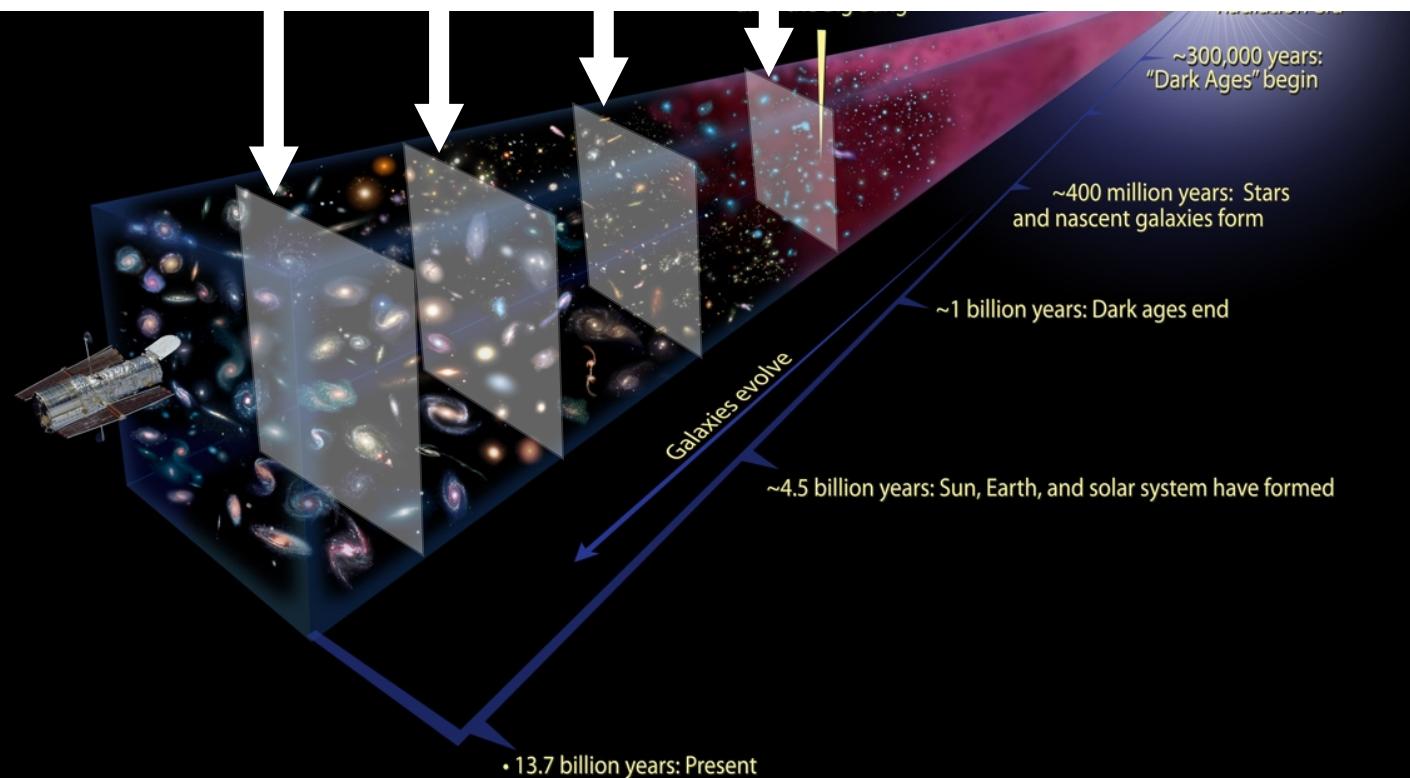


Galaxy Evolution: *identify, examine, and connect* galaxies through cosmic time

Snapshots of similar galaxies at different epochs



Rachel Bezanson

NASA, ESA, and A. Feild (STScI)

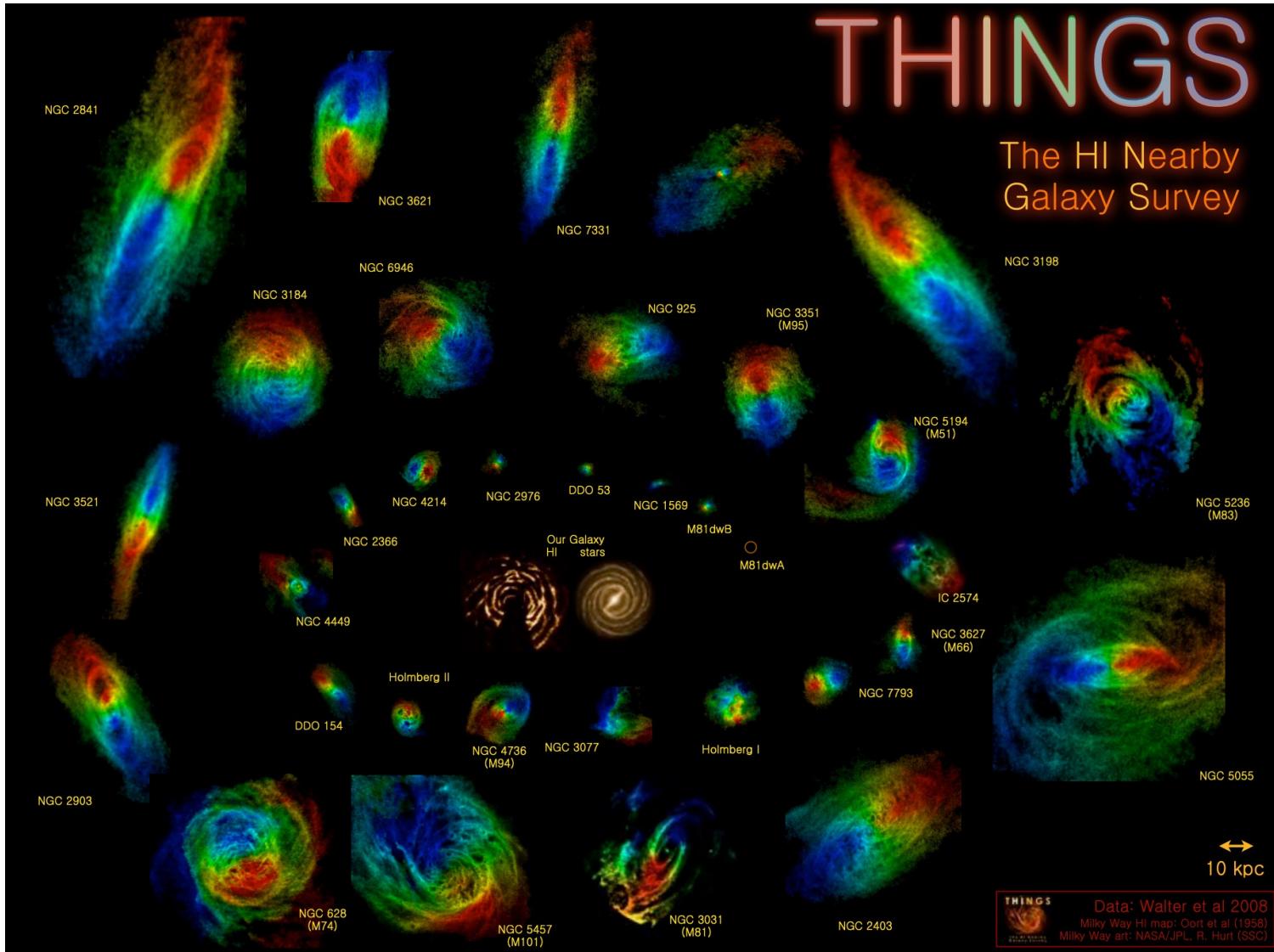
Galaxy Kinematics & Scaling Relations

- Spirals: Rotation Supported
 - Tully Fisher Relation
- Ellipticals: Dispersion Supported
 - Faber-Jackson Relations
 - Fundamental Plane

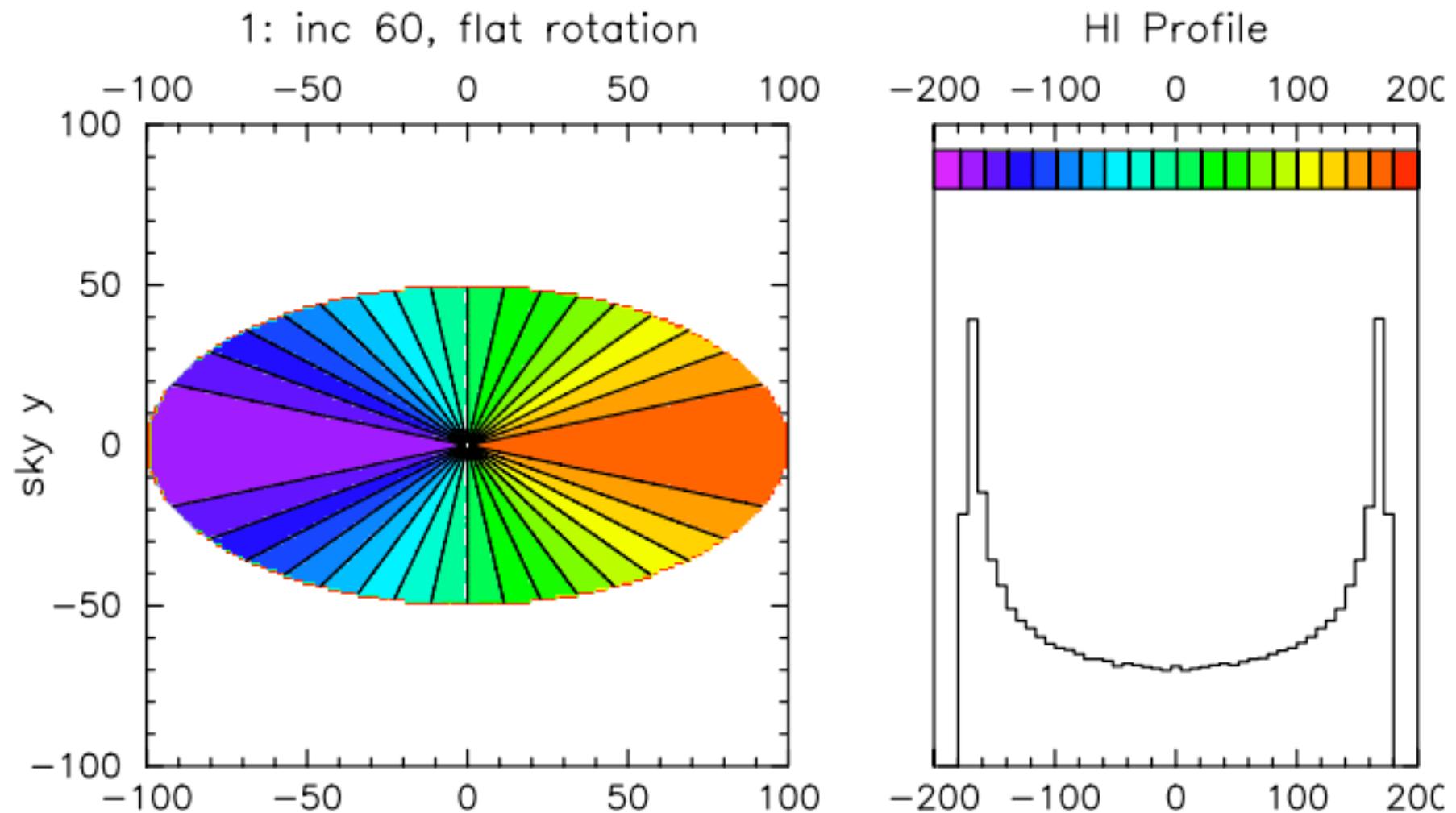
Scaling Relations

- Galaxy morphological properties (Luminosity, Size) are easier to measure than internal kinematics.
- Scaling Relations relate galaxy properties (Luminosity, Size) to their internal kinematics.
- Kinematics is dictated by total mass
- So, scaling relations tell us about the relationship between galaxy properties and dark matter.
- Evolution of these scaling relationships over time can then tell us how galaxies assemble.

Spiral Galaxies are star forming, gas rich, rotationally supported disks



Galaxy Kinematics: Spirals



The Integrated HI Spectrum of Spiral Galaxies

Double peaked profile is characteristic of galaxies with the flat rotation curve and rising part in the center.

