

# Digital Wireless Technologies

# Introduction

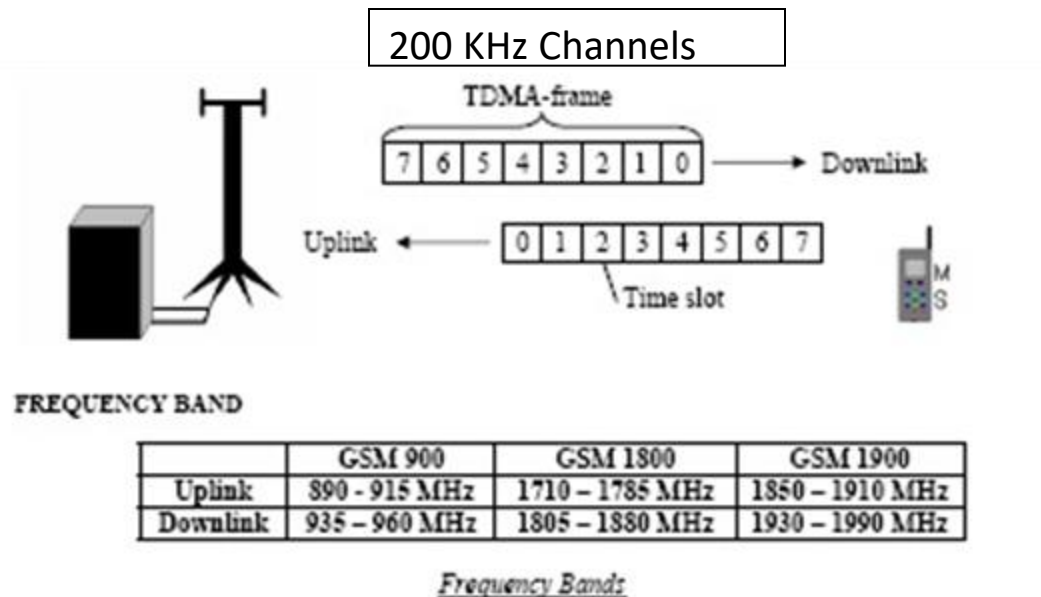
- 2G technologies (GSM & CDMA) are still around but will “sunset” by 2019
- 1992, analog technologies (AMPS, TACS, NMT) were in use
- Popularity of cell phones demanded more capacity and efficient spectrum usage
- The solution was the introduction of digital-radio technology
- First attempt in 1992 → IS-54 (aka D-AMPS)
- Then by mid-1990s we had
  - IS-136 (aka TDMA), evolved form of IS-54
  - GSM
  - CDMA
- GSM later evolved into UMTS
- CDMA evolved into cdma2000
- Now all have merged into LTE

# Digital Wireless: Advantages over Analog Cellular Systems

- Digital offers larger *capacity*
- Digital network equipment *costs* lesser---*lighter devices*
- Digital sound is *cleaner*---White noise introduced for pauses during CDMA calls
- Digital systems are more *secure*---difficult to hack, eavesdrop, or clone
- Digital networks exhibit lesser handover dropped calls
- Digital technology offer better signal quality estimation---BER and FER
- Repeaters are used instead of amplifiers---no additive noise
- TDM can be used instead of FDM
- Conversion to digital signaling allows use of more efficient digital switching techniques

# Global System for Mobile Communication (GSM) Technology

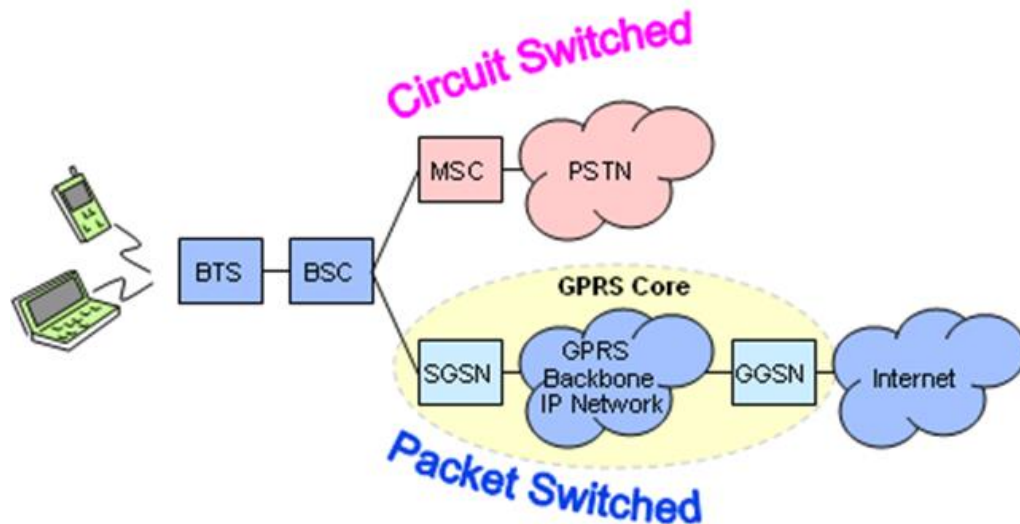
- TDMA based technology
- Originally named after Groupe Special Mobile
- GSM channel can transport up to eight calls simultaneously
- $200/8 = 25$  KHz, which is less than 30 KHz of AMPS channel



