



THE UNIVERSITY OF ARIZONA

# HACK ARIZONA

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# March 22, 2025

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**Main Library  
Room B254**

**2:00 - 2:45 pm - "Building Deep Learning Models from Scratch"**

**Nikhil Garuda**

**3:00 - 3:45 pm - "Speeding Up your Python Codes 1000x"**

**CK Chan**

**4:00 - 4:45 pm - "Getting Free GPUs for your Colab Notebooks"**

**Edwin Skidmore**

**Registration required:**

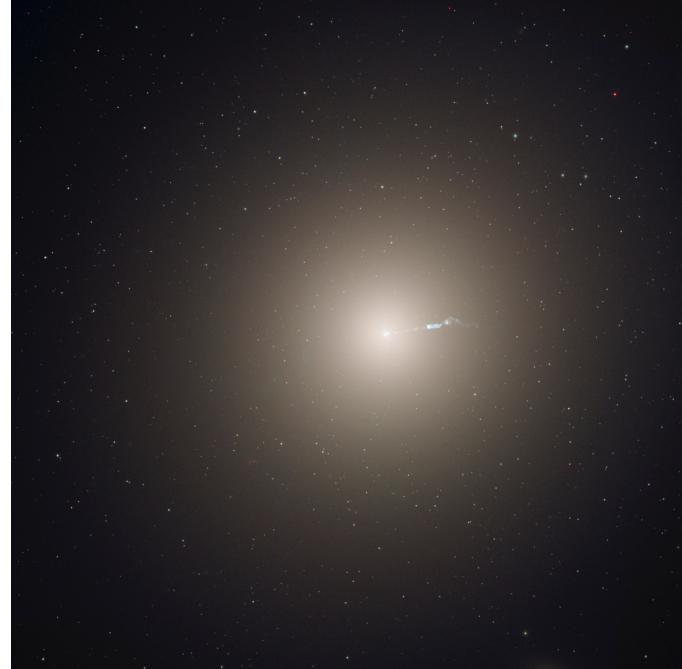


COLLEGE OF SCIENCE

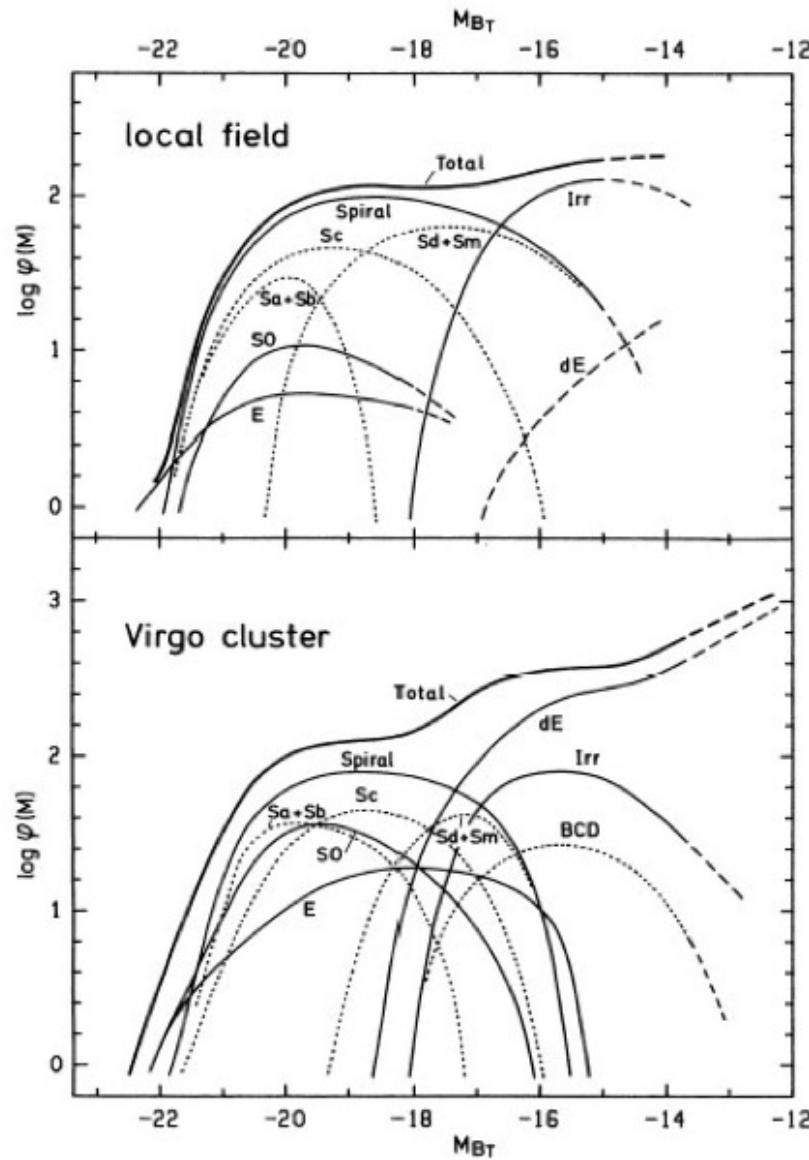
Theoretical Astrophysics  
Program

# Elliptical Galaxies Photometry

- E's span a huge range of luminosity from the brightest to some of the dimmest galaxies in the Universe!
- Useful to divide into 3 classes
  - **Giant ellipticals:**  $L > 2 \times 10^{10} M_{\odot}$ ,  $M_B < -20$
  - **Mid-sized ellipticals:**  $L = 3 \times 10^9 - 2 \times 10^{10} M_{\odot}$ ,  $M_B = -18$  to  $-20$
  - **Dwarf ellipticals** ( $L < 3 \times 10^9 M_{\odot}$ ,  $M_B > -18$ )
- For E's there is a strong correlation between radius and luminosity



# The galaxy luminosity function varies with galaxy type and environment



Bingelli (1988)