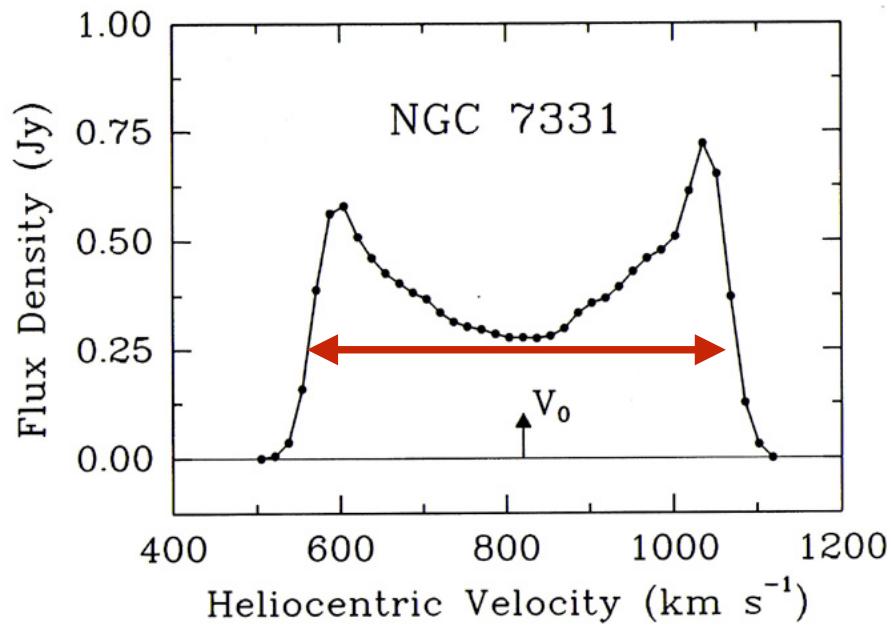


Fig 5.22 (K. Begeman) 'Galaxies in the Universe' Sparke/Gallagher CUP 2007

$$\text{Width of line} \sim 2V_{\max} \sin(i)$$

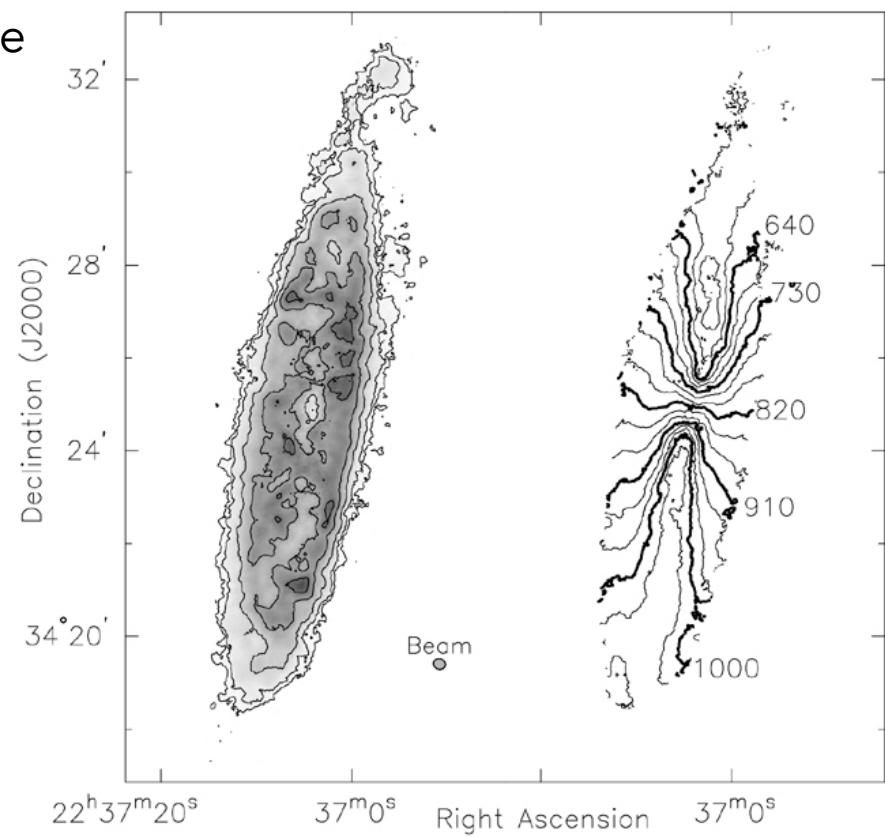


Fig 5.13 (Thornley & Bambic) 'Galaxies in the Universe' Sparke/Gallagher CUP 2007

Caveat: Inclination

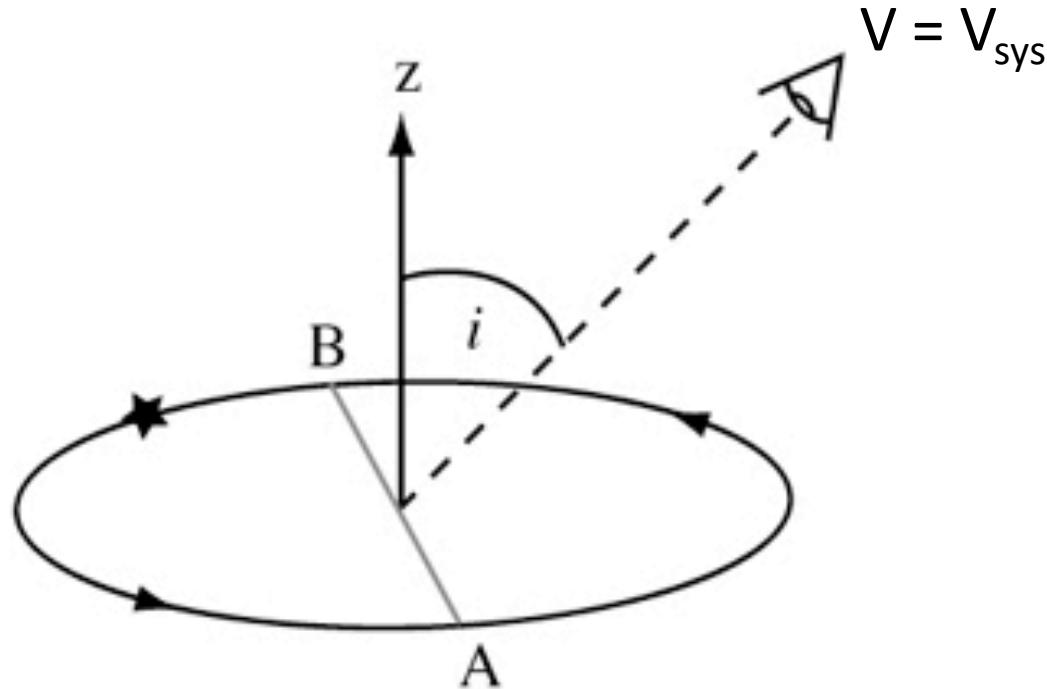
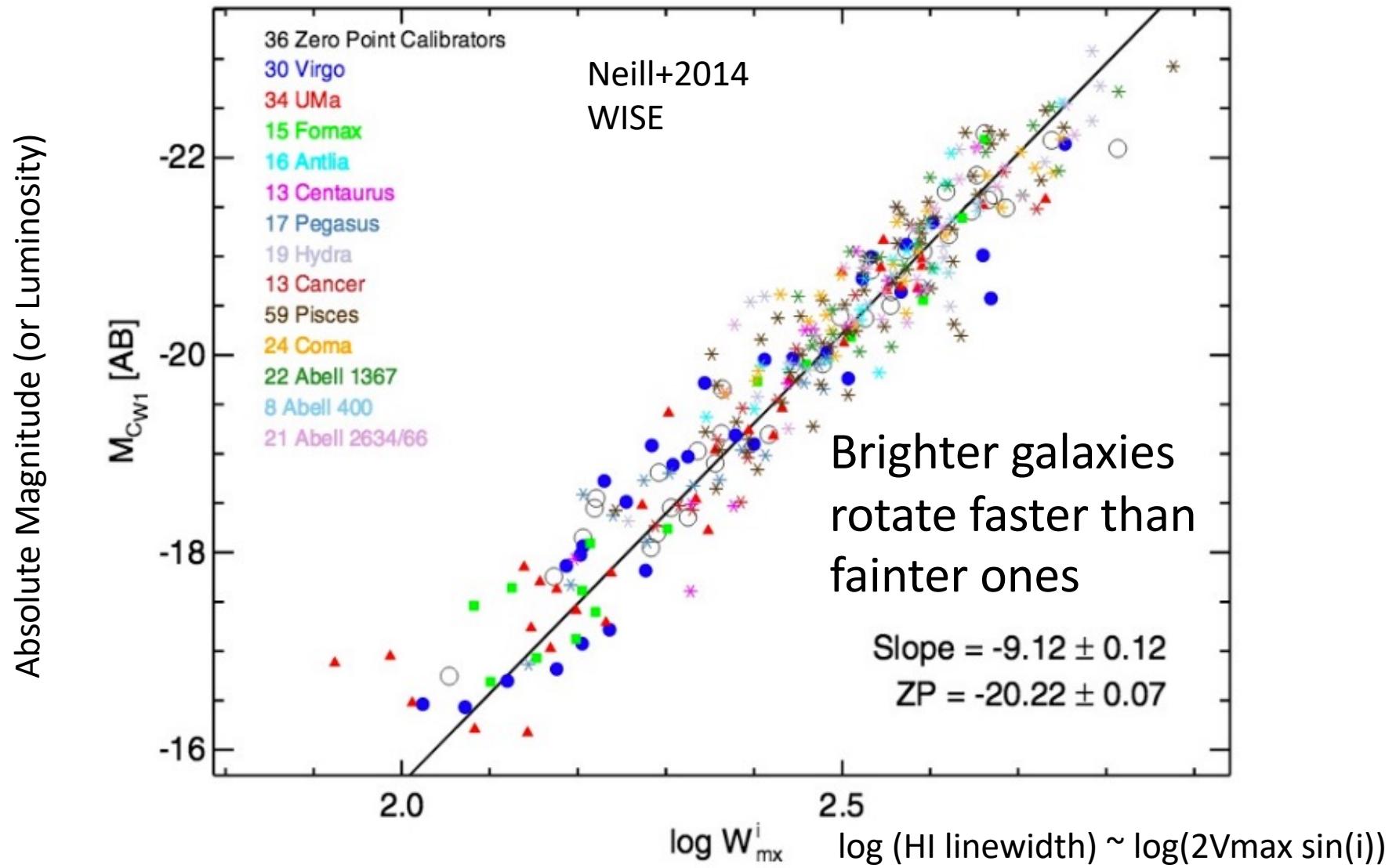


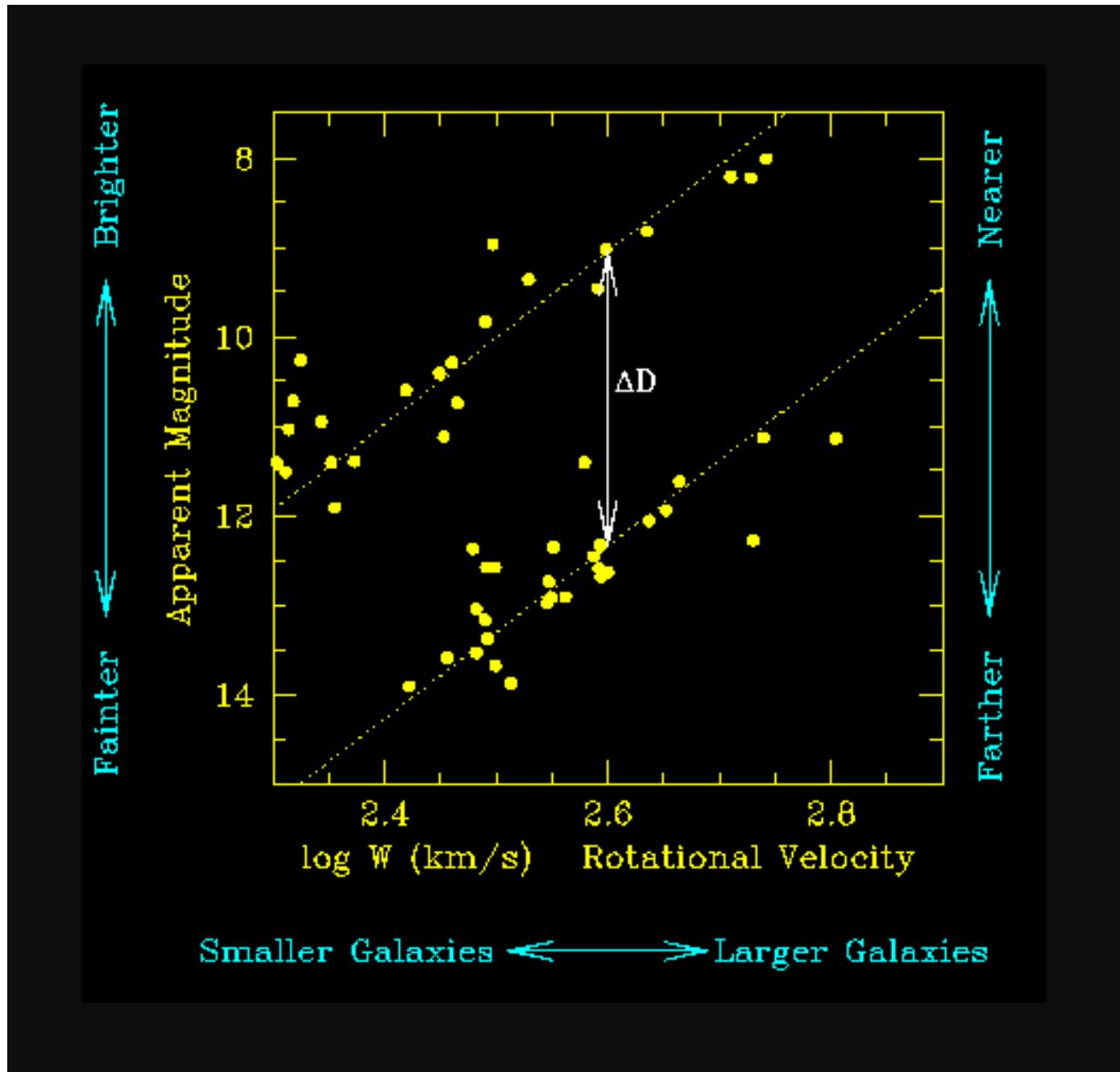
Fig 5.18 'Galaxies in the Universe' Sparke/Gallagher CUP 2007