# GSM Adjunct Systems

The GSM standard defines the use of multiple ancillary systems in conjunction

- *Gateway MSC (GMSC)*: Calls from other networks (i.e., the PSTN) will first terminate into the GMSC
- *Gateway GPRS Support Node (GGSN)*: gateway between the GSM systems, and other external packet data networks such as other cellular data networks or IP networks
- *Service GPRS Support Node (SGSN)*, mediates access to network resources on behalf of mobile subscribers and implements the packet scheduling
- *Short Message Service Center (SMSC)*: Processes text messages



# And Now!

- Spread Spectrum

# Spread Spectrum - Transmitter

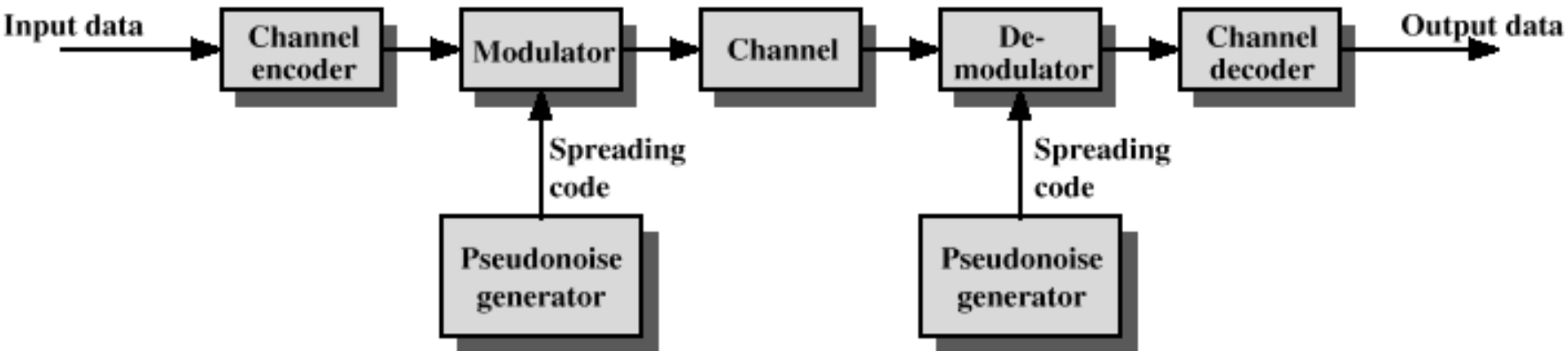
- Input is fed into a channel encoder
  - Produces analog signal with narrow bandwidth
- Signal is *further* modulated using sequence of digits
  - Spreading code or spreading sequence composed of Pseudonoise, or pseudo-random number
- Resulting in increased bandwidth of signal

# Spread Spectrum - Receiver

- On receiving end, digit sequence is used to demodulate the spread spectrum signal
- Signal is fed into a channel decoder to recover data



# Spread Spectrum



**Figure 7.1 General Model of Spread Spectrum Digital Communication System**

# Spread Spectrum - Why

- Resistance to noise and multipath distortion
- Data hiding and encryption
- Concurrent transmission for several users

# Frequency Hoping Spread Spectrum (FHSS)

- Transmission over seemingly random frequencies
  - A number of channels allocated for the FH signal
  - Width of each channel = bandwidth of input signal
- Signal hops from frequency to frequency
  - At fixed intervals
  - Transmitter operates in one channel at a time
  - Bits are transmitted using some encoding scheme
  - At each successive interval, a new carrier frequency is selected



