# A Neural Network Alternative to Non-negative Audio Models

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#Adobe Research

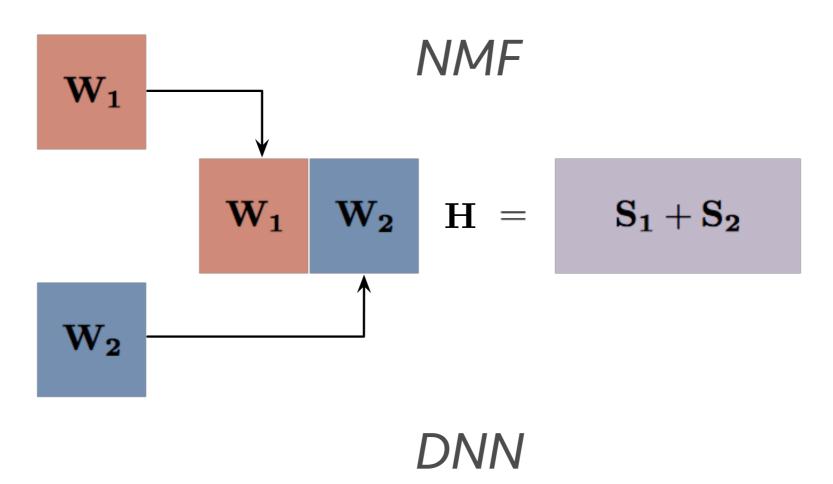
ICASSP 2017

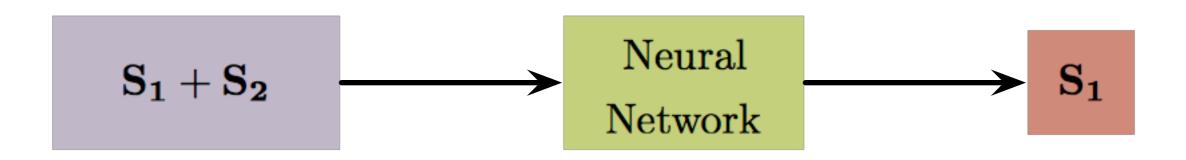
## Motivation

- Supervised single channel source separation
  - Using models trained from clean sounds
- Two dominant approaches
  - Non-negative Matrix Factorization (NMF)
    - Reusable and interpretable models
  - Deep learning
    - State of the art results, Non-transferable models
- Neural network formulation of NMF models
  - Maintaining reusability, taking advantage of deeplearning structures

## Transferable Models

Being able to plug-in trained models

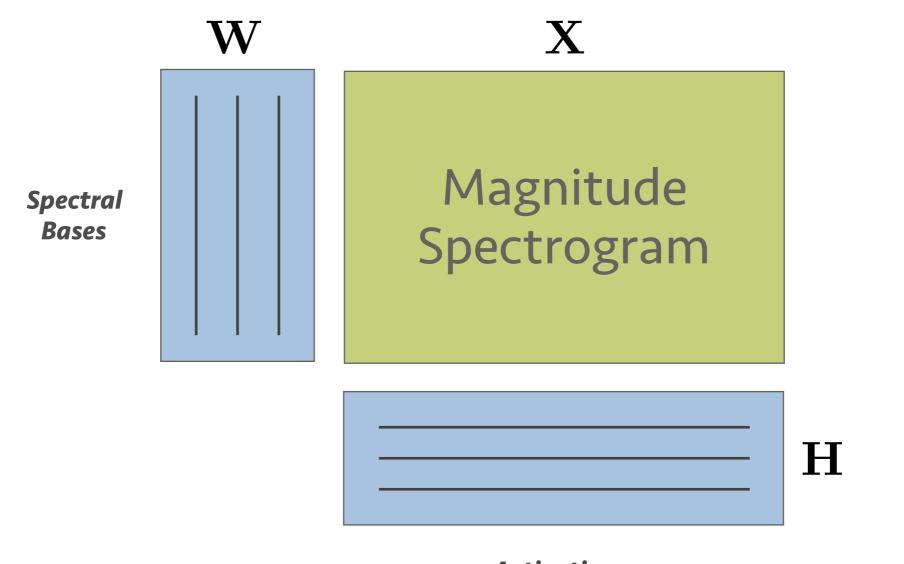




## Learning an NMF model

Learning spectral bases from spectrograms.