The observer's line of sight makes angle i with the disk's rotation axis
z. We observe $V_{\text{sys}} = V_{\text{max}} \sin(i)$

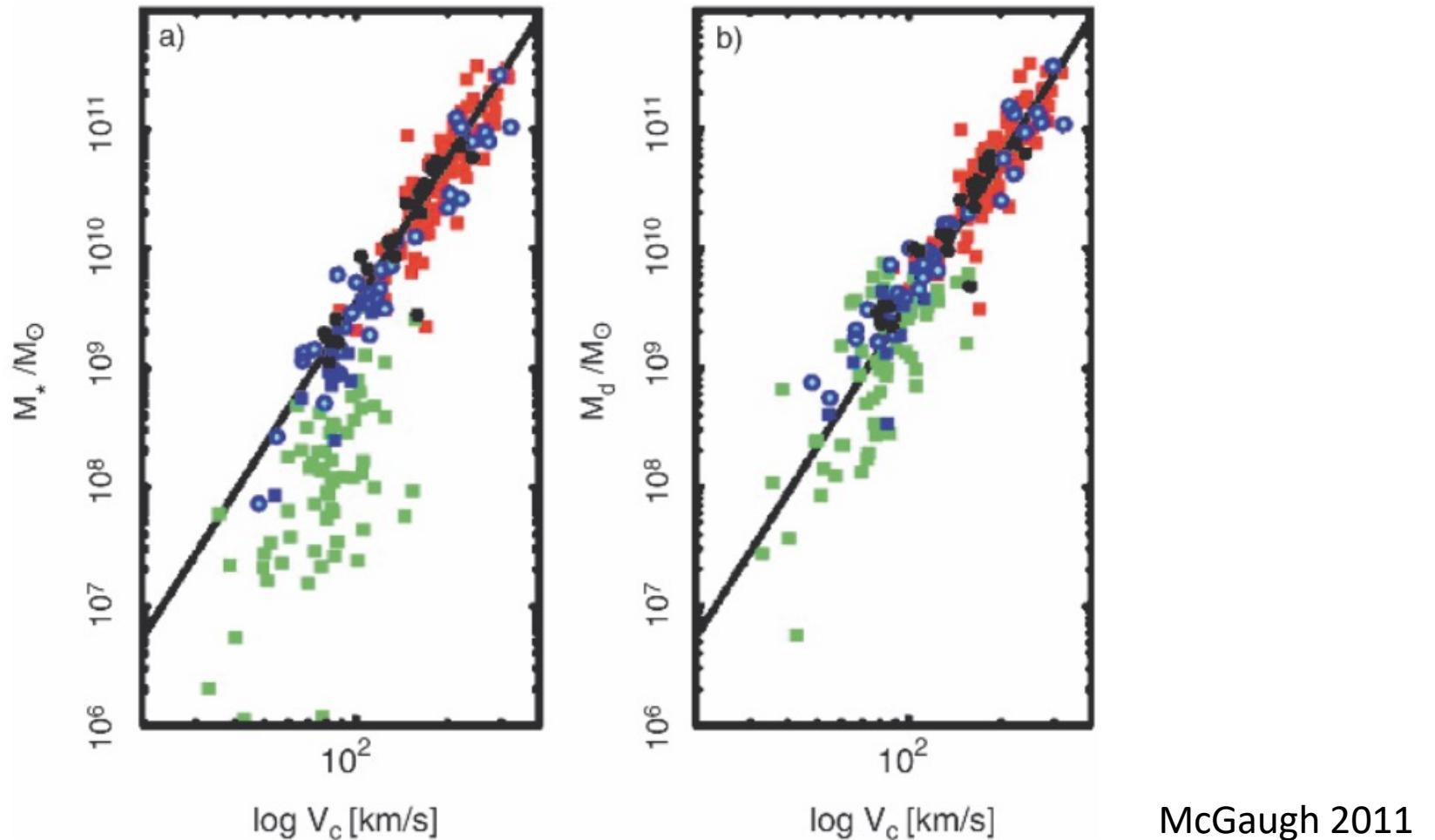
Tully Fisher Relation



- In spirals, luminosity $L \sim v_{\text{max}}^\alpha$ with $\alpha \sim 4$. 14

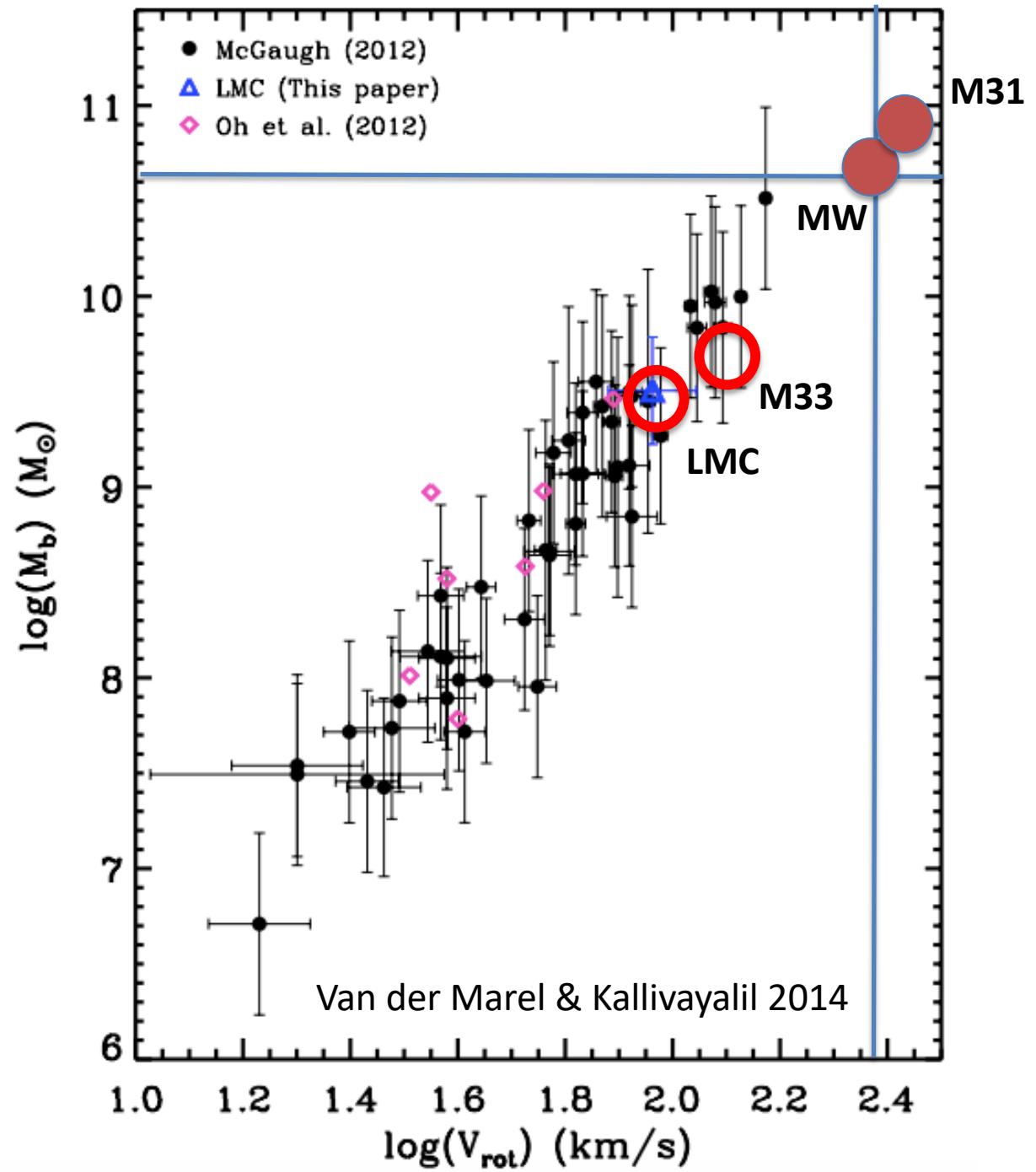


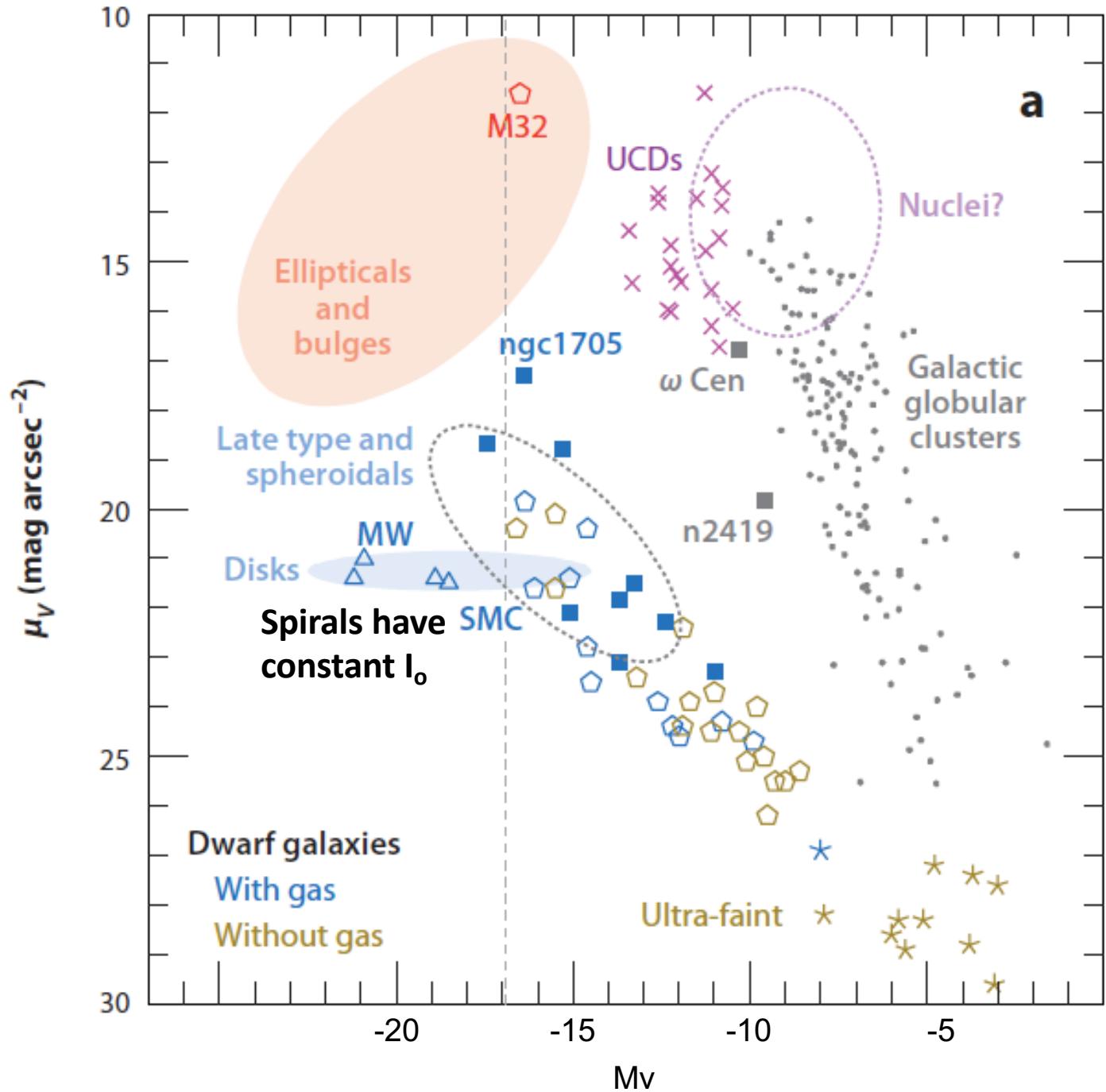
Baryonic Tully Fisher Relation



Deviations from the Tully Fisher relation at the low mass end largely disappear if you include the gas mass in addition to the stellar mass (i.e. total disk mass).

