

Objectives

To study the Instrumentation Amplifier using op-amp LM741 and find out

1. Value of resistance (R_f) for DC null point,
2. Common mode gain (A_{cm}) for the instrumentation amplifier,
3. Differential mode gain (A_{dm}) for the instrumentation amplifier,

and find

- a) the common mode rejection ratio (CMRR) for the instrumentation amplifier,
- b) compare the results from simulation with the theoretical values of the quantities.

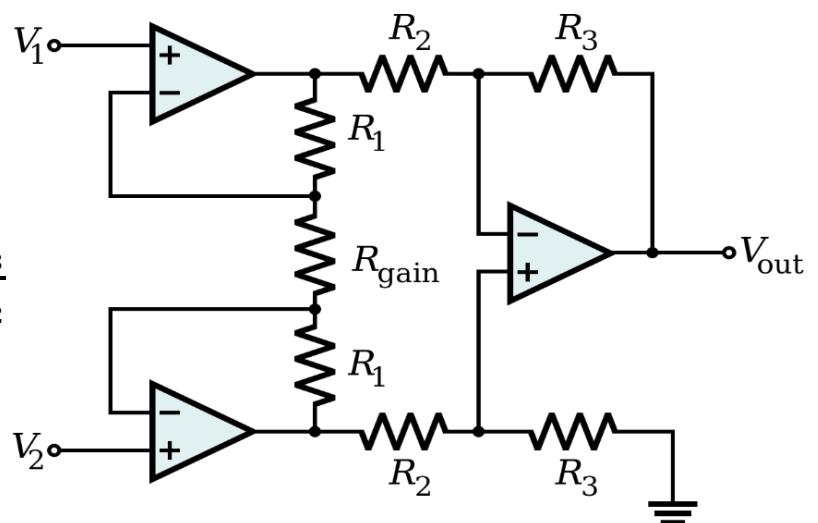
Also, draw schematic for each case.

Instrumentation Amplifier

An **instrumentation amplifier** is a type of differential amplifier that has been outfitted with input buffer amplifiers, which eliminate the need for input impedance matching and thus make the amplifier particularly suitable for use in measurement and test equipment.