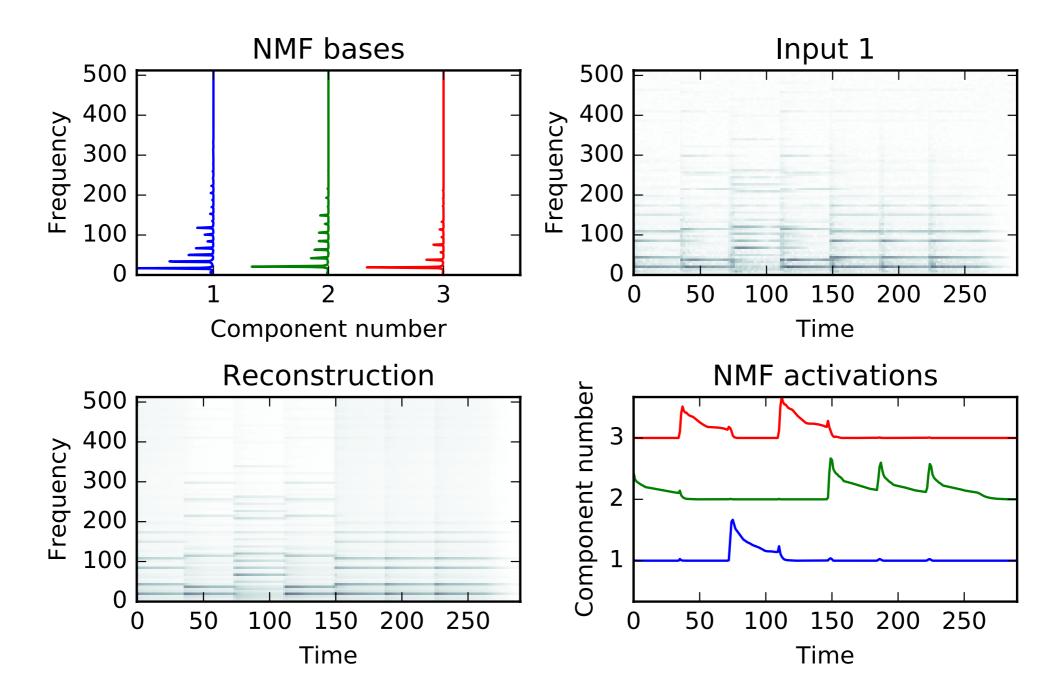
$$\mathbf{X} = \mathbf{W} \cdot \mathbf{H}$$
  $\mathbf{X}, \mathbf{W}, \mathbf{H} \in \mathbb{R}^+$ 



#### NMF in action

#### Analyzing piano notes





## NMF as an Auto-encoder

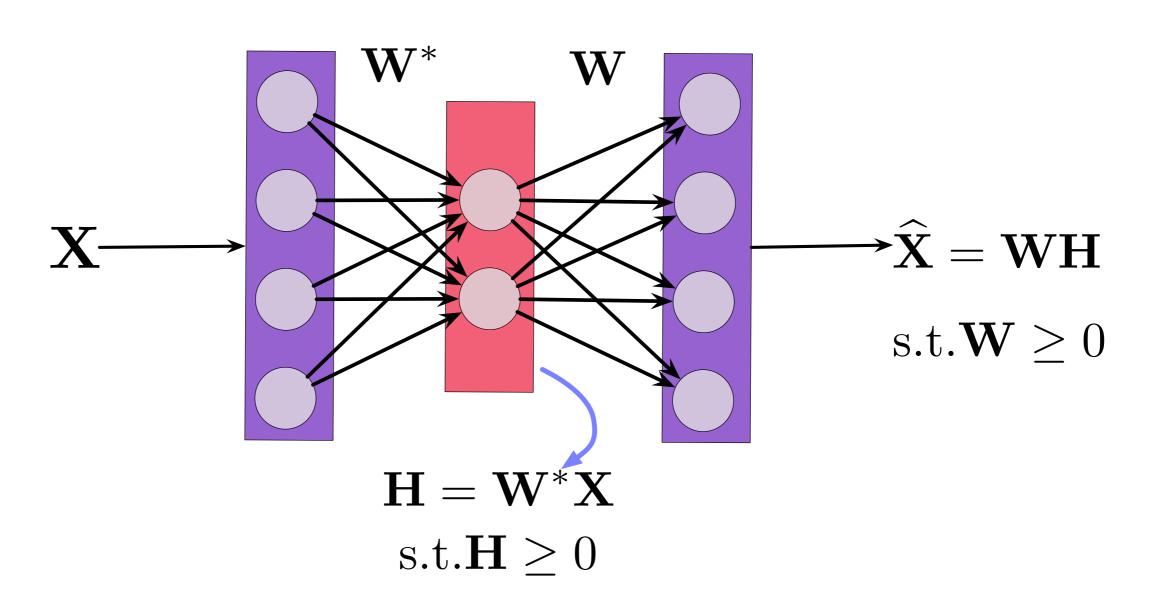
**NMF** 

$$X = W \cdot H$$

Non-negative Auto-encoder (NAE)

$$\mathbf{H} = \mathbf{W}^* \cdot \mathbf{X} \text{ such that } \mathbf{H} \ge 0$$

$$\widehat{\mathbf{X}} = \mathbf{W} \cdot \mathbf{H} \text{ such that } \mathbf{W} \ge 0$$