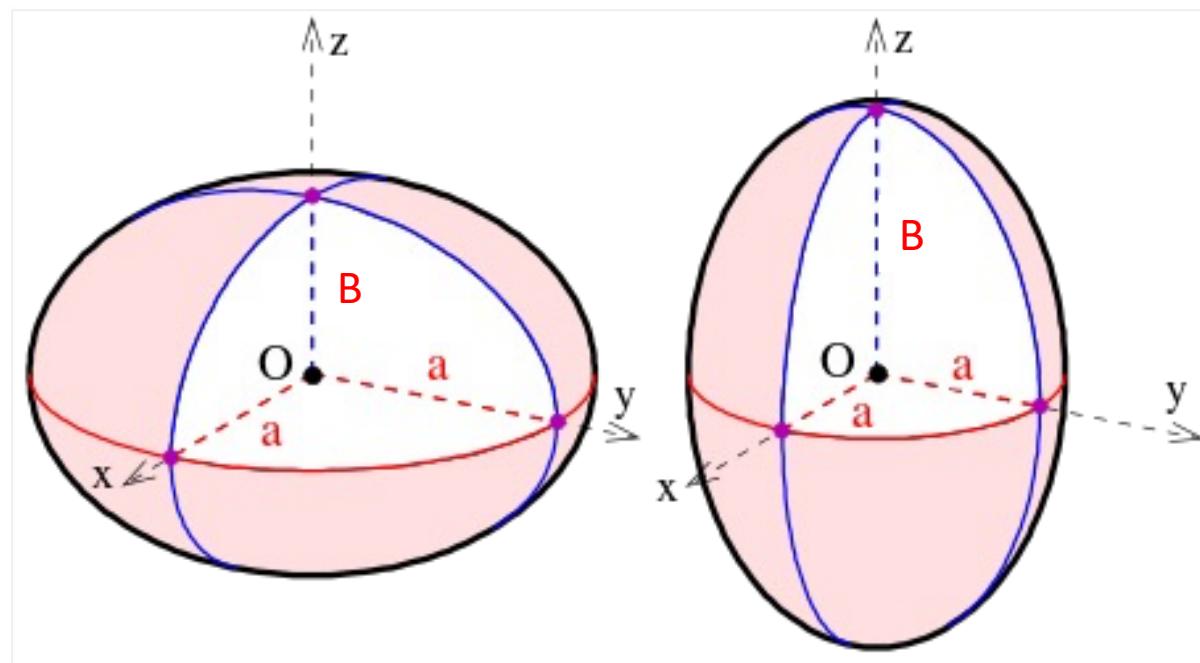
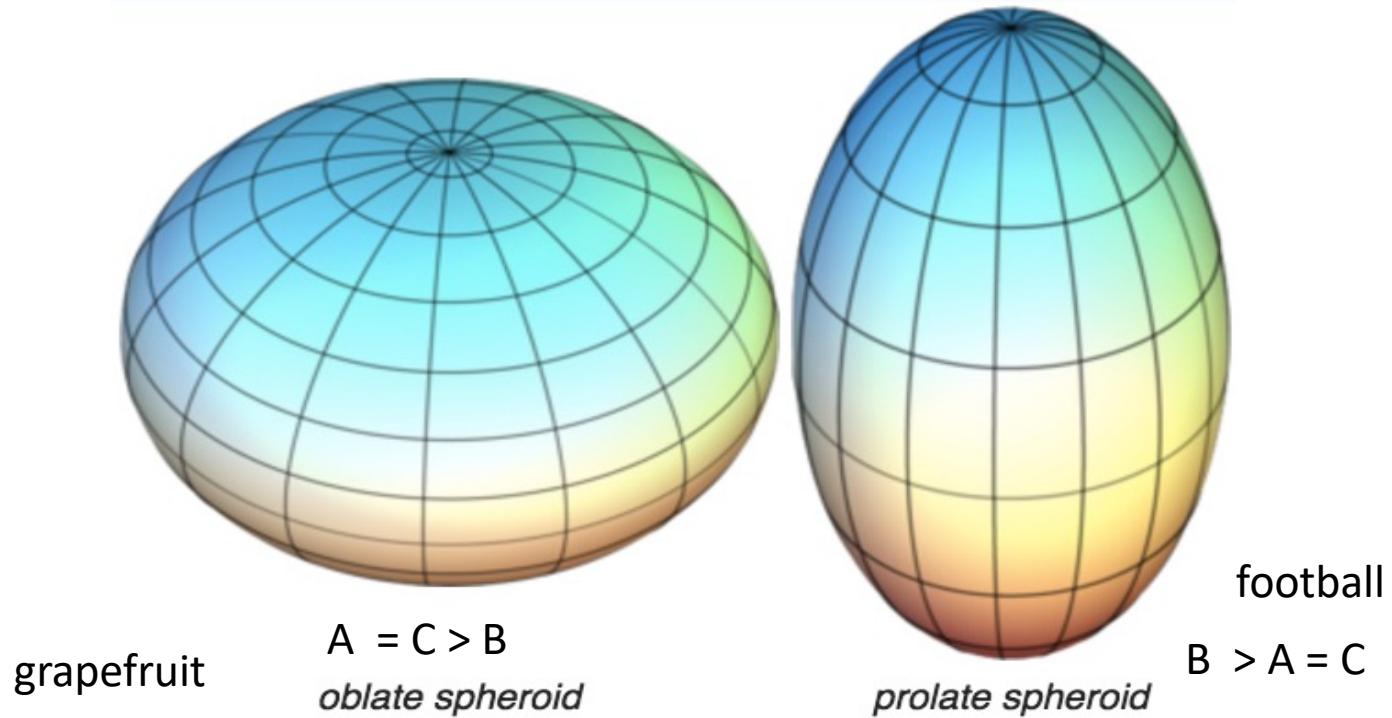
Field – dominated by Spirals, faint end dIrr

Clusters – many more E/SO galaxies, faint end dE, more dwarfs than in field

# Ellipticals vs. spirals

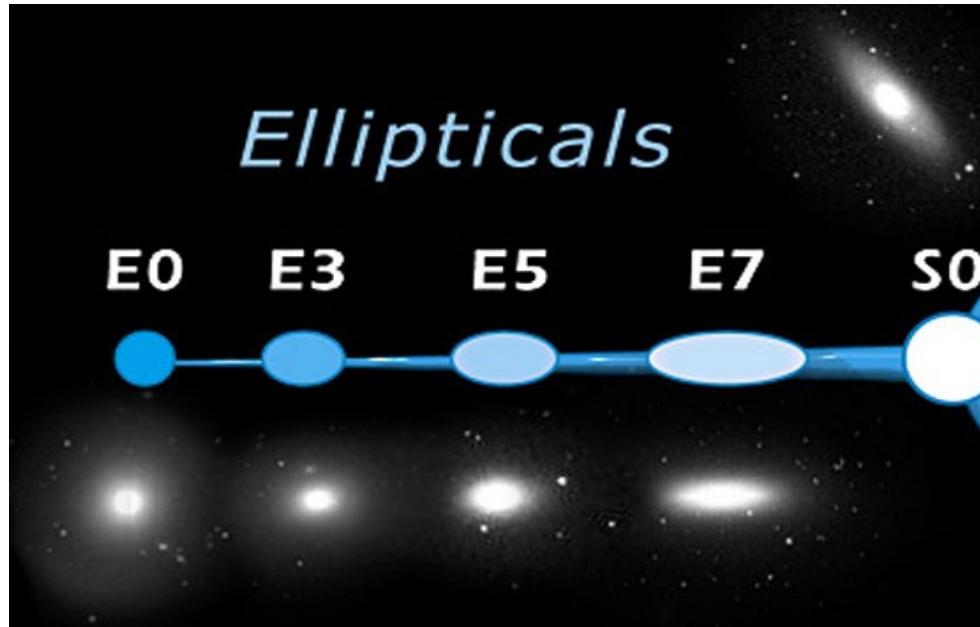
- Very different than spirals.
- Disk is rarely present.
- No cold gas.
- No ongoing star formation.
- Old stellar populations.
- Little or no internal substructure.
- Span a wide range of masses and dominate the most massive galaxy population.
- Can be oblate (like grapefruit) or triaxial (like football).



