

- $(A / B) = ((A \% \text{Mod}) * (\text{BinExp}(B, \text{Mod}-2) \% \text{Mod})) \% \text{Mod};$
- Bits:
- **Bitwise NOT( ~ ):**  inverts all bits of it. [ a = 1001<sub>2</sub> -> (~a) = 0110]
- $(N / 2) == (N >> 1);$                        $(N * 2) == (N << 1);$
- $(2^N) == (1LL << N);$                        $=> N = (1LL << (\text{long long})\log_2(N) );$
- **is\_power\_of\_two(val) => (val & (val - 1)) == 0;**
- **CheckBit(val, pos) => (val & (1LL << pos));**
- **SetBit(val, pos) => (val |= (1LL << pos));**
- **ClearBit(val, pos) => (val &= ~(1LL << pos));**
- **FlipBit(val, pos) => (val ^= ~(1 << pos));**
- **MSB(mask) => 63 - \_\_builtin\_clzll(mask);** [Most Significant Bit position]
- **LSB(mask) => \_\_builtin\_ctzll(mask);** [Least Significant Bit position]
- **\_\_builtin\_popcount(x):** This function is used to count the number of one's(set bits) in an integer(32 bits).  
Similarly you can use **\_\_builtin\_popcountll(x)** for **long long** data types (64 bits). Ex: x = 5 (101) => ans=2 ;

#### Bitset Function:

**bitset< highest\_Bit\_number > name(data);**

- **bitset<64> b1(val);** or, **bitset<4>b2("1011");** => auto-convert to binary;
- **to\_ulong():** Converts the contents of the **bitset** to an **unsigned long integer**; [ Ex: b1 = 1001, int val = b1.to\_ulong(); => val = 9;]
- **to\_string():** Converts the contents of the **bitset** to a **string**;  
[ Ex: b1 = 1001, s1 = b1.to\_string(); => s1= "1001"; ]
- **count():** returns the total number of **set bits(1)**; [Ex: b1=1001; bit= b1.count(); => bit =2;]

#### Combination(C):

- If, **Order Doesn't Matter** and **Repetition Allowed** then, Possibilities,  ${}^nC_r = \frac{n!}{r!(n-r)!}$
- If, **Order Doesn't Matter** and **Repetition Not Allowed** then, Possibilities,  ${}^nC_r = \frac{(n+r-1)!}{r!(n-1)!}$

#### Permutation(P):

- If, **Order Matter** and **Repetition Allowed** then, Possibilities =  $n^r$
- If, **Order Matter** and **Repetition Not Allowed** then, Possibilities =  $\frac{n!}{(n-r)!}$