ö	ö	ö	ö
ӯ	ø	ø	ø	ø
Ӻ	ŷ	ŷ / ŷ	ŷ	ŷ
ӻ	ÿ	ÿ / ÿ	ÿ	ÿ
ӹ	ž	ž	ž	ž

Here are the contents of the alpha catalogs making the *WP 34S* the most versatile global calculator known. Small font is printed on grey background on this page. The catalog **CPX** is listed left. Accented letters are as wide as plain ones wherever possible.

./.	
,	: ; ‘ “ * @ _ ~ % \$ € £ ¥ ⊖ ⊕ ` #
,	: ; ‘ “ * @ _ ~ % \$ € £ ¥ ⊖ ⊕ ` #
,	: ; ‘ “ * @ _ ~ % \$ € £ ¥ ⊖ ⊕ ` #
TEST	
< ≤ = ≈ ≥ > [] { }	→ ← ↑ ↓ √ ∫ ∞ ^ ⇧
< ≤ = ≈ ≥ > [] { }	÷ + × ÷ × ∫ ∫ ∞ ^ ⇧
< ≤ = ≈ ≥ > [] { }	÷ + × ÷ × ∫ ∫ ∞ ^ ⇧
R↑	
0 ° 1 2 2 3 A B c c d e k m n p u w x x y μ -1 * ∞	0 ° 1 2 2 3 A B c c d e k m n p u w x x y μ -1 * ∞
0 ° 1 2 2 3 A B c c d e k m n p u w x x y μ -1 * ∞	0 ° 1 2 2 3 A B c c d e k m n p u w x x y μ -1 * ∞

The letters provided in your *WP 34S* allow for correct writing the languages of more than $3 \cdot 10^9$ people using Greek or simple variants of Latin alphabets, i.e. the following languages:

Afrikaans, Català, Cebuano, Česky, Cymraeg, Dansk, Deutsch, Eesti, English, Español, Euskara, Français, Gaeilge, Galego, Ελληνικά, Hrvatski, Bahasa Indonesia, Italiano, Basa Jawa, Kiswahili, Kreyòl ayisyen, Magyar, Bahasa Melayu, Nederlands, Norsk, Português, Quechua, Shqip, Slovenčina, Slovenščina, Srpski, Basa Sunda, Suomeksi, Svenska, Tagalog, Winaray, and Zhōng-wén (with a little trick explained below). If you know further living languages covered, please tell us.

Mandarin Chinese (Zhōngwén) features four tones, usually transcribed like e.g. mā, má, mǎ, and mà. So we need different letters for á and ä here, and for e, i, o, and u as well. With six pixels total character height, we found no way to display these in both fonts nicely, keeping letters and accents separated for easy reading. For an unambiguous solution, we suggest using a dieresis (else not employed in Hanyu pinyin) representing the third tone here. Pinyin writers, we ask for your understanding.

Find the full character set provided in the [appendix](#).

Accessing Catalog Items the Fast Way

Each and every catalog may be browsed by just using the cursors as explained [above](#). You may reach your target significantly faster, however, taking advantage of the alphabetical method demonstrated in the left columns of the table below:

1 User input	CONST , CONV , MATRIX , MODE , PROB , P.FCN , STAT , TEST , SUMS , or X.FCN	CPX or R↑ in alpha mode	→ , TEST , or ./. in alpha mode	
Dot matrix display	Shows 1st item in selected catalog. (e.g. B0? in TEST) (e.g. ä in CPX) (e.g. ⋮ in ./.)			
2 User input	1 st character of command desired (e.g. F)	Desired basic letter (e.g. U)		
Dot matrix display	Shows 1st item starting with this character * (e.g. FC?) Shows 1st item starting with this letter * (e.g. Ü)			
3 User input	2 nd character (e.g. S)	↓ ↓ ↓		
Dot matrix display	Shows 1st item starting with this sequence * (e.g. FS?)			
... Continue browsing with ▼ until reaching the item desired				
	(e.g. FS?C).	(e.g. Ü).	(e.g. €).	
n User input	XEQ or ENTER↑			
	Your WP 34S leaves the catalog returning to the mode set before and executes or inserts the command chosen, or recalls the constant selected.	... and appends the selected character to <i>alpha</i> .		
Dot matrix display	Result (e.g. True) Contents of alpha register (e.g. 3 Rüben à 0,25€)			

*) If a character or sequence specified is not found in this catalog then the first item following alphabetically will be shown – see the sorting sequence [above](#). If there is no such item, then the last item in this catalog is displayed.

You may key in even more than two characters – after 3 seconds, however, or after **▼** or **▲**, the search string will be reset and you may start with a first character again.

Constants (CONST)

Your WP 34S contains a rich set of constants. Navigation works as explained above. Names of **astronomical** and **mathematical** constants are printed on colored background below. Values of physical constants (*incl. their relative standard deviations given in parentheses below*) are from CODATA 2010, copied in July 2011, unless stated otherwise explicitly. Green background denotes exact or almost exact values. The more the color turns to red, the less precise the respective constant is known, even by the national standards institutes and the international scientific community⁴⁸.

For the units, remember Tesla with $1T = 1 \frac{Wb}{m^2} = 1 \frac{V \cdot s}{m^2}$, Joule with $1J = 1N \cdot m = 1 \frac{kg \cdot m^2}{s^2}$

and on the other hand $1J = 1W \cdot s = 1V \cdot A \cdot s$. Thus $1 \frac{J}{T} = 1A \cdot m^2$.

Employ the constants stored for further useful equivalences, like expressing Joules in Electron-Volts $1A \cdot s \cdot V = \frac{1}{e} eV \approx 6.24 \cdot 10^{18} eV$, or calculating the wavelength from the

frequency of electromagnetic radiation via $\frac{c}{f} = \lambda$, or whatever else crosses your mind.

		Numeric value	Unit	Remarks
a	a	365.242 5 (<i>per definition</i>)	<i>d</i>	Gregorian year
a_o	a_o	5.291 772 109 2E-11 (3.2E-10)	<i>m</i>	Bohr radius $a_0 = \frac{\alpha}{4\pi \cdot R_\infty}$
a_m	a_m	384.4E6 (1E-3)	<i>m</i>	Semi-major axis of the Moon's orbit
a_⊕	a_⊕	1.495 979E11 (1E-6)	<i>m</i>	Semi-major axis of the Earth's orbit. Within the uncertainty stated here, it equals 1 AU.
c	c	2.997 924 58E8 (<i>per definition</i>)	<i>m/s</i>	Vacuum speed of light
c₁	c₁	3.741 771 53E-16 (4.4E-8)	<i>m² · W</i>	First radiation constant $c_1 = 2\pi \cdot h \cdot c^2$
c₂	c₂	0.014 387 770 (9.1E-7)	<i>m · K</i>	Second radiation constant $c_2 = hc/k$
e	e	1.602 176 565E-19 (2.2E-8)	<i>C</i>	Electron charge $e = \frac{2}{K_J R_K} = \Phi_0 G_0$
eE	eE	2.718 281 828 459 045...	1	Euler's <i>e</i> . Please note the letter <i>e</i> represents the electron charge elsewhere in this table.

⁴⁸ The bracketed values printed here for your kind attention allow for computing the precision of results you may obtain using these constants. The procedure to be employed is called 'error propagation'. It is often ignored, though essential for trustworthy results – not only in science. Please turn to respective texts before you believe in 4 decimals of a calculation result based on yardstick measurements.

		Numeric value	Unit	Remarks
F	F	96 485.336 5 (2.2E-8)	$\frac{C}{mol}$	Faraday's constant $F = e \cdot N_A$
Fα	Fα	2.502 907 875 095 892 8...	1	
Fδ	Fδ	4.669 201 609 102 990 6...		Feigenbaum's α and δ
g	g	9.806 65 (per definition)	$\frac{m}{s^2}$	Standard earth acceleration
G	G	6.673 84E-11 (1.2E-4)	$\frac{m^3}{kg \cdot s^2}$	Newton's gravitation constant. See GM below for a more precise value.
G₀	G₀	7.748 091 734 6E-5 (3.2E-10)	$\frac{1}{\Omega}$	Conductance quantum $G_0 = 2e^2/h = 2/R_K$
G_c	G_c	0.915 965 594 177...	1	Catalan's constant
g_e	g_e	-2.002 319 304 361 53 (2.6E-13)	1	Landé's electron g-factor
GM	GM	3.986 004 418E14 (2.0E-9)	$\frac{m^3}{s^2}$	Newton's gravitation constant times the Earth's mass with its atmosphere included (according to WGS84).
h	h	6.626 069 57E-34 (4.4E-8)	$J \cdot s$	Planck constant
\hbar	\hbar	1.054 571 726E-34 (4.4E-8)		$= h/2\pi$
k	k	1.380 648 8E-23 (9.1E-7)	J/K	Boltzmann constant $k = R/N_A$
K_j	K_j	4.835 978 70E14 (2.2E-8)	H_z/V	Josephson constant $K_j = 2e/h$
l_p	l_p	1.616 199E-35 (6.0E-5)	m	Planck length $l_p = \sqrt{\hbar G/c^3} = t_p c$
m_e	m_e	9.109 382 91E-31 (4.4E-8)	kg	Electron mass
M_{mo}	M_{mo}	7.349E22 (5E-4)		Mass of the Moon
m_n	m_n	1.674 927 351E-27 (4.4E-8)		Neutron mass
m_p	m_p	1.672 621 777E-27 (4.4E-8)		Proton mass
M_p	M_p	2.176 51E-8 (6.0E-5)		Planck mass $M_p = \sqrt{\hbar c/G}$
m_u	m_u	1.660 538 921E-27 (4.4E-8)		Atomic unit mass = $10^{-3} kg / N_A$
m_{uc}²	m_{uc}²	1.492 417 954E-10 (4.4E-8)	J	Atomic unit mass energy equivalent