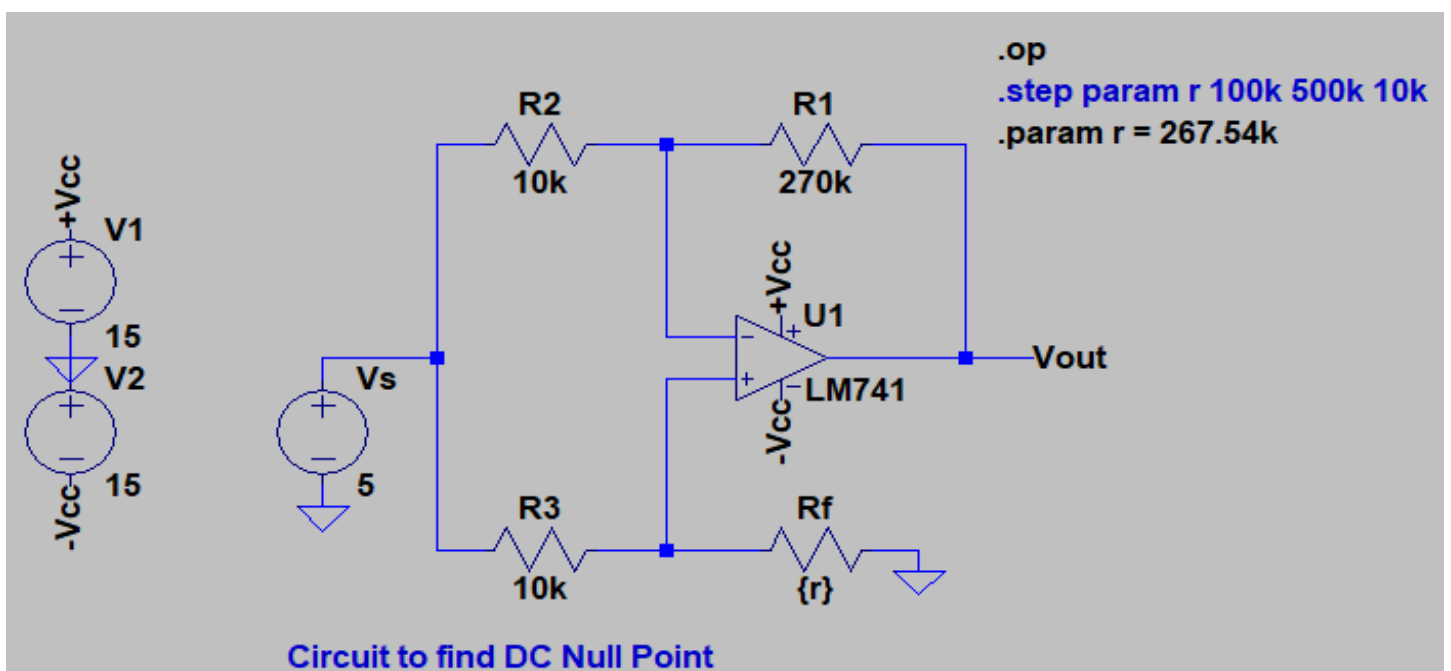
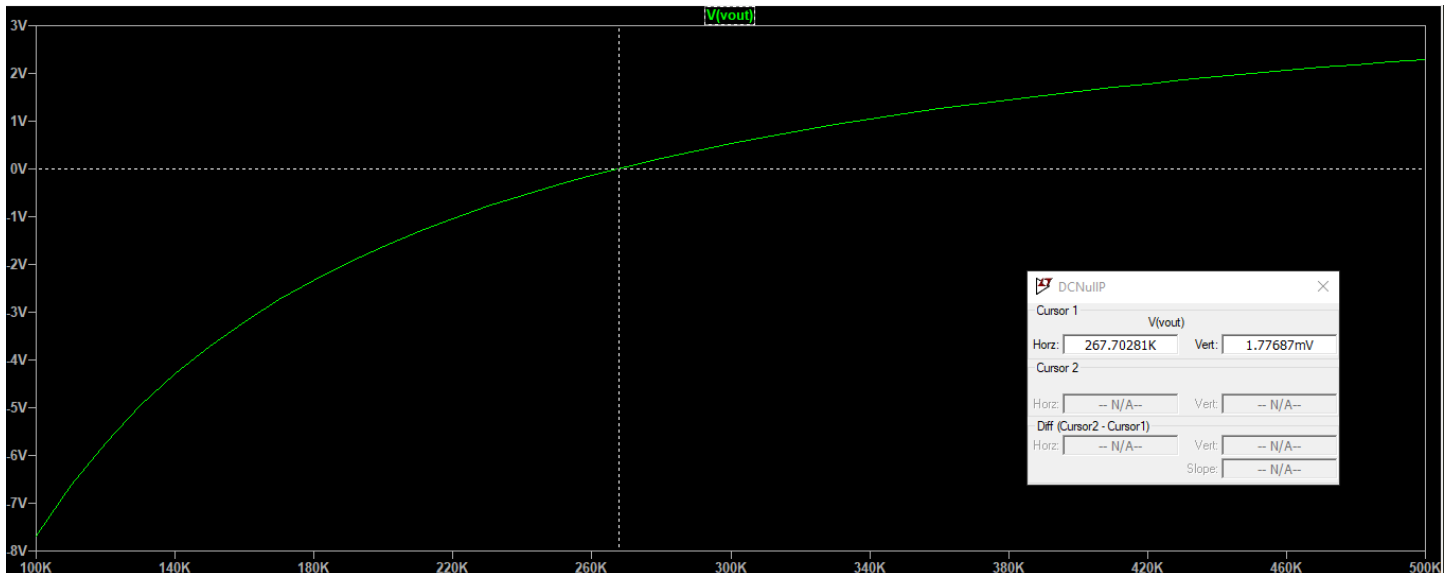
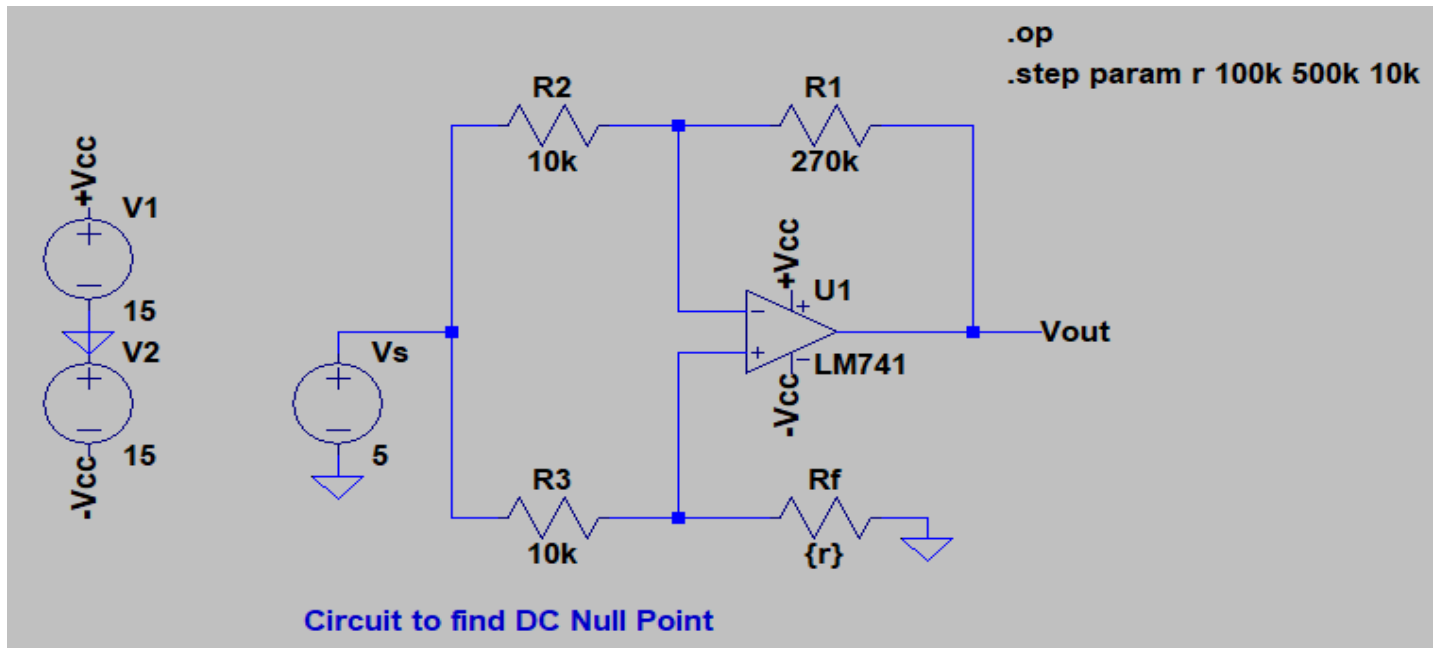
Additional characteristics include **very low DC offset**, **low drift**, **low noise**, **very high open-loop gain**, **very high common-mode rejection ratio**, and **very high input impedances**. Instrumentation amplifiers are used where great accuracy and stability of the circuit both short and long-term are required.