Local Group & TF





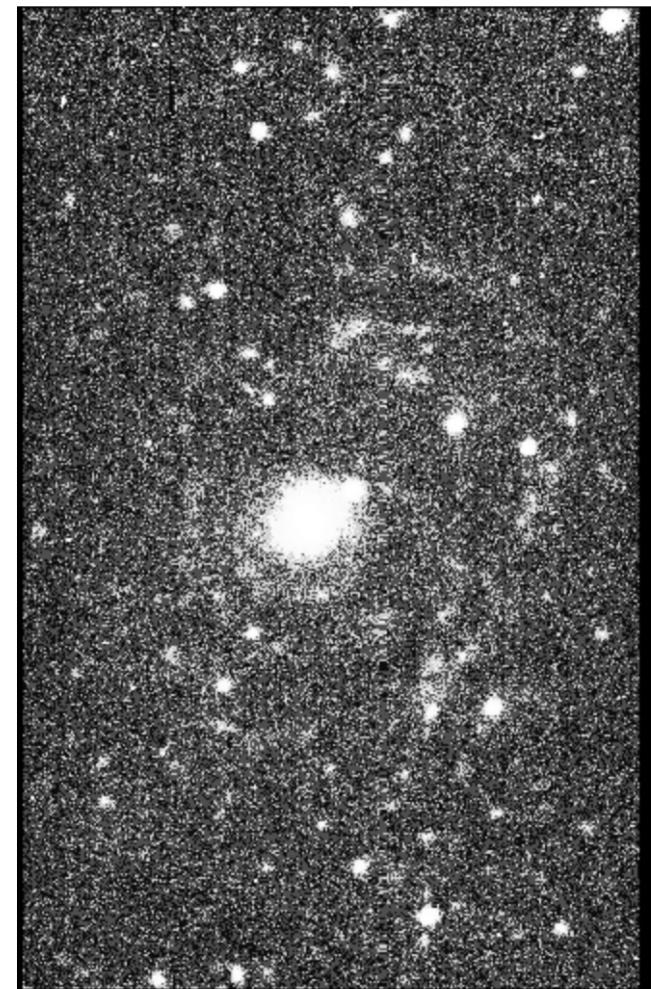
The central surface brightness of many spirals is \sim constant, irrespective of the absolute magnitude of the galaxy!

$$I_B(0) \approx 21.65 \text{ mag arcsec}^{-2} \quad \sim 100 \text{ L}_{\odot}/\text{pc}^2$$

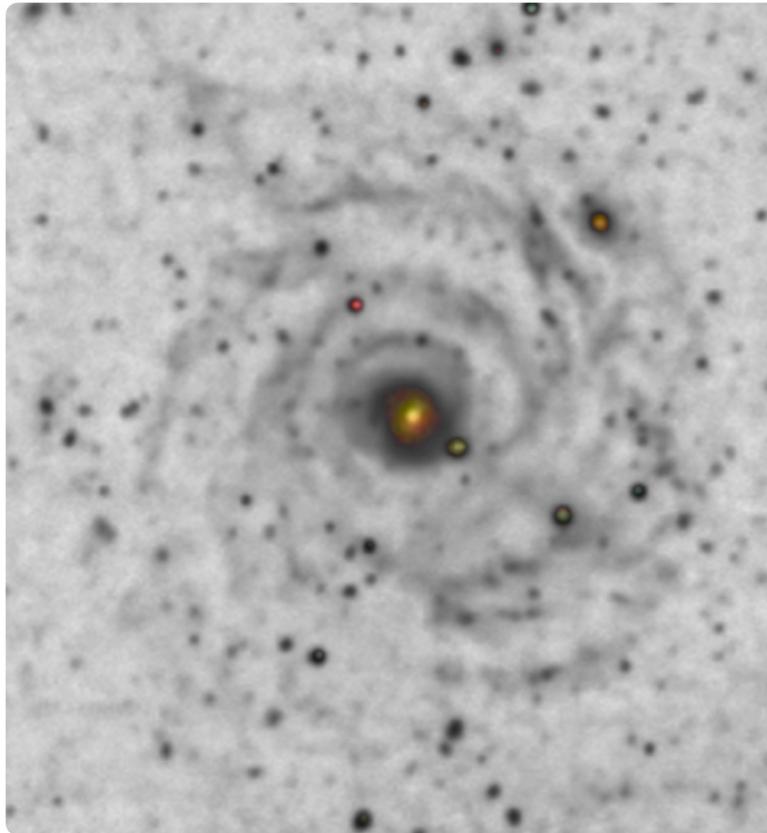
M101



BUT: Low Surface Brightness Galaxies
Malin 1

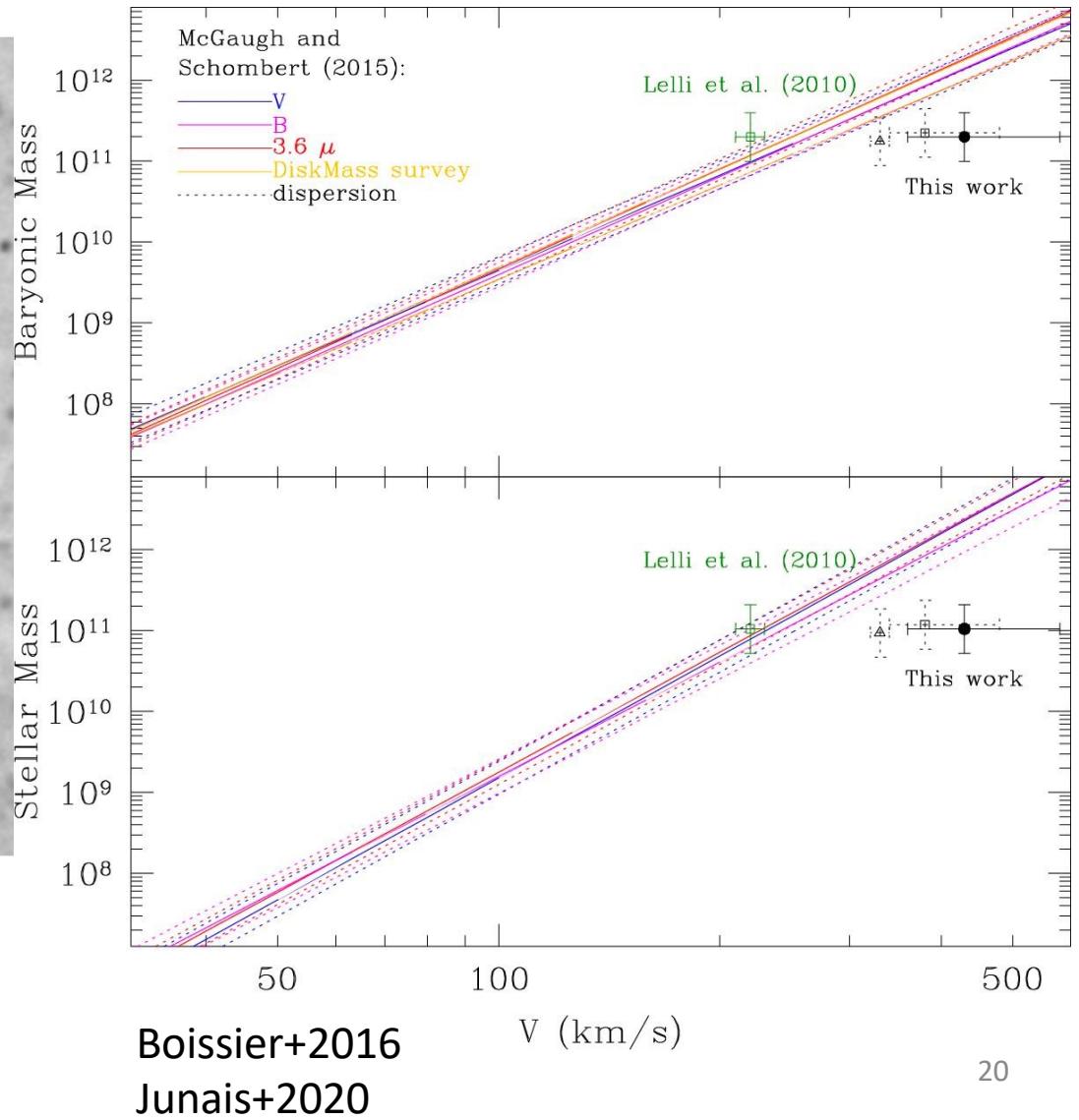


Malin I – V_{rot} ~ 350 km/s



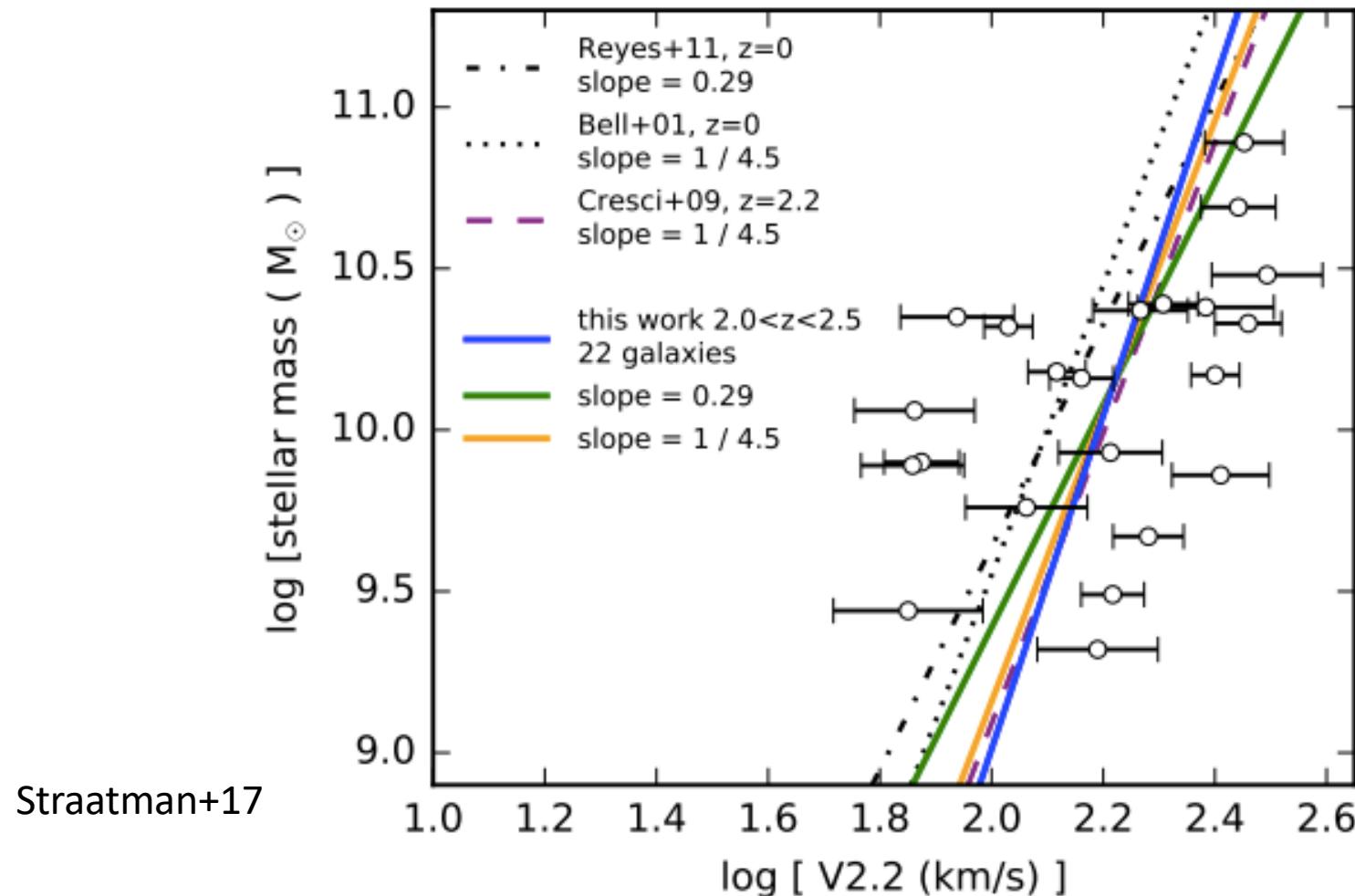
For Tully Fisher to hold true
at low surface brightness:

$$M/L \propto 1/\sqrt(I_o)$$



Evolution of Tully Fisher?