		Numeric value	Unit	Remarks
m_μ	m_μ	1.883 531 475E-28 (5.1E-8)	kg	Muon mass
M_\odot	M_\odot	1.989 1E30 (5E-5)		Mass of the sun
M_\oplus	M_\oplus	5.973 6E24 (5E-5)		Mass of the Earth
N_A	N_A	6.022 141 29E23 (4.4E-8)	$1/mol$	Avogadro's number
NaN	NaN	not a number		"not a number", e.g. $\ln(x)$ for $x \leq 0$.
p_0	p_0	101 325 (per definition)	Pa	Standard atmospheric pressure
q_p	q_p	1,875 545 9E-18 (6.0E-5)	As	Planck charge $q_p = \sqrt{4\pi\epsilon_0\hbar c} \approx 11.7e$. This was in CODATA 2006, but in 2010 no more.
R	R	8.314 462 1 (9.1E-7)	$J/mol \cdot K$	Molar gas constant
r_e	r_e	2.817 940 326 7E-15 (9.7E-10)	m	Classical electron radius $r_e = \alpha^2 \cdot a_0$
R_K	R_K	25 812.807 443 4 (3.2E-10)	Ω	von Klitzing constant $R_K = h/e^2$
R_m	R_m	1.737 530E6 (5E-7)	m	Mean radius of the Moon
R_∞	R_∞	1.097 373 156 853 9E7 (5.0E-12)	$1/m$	Rydberg constant $R_\infty = \alpha^2 m_e c / 2h$
R_\odot	R_\odot	6.96E8 (5E-3)	m	Mean radius of the sun
R_\oplus	R_\oplus	6.371 010E6 (5E-7)	m	Mean radius of the Earth
a	a	6.378 137 0E6 (per definition)	m	Semi-major axis of the model WGS84 used to define the Earth's surface for GPS and other surveying purposes.
b	b	6.356 752 314 2E6 (1.6E-11)	m	Semi-minor axis of WGS84
e^2	e^2	6.694 379 990 14E-3 (1.5E-12)	1	First eccentricity squared of WGS84
e'^2	e'^2	6.739 496 742 28E-3 (1.5E-12)	1	Second eccentricity squared of WGS84 (it is really called e'^2 in this article, I apologize)
f^{-1}	f^{-1}	298.257 223 563 (per definition)	1	Flattening parameter of WGS84
T_0	T_0	273.15 (per definition)	K	= 0°C, standard temperature
t_P	t_P	5.391 06E-44 (6.0E-5)	s	Planck time $t_P = \sqrt{\frac{\hbar G}{c^5}} = \frac{l_p}{c}$

		Numeric value	Unit	Remarks
T_p	T_p	1.416 833E32 (6.0E-5)	K	Planck temperature $T_p = \frac{c^2}{k} \sqrt{\frac{\hbar c}{G}} = \frac{M_p c^2}{k} = \frac{E_p}{k}$
V_m	V_m	0.022 413 968 (9.1E-7)	m^3/mol	Molar volume of an ideal gas at standard conditions $V_m = \frac{RT_0}{p_0}$
Z_0	Z_0	376.730 313 461...	Ω	Characteristic impedance of vacuum $Z_0 = \sqrt{\frac{\mu_0}{\epsilon_0}} = \mu_0 c$
α	α	7.297 352 569 8E-3 (3.2E-10)	1	Fine-structure constant $\alpha = \frac{e^2}{4\pi\epsilon_0\hbar c} \approx \frac{1}{137}$
γ_{EM}	γ_{EM}	0.577 215 664 901 532 86...	1	Euler-Mascheroni constant γ_{EM}
γ_p	γ_p	2.675 222 005E8 (2.4E-8)	$\frac{1}{s \cdot T}$	Proton gyromagnetic ratio $\gamma_p = \frac{2\mu_p}{\hbar}$
ϵ_0	ϵ_0	8.854 187 817...E-12	$\frac{A \cdot s}{V \cdot m}$ or F/m	Electric constant or vacuum permittivity $\epsilon_0 = \frac{1}{\mu_0 c^2}$
λ_e	λ_e	2.426 310 238 9E-12 (6.5E-10)	m	Compton wavelengths of the electron
λ_{en}	λ_{en}	1.319 590 906 8E-15 (8.2E-10)		$\lambda_c = \frac{\hbar}{m_e c}$, the neutron, and the proton,
λ_{ep}	λ_{ep}	1.321 409 856 23E-15 (7.1E-10)		respectively.
μ_0	μ_0	1.256 637 061 4...E-6	$\frac{V \cdot s}{A \cdot m}$	Magnetic constant, a.k.a. vacuum permeability $\mu_0 := 4\pi \cdot 10^{-7} \frac{V \cdot s}{A \cdot m}$.
μ_B	μ_B	9.274 009 68E-24 (2.2E-8)	J/T or $A \cdot m^2$	Bohr's magneton $\mu_B = \frac{e\hbar}{2m_e}$
μ_e	μ_e	-9.284 764 30E-24 (2.2E-8)		Electron magnetic moment
μ_n	μ_n	-9.662 364 7E-27 (2.4E-7)		Neutron magnetic moment
μ_p	μ_p	1.410 606 743E-26 (2.4E-8)		Proton magnetic moment
μ_u	μ_u	5.050 783 53E-27 (2.2E-8)		Nuclear magneton $\mu_u = \frac{e\hbar}{2m_p}$
μ_μ	μ_μ	-4.490 448 07E-26 (3.4E-8)		Muon magnetic moment

		Numeric value	Unit	Remarks
π	π	3.141 592 653 589 793...	1	
σ_B	σ_B	5.670 373E-8 (3.6E-6)	$\frac{W}{m^2 K^4}$	Stefan Boltzmann constant $\sigma_B = \frac{2\pi^5 k^4}{15h^3 c^2}$
Φ_0	Φ_0	1.618 033 988 749 894...	1	Golden ratio $\Phi = \frac{1+\sqrt{5}}{2}$
Φ_0	Φ_0	2.067 833 758E-15 (2.2E-8)	V s	Magnetic flux quantum $\Phi_0 = h/2e = 1/K_J$
ω	ω	7.292 115E-5 (2E-8)	rad/s	Angular velocity of the Earth according to WGS84 .
$-\infty$	$-\infty$	-infinity	1	May the Lord of Mathematics forgive us calling these 'constants'.
∞	∞	infinity		
#	#		1	See the very last command in the index above .

Unit Conversions (CONV)

CONV mainly provides the means to convert local to common units⁴⁹. Navigation works as in the other catalogs. There is one specialty, however: **f B** (i.e. **1/x**) will execute the inverse of the conversion displayed and leave CONV.

Example: Assume the display set to FIX 3. Then keying in

4 h CONV A will display

telling you

4 acres equal 1.619 hectares.

Now press **f B** and you will get

being the

amount of acres equaling 4 hectares.

Press **h CONV** again and you see

confirming what was just said.

Leave CONV via **EXIT** and the display will return to 9884.

The constant **T₀** may be useful for conversions of temperatures, too; it is found in [CONST](#) and is not repeated here since being only added or subtracted. The conversion constants listed below for your information are user transparent in executing a conversion – those printed on light green background in this table apply exactly.

Conversion		Remarks	Class
°C→°F	* 1.8 + 32		Temperature
°F→°C	- 32) / 1.8		Temperature
°→G	/ 0.9	Converts to grads , also known as gon	Angle
°→rad	* π / 180	Equals D→R	Angle
acres>ha	* 0.404 687 3	1 ha = 10 ⁴ m ²	Area
ar.→dB	20lg($\frac{a_1}{a_2}$)	Amplitude ratio	Ratio
atm→Pa	* 1.013 25E5		Pressure
AU→km	* 1.495 979E8	Astronomic units	Length

⁴⁹ For most readers, many of the units appearing in CONV may look obsolete at least. They die hard, however, in some corners of this world. All these corners have in common is English being spoken there. For symmetry reasons, we might also add some traditional Indian and Chinese units.