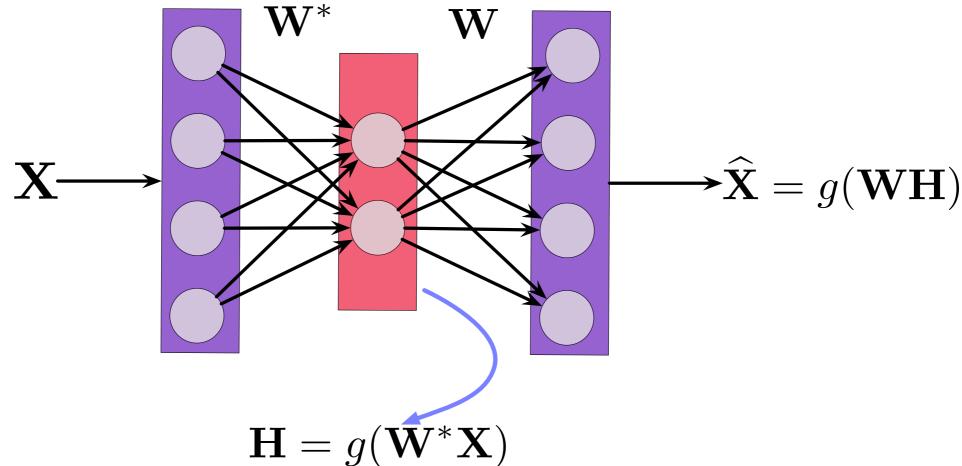


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## Removing Non-negativity constraints

- Enforcing non-negativity is cumbersome.
- Non-negative layer outputs
  - Results in a magnitude spectrogram at the output
  - Results in a non-negative activation at hidden layer
  - Can be enforced with an activation function

$$g(x) = \max(x, 0) \text{ or } |x| \text{ or } ln(1 + e^x)$$

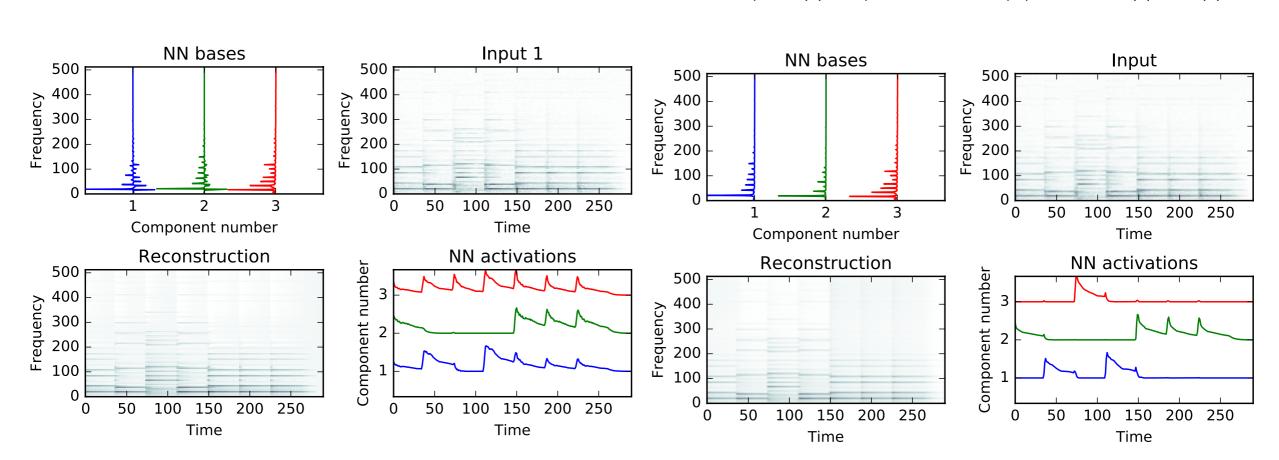


## NAE in action



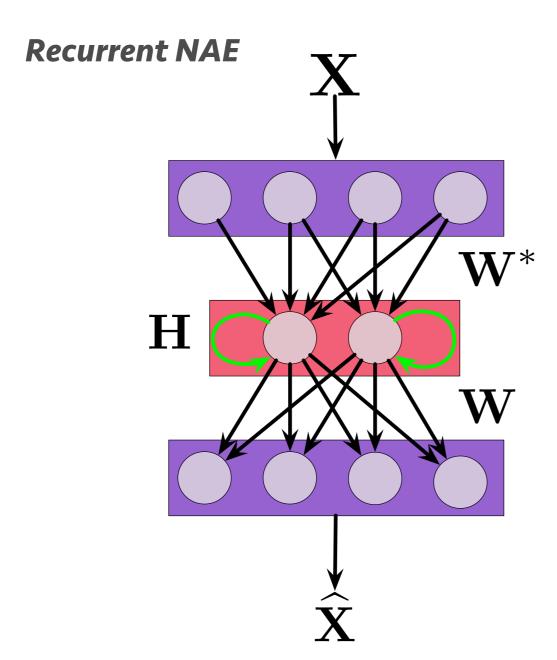
- Bases are not guaranteed to be non-negative
  - Results in dense activations
- Adding sparsity to hidden layer output
  - Results in sparse activations
    - Intuitive bases and activations

$$KL(\mathbf{X}||g(\mathbf{W}\cdot\mathbf{H}))$$
  $KL(\mathbf{X}||g(\mathbf{W}\cdot\mathbf{H})) + \lambda||\mathbf{H}||_1$ 