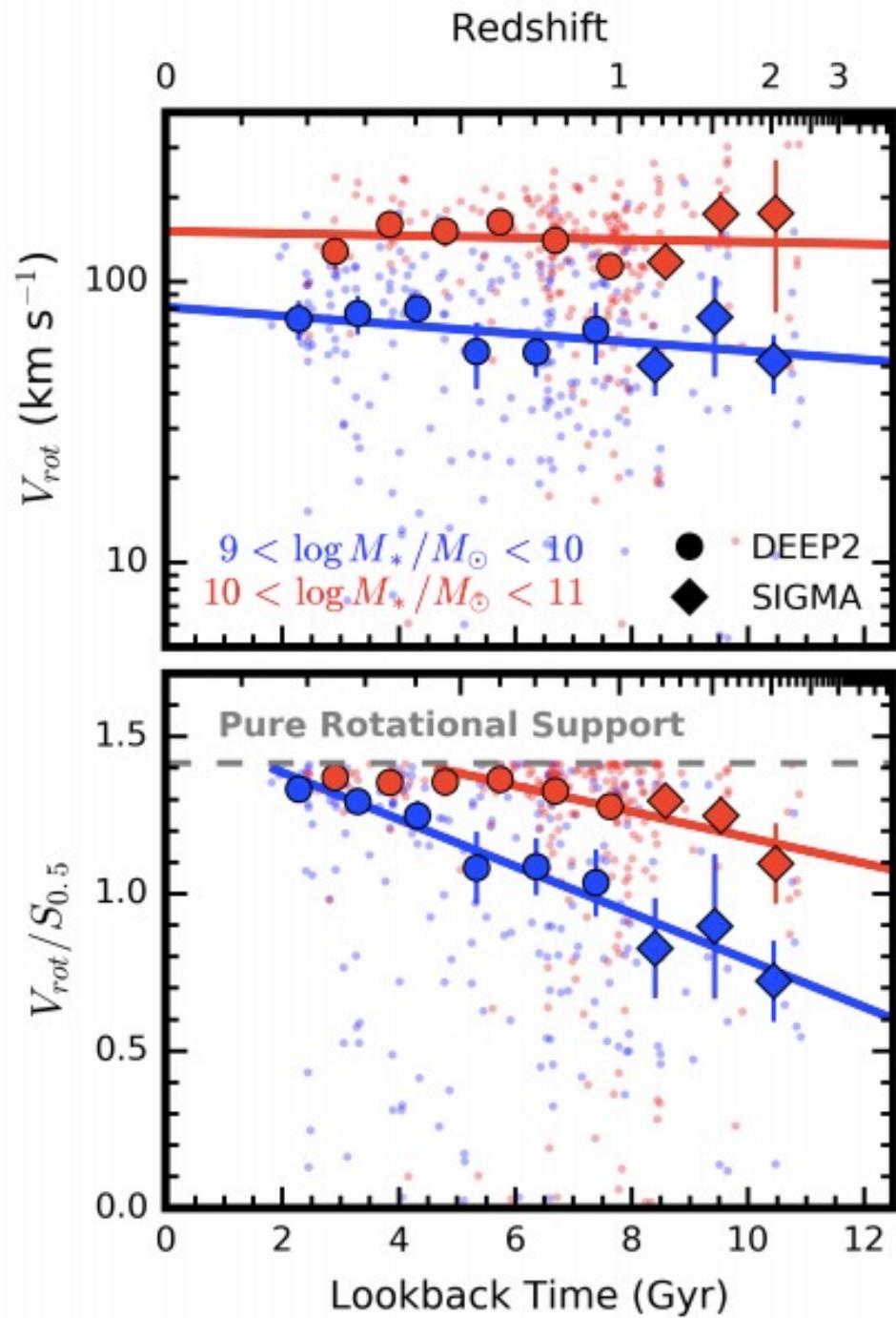
- Lots of debate! Slope? Zero Point?



Evolution of Tully Fisher?

Evolution at low masses?

Simons+2017

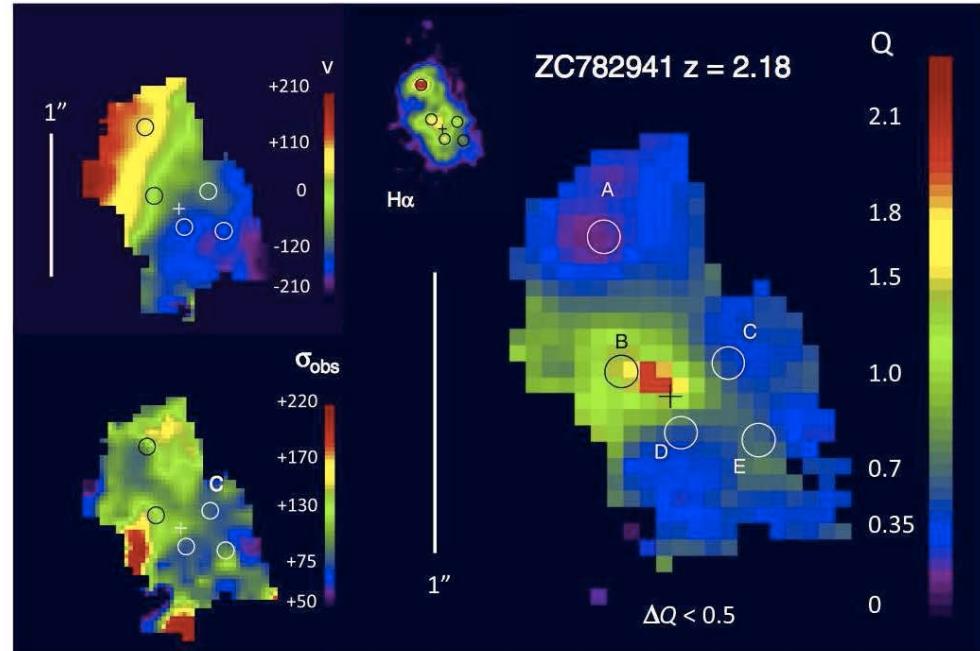
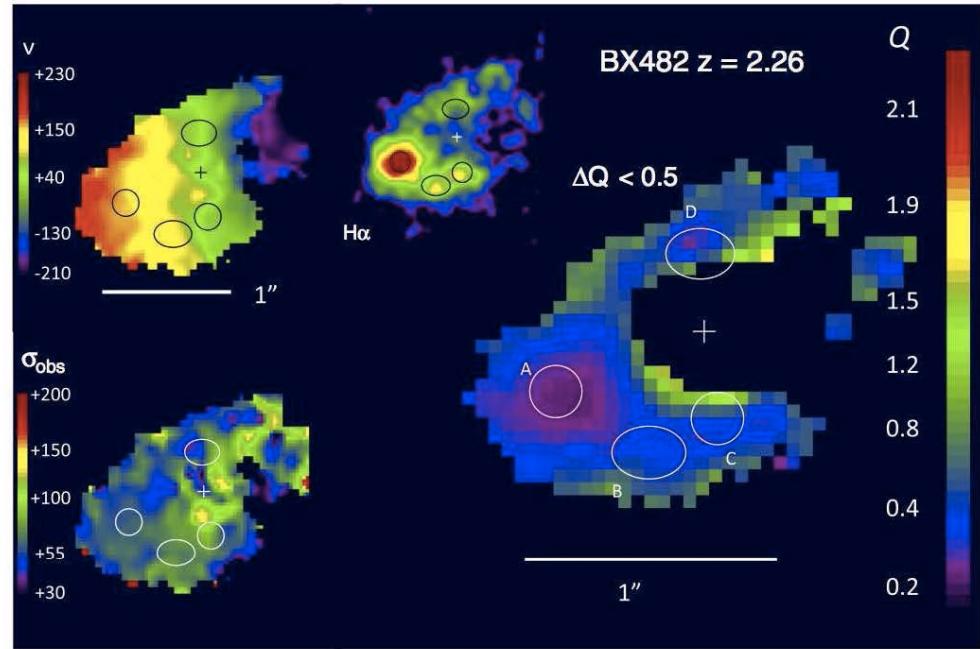


Morphology of high z galaxies

$$\sigma^2 = \frac{1}{N} \sum_{i=1}^N (v - \langle v \rangle)^2$$

$$\langle v \rangle = \frac{1}{N} \sum_{j=1}^N v_j$$

Genzel+2011

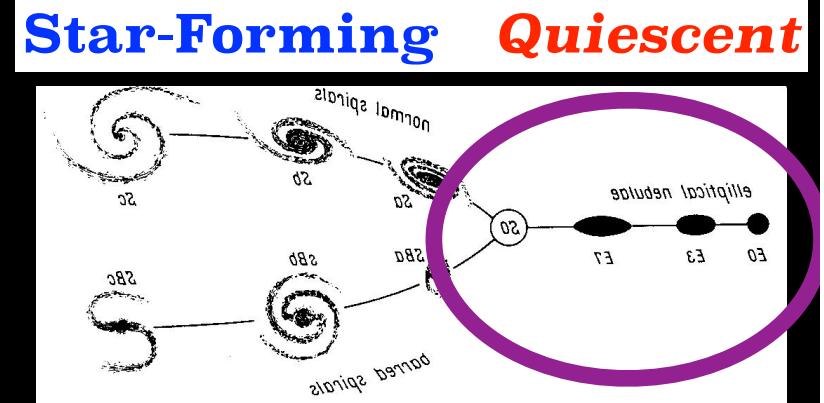


Massive Galaxies Today



local massive galaxies are OLD:

large effective radii ($r_e \sim 5$ kpc)
red, quiescent stellar populations
spheroidals with de Vaucouleurs profiles
dispersion dominated dynamics



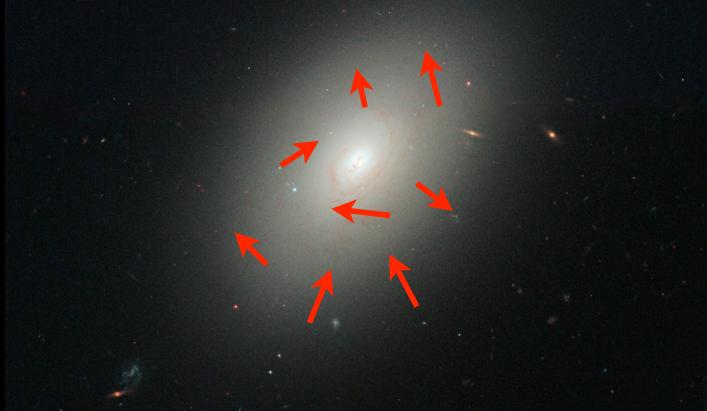
Hubble, 1936

Rachel Bezanson

Velocity Dispersion

average motion of stars in a galaxy

Stars move around on random orbits

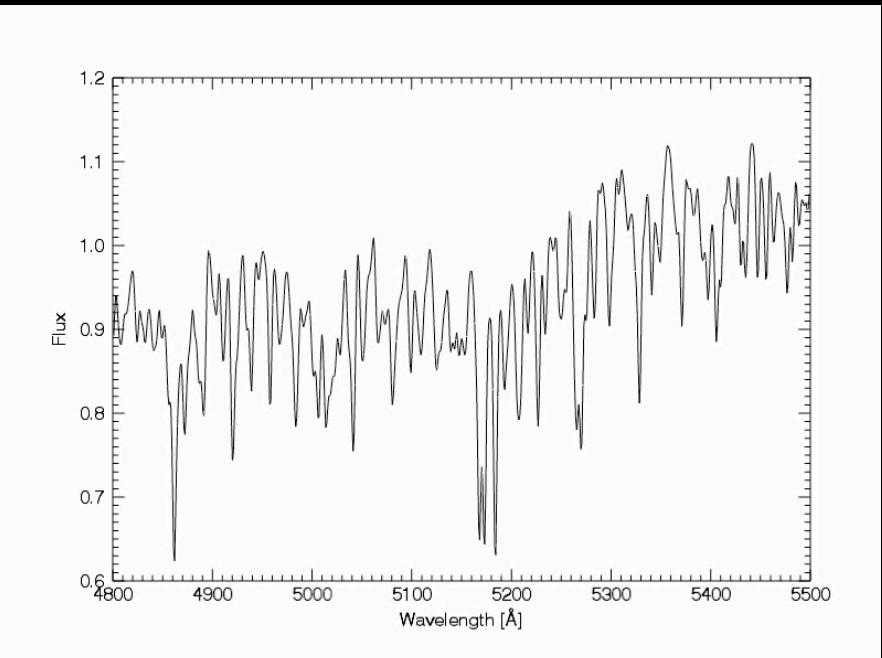


(like bees in a swarm)