Conversion		Remarks	Class
bar→Pa	* 1E5		Pressure
Btu→J	* 1 055.056	British thermal units	Energy
cal→J	* 4.186 8		Energy
cft→l	* 28.316 85	Cubic feet	Volume
cm→inches	/ 2.54		Length
cwt→kg	* 50.802 35	(Long) hundredweight = 112 lbs	Mass
dB→ar.	$10^{R_{dB}/20}$	Amplitude ratio	Ratio
dB→pr.	$10^{R_{dB}/10}$	Power ratio	Ratio
fathom→m	* 1.828 8		Length
feet→m	* 0.304 8		Length
fl Oz UK→ml	* 28.413 06	$1 l = \frac{1}{1000} m^3$	Volume
fl Oz US→ml	* 29.573 53		
gal UK→l	* 4.546 09		
gal US→l	* 3.785418		
G→°	* 0.9	Grads or gon	Angle
oz→oz	/ 28.349 52		Mass
G→rad	* $\pi / 200$		Angle
oz→tr.oz	/ 31.103 48		Mass
ha→acres	/ 0.404 687 3	$1 ha = 10000 m^2$	Area
HP _e →W	* 746	Electric horse power	Power
hp UK→W	* 745.699 9	British horse power	Power
inches→cm	* 2.54		Length
inHg→Pa	* 3 386.389		Pressure
J→Btu	/ 1 055.056		Energy
J→cal	/ 4.186 8		Energy
J→kWh	/ 3.6E6		Energy

Conversion		Remarks	Class
kg→cwt	/ 50.802 35	(Long) hundredweight = 112 <i>lbs</i>	Mass
kg→lb	/ 0.453 592 4		Mass
kg→stones	/ 6.350 293 18		Mass
kg→s.cwt	/ 45.359 24	Short hundredweight = 100 <i>lbs</i>	Mass
km→AU	/ 1.495 979E8	Astronomic units	Length
km→ly.	/ 9.460 730E12	Light years	Length
km→miles	/ 1.609 344		Length
km→nmi	/ 1.852	Nautical miles	Length
km→pc	/ 3.085 678E16	Parsec	Length
kWh→J	* 3.6E6		Energy
lbf→N	* 4.448 222		Force
lb→kg	* 0.453 592 4		Mass
ly.→km	* 9.460 730E12	Light years	Length
l→cft	/ 28.316 85	$1 l = 1/_{1000} m^3$	Volume
l→galUK	/ 4.546 09		
l→galUS	/ 3.785 418		
miles→km	* 1.609 344		Length
ml→flozUK	/ 28.413 06	$1 ml = 1 cm^3$	Volume
ml→flozUS	/ 29.573 53		
mmHg→Pa	* 133.322 4		Pressure
m→fathom	/ 1.828 8		Length
m→feet	/ 0.304 8		Length
m→yards	/ 0.914 4		Length
nmi→km	* 1.852	Nautical miles	Length
N→lbf	/ 4.448 222		Force
oz→g	* 28.349 52	Ounces	Mass
Pa→atm	/ 1.013 25E5	$1 Pa = 1 N/m^2$	Pressure

Conversion		Remarks	Class
$\text{Pa} \rightarrow \text{bar}$	/ 1E5		Pressure
$\text{Pa} \rightarrow \text{inHg}$	/ 3 386.389		Pressure
$\text{Pa} \rightarrow \text{mmHg}$	/ 133.322 4		Pressure
$\text{Pa} \rightarrow \text{psi}$	/ 6 894.757		Pressure
$\text{Pa} \rightarrow \text{torr}$	/ 133.322 4		Pressure
$\text{pc} \rightarrow \text{km}$	* 3.085 678E16	Parsec	Length
$\text{pr.} \rightarrow \text{dB}$	$10\lg\left(\frac{P_1}{P_2}\right)$	Power ratio	Ratio
$\text{psi} \rightarrow \text{Pa}$	* 6 894.757	Pounds per square inch	Pressure
$\text{PS(hp)} \rightarrow \text{W}$	* 735.498 8	Horse power	Power
$\text{rad} \rightarrow ^\circ$	* 180 / π	Equals R→D	Angle
$\text{rad} \rightarrow \text{G}$	* 200 / π		Angle
$\text{stones} \rightarrow \text{kg}$	* 6.350 293 18		Mass
$\text{s.cwt} \rightarrow \text{kg}$	* 45.359 24	Short hundredweight = 100 lbs	Mass
$\text{s.tons} \rightarrow \text{t}$	* 0.907 184 7	Short tons	Mass
$\text{tons} \rightarrow \text{t}$	* 1.016 047	Imperial tons	Mass
$\text{torr} \rightarrow \text{Pa}$	* 133.322 4	1 torr = 1 mm Hg	Pressure
$\text{tr.oz} \rightarrow \text{g}$	* 31.103 48	Troy ounces	Mass
$\text{t} \rightarrow \text{s.tons}$	/ 0.907 184 7	1 t = 1000 kg	Mass
$\text{t} \rightarrow \text{tons}$	/ 1.016 047		
$\text{W} \rightarrow \text{HP}_e$	/ 746		Power
$\text{W} \rightarrow \text{hpUK}$	/ 745.699 9		Power
$\text{W} \rightarrow \text{PS(hp)}$	* 735.498 8		Power
$\text{yards} \rightarrow \text{m}$	* 0.914 4		Length

You may, of course, combine conversions as you like. For example, filling your tires with a maximum pressure of 30 psi the following will help you at a gas station in Europe and beyond:

3 **0** **h** **CONV** **P** **S** **XEQ**
h **CONV** **P** **✓** **XEQ** resulting in 2,1 bar.

Now you can set the filler and will not blow your tires.

In cases of emergency of a particular kind, remember *Becquerel* equals *Hertz*, *Gray* is the unit for deposited or absorbed energy ($1\text{Gy} = 1\text{J/kg}$), and *Sievert* (*Sv*) is *Gray* times a radiation dependant dose conversion factor for the damage caused in human bodies.

In this area also some outdated units may be found in older literature: Pour les amis de Mme. Curie, $1\text{Ci} = 3.7 \cdot 10^{10} \text{Bq} = 3.7 \cdot 10^{10} \text{decays/s}$. And for those admiring the very first Nobel laureate in physics, Mr. Röntgen, for finding the x-rays (ruining his hands in these experiments), the charge generated by radiation in matter was measured by the unit $1\text{R} = 2.58 \cdot 10^{-4} \text{As/kg}$. A few decades ago, *Rem* (i.e. *Röntgen equivalent men*) measured what *Sievert* does today.

Predefined Global Alpha Labels (CAT)

There may be labels employed and provided for particular tasks already. You find them listed in CAT when the respective library routines are loaded in flash memory. Thus they will not take any steps from user program memory in RAM.

The library routines presently available are found in the internet in the directory <http://wp34s.svn.sourceforge.net/viewvc/wp34s/library/> as text files with extension .wp34s by convention. These include a suite of basic 3D vector operations, a TVM application, some matrix routines, and more. You may open these files using e.g. Notepad. They are also included in the distribution ZIP file in source form (*.wp34s) and as a precompiled library (wp34s-lib.dat) which is part of the calc_full.bin and calc_xtal_full.bin firmware files.

If you copy this file (wp34s-lib.dat, some 3kB) into the directory your WP 34S emulator runs in, you can access all those routines via CAT from your emulator as well.

APPENDIX A: SETUP AND COMMUNICATION

How to Flash Your HP 20b or 30b

If you will not buy a WP 34S preflashed as explained [above](#), you may do the flashing yourself. Then you need your calculator, a special connecting cable, and specific software on your PC or Mac. A PC featuring an hardware serial port and running Windows XP is beneficial. **Please read this paragraph completely before actually starting the procedure.**

- You will get the necessary software – the SAM-BA In-system Programmer – here for free:

http://www.atmel.com/dyn/products/tools_card.asp?tool_id=3883

Install it as explained by Atmel.

- You will get the cable from Gene Wright (USA).

- The specific file you will need to transmit to your calculator to make it your WP 34S is called calc.bin and is included in the zipped package you can download from here:

<http://sourceforge.net/projects/wp34s/files/>

Alternatively, you may download calc.bin alone from

<http://wp34s.svn.sourceforge.net/viewvc/wp34s/trunk/realbuild/>

Now, having got these three (SAM-BA, the cable, and calc.bin), please turn to the file <http://dl.dropbox.com/u/10022608/Flashing%20a%2020b%20Calculator.pdf> (edited by Tim Wessmann of HP USA and Gene Wright). Read it thoroughly for information about connecting and flashing.

ATTENTION: If your PC does not feature an hardware serial interface, you will need an USB-to-serial converter to connect the special cable to your PC. Following our experience, converters containing FTDI chips will work – others may not. Such a converter is offered e.g. here: <http://commerce.hpcalc.org/usbserial.php>

On other operating systems than XP flashing may work or not (definitively not on Windows 2000 or earlier). Please check.

On Windows 7 load MS Windows Virtual PC and Windows XP Mode, then work therein.

Then proceed as described in *Flashing a 20b Unit* in said file, steps 1 to 3 only.

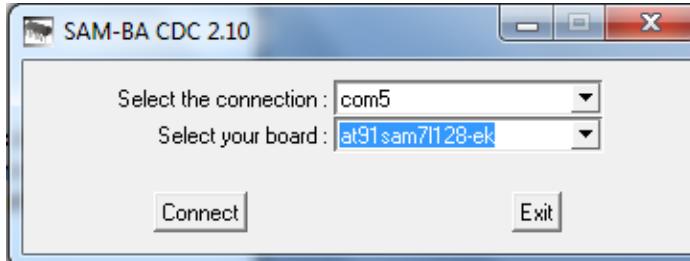
WARNING: Flashing your HP 20b or 30b will erase the HP firmware in step 3, meaning your business calculator will be gone then. The firmware will be replaced with the WP 34S file completely! After this flash is finished, you will have a *WP 34S RPN Scientific* – i.e. your calculator will react as documented in this very manual.

This also means your device will not do anything useful for you between step 3 and 13. It may even look dead – it is not, be assured. At least it will just be draining your batteries (see below)! If you (have to) interrupt the flashing process at any time in this interval for any reason whatsoever, don't worry: simply start again. You may, however, not get any feedback displayed in step 3 anymore. That does not matter, just stick to the procedure.