$$A_{dm} = \frac{V_{out}}{V_2 - V_1} = \left(1 + \frac{2R_1}{R_{gain}}\right) \cdot \frac{R_3}{R_2}$$



**DC Null
Point**

Schematic and results from AC analysis



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--- Operating Point ---

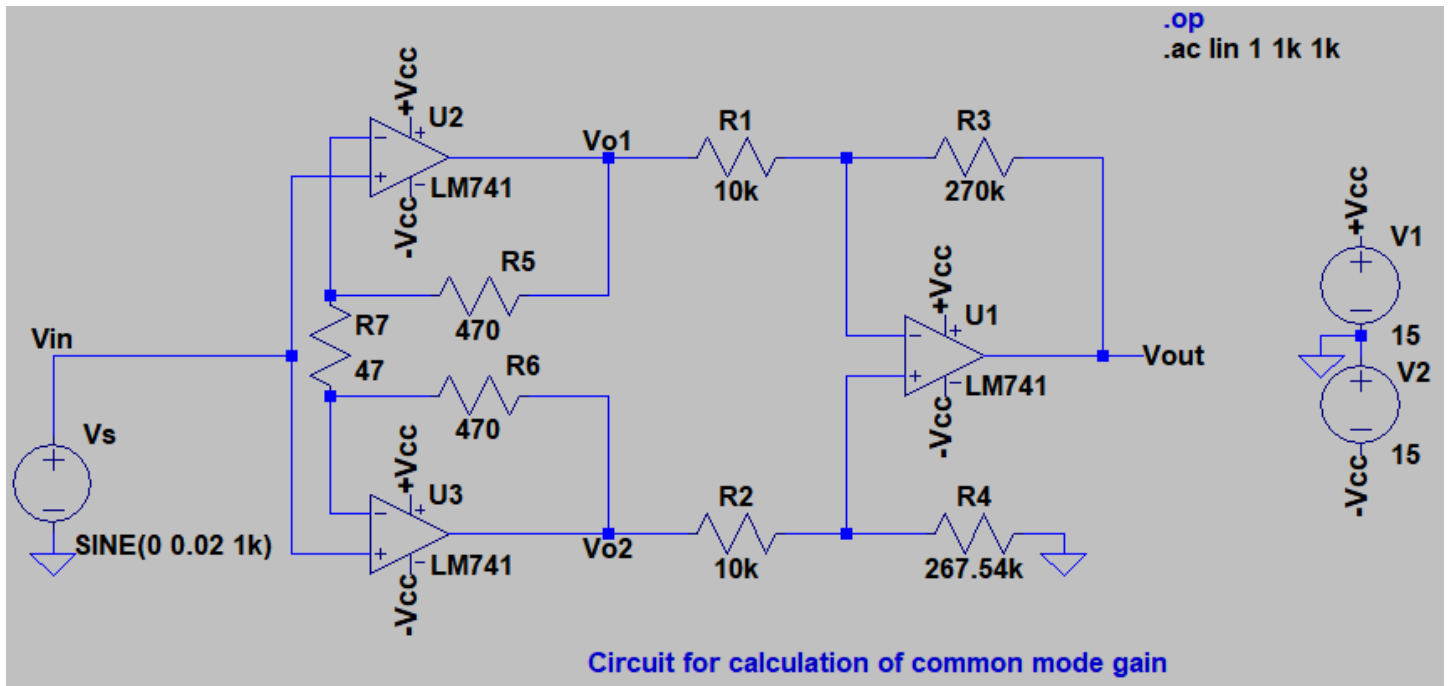
V(-vcc) :      -15          voltage
V(+vcc) :       15          voltage
V(n002) :     4.82044       voltage
V(n003) :     4.81929       voltage
V(vout) :    -8.98765e-009  voltage
V(n001) :       5           voltage
I(R1) :    -1.78535e-005    device_current
I(Rf) :    -1.80133e-005    device_current
I(R3) :    -1.80709e-005    device_current
I(R2) :    -1.79557e-005    device_current
I(Vs) :    -3.60266e-005    device_current
I(V1) :    -0.00169262     device_current
I(V2) :    -0.00171063     device_current
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Results

The value of resistance R_f at DC null point ($V_{out} = -9 \text{ nV} \approx 0 \text{ V}$) comes out to be approximately **267.54 k Ω** .