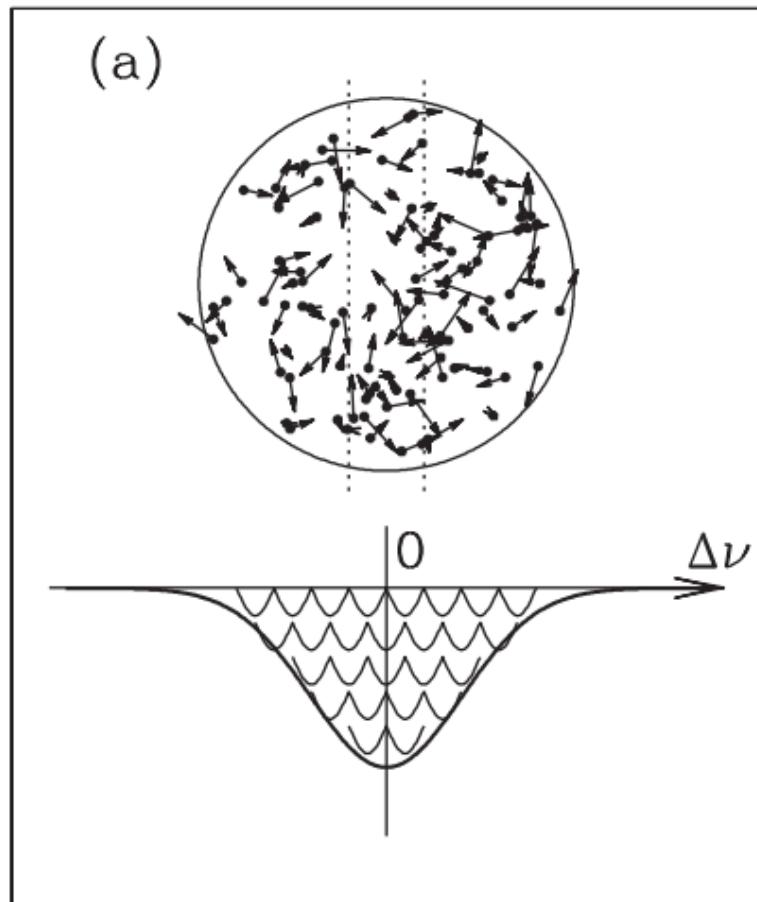
photo credit: <http://www.dailymail.co.uk/sciencetech/article-457344/Tourists-shocked-swarm-bees-descend-Bournemouth.html>

Measured from doppler
broadening of spectral features



Rachel Bezanson

Measuring Velocity Dispersion from the spectrum of many stars simultaneously

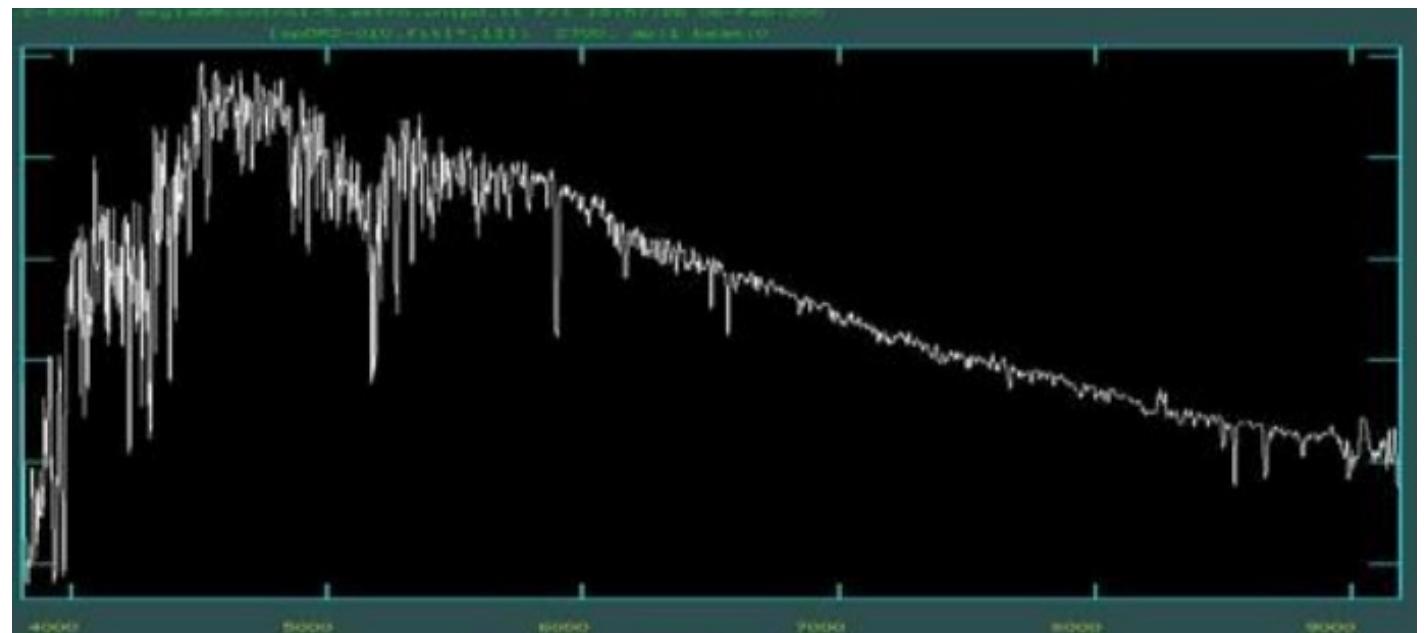


For nearby galaxies,
can measure individual V_r for
stars we see and measure σ

In distant galaxies,
light from all stars is blended
together.

Take an optical spectrum of an elliptical and a template star (usually a K-giant). Convolve the template with a gaussian of width σ until it matches the galaxy.

Template K star



Elliptical



Galaxy Kinematics: Ellipticals

Faber-Jackson relation

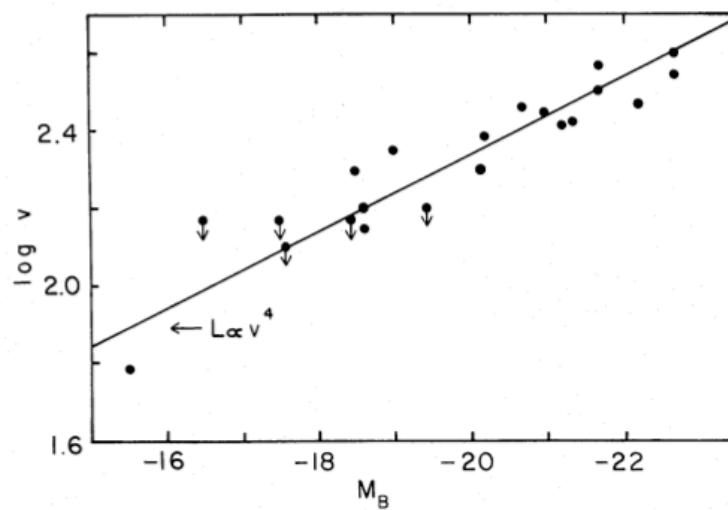
- Stars move (dispersion) faster in more luminous galaxies. Similar to Tully-Fisher relation for spirals, ellipticals obey so called Faber-Jackson relation:

$$\frac{L_V}{2 \times 10^{10} L_\odot} \approx \left(\frac{\sigma}{200 \text{ km s}^{-1}} \right)^4$$

- Can be used to determine distances: less precise than T-F. harder to measure total light from an elliptical.



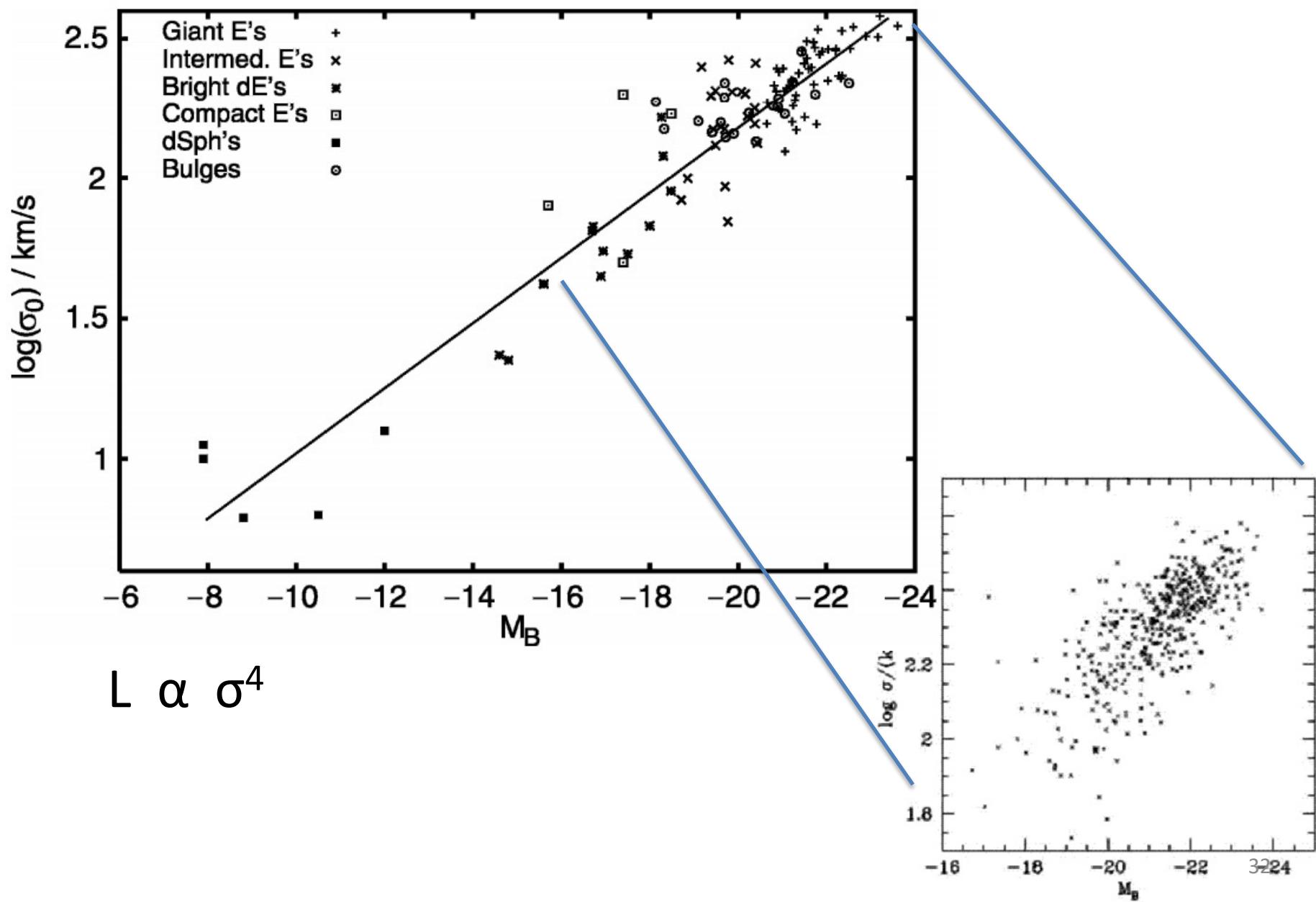
Dr Sandy Faber



From
Faber and Jackson 1976

FIG. 16.—Line-of-sight velocity dispersions versus absolute magnitude from Table 1. The point with smallest velocity corresponds to M32, for which the velocity dispersion (60 km s^{-1}) was taken from Richstone and Sargent (1972).

Faber-Jackson Relation



Recall ...

$$L = 7.2\pi I_e R_e^2$$

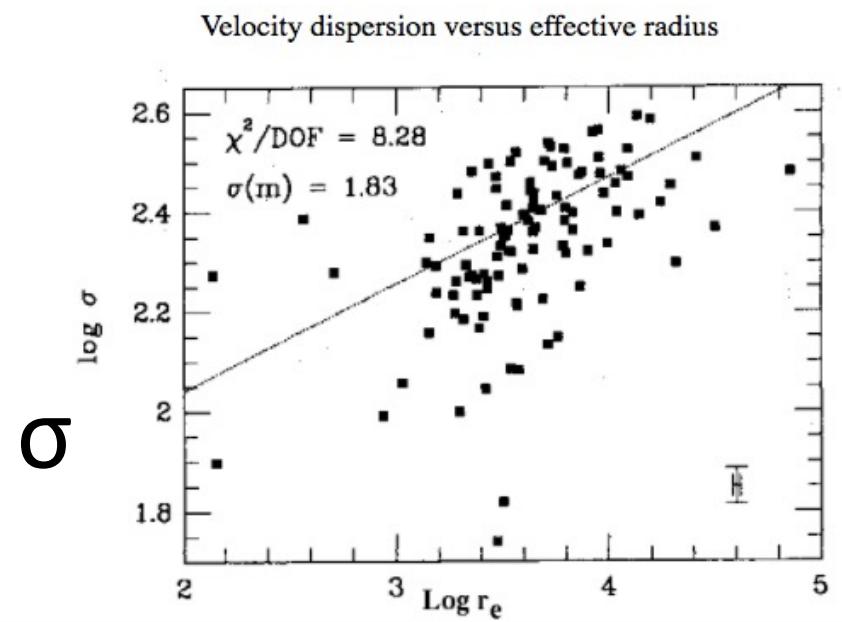
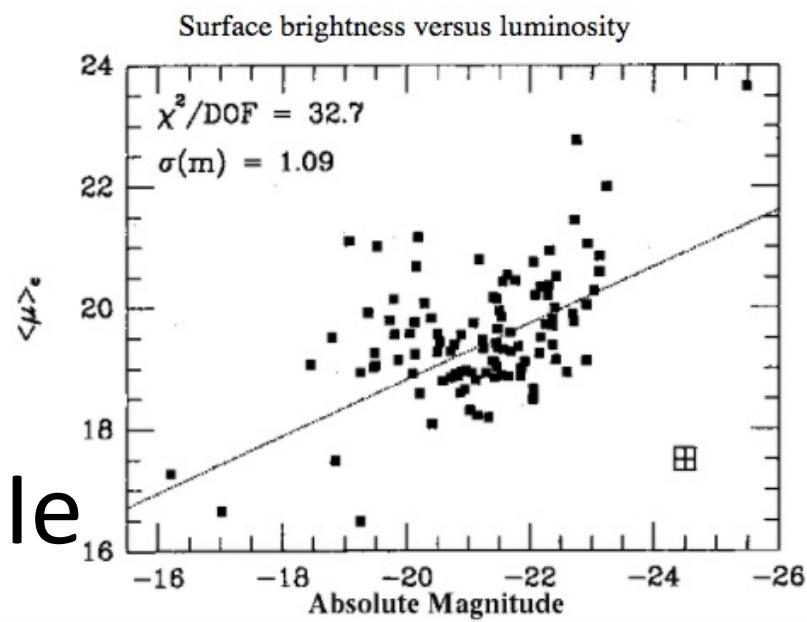
$$I(r) = I_e \exp(-7.67[(r/R_e)^{1/n} - 1])$$