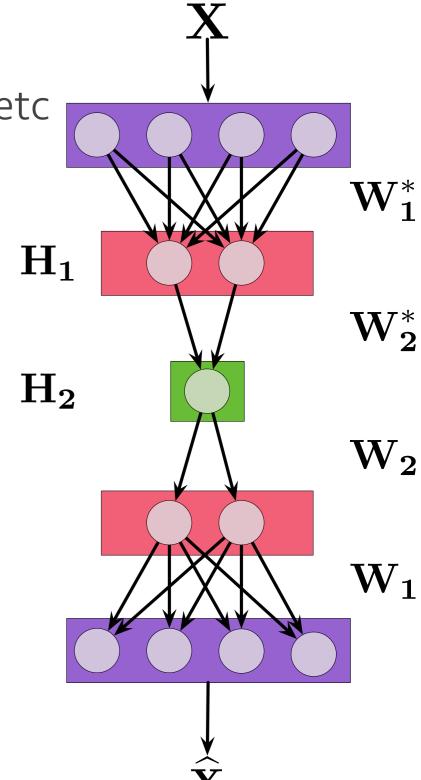


## Advantages of NAE

- Difficult to extend NMF models
  - Easy to do with Neural nets.
    - LSTMs, CNNs, Multi-layer networks etc