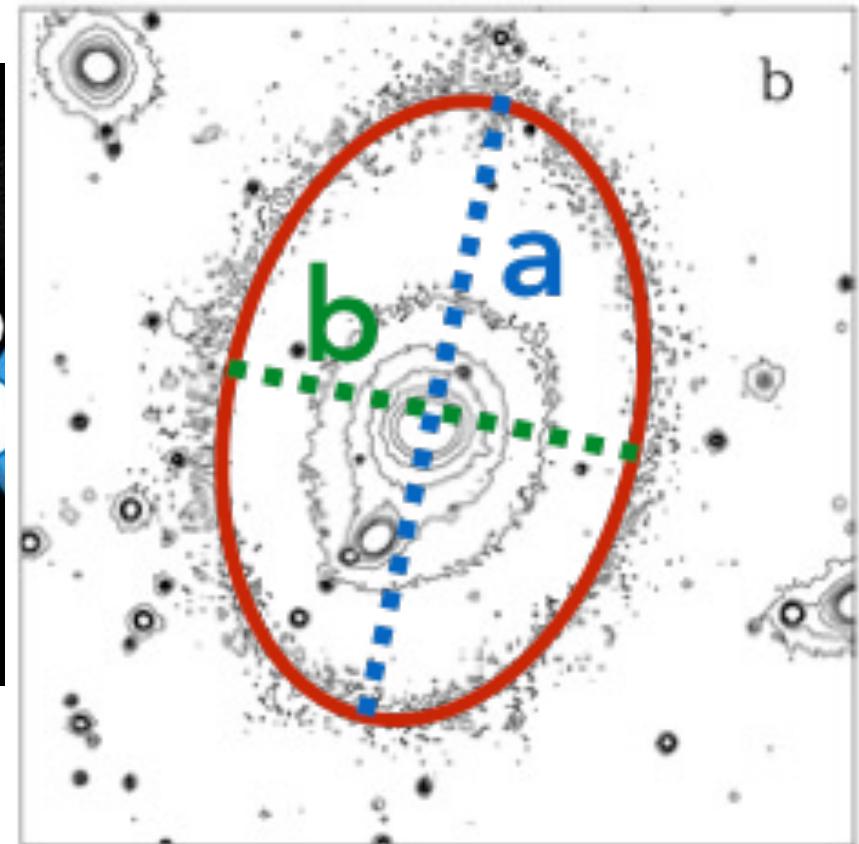




Triaxial : Three axes are different , in this case:  $C > B > A$



Ellipticity  $\epsilon = 1-b/a$

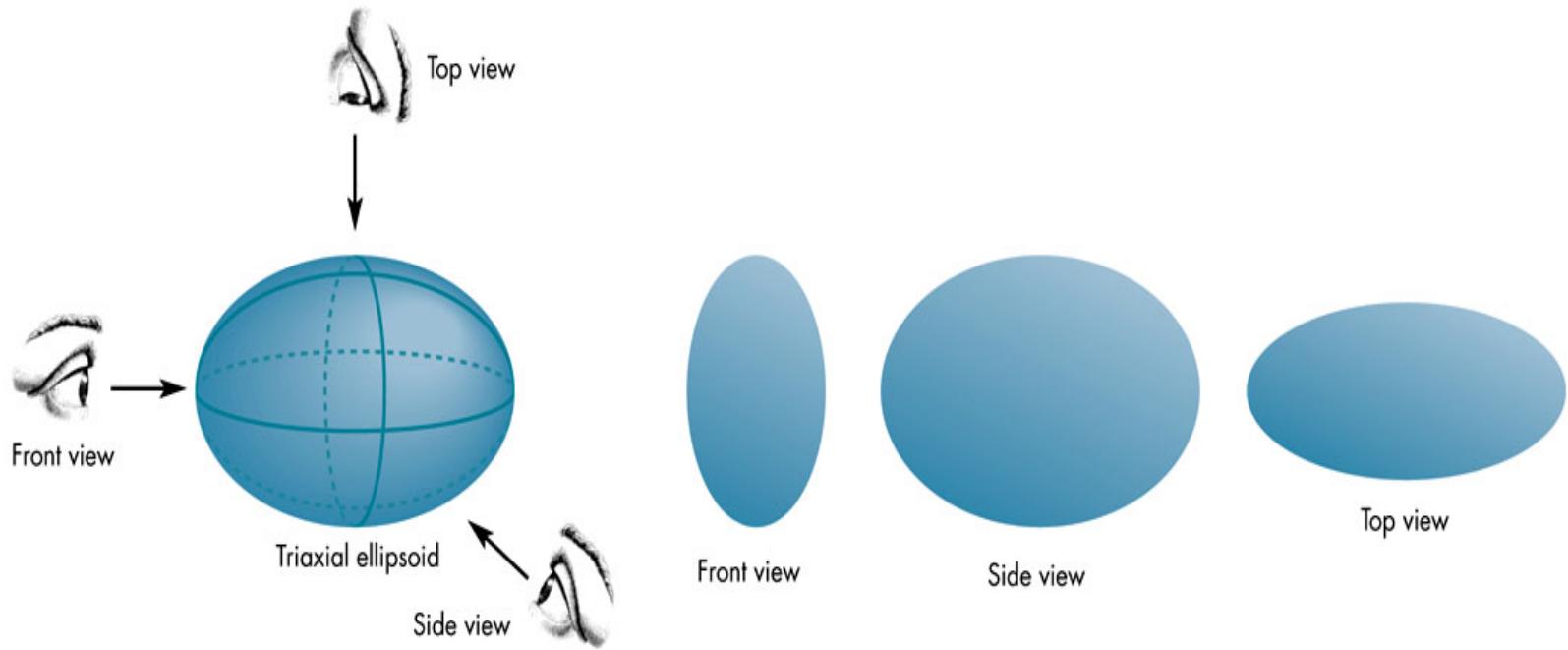


Ellipticals often labeled by “En” where  $n=10*\epsilon$

E0: circular appearance

E5:  $\epsilon = (1-b/a) = 0.5$

# 3D Shapes of Elliptical Galaxies



3D shape of any given elliptical is not possible to determine from projection on the sky.

Instead, examine the statistics of the full population..