As long as the cable is connected to your calculator, it will draw a considerable current from the calculator batteries. If you happen to hang anywhere in the flashing process, also the processor is left running at full speed. So chances are high your coin cells will be drained while you are trying to find out what is going wrong. Thus it is wise to disconnect the cable from your calculator when you will not need the cable for the next couple of minutes. For repeated

flashing, an external 3V DC supply may pay very fast. Take care to connect '+' to the outer and '-' to the inner contact. The following will work with a good 3V supply only.

Having completed step 3 of said file, call your SAM-BA for step 4. It may take a long time to start up (some sixty seconds), so be patient. When it launches (step 5), a window pops up:



Choose the correct connection (take the port you put your cable in – it may differ from what is printed here). Select the board built in your calculator (i.e. AT91SAM7L128-EK as shown). Press [Connect] then. This was step 6.

In step 7, put in the address of `calc.bin` on your PC. Then continue according to steps 8 to 13. Not reaching step 7 may be due to low supply voltage on your calculator (see above).

Overlays – Where to Get Them and How to Make Them Yourself

After flashing successfully, a keyboard overlay is very helpful for further work since most labels deviate from the ones used on said business calculators. You may get fine adhesive vinyl overlays from Eric Rechlin (USA).



If those are not available for any reason whatsoever, preliminary paper overlays are most easily made using the picture printed here. Print this page to scale (on A4 paper the picture shall be 68mm wide per default), cut it out, span it over your WP 34S using some transparent adhesive tape, and you are done.

You may – if you know how to handle a sharp pointed knife carefully – also cut along the thin white lines on the left, top, and right side of each key. Thereafter, attach the base paper to the key plate and each key will peek through its little door. When you stick the end of each such door or flap to the respective key then, your paper cover will come pretty close to a professional overlay already.

Handling Flash Memory on Your WP 34S

Flash memory is very useful for backups as explained [above](#). Alternatively to the commands SAVE and LOAD contained in X.FCN (see the [index of operations](#)), you may use another approach. Hold down **ON** (i.e. **EXIT**) and press one of the following keys:

- [STO]** for backup: Creates a copy of the *RAM* in flash memory like *SAVE* does.
- [RCL]** for restore: Restores the most recent backup like *LOAD* does.
- ⑥ (i.e. **S**)** for SAM-BA: Clears the GPNVM1 bit and turns the calculator off. Will work in debug mode only (see *below*) to prevent accidental access to this possibly dangerous feature.
- WARNING:** You can now only boot in SAM-BA boot mode! Without the SAM-BA software and the cable mentioned above, you are lost!

These key combinations have to be pressed twice in a row without releasing **[ON]** to be executed.

We recommend doing a *SAVE* or **[ON]** + **[STO]** before flashing a new release! After flashing, your backup will still be available – if you didn't accidentally press the *ERASE* button on the cable but used **[ON]** + **⑥** instead to get into SAM-BA boot mode.

Further flash memory operations are *LOADR*, *LOADST*, *LOADΣ*, *PRCL*, and *PSTO*. See the [index](#).

Mapping of Memory Regions to Emulator State Files

Region		State file	Remarks
Backup	b + v	wp34s-backup.dat	Is created by <i>SAVE</i> .
Flash	L , b	wp34s-lib.dat	Is written whenever a flash command is executed.
RAM	r + R	wp34s.dat	Backup of the emulator RAM area (registers, state, and programs) – this file is written only when exiting the emulator.

All files are only read into memory at emulator startup.

Data Transfer Between Your *WP 34S* and Your PC (SAM-BA)

This method is superseded by the one using serial I/O commands – see next paragraph. It is still interesting enough to leave it here as a reference. It needs Atmel's original SAM_BA.exe program. For regular flashing of the firmware, MySamba from the flashtools directory on SF is recommended.

The entire *RAM* is saved to address *0x11F800* (relative address *0x1F800*) by *SAVE* or its equivalent **[ON]** + **[STO]**. This content can be copied to your PC or loaded from it if the special interface cable mentioned above is connected. Then, the transfer is performed as follows:

1. From calculator to PC:
 - a. Press **[ON]** + **[STO]**,
then **[ON]** + **D** (see below),
then **[ON]** + **S**.
 - b. Press **[ON]** once again and start SAM-BA on the PC. Both devices should connect.
 - c. Set the start address to *0x11F800* and the size to *0x800*.
 - d. Enter a file name of your choice in the receive field. You can now receive the file with SAM-BA.
 - e. Move it into your emulator directory (where *wp34sgui.exe* is stored) under the name *wp34s.dat*.
 - f. The emulator should accept the file. Your registers and programs will then be in place.

- g. To get your calculator back in business, start the "Boot from flash" script in SAM-BA – the same procedure you might know from flashing the firmware with this tool..
 - h. Reset and press **ON** to power up. The *RAM* is automatically restored from the backup.
2. From PC to calculator:
- a. Execute steps 1.a + b.
 - b. Set the start address to `0x11F800`.
 - c. Point SAM-BA to your `wp34s.dat` file from the emulator.
 - d. You can now send the short file with SAM-BA.
 - e. Execute steps 1.g + h.

Data Transfer Between Your WP 34S and Your PC (Serial I/O)

You will need the special interface cable mentioned above once again, or a [modified 20b or 30b](#) as described elsewhere. Said special cable draws current from the batteries of your calculator; it shall thus be disconnected from your WP 34S as soon as not needed anymore.

Both the emulator and the calculator can talk to each other with the same cable used for programming. In the emulator directory a text file `wp34s.ini` must be placed that contains the name of the port such as COM2:

The new Qt based emulators for Windows and MacOS contain a setup option for the serial interface. They will eventually replace the current Windows emulator completely. With a proper cable it is even possible to transfer data between two calculators with the same set of commands.

The following commands allow for sending programs, registers or all *RAM*. They are found in the P.FCN catalog.

On the receiving device, start the command `RECV`. It will display `Wait...`.

On the sender you have three choices:

1. `SENDP` will send the current program. After successful termination, the receiver will display `Program`.
2. `SENDER` will send the global numbered registers. The receiver will display `Register` after successful termination.
3. `SENDA` will send the complete two kilobytes of non-volatile *RAM*. The receiver will display `All RAM` after successful termination.

The commands for sending and receiving feature a fixed timeout of some 10 seconds for setting up the connection. After an interval of inactivity of said length, an "I/O Error" is thrown indicating no communication has occurred. If such an error appears in the middle of a transmission, try again.

On a device without the crystal installed, you may get said error because of the baud rate setting may be a bit too far off. To determine the speed, use the loop

```
CLx
INC X
BACK 001
```

and let it run for 30 seconds. The expected result at nominal speed is around 191,000. The I/O commands accept a correction factor in percent in **X**. Try with 95 if your device is a bit too slow or 105 if it is a bit too fast. Values between 80 and 120 are accepted – all other are ignored. On the emulator or with the crystal installed, **x** is ignored.

The little '=' annunciator is lit while the serial port is in use. Take **EXIT** to abort the communication if necessary.

APPENDIX B: MEMORY MANAGEMENT

This chapter discusses how the available memory is divided in program area, local and global data. The two kilobytes (or 1024 words) of non-volatile *RAM* are divided in four distinct sectors:

1. Status and configuration data
2. Global registers, i.e. general purpose registers and stack
3. Registers used for cumulative statistics (optional)
4. Subroutine return stack (*SRR*) and program memory.

These sectors are ordered top down. This chapter covers the variable boundaries between them.

A complete copy of the nonvolatile *RAM* can be written to flash memory using **SAVE** (or **ON+STO**). See [Appendix A](#) for more information about the handling of flash memory.

Status and Configuration Data

This sector of 88 bytes is fixed at the very top of available memory and is completely user transparent. Thus it is not covered here besides saying it contains 42 bytes of status and modes data, the alpha register, and 14 bytes holding the 112 global user flags.

Global Registers

Global registers are placed near the end of available memory. In startup default memory layout, the numbered registers **R00** to **R99** precede the stack and special registers **X**, **Y**, **Z**, **T**, **A**, **B**, **C**, **D**, **L**, **I**, **J**, and **K** as shown [above](#). This totals to 112 global registers, which is the maximum available. Their number can be reduced down to 12 using **REGS** (see [above](#)). **REGS?** will return an integer between 0 and 100 corresponding to the number of global numbered registers currently allocated.

REGS controls the lower boundary of the global register sector (abbreviated *LBG* in the following). Reducing the number of registers will pull up *LBG* to higher absolute addresses; increasing their number will push it down. The memory contents are moved accordingly, thus preserving the data in the surviving registers. Contents of deallocated registers are lost, newly added registers are cleared. The lettered registers do not move.

Example: Please see the global register sector at startup default in the left three columns of the following memory table. The next two sets of two columns each show what happens after subsequent execution of **REGS 96** and **REGS 98**. The registers are loaded with arbitrary values here to allow tracing them easily. *LBG* is indicated by a red line.