# Frequency Hopping Spread Spectrum

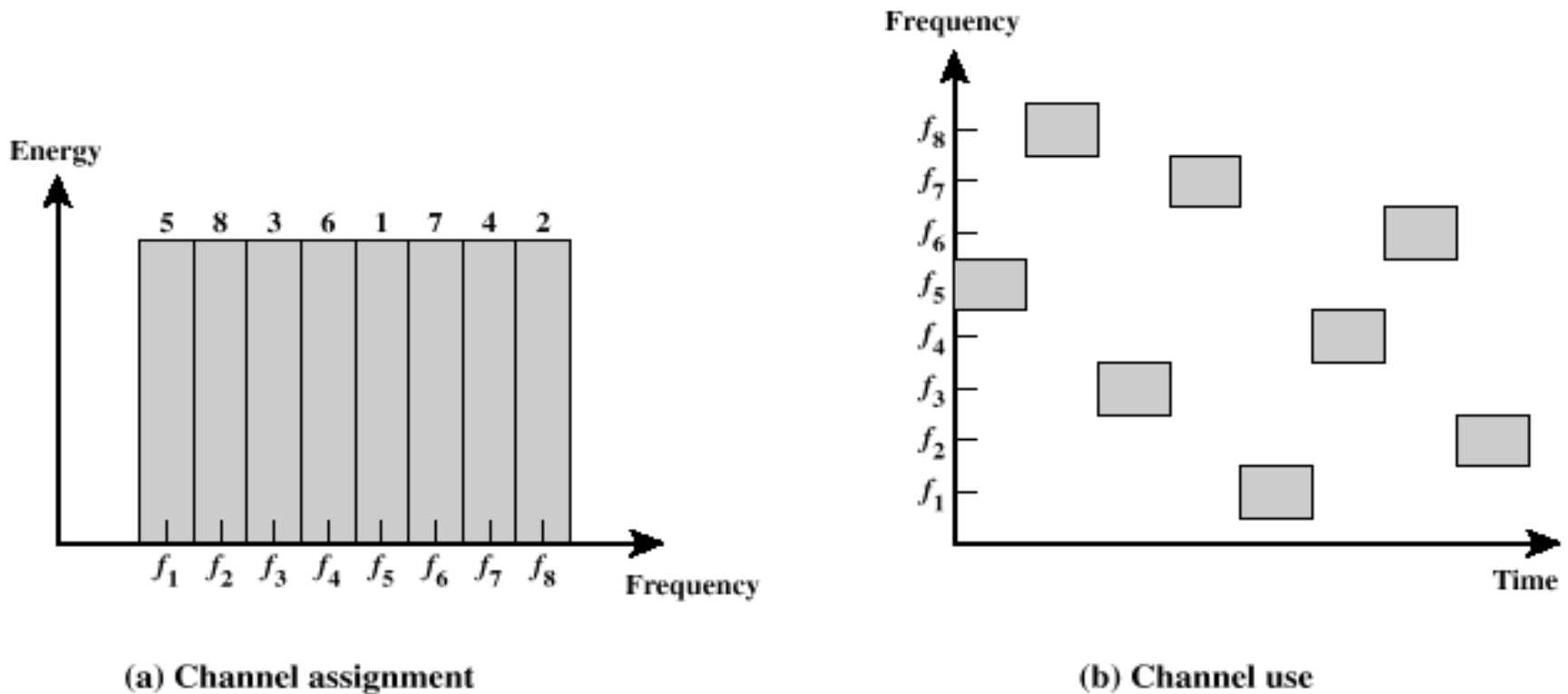
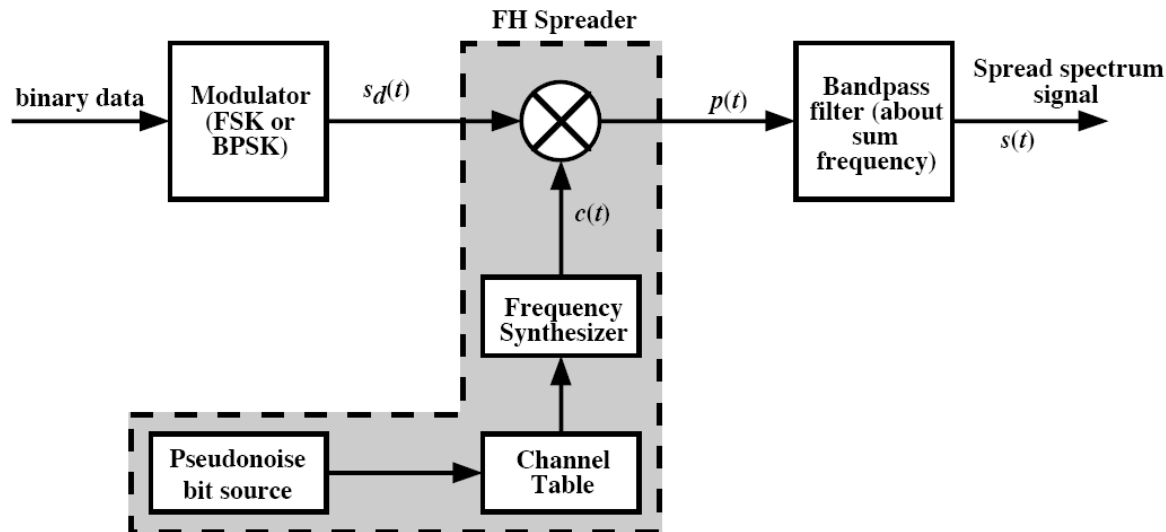