## Viewing geometry for an oblate galaxy

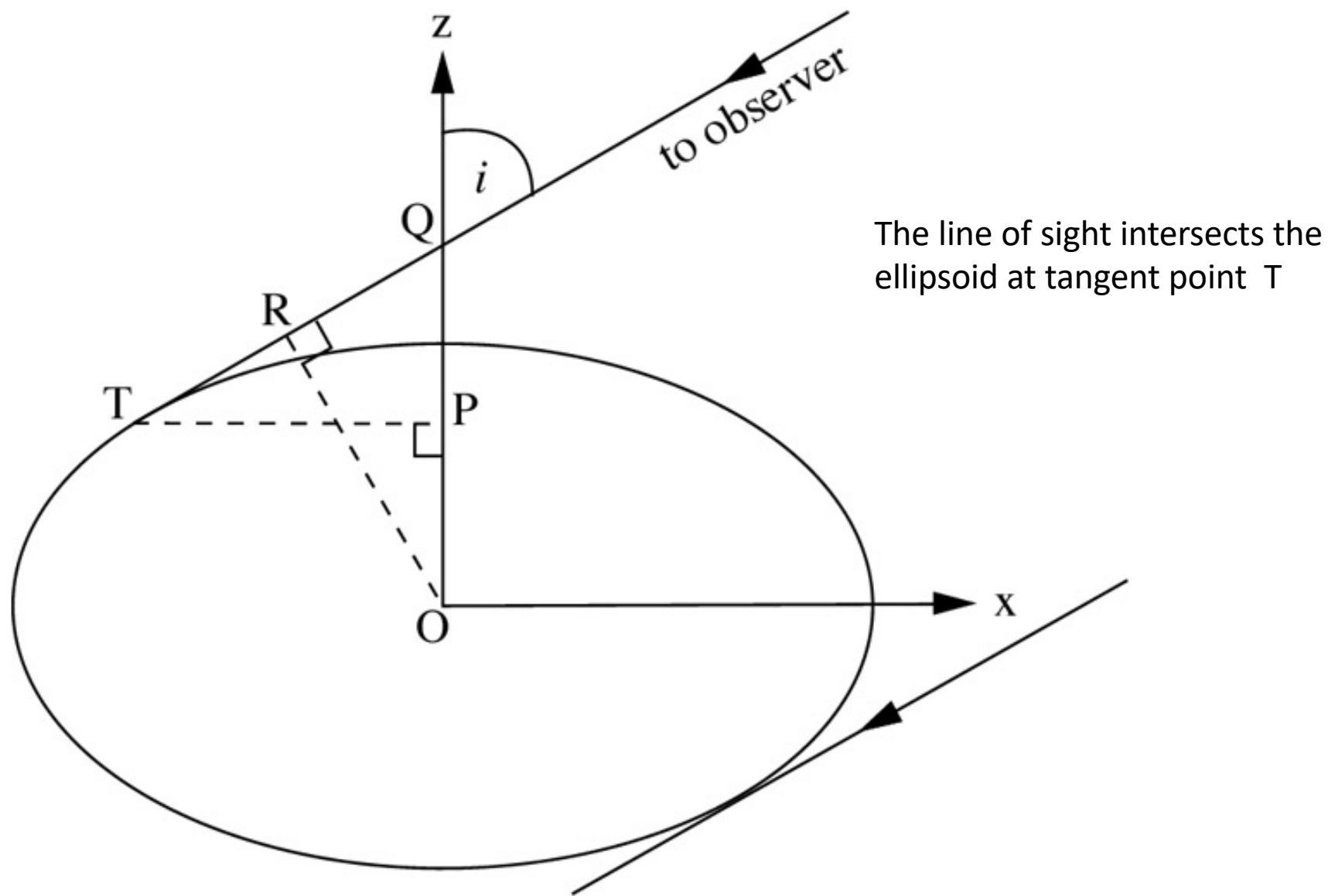


Fig 6.8 'Galaxies in the Universe' Sparke/Gallagher CUP 2007

$$(b/a)^2 = (B/A)^2 \sin^2 i + \cos^2 i$$

**the observed axis ratio ( $b/a$ ) is always greater than the intrinsic axis ratio ( $B/A$ ), i.e.**

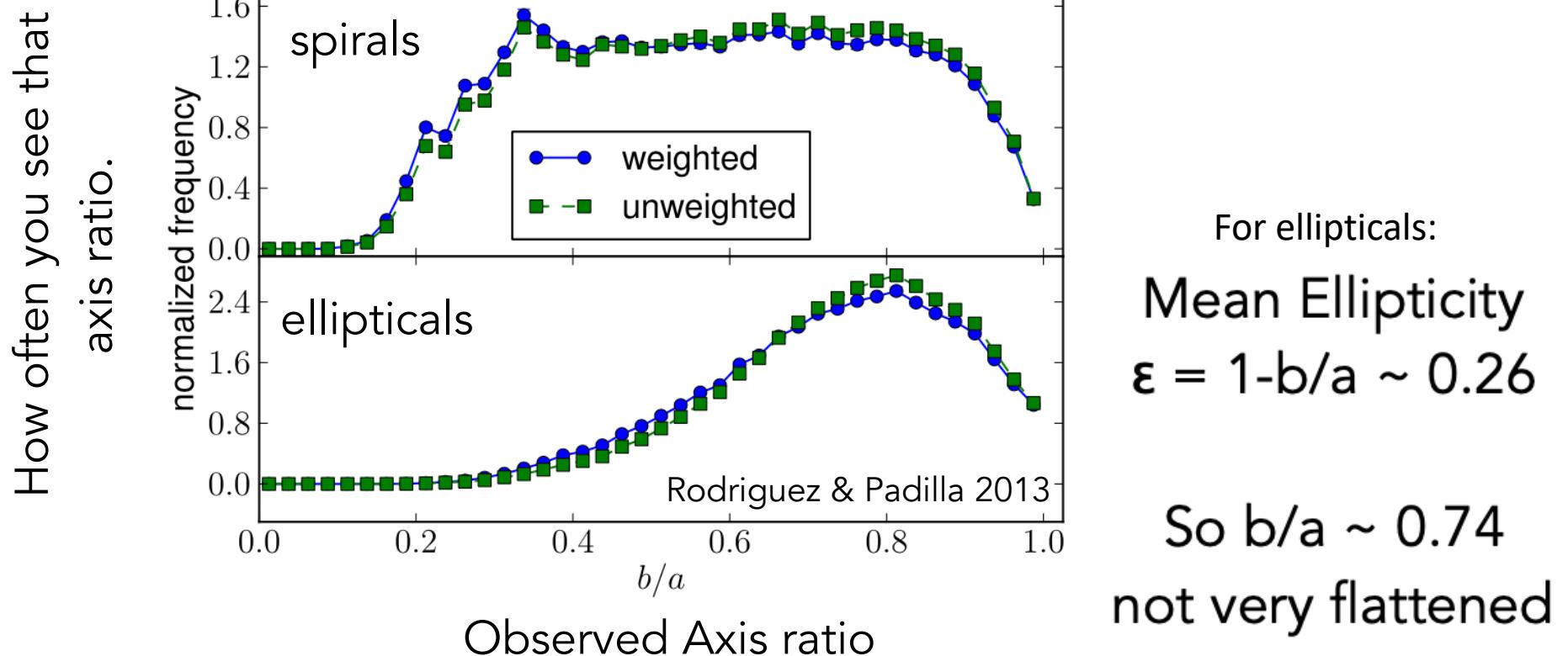
$$b/a > B/A$$

where (a, A major axes, b, B-minor axes)

A galaxy never appears more flattened than it actually is.

# 3D Shapes of Elliptical Galaxies

Assume that galaxies are on average randomly oriented.



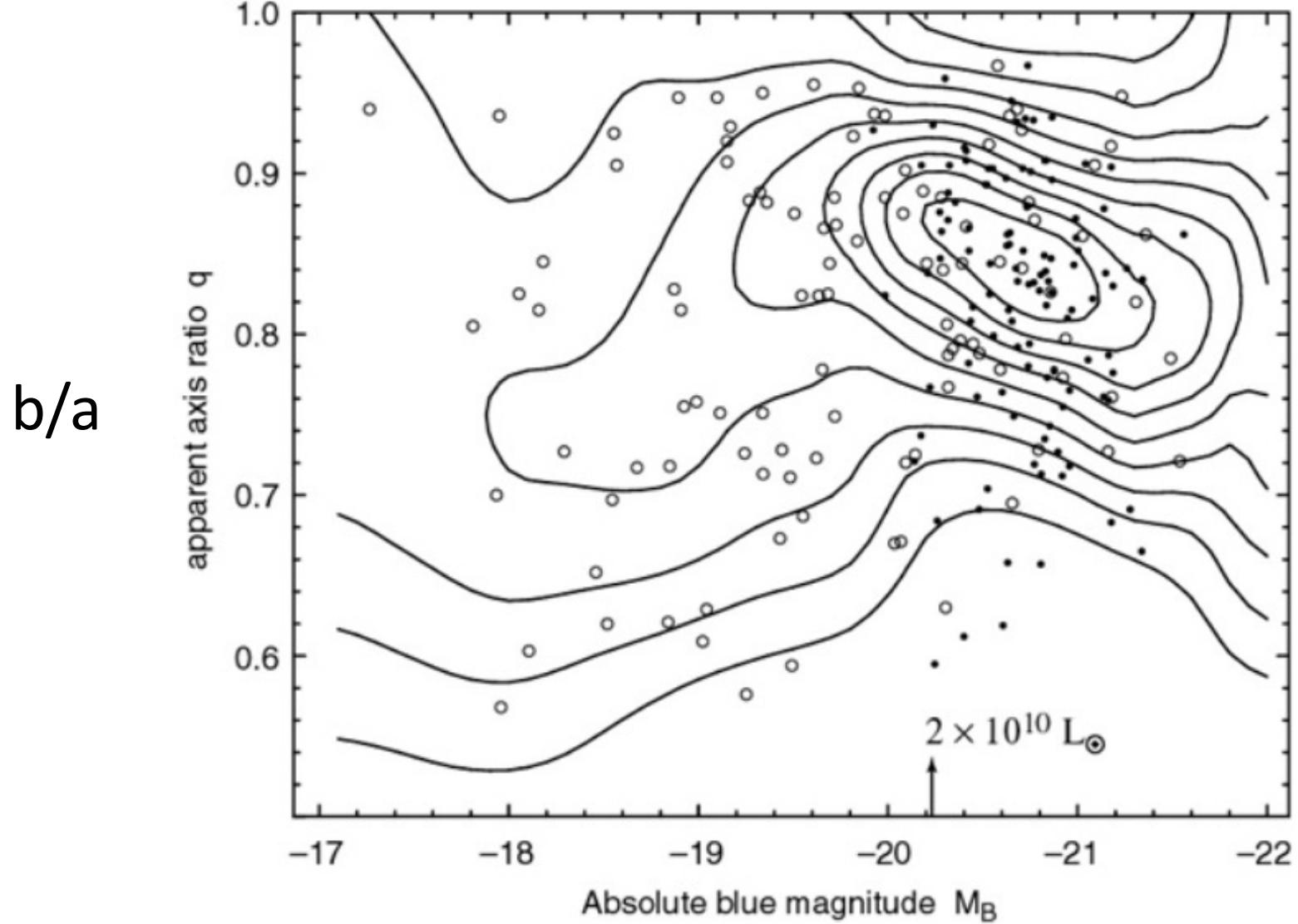


Fig 6.9 (Tremblay & Merritt) 'Galaxies in the Universe' Sparke/Gallagher CUP 2007

Observed axis ratio  $b/a$  and blue absolute magnitude for elliptical galaxies. Bright galaxies (right) on average appear rounder. Contours show probability density: the top contour level is for probability density 4.5 times higher than at the lowest. Tremblay & Merritt 1996 <sup>14</sup>