Absolute address	Default startup memory allocation		After executing REGS 96		Then after executing REGS 98	
	Contents	Relative register address	Contents	Relative register address	Contents	Relative register address
X+11	$k = 40.7$	R111 = K	40.7	K = R111	40.7	K = R111
...
X+2	$z = 4.5$	R102 = Z	4.5	Z = R102	4.5	Z = R102
X+1	$y = -33.8$	R101 = Y	-33.8	Y = R101	-33.8	Y = R101
X	$x = 123.0$	R100 = X	123.0	X = R100	123.0	X = R100
X-1	$r99 = -13.6$	R99	23.1	R95	0.0	R97
X-2	$r98 = 67.9$	R98	6.4	R94	0.0	R96
X-3	$r97 = -45.2$	R97	4.8	R93	23.1	R95
X-4	$r96 = 9.7$	R96	...	R92	6.4	R94
X-5	$r95 = 23.1$	R95	...	R91	4.8	R93
X-6	$r94 = 6.4$	R94	...	R90	...	R92
X-7	$r93 = 4.8$	R93	...	R89	...	R91
...
X-94	...	R06	5.7	R02	...	R04
X-95	...	R05	-2.4	R01	81.3	R03
X-96	...	R04	1.1	R00	5.7	R02
X-97	$r03 = 81.3$	R03			-2.4	R01
X-98	$r02 = 5.7$	R02			1.1	R00
X-99	$r01 = -2.4$	R01				
X-100	$r00 = 1.1$	R00				
...						

Please note the absolute addresses of **R00** up to **Rn-1** change after REGS **n** whenever **n** is changed, while their contents are copied.

In indirect addressing, zero in the index register points to **R00** always. Index values exceeding the maximum set by REGS will throw an “out of range” error, unless they fall between 100 and 111 – where the lettered registers live.

The two sectors following in lower memory (summation registers and SRR) are tied to *LBG* – their contents will be copied whenever it moves. This allows to execute REGS in the middle of a subroutine without disrupting the program.

Summation Registers

The memory needed for cumulative statistics is allocated separately – these data are no longer held in global general purpose registers. This allows for higher internal precision and prevents destroying these data inadvertently. The only way to update statistical data is via $\Sigma+$ and $\Sigma-$. The accumulated data are evaluated and recalled by dedicated commands, they are not accessible by STO or RCL.

The first invocation of $\Sigma+$ allocates 70 words for the 14 summation registers⁵⁰. They are inserted between *LBG* and *SRR*, pushing the latter down in memory. Depending on the competing requirements for program and data space, it may be necessary to make room first (see [below](#)).

After CLΣ, CLALL, or RESET, the memory allocated for the summation registers is released again. All pointers are automatically adjusted, so the memory allocation or release will not disrupt a running program. Recall commands like e.g. Σxy or SUM will return zero if no data are allocated, other statistical operations will throw an error if not enough data are present.

ATTENTION: The summation data will be cleared automatically when a long program is loaded (from flash or via the serial interface) and after that load the registers would no longer fit in memory. You can avoid this by reducing the amount of numbered registers using REGS before the load attempt. This will (hopefully) move the summation data out of the way.

SRR and Program Memory

Both share the remaining space at lowest memory addresses.

The **SRR** is used for return addresses (sic!) and local data. Its upper boundary is given by *LBG* or the lowest summation register if applicable. There is no command to set the size of the *SRR* – it fills all the space down to the top program step currently stored. When new program steps are entered, the *SRR* is reset, not only to make room but because any stored address may become invalid by changing the program.

Local data are pushed on the *SRR*. Thus they cannot overwrite global data, enhancing the flexibility of programs significantly. LocR *n* allocates *n* local registers and a fixed amount of 16 local flags. It does so by pushing a frame on the *SRR* containing a marker, a flag word, and the registers requested (0 to 144). The marker contains the frame size in words, depending on the precision mode set (see [below](#)). A pointer to this frame in memory is initialized. If the pointer is zero, no local registers exist. Newly allocated registers are cleared.

Calling LocR again in the same subroutine will adjust the number of local registers. This requires data copying since these registers are allocated from low to high addresses and the *SRR* grows in the opposite direction. LocR? will return the number of local registers currently allocated in the routine you are in.

See [below](#) for addressing local data, and for an example of recursive programming. The *SRR* must be large enough to hold these data, however, so you may have to make room first – see next paragraph.

Below of the *SRR*, **program memory** holds the program steps stored. A typical program step takes just one word. Multi byte labels and multi character alpha strings take two words each. The total size of program memory depends on the number of global and local registers allocated (see next paragraph).

⁵⁰ Herein, 2 words are employed for Σn , 4×8 words for Σx^2 , Σy^2 , Σxy , and Σx^2y , and 9×4 words for the other sums. If memory allocation for these 70 words fails, an error will be thrown.

Making Room for Your Needs

The 12 special (lettered) registers are always allocated. The *SRR* has a minimum size of six words or levels. Everything else is user distributable within the 980 words left for sections 2 to 4, so:

$$982 = r + s + p \text{ with}$$

r = number of words allocated for global registers. These are 4 per standard register. There are at least 12 and max. 112 of them. So r varies between 48 and 896 (this maximum is explained [below](#)). Startup default is 448.

s = words allocated for summation registers (70 if they are used, startup default is 0).

p = number of words available for program steps and *SRR*. One step is taken by the inevitable final END statement already, 6 words are the minimum size of the *SRR*. So STATUS will show you a maximum of 933 free words in *RAM*, meaning up to 927 free program steps. Startup default is 533 steps. Subroutine nesting and local registers expand the *SRR*, thus reducing the program space available.

If, for instance, you need to do statistics and also use 20 global numbered registers, there will be space for 777 program steps maximum.

You have several options for increasing the free space where you need it:

1. Reduce the number of global numbered registers allocated. One register less allows for four additional program steps typically.
2. Move programs to flash memory and clear the respective steps in *RAM*. Four cleared program steps allow for one additional register typically.
3. Release the summation registers when you do not need them anymore. This space may be distributed to up to 70 additional program steps, up to 17 additional registers, or a mix.

Which solution serves you best depends on your application. You may of course combine different options. Use [STATUS](#) to monitor the free space available and the amount of global and local numbered registers allocated.

Addressing and Accessing Local Data

Global data take relative addresses from 0 to 111 as described [above](#). So, relative addresses of local data begin with 112 and may go up to 255 if 144 local registers are allocated. The first 16 local registers and all local flags may be also directly addressed using a dot heading the number – the arguments go from .00 to .15, corresponding to relative addresses from 112 to 127⁵¹. Any registers beyond are only indirectly addressable. This scheme allows for indirectly addressing

- a global register via a global index register (e.g. STO→23 with $r23 < 112$),
- a global register via a local index register (e.g. STO→.15 with $r.15 < 112$),
- a local register via a global index register (e.g. STO→47 with $r47 \geq 112$), and
- a local register via a local index register (e.g. STO→.06 with $r.06 \geq 112$).

Subroutine calls: XEQ – executed in a program – just pushes the return address on the *SRR* before it branches to the target. The subroutine called will keep having access to the caller's local data as long as it does not execute LocR itself. As soon as it does, the pointer to the local data is newly set, and the subroutine called cannot access the caller's local data anymore.

⁵¹ Only arguments up to 127 are storables in an op-code, hence the limit.

RTN or PopLR – executed in a program – check if the current *SRR* pointer points to a local frame (as explained [above](#)). If true then the pointer is moved above that frame, and the *SRR* is searched from this point upwards for another local frame. If such a frame is found then its pointer is stored, else the pointer to the active local frame is cleared. RTN will branch to the return address found while PopLR will just continue execution. So the – until then – current local frame is dropped and the next higher (older) frame reactivated if existent.

Manually executing RTN, starting a new program with XEQ, or program editing will clear the *SRR* and remove all local data by clearing the pointer. Thus, all contents of local registers and flags are lost then!

Recursive Programming

Using local registers allows for creating a subroutine that calls itself recursively. Each invocation deals with its local data only. Of course the *RPN* stack is global so be careful not to corrupt it.

Here is a recursive implementation of the factorial (example for demonstration only, since this routine will neither set LastX correctly nor will it work for input greater than some hundred):

LBL 'FAC'	Assume $x=4$ when you call FAC. Then it will allocate 1 local register (R.00) and store 4 therein. After decrementing x , FAC will call itself.
IP	
x>1?	Then FAC_2 will allocate 1 local register (R.00₂) and store 3 therein.
SKIP 002	After decrementing x , FAC will call itself again.
1	Then FAC_3 will allocate 1 local register (R.00₃) and store 2 therein.
RTN	After decrementing x , FAC will call itself once more.
LocR 001	Then FAC_4 will return to FAC_3 with $x=1$. This x will be multiplied by r.00₃ there, returning to FAC_2 with $x=2$. This x will be multiplied by r.00₂ there, returning to FAC with $x=6$, where it will be multiplied by r.00 and will become 24 finally.
STO .00	
DEC X	
XEQ 'FAC'	
RCLx .00	
RTN	

Switching between Real and Integer

Your WP 34S starts in standard real mode (DECM) when you get it new. You may use it for integer computations as well, as shown above many times. Going from DECM to any integer mode, the values on the current stack will be truncated to integers. Going from integer mode to DECM, the current stack contents (being all integers) will be converted to decimal. All other memory contents will stay as they were!

See the fate of some register contents undergoing subsequent mode switches in the following examples, where *j*, *k*, *r00*, and *r01* will be checked by recalling them:

	X	Y	J	K	R00	R01
Contents at start e.g.	11	202	3003	40004	500005	6000006
Then after WSIZE 32, BASE 10	1 ^d	20 ^d	3075 ^d	40964 ^d	512005 ^d	6291462 ^d
Recall the registers by sRCL			300 ^d	4000 ^d	50000 ^d	600000 ^d
567 STO J, -9 STO 00	-9 ^d	567 ^d	567 ^d	40964 ^d	-9 ^d	6291462 ^d
DECM	-90	5670	57 ⁻³⁸⁹	40004	30 ⁻³⁸⁹	6000006
Recall the registers by iRCL			5670	409640	-90	62914620

APPENDIX C: MESSAGES AND ERROR CODES

There are some commands generating messages, be them in the numeric or in the dot matrix section of the display. Of these, DAY, DAYS+, ERR, STATUS, VERS, and WDAY were introduced above in the [paragraph about display](#) already. Others are PROMPT, αVIEW and more alpha commands, and the test commands as mentioned [above](#). Also two [constants](#) will return a special message when called.