**Common mode
Gain (A_{cm})**

Schematic and results from AC analysis



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--- AC Analysis ---

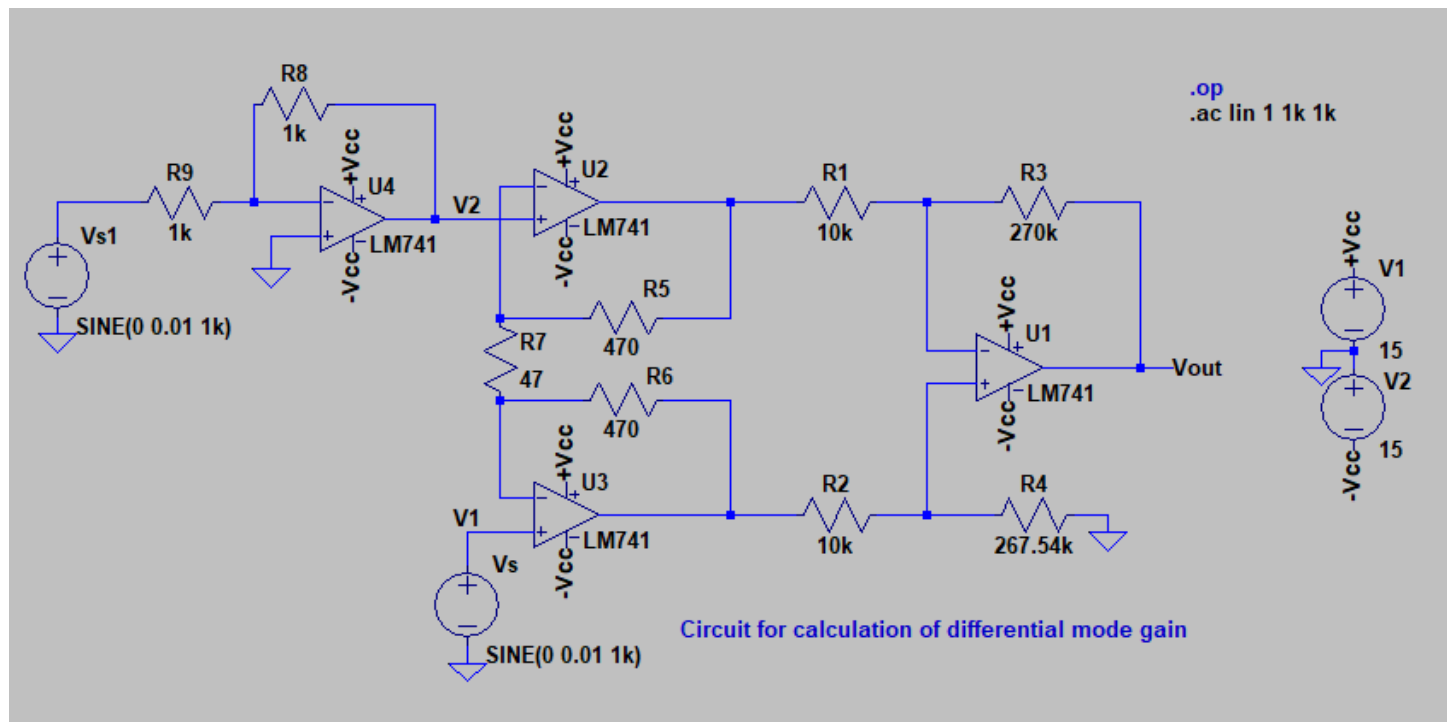
frequency:	1000	Hz		
V(+vcc):	mag:	0	phase:	0°
V(-vcc):	mag:	0	phase:	0°
V(n002):	mag:	0.0192806	phase:	-0.0446768°
V(n003):	mag:	0.0192799	phase:	-0.0512222°
V(vout):	mag:	0.000170154	phase:	157.787°
V(vo1):	mag:	0.0200005	phase:	-0.0513552°
V(vo2):	mag:	0.0200005	phase:	-0.051356°
V(n001):	mag:	0.0200005	phase:	-0.0512658°
V(vin):	mag:	0.02	phase:	0°
V(n004):	mag:	0.0200005	phase:	-0.0512658°
I(R7):	mag:	8.91962e-013	phase:	161°
I(R6):	mag:	6.69902e-011	phase:	-88.5097°
I(R5):	mag:	6.63867e-011	phase:	-89.9522°
I(R3):	mag:	7.19936e-008	phase:	179.766°
I(R4):	mag:	7.20637e-008	phase:	179.949°
I(R2):	mag:	7.20622e-008	phase:	179.945°
I(R1):	mag:	7.1995e-008	phase:	179.77°
I(Vs):	mag:	1.33365e-010	phase:	-89.2621°
I(V2):	mag:	3.60151e-008	phase:	-0.157312°
I(V1):	mag:	3.60505e-008	phase:	179.843°