Isophote Shape

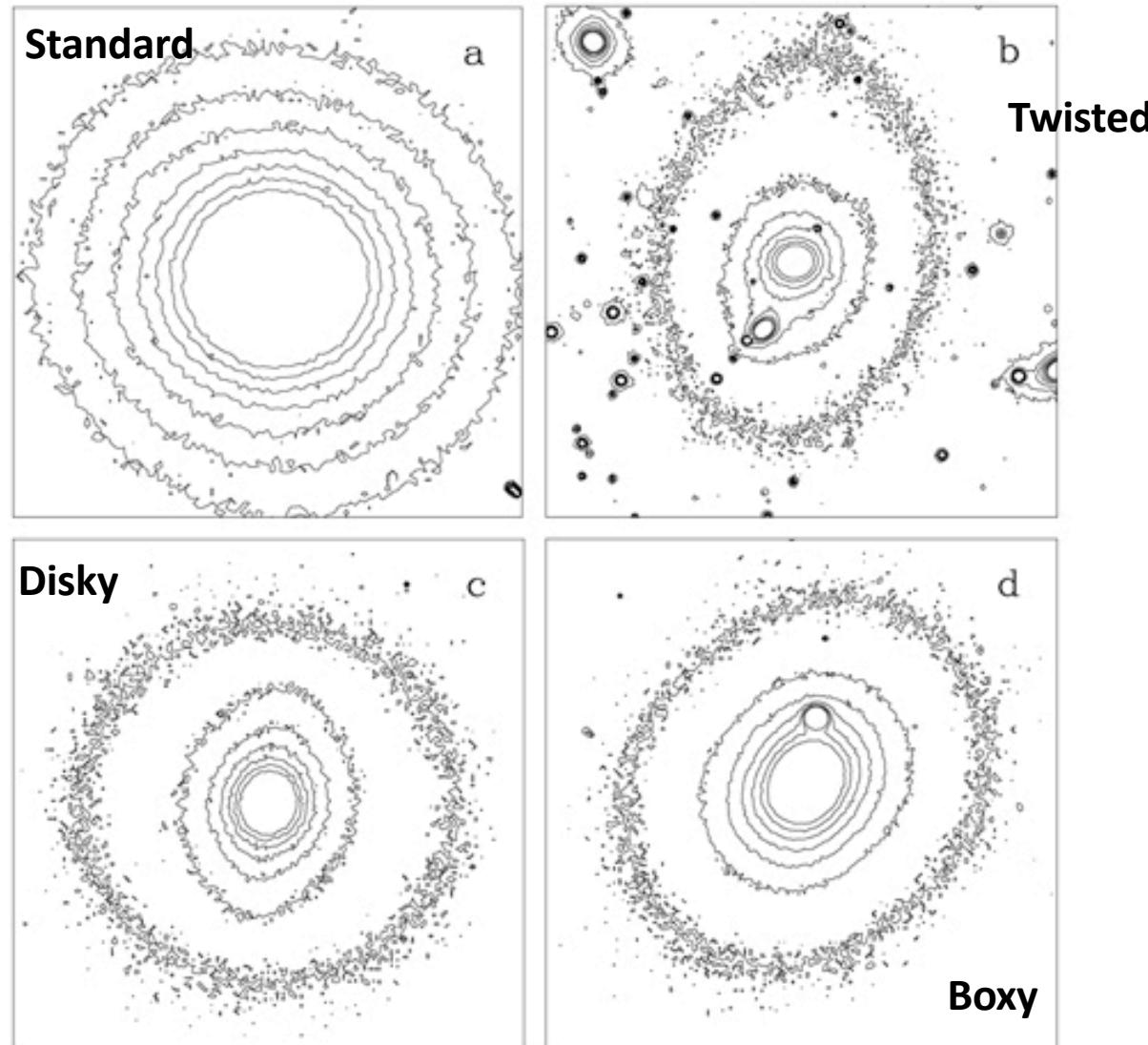


Fig 6.1 (R. de Jong) 'Galaxies in the Universe' Sparke/Gallagher CUP 2007

- Isophotes in the R band of four giant elliptical galaxies. A) Isophotes are elliptical (NGC 5846)  
B) The long axis of the inner isophotes is roughly horizontal, twisting to near-vertical at the outer contour (EFARJ16WG); C) Diamond-shaped 'disky' isophotes (Zw 159-89 in Coma);  
D) Rectangular 'boxy' isophotes (NGC 4478). Compact objects are mainly foreground stars.<sup>16</sup>

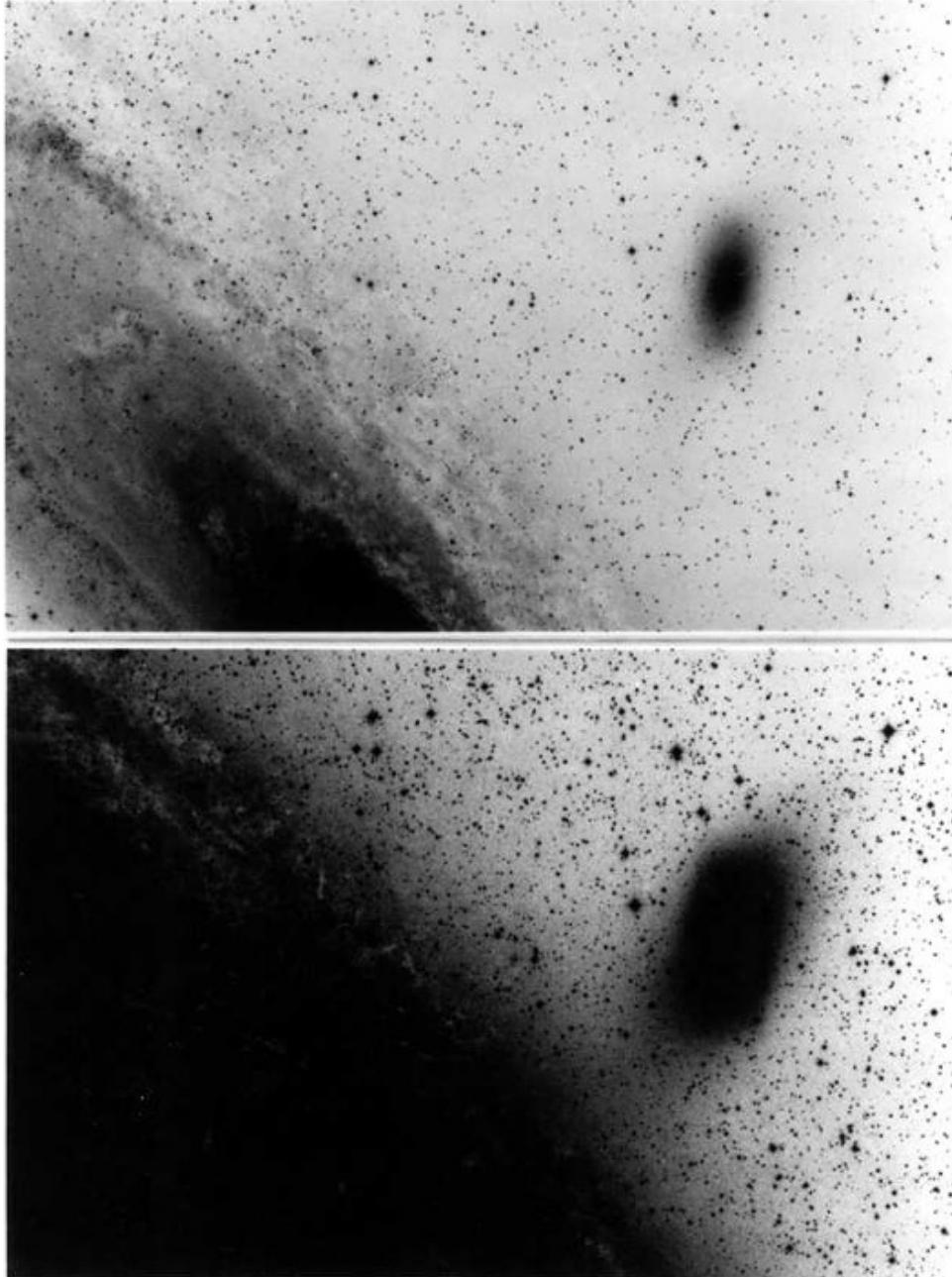
# Isophote Twisting

Example: M31 Satellite NGC 205

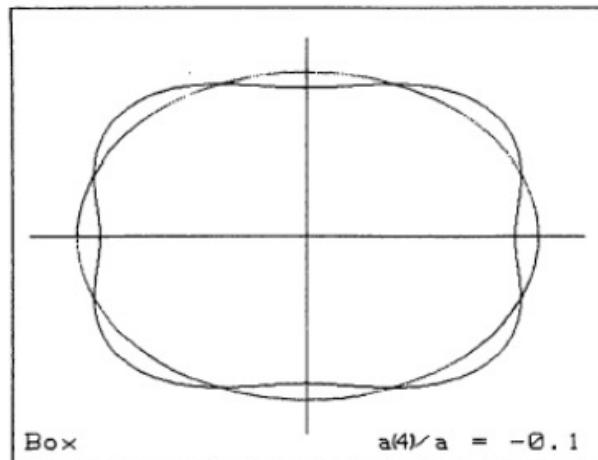
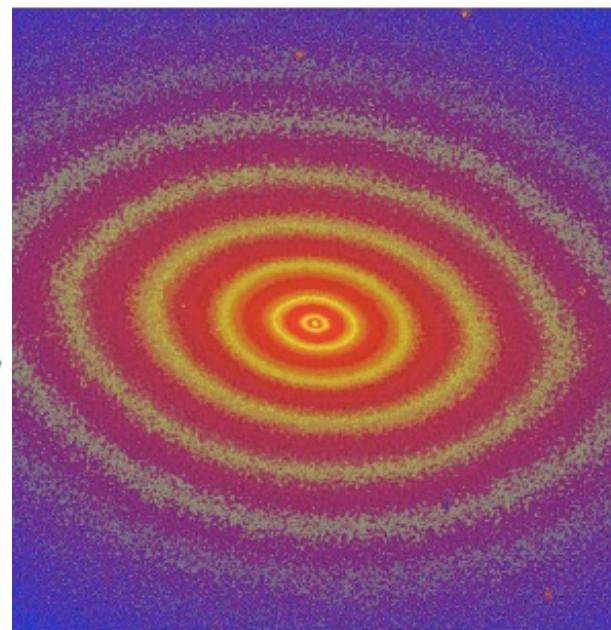
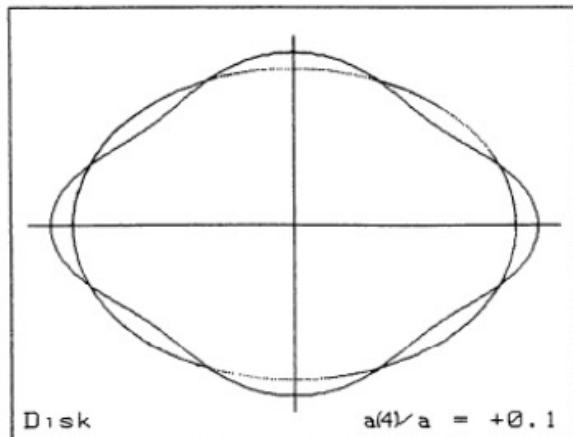
The first, shallower, exposure shows the brightest part of the galaxy.