Figure 7.2 Frequency Hopping Example

# Implementation of FHSS



➤  $s_d(t) = A \cos(2\pi f_1 t)$

➤  $p(t) = A \cos(2\pi f_1 t) \cos(2\pi f_i t)$   
 $= 0.5A \cos(2\pi (f_1 + f_i)t) + 0.5A \cos(2\pi (f_1 - f_i)t)$

# Frequency Hoping Spread Spectrum

- Channel sequence dictated by *pseudo-random* sequences
- Receiver hops in synchronization with transmitter
- Advantages
  - Eavesdroppers hear only unintelligible blips
  - Attempts to jam signal on one frequency succeed only at knocking out a few bits

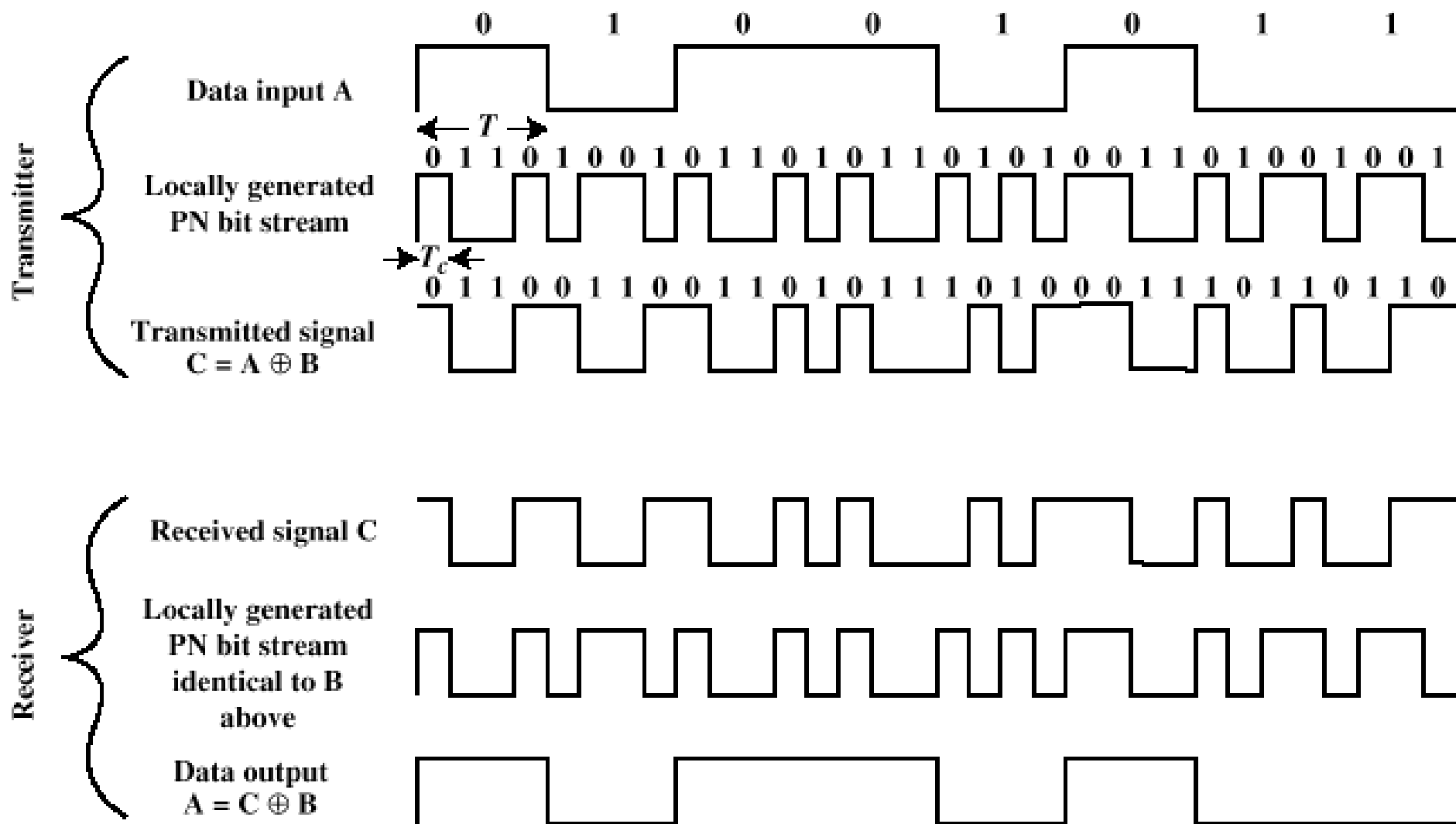
# FHSS Performance Considerations

- Large number of frequencies used
- Resistant to interference and jamming
  - Jammer must jam all frequencies
  - With fixed power, this reduces the jamming power in any one frequency band

# Direct Sequence Spread Spectrum (DSSS)

- Each bit in original signal is represented by multiple *chips* in the transmitted signal
- Spreading code spreads signal across a wider frequency band
  - Spread is in direct proportion to number of chips used
- One technique combines digital information stream with the spreading code bit stream using exclusive-OR (Figure 7.6)