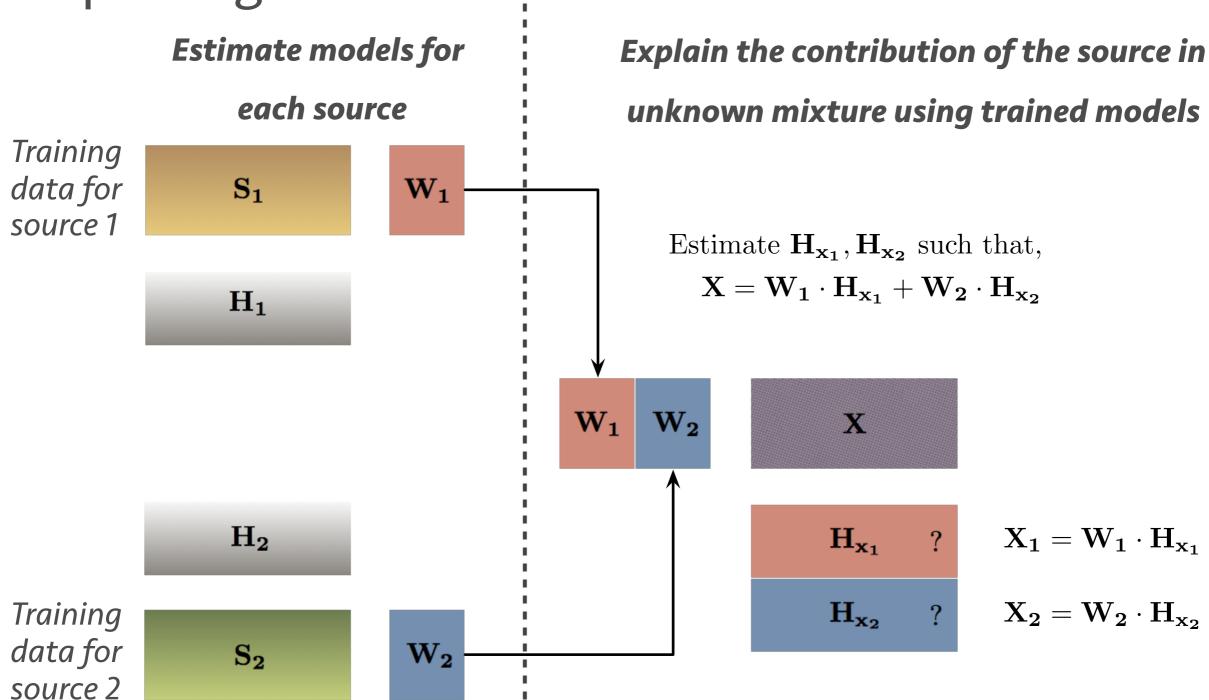


**Multi-layer NAE** 

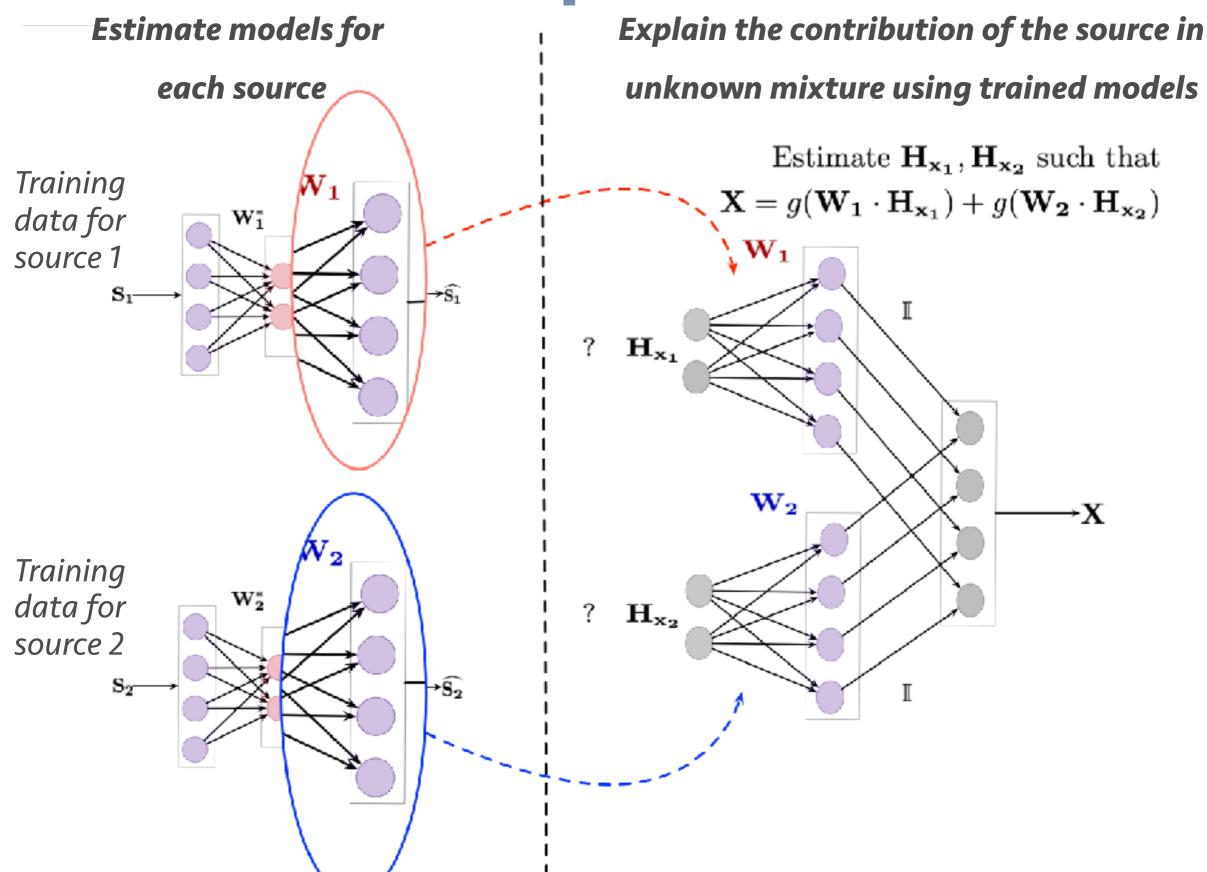


## NMF source separation

 Spectrogram of the mixture is the sum of source spectrograms.



## NAE source separation



## NAE source separation

Goal: Estimating network inputs instead of the weights

$$\mathbf{X} = g(\mathbf{W_1} \cdot \mathbf{H_{x_1}}) + g(\mathbf{W_2} \cdot \mathbf{H_{x_2}})$$