The second, deeper, exposure shows the weaker more extended emission.

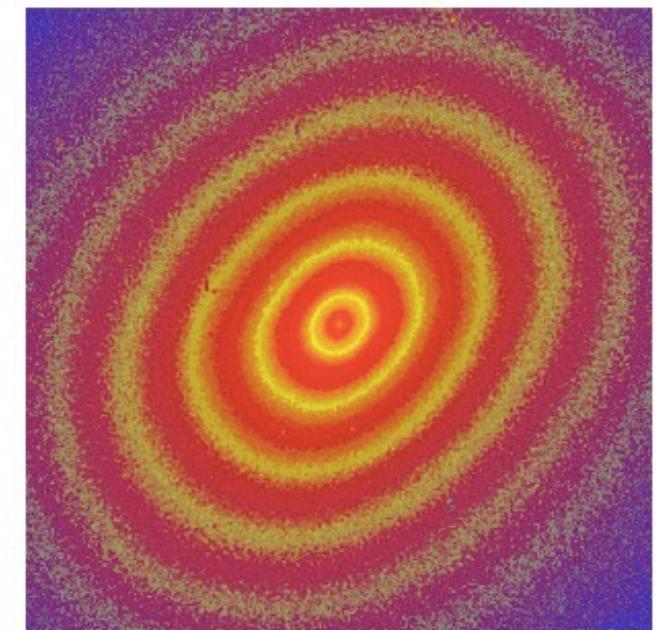
A twist between both images of the same galaxy are apparent (the orientation in the sky is the same in both figures).



# Boxy and Disky Isophotes



NGC 821:  $a_4/a \sim +0.02$ , disk



NGC 2300:  $a_4/a \sim -0.02$ , boxy

Boxy:

Tend to Brighter Ellipticals  
Tend to have twisted Isophotes

# Boxy or disk?

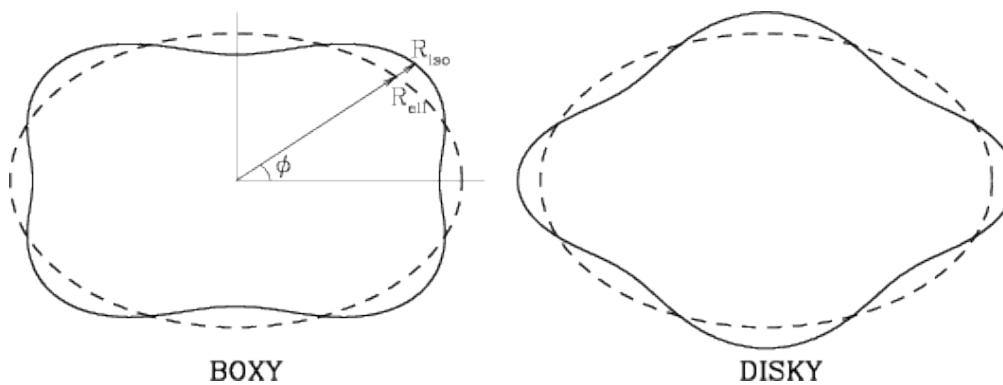
- We fit the isophote with an ellipse in parametric form:

$$x = a \cos t, \quad y = b \sin t$$

- And look for functional form of deviation (Fourier expansion in azimuth):

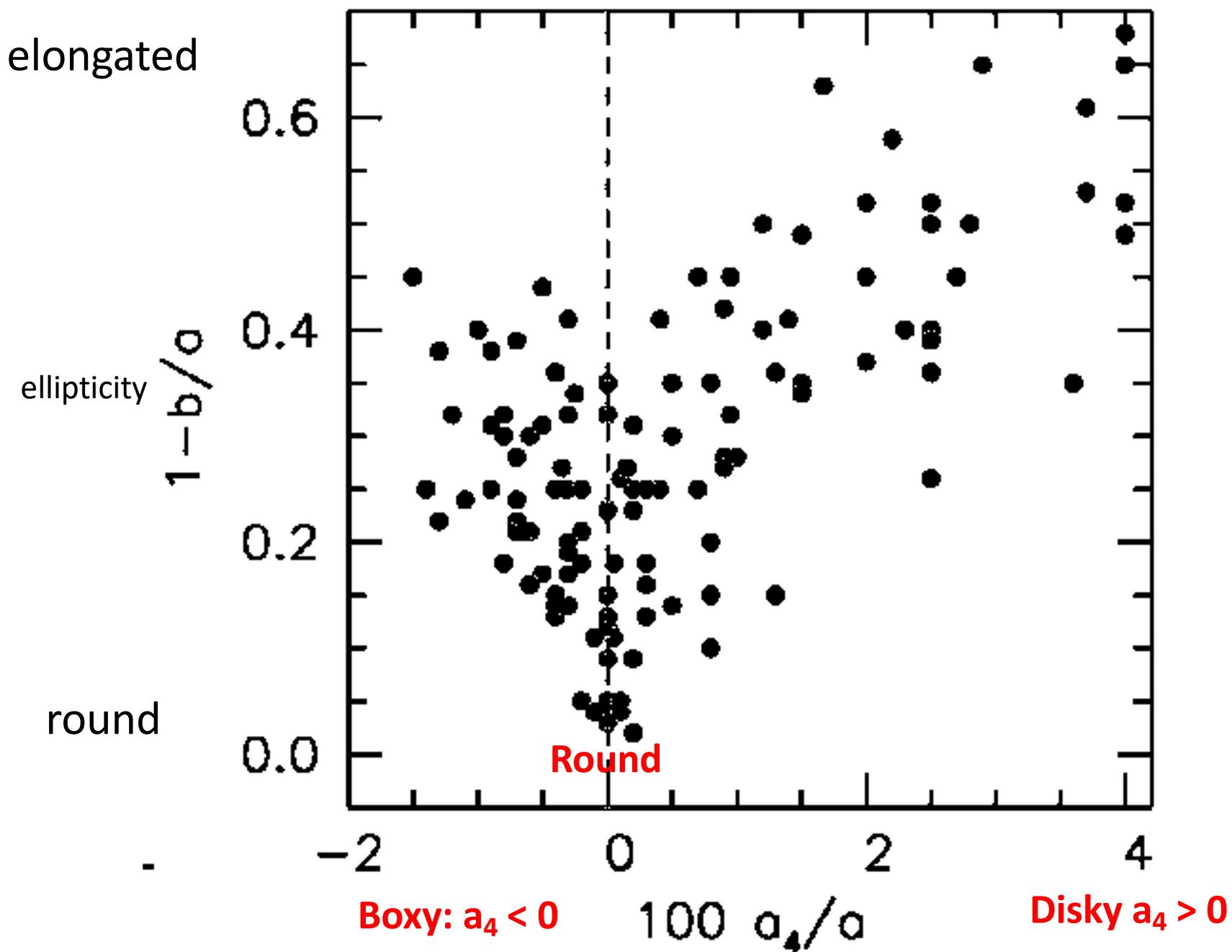
$$\Delta r(t) \approx \sum_{k \geq 3} a_k \cos(kt) + b_k \sin(kt)$$

- We fit the best matching ellipse, (for k=0,1,2 all terms are zero) k=3 terms are small but k=4 ( $a_4$ ) is not.  $a_4 > 0$  ellipse is “pushed out” on major and minor axes, while if  $a_4 < 0$  it bulges out at 45 deg from the axes.