And ...

$$L \propto \sigma^4$$

There are 4 quantities: L, I_e, R_e, σ

2 quantities .. Get scatter



L

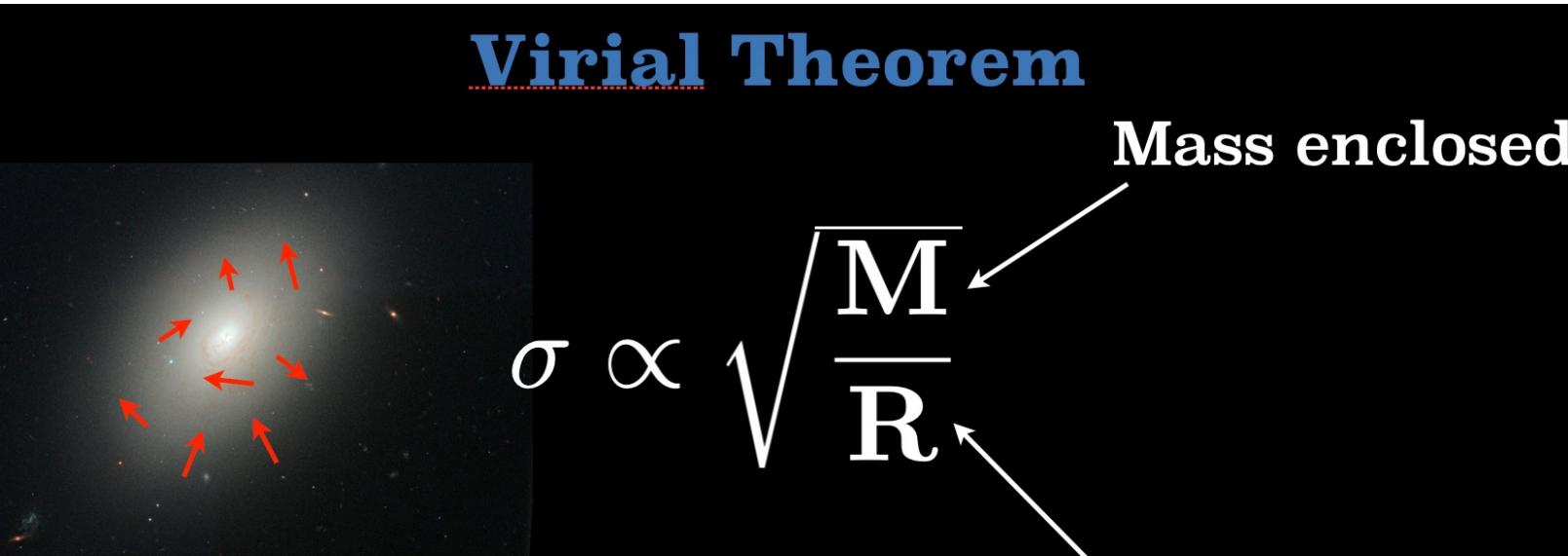
Re

Recall ...

$$L = 7.2\pi I_e R_e^2$$

$$I(r) = I_e \exp(-7.67[(r/R_e)^{1/n} - 1])$$

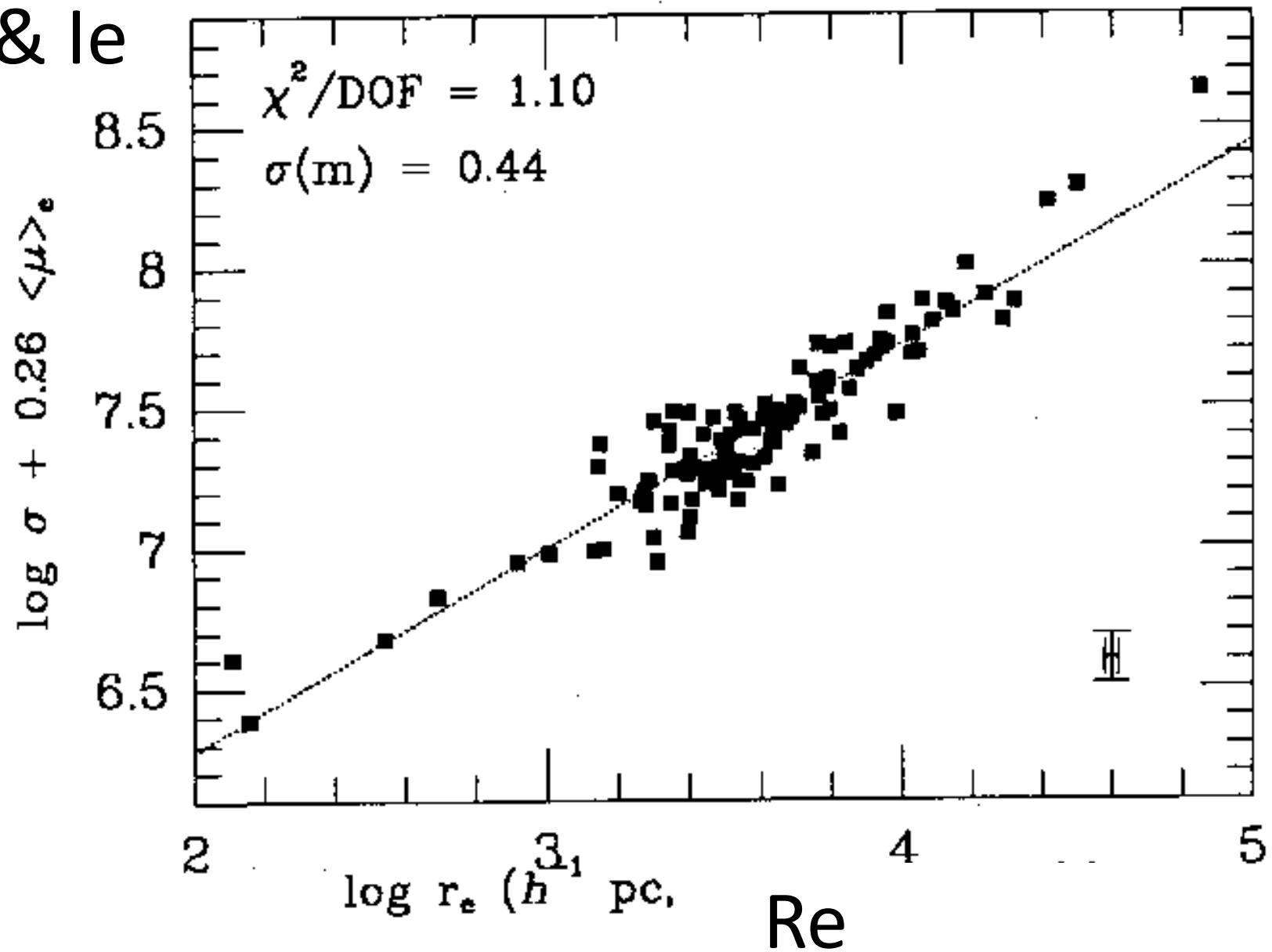
Virial Theorem



Kinetic Energy is balanced by the Gravitational Potential Energy

2 quantities vs a 3rd

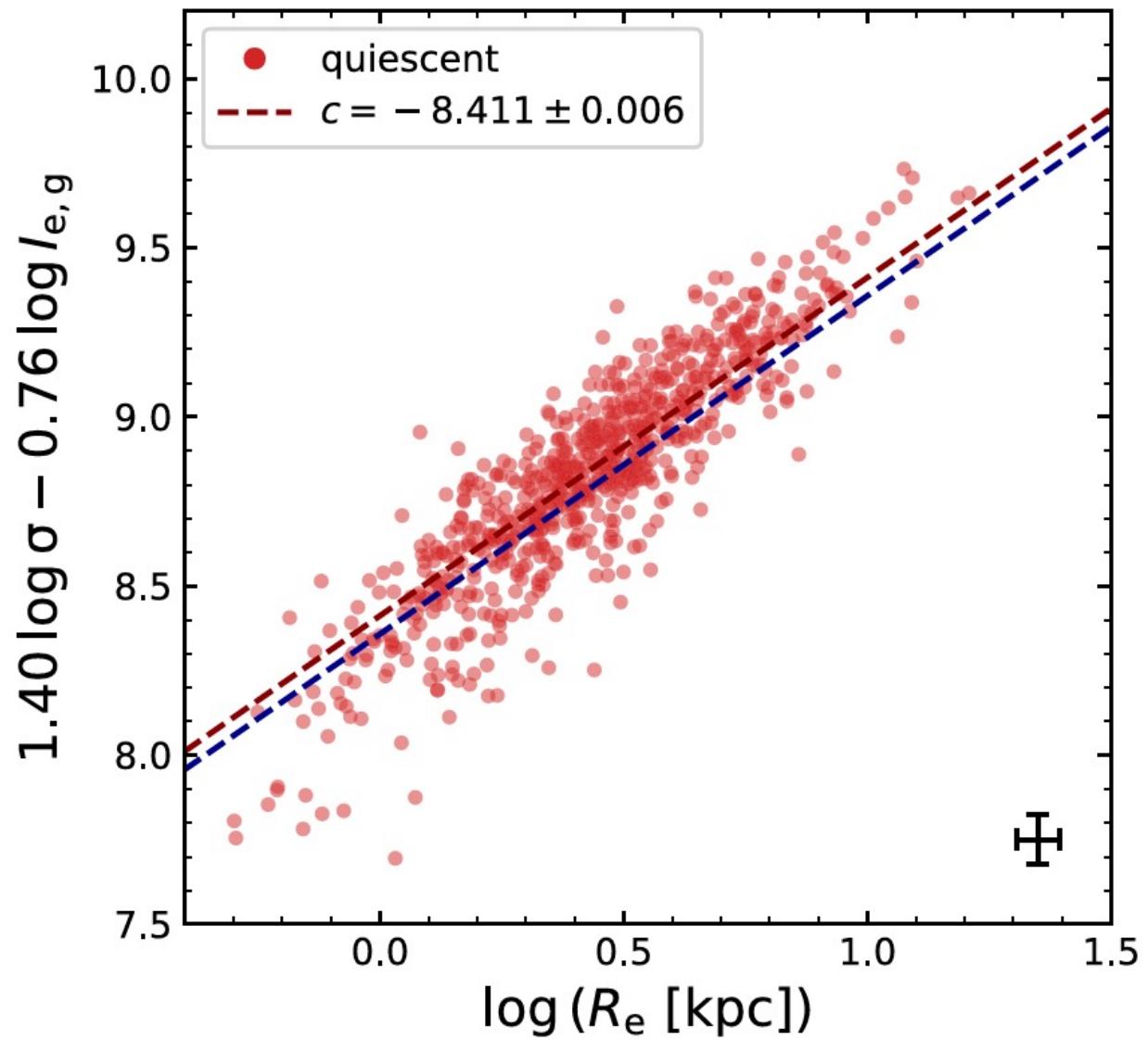
σ & l_e



LEGA-C
Survey (HST)