Furthermore, there are a number of error messages. Depending on error conditions, the following messages will be displayed in the mode(s) listed⁵²:

Message	Error code	Mode(s)	Explanation and examples
Bad time or date	2	DECM	Invalid date format or incorrect date or time in input, e.g. month >12, day >31 etc.
Bad digit Error	9	Integer	Invalid digit in integer input, e.g. 2 in binary, 9 in octal, or +/- in unsigned mode. Will be displayed as long as the respective key is pressed.
Bad mode Error	13	All	Caused by calling an operation in a mode where it is not defined, e.g. calling a constant in a program written in DECM but executed in an integer mode.
Domain Error	1	¬α	An argument exceeds the domain of the mathematical function called. May be caused by roots of negative numbers or logs of $x \leq 0$ (both if not preceded by CPX), by 0 / 0, $\Gamma(0)$, $\tan(90^\circ)$ and equivalents, by $\text{artanh}(x)$ for $ \text{Re}(x) \geq 1$, by $\text{arcosh}(x)$ for $\text{Re}(x) < 1$, etc.
Flash is Full	23	All	No more space in flash memory. Delete a program from flash.
Illegal Operation	7	All	Self-explanatory.
Invalid data	18	All	Set when there is a checksum error either in flash or as part of a serial download. It is also set if a flash segment is otherwise not usable.
Invalid parameter	16	¬α	Similar to error 1 but a parameter specified in J or K is out of supported range for the function called. May appear e.g. if LgNrm is called with $j < 0$.

⁵² Each of these messages may also be displayed using the command **ERR** in all modes. Grey background in the last column indicates errors which should never happen – but who knows?

Message	Error code	Mode(s)	Explanation and examples
I/O Error <small>360</small>	17	¬a	Please see Appendix A .
Matrix NOT SQUARE <small>360</small>	21	DECM	<ul style="list-style-type: none"> A matrix isn't square when it should be. Matrix sizes aren't miscible.
No root Found <small>360</small>	20	DECM	The solver did not converge.
No such LABEL <small>360</small>	6	All	Attempt to address an undefined label.
Out of range Error <small>360</small>	8	All	<ul style="list-style-type: none"> A number exceeds the valid range. Caused e.g. by specifying decimals >11, word size >64, negative flag numbers, integers $\geq 2^{64}$, hours or degrees >9000, invalid times, denominators ≥ 9999 etc. A register address exceeds the valid range. May also happen in indirect addressing or calling nonexistent locals. An R-operation (e.g. R-COPY) attempts exceeding valid register numbers (0 .. 99). A matrix <i>descriptor</i> would go beyond the registers available or a row or column index is too large.
RAM is FULL <small>360</small>	11	All	No more space in RAM. May be caused by attempts to write too large programs, allocate too many registers, and the like. May happen also in program execution due to too many local data dynamically allocated (see above).
Singular Error <small>360</small>	22	DECM	<ul style="list-style-type: none"> Attempt to use a LU decomposed matrix for solving a system of equations. Attempt to invert a matrix when it isn't of full rank.
Stack CLASH <small>360</small>	12	All	STOS or RCLS attempt using registers that would overlap the stack. Will happen with e.g. SSIZE = 8 and STOS 94.
Too few data Points <small>BEG</small>	15	DECM	A statistical calculation was started based on too few data points, e.g. regression or standard deviation for < 2 points.

Message	Error code	Mode(s)	Explanation and examples
Too long Error	10	All	Keyboard input is too long for the buffer. Will happen e.g. if you try to enter more than 12 digits.
Undefined OP-CODE	3	All	An instruction with an undefined operation code occurred.
Word size too SMALL	14	Integer, ¬PRG	Register content is too big for the word size set.
Write Protected	19	All	Attempt to delete or edit program lines in flash memory.
+∞ Error	4	¬a, ¬PRG	<ul style="list-style-type: none"> Division of a number > 0 (or < 0) by zero. Divergent sum or product or integral. Positive (or negative) overflow in DECM (see above).
-∞ Error	5	¬PRG	

Each error message is temporary (see [above](#)), so or **EXIT** will erase it and allow continuation. Any other key pressed will erase it as well, but will also execute with the stack contents present. Thus, another easy and safe return to the display shown before the error occurred is pressing an arbitrary prefix twice.

APPENDIX D: CHARACTER SETS

The following table shows the complete dot matrix character set as implemented in both fonts sorted according to the hexadecimal character codes (Unicode). Note the internal sorting in your WP 34S differs from this:

	0	1	2	3	4	5	6	7	8	9	A	B	C	D	E	F	0	1	2	3	4	5	6	7	8	9	A	B	C	D	E	F
000x																																
001x																																
002x	!	"	#	\$	%	&	'	()	*	+	,	-	.	/	!	"	#	\$	%	&	'	()	*	+	,	-	.	/		
003x	0	1	2	3	4	5	6	7	8	9	:	:	:	:	:	:	0	1	2	3	4	5	6	7	8	9	:	:	<	=	>	?
004x	@	A	B	C	D	E	F	G	H	I	J	K	L	M	N	O	@	A	B	C	D	E	F	G	H	I	J	K	L	M	N	O
005x	P	Q	R	S	T	U	V	W	X	Y	Z	�	�	�	�	�	P	Q	R	S	T	U	V	W	X	Y	Z	�	�	�	�	�
006x	�	a	b	c	d	e	f	�	h	i	j	k	l	m	n	o	�	a	b	c	d	e	f	�	h	i	j	k	l	m	n	o
007x	p	�	r	s	t	u	v	w	x	y	z	�	�	�	�	�	p	�	r	s	t	u	v	w	x	y	z	�	�	�	�	�
008x																																
009x																																
00Ax																																
00Bx	�	�	�	�	�	�	�	�	�	�	�	�	�	�	�	�	�	�	�	�	�	�	�	�	�	�	�	�	�			
00Cx	�	�	�	�	�	�	�	�	�	�	�	�	�	�	�	�	�	�	�	�	�	�	�	�	�	�	�	�	�			
00Dx	�	�	�	�	�	�	�	�	�	�	�	�	�	�	�	�	�	�	�	�	�	�	�	�	�	�	�	�	�			
00Ex	�	�	�	�	�	�	�	�	�	�	�	�	�	�	�	�	�	�	�	�	�	�	�	�	�	�	�	�	�			
00Fx	�	�	�	�	�	�	�	�	�	�	�	�	�	�	�	�	�	�	�	�	�	�	�	�	�	�	�	�	�			
010x																																
011x	�	�															�	�														
012x							�	�	�	�									�	�	�											
013x																																
014x																																
015x							�	�	�	�									�	�	�											
016x	�	�					�	�	�	�									�	�	�											
017x							�	�	�	�									�	�	�											
023x		�															�															
039x	�	�	�	�	�	�	�	�	�	�	�	�	�	�	�	�	�	�	�	�	�	�	�	�	�	�	�	�	�			
03Ax	�	�	�	�	�	�	�	�	�	�	�	�	�	�	�	�	�	�	�	�	�	�	�	�	�	�	�	�	�			
30Bx	�	�	�	�	�	�	�	�	�	�	�	�	�	�	�	�	�	�	�	�	�	�	�	�	�	�	�	�	�			
03Cx	�	�	�	�	�	�	�	�	�	�	�	�	�	�	�	�	�	�	�	�	�	�	�	�	�	�	�	�	�			
1D6x		�																�														
1E8x	�																	�														
207x																			�													
208x	�	�	�	�	�	�												�														
209x	�	�	�	�	�	�												�														
20Ax																		�														
219x	�	�	�	�	�	�												�														
21Cx																			�													

	0	1	2	3	4	5	6	7	8	9	A	B	C	D	E	F	0	1	2	3	4	5	6	7	8	9	A	B	C	D	E	F
221x																																
222x																																
224x																																
226x	#																															
249x																																
24Bx	w																															
24Dx	f g h																															
260x																																
264x	*																*															

Characters printed on yellow background above cannot be the last ones in a group of three.

For the numeric seven segment display and the annunciators, there is another character set:

	0	1	2	3	4	5	6	7	8	9	A	B	C	D	E	F
000x																
001x																
002x	"							'	C	J	,		-	.	R	
003x	0	1	2	3	4	5	6	7	8	9	L	=	J			
004x	0	A	b	C	d	E	F	G	H	I	J	L	P	R	O	
005x	P	Q	r	S	t	U	V	W	X	Y	Z	C	J			
006x		A	b	c	d	E	F	G	H	I	J	L	Q	n	O	
007x	P	Q	r	S	t	U	V	W	X	Y						
008x																
009x																
00Ax	-	-	-	-	-	-	-	-	-	II						
00Bx										0	1					
00Cx																
00Dx																
00Ex	↓	INPUT	=	■	BEG	STO	RCL	RAD	360	RPN						
00Fx																8

APPENDIX E: INTERNAL COMMANDS

The following operations are for advanced users. They are not documented above to avoid overloading. They ease some internal jobs, mainly in programming, but require special care and/or a deeper understanding of the respective ‘mechanics’ of the WP 34S. Use them at your own risk! They are collected in the internal catalog (**CPX** **h** **MODE**, callable in DECM). The table below follows the rules applying for the [master index](#) above.