**Figure 7.6 Example of Direct Sequence Spread Spectrum**

# DSSS Using BPSK

- Multiply BPSK signal,

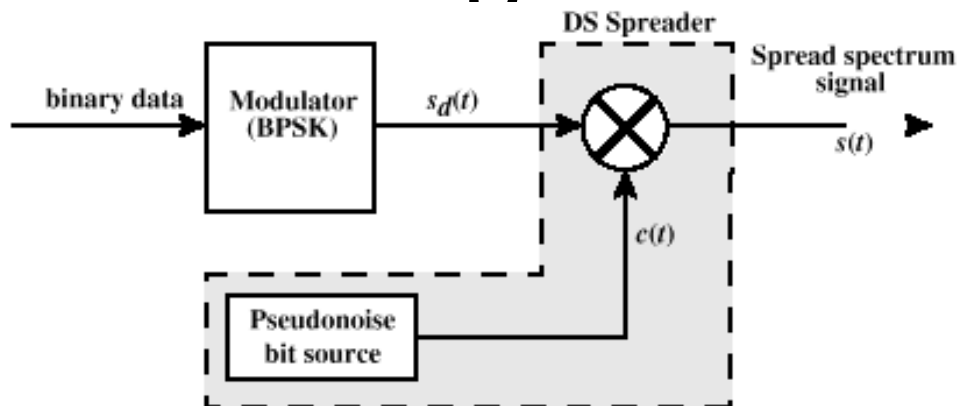
$$s_d(t) = A d(t) \cos(2\pi f_c t)$$

by  $c(t)$  [takes values +1, -1] to get

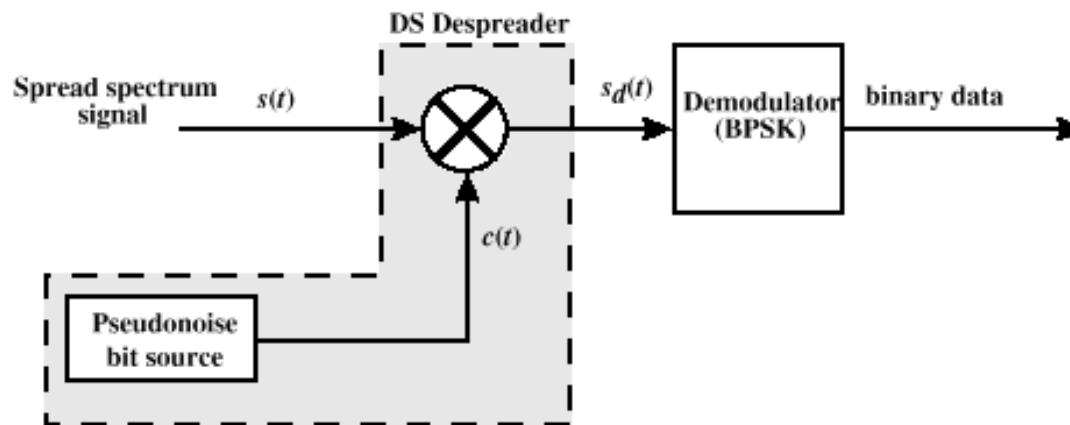
$$s(t) = A d(t)c(t) \cos(2\pi f_c t)$$

- $A$  = amplitude of signal
  - $f_c$  = carrier frequency
  - $d(t)$  = discrete function [+1, -1]
- At receiver, incoming signal multiplied by  $c(t)$ 
    - Since,  $c(t) \cdot c(t) = 1$ , incoming signal is recovered

# DSSS Using BPSK



(a) Transmitter



(b) Receiver

Figure 7.7 Direct Sequence Spread Spectrum System

# Code-Division Multiple Access (CDMA)

- Basic Principles of CDMA
  - $D$  = rate of data signal
  - Break each bit into  $k$  *chips*
    - Chips are a user-specific fixed pattern
  - Chip rate of new channel =  $kD$