 Gradient-descent/back-propagation to train the network

Separated spectrograms

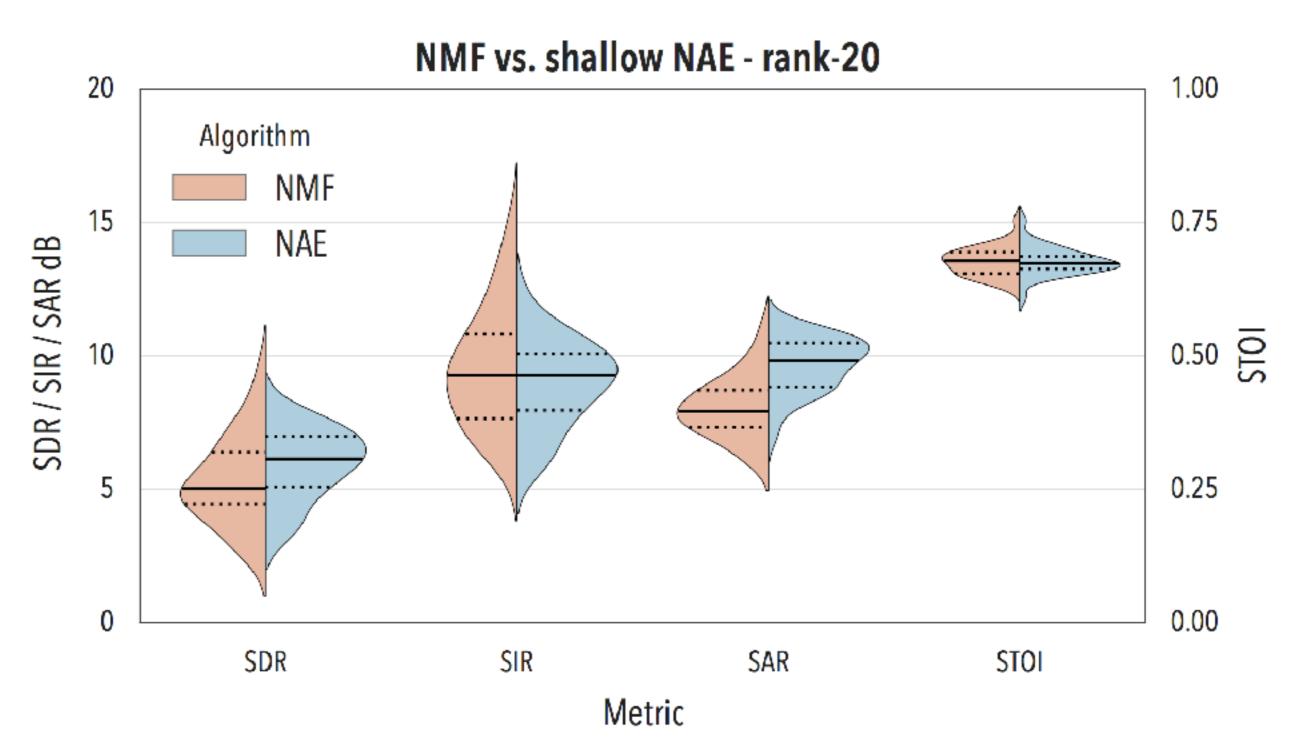
$$\mathbf{X_1} = g(\mathbf{W_1} \cdot \mathbf{H_{x_1}})$$

$$\mathbf{X_2} = g(\mathbf{W_2} \cdot \mathbf{H_{x_2}})$$

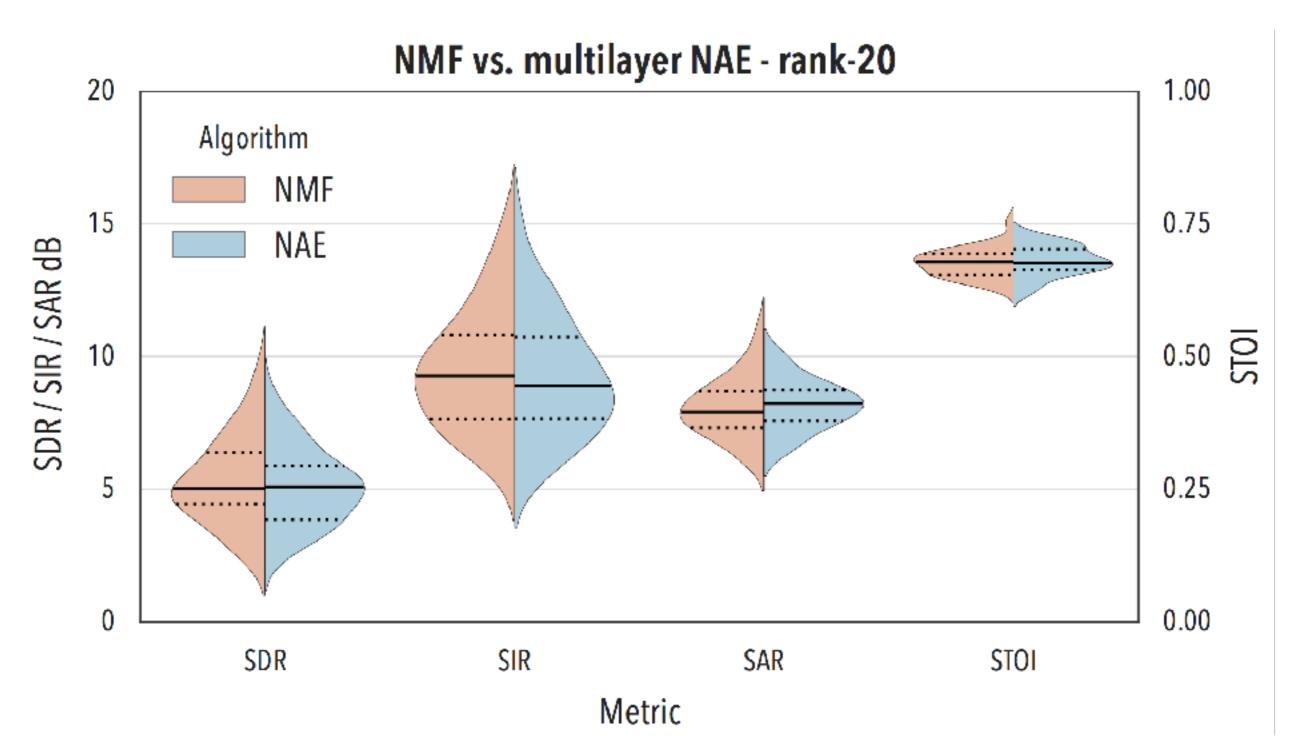
## **Evaluation**

- Two-speaker mixtures
  - Training data ~ 20-25 seconds
  - Test data: Single sentence of known speakers
- Evaluation metrics
  - BSS\_eval metrics (SDR, SIR, SAR)
  - STOI (intelligibility measure)
- Compared multilayer and shallow versions
  - With multiple ranks (number of hidden units)