Name	Keys to press	in modes	Remarks
BSRB	... BSRB n	PRG	BSRB (BSRF) calls a subroutine starting n program steps backwards (forwards) with $0 \leq n \leq 255$. It pushes the program counter on SRR and executes BACK n (SKIP n) then.
BSRF	... BSRF n	PRG	The subroutine called might not start with a label. So, these two commands are most useful if you are short on local labels, but they carry the same risks as BACK and SKIP when editing programs.
CNST	... CNST n	PRG	Allows indirect addressing of the constants contained in CONST.
^cCNST	... ^cCNST n	PRG	Works like CNST but does a complex recall. See above .
CNVG?	... CNVG? c	Integer DECM	<p>Tests for $x = y$.</p> <p>Checks for convergence by comparing x and y as determined by the lowest five bits of c.</p> <p>The very lowest two bits set the tolerance limit:</p> <ul style="list-style-type: none"> 0 = 1E-14, 1 = 1E-24, 2 = 1E-32, 3 = Choose the best for the modes set, resulting in taking 0 for single precision and 2 for double precision. <p>The next two bits determine the comparison mode:</p> <ul style="list-style-type: none"> 0 = compare the real numbers x and y relatively, 1 = compare them absolutely, 2 = check the absolute difference between the complex values $x + iy$ and $z + it$, 3 = works as 0 so far. <p>The top bit tells how special numbers are handled:</p> <ul style="list-style-type: none"> 0 = NaN and infinities are considered converged, 1 = they are not considered converged.

Name	Keys to press in modes		Remarks
DBLOFF	... DBLOFF	¬α	Toggles double precision mode. Setting becomes effective in DECM only and is indicated by D in the dot matrix. See next paragraph.
DBLON	... DBLON	¬α	
DBL?	... DBL?	¬α	Checks if double precision mode is turned on.
dRCL	... dRCL s	¬α	Assumes the source s contains double precision real data and recalls them as such. See next page.

[ON] + [C] : Tells the system a quartz crystal is installed for the real time clock. The quartz is an inevitable prerequisite for the clock being useful in medium to long range (see TICKS). Its installation is a hardware modification described elsewhere.

WARNING: If **[ON] + [C]** is entered though the hardware does not contain said modification, the system will hang and can only be brought back to live by a hard reset or a battery pull!

[ON] + [D] : Enters debugging mode (use at your own risk).

Switching between Single Precision, Double Precision and Integer

Your WP 34S starts in standard (i.e. single precision or *SP*) real mode per default. Switching between *SP* and integer modes was discussed [above](#) already. You may also use your WP 34S in double precision (*DP*) mode for (hopefully) more precise decimal calculations.

Each *DP* register will contain 16 bytes instead of eight, allowing for 34 digits instead of 16. Please note matrix commands will not work in *DP*.

The following figure illustrates what happens in memory in transitions between *SP* and *DP* modes, assuming startup in *SP* mode with REGS 16:

Absolute address	Startup memory allocation		After executing DBLON		Then after executing DBLOFF	
	Contents	Relative register address	Contents	Relative register address	Contents	Relative register address
X+11	$k = 1.40E-397$	R111 = K	<i>1.40E-397</i>	<i>K = R111</i>	<i>1.40E-397</i>	<i>K = R111</i>
X+10
...
X+1	$y = -33.8$	R101 = Y			-33.8	Y = R101
X	$x = 123.0$	R100 = X			123.0	X = R100
X-1	$r15 = -43.6$	R15		<i>...</i>	0.0	R15
X-2	$r14 = 167.9$	R14			0.0	R14
X-3	...	R13			0.0	R13
X-4	...	R12			0.0	R12
X-5	...	R11		<i>...</i>	0.0	R11
X-6	...	R10			0.0	R10
X-7	...	R09			0.0	R09
X-8	...	R08			0.0	R08
X-9	...	R07		<i>-33.8</i>	0.0	R07
X-10	...	R06			0.0	R06
X-11	...	R05		<i>123.0</i>	0.0	R05
X-12	$r04 = -12.9$	R04			0.0	R04
X-13	$r03 = -1234.89$	R03		<i>-1.95E184</i>	-1234.89	R03
X-14	$r02 = 5.43E-396$	R02			$5.43E-396$	R02
X-15	$r01 = 6.6$	R01		<i>1.03E182</i>	6.6	R01
X-16	$r00 = 0.54$	R00			0.54	R00
X-17						

Going from *SP* to *DP* mode, the contents of the twelve special registers **X ... K** are copied, cutting 48 bytes into the former *SP* numbered register sector. So the top twelve *SP* numbered registers will be lost in such a transition. All other memory contents stay where and as they were – just each relative *DP* register address covers what were two *SP* registers before.

Starting with the default memory configuration and executing DBLON then will leave you with 44 *DP* registers. Executing REGS with an argument >44 in *DP* is legal, but the sector of global numbered registers will cut into the former program sector then.

Returning from *DP* to *SP*, the lettered registers are copied again. And everything else stays where and as it was, if you used ≤44 *DP* registers – just each relative *SP* register address points to only one half of a former *DP* register; and the memory released by the shrinking special registers allows adding (or returning) twelve numbered registers on top, each containing zero now.

With >44 *DP* registers, the correspondence becomes more complicated – the number of global registers will not, however, exceed 112.

The space allocated for summation registers will not change in such transitions.

For the following table, assume startup in BASE 10, WSIZE 32, REGS 16. Now see the contents of **J**, **K**, and the lowest numbered registers, checked by recalling them to X:

	J	K	R00	R01	R02	R03
Starts with e.g.	3504 d	14 d	54 d	66 d	543 d	126441 d
DECM	343 -395	140 -397	540 -397	660 -397	543 -396	123 -393
DBLON	343 -395	140 -397	103 -HI G 53)	195 -HI G	n/a	n/a
Recall by sRCL	140 -397	128 -23	540 -397	660 -397	543 -396	123 -393
... and by iRCL	1400	000	5400	6600	54300	12644100
DBLOFF	343 -395	140 -397	540 -397	660 -397	543 -396	123 -393
Recall by dRCL	Out of range Error	Out of range Error	000	000	n/a	n/a
DBLON	343 -395	140 -397	103 -HI G	195 -HI G	n/a	n/a
RCL J, STO J, 123E456 STO 00, then recall by sRCL	140 -397	128 -23	123 -396	5.12 -30	543 -396	123 -393
... and by iRCL	1400	000	12300	000	54300	12644100
DBLOFF	343 -395	140 -397	123 -396	5.12 -30	543 -396	123 -393
Recall by dRCL	Out of range Error	Out of range Error	+∞ Error	000	n/a	n/a

Please note iRCL and sRCL keep working as explained [above](#).

In *DP*, shows the first (most significant) 16 digits of the 34-digit mantissa of x and its four digit exponent, and displays the 18 trailing digits, both as temporary messages. For example, returns here:

and .

⁵³ *DP* supports numbers within $10^{-6143} \leq |x| < 10^{+6145}$. Even smaller numbers may be entered using a decimal mantissa, but you will lose one digit per factor of ten. The same happens if you divide 10^{-6143} by 10 several times. At 10^{-6176} , only one digit will be left. Divide it by 1.999 999 999 99 and the result will remain 10^{-6176} . Divide it by 2 instead and the result will become zero.

Numbers outside of the interval $[10^{-999}, 10^{+1000}]$ will be displayed with $-HI G$ or $HI G$ in the exponent, respectively. Only will show you the real exponent then. So, $r00 = 1.032\ 000\ 000\ 000\ 000\ 054\ E-6155$ and $r01 = 1.951\ 656\ 000\ 000\ 000\ 000\ 543\ E-6152$ are found here.

Returning to *SP* with numbers in lettered registers exceeding the *SP* number range will cause or being displayed instead.