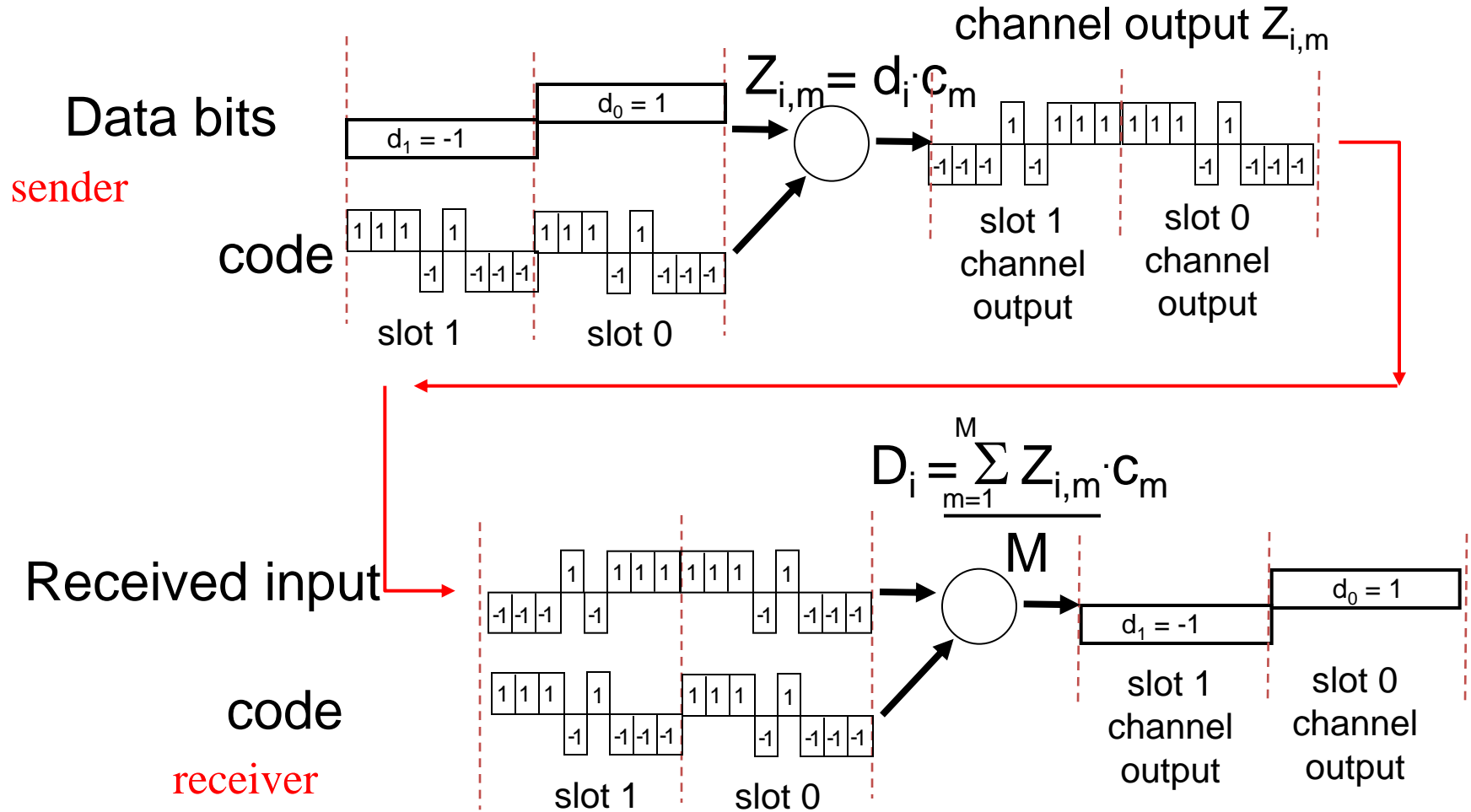
# CDMA Example

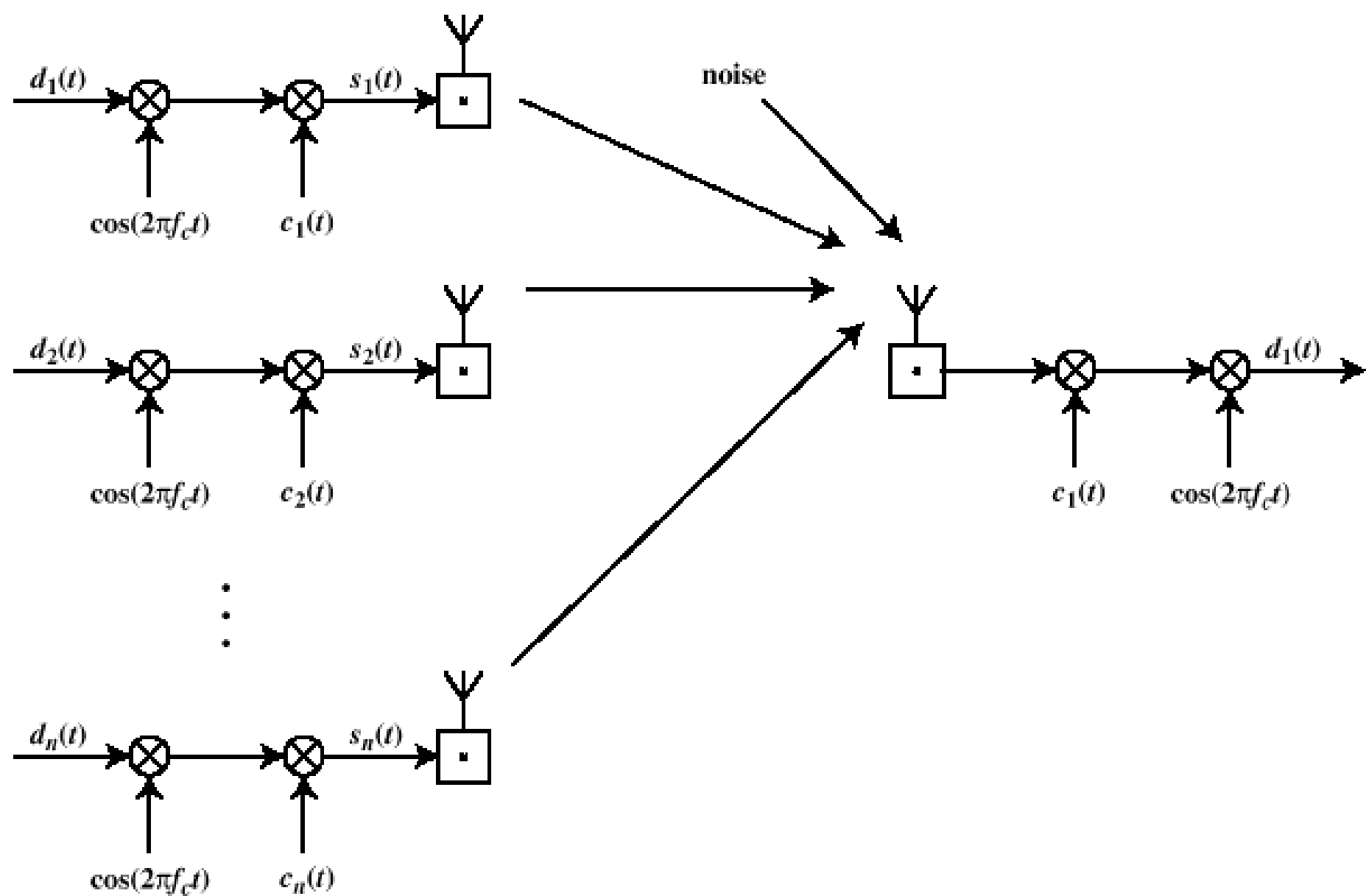
- If  $k=6$  and code is a sequence of 1s and -1s
  - For a '1' bit, following chip pattern is sent out
    - $\langle c1, c2, c3, c4, c5, c6 \rangle$
  - For a '0' bit, complement of the code is sent
    - $\langle -c1, -c2, -c3, -c4, -c5, -c6 \rangle$
- Receiver knows sender's code and performs electronic decode function

$$S_u(d) = d1 \times c1 + d2 \times c2 + d3 \times c3 + d4 \times c4 + d5 \times c5 + d6 \times c6$$