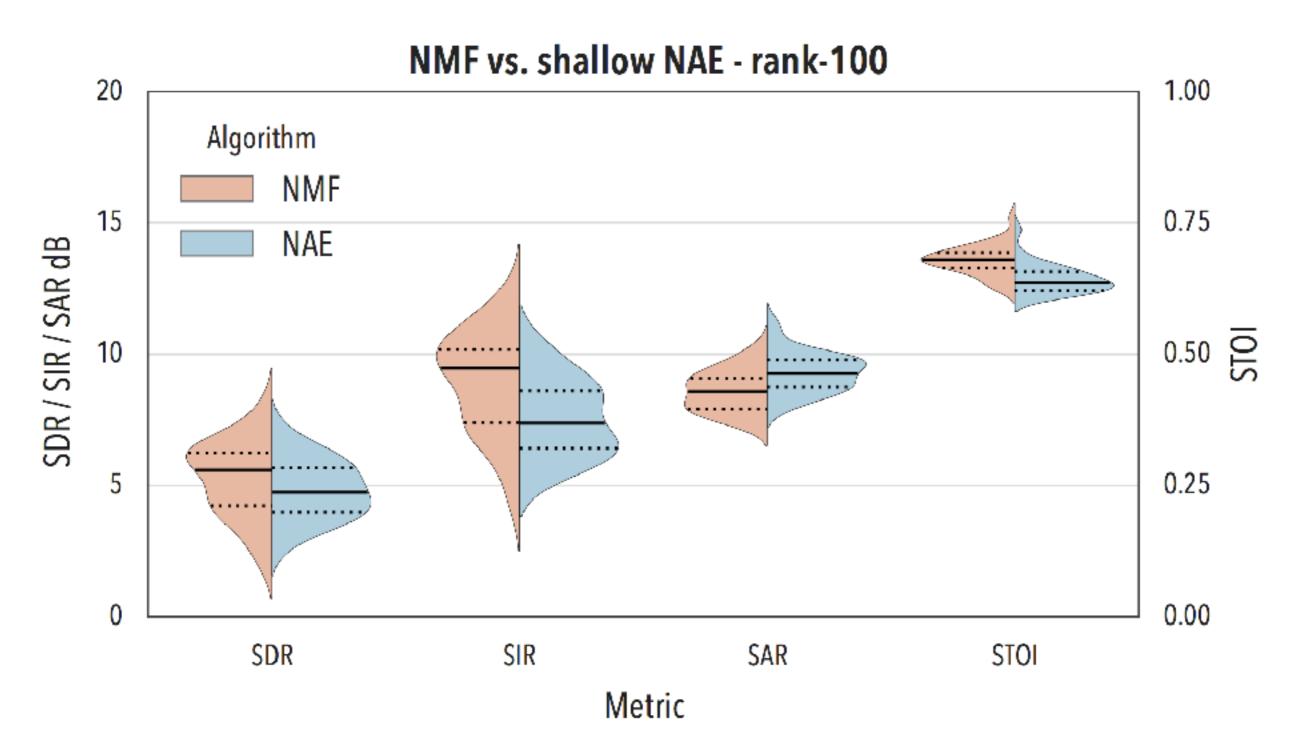
- Number of NAE layers = 2
- Number of hidden units = 20