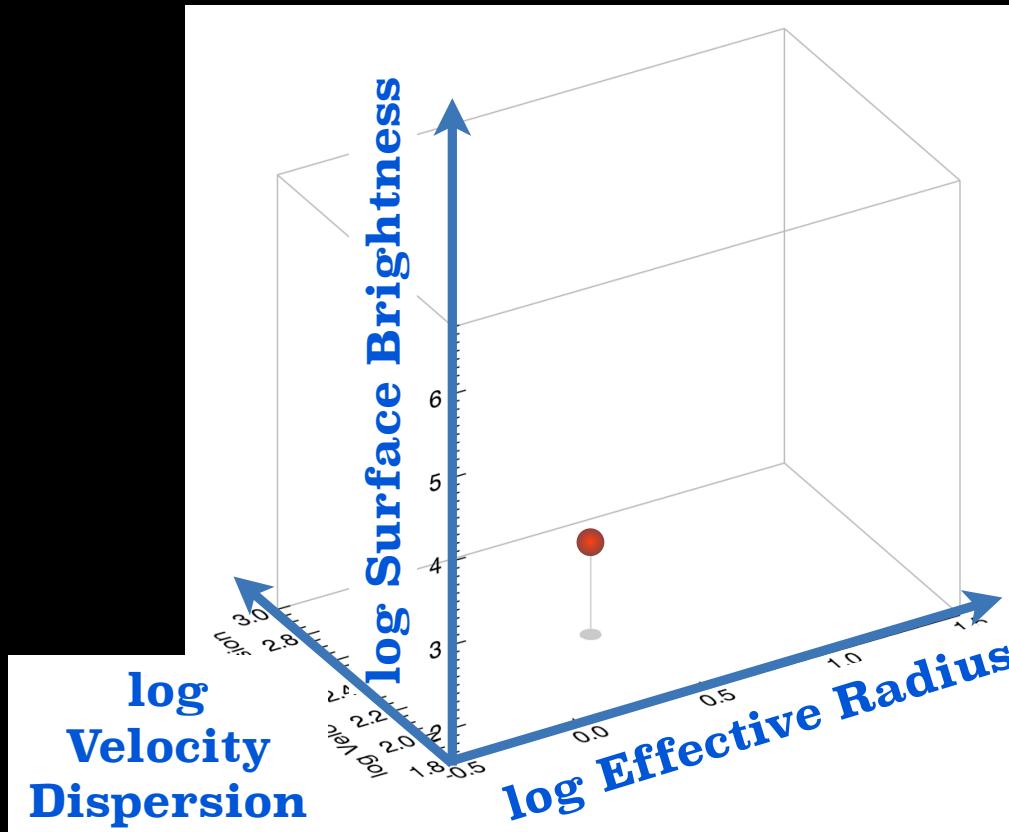
$Z \sim 0.8$

de Graaf + 2021, ApJ, 913



The Fundamental Plane

scaling relations reveal simplicity in galaxy evolution

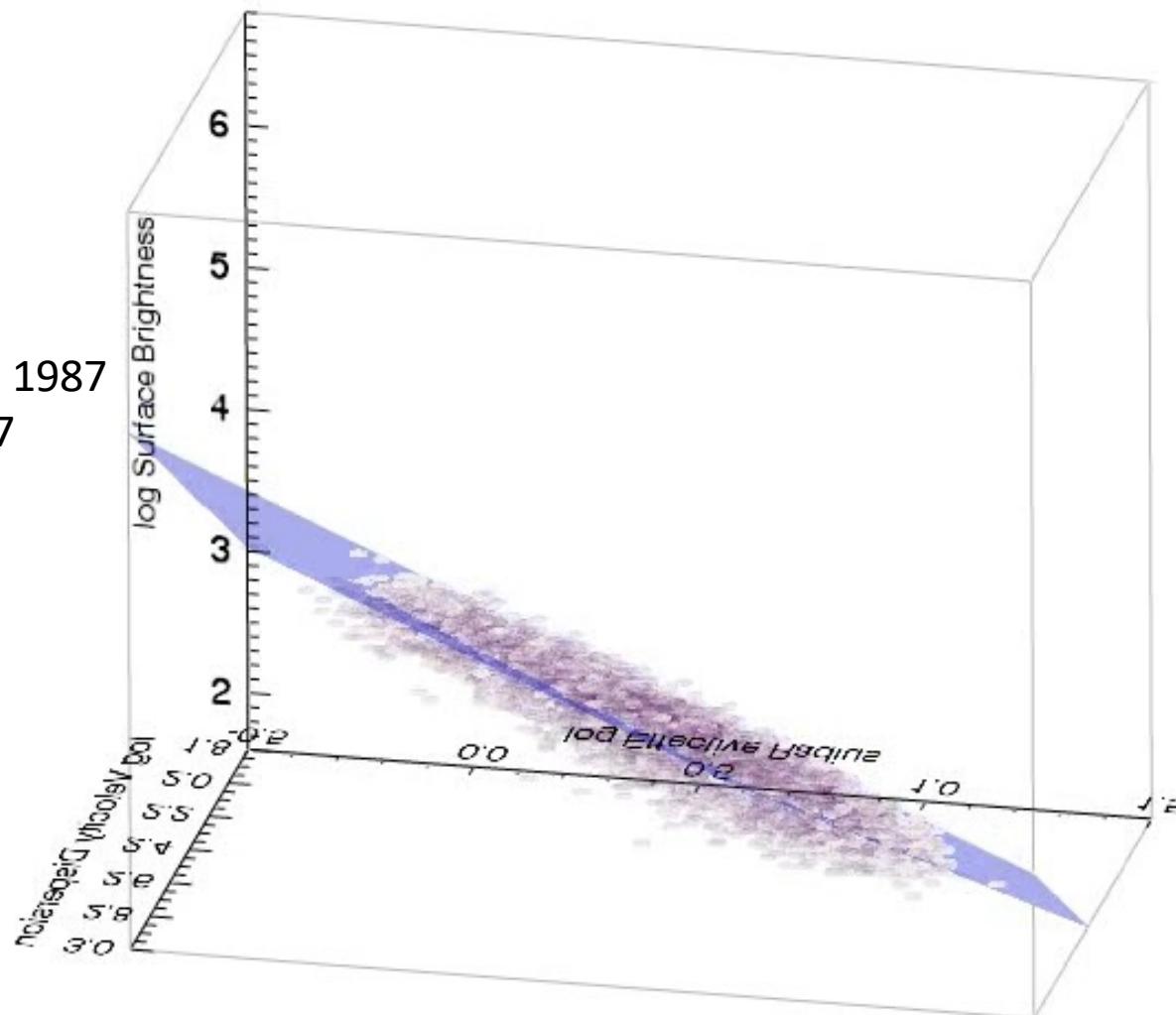


Rachel Bezanson

The Fundamental Plane

Quenched
SDSS galaxies
 $0.05 < z < 0.07$

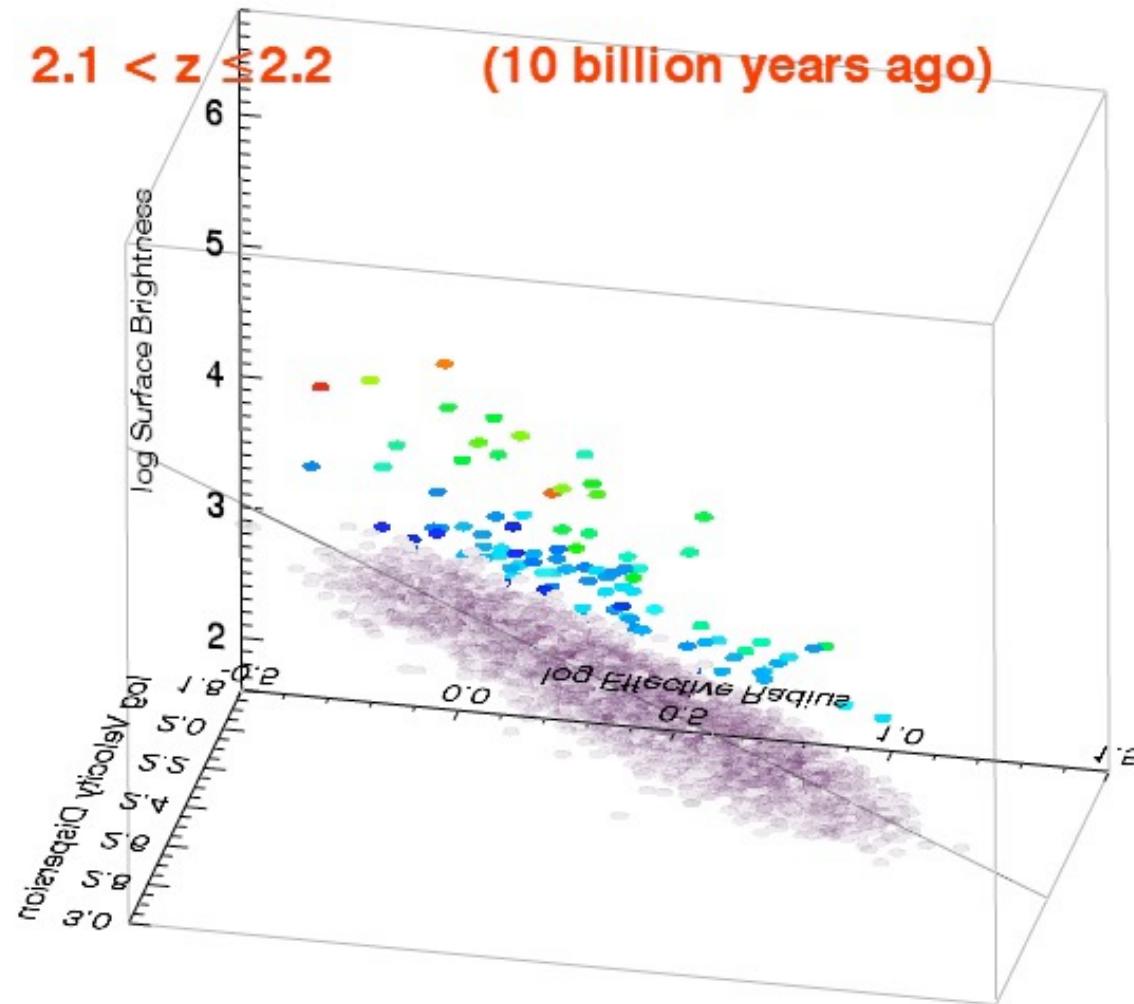
Djorgovski & Davis 1987
Dressler et al. 1987



Courtesy: Rachel Bezanson

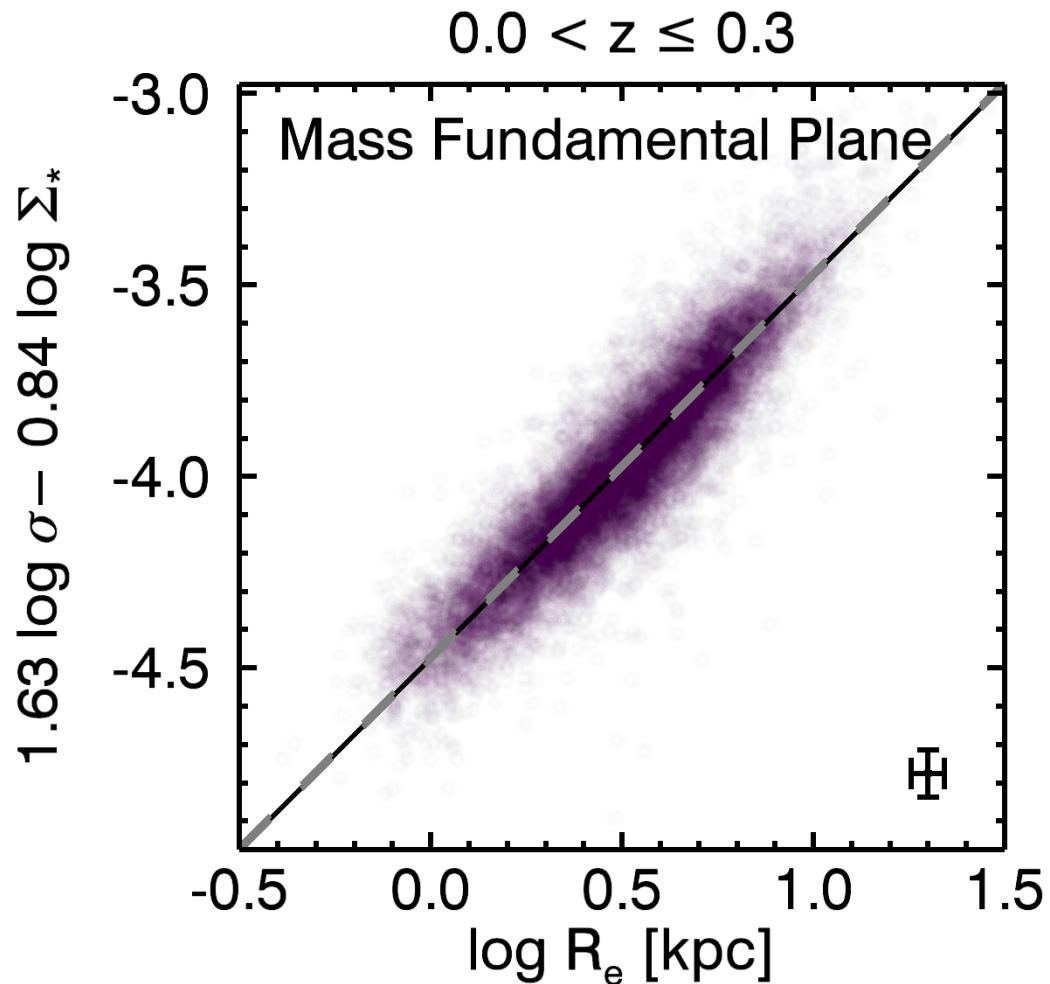
Courtesy: Dr. Rachel Bezanson

Redshift Evolution of the Fundamental Plane



Mass Fundamental Plane

Bezanson+2015, 2013



$0.1 < z \leq 0.2$ (1 billion years ago)