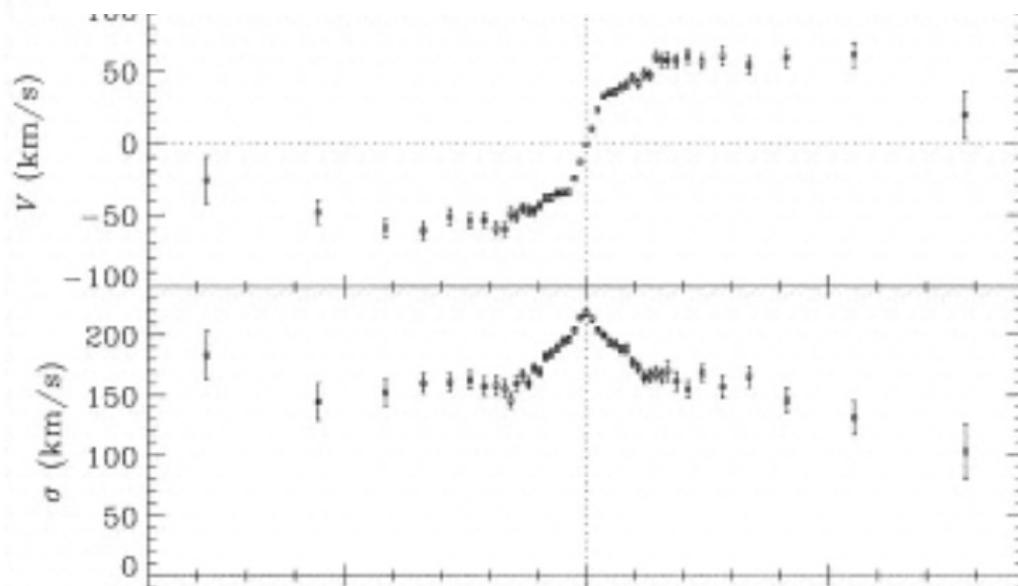
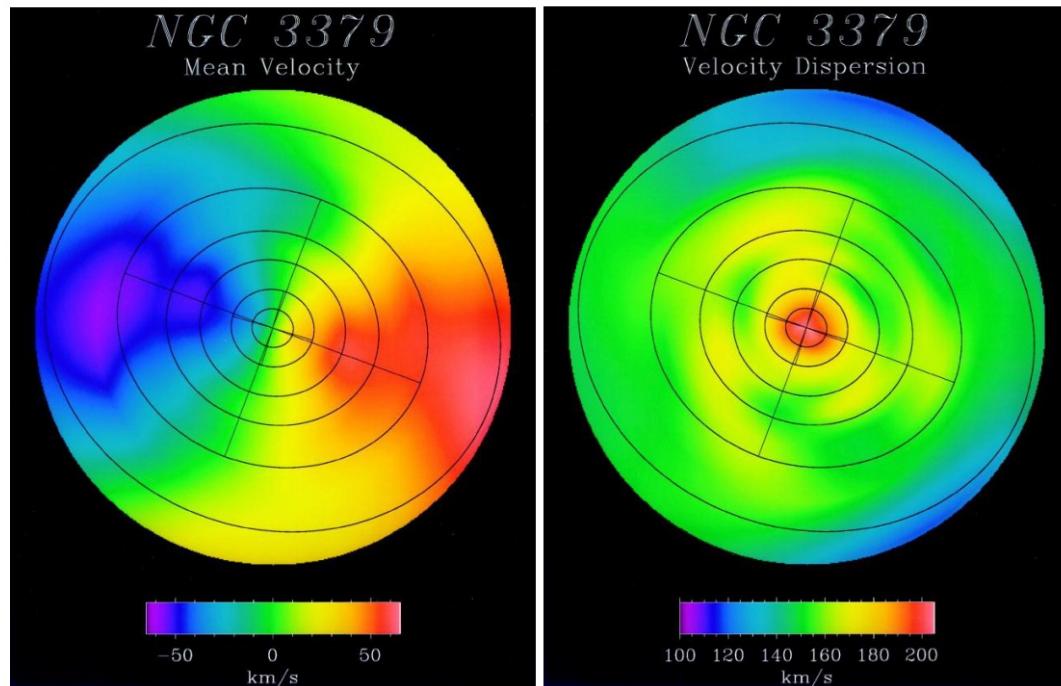
$a_4 < 0$

$a_4 > 0$



# Some Elliptical Galaxies do Rotate

So are they  
rotationally  
elongated?



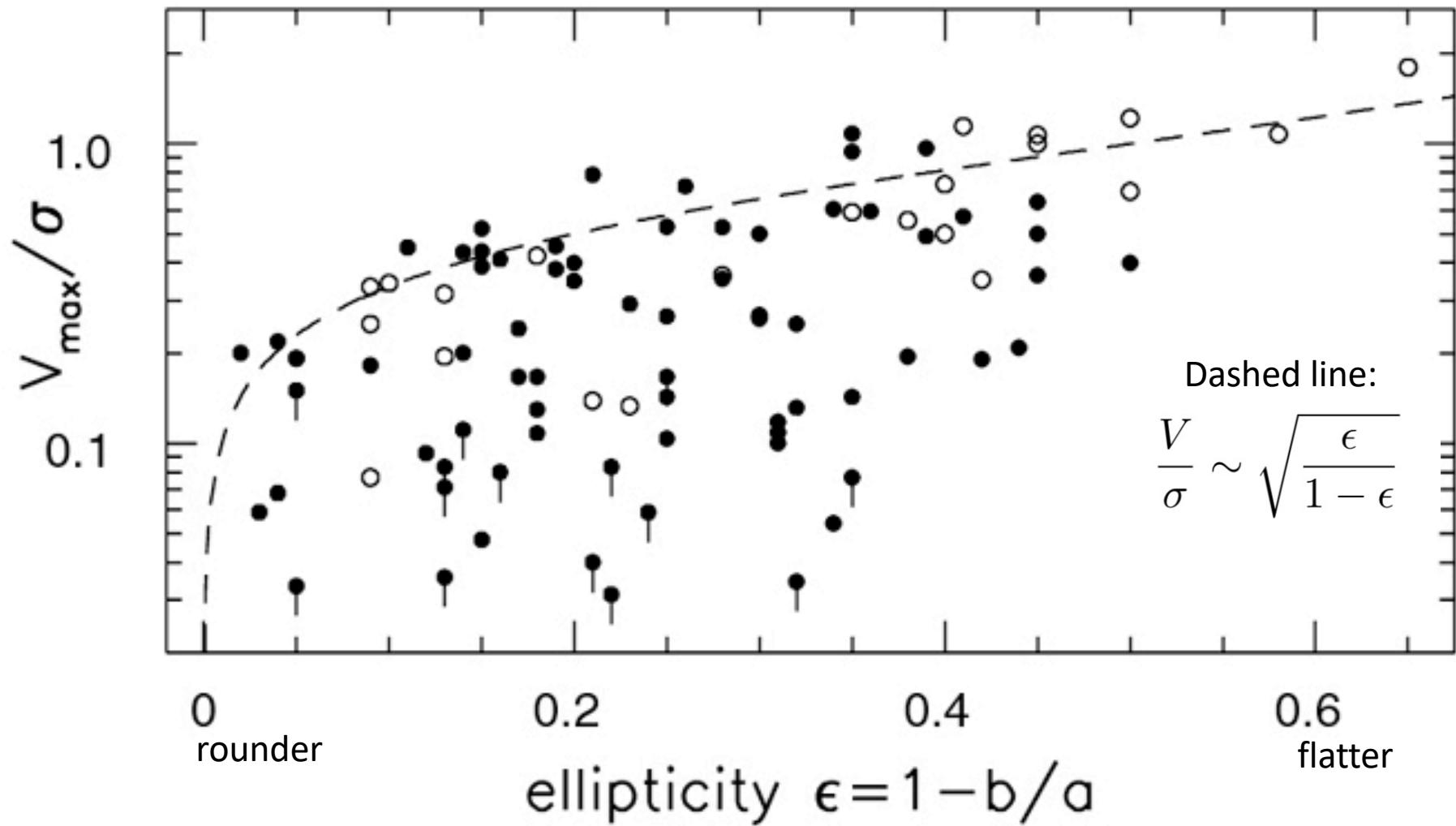


Fig 6.14 (R. Bender) 'Galaxies in the Universe' Sparke/Gallagher CUP 2007

The ratio of measured peak rotation speed to central velocity dispersion for elliptical galaxies, plotted against apparent ellipticity: filled circles show bright galaxies ( $M_v < -19.5$ ); open circles are dimmer galaxies. Points with downward extending bars indicate upper limits on  $V_{\text{max}}$ . The dashed line gives the theoretical **(V/  $\sigma$ )iso**, assuming **isotropy** and the virial theorem (the fastest rotation expected for a given flattening.)