- $\langle d1, d2, d3, d4, d5, d6 \rangle$  = received chip pattern
- $\langle c1, c2, c3, c4, c5, c6 \rangle$  = sender's code

# CDMA Encode/Decode





**Figure 7.11 CDMA in a DSSS Environment**

# Categories of Spreading Sequences

- Spreading Sequence Categories
  - PN sequences
  - Orthogonal codes
- For FHSS systems
  - PN sequences most common
- For DSSS systems not employing CDMA
  - PN sequences most common
- For DSSS CDMA systems
  - PN sequences
  - Orthogonal codes



# PN Sequences

- PN generator produces periodic sequence that appears to be random
- PN Sequences
  - Generated by an algorithm using initial seed
  - Sequence isn't statistically random but will pass many test of randomness
  - Sequences referred to as pseudorandom numbers or pseudonoise sequences
  - Unless algorithm and seed are known, the sequence is very difficult to predict

# Important Properties for Randomness

- Randomness
  - Uniform distribution  
Occurrence of each value has same probability
    - Balance property  
In a long sequence the fraction of binary 1's approaches  $1/2$
    - Run property  
Run is a sequence of all 1's (or 0's)  
one-half of the runs of length 1; one-fourth of length 2; one-eighth of run 3, and so on
  - Independence  
No one value can be inferred from the others
  - Correlation property  
Shifted versions of a sequence do not correlate

# Orthogonal Codes

- Orthogonal codes
  - All pairwise cross correlations are zero
  - For CDMA application  
Used for channelization on the downlink
  - Each mobile user, on the uplink, uses one sequence in the set as a spreading code
- Types
  - Walsh codes
  - Orthogonal variable-length spreading factor (OVSF) codes

# Walsh Codes

- Set of Walsh codes of length  $n$  consists of the  $n$  rows of an  $n \times n$  Walsh matrix:

$n$  = dimension of the matrix

$$W_{2n} = \begin{bmatrix} W_n & W_n \\ W_n & \overline{W_n} \end{bmatrix}$$

$$W_1 = (0)$$

(a)  $1 \times 1$

$$W_2 = \begin{bmatrix} 0 & 0 \\ 0 & 1 \end{bmatrix}$$

(b)  $2 \times 2$

$$W_4 = \begin{bmatrix} 0 & 0 & 0 & 0 \\ 0 & 1 & 0 & 1 \\ 0 & 0 & 1 & 1 \\ 0 & 1 & 1 & 0 \end{bmatrix}$$

(c)  $4 \times 4$

$$W_8 = \begin{bmatrix} 0 & 0 & 0 & 0 & 0 & 0 & 0 & 0 \\ 0 & 1 & 0 & 1 & 0 & 1 & 0 & 1 \\ 0 & 0 & 1 & 1 & 0 & 0 & 1 & 1 \\ 0 & 1 & 1 & 0 & 0 & 1 & 1 & 0 \\ 0 & 0 & 0 & 0 & 1 & 1 & 1 & 1 \\ 0 & 1 & 0 & 1 & 1 & 0 & 1 & 0 \\ 0 & 0 & 1 & 1 & 1 & 1 & 0 & 0 \\ 0 & 1 & 1 & 0 & 1 & 0 & 0 & 1 \end{bmatrix}$$

(d)  $8 \times 8$

# Walsh Codes

- Every row is orthogonal to every other row and to the logical not of every other row
- Requires tight synchronization
  - Cross correlation between different shifts of Walsh sequences is not zero

# Typical Multiple Spreading Approach

- Spread data rate by an orthogonal code (channelization code)
  - Provides mutual orthogonality among all users in the same cell
- Further spread result by a PN sequence (scrambling code)
  - Provides mutual randomness (low cross correlation) between users in different cells

**Q & A**

谢谢

**THANK YOU**