APPENDIX F: RELEASE NOTES

	Date	Release notes
1	9.12.08	Start
1.1	15.12.08	Added the table of indicators; added NAND, NOR, XNOR, RCLWS, STOWS, //, N, SERR, SIGMA, < and >; deleted HR, INPUT, 2 flag commands, and 2 conversions; extended explanations for addressing and COMPLEX & ...; put XOR on the keyboard; corrected errors.
1.2	4.1.09	Added ASRN, CBC?, CBS?, CCB, SCB, FLOAT, MIRROR, SLN, SRN, >BIN, >DEC, >HEX, >OCT, BETA, D>R, DATE, D DAYS, D.MY, M.DY, Y.MD, CEIL, FLOOR, DSZ, ISZ, D>R, R>D, EMGAM, GSB, LNBETA, LNGAMMA, MAX, MIN, NOP, REAL, RJ, W and WINV, ZETA, %+ and %-; renamed the top left keys B, C, and D, and bottom left EXIT.
1.3	17.1.09	Added AIP, ALENG, ARCL, AROT, ASHF, ASTO, ATOX, XTOA, AVIEW, CLA, PROMPT (all taken from 42S), CAPP, FC?C, FS?C, SGMNT, and the ...# commands; renamed NBITS to BITS and STOWS to WSIZE; specified the bit commands closer; deleted the 4 carry bit operations.
1.4	10.2.09	Added CONST and a table of constants provided, D>J and J>D, LEAP?, %T, RCL and STO ▲ and ▼, and 2 forgotten statistics registers; deleted CHS, EMGAM, GSB, REAL and ZETA; purged and renamed the bit operations; renamed many commands.
1.5	5.3.09	Added RNDINT, CONV and its table, a memory table, the description of XEQ B, C, D to the operation index, and α and g_e to the table of constants; put CLSTK on a key, moved CLΣ and FILL, changed the % and log labels on the keyboard, put CLALL in X.FCN; checked and cleaned alpha mode keyboard and added a temporary alpha keyboard; rearranged the alphabet to put Greek after Latin, symbols after Greek consistently; separated the input and non-programmable commands; cleaned the addressing tables.
1.6	12.8.09	Added BASE, DAYS+, DROP, DROPY, E3OFF, E3ON, FC?F, FC?S, FIB, FS?F, FS?S, GCD, LCM, SETDAT, SETTIM, SET24, SINC, TIME, VERS, αDAY, αMONTH, αRC#; %Σ, as well as F-, t-, and χ^2 -distributions and their inverses; reassigned DATE, modified DENMAX, FLOAT, αROT, and αSHIFT; deleted BASE arithmetic, BIN, DEC, HEX, and OCT; updated the alpha keyboards; added flags in the memory table; included indirect addressing for comparisons; added a paragraph about the display; updated the table of indicators; corrected errors.
1.7	9.9.09	Added P.FCN and STAT catalogs, 4 more conversions, 3 more flags, Greek character access, CLFLAG, DECOMP, DENANY, DENFAC, DENFIX, Iβ, IΓ, αDATE, αRL, αRR, αSL, αSR, αTIME, 12h, 24h, fraction mode limits, normal distribution and its inverse for arbitrary μ and σ , and Boolean operations working within FLOAT; deleted αROT, αSHIFT, the timer, and forced radians after inverse hyperbolics; renamed WINV to W⁻¹, and beta and gamma commands to Greek; added tables of catalog contents; modified label addressing; relabeled PRGM to P/R and PAUSE to PSE; swapped SHOW and PSE as well as Δ% and % on the keyboard; relabeled Q; corrected CEIL and FLOOR; updated X.FCN and alpha commands; updated the virtual alpha keyboard.
1.8	29.10.09	Added R-CLR, R-COPY, R-SORT, R-SWAP, RCLM, STOM, alpha catalogs, 1 more constant and some more conversions, a table of error messages, as well as the binomial, Poisson, geometric, Weibull and exponential distributions and their inverses; renamed some commands; put √ instead of π on hotkey D.
1.9	14.12.09	Added two complex comparisons; swapped and changed labels in the top three rows of keys, dropped CLST; completed function descriptions in the index.
1.10	19.1.10	Added IMPFRC, PROFRC, ^c ENTER, αBEG, αEND, and an addressing table for items in catalogs; updated temporary alpha mode, display and indicators, RCLM and STOM, alpha-commands and the message table; renamed the exponential distribution; wrote the introduction.
1.11	21.9.10	Changed keyboard layout to bring Π and Σ to the front, relabeled binary log, swapped the locations of π, CLPR, and STATUS, as well as SF and FS?; created a menu TEST for the comparisons removed and the other programmable tests from P.FCN; added %MG, %+MG, %MRR, RESET, SSIZE4, SSIZE8, SSIZE?, ^c DROP, ^c FILL, ^c R↓, ^c R↑, registers J and K, a table of contents and tables for stack mechanics and addressing in complex operations; updated memory and real number addressing tables, DECOMP, αOFF, αON, Π, and Σ; renamed ROUND1, WSIZE?, β(x,y), Γ(x) and the constant p₀; deleted DROPY (use x↔y, DROP instead), αAPP, αBEG, αEND, and the “too long error” message; deleted Josephson and von Klitzing constants (they are just the inverses of other constants included in CONST already); brought more symbols on the alpha keyboard.
1.12	22.12.10	Modified keyboard layout; added catalogs MODE and PROB; changed mode word, catalog contents and handling (XEQ instead of ENTER), as well as some non-programmable info commands; expanded IMPFRC and PROFRC; added a paragraph about the fonts provided and explained alpha catalogs in detail; added PRIME? and some conversions; deleted FRACT, OFF and ON.
1.13	3.2.11	Modified keyboard layout; modified αTIME, radix setting, H.MS+ and H.MS-; added EVEN?, FP?, INT?, LZOFF, LZON, ODD?, RCLS, STOS, returned FRACT; added and renamed some conversions; updated the paragraph about display; added appendices A and B; baptized the device WP 34S.

1.14	18.3.11	Started the Windows emulator. Added DEC and INC, renamed FLOAT to DECM; redefined α TIME and H.MS mode; updated appendix A; documented the annunciators BEG and = as well as underflows and overflows in H.MS; corrected some errors showing up with the emulator.
1.15	21.3.11	Modified FIX, removed ALL from MODE, updated CONV.
1.16	27.3.11	Added LBL?, f'(x), and f''(x); modified PSE; upgraded catalog searching.
1.17	9.5.11	Modified keyboard layout for adding a fourth hotkey; added AGM, BATT, B _n , B _n *, Cauch, Lgnrm, Logis and their inverses, all the pdf, COV, CUBE, CUBERT, DEG \rightarrow , ENGOVR, ENTRY?, erfc, GRAD \rightarrow , GTO . hotkey, KEY?, RAD \rightarrow , SCIOVR, SERRw, SLVQ, sw, sxy, TICKS, TVM, xg, ε , ε_m , ε_p , ζ , σ_w , (-1) X , the polynomials, four angular conversions, four Planck constants, the regional settings, global alpha labels, and three messages; renamed most cdf; changed \rightarrow DEG, \rightarrow RAD, \rightarrow GRAD to leaving angular mode as set; altered PSE for early termination by keystroke; made D.MY default instead of Y.MD; moved degrees to radians conversions to CONV; removed C CLx, H.MS mode, %+ and %-; corrected errors.
1.18	5.6.11	Expanded program memory; modified label addressing ($A \neq 'A'$) and fraction mode limits, changed ANGLE to work in real and complex domains, renamed MOD to RMDR, changed the keyboard layout; put BACK, ERR, SKIP, and SPEC? to the main index; added CAT and the I/O commands for flash memory, expanded R-COPY; corrected x \rightarrow a.
2.0	21.7.11	Entered beta test phase. Added DAY, MONTH, YEAR, FAST, SLOW, S.L, S.R, VW α +, flag A, ON + and -, some constants, and a paragraph about I/O; renamed old DAY to WDAY, RRCL to RCFRG, SRCL to RCFST; added an inverse conversion shortcut, stones \leftrightarrow kg, and changed Pa \leftrightarrow mbar to Pa \leftrightarrow bar; modified the VIEW commands, ALL, DISP, MODE, RCLM, STOM, and X.FCN; repaired hyperlinks; corrected some errors; included flash.txt; updated the first chapters, explained stack mechanics in more detail.
2.1	3.10.11	Added serial I/O commands, DEL _P , DSL, EXPT, IBASE?, INTM?, ISE, KTY?, MANT, NEXTP, PUTK, REALM?, RM, RM?, SMODE?, TOP?, $\sqrt[3]{y}$, signed tests for zero, some constants, and the paragraph about interactive programming; updated the values in CONST to CODATA 2010, also updated SLVQ, SHOW, Σ , Π , and the paragraphs about statistics, predefined alpha labels and memory; corrected some errors; deleted complex ANGLE, \rightarrow BIN, \rightarrow DEC, \rightarrow HEX, and \rightarrow OCT; redistributed the contents of X.FCN and P.FCN; renamed S.L and S.R to SDL and SDR; put '?' on the alpha keyboard and moved £ to P to make room for π ; expanded Appendix A; reorganized the structure of the document; added first aid to the front page; rewrote the keyboard chapter.
2.2	1.11.11	Added MSG, y \leftrightarrow , z \leftrightarrow , and matrix operations, a paragraph about them and two new error messages for them, plus a footnote for DEL _P ; updated the introduction to statistics. This version is the last one working with the old overlays. It is maintained to incorporate the latest common bug fixes – last v2.2 build available is 2739 so far.
3.0	9.4.12	Added CLPALL, CROSS, DOT, iRCL, sRCL, END, FLASH?, g _d , g _d ⁻¹ , GTO. \blacktriangle and \blacktriangledown , LOAD..., LocR, LocR?, MEM?, NEIGHB, PopLR, REGS, REGS?, RSD, SEPOFF, SEPON, SETJPN, STOPW, t \leftrightarrow , ULP, \leftrightarrow , #, as well as SUMS and MATRIX catalogs and four conversions; renamed CLFLAG to CFALL, CUBE to x ³ and CUBERT to $^3\sqrt{x}$, KTY? to KTP?, and α VIEW to VIEW α ; split Lambert's W into W _p and W _m ; returned \rightarrow BIN, \rightarrow HEX, and \rightarrow OCT; made PSTO and SAVE non-programmable; redefined SHOW, corrected CLREG, deleted DEL _P ; changed keyboard layout to bring MATRIX, CLP, SF, and CF to the front and to swap OFF and SHOW, removed x \leftrightarrow a from the key plate; modified the virtual alpha keyboard, some characters and the respective catalogs; redistributed commands in the catalogs; updated and rearranged large parts of the text; added information about complex calculations, browsers, local data, memory management, and the character sets; implemented five new ttf-fonts.