Results

- The value of common mode gain from simulation comes out to be $A_{cm} = V(vout)/V(vin) = 0.000170154/0.02 = 8.5077 \text{ mV/V} = -41.404 \text{ dB}$.
- The theoretical value of common mode gain should be $A_{cm} = -\frac{R_3}{R_1} V_{o1} + \left(1 + \frac{R_3}{R_1}\right) \left(\frac{R_4}{R_2 + R_4}\right) V_{o2}$
 $= -(270k/10k) \times 0.0200005 + (1 + (270k/10k)) \times (267.54k/(10k + 267.54k)) \times 0.0200005$
 $= -0.5400135 + 0.539836 = -0.0001773 \text{ V/V} = -75.026 \text{ dB}$.

**Differential mode
Gain (A_{dm})**

Schematic and results from AC analysis



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--- AC Analysis ---

frequency:	1000	Hz		
V(+vcc):	mag:	0	phase:	0°
V(-vcc):	mag:	0	phase:	0°
V(n005):	mag:	0.202267	phase:	-5.02225°
V(n006):	mag:	0.202313	phase:	-1.81952°
V(vout):	mag:	11.3257	phase:	-3.42458°
V(n004):	mag:	0.209888	phase:	178.282°
V(n008):	mag:	0.209888	phase:	-1.7101°
V(n001):	mag:	0.00999483	phase:	178.199°
V(v2):	mag:	0.00999987	phase:	179.864°
V(n007):	mag:	0.00999455	phase:	-1.62726°
V(v1):	mag:	0.01	phase:	0°
V(n002):	mag:	0.01	phase:	0°
V(n003):	mag:	1.1816e-005	phase:	89.6166°
I(R9):	mag:	9.99993e-006	phase:	179.932°
I(R8):	mag:	9.99993e-006	phase:	179.932°
I(R7):	mag:	0.000425306	phase:	178.286°
I(R6):	mag:	0.000425306	phase:	-1.71425°
I(R5):	mag:	0.000425306	phase:	178.286°
I(R3):	mag:	4.11982e-005	phase:	-3.39553°
I(R4):	mag:	7.56197e-007	phase:	178.18°
I(R2):	mag:	7.58551e-007	phase:	-178.791°
I(R1):	mag:	4.11984e-005	phase:	-3.33976°
I(Vs1):	mag:	9.99993e-006	phase:	179.932°
I(Vs):	mag:	1.00805e-009	phase:	-91.939°
I(V2):	mag:	0.00011908	phase:	-1.8693°
I(V1):	mag:	0.000128319	phase:	-1.72878°

Results

- The value of differential mode gain from simulation comes out to be $A_{dm} = V(vout)/(V(v1) - V(v2)) = 11.3257/0.02 = 566.285 \text{ V/V} = 55.061 \text{ dB}$.
- The theoretical value of differential mode gain should be $A_{dm} = \left(1 + \frac{2R_5}{R_7}\right) \cdot \frac{R_3}{R_1} = 567 \text{ V/V} = 55.07 \text{ dB}$.

Calculation of CMRR

The simulated value of common mode rejection ratio (CMRR) is

$$\text{CMRR} = \frac{A_{dm}}{A_{cm}} = \frac{566.285}{0.0085077} = 66561.468 = 96.4645 \text{ dB}$$

The theoretical value of CMRR is

$$\text{CMRR} = \frac{A_{dm}}{A_{cm}} = \frac{567}{0.0001773} = 3.2 \times 10^6 = 130.0975 \text{ dB}$$

Hence, practical circuits like the instrumentation amplifier using LM 741 do not have ideal infinite CMRR, but are limited to some finite large value due to mismatch. The theoretical value of CMRR is much higher than simulated value as per calculations.