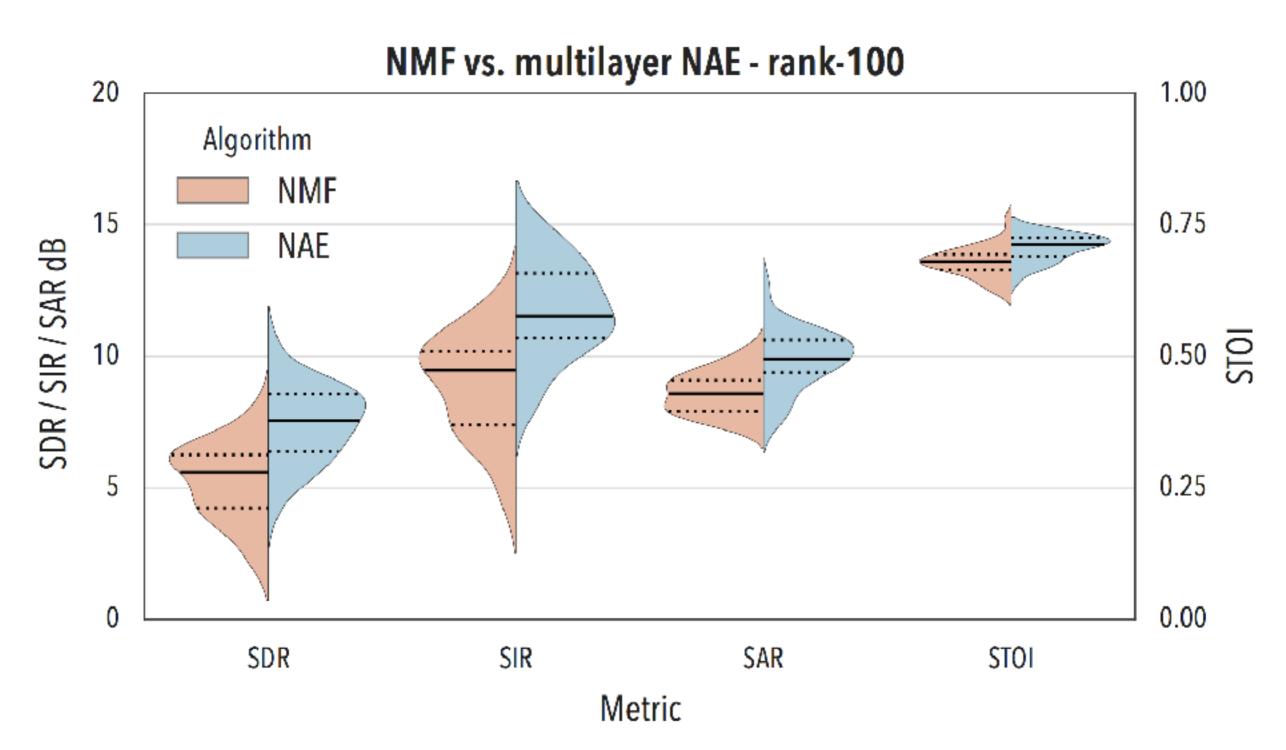
- Number of NAE layers = 4
- Number of hidden units = 20



- Number of NAE layers = 2
- Number of hidden units = 100

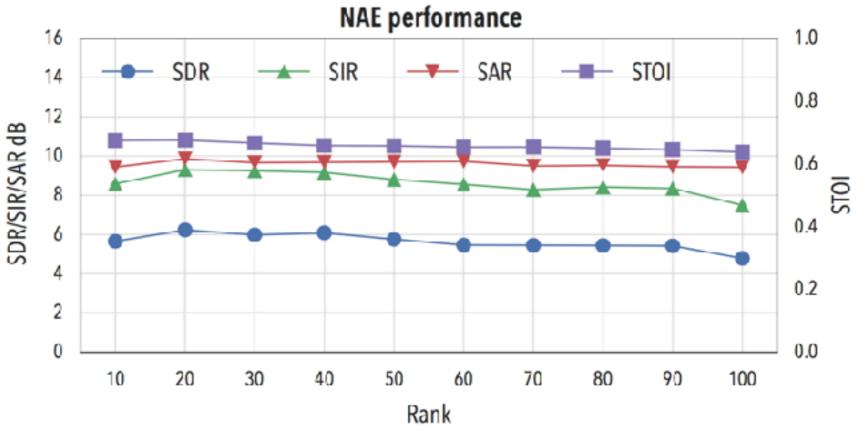


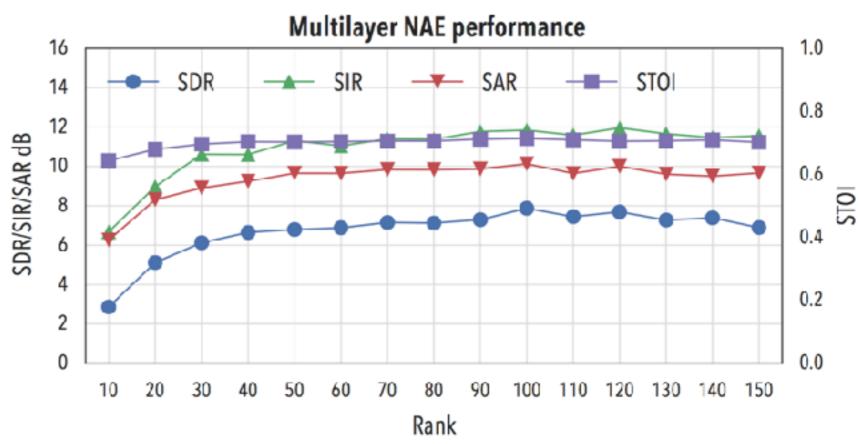
- Number of NAE layers = 4
- Number of hidden units = 100



## Shallow vs Multi-layer NAE

- Shallow NAEs give comparable performance over all ranks
- Multi-layer
   NAEs require
   higher ranks





## Conclusions

- NAE models can replace NMF
  - This allows us to generalize to complex structures
- NAE models superior to NMF models
  - Shallow NAEs comparable to NMF
  - Multi-layer NAEs outperform NMF significantly
- Future directions
  - Incorporating exotic neural models (LSTMs, CNNs etc)

## THANK YOU