# Velocity Dispersion

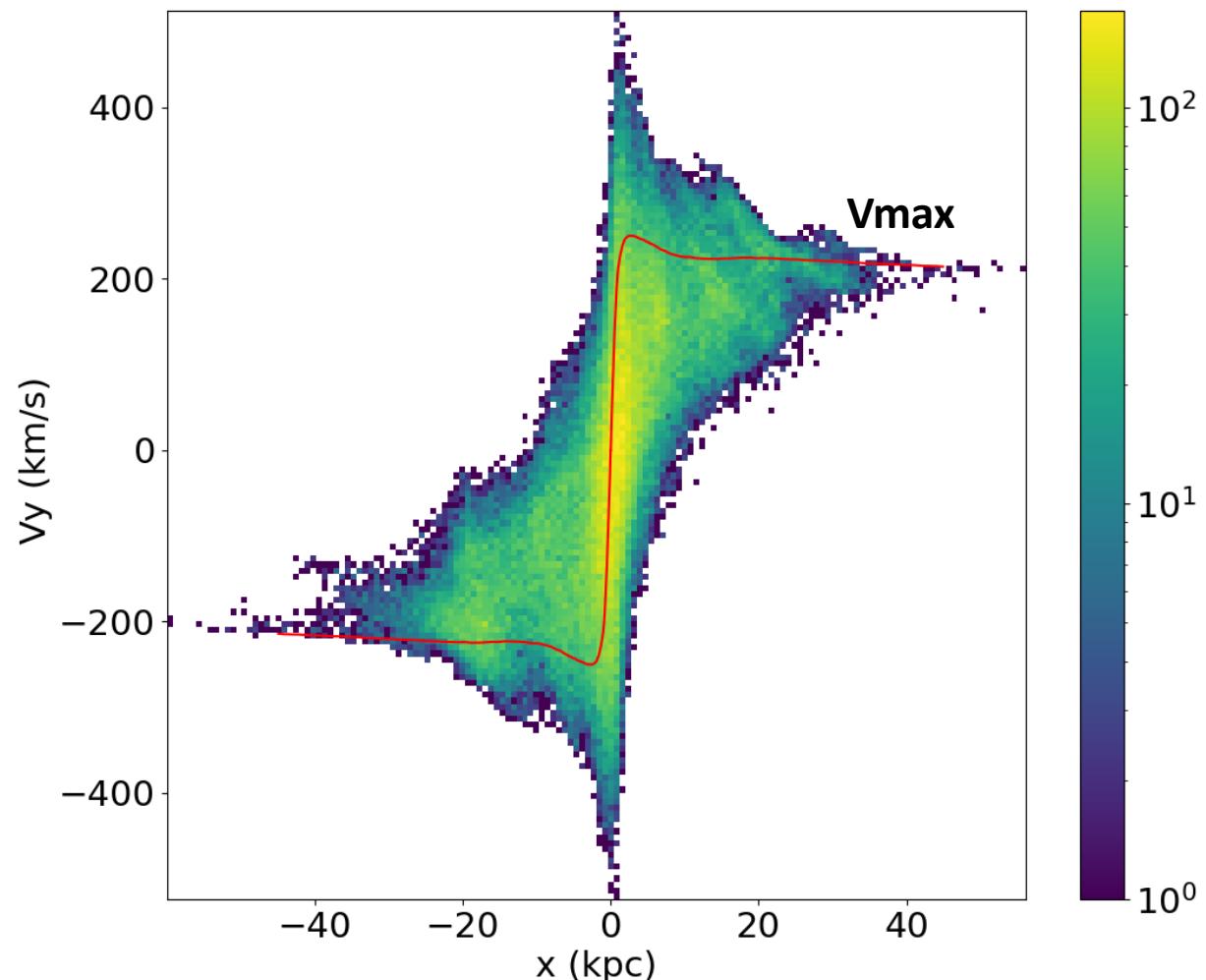
$$\sigma^2 = \frac{1}{N} \sum_{i=1}^N (v - \langle v \rangle)^2 \quad \text{np.mean(v)}$$

$$\langle v \rangle = \frac{1}{N} \sum_{j=1}^N v_j \quad \text{np.std(v)}$$

the spread or  
dispersion of data  
points around the mean

You can do this per  
velocity component

# Recall Lab 7...



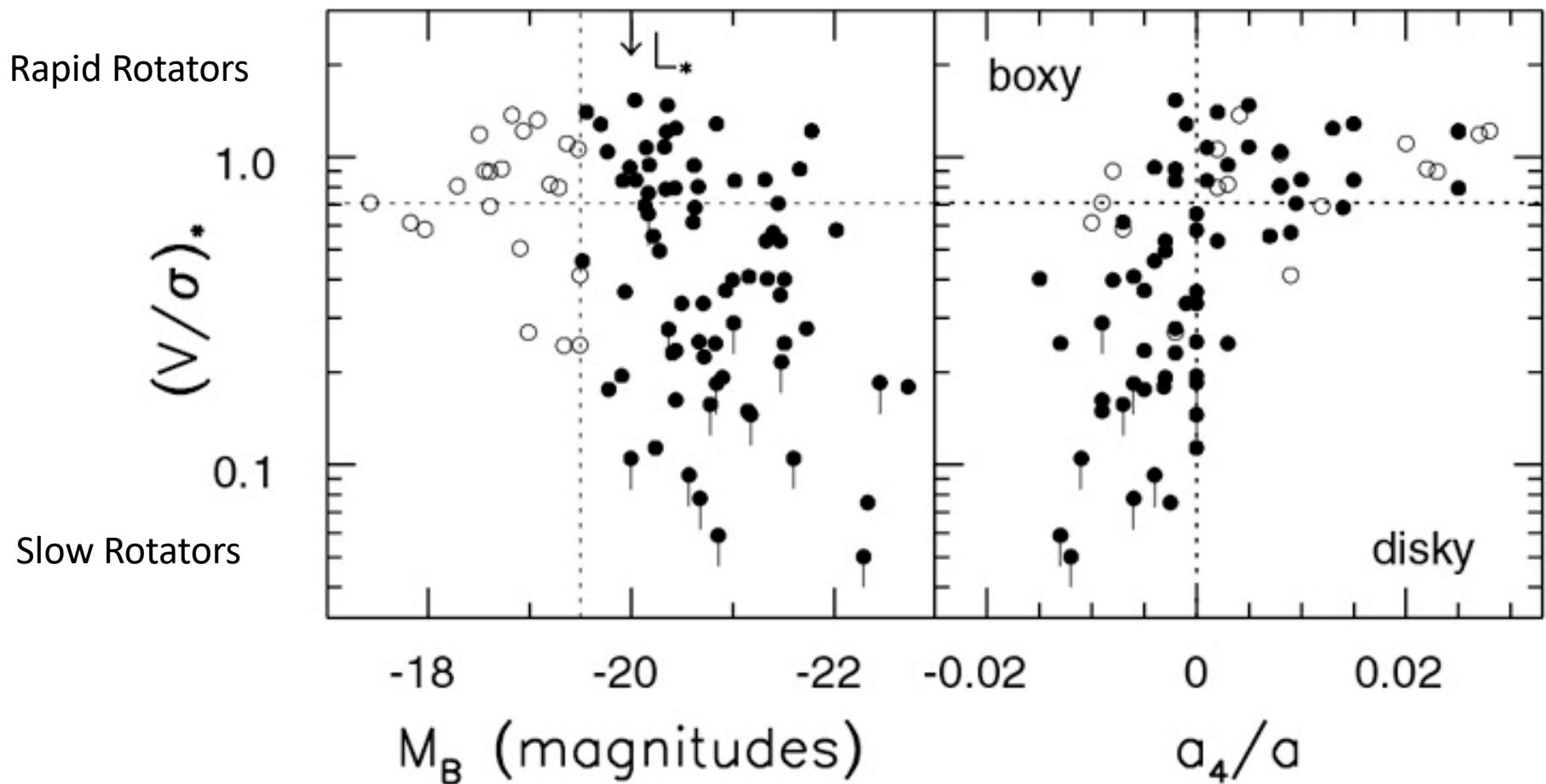


Fig 6.15 (R. Bender) 'Galaxies in the Universe' Sparke/Gallagher CUP 2007

Y-axis: The ratio of the measured  $V_{\text{max}}/\sigma$  to  $(V/\sigma)_{\text{iso}}$  (theoretical). Down-ward pointing bars show upper limits on  $V_{\text{max}}$ ; filled circles are bright galaxies. Left, luminous galaxies often rotate slowly, falling below the dotted horizontal line at  $(V/\sigma)^* = 0.6$ . Right, boxy galaxies with  $a_4 < 0$  are almost all slow rotators; many of these are luminous.

Q – is the MW+M31 Merger Remnant a rapid or slow rotator?